

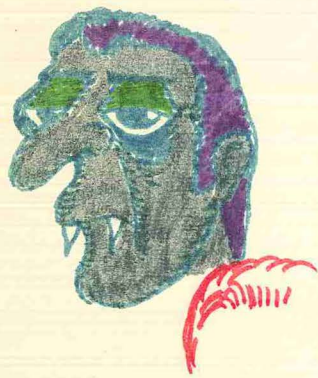
Electronics

R.J. Marks II Class Notes

Electronics

**Rose-Hulman Institute of Technology
(1970-1971)**

ELECTRONICS I



ELECTRON I

ELECTRONI




4-1-70 (LAB)

NEXT WEEK: MEASURE CHARACTERISTICS

OF AMPLIFIER:

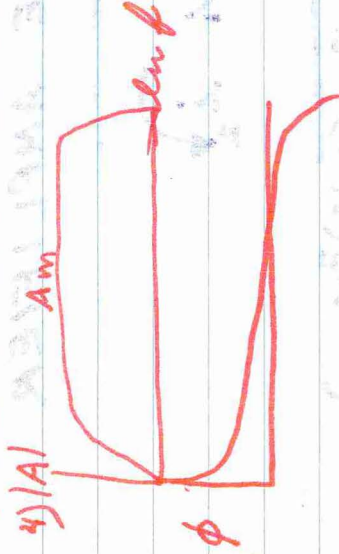
1) GAIN: V_2/V_1



2) FREQUENCY RESPONSE



3) PHASE SHIFT BETWEEN V_1 & V_2



5) CHECK LINEARITY



6) TRANSIENT RESPONSE

7) INPUT AND OUTPUT IMPEDANCE (ASSUME RESISTIVE)

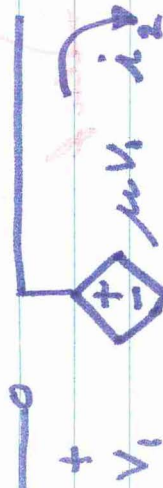
4-1-70

ANTENNA SHOULD BE IN SAME DIMENSION (MAGNITUDE) OF TRANSMITTED λ (SUCH AS $\lambda/2$)

$$\lambda = c/f$$

PRIMARYLY INTERESTED IN POWER AMPLIFICATION

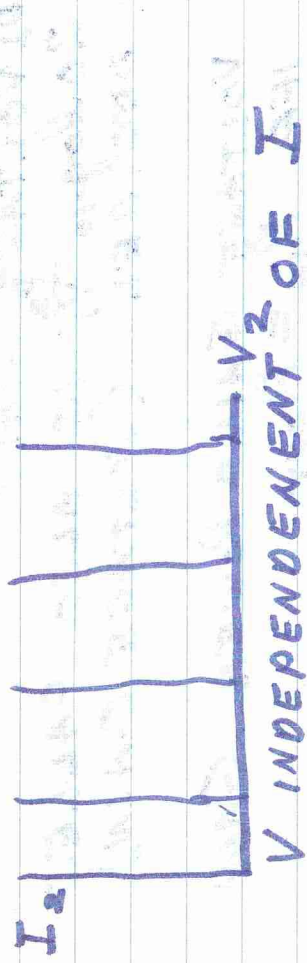
A) IDEAL VOLTAGE AMPLIFIER



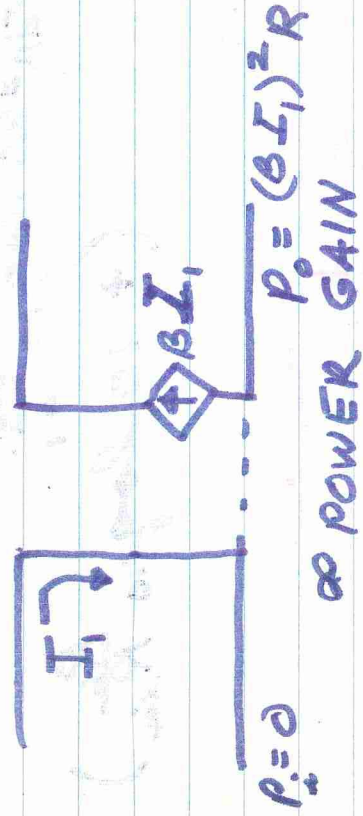
$$P_i = 0 \quad (i_1 = 0) \quad P_o = \frac{S_{av} V_2^2}{R} \quad (R = \infty)$$

CASCADE CONNECTION

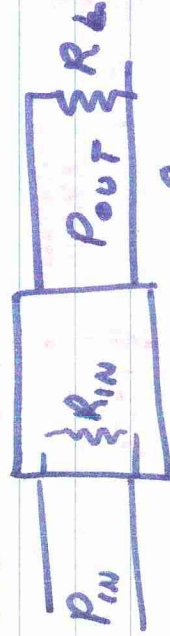




B) IDEAL CURRENT AMPLIFIER



C) POWER GAIN



$$G_{dB} = 10 \log_{10} P_o/P_i$$

decibel

$$P_{IN} = V_i/R_{IN}$$

$$P_o = V_o^2/R_L$$

$$\therefore G_{dB} = 10 \log_{10} \frac{V_o^2 R_{IN}}{V_i^2 R_L} = 20 \log_{10} \frac{V_o}{V_i}$$

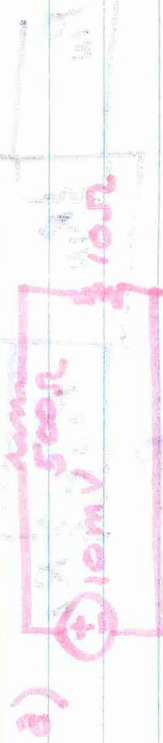
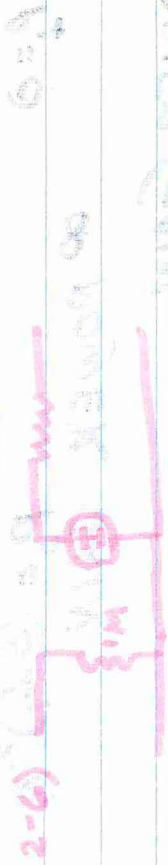
$$+ 10 \log_{10} \frac{R_{IN}}{R_{OUT}}$$

D) VOLTAGE GAIN
 $20 \log_{10} \frac{V_2}{V_1}$ IS ALSO CALLED
 DECIBEL (VOLTAGE GAIN)

VOLTAGE GAIN = POWER GAIN
 IFF $R_{IN} = R_{OUT}$

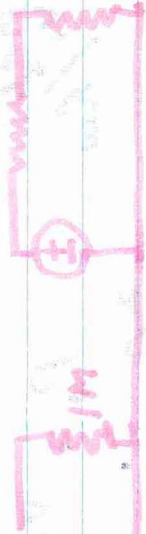
E) CURRENT GAIN (dB)
 $G_{dB} = 20 \log_{10} \frac{I_2}{I_1}$
 (+ $10 \log_{10} \frac{R_{IN}}{R_{OUT}}$)

4-3-70

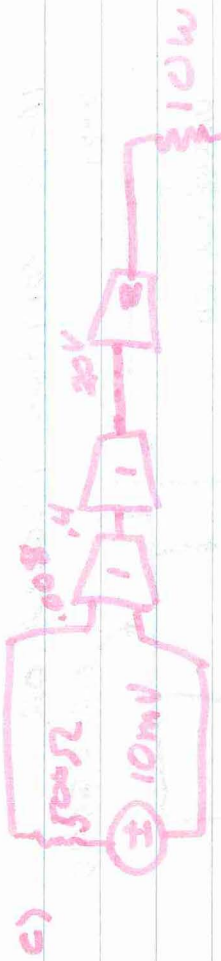


$P_R = 3.84 \text{ nW}$

b) WITH ONE AMP



(EAV) $\Rightarrow 20 \text{ V}$ FOR 10 WATTS



FROM PART b, WOULD YOU WANT TO USE SECOND?

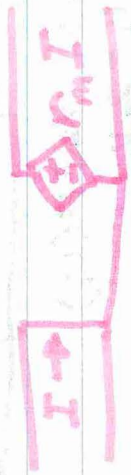


$$\frac{1000}{1000+5}$$

VOLTAGE GAIN ≈ 50

OTHER IDEAL AMPLIFIERS

1) TRANS RESISTANCE AMP



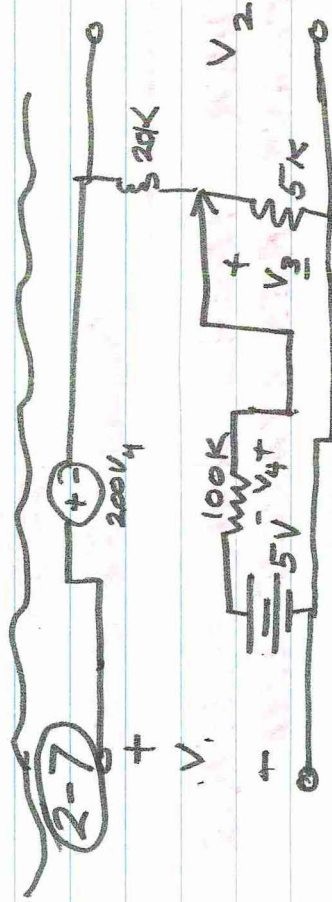
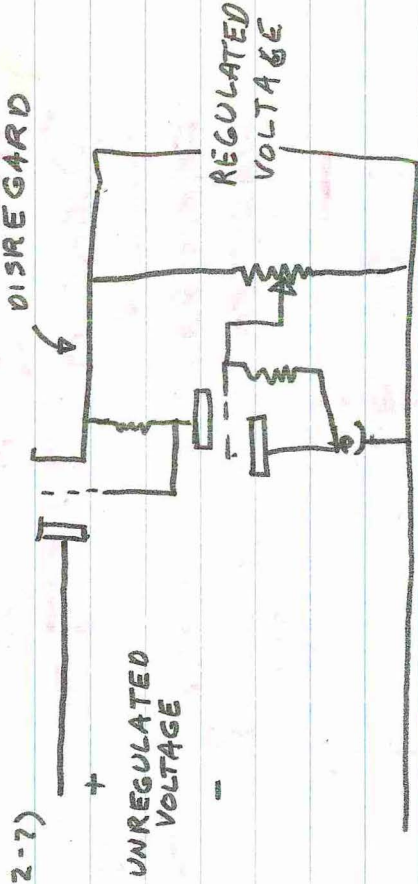
2) TRANS CONDUCTANCE



$1000 \times 20 = 20000$
 $20000 \times 10mV = 0.2V$
 $0.2V / 10k\Omega = 20\mu A$

4-6-70

IDEAL VOLTAGE REGULATOR



FIND $V_2 = F(V_1)$

$$V_2 = V_1 - 2V_5$$

$$V_3 = \frac{5}{25} V_2$$

$$V_4 = V_3 - 5$$

$$V_5 = 100 \left(\frac{5}{25} (V_1 - 2V_5) - 5 \right)$$

$$= 20V_1 - 40V_5 - 500$$

$$V_5 = \frac{20}{41} V_1 - \frac{500}{41}$$

$$V_2 = V_1 - 2 \left(\frac{20}{41} V_1 - \frac{500}{41} \right) = \frac{V_1}{41} + \frac{1000}{41}$$

FOR $V_1 = 35$

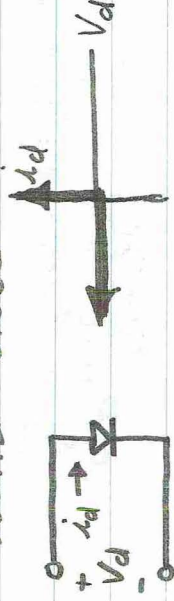
$$V_2 = \frac{1035}{41}$$

$V_1 = 40$

$$V_2 = \frac{1040}{41}$$

$$\frac{dV_2}{dV_1} = \frac{1}{41}$$

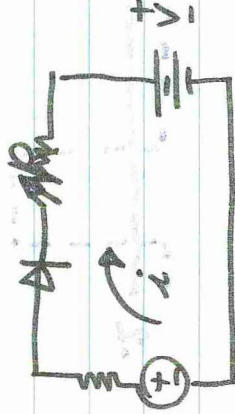
THE IDEAL DIODE



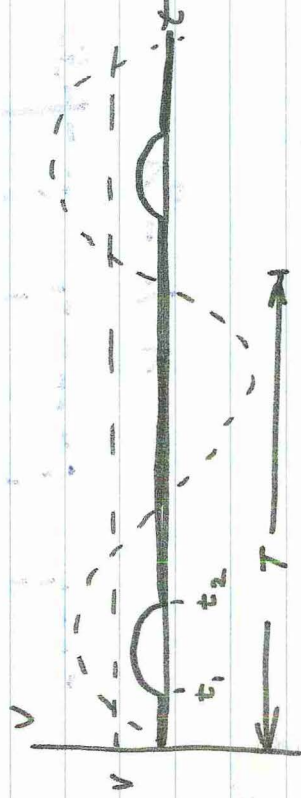
FORWARD BIAS; $V_d = 0$ FOR $i_d > 0$
 REVERSE BIAS; $i_d = 0$ FOR $V_d < 0$

HALF WAVE RECTIFIERS ARE NEAT

BATTERY CHARGERS ARE ALSO NEAT



$$\bar{i} = \begin{cases} \frac{V_s - V}{R_s + R} & \text{FOR } V_s > V \\ 0 & \text{FOR } V_s < V \end{cases}$$



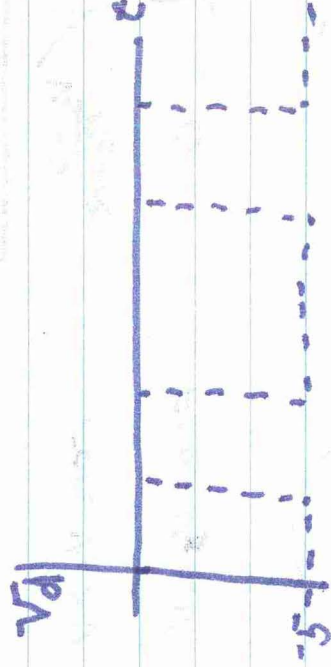
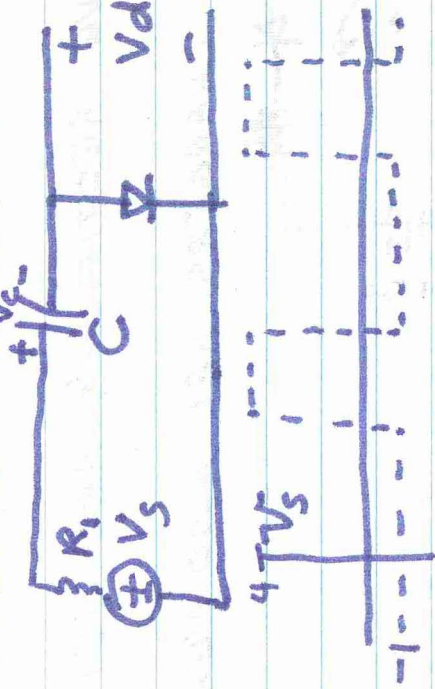
$$I_{AV} = I_{DC} = \frac{1}{T} \int_{t_1}^{t_2} \frac{V_s \sin \omega t - V}{R_s + R} dt$$

$$= \frac{1}{\omega T} \int_{\omega t_1}^{\omega t_2} \frac{V_s \sin(\omega t) - V}{R_s + R} d(\omega t)$$

WHERE $\sin \omega t_1 = \sin \omega t_2 = \frac{V_s}{V_s}$
 $I_{AVE} = \frac{1}{2\pi} \int_{\theta_1}^{\theta_2} \frac{V_s \sin \theta - V}{R_L + R_s} d\theta$

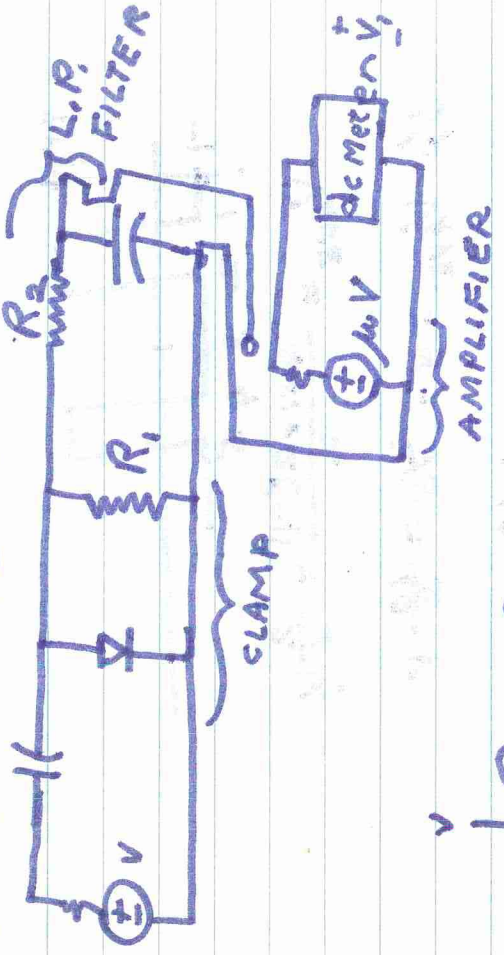
4-8-70

CLAMPING CIRCUIT



$V_C = 4V$

A-C ELECTRONIC VOLTMETER



$$V_{METER} = K |V_1| = K (V_p - V_{AVE})$$

K IS SELECTED SO THAT

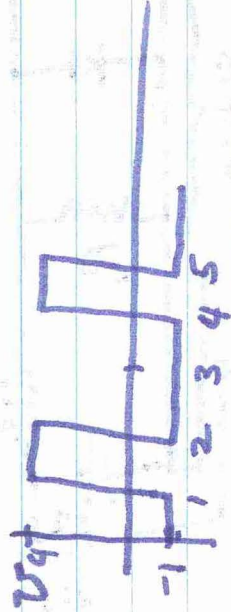
$$V_{METER} = \text{RMS VALUE OF THE A-C PART OF } V$$

FOR $V = V_s \sin \omega t + V_{AVE}$

$$V_{RMS AC} = \frac{V_s}{\sqrt{2}} = 0.707 V_s$$

$$\therefore K = 0.707 \text{ SINCE } V_p - V_{AVE} = V_s$$

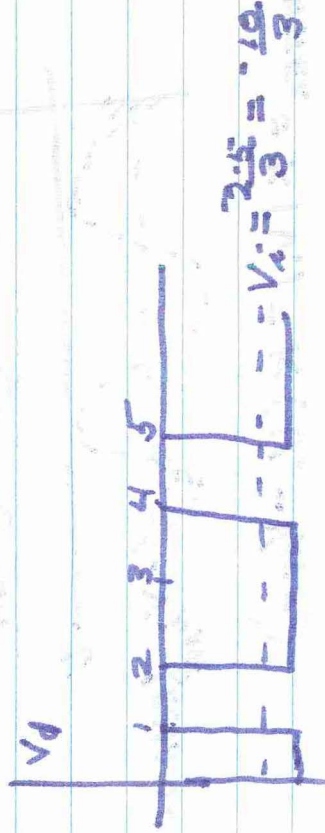
FOR NON-SIN WAVE INPUT



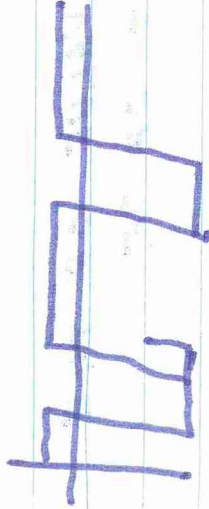
$$V_{AVE} = \frac{4 \times 1 + 2(-1)}{2} = \frac{2}{3} V$$

$$V_P - V_{AVE} = 4 - \frac{2}{3} = \frac{10}{3} V$$

$$V_{METER} = .707 \times \frac{10}{3} = 2.357 V$$



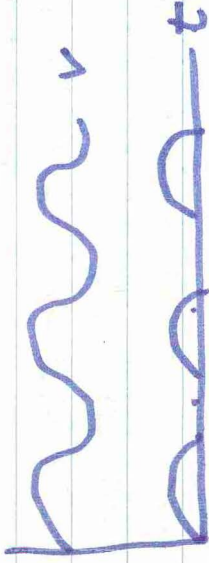
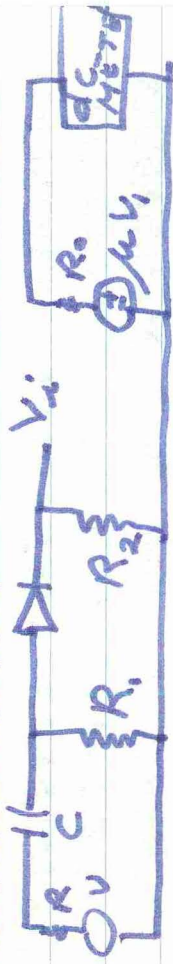
IF WAVE IS TURNED OVER



$$V_{AVE} = -\frac{2}{3}$$
$$V_P - V_{AVE} = 1 + \frac{2}{3} = \frac{5}{3}$$

$$V_{METER} = .707 \times \frac{5}{3} = 1.178 V$$

A PEAK ABOVE AVERAGE METER



PEAK TO PEAK VALUE METER ARE FASCINATING

4-13-70

TRANSFER RATIO



$$\frac{V_2}{V_1} = \frac{j\omega C}{j\omega C + R_0} = \frac{1}{1 + j\omega R_0 C}$$

A SYSTEM FUNCTION

1) $\omega = 0 \rightarrow$ d.c. CASE

$$\frac{V_2}{V_1} \Big|_{dc} = 1$$

$$\frac{V_2}{V_1} \Big|_{\omega=10^5} = 10^{-4}$$

NEW TERMS IN CHAPTER 3

1) FORWARD BIAS - EASY DIRECTION OF CURRENT (AS IN DIODE)

2) REVERSE BIAS - AS VOLTAGE IN A DIODE

3) HALF WAVE RECTIFIER - 

4) P.I.V. \rightarrow PEAK INVERSE VOLTAGE (DIODE BREAKDOWN VOLTAGE)

5) DIODE LIMITER - LIMITS OUTPUT VOLTAGE

6) PEAK RECTIFIER - KEEP CONSTANT VOLTAGE OUTPUT, BY USE OF A CAPACITOR

7) DIODE DEMODULATOR - SPECIAL RECTIFIER TO GET ENVELOPE

8) DIODE CLAMP - MOVE MAX OR MIN TO V=0

9) VOLTAGE DOUBLER - CLAMPER WITH A PEAK RECTIFIER

10) FULL WAVE RECTIFIER -

TWO HALF STEP RECTIFIER
11) BRIDGE RECTIFIER - FULL WAVE RECTIFIER

12) FILTER CAPACITOR 

13) BLOCKING CAPACITOR 

3-14)

(SEE SCHEMATIC)

a) $V_2 = V_1 - 2V_5$

$V_5 = 100V_4$

$V_4 = V_3 - 5$

$V_3 \approx 5/25V_2$

PLUG; CHUG

$V_2 = V_1 - 2 [100 (\frac{1}{2} V_2 - 5)]$

$= V_1 - 40V_2 + 1000$

$V_2 = \frac{1}{41} V_1 + \frac{1000}{41}$

b) $\Delta V_2 = \frac{dV_2}{dV_1} \Delta V_1 = \frac{\Delta V_1}{41}$

c) $V_2/dc = \frac{37.5 + 10^3}{41} =$

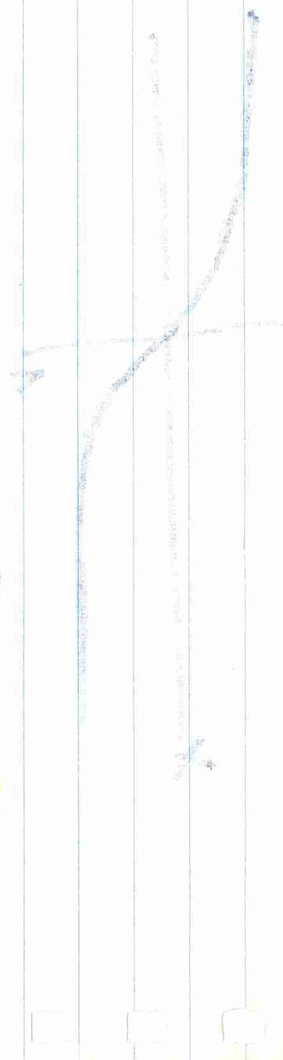
$V_2/ac = \frac{2.5 \sin 2\pi 120t}{41}$

d) WILL FILTER AC COMPONENT

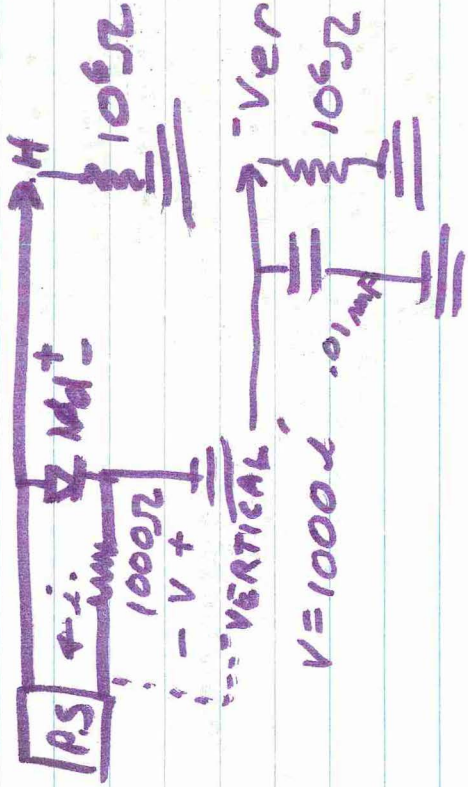
$V_2 = \frac{200}{200} V_1 + \frac{1000}{200} \rightarrow A.C.$

$\Delta V_2 = \frac{\Delta V_1}{200}$

$V_2/ac = \frac{2.5 \sin 2\pi 120t}{200}$



4-15-70 (LAB)

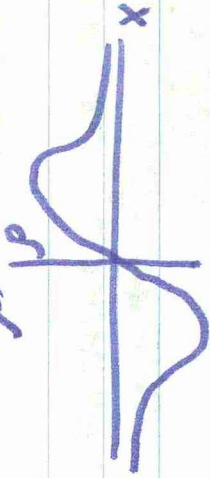


4-17-70

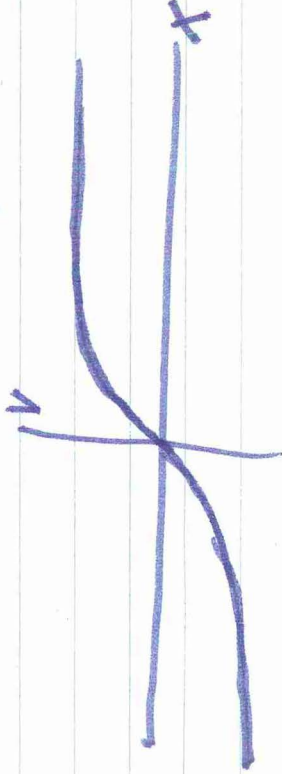
CH. 4

p. 78 PN JUNCTION WITH
NO APPLIED VOLTAGE

▲ $\rho = \text{CHARGE DENSITY}$

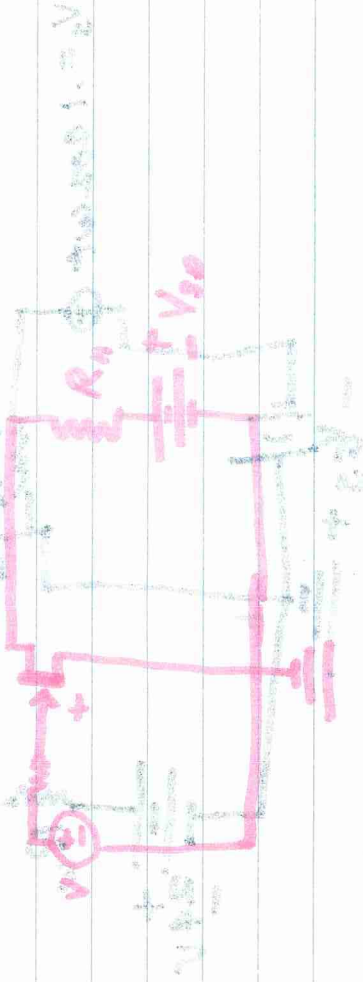


$$\frac{\partial^2 V}{\partial x^2} = \frac{-\rho}{\epsilon}$$



4-20-70

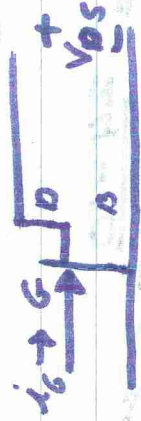
FET AMPLIFIER



n-CHANNEL $V_{GS} = v_{gs}$
 MAJ CARRIER $I_D = I_{DQ}$

4-24-70

FET



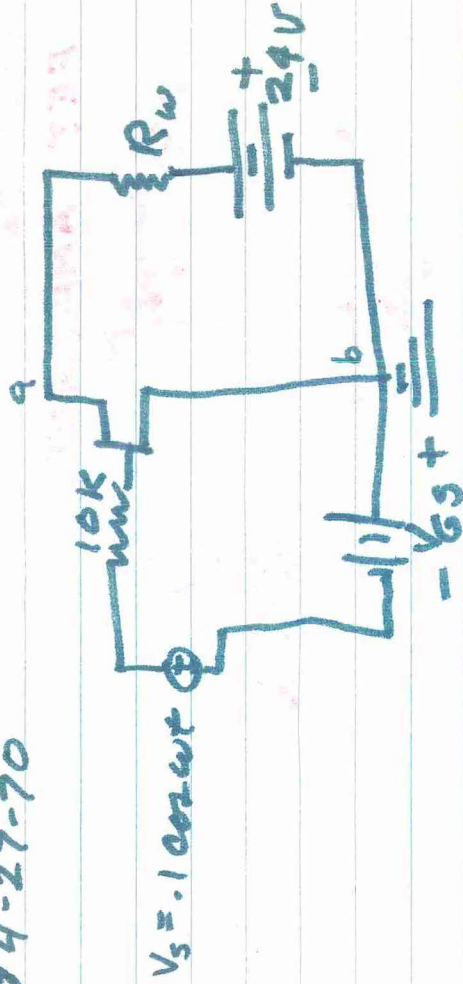
V-i EQUATIONS
 (IN TEXT)

$$I_D = I_{DQ} + i_d$$

$$v_{ds} = V_{DD} - (I_{DQ} + i_d) R_D$$

$$v_{ds} = V_{DD} - I_{DQ} R_D - i_d R_D$$

4-27-70



$$V_p = -5V$$

$$I_{DRSC} = 10mA$$

a) FIND R_D , SO DC OPERATING POINT IS $V_{GS} = 10V$ $I_D = 5mA$

$$V_{ab} = 10V$$

$$R_D = \frac{V_{DD} - V_{GS}}{I_D} = \frac{24 - 10}{5mA} = 2.8K$$

b) FIND V_{GS} VALUE AT THIS POINT

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_p}\right)^2$$

$$I_D = I_{DSS} \left(1 + \frac{V_{GS}}{V_p}\right)^2$$

$$5mA = 10 \left(1 + \frac{V_{GS}}{-5}\right)^2$$

$$V_{GS} = 5(1 - .707) = 1.47V$$

C) FIND AC COMPONENTS OF V_{OS}

$$V_{OS} = V_{DD} - R_d I_{DQ5} - R_d i_{d5}$$

$$= V_{DD} - R_d I_{DQ5} \left(1 - \frac{V_i - V_{GS}}{V_p}\right)^2$$

$$= V_{DD} - R_d I_{DQ5} \left[\left(1 - \frac{V_{GS}}{V_p}\right)^2 - 2\left(1 - \frac{V_{GS}}{V_p}\right) \frac{V_i}{V_p} + \left(\frac{V_i}{V_p}\right)^2 \right]$$

$$= V_{DD} - R_d I_{DQ5} \left(1 - \frac{V_{GS}}{V_p}\right)^2 + DC$$

$$+ 2R_d I_{DQ5} \left(1 - \frac{V_{GS}}{V_p}\right) \frac{V_i}{V_p}$$

$$- R_d I_{DQ5} \left(\frac{V_i}{V_p}\right)^2$$

DC

DISTORTION

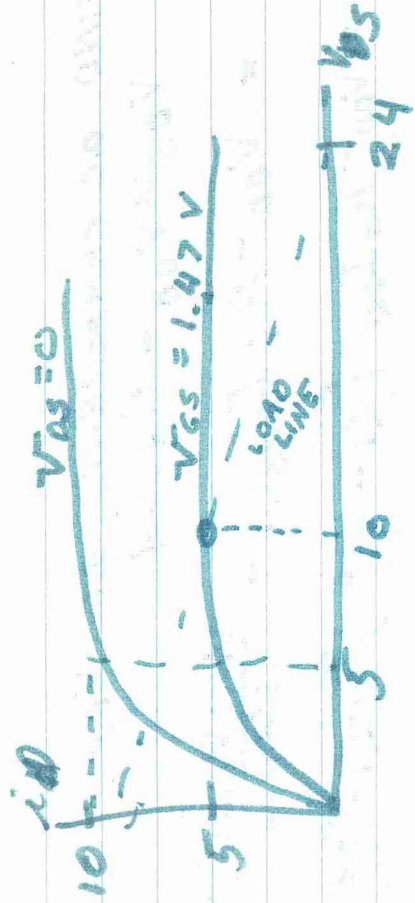
$$= 10 + 2 \times 2.8 \times 10^{-3} (1 - \frac{1.47}{-5})$$

$$\frac{.1 \cos \omega t}{-5} - 2.8 \left(\frac{.1 \cos \omega t}{-5}\right)^2$$

$$= 10 - .594 \cos \omega t - .0112 \left(\frac{1}{2} + \frac{1}{2} \cos 2\omega t\right)$$

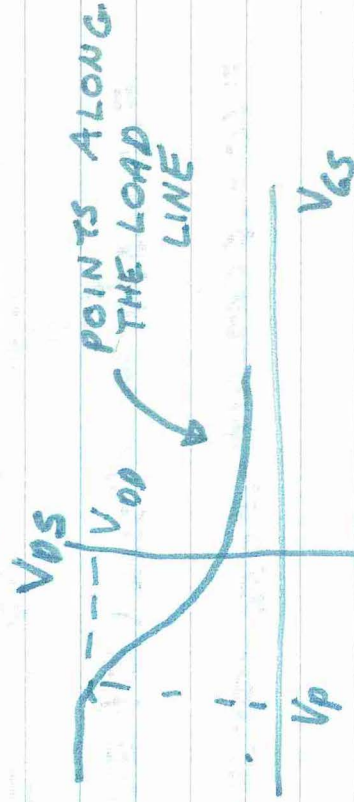
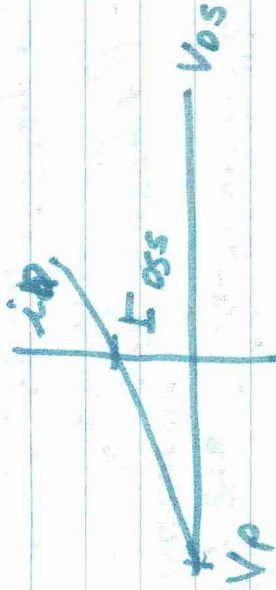
$$= 10 - .6 \cos \omega t - .0056 - .0056 \cos 2\omega t$$

Ans = 10 - .6 cos ωt - .0056 - .0056 cos 2ωt



$P_0 = 10\text{ V} \times 5\text{ mA} = 50\text{ mW}$
OF QUIESCENT PWR

TRANSFER CURVES



$$V_{GS} = V_{00} - i_{DQ} R_d$$

5-1-70

$$-43 = 43 e^{j\pi}$$

$$\ln 4 = \log_e 43 + \ln 0.5 e^{j\pi}$$

$$= \ln 43 + j\pi$$

HARMONIC DISTORTION

$$\text{FIRST HARMONIC} = \frac{2R_d I_{005}}{-V_p}$$

$$D = \frac{-V_1}{4(V_b + V_{GG})} = \text{DISTORTION}$$

INTERMODULATION DISTORTION

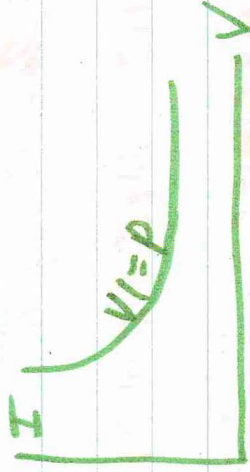
$$D = 0.7 \text{ V}_1$$

EXAMPLE 3.5.1. A class A amplifier is biased at $I_{DQ} = 100 \text{ mA}$ and has a load resistance $R_L = 10 \Omega$. The input signal is $v_i = 0.1 \cos \omega t$. Calculate the average power in the load and the distortion.

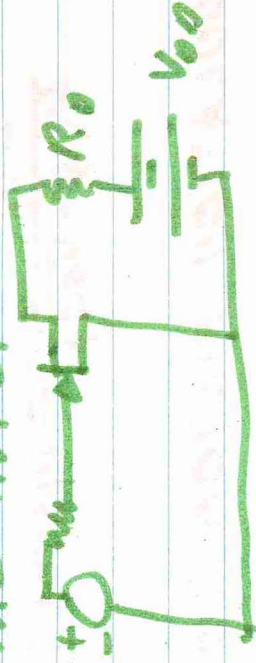
5-4-70

CONSTANT POWER HYPERBOLAS

$$P = VI$$



RELATION BETWEEN QUIESCENT PWR, DISSIPATION AND SIGNAL INPUT



$$i_0 = I_0 + i_d$$
$$V_{os} = V_{os} + v_{ds}$$

D.C. BIAS AC SIGNAL

FROM

$$V_{00} \Rightarrow P_{00} = V_{00} i_d = V_{00} (I_0 + i_d) =$$

$$= V_{00} I_0 = P_{00}$$

IF i_d HAS 0 AVERAGE VALUE

$$\text{IN } R_d \quad P_R = R_d i_D^2 = R_d (I_D + i_{D1})^2$$

$$= R_d I_D^2 + 2R_d I_D i_{D1} + R_d i_{D1}^2$$

NO AVE. VALUE

$$\left. \begin{array}{l} \text{AVER} \\ \text{PWR} \\ \text{IN } R_d \end{array} \right\} P_R = R_d I_D^2 + R_d (i_{D1})^2_{\text{AVE}}$$

P.O.C. A.C.

DRAIN PWR IN FET

$$P_T = V_{DS} i_{D1} = (V_{DD} - R_d i_{D1}) i_{D1}$$

$$= V_{DD} i_{D1} - R_d i_{D1}^2$$

$$= P_{DD} - P_R$$

AVER. PWR. TO THE DRAIN

$$P_T = P_{DD} - P_R$$

5-6-70

[Faint, illegible handwriting on lined paper]

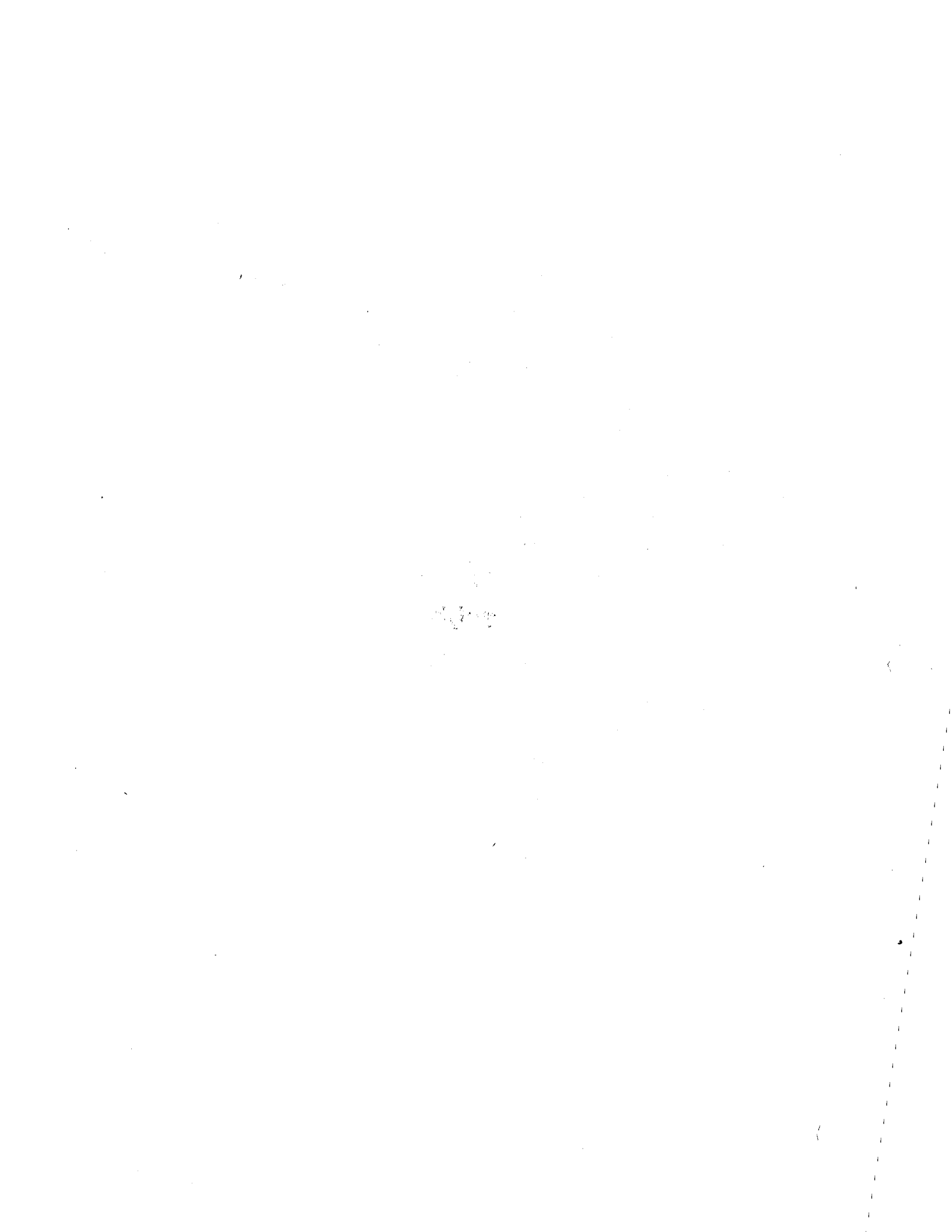
ELECTRONICS I

EE 262

Spring 1970

TEXT: Angelo, Electronics, BJT's FET's & Microcircuits

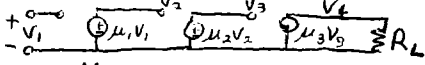
DATE	PAGES	TOPIC	PROBLEMS ASSIGNMENTS
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3	16-19	Special Amplifier Application	2-8
6	25-34	Diode Circuits	3-1,2
8	35-41	Clamping Circuits	3-5,8
10	41-48	Monopulse Circuit	3-7
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17	" Ch.5	P-N Junction	5-1,2
20	105-109	FET	
22	109-117	FET Amplifier	6-2,3
24	117-125	Example Problems	
27	125-132	MOST 6-5,6	
29	132-135	Distortion 6,10	
MAY 1	135-141	Power Relations 6-11	
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6		MID TERM EXAM	
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13	161-170	Small Signal Models	
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18		Example Problems	
20	213-236	Physics of BJT	
22	237-243	Graphical Analysis	
25	243-250	Power Relations	
27		Example Problems	
29	257-268	Practical BJT Amplifier	
JUNE 1	269-280	Bias Stabilization	
3	281-292	Small Signal Models	
5	292-299	Hybrid- Model	
8		Example Problems	



● IDEAL V AMP

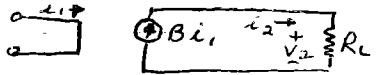


μ -VOLTAGE AMPLIFICATION FACTOR
 $V_2 = \mu V_1$ (VOLTAGE CONTROLLED SOURCE)
 OUTPUT IND. OF CURRENT
 $p = (\mu V_1)^2 / R_L$



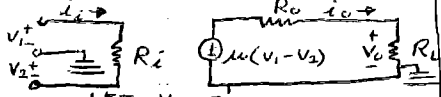
$V_4 = \mu_1 \mu_2 \mu_3 V_1$
 $p = V_4^2 / R_L$

● IDEAL CURRENT AMP



$i_2 = \beta i_1$
 β -CURRENT AMPLIFICATION FACTOR
 $p = (\beta i_1)^2 R_L$

● TRANSISTOR MICROAMPLIFIER

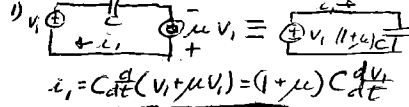


LET $V_2 = 0$
 $V_o = \frac{R_L}{R_o + R_L} \mu V_i$
 $A_v = \text{VOLTAGE GAIN} = \frac{R_L}{R_o + R_L} \mu$
 $A_c = \text{CURRENT GAIN} = \frac{I_o}{I_i} = \frac{V_o / R_L}{V_i / R_i} = \frac{V_o R_i}{R_L V_i} = \frac{R_i}{R_L} A_v$
 POWER DEL TO INPUT
 $P_i = V_i^2 / R_i$
 POWER DELIVERED = $P_o = V_o^2 / R_L$
 POWER GAIN = $P_o / P_i = \frac{V_o^2 / R_L}{V_i^2 / R_i} = \frac{V_o^2 R_i}{R_L V_i^2} = A_c A_v$

● GAIN IN DECIBELS

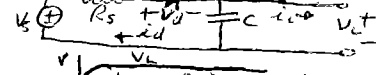
$G = 10 \log_{10} P_o / P_i$
 $= 20 \log \frac{V_o}{V_i} + 10 \log \frac{R_i}{R_L}$
 $A_v = 20 \log V_o / V_i$

● OTHER APPLICATIONS FOR AMPS

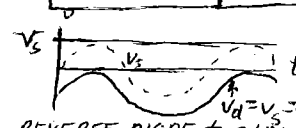
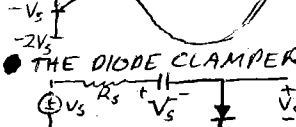
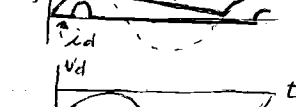


$i_2 = C \frac{d}{dt}(V_1 + \mu V_1) = (1 + \mu) C \frac{dV_1}{dt}$

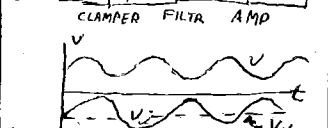
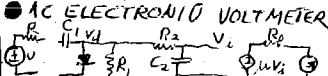
● THE PEAK RECTIFIER AND DIODE DEMODULATOR



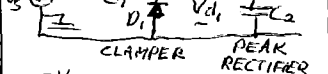
PEAK RECTIFIER WITH RESISTIVE LOAD ACROSS V_L IN ABOVE CIRCUIT (R_L)



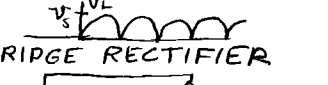
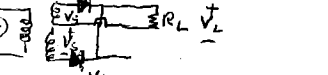
● THE DIODE CLAMPER



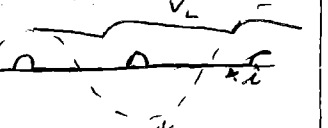
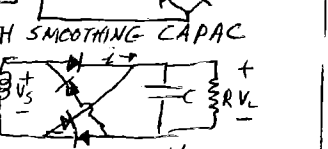
● THE VOLTAGE DOUBLER



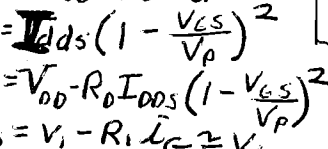
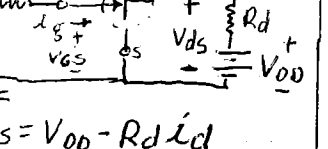
● THE FULL WAVE RECTIFIER



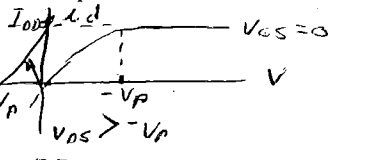
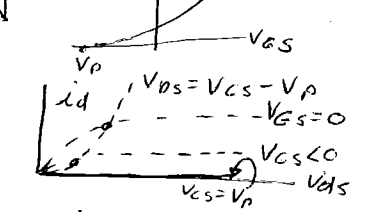
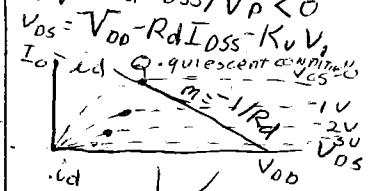
● BRIDGE RECTIFIER WITH SMOOTHING CAPAC



● THE DIODE LIMITER



$V_{DS} = V_{DD} - R_d I_{DSS} + \frac{2R_d I_{DSS} V_i}{V_P}$
 $-K_V = 2R_d I_{DSS} / V_P < 0$
 $V_{DS} = V_{DD} - R_d I_{DSS} - K_V V_i$
 $I_o = I_{DQ}$ (quiescent current)

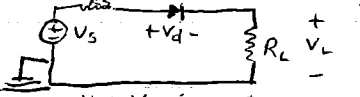


$V_{DS} = V_{DS} - 2K_R (V_{GS} - V_T) V_i \cos \omega t$
 $= -\frac{1}{2} K_R A V_i^2 - \frac{1}{2} K_R A V_i^2 \cos 2\omega t$

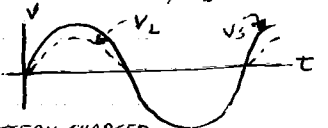
AT $R_D = 0$; $V_{GS} = V_T$

- 2) UNDISTORTED AMPLIFICATION
- 3) RELATED TO DISTORTION
- 4) SECOND HARMONIC

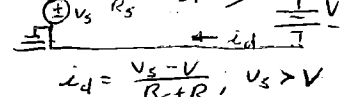
● THE 1/2 WAVE RECTIFIER



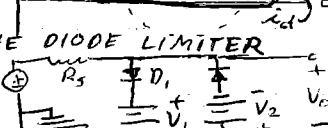
$V_s = V_m \sin \omega t$
 $V_L = \frac{R_L}{R_s + R_L} V_s$; $V_s > 0$
 $= 0$; $V_s < 0$



● BATTERY CHARGER



$i_d = \frac{V_s - V}{R_s + R_L}$; $V_s > V$
 $= 0$; $V_s < V$

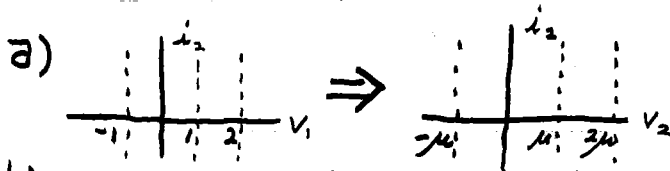
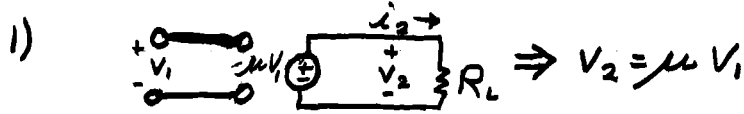


$V_{DS} = V_{DD} - R_d i_d$
 $i_d = I_{DSS} (1 - \frac{V_{GS}}{V_P})^2$
 $V_{DS} = V_{DD} - R_d I_{DSS} (1 - \frac{V_{GS}}{V_P})^2$
 $V_{GS} = V_i - R_i I_G \approx V_i$
 $V_{DS} = V_{DD} + 2R_d I_{DSS} \frac{V_i}{V_P} - R_d I_{DSS} (V_i / V_P)^2$



I) THE IDEAL AMPLIFIER

A) THE IDEAL VOLTAGE AMPLIFIER (VOLTAGE-CONTROLLED SOURCE)



b) μ = VOLTAGE AMPLIFICATION FACTOR

2) OUTPUT VOLTAGE (V_2) IS INDEPENDENT OF OUTPUT CURRENT (i_2)

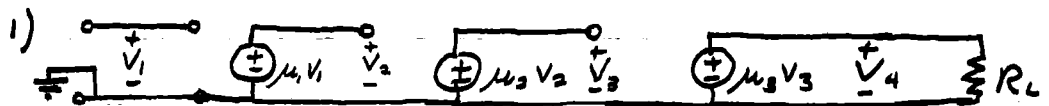
3) THE OUTPUT POWER FROM THE AMP:

a) $P = \frac{[\mu V_1]^2}{R_L}$

b) R_L = LOAD RESISTANCE

c) ANY AMOUNT OF POWER MAY BE DRAWN OUT OF AN IDEAL AMPLIFIER BY PROPERLY CHOOSING R_L

4) CASCADED VOLTAGE AMPLIFIERS



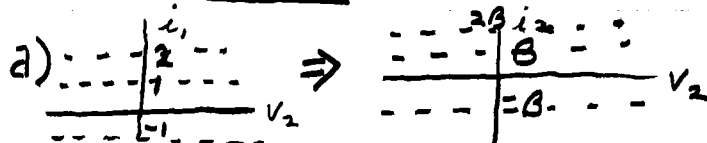
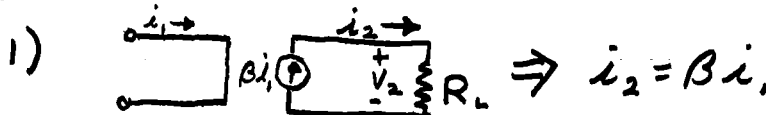
2) OUTPUT VOLTAGE (V_4)

$$V_4 = \mu_1 \mu_2 \mu_3 V_1$$

3) POWER OUTPUT

$$P = \frac{(\mu_1 \mu_2 \mu_3 V_1)^2}{R_L}$$

B) THE IDEAL CURRENT AMPLIFIER (CURRENT CONTR. / CURRENT SOURCE)



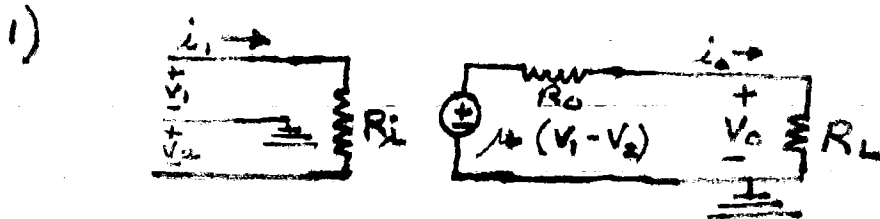
b) β = CURRENT AMPLIFICATION FACTOR

2) OUTPUT CURRENT (i_2) IS INDEPENDENT OF OUTPUT VOLTAGE (V_2)

3) OUTPUT POWER FROM AMP:

$$P = (\beta i_1)^2 R_L$$

C) A PRACTICAL TRANSISTOR MICROAMPLIFIER



2) VOLTAGE ∇ VOLTAGE GAIN (LET $V_2 = 0$)

a) $V_o = \frac{R_L}{R_o + R_L} \mu V_1$

b) $A_v = \frac{V_o}{V_1} = \frac{R_L}{R_o + R_L} \mu$

3) CURRENT ∇ CURRENT GAIN (LET $V_2 = 0$)

a) $i_o = \frac{V_o}{R_L}$; $i_i = \frac{V_1}{R_i}$

b) $A_c = \frac{i_o}{i_i} = \frac{V_o R_i}{R_L V_1} = \frac{R_i}{R_L} A_v$

4) POWER ∇ POWER GAIN (LET $V_2 = 0$)

a) POWER DELIVERED TO INPUT (P_i)

$$P_i = V_1^2 / R_i$$

b) POWER DELIVERED BY AMP (P_o)

$$P_o = V_o^2 / R_L$$

c) POWER GAIN (G)

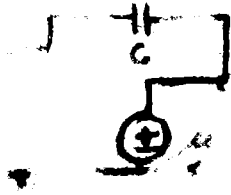
$$G = \frac{P_o}{P_i} = \frac{V_o^2 R_i}{R_L V_1^2} = A_v A_c$$

D) GAIN IN DECIBELS

1) $G_p = 10 \log_{10} \frac{P_o}{P_i} = 20 \log_{10} \frac{V_o}{V_1} + 10 \log_{10} \frac{R_i}{R_L}$
 $= 20 \log_{10} \frac{i_o}{i_i} + 10 \log_{10} \frac{R_L}{R_i}$

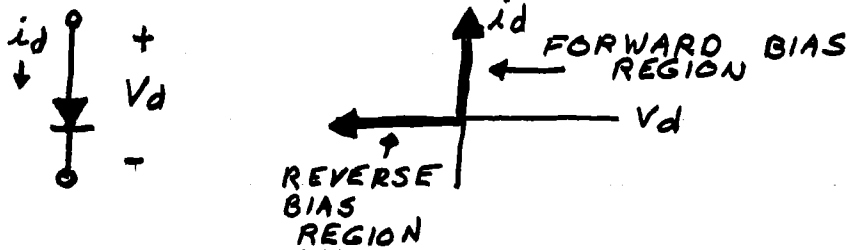
2) $A_v = 20 \log_{10} \frac{V_o}{V_1}$

3) $A_c = 20 \log_{10} \frac{i_o}{i_i}$



II) THE IDEAL DIODE

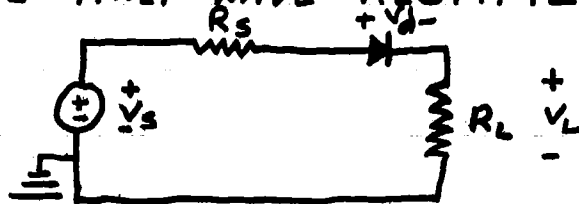
A) CHARACTERISTICS OF THE IDEAL DIODE



1) ACTS AS AN OPEN CIRCUIT WHEN $V < 0$

2) ACTS AS SHORT CIRCUIT WHEN $i > 0$

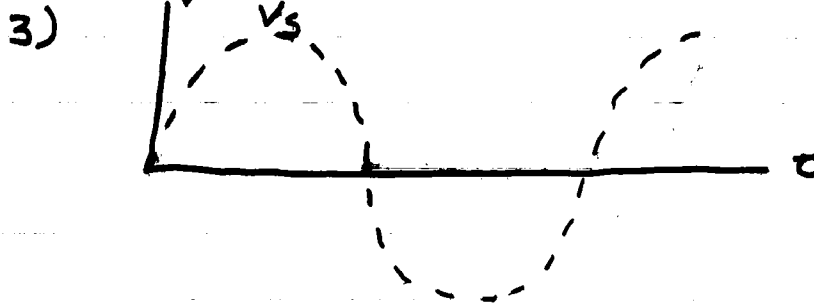
B) THE HALF-WAVE RECTIFIER



$$1) V_s = V_m \sin \omega_s t$$

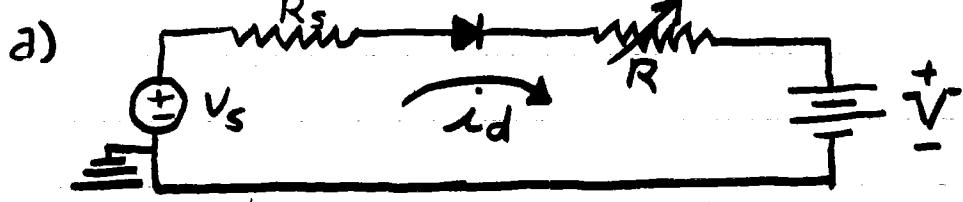
$$2) V_L = \frac{R_L}{R_s + R_L} V_s \quad \text{FOR } V_s > 0$$

$$V_L = 0 \quad \text{FOR } V_s < 0$$



4) RECTIFICATION - THE ACTION BY WHICH THE DIODE GENERATES DIRECT VOLTAGE FROM AN ALTERNATING SOURCE

5) USING RECTIFIER FOR BATTERY RECHARGE

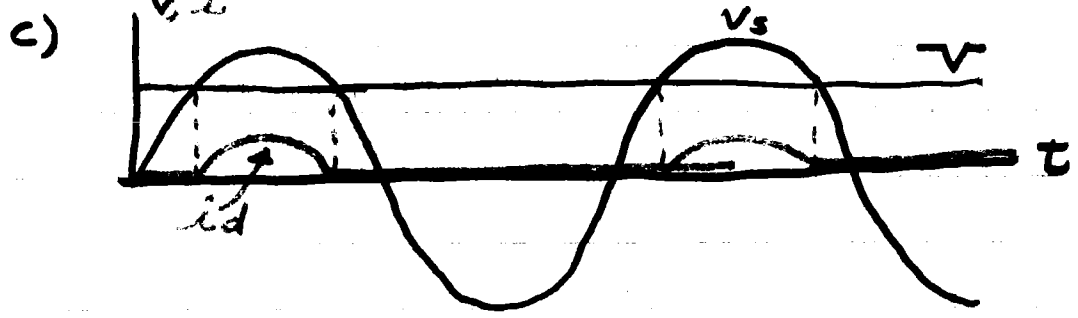


b)

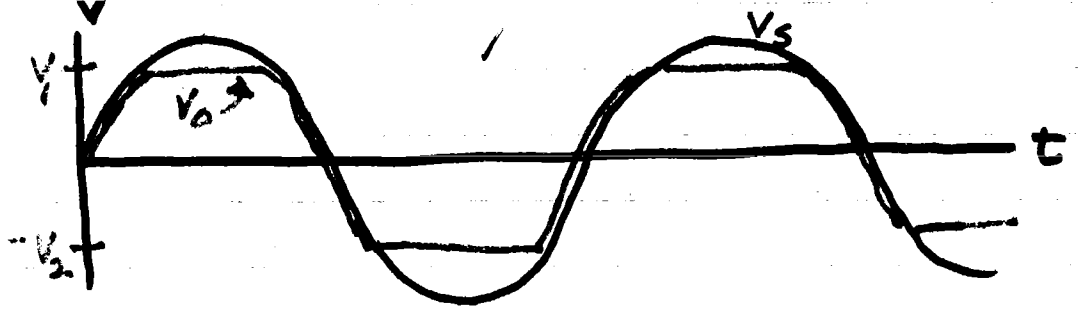
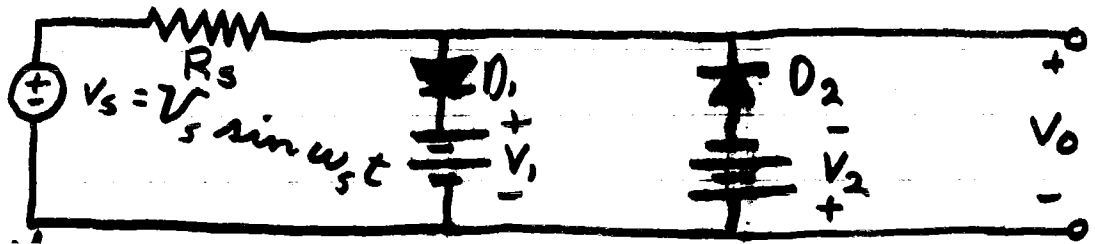
$$i_d = \frac{V_s - V}{R_s + R} \quad \text{FOR } V_s > V$$

$$i_d = 0 \quad \text{FOR } V_s < V$$

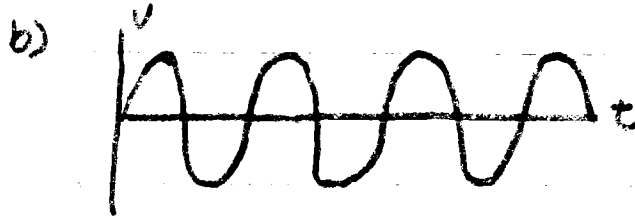
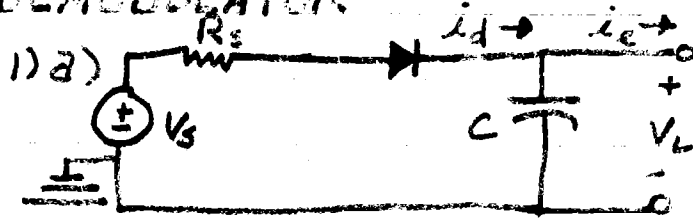
$V_s = V_s \sin \omega_s t$



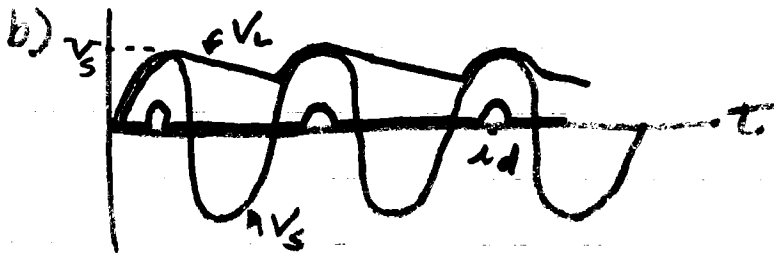
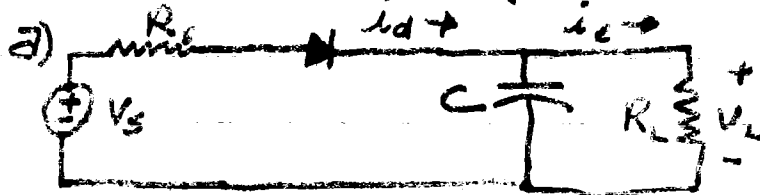
c) THE DIODE LIMITER - RESTRICTING OUTPUT V_o



D) THE PEAK RECTIFIER AND DIODE DEMODULATOR

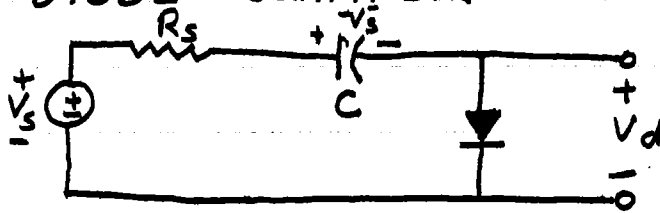


- 2) C CHARGES UP, \neq STAYS CHARGED
 3) IF A RESISTOR IS USED ON LOAD



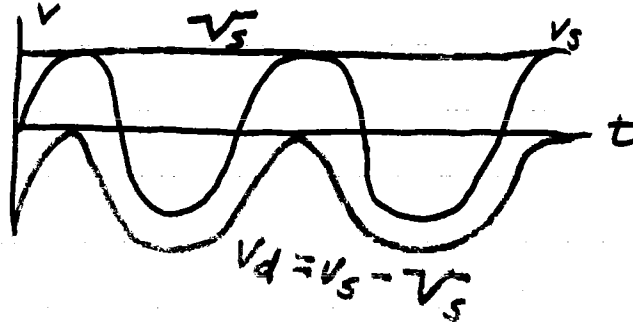
c) CAPACITOR DISCHARGES THRU RESISTOR.

E) THE DIODE CLAMPER



1) IDENTICAL WITH PEAK RECTIFIER, EXCEPT THE POSITIONS OF THE DIODE & CAPAC.

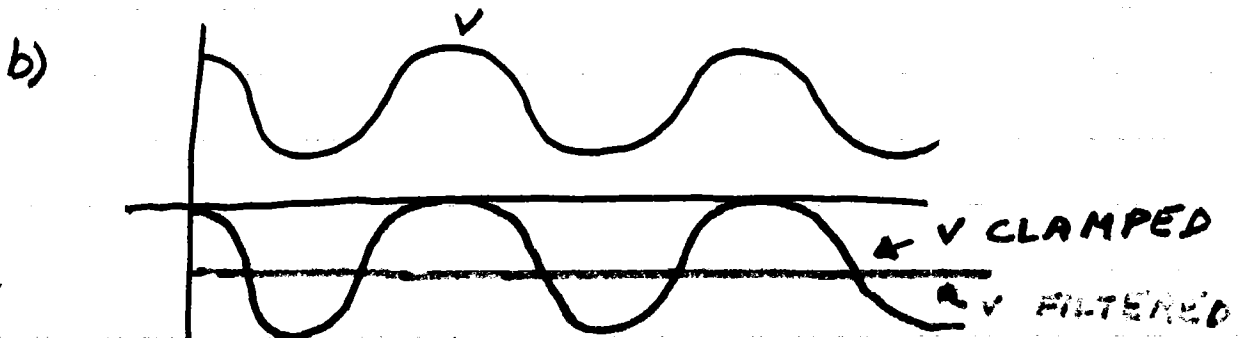
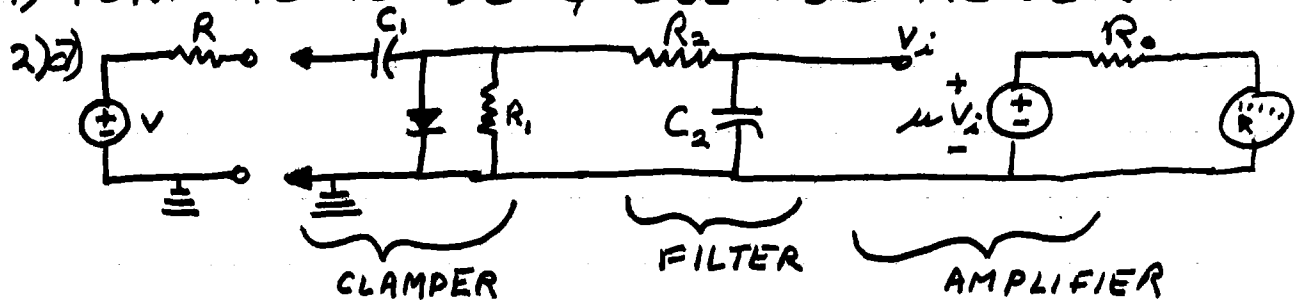
2) $V_d = V_s - V_s$



3) FOR CHANGES IN V_s , PUT SUITABLE RESISTANCE || WITH DIODE, SO CAPACITOR CHARGE MAY DRAIN OFF SLOWLY

F) AN AC VOLTMETER

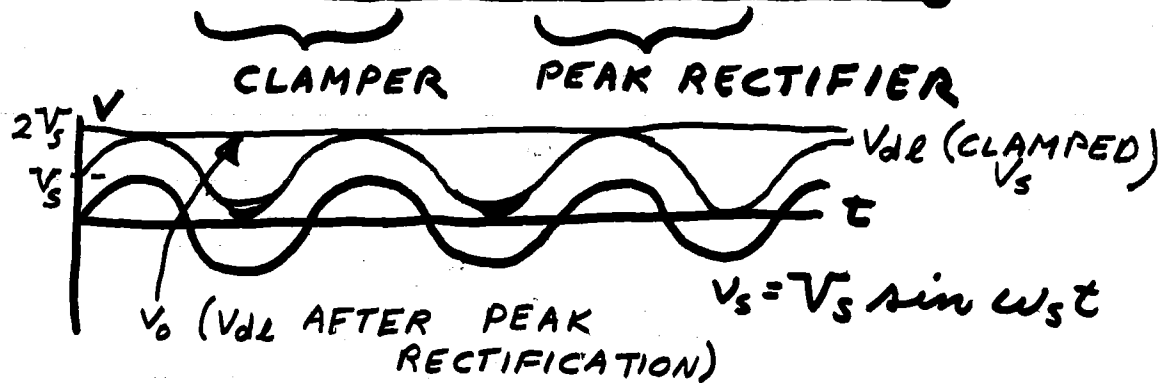
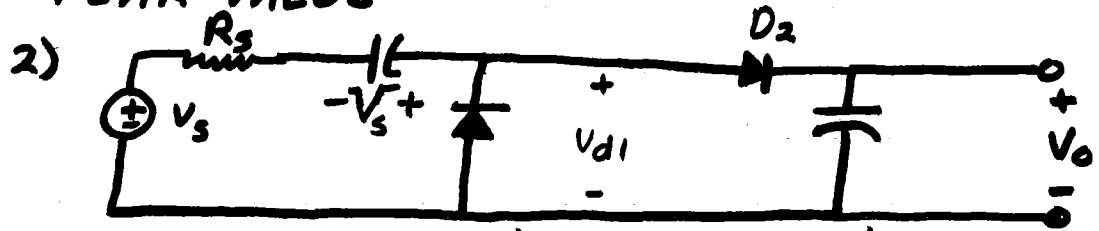
1) TURN AC TO DC & USE DC METER



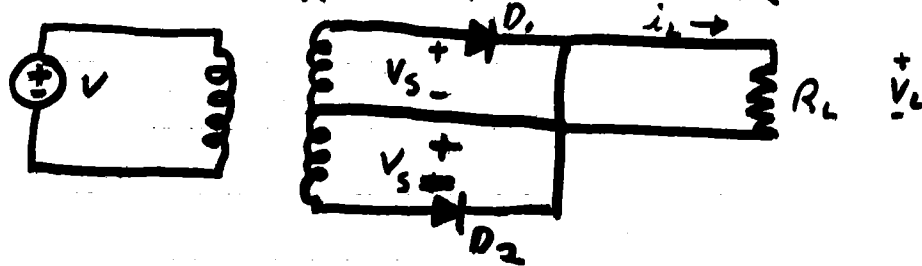
c) METER READS $1/\sqrt{2}$ TIME PEAK ABOVE AVERAGE READINGS (FILTERED V) GIVING RMS VALUE OF V AS A SINUSOID

G) THE VOLTAGE DOUBLER

- 1) TAKES AC INPUT, & DOUBLES ITS PEAK VALUE



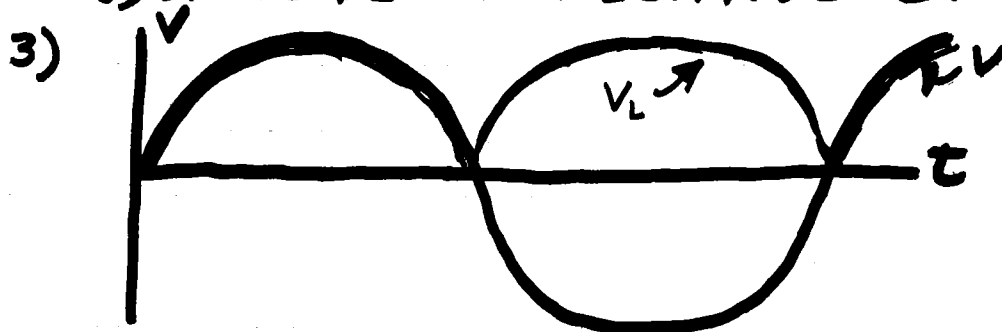
H) THE FULL WAVE RECTIFIER



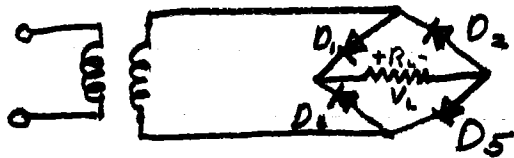
- 1) BASICALLY CONSISTS OF TWO HALF WAVE RECTIFIERS

- 2) WITH SINUSOID INPUT

- a) DURING + HALF OF CYCLE, D_1 ACTS AS SHORT CIRCUIT, D_2 OPEN
- b) OPPOSITE ON NEGATIVE CYCLE



4) THE BRIDGE RECTIFIER



a) WITH SINUSOID INPUT

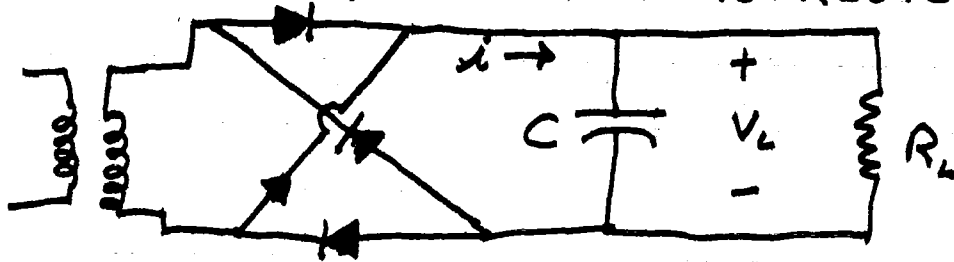
① FOR $V > 0$, $R_L = V_{D2} = V_{D4}$

② OPPOSITE FOR $V < 0$

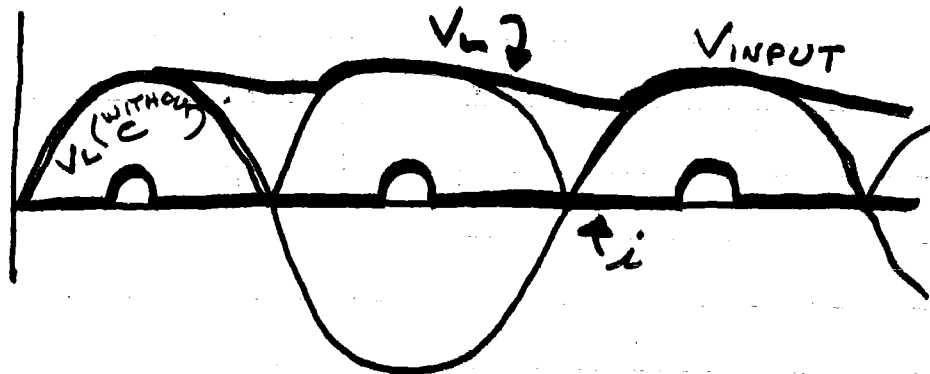
b) HAS SAME OUTPUT OF FULL-WAVE RECTIFIER

5) BRIDGE RECTIFIER WITH SMOOTHING CAPAC.

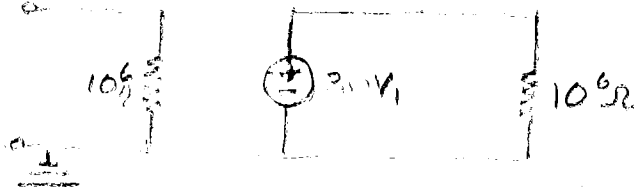
a) (PUT CAP || WITH LOAD RESISTOR



b) SMOOTHS OUT $V-t$ CURVE

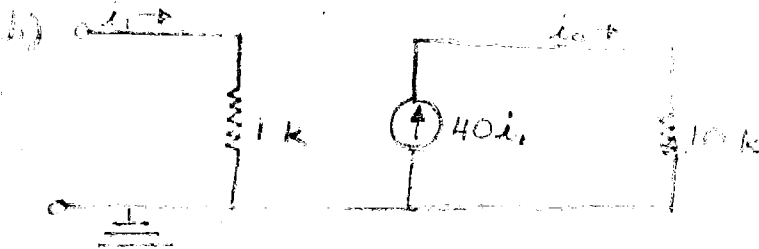


2-1) a)



$$A_v = 20 \log_{10} 30 = 20(1.478) = 29.56 \text{ dB}$$

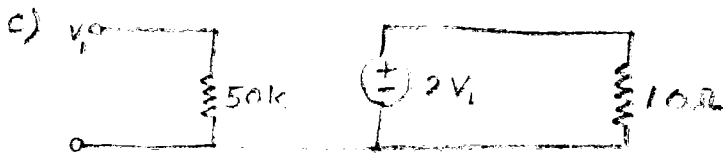
$$R_i = R_o = G_p = A_v = 29.56 \text{ dB}$$



$$A_i = 20 \log_{10} 40 = 20(1.602) = 32.04 \text{ dB}$$

$$G_p = 10 \log_{10} \frac{P_o}{P_i} = 10 \log_{10} \frac{I_o^2 R_o}{I_s^2 R_i} = 20 \log_{10} \frac{I_o}{I_s} + 10 \log_{10} \frac{R_o}{R_i}$$

$$G_p = 20 \log_{10} (40) + 10 \log_{10} 10 = A_i + 10 = 42.04 \text{ dB}$$



$$A_v = 20 \log_{10} \frac{V_o}{V_i} = 20 \log_{10} 2 = (20)(0.301) = 6.02 \text{ dB}$$

$$G_p = A_v + 10 \log_{10} \frac{R_i}{R_o} = 6.02 + 30 \log_{10} 5 = 21.6 \text{ dB}$$

$$\begin{aligned}
 d) \quad G_p &= 10 \log_{10} \frac{P_o}{P_i} \\
 &= 10 \log_{10} \frac{V_o^2 R_L}{V_i^2 R_i} \\
 &= 20 \log_{10} \frac{V_o}{V_i} + 10 \log_{10} \frac{R_L}{R_i} \\
 &= A_v + 10 \log_{10} \frac{R_L}{R_i}
 \end{aligned}$$

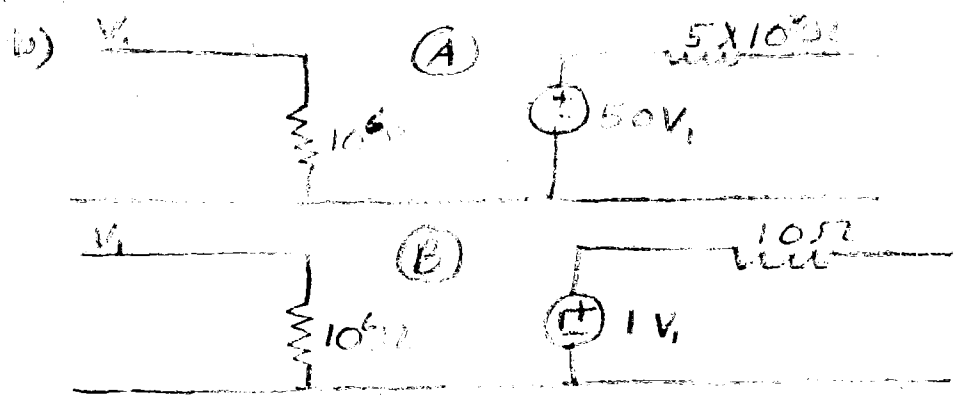
$$\begin{aligned}
 A_v &= G_p + 10 \log_{10} \frac{R_i}{R_L} \\
 &= 42.04 + 10 \log_{10} 10 \\
 &= 52.04 \text{ dB}
 \end{aligned}$$



$$i = \frac{100}{510} = \frac{1}{5.1} \times 10^{-4} = 1.96 \times 10^{-4}$$

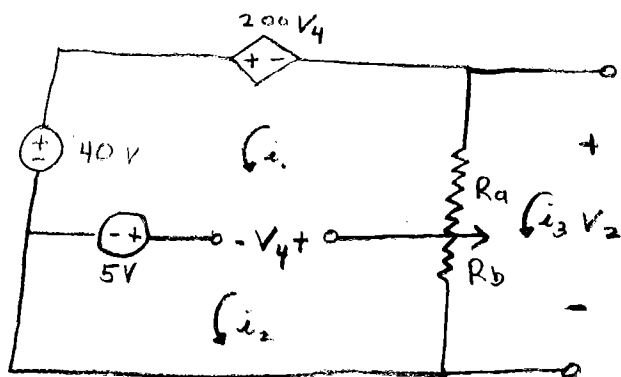
$$P = i^2 R = (1.96)^2 \times 10^{-7}$$

$$= 3.84 \times 10^{-7} \text{ WATTS}$$



$$\sum V_i = 1.01 \text{ V} \quad ?$$

$$i_0 = .1$$



$$V_2 - 40 + 200V_4 = 0 \Rightarrow V_4 = \frac{4}{20} - \frac{V_2}{200}$$

$$40 - 5 - 201V_4 + R_a i_1 - R_a i_3 \Rightarrow V_4 = \frac{35}{201} + \frac{R_a i_1}{201} - \frac{R_a i_3}{201}$$

$$5 + V_4 + R_b i_1 - R_b i_3 = 0 \Rightarrow V_4 = R_b i_3 - R_b i_1 - 5$$

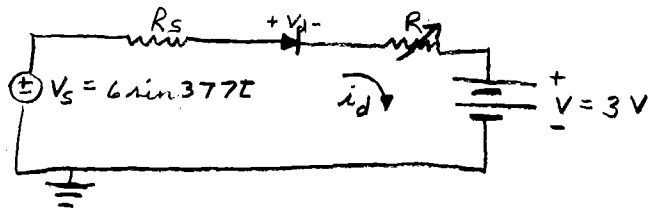
$$(R_a + R_b)(i_3 - i_1) = 0$$

$$R_a + R_b = 2.5 \times 10^4$$

$$\frac{4}{20} - \frac{V_2}{100} = \frac{35}{201} + \frac{R_a i_1}{201} - \frac{R_a i_3}{201} = R_b i_3 - R_b i_1 - 5$$

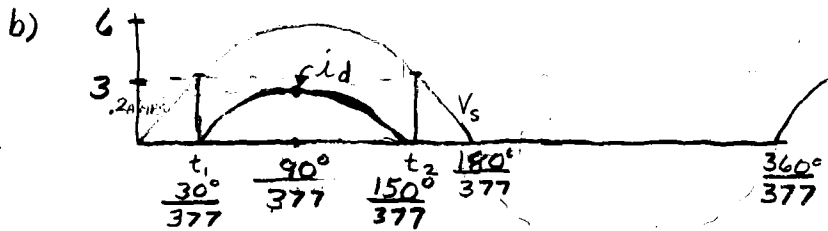


3-1)



$$a) \quad i_{d\text{MAX}} = \frac{6-3}{R+R_s} = 0.2$$

$$R+R_s = \frac{3}{0.2} = 15 \Omega$$



$$i_d = 0 \Rightarrow V_s = 6 \sin 377t = 3$$

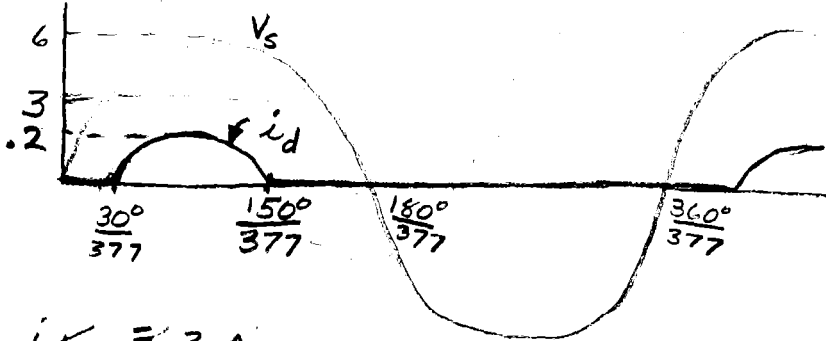
$$\sin 377t = \frac{1}{2} \Rightarrow t = \frac{30^\circ}{377}; \quad t = \frac{150^\circ}{377}$$

$$\frac{120}{360} \times 100\% = \frac{1}{3} \times 100\% = 33\frac{1}{3}\%$$

$$c) \quad V_{s\text{MIN}} = -6$$

$$V_{d\text{MAX}} = +6 + 3 = 9 \text{ V}$$

~~3(2)~~ .2 A 60 SEC = 12 COULOMBS



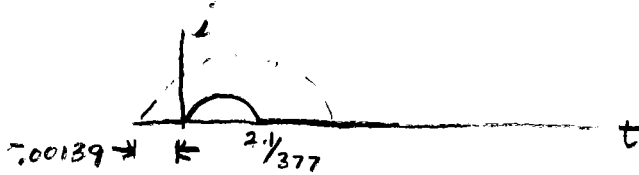
~~$i_{d\text{MAX}} = 3 \text{ A}$
 $T = \frac{240^\circ}{377} \Rightarrow f = \frac{377}{240} \Rightarrow \omega = \frac{2(377)\pi}{240} = \frac{1800}{\pi}$
 $i_d = 3 \sin 566t$~~

$240^\circ = 4.19 \text{ sec}$

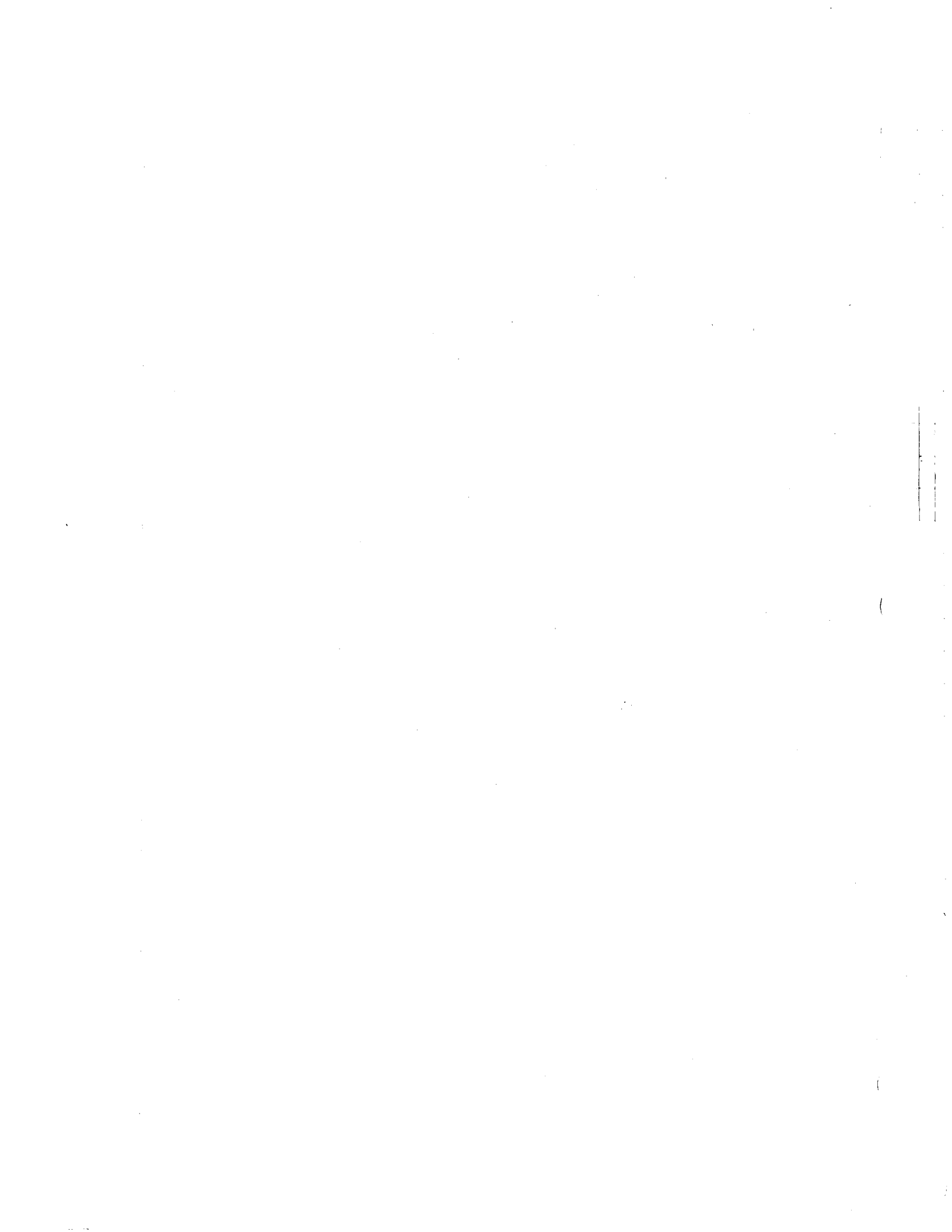
$T = \frac{4.19}{377} = .0111 \text{ sec}$

$f = 90 \Rightarrow \omega = 566$

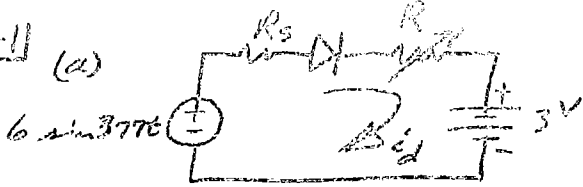
$\therefore i_d = .2 \sin 566t (+.00139) \quad 0 < t < 120^\circ$



$Q = .2 \int_0^{2.1} \dots$



3-1 (a)

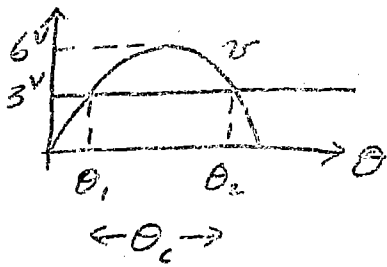


$$I_{d, \text{MAX}} = \frac{V_s - V}{R + R_s} \approx$$

$$0.2 = \frac{6 - 3}{R + R_s}$$

$$R + R_s = \frac{3}{0.2} = 15 \Omega$$

(b)



$$\sin \theta_1 = \sin \theta_2 = \frac{3}{6} = 0.5$$

$$\theta_1 = -\theta_2 + 180^\circ = 30^\circ$$

$$\theta_2 = 150^\circ$$

$$\theta_c = 150^\circ - 30^\circ = 120^\circ$$

the diode conducts $\frac{\theta_c}{360} = \frac{120}{360} = \underline{\underline{33.33\%}}$ of the time.

(c) The peak-inverse voltage appears across the diode when $v = -6$, Then $V_{PIV} = -6 - 3 = -9 \text{ V}$

$$\underline{\underline{P.I.V. = 9 \text{ Volts}}}$$

3-2

The charge removed from the battery is

$$Q = I t = 0.2 \text{ A} \times 60 \text{ sec} = 12 \text{ coulombs}$$

The diode current is $i_d = \frac{6 \sin \theta - 3}{15}$ for $30^\circ \leq \theta < 150^\circ$.

The average charging current is

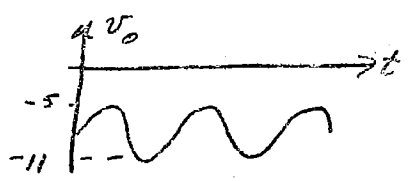
$$I_{d, \text{Ave}} = \frac{1}{2\pi} \int_{\pi/6}^{5\pi/6} \frac{6 \sin \theta - 3}{15} d\theta = \frac{1}{10\pi} \left[-2 \cos \theta - \theta \right]_{\pi/6}^{5\pi/6}$$

$$= \frac{1}{10\pi} \left[2 \frac{\sqrt{3}}{2} - \frac{5\pi}{6} - \left(\frac{\sqrt{3}}{2} + \frac{\pi}{6} \right) \right] = \frac{2\sqrt{3} - \frac{2}{3}\pi}{10\pi} = 43.6 \text{ mA}$$

∴ the recharging time is $T = \frac{Q}{I_{d, \text{Ave}}} = \frac{12}{0.0436} = 275 \text{ sec}$

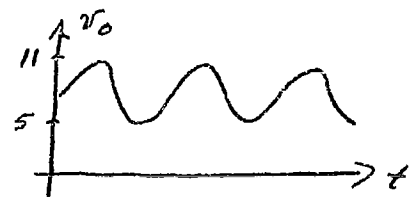
$T = 4 \text{ min}, 35 \text{ sec}$

3-5 | A] (a) The most positive point is clamped to -5 volts



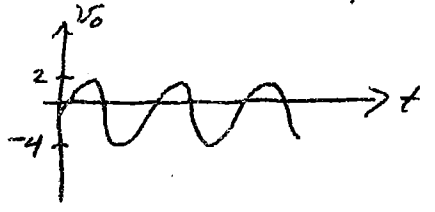
$v_c = 8 \text{ volts}$

(b) The most negative point is clamped to +5 volts

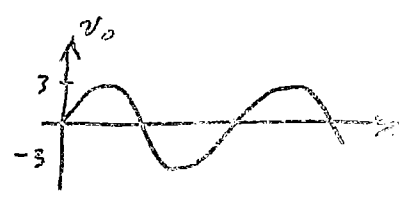
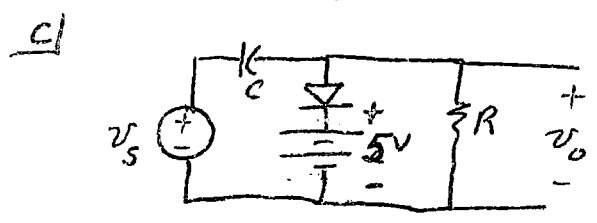
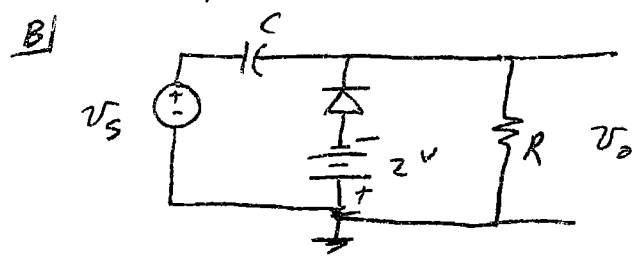


$v_c = -8 \text{ volts}$

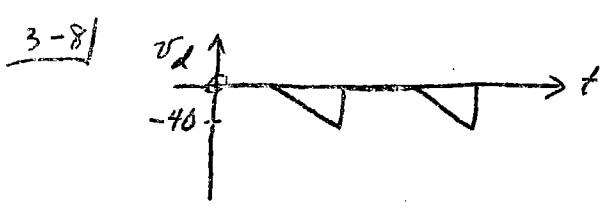
(c) The most positive point is clamped to +2 volts



$v_c = 1 \text{ volt}$



The diode never conducts!



$V_p = 80 \text{ V}$

$V_{Ave} = \frac{80T + 40T + \frac{40T}{2}}{2T} = 70$

$V_{meter} = 0.707 (V_p - V_{Ave})$
 $= 0.707 (80 - 70) = \underline{\underline{7.07 \text{ volts}}}$

OR $|V_p - V_{Ave}| = \left| \frac{-40T}{2 \times 2T} \right| = 10 = V_i, \quad V_{meter} = 0.707 V_i = 7.07 \text{ volts}$

FET CHARACTERISTICS

The purpose of this experiment is to measure the three parameters V_p , I_{DSS} and μ for your junction field-effect transistor.

The approximate relation between drain current I_D and gate-to-source voltage v_{GS} is

$$I_D = I_{DSS} \left(1 - \frac{v_{GS}}{V_p}\right)^2 \quad \left|v_{DS}\right| \gg \left|V_p\right|$$

where I_{DSS} is the drain current with the gate shorted to the source and V_p is the pinch-off voltage. In this equation it is assumed that the drain-to-source voltage is numerically larger than the pinch-off voltage.

Approximate Measurement of V_p and I_{DSS}

Set up the circuit of Figure 1 and obtain data to plot the curve as shown.

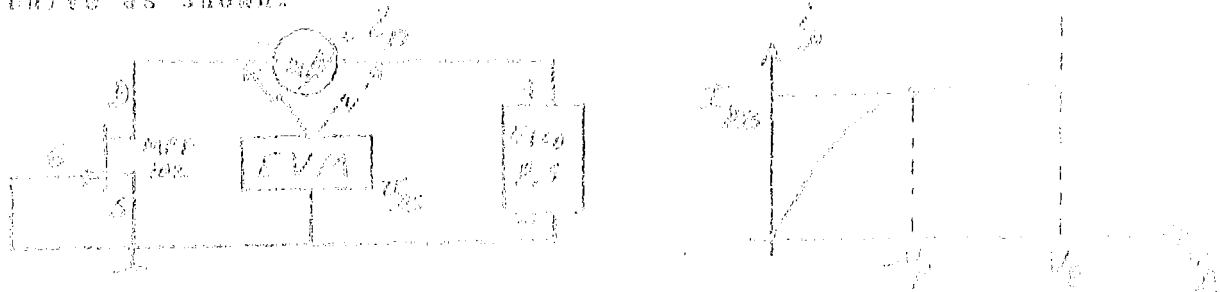


Figure 1

V_p and I_{DSS} can be estimated from the point shown on the curve.

More exact measurement.

Set up the circuit of Figure 2 and obtain data to plot the curve as shown. This corresponds to fixing the drain-to-source voltage $v_{DS} = V_{DS}$ as shown in Figure 1 and varying the gate-to-source voltage v_{GS} to vary the drain current i_D . The pinch-off voltage V_P is defined as the v_{GS} value when i_D is reduced to zero. (More practically to some value such as $i_D = 1 \text{ } \mu\text{A}$.)

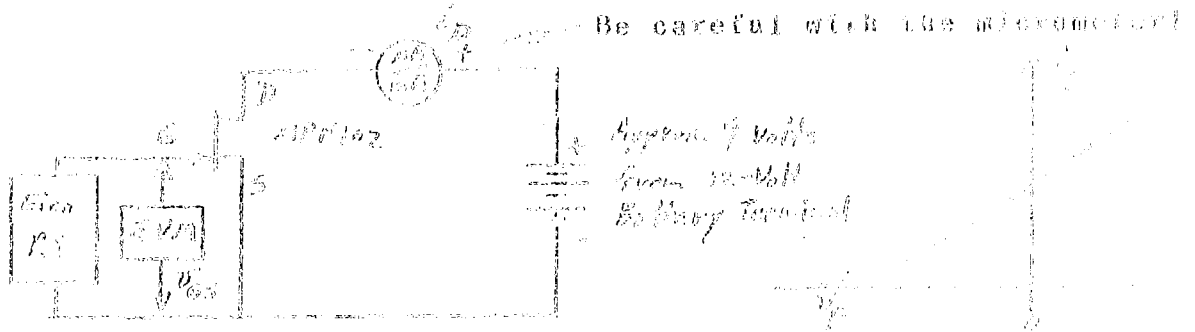


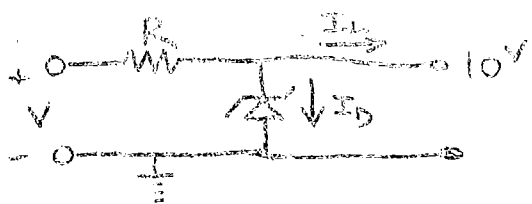
Figure 2

After you have determined the pinch-off voltage V_P in this manner, use the same i_D vs v_{GS} data to plot $\log i_D$ vs $\log (1 - \frac{v_{GS}}{V_P})$ by using log-log paper. If N is a constant, this curve will be a straight line whose slope is N . I_{DSS} can also be obtained from this curve.

EQUIPMENT

MFW102	FET	Electrical Science Kit
HP 410	VVM	On bench
Fico P.S.)	
19-75-300 mA)	check one
100 mA)	
Lead box)	

5-1)



$$20 \leq V \leq 25$$

$$V_D = 10V$$

$$I_D > 1 \text{ mA}$$

$$P_D < 250 \text{ mW}$$

a) I_D is max when P_D is max

$$\therefore \text{max } I_D = \frac{250 \text{ mW}}{10V} = \underline{25 \text{ mA}}$$

b) when $V = 25V$ and $I_L = 0$, the drop across R will equal $V_R = RI_D$

$$\therefore R = \frac{V_R}{I_D} = \frac{25-10}{25} = \frac{15}{25} = \underline{.6 \text{ K} = 600 \Omega}$$

c) from circuit: $I_L + I_D = \frac{V_R}{R}$

$$= \frac{20-10}{.6} = \frac{10}{.6} = 16.7 \text{ mA}$$

$$\therefore I_L = 16.7 - 1.0 = \underline{15.7 \text{ mA}}$$

5-2) output at $10V = 30 \text{ mA}$ (see previous circuit)

a) from circuit: $I_L + I_D = V_R/R = 30 + 1 = 31 \text{ mA}$

$$31 \text{ mA} = \frac{20-10}{R} = \frac{10}{R} ; R = \frac{10}{31} = \underline{.322 \text{ K}}$$

$$R = \underline{322 \Omega}$$

b) the worst case is when $I_L = 0$ and $V = 25V$

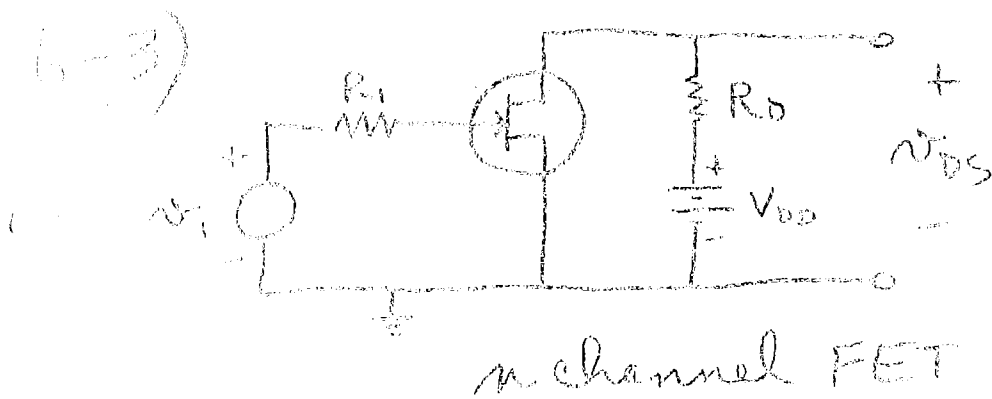
$$P = V_D I_D = (10) \left(\frac{25-10}{.322 \text{ K}} \right) = \underline{465 \text{ mW}}$$

6-2) for a n -channel FET $V_{GS} = 0$ and so the following relation holds

$$V_{DG} = V_{DS} - V_{GS} = 30V$$

$$\text{or } V_{DS} = 30 + V_{GS}$$

$$\begin{aligned} \therefore V_{DS} &= 30 \quad \text{for } V_{GS} = 0 \\ &= 28 \quad \text{"} \quad \text{"} \quad \text{"} = 2V \\ &= 26 \quad \text{"} \quad \text{"} \quad \text{"} = 4V \end{aligned}$$



$I_{DSS} = 5 \text{ mA}$
 $V_D = 25 \text{ V}$
 $V_{GS} = 0 \text{ V}$
 $V_{DD} = 25 \text{ V}$

a) the drop across R_D will be $V_{DD} - v_o$, and the current flowing through R_D is $I_{DSS} = 5 \text{ mA}$

$$\therefore R_D = \frac{25 - 8}{5} = \frac{17}{5} = \underline{3.4 \text{ K}}$$

b) in section 6-3 it was shown that the voltage amplification is equal to $\frac{2\mu V_D}{1 + \mu R_S}$

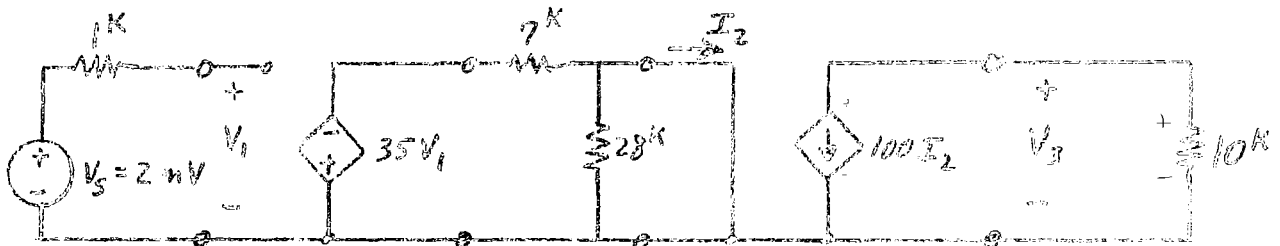
$$\therefore K_v = \frac{(2)(5)(3.4)}{4} = \underline{8.5}$$

EE 262 Electronics I

April 3, 1990

Pop-Quiz No. 1

- a) What is the magnitude and sign of V_3 ?
 b) What is the over-all voltage gain in dB ?



Ideal Voltage Amp.

Ideal Current Amp.

$$I_2 = \frac{35V_1}{28 \times 10^3} = \frac{35(2 \times 10^{-3})}{28 \times 10^3}$$

$$V_3 = I_2(10^4) = \frac{70}{28} \times 10^{-6} \times 10^4 = \frac{70}{28} \times 10^{-2} \text{ V}$$

$$= 2.5 \times 10^{-2} \text{ V}$$

MAG = ~~2.5~~ V SIGN IS ~~NEG~~

$$A_v = 20 \log_{10} \frac{V_{OUT}}{V_{IN}}$$

$$= 20 \log_{10} 35$$

$$I_2 = \frac{35V_1}{7000}$$

$$V_3 = -100 \frac{35V_1}{7000} = -\frac{1}{2} V_1$$

$$A_v = 20 \log_{10} V_3 \left(\frac{-1}{2} V_1 \right) (10^3) = (.5 \times 10^{\frac{4}{3}}) \text{ V}$$

$$A_v = 20 \log_{10} 5 \times 10^2$$

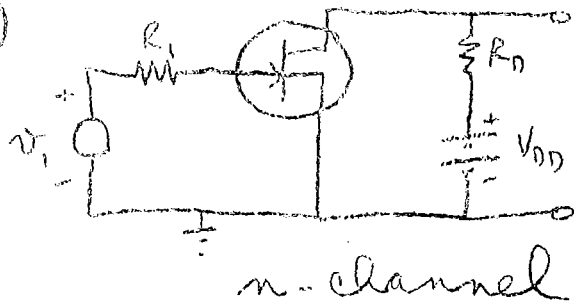
$$= 400 \log_{10} 5$$

$$= 200 \text{ dB}$$

6

4
3

6-5)

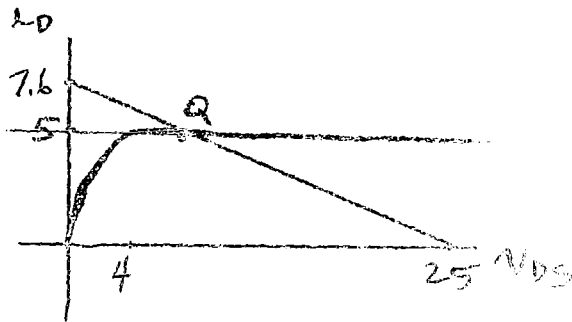


n-channel FET

$I_{DSS} = 5 \text{ ma}$
 $V_P = -4 \text{ V}$
 $R_D = 3.3 \text{ K}$
 $R_i = 5 \text{ K}$
 $V_{DD} = 25 \text{ V}$

a) for $v_{GS} = 0$, $I_D = I_{DSS} = KV_P^2$
 $K = \frac{5 \text{ ma}}{16} = 3.12 \times 10^{-4}$

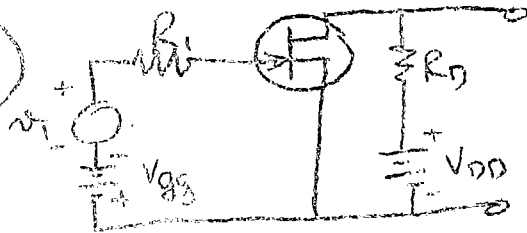
I_D	v_{DS}
0	0
0.312 ma	1.25
1.25	2.5
2.81	3.75
5.0	> 4



b) for load line: x-intercept = $V_{DD} = 25 \text{ V}$
 y-intercept = $\frac{V_{DD}}{R_D} = \frac{25}{3.3} = 7.6 \text{ ma}$

c) at Q: $I_D = 5 \text{ ma}$
 $v_{DS} = V_{DD} - R_D I_D = 25 - (3.3 \text{ K})(5 \text{ ma}) = 8.5 \text{ V}$

6)

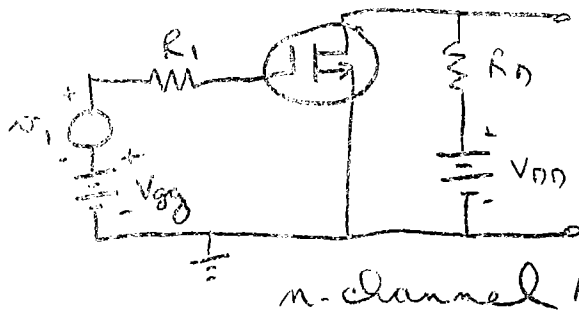


$R_D = 3.3 \text{ K}$
 $R_i = 50 \text{ K}$
 $V_{GS} = 1.75 \text{ V}$
 $V_{DD} = 25 \text{ V}$
 $I_{DSS} = 12 \text{ ma}$
 $V_P = -5 \text{ V}$

a) $I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_P}\right)^2 = 12 (.65)^2 = 5.07 \text{ ma}$
 $v_{DS} = V_{DD} - R_D I_D = 25 - (5.07)(3.3) = 8.3 \text{ volts}$

b) $K_v = \frac{2 I_{DSS} R_D}{-V_P} \left(1 - \frac{V_{GS}}{V_P}\right) = \frac{(2)(12)(3.3)(.65)}{5} = 10.3$

6-10)



$$V_{DS} = V_{DS} - 2KR_D(V_{GS} - V_T)v_1 - KR_Dv_1^2$$

n-channel MOS

a.) for $|v_1| \ll |V_{GS} - V_T|$, the voltage gain will be the coefficient of the v_1 term

$$\therefore K_v = 2KR_D(V_{GS} - V_T) \quad (\text{positive})$$

b.) $K = .3 \text{ ma}/v^2$, $V_T = 3V$, $V_{DD} = 25V$

$V_{DS} = 6V$, $I_D = 2.7 \text{ ma}$

$$I_D = K(V_{GS} - V_T)^2; \quad V_{GS} = \sqrt{9} + 3 = \underline{6V}$$

$$R_D = \frac{V_{DD} - V_{DS}}{I_D} = \frac{25 - 6}{2.7} = \frac{19}{2.7} \approx \underline{7K}$$

$$c.) K_v = 2 \times K \times R_D \times (V_{GS} - V_T)$$

$$= (2)(.3)(7)(6 - 3) = \underline{12.6}$$

THE NATIONAL INSTITUTE OF STANDARDS AND TECHNOLOGY

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1. To establish and maintain a national system of metrology

- 1. To establish and maintain a national system of metrology
- 2. To coordinate and uniform the standards of weights and measures throughout the United States, and to coordinate with the standards of other countries
- 3. To investigate and report on the state of the science and technology of metrology, and to advise the Secretary of Commerce on the subject
- 4. To investigate and report on the state of the science and technology of standards, and to advise the Secretary of Commerce on the subject
- 5. To investigate and report on the state of the science and technology of standards, and to advise the Secretary of Commerce on the subject
- 6. To investigate and report on the state of the science and technology of standards, and to advise the Secretary of Commerce on the subject
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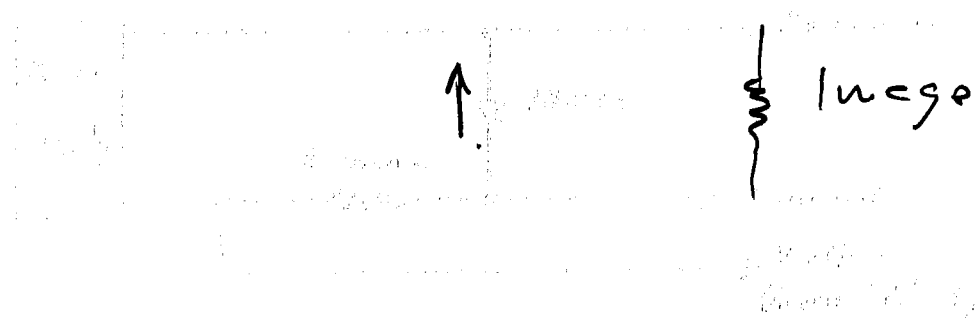




Figure 2

Results

1. The demand characteristics of the demand curve are not significantly lower ($p < 0.05$) than the supply curve.
2. In the current data set, increasing expenditures for the supply curve of voting, can the difference be explained by the existence of linear relations in the data. A comparison of the demand characteristics $D = \log_2 \frac{1}{1-p}$ and $S = \log_2 \frac{1}{1-p}$ results.

References

Stat. supply
 IR 2009 slide
 D = 1000 obs, 1 var
 S = 1000 obs, 1 var
 Var: D
 CRP, type 500 in house
 D = 1000 obs, 10 var
 Lead var

JFET AMPLIFIER

The purpose of this experiment is to use the junction field effect transistor (JFET) in a simple amplifier circuit.

Selection of V_{GS} and R_D

Use your transistor data from the previous experiment to select V_{GS} so that $I_D = 2$ mA when no v_i signal is present.

Select R_D so that V_{DS} is approximately 5 volts.

Set up the circuit of Figure 1 and verify that $I_D = 2$ mA and $V_{DS} = 5$ volts.

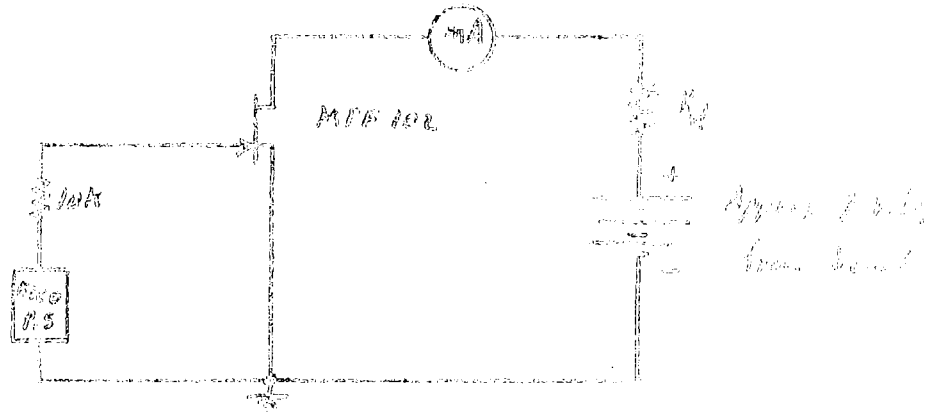


Figure 1

Small-Signal Voltage Gain

Set the output of your H.P. 200 audio oscillator to 1000 Hz, 0.1 volt, peak as indicated on the CRO and (with the ground side of the oscillator connected to your circuit ground) connect the oscillator through an 8-microfarad capacitor to the gate of the transistor.

Measure the a-c component of the gate-to-source voltage (which should be 0.1 volt) and the a-c component of the drain-to-source voltage. Then the small-signal voltage gain is

$$K_v = \frac{V_{ds}}{V_{gs}}$$

This value can be compared with the theoretical value. However, since your transistor does not behave as a square-law device the K_v formula from the text is not correct. In order to account for the value of N which you measured for your transistor, consider the following analysis

$$v_{DS} = V_{DD} - R_d I_{DSS} \left(1 - \frac{v_{GS}}{V_P}\right)^N$$

where

$$v_{GS} = v_i - V_{GG}$$

then

$$v_{DS} = V_{DD} - R_d I_{DSS} \left(1 - \frac{v_i - V_{GG}}{V_P}\right)^N$$

The small-signal voltage gain can be defined as

$$\begin{aligned}
 K_v &= \left. \frac{\partial v_{DS}}{\partial v_i} \right|_{v_i=0} = -R_d I_{DSS} N \left(1 - \frac{v_i - V_{GG}}{V_P}\right)^{N-1} \left(-\frac{1}{V_P}\right) \\
 &= \frac{NR_d I_{DSS}}{V_P} \left(1 + \frac{V_{GG}}{V_P}\right)^{N-1}
 \end{aligned}$$

which agrees with the text when $N = 2$.

DISCUSSION

Increase the oscillator voltage V_i until a "clipped" voltage wave is observed on the CRO for the v_{DS} waveform. Is this clipping caused by "cut-off" or "saturation" of the transistor current?

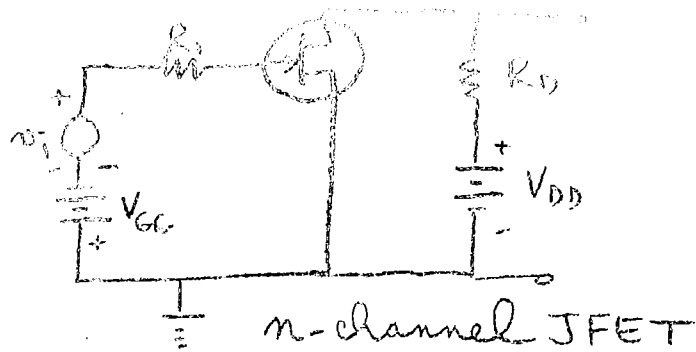
Also observe the change in average current I_D as V_i is varied. Does any change in I_D occur before clipping of v_{DS} occurs?

Change the quiescent operating point by varying the values of V_{GG} and/or R_d and observe the effect of the new operating point on the clipping of the waveform. Can you find a point where the onset of clipping occurs simultaneously for both the positive and the negative voltage peaks? A load-line analysis would be helpful here.

EQUIPMENT:

- MPF 102 (Electrical Science Kit)
- 10K Resistor)
- HP 410 EVM)
- HP 200 Oscillator } on bench
- CRO }
- Gico P.S. 15-75-300 mA } check out
- Load Box - Resistance Subst. Box }

6-12)



$$I_{DSS} = 10 \text{ mA}$$

$$V_P = -4 \text{ V}$$

$$V_{GG} = 2.25 \text{ V}$$

$$V_{DD} = 25 \text{ V}$$

$$R_G = 1 \text{ K}$$

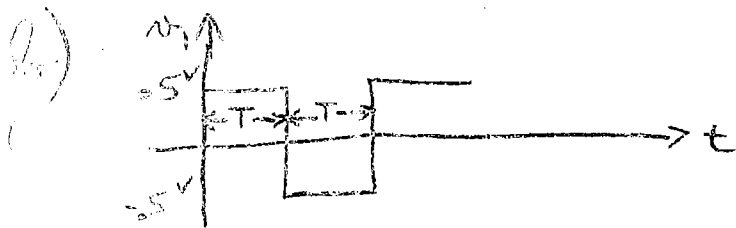
$$R_D = 6.8 \text{ K}$$

a) $P_{TQ} = V_{DS} I_D$

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_P}\right)^2 = 10 \left(1 - \frac{2.25}{4}\right)^2 = 1.91 \text{ mA}$$

$$V_{DS} = V_{DD} - R_D I_D = 25 - (6.8)(1.91) = 12 \text{ V}$$

$$P_{TQ} = (12)(1.91) = \underline{23 \text{ mW}}$$



$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_P} - \frac{v_1}{V_P}\right)^2 = 10 \left(1 - \frac{0}{4} + \frac{v_1}{4}\right)^2$$

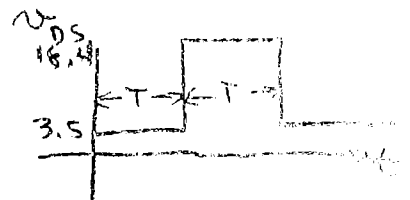
$$= \frac{10}{16} \left(\frac{7}{4} + v_1\right)^2$$

v_1 is either $+0.5$ or -0.5

$\therefore I_D = \underline{3.16 \text{ mA}}$ and $\underline{0.975 \text{ mA}}$

$$V_{DS} = V_{DD} - R_D I_D$$

$\therefore V_{DS} = \underline{3.5 \text{ V}}$ and $\underline{18.4 \text{ V}}$



c) $P_T = \frac{1}{2} (\phi_{T1} + \phi_{T2}) = \frac{1}{2} [(V_{DS})_1 (I_D)_1 + (V_{DS})_2 (I_D)_2]$

$$= \underline{14.5 \text{ mW}} \quad (\angle P_{TQ} = 23 \text{ mW})$$

b) Some circuit and values as before

$$v_i = V_i \cos \omega t$$

$$V_i = \frac{V_{GS} - V_P}{|r_{DS}|} D \quad \text{where } D \text{ is the duty cycle}$$

$$V_i = \frac{-2.25 + 4}{2.5} \cdot 2 = 0.14 \text{ V}$$

$$K_v = \frac{2 I_{DSS} R_D \left(1 - \frac{V_{GS}}{V_P}\right)}{-V_P} = \frac{(2)(10)(6.8)(1 - \frac{-2.25}{-4})}{4} = 14.9$$

$$I_{DS} = I_{DSS} \left(1 - \frac{V_{GS}}{V_P}\right)^2 = 10 \left(\frac{7}{16}\right)^2 = 1.91 \text{ mA}$$

$$V_{DS} = V_{DD} - R_D I_D = 25 - (6.8)(1.91) = 12.7$$

$$P_{DD} = V_{DD} I_D = (25)(1.91) = 47.8 \text{ mW}$$

$$P_P = R_D I_D^2 = (6.8)(1.91)^2 = 24.8 \text{ mW}$$

$$P_T = V_{DS} I_D = (12.7)(1.91) = 24.3 \text{ mW}$$

$$v_i = 0.14 \cos \omega t$$

neglect 2% distortion

$$V_{GS} - K_v V_i = I_D R_D ; I_D = \frac{K_v V_i}{R_D} = \frac{(14.9)(0.14)}{6.8} = 0.307$$

$$I_{D(rms)} = \frac{0.307}{\sqrt{2}} = 0.214$$

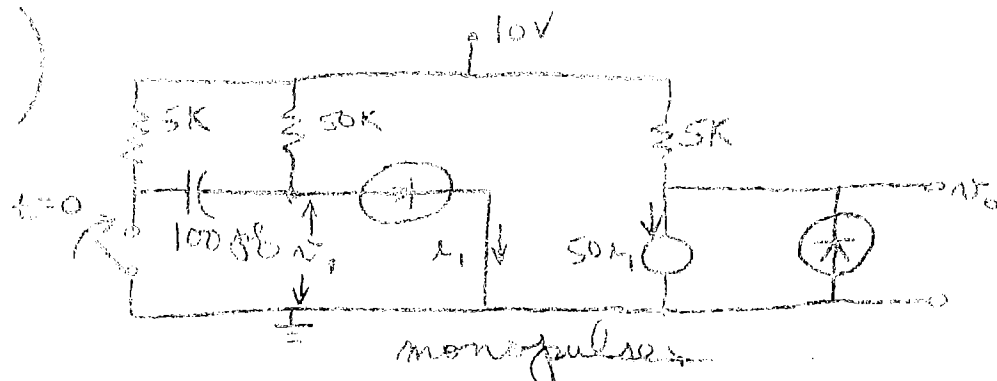
$$P_{P(rms)} = (6.8)(0.214)^2 = 0.31 \text{ mW}$$

$$P_{DD} = V_{DD} I_D = (25)(1.91) = 47.8 \text{ mW} \quad (\text{same as before})$$

$$P_R = P_{DD} + P_{P(rms)} = 47.8 + 0.31 = 48.1 \text{ mW}$$

$$P_T = P_{DD} - P_P \approx 22.7 \text{ mW}$$

Q-10)



$$V_0 = 0.7V$$

$$t_0 = 0$$

the switch is closed at $t = 0$

for $t < 0$, the voltage $v_1 = +0.7 = V_0$
 " " " $v_0 = -0.7 = -V_0$

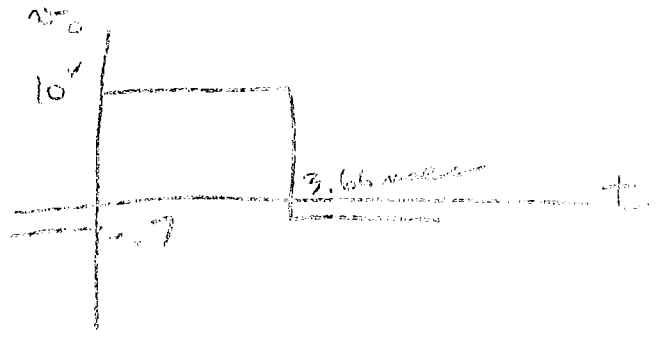
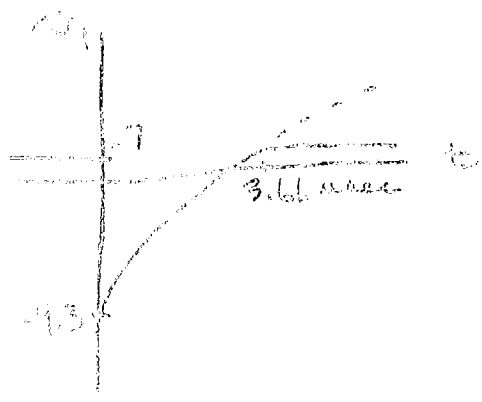
at $t = 0$ the capacitor will charge instantaneously and $v_1 = -(10V - 0.7V) = -9.3V$
 $v_0(t=0)$ will be $+10V$

$$\tau \text{ (time constant)} = RC = (50)(100) = 5000 \text{ nsec}$$

$$t_x = \tau \ln \frac{10 - v_1}{10 - V_0} = 5 \ln \frac{10 + 9.3}{9.3}$$

$$= 5 \ln 2.08 = 3.66 \text{ nsec}$$

∴ after 3.66 nsec the capacitor will discharge to ground and again $v_1 = 0.7V$ and $v_0 = -0.7V$



10. (100 points)

(One page of notes allowed)

1. Periods

10. a) What is the voltage gain of the amplifier?
 b) What is the power gain of the amplifier in dB, where
 Power Gain = (power in 2k)/(power in 10k)?



a) $20 \log_{10} 15 = \underline{\underline{23.52 \text{ dB}}}$

b) $10 \log_{10} \frac{(1520)^2 / 2k}{v_2^2 / 10k} = 10 \log \frac{15^2 \times 10}{2} = 10 \log 1125 = \underline{\underline{30.51 \text{ dB}}}$

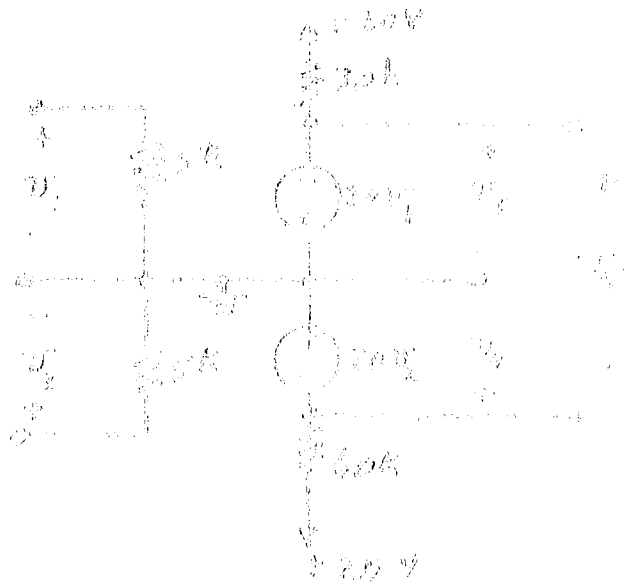
11. An approximate model for a differential amplifier is shown below.

- a) What is the numerical value of v_5 when $v_1 = v_2 = 0.1$ volt?
 b) What is the numerical value of v_5 when $v_1 = +0.1$ volt and $v_2 = -0.1$ volt?

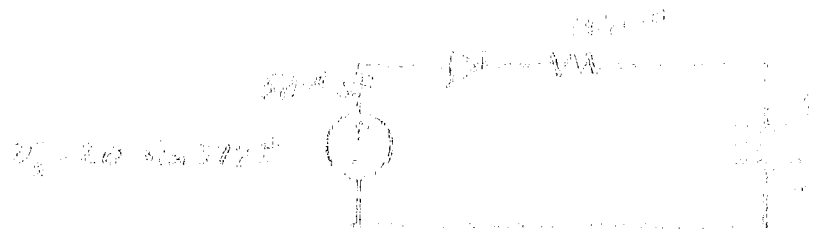
$v_5 = v_3 - v_4$

a) $v_5 = -2 - (-2) = \underline{\underline{0}}$

b) $v_5 = -2 - 2 = \underline{\underline{-4}}$



10. Repeat the peak current calculation for the circuit in Fig. 10.10. What percentage of the time does the diode conduct?

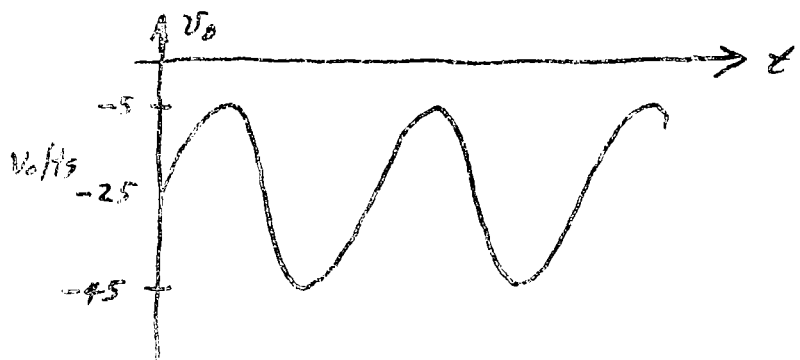
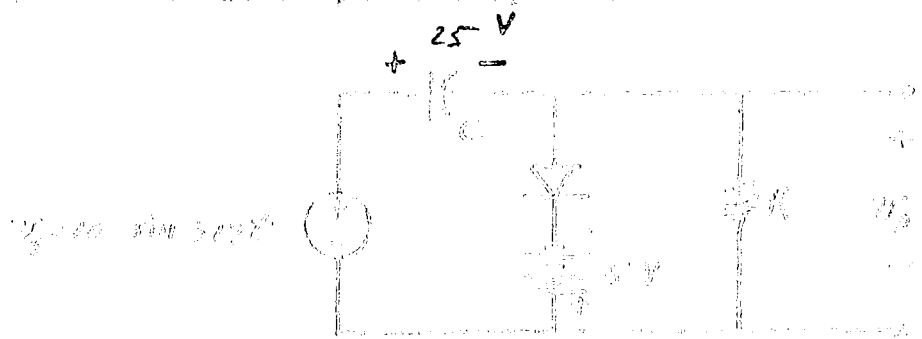


- a) $I_{peak} = \frac{20-6}{200} = \frac{14}{200} = \underline{\underline{70 \text{ mA}}}$
- b) $P_{IV} = 20 + 6 = \underline{\underline{26 \text{ Volts}}}$
- c) $6 = 20 \sin \theta \quad \theta = \arcsin 0.3 = 17.5^\circ$

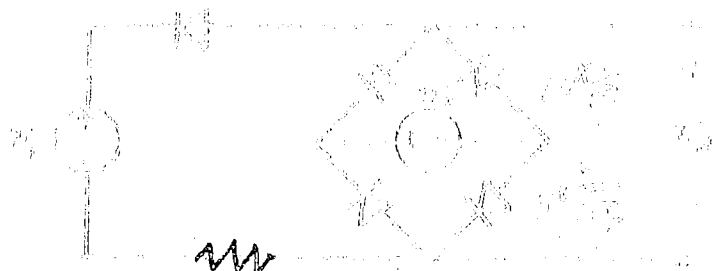
$$\% \text{ Conduction} = \frac{180 - 2 \times 17.5}{360} \times 100 = \underline{\underline{40.2 \%}}$$

11. Assume that $\tau = RC \gg 1/60$ second and that v_s has been present for a long time.

- a) What is the voltage across the capacitor? $20 + 5 = \underline{\underline{25 \text{ Volts}}}$
- b) What is the PIV across the diode? $25 + 20 - 5 = \underline{\underline{40 \text{ Volts}}}$
- c) Sketch the output-voltage waveform.

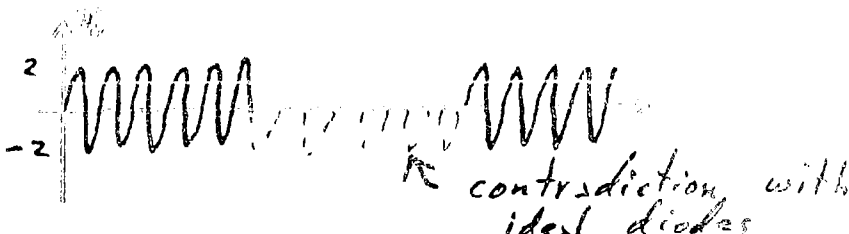
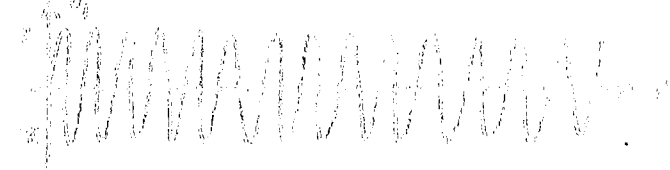


1. The load current i_L is a periodic waveform as shown.



Problem 14.8
continued

Needs series R
but then the p-p
value of v_o would
no longer be 4 volts



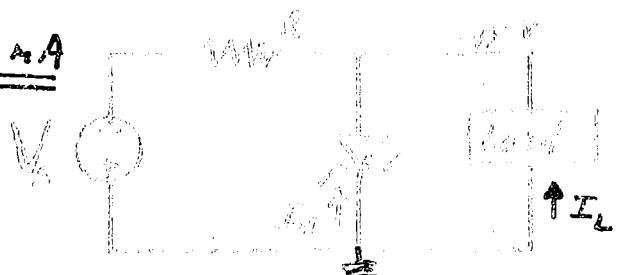
1. The d-c voltage V_o is expected to vary between 25 and 30 volts. The power diode is used to regulate the output voltage at all points. For good regulation the diode current should be greater than 1 mA and the power dissipated in the diode part not exceed 125 mW. Assume that the diode voltage remains constant at 15 volts.

- What is the maximum permissible value of I_L ?
- What value of R should be used to ensure proper circuit operation for "worst case" conditions?
- What is the maximum load current I_L for "worst-case" conditions?

a) $I_{L,max} = \frac{125 \text{ mW}}{15 \text{ V}} = \underline{8 \frac{1}{2} \text{ mA}}$

b) when $I_L = 0$
 $V_o = 30 \text{ Volts}$

$R = \frac{30 - 15}{8 \frac{1}{2}} = \underline{1.8 \text{ k}\Omega}$



c) Poorly worded! The max I_L ~~is~~ which could be guaranteed for load was desired. "Worst case" when $V_s = 25 \text{ V}$ $I = 1 \text{ mA}$

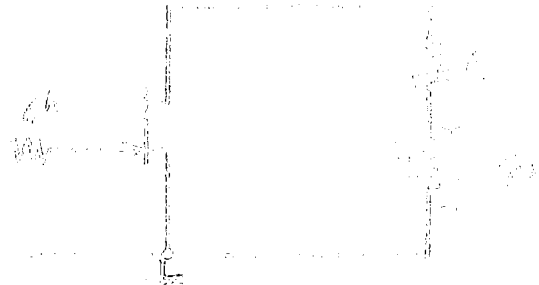
- c) a) Determine the value of R_D if $V_{DS} = 12$ V and $I_D = 6$ mA.
 b) What number is referred to the dissipated power for a value of part (a)?

$I_{DSS} = 6 \text{ mA}$
 $V_p = -6 \text{ Volts}$

a) $I_D = I_{DSS} \left(1 - \frac{V_{DS}}{V_p}\right)^2 = I_{DSS}$

$R_D = \frac{V_{DD} - V_{DS}}{I_D} = \frac{48 - 12}{6 \text{ mA}} = \underline{\underline{6 \text{ k}\Omega}}$

b) $P_T = 12 \times 6 \text{ mA} = \underline{\underline{72 \text{ mW}}}$

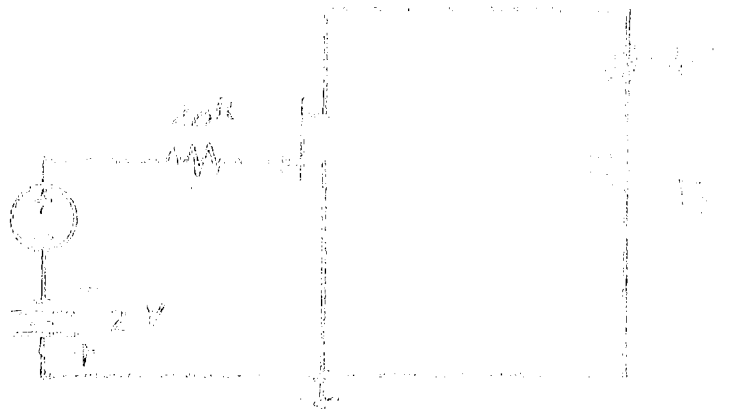


- d. What is the small signal voltage gain $\frac{V_{ds}}{V_i}$ of the amplifier when

$|V_i| \ll |V_p|$?

$I_{DSS} = 6 \text{ mA}$
 $V_p = -6 \text{ Volts}$

gate is grounded



Note: v_{ds} is the signal component of the drain-source voltage

$V_{DS} = V_{DD} - R_D I_{DSS} \left(1 - \frac{V_i - V_{GS}}{V_p}\right)^2 = V_{DD} - R_D I_{DSS} \left[\left(1 + \frac{V_{GS}}{V_p}\right) - \frac{V_i}{V_p}\right]^2$

$v_{DS} = -R_D I_{DSS} \left(1 + \frac{V_{GS}}{V_p}\right) 2 \frac{v_i}{V_p}$

$\left|\frac{V_{ds}}{V_i}\right| = -\frac{2 R_D I_{DSS}}{V_p} \left(1 + \frac{V_{GS}}{V_p}\right) = \frac{2 \times 10^4 \times 6 \text{ mA}}{6} \left(1 - \frac{2}{6}\right) = \underline{\underline{13.3}}$

1. a) What is the voltage-gain of the amplifier, V_2/V_1 , in dB?

b) What is the power gain of the amplifier in dB, where
Power Gain = (power in $2k$) / (power in $10k$)?

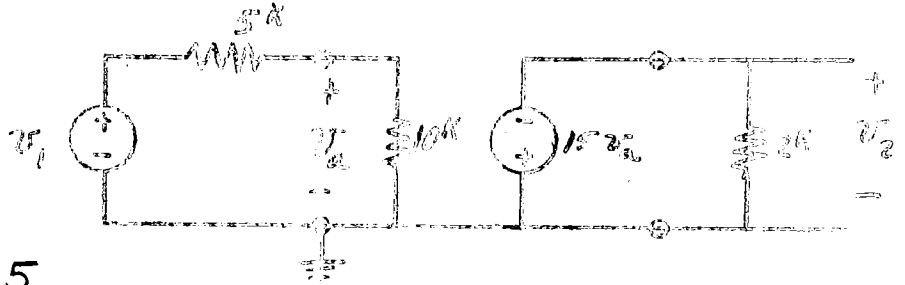
$$V_A = \frac{10}{15} V_1$$

$$\frac{V_2}{V_A} = \frac{15 V_A}{V_A} = 15$$

$$A_V = 20 \log_{10} 15$$

$$= 20 (1.176)$$

$$= 23.52 \text{ dB}$$



5

2. An approximate model for a differential amplifier is shown below.

a) What is the numerical value of v_5 when $v_1 = v_2 = +0.1$ volt?

b) What is the numerical value of v_5 when $v_1 = +0.1$ volt and $v_2 = -0.1$ volt?

$$V_5 = V_3 - V_4$$

$$= (-20V_1) - (-20V_2)$$

$$= -20V_1 + 20V_2$$

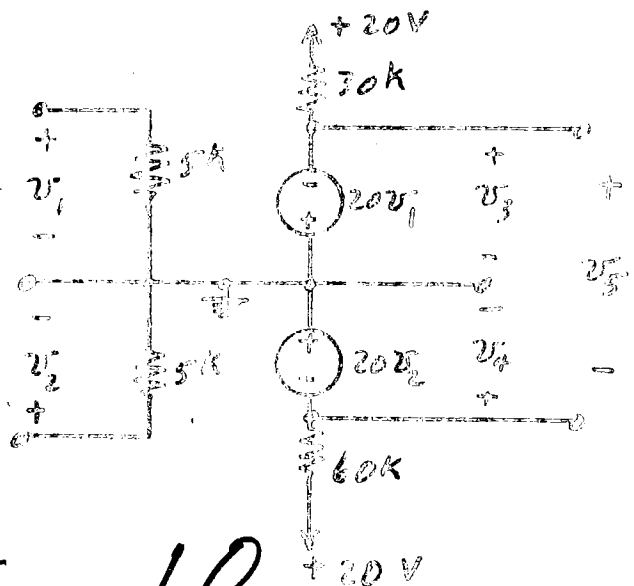
a) $V_1 = V_2 = .1$ VOLTS

$$V_5 = (-20)(.1) + 20(.1)$$

$$V_5 = 0 \text{ VOLTS}$$

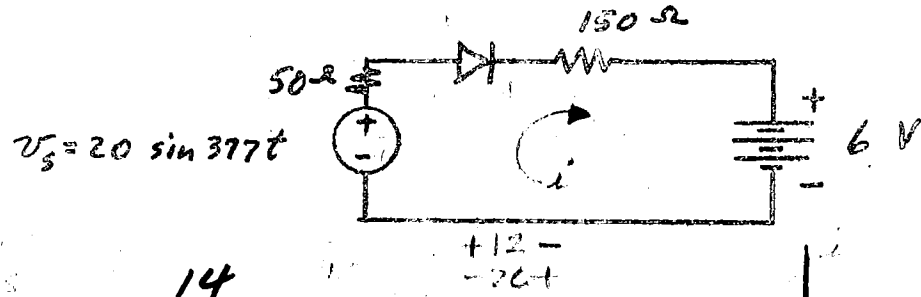
b) $(-20)(.1) + 20(-.1) = V_5$

$$V_5 = -2 - 2 = -4 \text{ VOLTS}$$



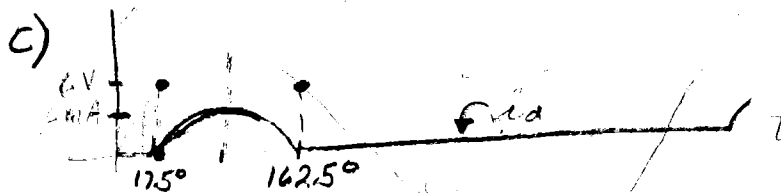
10

- a) What is the peak current in the diode-charger circuit?
 b) What is the peak-inverse-voltage (PIV) across the diode?
 c) What percentage of the time does the diode conduct?



a) $i = \frac{12}{200} = \frac{6}{100} = 6 \times 10^{-3} = 6 \text{ mA}$

b) -26 VOLTS

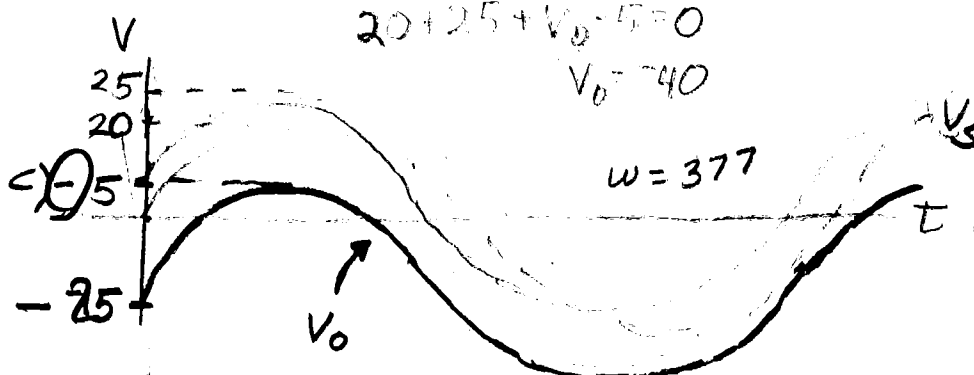
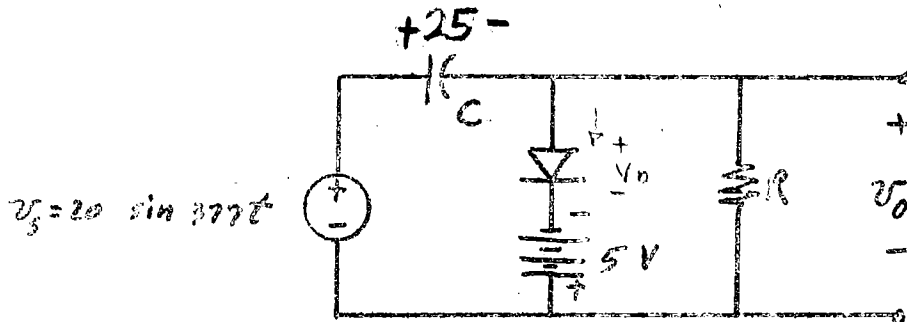


$20 \sin 377t = 6$
 $\sin 377t = 3/10$
 $t = \frac{\sin^{-1} 0.3}{377} = 17.5^\circ$

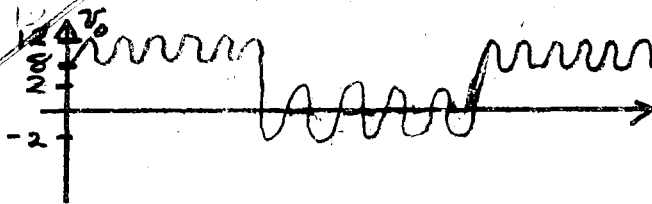
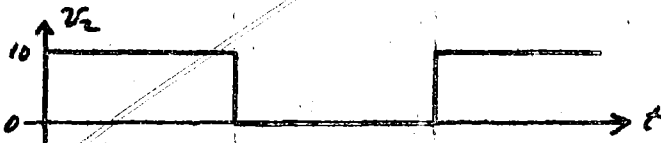
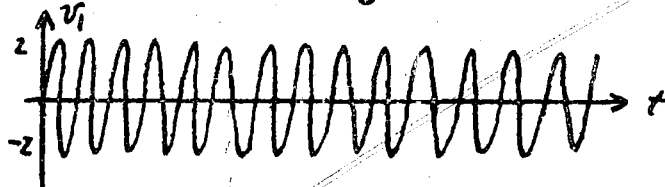
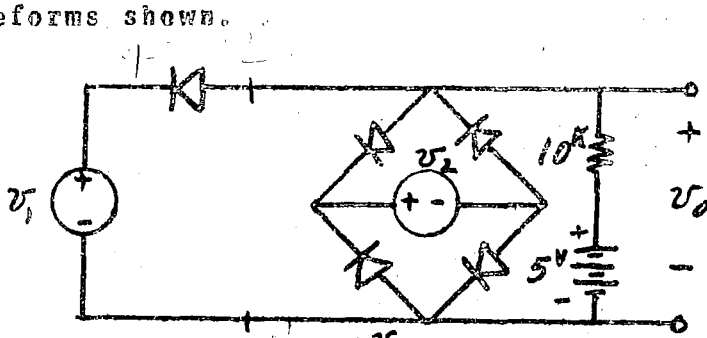
$\frac{162.5 - 17.5}{360} \times 100\% = \frac{145}{360} = 40.3\%$

4. Assume that $\tau = RC \gg 1/60$ second and that v_s has been present for a long time.

- a) What is the voltage across the capacitor? 25 VOLTS
 b) What is the PIV across the diode? 40 VOLTS
 c) Sketch the output-voltage waveform.



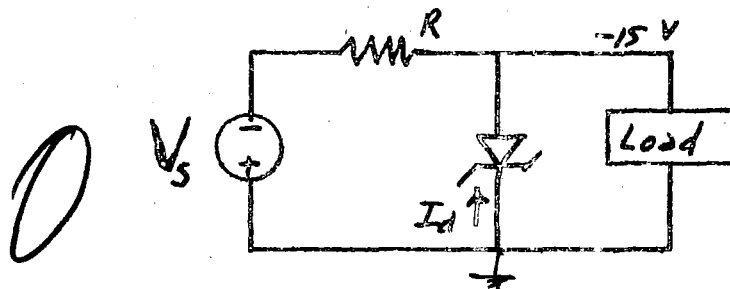
Sketch and dimension the waveforms of v_o , when v_1 and v_2 have the waveforms shown.



~~5
6~~

6. The d-c voltage V_s is expected to vary between 25 and 30 volts. The zener diode is used to regulate the output voltage at -15 volts. For good regulation the diode current should be greater than 1 mA and the power dissipated in the diode must not exceed 125 mW. Assume that the diode voltage remains constant at 15 volts.

- What is the maximum permissible value of I_d ?
- What value of R should be used to assume proper circuit operation for "worst case" conditions?
- What is the maximum load current I_L for "worst-case" conditions?



- a) Determine the value of R_D so that $v_{DS} = 12$ volts when $v_i = 0$.
- b) What power is delivered to the transistor under the conditions of part (a)?

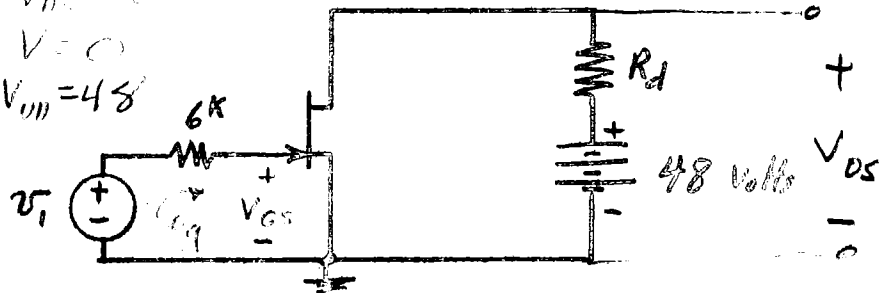
$$I_{DSS} = 6 \text{ mA}$$

$$V_p = -6 \text{ Volts}$$

$$V_{DS} = 12$$

$$V_i = 0$$

$$V_{DD} = 48$$



~~$$V_{GS} = V_{DD} + 2R_D I_{DSS} \frac{V_i}{V_p} = R_D I_{DSS} \left(\frac{V_i}{V_p}\right)^2$$~~

$$a) V_{DS} = V_{DD} - R_D I_{DSS} + \frac{2R_D I_{DSS}}{V_p} V_i$$

$$12 = 48 - R_D (6 \times 10^{-3}) + 0$$

$$R_D = \frac{48 - 12}{6 \times 10^{-3}} = 6 \text{ k}$$

b) PWR DELIVER = POWER AB = $\frac{(12)^2}{6 \times 10^3}$

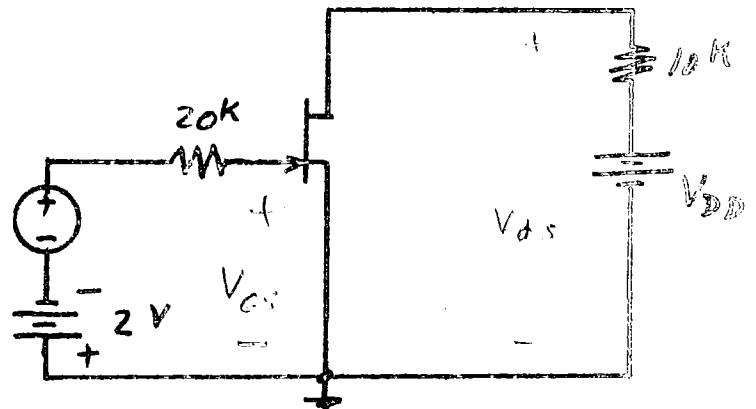
5

8. What is the small signal voltage gain $\frac{v_{ds}}{v_i}$ of the amplifier when $|v_i| \ll |V_p|$?

$$I_{DSS} = 6 \text{ mA}$$

$$V_p = -6 \text{ Volts}$$

$$v_i = 0.1 \cos \omega t$$



Note: v_{ds} is the signal component of the drain-source voltage.

$$V_{DS} = V_{DD} - R_D I_{DSS} \left(1 - \frac{V_{GS}}{V_p}\right)^2$$

$$V_{DS} = V_{DD} - 10^4 (6 \times 10^{-3}) \left(1 - \frac{2}{-6}\right)^2$$

$$V_{DS} = V_{DD} - 40$$

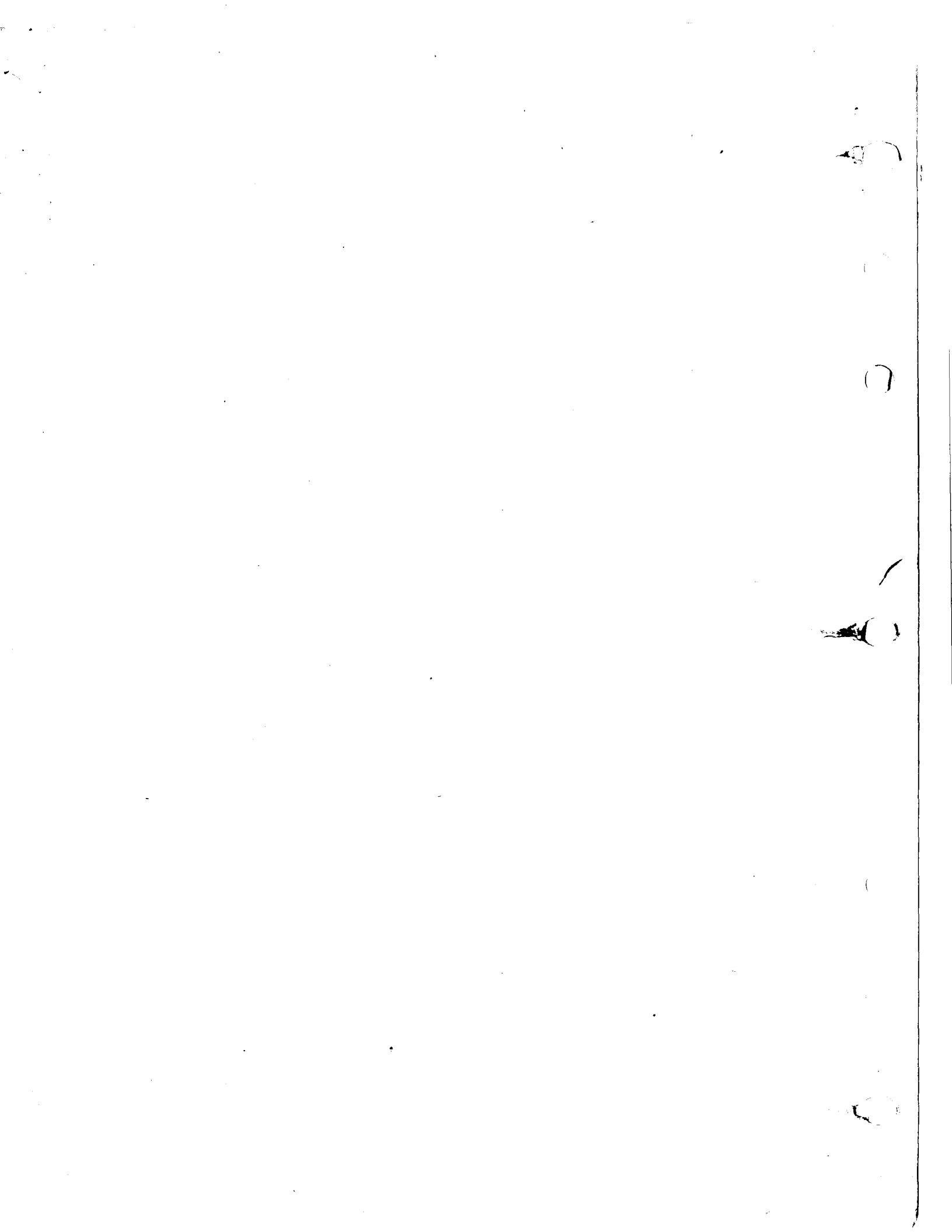
$$V_i = 0.1$$

$$V_{DS} = V_{DD} - 40$$

$$V_i = 0.1$$

7 2

1



	1	2	3	4	5	6	7	8
	7:50	8:45	9:40	10:35	11:30	12:25	1:20	2:15
NON	[Face]	ELEC-TRONICS I DGH	FLUIDS RDR G220	[Face]	THERMO PRM G221	[Face]	[Face]	[Face]
EFFECT	ELECTRONICS LAB DGH D101		CONVO		ELEC-TRONIC I A204	COMM. SYSTEMS HAS G315		
WED	[Face]	[Face]	FLUIDS RDR G220	[Face]	THERMO G221	[Face]	[Face]	[Face]
THURS	[Face]	ELEC-TRONICS I A204	FLUIDS RDR G220	[Face]	THERMO PRM G221	[Face]	[Face]	[Face]
FRI	EE LAB II D101 TFK	FLUIDS RDR G220	[Face]	THERMO PRM G221	[Face]	COMM. SYST. G315 HAS		

SUBJECT

SEMICONDUCTOR DEVICES

TOPIC / COURSE / CHAPTER / PAGE NO.

DATE

1) PROCESSING TECHNIQUES

2) PROCESSING TECHNIQUES

3) PROCESSING TECHNIQUES

4) USE OF ELECTRONES

APPROACH / REFERENCE

GENERAL TREATMENT OF SEMICONDUCTOR DEVICES

AUT. T. & F. P. T.

SEMICONDUCTOR DEVICES

C) SPECIAL ELECTRONIC DEVICES

1) DIODES

2) TRANSISTORS

3) SCRs & SUSCs ETC

D) INTEGRATED CIRCUITS

1) DIGITAL

2) LINEAR

DESIGN & DESIGN REQUIREMENTS

1) D.C. OPERATING - BIAS REQUIREMENTS

2) A.C. " " SIGNAL "

a) SMALL SIGNAL (LINEAR)

b) LARGE SIGNAL (NON-LINEAR)

7

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IDEAL AMPLIFIER

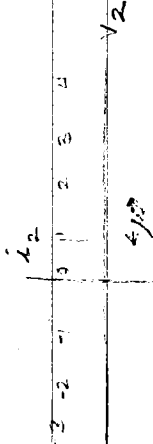
A) IDEAL VOLTAGE AMPLIFIER



$$V_2 = \mu V_1$$

$$\text{INPUT IMPEDANCE} = \infty$$

$$\text{OUTPUT IMPEDANCE} = 0$$



$$\text{VOLTAGE GAIN} = \frac{V_2}{V_1} = \mu \quad \mu = A_v = \mu$$

$$\text{POWER GAIN} = \frac{P_{out}}{P_{in}} = \frac{P_{RL}}{0} = \infty \quad (R_L \neq \infty)$$

$$\text{CURRENT GAIN} = \frac{I_2}{I_1} = \infty$$

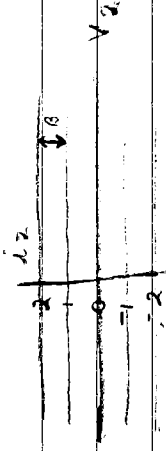
B) IDEAL CURRENT AMPLIFIER



$$\text{CURRENT GAIN} = \frac{I_2}{I_1} = \beta = A_c = \beta$$

$$\text{POWER GAIN} = \frac{P_{out}}{P_{in}} = \infty$$

$$\text{VOLTAGE GAIN} = \infty \quad (R_L \neq 0)$$



PRACTICAL TRANSISTOR MICRO-AMPLIFIER



$$\mu = 1000; R_s = 5 \text{ k}\Omega; R_o = 100 \Omega$$

$$i_o = i_o R_o$$

$$V_o = \frac{\mu R_o}{R_s + R_o} (V_i - V_o)$$

$$V_o = 0 \Rightarrow A_v = \frac{V_o}{V_i} = \frac{\mu R_o}{R_s + R_o}$$

$$V_i = 0 \Rightarrow A_v = \frac{V_o}{V_o} = R_o + R_L$$

$$A_v = \frac{V_o}{V_i} = \frac{V_o / R_o}{V_o / R_o} = A_v \frac{R_i}{R_o}$$

$$A_p = \frac{P_o}{P_i} = \frac{V_o^2 / R_o}{(V_o^2 / R_o) / A_v^2} = A_v^2 \frac{R_i}{R_o}$$

$$= A_v A_v^2 \text{ (PURE GAIN)}$$

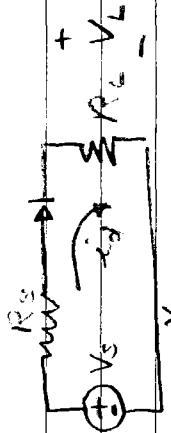
INPUT IMPEDANCE $Z_{in} = R_i$

OUTPUT IMPEDANCE $Z_{out} = R_o$

3-18-71

FOR MONDAY: pp. 37-48 (LOGS: 50, 8, 7, 5, 3, 3, 1, 5, 5, 3, 2, 1)

LECTURE: $\frac{1}{2}$ WAVE RECTIFIER



$$i_o = \frac{V_s}{R_s + R_L}$$

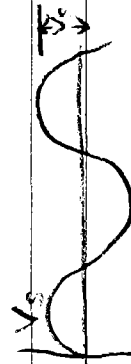
$$V_L = \frac{R_L}{R_s + R_L} V_s \quad V_s > 0$$

$$V_o = 0$$

$$i_o = 0$$

$$V_L = 0$$

$$V_o = V_s$$

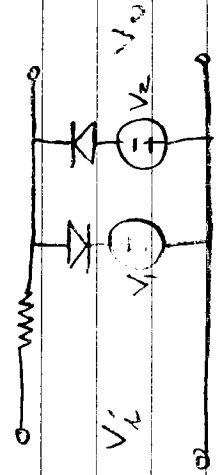
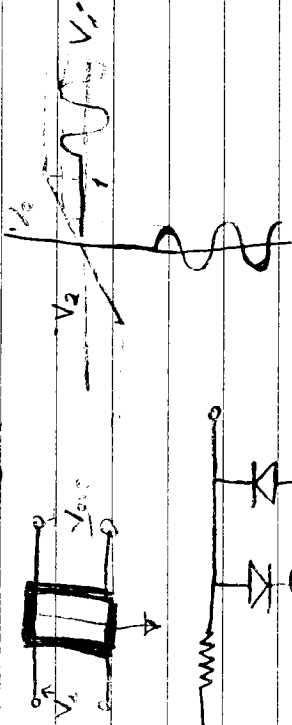


$$i_o = \frac{1}{T} I_{o \text{ MAX}}$$

$$V_s < 0 \quad = \frac{1}{T} \left(\frac{V_s}{R_s + R_L} \right)$$

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50	51	52	53	54	55	56	57	58	59	60	61	62	63	64	65	66	67	68	69	70	71	72	73	74	75	76	77	78	79	80	81	82	83	84	85	86	87	88	89	90	91	92	93	94	95	96	97	98	99	100
---	---	---	---	---	---	---	---	---	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	-----

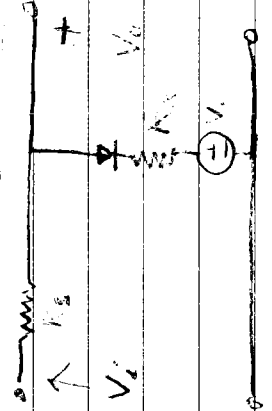
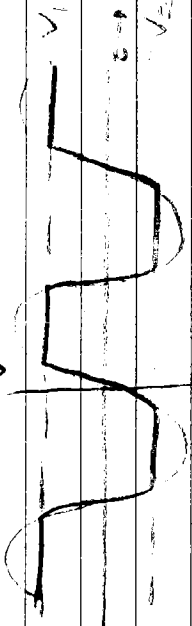
CLIPPER OR LIMITER CIRCUIT



$-V_2 < V_i < V_1 \Rightarrow V_o = V_i$

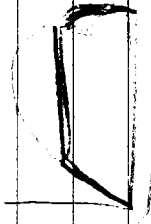
$V_i > V_1, D_1 \text{ CONDUCTS} \Rightarrow V_o = V_1$

$V_i < -V_2, D_2 \text{ CONDUCTS} \Rightarrow V_o = -V_2$

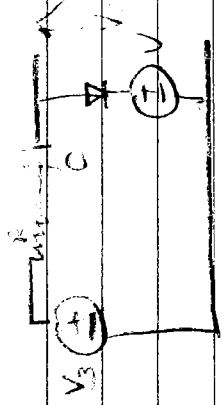


$$V_o = \frac{V_i + V_1}{R_1 R_2 + R_1 + R_3}$$

$$= \frac{R_2}{R_1 R_2 + R_1 + R_3} V_i + \frac{V_1}{R_1 R_2 + R_1 + R_3}$$



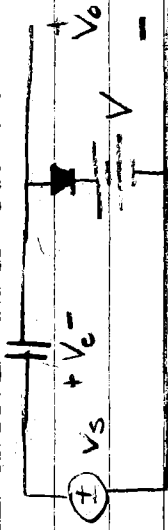
CLAMP CIRCUIT



3-22-71

READ 57-83 3.8, 3.13, 3.15

LECTURE: CLAMP CIRCUIT

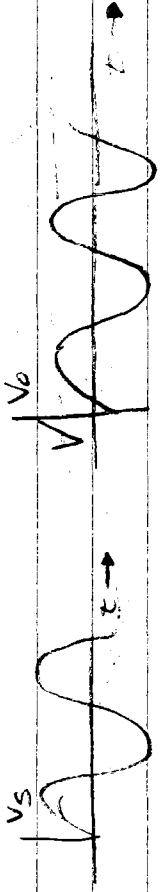


$V_0 \leq V \Rightarrow$ POSITIVELY CLAMPED TO V

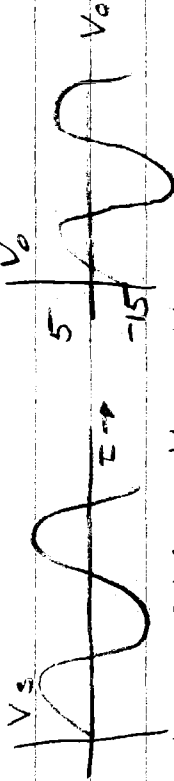
SHAPE OF WAVEFORM DOESN'T CHANGE

$V_0 = V_s - V_c ; V_{MAX} \geq V$

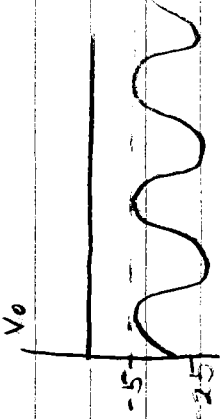
$V_c = V_{sMAX} - V$ (DIODE CONDUCTS)

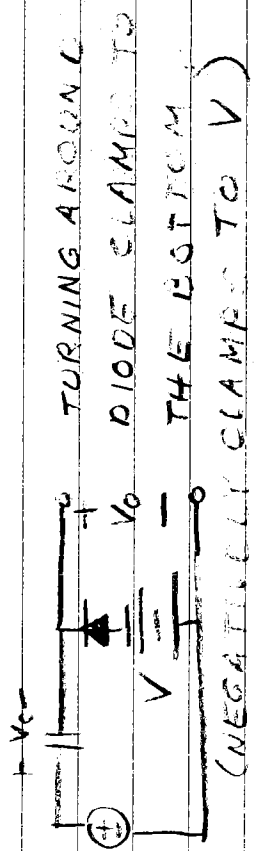


LET $V_{sMAX} = 10V ; V = 5V$



$V_{sMAX} = 10 \quad V = -5V$



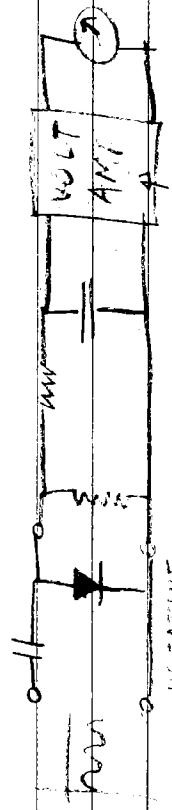


$V_s = 10V ; V = 5V$



$V_c = (V_{MIN} - V) = -13V$

AC VTVM CIRCUIT

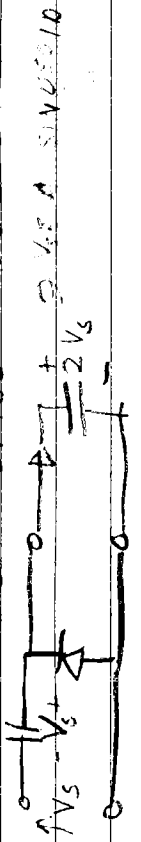


NEGATIVE CLAMPING

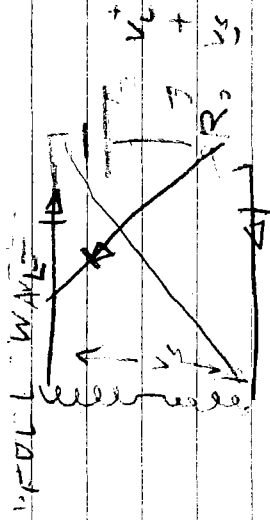
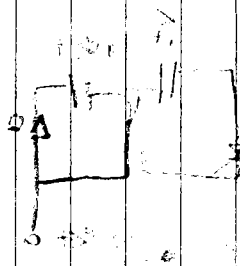
ASSUME GAIN OF 1

LET $V_s = V_{AMT} + D.C.$

$\frac{1}{2}$ WAVE VOLTAGE DOUBLER

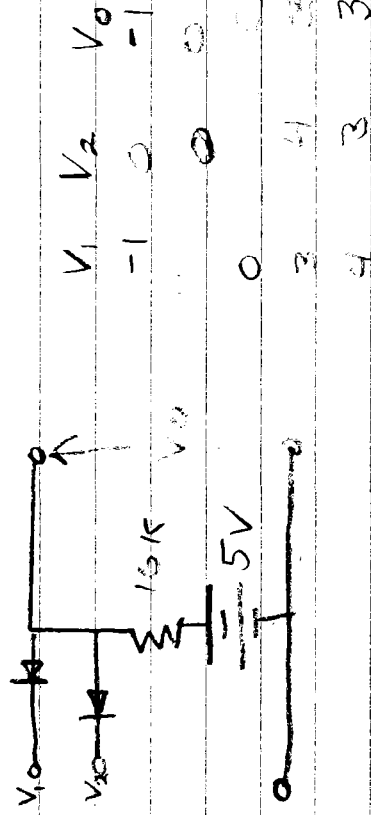


FULL WAVE VOLTAGE DOUBLER

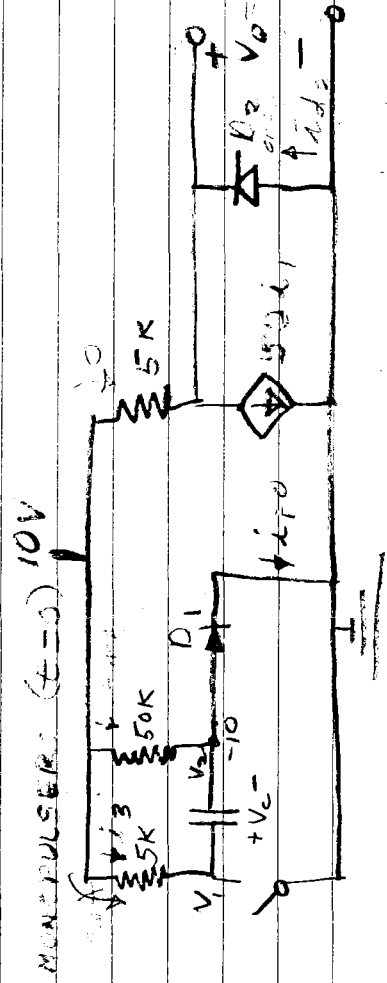


3-23-71

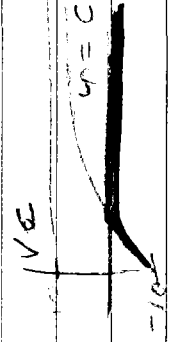
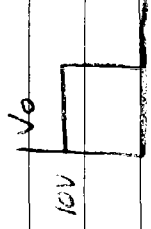
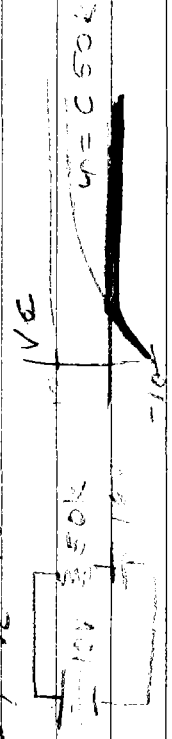
3-13)



$V_0 = \text{MIN}(V_1, V_2)$ V_1, V_2, V_3, V_4
 $\Rightarrow V_0 = \text{MIN}(V_1, V_2, 5V)$



$t < 0, D_1 \text{ CONDUCTS, } i_3 = 0, V_1 = 10, V_2 = 0$
 $(\Rightarrow V_C = 10V), i_1 = 2 \text{ mA} (\Rightarrow i_{D1} = 2 \text{ mA})$
 $V_3 = 0, i_4 = 2 \text{ mA}, i_{D2} = 8 \text{ mA}$
 $t = 0, V_C = 10V$



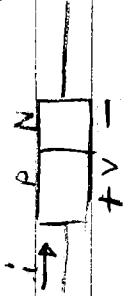
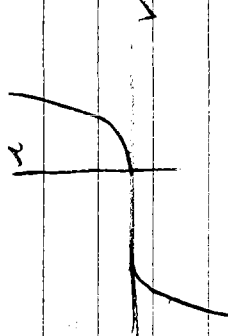
3-25-71

L.A. SPAT 5

(SILICIDE BAND OFF)

3-29-71

5-3; 5-4



I_D FROM MAJORITY CHARGE CARRIER
 I_S " MINORITY " " "



I_D SPACE CHARGE LAYER
 I_S CHARGE DEPLETION REGION

VOLTAGE VARIABLE CAPACITORS (VVC)

APPLICATIONS VERY COMMON

1) AFC - AUTOMATIC FREQ. CONT.

2) FM MODULATOR

3) REMOTE CONTROL

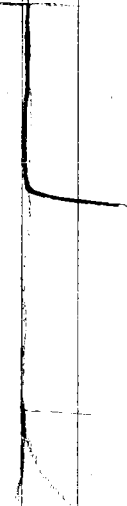
BREAKDOWN

ZENER $< 5V$

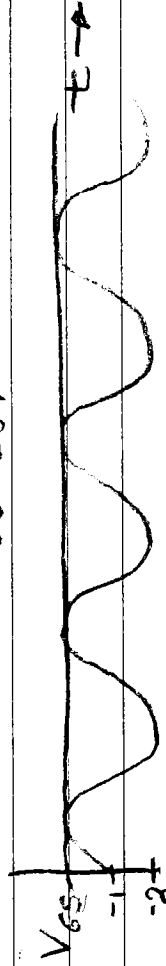
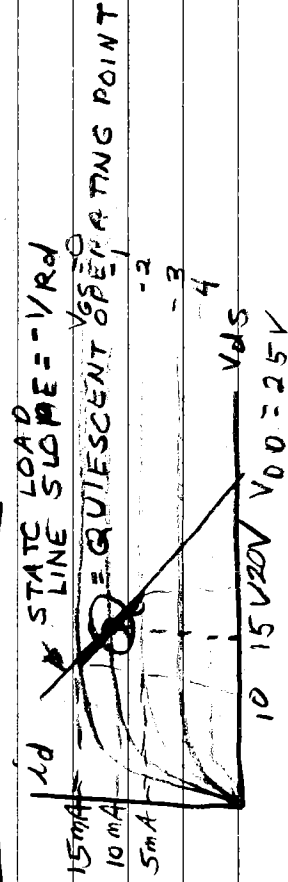
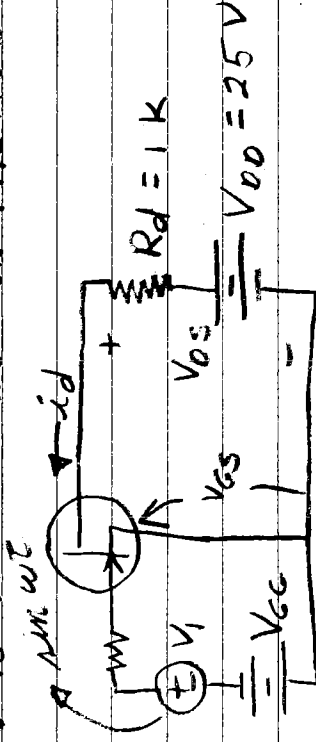
AVALANCHE $> 5V$

ZENER

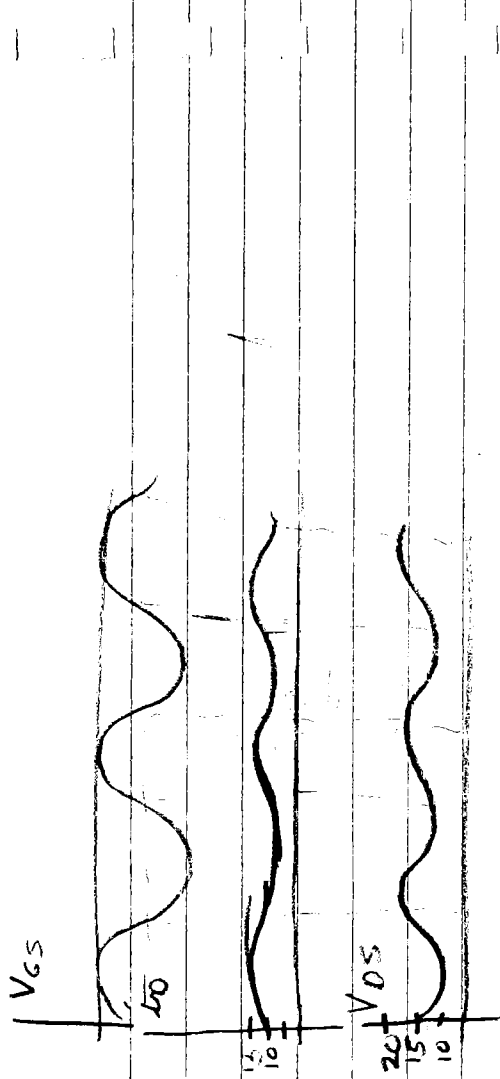
AVALANCHE



5-10-71 TEST ON THURSDAY



(11)



$$\text{GAIN (VOLTAGE)} = 5 \angle 180^\circ = -5$$

QUIESCENT CONDITIONS

$P_{DQ} = \text{PWR. FROM DRAIN SUPPLY}$

$$= (2.5)(10) = 250 \text{ mW}$$

$$P_T = (15)(10) = 150 \text{ mW}$$

$$P_{RO} = (10^3)(.01)^2 = 100 \text{ mW}$$

UNDER SIGNAL CONDITIONS

$$P_{DQ} = 250 \text{ mW}$$

$$P_{RO} = (10^3)(.01 + .005 \sin \omega t)^2$$

$$\approx 112.5 \text{ mW (A.C. T.O.C.)}$$

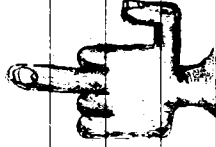
$$P_T = 137.5 \text{ mW}$$

4-7-71 DDC - JERRY

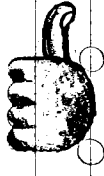
$$I = I_{DQ} - V_{GS}/V_P)^2$$

$$V_{GS} = V_{DC} - R_{dI_{DQ}}$$

$$V_{GS} = V_1 - V_{GS}$$



4-8-71



MOST

I) DEPLETION MODE

LITTLE GATE EXCEPT $V_{GS} = 0$

II) ENHANCEMENT (ON 138)

VERY LITTLE

TEST

LOOK AT OLD HOMEWORK

NO QUANTITATIVE PN PROBLEMS

IDEAL AMPS - DIODES - FET'S

$$DISTORTION = (V_{GS}/V_0) < 0.05$$

4-13-71

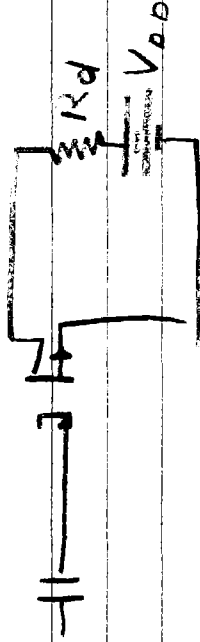
DOE THURS. 146.6.13

USE EXPONENT OF 1.5

183.7.2 ; 1837.4

CHART. 7

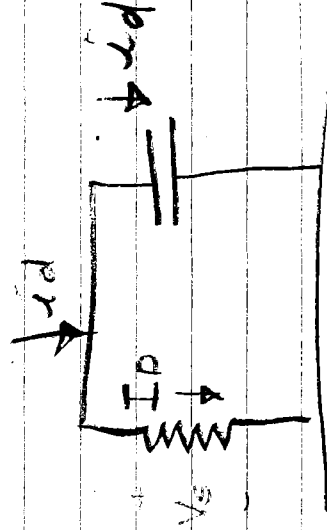
MOST - ENHANCEMENT MODE



4-15-71

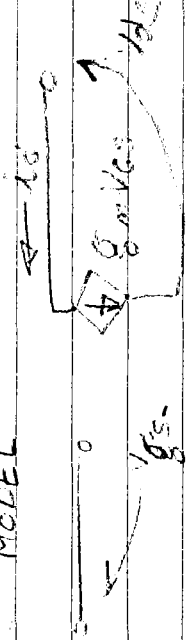
HARD IN MON

183.7.3 184.7.5 184.7.6



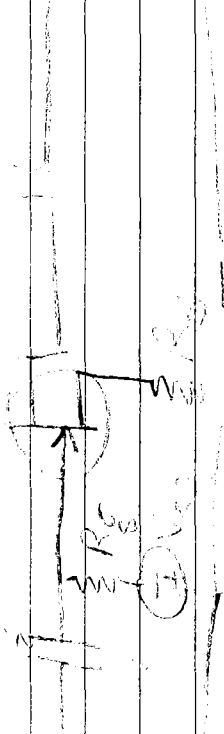
TUES

Small Signal Model



Homework

V_{DD}



$I_{QCS} = 10 \text{ mA}$, $V_P = -3 \text{ V}$

$V_{CC} = 20 \text{ V}$

$V_{DS} = 10 \text{ V}$, $V_{GS} = 0 \text{ V}$

FIND R_{d1} , V_{GS} , R_{d2}

6/18/79
PROGRAMME NAME INPUT
[FORT PROG]
1/3/79
X = Z (LISTS 3 ENDS ONLY)
G NO LIST

6/18/79

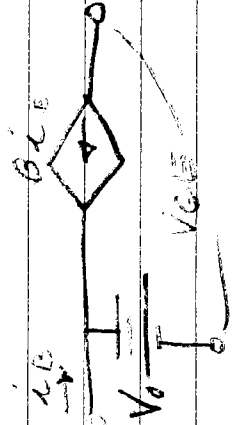
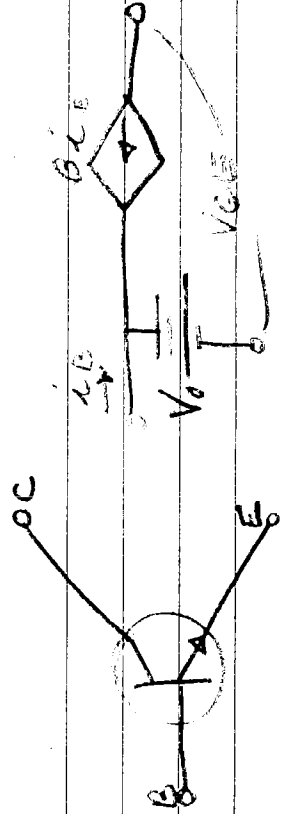
DATA

6/17/819

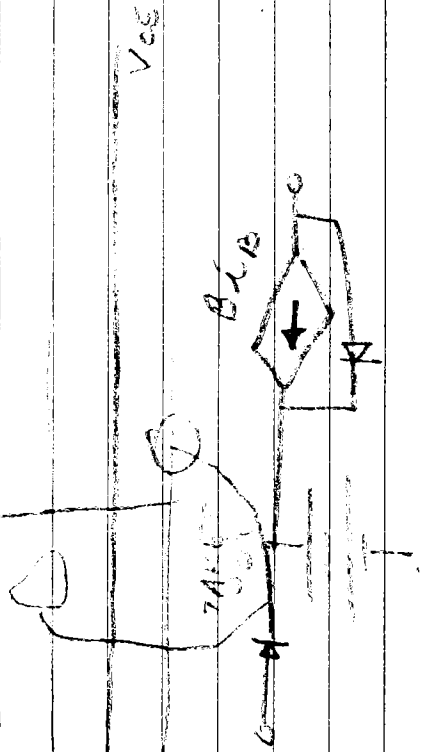
COMPLEX Z(100)
Z = CMPLX (R, X)
ZABS = CABS(Z)
R = REAL(Z)
X = AIMAG(Z)
PRINT C Z

PROGRAM (EX 2) (10.3)

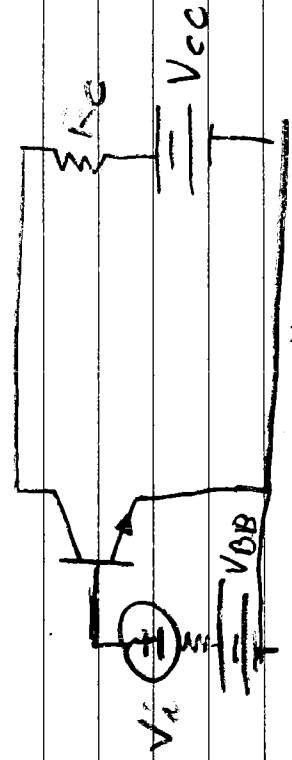
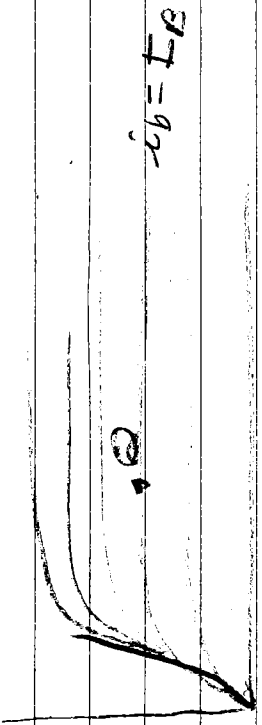
ANGS = 57.3 X ATAN R (AIMAG / REAL)
180



LB CIP MODEL



FOR REAR



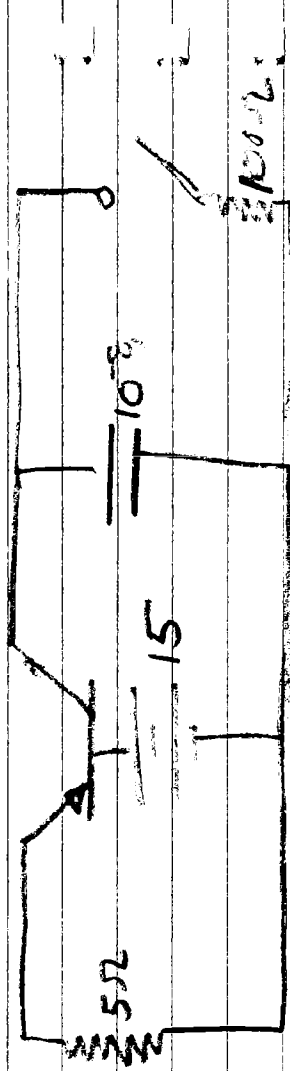
$$I_B = V_{BE} / R_b$$

643

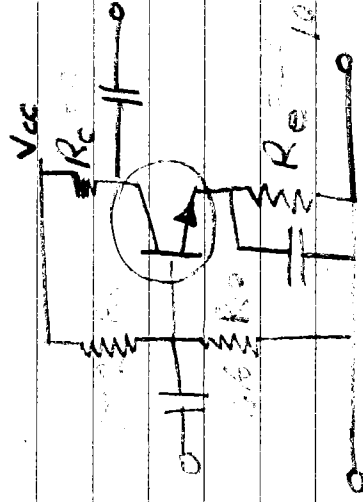
READ TO 270
2519.4 2529.6 2539.8

1.1

MON

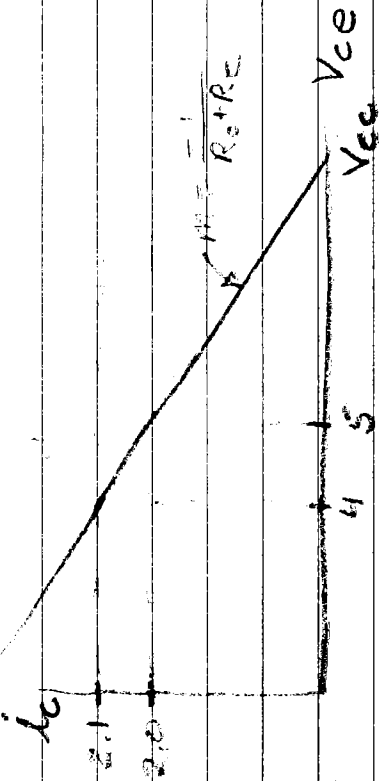


CHART, 10



$I_{E\text{MAX}} = 2.1 \text{ mA} = I_{CQ}$
 $I_{E\text{MIN}} = 2.0 \text{ mA} = I_{C1}$
 $V_{CE\text{MIN}} = 4 \text{ V}$
 $V_{CE\text{MAX}} = 5 \text{ V}$
 $100 < \beta < 300$
 $V_0 = 1.5 \text{ V}$

NEGLECT I_{CBO} , BUT WILL
 INVESTIGATE S_E AND T_U



$V_{CC} = 2.5 \text{ V}$ (SIMILAR TRIANGLES)
 $R_1 + R_2 = 10 \text{ k}$
 ASSUME $V_{BE} = 0.7 \text{ V}$
 $\Rightarrow R_1 = 8 \text{ k}; R_2 = 2 \text{ k}$

$$S_E = \frac{1 + \beta}{1 + \beta \frac{R_E}{R_1 + R_2}} = \frac{1 + \beta}{1 + \beta \frac{2 \text{ k}}{10 \text{ k}}} = \frac{1 + \beta}{1 + 0.2\beta}$$

$V_{BE} = 0.7 \text{ V}$
 $V_{CE} = 2.5 \text{ V}$

$$V_{BE} = \frac{R_1 R_2 V_{CC}}{R_1 + R_2 + R_B}$$

$$R_B = \beta I_B / I_{C1}$$

$$R_1 = R_B / K = \frac{\beta I_B}{I_{C1} K} = 67.2 \text{ k}$$

$$S_{I_{C1}} = \frac{\Delta I_{C1} / I_{C1}}{\Delta \beta / \beta}$$

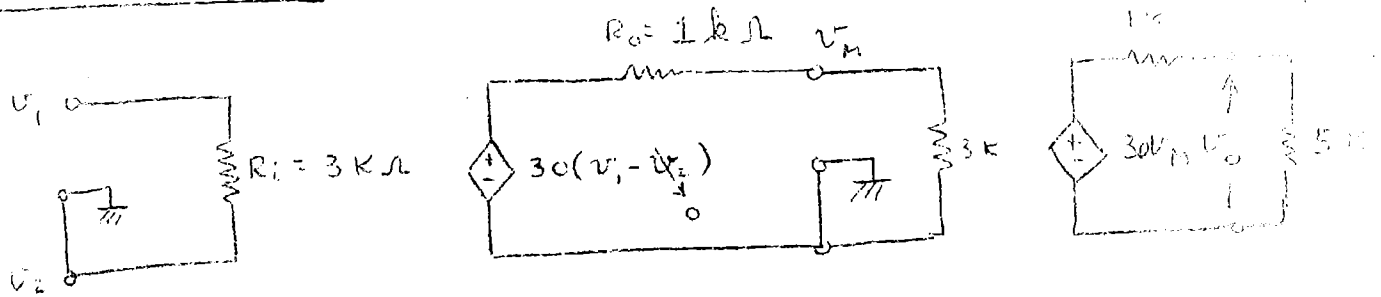
$$\frac{\Delta I_{C1}}{I_{C1}} = \frac{1 - S_{I_{C1}}}{S_{I_{C1}} (1 + \beta_2) - 1}$$

$$V_{AB} = \frac{I_{C1} [R_B + (1 + \beta_2) R_E]}{\beta} + V_0$$

THURS.

→ $\beta_2 = 6$ (1.7)

Problem 21.2.5



$$v_0 = \frac{5}{6} \cdot 30v_M, \quad v_M = \frac{3}{4.0} \times 30v_1$$

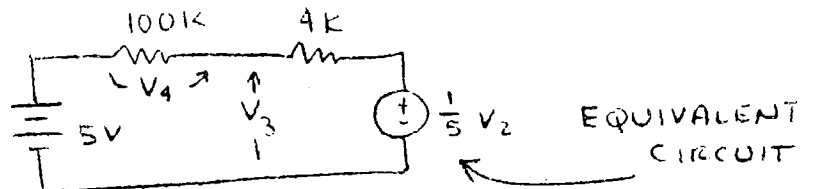
$$v_0 = \frac{5}{6} \times 30 \times \frac{3}{4.0} \times 30v_1 = \frac{5 \times 3 \times 30^2}{6 \times 4} v_1 = \boxed{563} = \frac{v_0}{v_{in}}$$

Overall voltage gain

PROBLEM 22.2.7

(a) $v_2 = v_1 - 2v_5$ $v_5 = 100v_4$ $v_4 = -5 + v_3$

$$v_3 = \frac{1}{5} v_2$$



$$v_4 = -5 + \frac{1}{5} v_2 - 4 \left(\frac{\frac{1}{5} v_2 - 5}{104000} \right)$$

$$v_2 = v_1 - 2 \left[100 \left(-5 + \frac{1}{5} v_2 - 4 \left(\frac{\frac{1}{5} v_2 - 5}{104000} \right) \right) \right]$$

$$= v_1 - 200 \left[-5 + \frac{1}{5} v_2 - \frac{.8v_2 - 20}{104} \right]$$

$$v_2 = v_1 + 1000 - 40v_2 + 1.925 (.8v_2 - 20)$$

$$v_2 = v_1 + 1000 - 40v_2 + 1.54v_2 - 38.5$$

HOMEWORK

2.2.2.7. cont

$$V_2 \left(\frac{39.46}{40.46} \right) = V_1 + 961.6$$

$$V_2 = \frac{V_1}{\frac{40.46}{39.46}} + 28.7$$

$$V_2 = \frac{V_1}{39.46} + 24.4$$

note that the output voltage is relatively independent of V_1

(b) $V_1 = 35, \quad V_2 = \frac{35}{39.46} + 24.4 = .888 + 24.4 = \boxed{25.3V}$

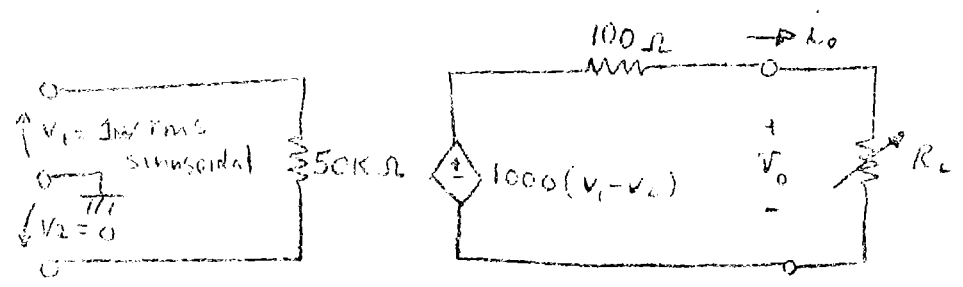
(c) $V_1 = 40V \quad V_2 = \frac{40}{39.46} + 24.4 = \boxed{25.4V}$

(d) From b and c $\Delta V_2 / \Delta V_1 = \frac{25.4 - 25.3}{40 - 35} = \frac{.1}{5} = \boxed{\frac{1}{50}}$

differentiating: $\frac{dV_2}{dV_1} = \boxed{\frac{1}{39.46}} = \boxed{.0253}$

ELECTRICAL
HOMEWORK

PROBLEM 20.2,3



(a) $R_L = 100 \Omega$ $P_{max} = \frac{(1000 \times 0.01)^2}{4 \times 100} = \frac{1}{400} = \boxed{.025 \text{ W}}$
 $= \boxed{25 \text{ mW}}$

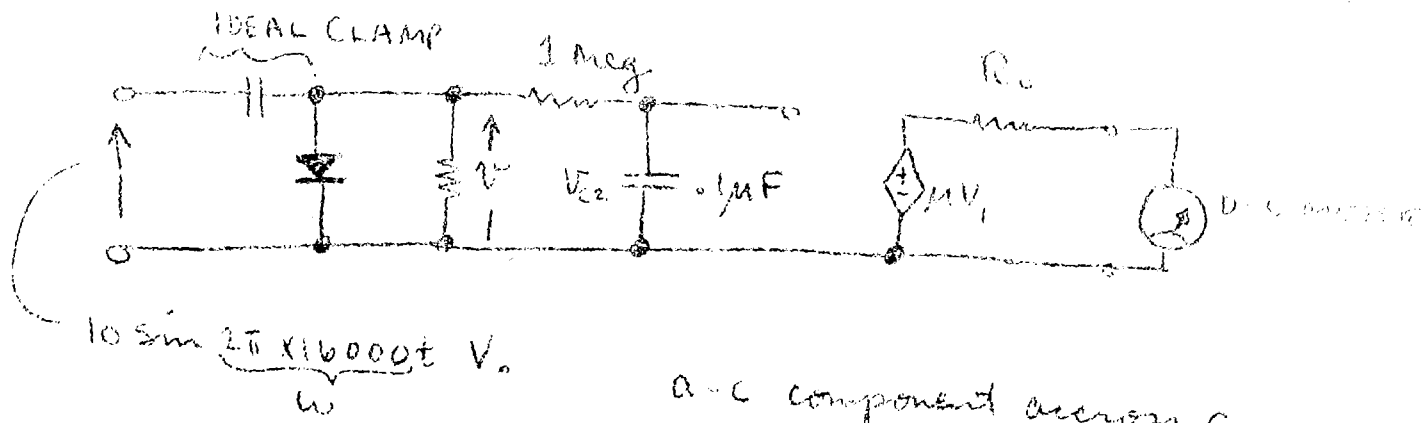
↗ output power from amplifier

(b) $P_{in} = \frac{(0.001)^2}{5 \times 10^4} = \frac{10^{-6}}{5 \times 10^4} = \frac{1}{5} \times 10^{-10} \text{ W}$
 $= \boxed{20 \text{ pW}}$ $A_p = \frac{25 \times 10^{-3}}{20 \times 10^{-12}} = \boxed{1.25 \times 10^9}$

(c) NO, OF COURSE NOT!

Q. 7 (c)
 SOLUTIONS

18.3.7



$$v_s = -10 + 10 \sin \omega t$$

$$V_{C2, d-c} = -10 \text{ V.}$$

a-c component across C_2

$$= 10 \left| \frac{\frac{1}{j\omega C}}{10^6 + j\omega C} \right| = 10 \left| \frac{1}{1 + j\omega \cdot 1} \right|$$

$$= \frac{10^{-1}}{10^4 \times 2\pi \times 16 \times 10^3}$$

$$= \frac{10^{-1}}{100} = \boxed{10^{-3} \text{ V, Amplitude}}$$

(c) If frequency is 16 Hz, $\omega = 100 \text{ rad/sec}$

a-c component = $10 \left| \frac{1}{1 + j0.1\omega} \right| = \left| \frac{10}{1 + j10} \right|$

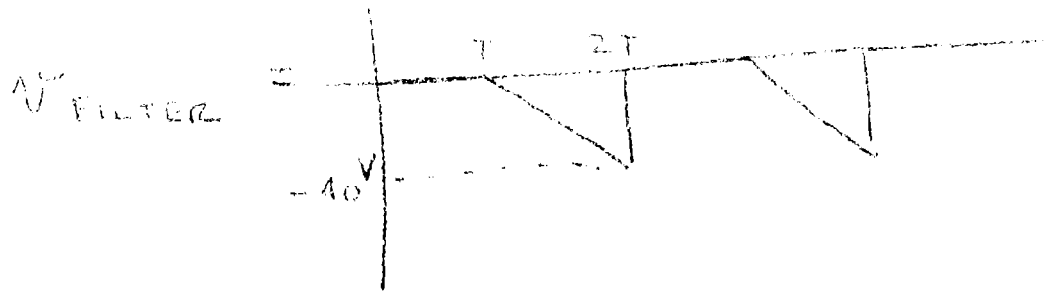
$$= \boxed{1 \text{ VOLT AMP.}}$$

PROBLEMS SOLUTIONS

53.3.13

WORKED IN CLASS!

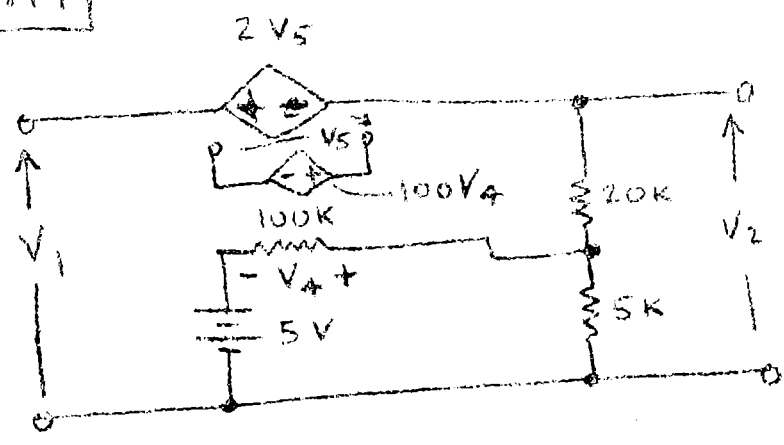
50.3.8



Average value = $\left(\frac{-40 \times T}{2} \right) \div 2T = -10V$

Meter reads $0.707 \times 10 =$ 7.07 VOLTS

53.3.14



(a) $V_2 = V_1 - 2V_5$
 $V_5 = 100V_4$
 $V_4 = -5 + .2V_2$

$V_2 = V_1 - 2 \cdot 100(-5 + .2V_2) = V_1 + 1000 - 40V_2$

$41V_2 = V_1 + 1000$ $V_2 = \frac{1}{41} V_1 + 24.4$

(b) $\frac{\partial V_2}{\partial V_1} =$ 1/41

(c) ripple in $V_2 = \frac{5}{41} =$ 0.122 V r-r

EE 2.07
SOLUTIONS

53.3.14 cont.

$$(d) \quad V_2 = V_1 - 2A(-5 + 0.2V_2)$$

$$V_2 = V_1 + 10A - 0.4AV_2$$

$$V_2(1 + 0.4A) = V_1 + 10A$$

$$V_2 = \frac{1}{1 + 0.4A} V_1 + \frac{10A}{1 + 0.4A}$$

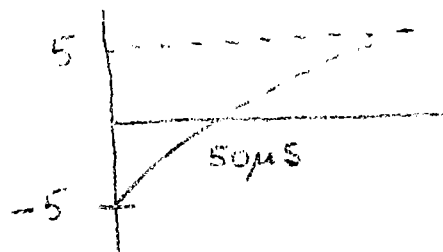
$$\frac{1}{1 + 0.4A} = \frac{1}{1000}$$

$$0.4A = 999 \Rightarrow A = 2500.0$$

TWO AMPLIFIERS IN CASCADE EACH WITH GAIN 100 WOULD BE SATISFACTORY.

54.3.15

(a)



$$v = 5 - 10e^{-\frac{t}{\tau}}$$

$$0 = 5 - 10e^{-\frac{5 \times 10^{-5}}{\tau}} \quad .5 = e^{-\frac{5 \times 10^{-5}}{\tau}}$$

$$\frac{-5 \times 10^{-5}}{\tau} = -0.693$$

$$C = \frac{\tau}{R} = \frac{7.21 \times 10^{-5}}{5 \times 10^4} = 1.44 \times 10^{-9}$$

$$\tau = \frac{5 \times 10^{-5}}{0.693}$$

$$= \boxed{1.44 \text{ nF}}$$

$$= 7.21 \times 10^{-5}$$

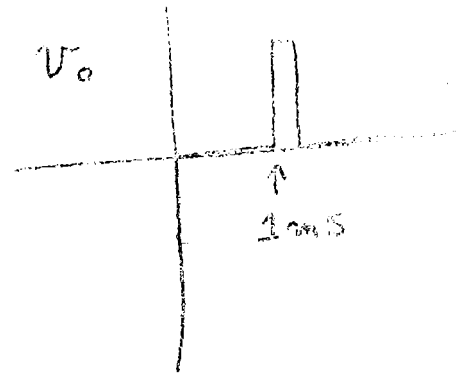
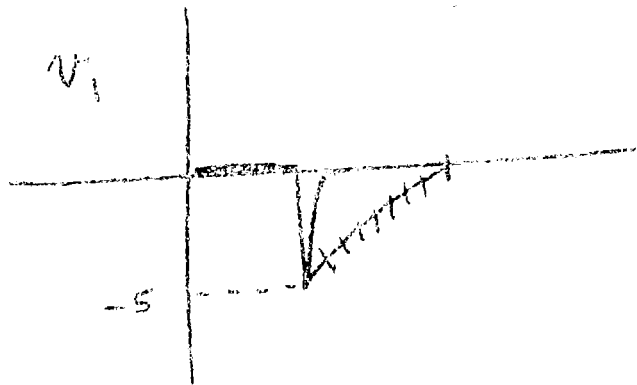
EE 262
SOLUTIONS

54.3.15 cont

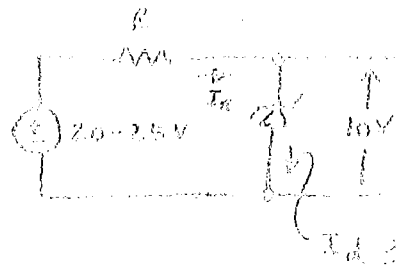
(b) 1, 3, 5, ... ms.

(c) NO!

(d)



101.5.1



$$P_D \leq 250 \text{ mW}$$

$$(a) I_{d, \max} = \frac{250}{10} = 25 \text{ mA}$$

$$(b) R = \frac{25 - 10}{25} = 0.6 \text{ k}\Omega = 600 \Omega$$

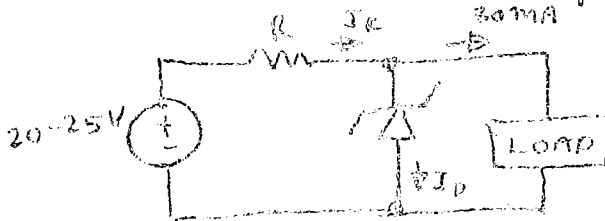
$$(c) V = 20 \text{ V}$$

$$I_d = \frac{10}{600} = \frac{1}{60} = 0.016 \text{ A} = 16 \text{ mA}$$

$$I_{d, \max} = 15 \text{ mA} \quad (16 - 1)$$

102.5.2

Constant output $I_L = 30 \text{ mA}$



$$R = \frac{20 - 10}{31} = \frac{10}{31} = 323 \text{ }\Omega = 323 \Omega$$

$$P_{D, \max} = 10 \times I_{D, \max} = 10 \times \left(\frac{25 - 10}{323} + 30 \right)$$

$$= 10 \times (46.5 - 30)$$

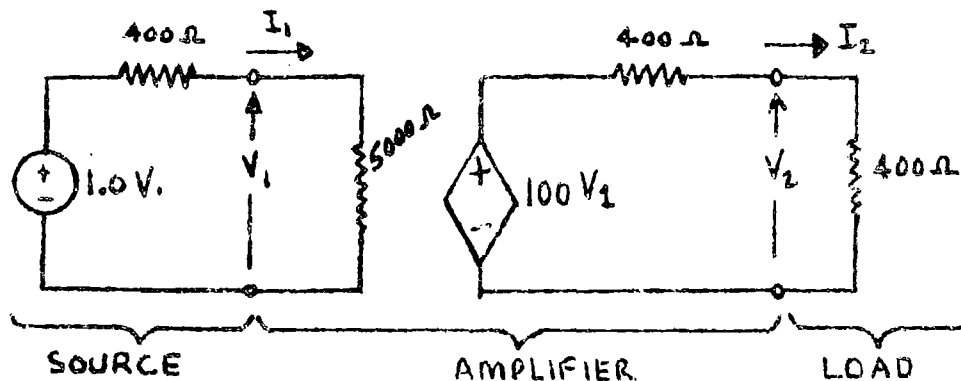
$$= 10 \times 16.5 = 165 \text{ mW}$$

Electrical Engineering Dept
 Rose-Hulman Institute of Tech.
 Terre Haute, Indiana
 March 22, 1971

EE262 - Electronics I
 Quiz no. 1
 Closed books - ten minutes

A somewhat less than ideal amplifier is shown below connected between a source and a load. For the circuit values shown, compute:

- the voltage gain, $A_v = V_o/V_{in}$
- the current gain, $A_i = I_o/I_{in}$
- the power gain, $A_p = P_{LOAD}/P_{from\ source}$
- value of R_L which would draw maximum power from the output of the amplifier.



$$a) V_i = \frac{5000}{5400} \quad V_o = \frac{400}{800} 100V_1$$

$$A_v = \frac{V_o}{V_i} = \frac{50V_1}{V_1} = 50$$

$$b) I_i = \frac{V_i}{5400} \quad I_o = \frac{100V_1}{800}$$

$$\frac{I_o}{I_i} = \frac{1V_1/800}{V_1/5400}$$

Solution

Electronics Department
 Boston College
 Chestnut Hill, MA 02459
 April 5, 1974

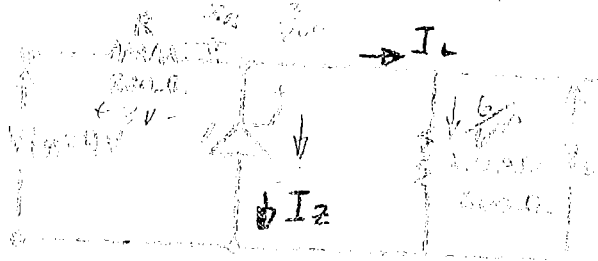
EE202 - Electronics I
 Quiz #2
 Closed books - 30 minutes

In the circuit shown find

- (A) V_L
- (B) P_Z
- (C) I_R
- (D) minimum value of V_{in} such that V_L remains regulated.

Answer directly

$V_Z = 6V$



(A) $V_L = \boxed{6V}$

(B) $I_Z = I_R - I_L = \frac{3}{200} - \frac{6}{600} = .015 - .010$
 $= .005 A \quad P_Z = .005 \times 6 = \boxed{.03 W}$

(C) $I_R = \frac{9-6}{200} = \boxed{15 mA}$

(d) becomes unregulated when I_R falls to I_L

$\frac{V_{in} - 6}{200} = .01, V_{in} - 6 = 2 \quad V_{in} = \boxed{8V}$

[3000000]

102.6.3

$$C_f = \frac{W}{(V + V')^2}$$

W = 2
V' = 0.15

C_f = 200 pf for V = 2

$$200 = \frac{W}{(2 + V')^2}$$

$$20 = \frac{W}{(2 + V')^2}$$

$$10 = \frac{(W + 0.15)^2}{0.15}$$

$$\frac{W + 0.15}{0.15} = 10$$

$$W + 0.15 = 1.5$$

$$W = 1.35 \text{ [1.35]}$$

102.6.4

$$C_f = \frac{W}{(V + V')^2}$$

$$f = \frac{1}{2\pi} \sqrt{\frac{1}{LC}}$$

$$= \frac{1}{2\pi \sqrt{LC}}$$

$$f = \frac{1}{2\pi} \sqrt{\frac{1}{LC}}$$

192.6.3



$$I_{sc} = 5.0 \text{ mA}$$

$$V_p = -2.0 \text{ V}$$

$$V_{oc} = 2.5 \text{ V}$$

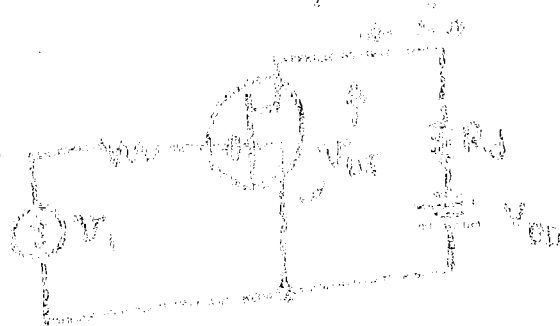
(a) $V_{RL} = 8 \text{ V}$ for $V_{oc} = 0$

$$I_0 = 5 \left(1 + \frac{4}{3}\right)^2 = 5 \text{ mA}$$

$$R_1 = \frac{25 - 8}{5} = \frac{17}{5} = \boxed{3.4 \text{ k}\Omega}$$

(b) $K_p = \frac{2 \times 3.4 \times 5}{V_p} = \frac{2 \times 3.4 \times 5}{-2} = \boxed{8.5}$

192.6.4



$$I_{sc} = -4 \text{ mA}$$

$$V_p = 4 \text{ V}$$

$$V_{oc} = 2.5 \text{ V}$$

$$V_{RL} = -V_{oc} - R_1 I_0$$

$$-7 = -2.5 - R_1(-4)$$

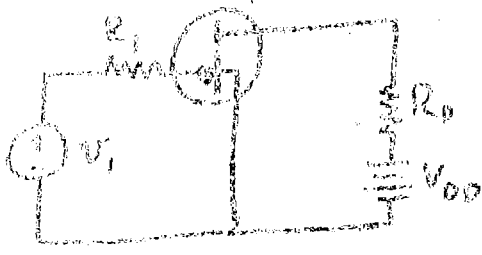
$$I_0 = -4 \text{ mA}$$

$$R_1 = \frac{17}{4} = \boxed{4.25 \text{ k}\Omega}$$

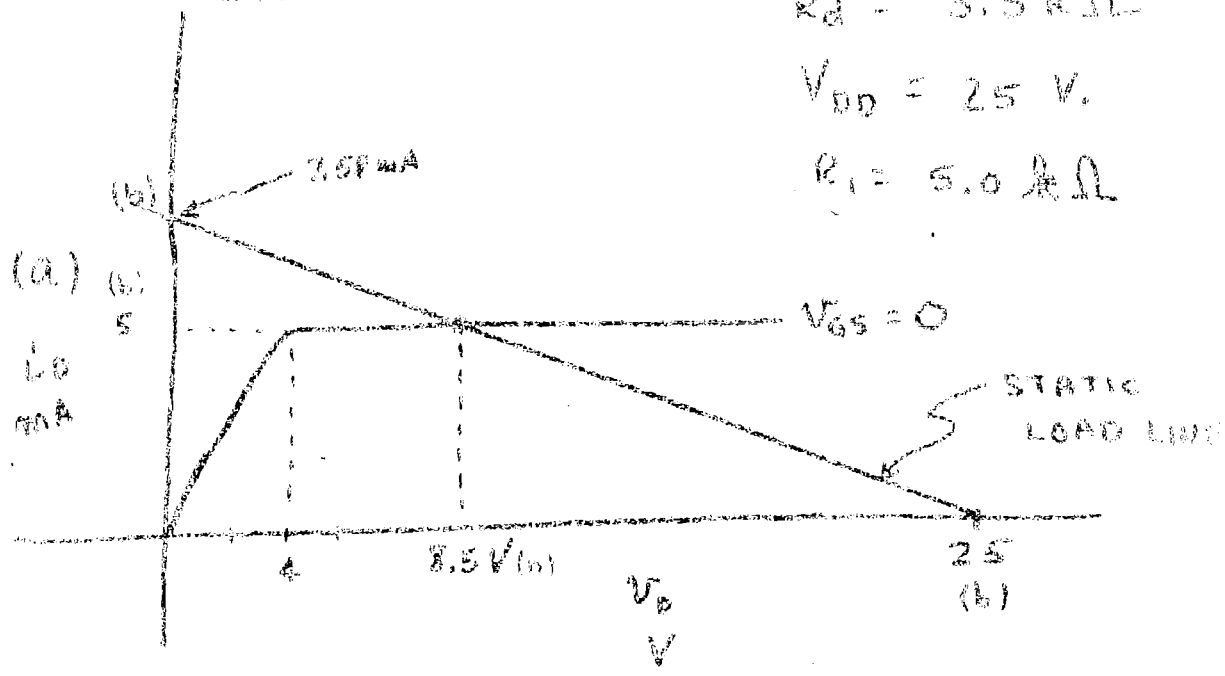
(c) $K_p = \frac{2 \times 4.25 \times 2.5}{4} = \boxed{5.3125}$

143.6.5
MOSFET

143.6.5



$I_{DSS} = 5 \text{ mA}$
 $V_p = -4 \text{ V}$
 $R_D = 3.3 \text{ k}\Omega$
 $V_{DD} = 25 \text{ V}$
 $R_i = 5.0 \text{ k}\Omega$



(c)
 $V_{DS} = 8.5 \text{ V}$
 $I_D = 5.0 \text{ mA}$

143.6.6

$I_{DSS} = 12 \text{ mA}$ $R_i = 50 \text{ k}\Omega$
 $V_p = -5 \text{ V}$ $V_{GS} = 1.75 \text{ V}$
 $R_D = 3.3 \text{ k}\Omega$ $V_{DD} = 25 \text{ V}$

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_p}\right)^2 = 12 \times \left(1 - \frac{1.75}{5}\right)^2 = 5.08 \text{ mA}$$

$$V_{DS} = V_{DD} - R_D I_D = 25 - 3.3 \times 5.08 = 8.2 \text{ V}$$

(d) $V_o = \frac{R_D I_D}{R_i} = 15.05$

QUESTION

19667

$$I_{DSS} = 10 \text{ mA}$$

$$V_p = -4 \text{ V}$$

$$V_{DD} = 25 \text{ V}$$

$$I_{DSS} \times R_d = 25 - 7 = 18 \quad R_d = \frac{18}{10} = \boxed{1.8 \text{ k}\Omega}$$

$$(b) \quad K_v = \frac{2R_d I_{DSS}}{V_p} = \frac{2 \times 1.8 \times 10}{4} = \boxed{9}$$

$$(c) \quad R_d = \frac{25 - 7}{2.5} = \frac{18}{2.5} = \boxed{7.2 \text{ k}\Omega}$$

$$\therefore 2.5 = 10 \left(1 + \frac{V_{GS}}{4}\right)^2 \quad \sqrt{2.5} = 1 + \frac{V_{GS}}{4} = 1.5$$

$$(d) \quad K_v = \frac{2 \times 7.2 \times 10}{4} = \boxed{36} \quad V_{GS} = 4 \times 0.5 = \boxed{2 \text{ V}}$$

(e) Since the coefficient of the V_p^2 term is

$$= \frac{R_d I_{DSS}}{V_p^2}$$

the second design yields more distortion.

Handwritten notes in a box, possibly a title or reference.

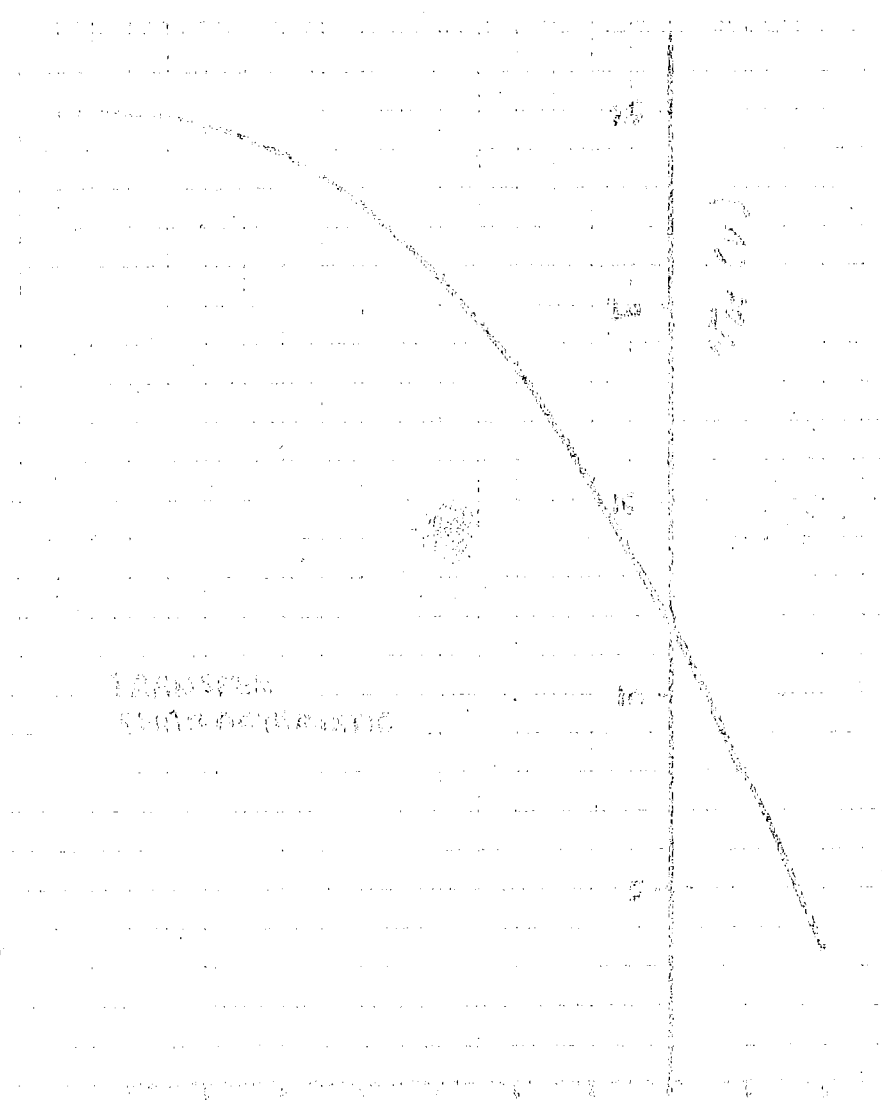
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Equation 2.74

$$V_{out} = V_{in} - R_d I_{DQ} \left(1 - \frac{V_{DS} + V_{DS}}{V_{DD}} \right)^2$$

GOOD IN
 CO. RELATION
 ON P

$$2.25 = 10 \left(1 + \frac{V_{DS} - 2.25}{4} \right)^2$$

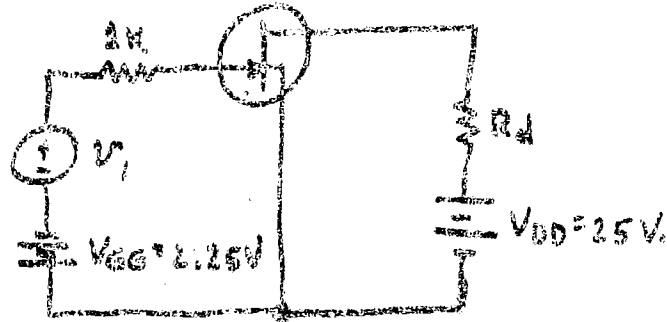


Handwritten text below the graph, possibly a label for the axes or a note.

Handwritten text at the bottom of the page, possibly a calculation or conclusion.

SPICE
Solutions

146.6.13



$$I_{DSS} = 10 \mu A$$

$$V_p = -4 V$$

$$R_d = 6.8 k\Omega$$

(a) $V_{EG} = 2.25 V$

distortion term is $\frac{R_d I_{DSS} V_1^2}{V_p^2} \left[\frac{1}{2} (1 + 2 \omega t) \right]$

distortion (2nd h) = $\frac{V_1^2 R_d I_{DSS}}{2 V_p^2}$

signal term is = $\frac{2 R_d I_{DSS}}{V_p} V_1$

% dist = $\left| \left(\frac{4 V_1}{V_p} \right) \right| \times 100$

$$\frac{4 V_1}{V_p} = 1.02$$

$$V_1 = \frac{102 V_p}{4} = \boxed{1.02 V}$$

(b) $\frac{2 \times 6.8 \times 10}{4} = \boxed{34} = K_v$

(c) $P_{D0} = 25 I_D$, $I_D = 10 \left(1 - \frac{2.25}{4} \right)^2 = 1.914 \mu A$
 $P_{D0} = \boxed{47.8 \text{ mW}}$

146.10.18 cond

$$V_{DS} = 25 - 6.8 \times 1.914 = 11.98 \text{ V,}$$

$$P_T = \boxed{22.94 \text{ mW}}$$

$$P_{R_d} = \boxed{24.9 \text{ mW}}$$

Bob Marks

Electrical Engineering Dept.
 Rose-Hulman Institute of Tech.
 Terre Haute, Indiana
 April 5, 1971

EE262 - Electronics I
 Quiz #2
 Closed books - 20 minutes

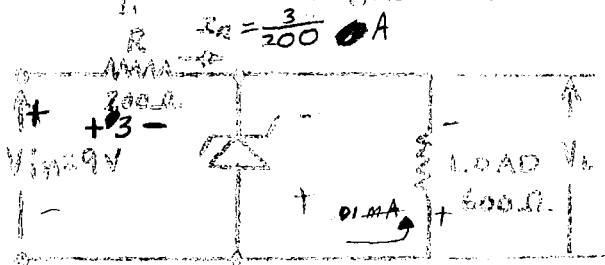
75

In the circuit shown find

- (A) $V_L = 6V$
- (B) P_D
- (C) I_R
- (D) minimum value of V_{in} such that V_L remains regulated.

Zener diode

$V_Z = 6V$



Handwritten calculations:
 $0.1 \times 200 = 20$
 $0.1 \times 600 = 60$
 $20 + 60 = 80$
 $80 / 1000 = 0.08$
 $0.08 \times 6 = 0.48$

- A) $V_L = 6V$ ✓
- B) $P_D = 6 \left(\frac{3}{200} + \frac{6}{600} \right) \times 10$
 $= 6 \left(0.015 + 0.01 \right) = 0.150W$ ✓
- C) $I_R = \frac{3}{200} = 0.015A$ ✓
- D) $V_R + 6 - V_{in} = 0$
 $V_{in} = 200(0.01) + 6 = 8V$ ✓

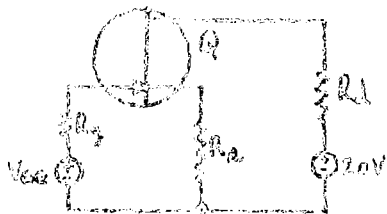
EE 262 - ELECTRONICS I

Laboratory

Experiment # _____

DESIGN OF A JFET AMPLIFIER

I. Design for quiescent operating point.



$Q = \text{MPF-102}$
 or NEF802

Fig. 1. D-C Circuit

Compute suitable values for your transistor so that it will have a quiescent operating point of $I_D = 2 \text{ mA}$ and $V_{DS} = 10 \text{ volts}$. Use the known values of V_p , I_{DSS} , and N . Two cases are of interest here. They are:

(a) $V_{GG} = 0$

and

(b) $V_{GG} \neq 0$, $R_D = R_S$.

Show the results of these calculations to the lab instructor before building the amplifier.

II. The a-c amplifier.

(a) Using the results of part I, compute suitable values for R_1 and R_2 so that $R \approx 1 \text{ M}\Omega$. Build the amplifier using resistance substitution boxes for R_1 , R_2 , R_D , and R_S .

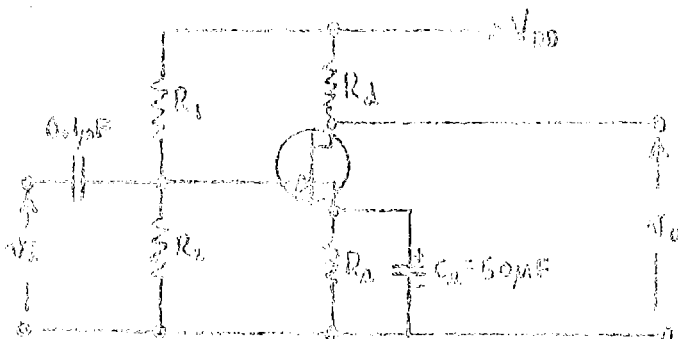


Figure 2. The JFET AMPLIFIER.

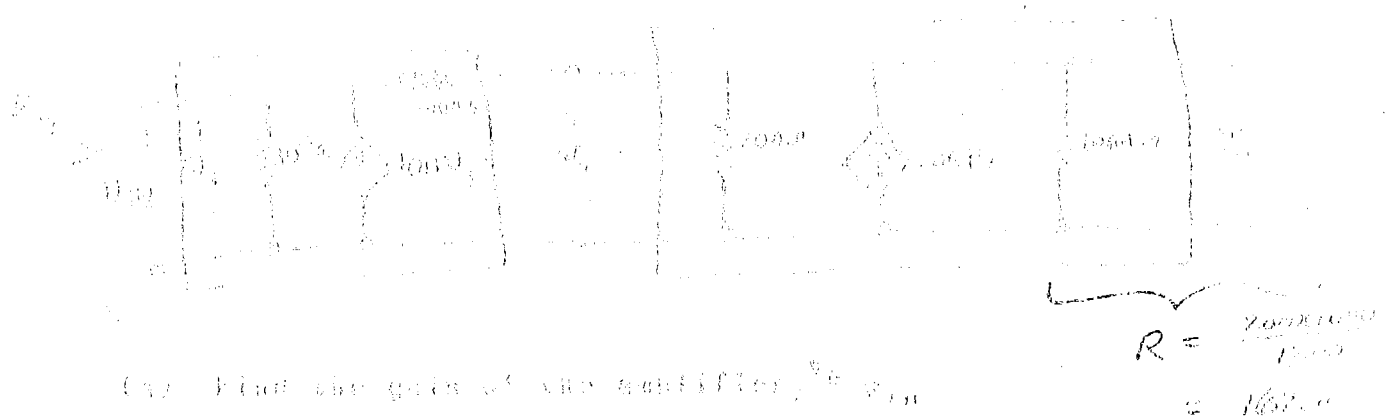
- When the amplifier is completed check the quiescent conditions to see if they are $I_D = 2 \text{ mA}$ and $V_{DS} = 10 \text{ v}$. Record these values. Explain any difference between measured values and design values.
- (b) Apply an input signal from the audio generator at 1000 Hz, and measure the small signal gain of the amplifier. Observe the V_o waveform on the CRO at all times.
 - (c) Increase the input signal to the amplifier until distortion is plainly visible in the output voltage. Record this signal level and how it was measured. Sketch the output waveform.
 - (d) Under small signal conditions calculate the theoretical voltage gain of the amplifier. R_d must be accurately known for this calculation.
 - (e) Check the frequency response for the amplifier. Compute the low and high frequencies where the voltage gain is 707 times that at 1000 Hz.
 - (f) Remove the source bypass capacitor and observe how the operation of the amplifier is affected.
 - (g) Measure the output impedance of the amplifier at 1000 Hz with and without C_s connected. Monitor V_o at all times while performing this test. Reduce V_{in} if necessary to insure small signal operation.
 - (h) Measure the output conditions under the same conditions as in part (g).

References:

Angelo, E.A., "Electronics: BJT's, FET's, and Microcircuits, McGraw-Hill, N.Y. 1969.

EE 201 - PROBLEMS 3
 Test 91
 Closed book - 30 minutes

1. Two amplifiers are connected as shown. The input voltage is sinusoidal with a r.m.s. value of 1 mV.



- (a) Find the gain of the amplifiers, V_O/V_{IN}
 (b) Find the gain in dB
 (c) Find the power gain of the amplifiers, P_{load}/P_{in}
 (d) What value of R_{load} would you choose for the output of the amplifiers to maximize the power gain with respect to R_{load} ?

Solution

$$V_O = 167 V_2 \times 167, \quad V_2 = \frac{200}{5200} \times 100 V_1, \quad V_1 = V_{in}$$

$$\text{Power } V_O = 167 \times 167 \times \frac{200}{5200} \times 100 V_{in}, \quad \frac{V_O}{V_{in}} = \boxed{32.1}$$

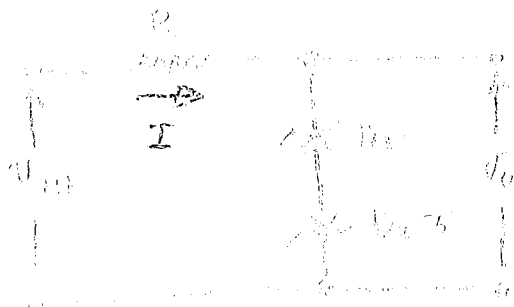
$$(b) \quad G_{dB} = 20 \log_{10} 32.1 = \boxed{30.2 \text{ dB}}$$

$$(c) \quad P_o = \frac{V_2^2}{200}, \quad P_{in} = \frac{V_{in}^2}{10^3}, \quad \frac{P_o}{P_{in}} = \frac{V_2^2/200}{V_{in}^2/10^3}$$

$$= (32.1)^2 \times \frac{10^3}{200} = \boxed{51,500}$$

$$(d) \quad R_{load} = \boxed{1000 \Omega} \text{ for maximum power out of amplifier}$$

Design a clipping circuit that would limit the maximum value of v_o to $+10V$ and the minimum value of v_o to $-5V$. Use zener diodes to do this as shown below. Assume that the largest signal to be clipped is a sinusoid of $100V$ amplitude.



- What should the zener voltages of D_1 and D_2 be?
- What value should R have to limit the reverse current in the diodes to 50 mA ?
- What should the power ratings of D_1 and D_2 be?
- What should be the power rating of R in the worst case? I.e., what is the maximum instantaneous power it dissipates?

SOLUTION

$$(a) \quad V_Z \text{ of } D_1 = \boxed{10V} \quad V_Z \text{ of } D_2 = \boxed{5V}$$

(b) max current when $v_{in} = -100V$

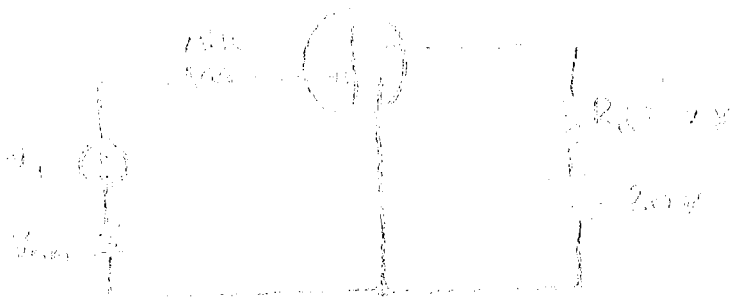
$$I = \frac{-95}{R} = .05, \quad R = \frac{95}{.05} = \boxed{1900\Omega}$$

$$(c) \quad D_1 \text{ reverse } \text{A Max current} = \frac{90}{1900} = .0473A \quad P = 10 \times .0473 = \boxed{.473W}$$

$$D_2, \text{ reverse max current} = .05A, \quad P = 5 \times .05 = \boxed{.25W}$$

$$(d) \quad P_R = (.05)^2 \times 1900 = \boxed{4.75W}$$

4. An 8 ohm load is connected to the amplifier shown. Find the value of V_{GS} that will give maximum average power to the amplifier as a function of V_{GS} . What should be the value of V_{GS} to obtain the quiescent value of $i_D = 5.0 \text{ mA}$? What is the quiescent value of V_{DS} under these conditions? Compute the power dissipated by Q_1 and by the transistor in quiescent state.



How? V_{GS} is
 assume the i_D equation
 in the i_D equation
 as instead of V_{GS}

SOLUTION:

$$i_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_P} \right)^{1.5}$$

$$V_P = -3$$

$$V_{GS} = -V_{GG}$$

$$5 = 8 \left(1 - \frac{V_{GG}}{3} \right)^{1.5}$$

$$\left(\frac{5}{8} \right)^{2/3} = 1 - \frac{V_{GG}}{3} = 0.731$$

$$\frac{V_{GG}}{3} = 0.269 \quad V_{GG} = \boxed{0.807 \text{ V}}$$

quiescent $V_{DS} = V_{DS}$

$$V_{DS} = 20 - 2 \times 5 = \boxed{10 \text{ V}}$$

$$P_{RD} = 10 \times 0.005 = \boxed{50 \text{ mW}}$$

$$P_T = 10 \times 0.005 = \boxed{50 \text{ mW}}$$

CHECK

Power from Source = $20 \times 0.005 = 100 \text{ mW}$ — Check!

(a) A group of electrical particles **ELECTRONS** to the left of the junction.

(b) Minority charge carriers come about in a semiconductor.

THERMAL AGITATION

(a) Increasing the input voltage to a class A FET amplifier (class A) **decreases** the power dissipated by the transistor during steady-state operation.

(b) An unbalanced FET amplifier is biased by placing a negative d.c. voltage in series with the input, i.e., $V_{GS} = V_i + V_{bias}$ where $V_{bias} < 0$. FALSE or **TRUE**

(c) One easy way to reduce the distortion present at the output of an amplifier is to reduce the magnitude of the input voltage to the amplifier. FALSE or **TRUE**

Electrical Engineering Department
Rose-Hulman Institute of Tech.
Terre Haute, Indiana
May 20, 1971

EE365 - Electronic Cirts. I
Assignment
Due when school resumes in
the Fall.

Do either or both of the following:

- (A) Write a Fortran subroutine subprogram to design a common emitter transistor amplifier of the "Standard Configuration". Input to the subroutine should be V_{CC} , β_{1} , β_{2} , V_{ϕ} , I_{C1} , I_{C2} , $V_{CE(min)}$, I_{CEO} ; the subroutine should return R_{1} , R_{2} , R_{e} , and R_{c} . It should compute S_{e1} and S_{e2} and \bar{a} as well.
- (B) Write a Fortran subroutine subprogram to analyze the standard configuration common emitter transistor amplifier. The input to the subroutine should be V_{CC} , β_{1} , R_{1} , R_{2} , R_{e} , R_{c} , I_{CEO} , and V_{ϕ} . The subroutine should compute and return the quiescent operating point information and S_{e} .

BOB MARKS

Electrical Engineering Department
Rensselaer Institute of Technology
Troy, New York
April 27, 1971

EE 262 - Electronics I
Laboratory Quiz #1

100

Open Books -- 10 minutes

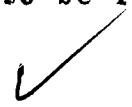
1. Which of the currents shown below is most apt to be fatal when passing through the body

(a) 1 mA

(c) 150 mA

(b) 10 mA

(d) 5 pA



2. The laboratory notebook should not contain any calculations, sketches of waveforms or similar entries.

False or true.

3. Usually it is advised to keep most of your lab notes on random sheets of scratch paper rather than in your lab book.

False or true.

4. Data to be presented in graphical form must be plotted in the laboratory.

False or true.

5. It is alright to label axes on a graph with just the correct units, i.e., volts or Amperes.

False or true.

6. Wiring diagrams aren't necessary as you can usually remember what the actual circuit employed was.

False or true.

7. In general a 2-watt resistor is larger than a 1-watt resistor.

False or true.

8. A resistor has color code ^A red, ^B red, ^C green, ^D silver. What does this mean?

$$R = AB \times 10^C \pm D$$
$$2.2 \times 10^5 \Omega \pm 10\%$$

8

9. In choosing leads for connections it is better to use long ones so that the circuit may be laid out larger on the bench.

False or true.

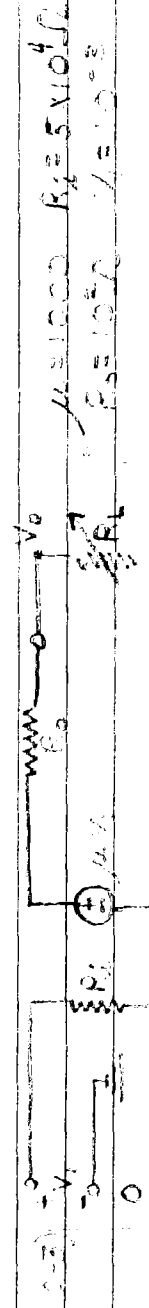
10. Generally speaking, a ground point should be provided near the input terminals of a low-level circuit, and all grounding should be made at this one point only.

False or true.

2

(6/6)

3-17-71

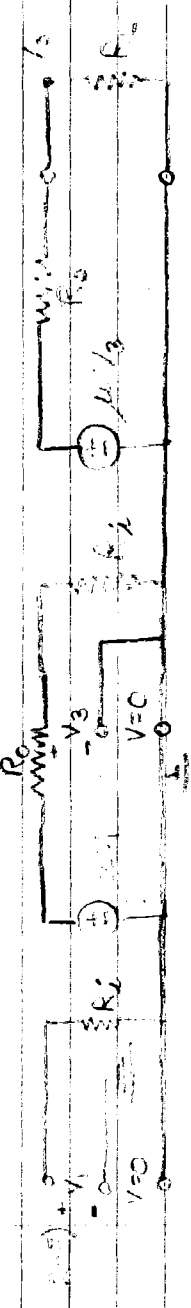


a) FOR MAX PWR. \$R_L = R_2\$

$$V_0 = \frac{R_2}{R_1 + R_2} V_1 \Rightarrow \frac{V_0}{R_1} = \frac{V_1}{R_1} \left(\frac{R_2}{R_1 + R_2} \right)^2 \cdot 10^{-2} = 0.25 \times 10^{-2} \text{ A} \quad \checkmark$$

$$P = \frac{V_0^2}{R_L} = \frac{V_1^2}{R_1^2} \left(\frac{R_2}{R_1 + R_2} \right)^4 \cdot 10^{-4} = (0.25 \times 10^{-2})^2 (5 \times 10^3)^2 = 1.25 \times 10^{-3} \text{ W} \quad \checkmark$$

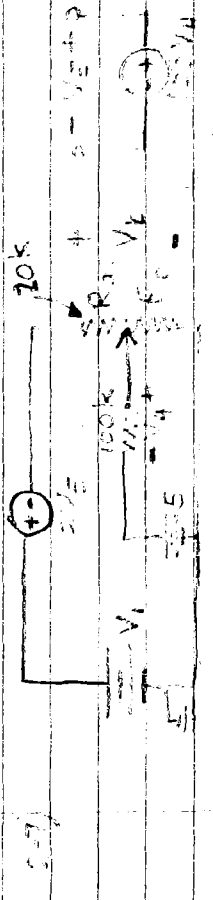
c) NO. G IS INCREMENT OF \$V_1\$, AND IS MAX WHEN \$R_L = R_2\$



FOR MAX PWR. \$R_L = R_6 = 10^3 \Omega = 1 \text{ k}\Omega\$

$$A_V = \frac{V_0}{V_1} = \frac{R_L}{R_1 + R_2 + R_3 + R_4} \left(\frac{R_4}{R_4 + R_5} \right) \mu V_1 \cdot \mu V_2 = \frac{R_L R_4}{(R_1 + R_2)(R_4 + R_5)} = \frac{15}{6.4} = 2.34 \quad \checkmark$$

$$= \frac{15}{6.4} (900) = 2109.4 \quad \checkmark$$



a) \$V_2 = V_1 = 2V_5\$

$$V_3 = \frac{R_4}{R_4 + R_5} V_2 = \frac{1}{5} V_2 \quad ; \quad V_4 = V_3 = 5 \quad ; \quad V_5 = 100 V_4 \quad \checkmark$$

$$V_2 = V_1 = 200 \left[\frac{1}{5} V_2 - 0 \right] = V_1 - 40 V_2 + 1000 \Rightarrow V_2 = 41 V_1 + 24.5 \quad \checkmark$$

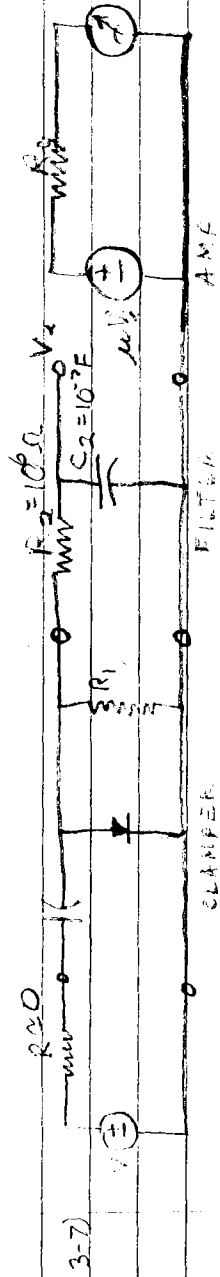
b) \$V_1 = 41(35) + 24.5 = 25.2 \text{ V} \quad \checkmark\$

c) \$V_1 = 41(40) + 24.5 = 25.4 \text{ V} \quad \checkmark\$

d) \$dV_2/dV_1 = \frac{1}{41} = \Delta V_2 / \Delta V_1 \quad \checkmark\$

(7/8)

3-10-



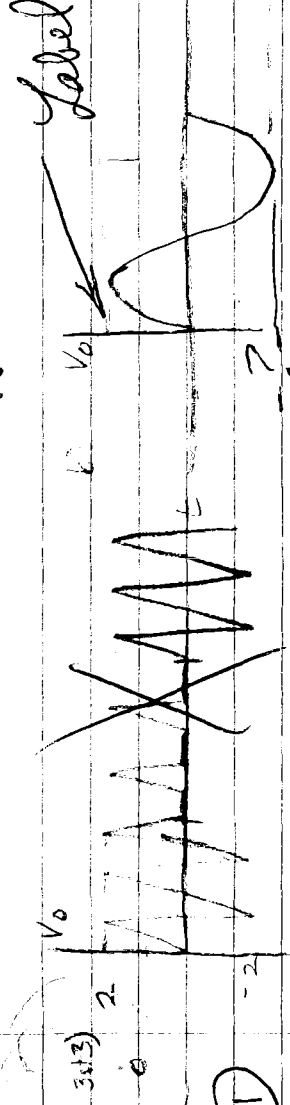
a) $\omega = 16 \times 10^3 \text{ Hz}$ \rightarrow TO AMP \rightarrow 10 VOLTS \checkmark

b) $\omega = 16 \times 10^3 \text{ Hz}$ \checkmark

BY VOLTAGE DIVIDER: $\frac{-j10}{100 + j100} \times 10^{-7}$

$$V_c = 10 \left(\frac{-j10}{100 + j100} \right) = \frac{100}{100 - j100} \times 10^{-7} = -j10 \frac{0.625 \times 10^3}{(10^6 + 625 \times 10^3)} \text{ mV}$$

$$c) V_c = 10 \frac{100}{100 - j100} = -10 \frac{j625 \times 10^5}{10^6 - j625 \times 10^6} = 1V \checkmark$$



3/14) a) $V_c = 100V_4$; $V_2 = V_1 = 2V_5$; $5 + V_4 = 1/5$

$$\therefore 100V_4 = 500 + 20V_2$$

$$V_2 = 2(20V_2 - 500) + V_1$$

$$\therefore V_2 = V_1 + 1000$$

$$V_2 = \frac{1}{4} V_1 + \frac{10^3}{4} \checkmark$$

b) $dV_2/dV_1 = 1/4$; $\therefore \Delta V_2/\Delta V_1$

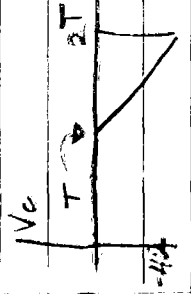
c) $\Delta V_2 = \frac{1}{4} (5) = 0.122V \checkmark$

d) $\frac{V_2}{V_1} = A$

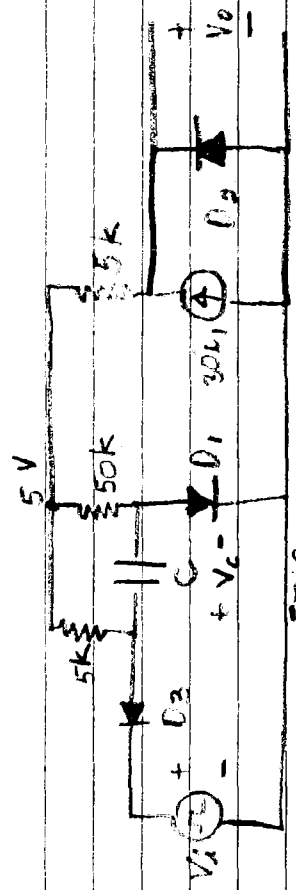
$$V_2 = V_1 - 2AV_2 = V_1 - 2A\left(\frac{1}{5}V_2 - 5\right) = \frac{5}{2}V_1 + 25$$

$$dV_2/dV_1 = \frac{5}{2}A \Rightarrow A = \frac{25}{5} = 5 \text{ YUP! } (10)$$

$$\frac{1}{2T} \int_0^{2T} V_C dt = \frac{1}{2T} \int_0^{2T} V_{AC} dt = \frac{1}{2T} \int_0^{2T} V_{R} dt = 7.07V$$



3

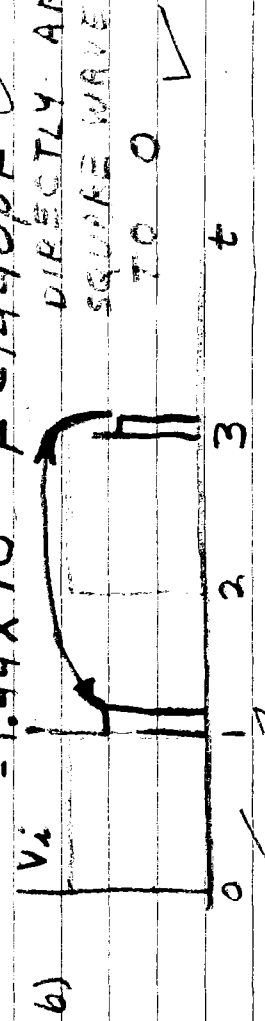


9) $V_c = 5 - 10e^{-t/\tau}$ $\tau = RC$

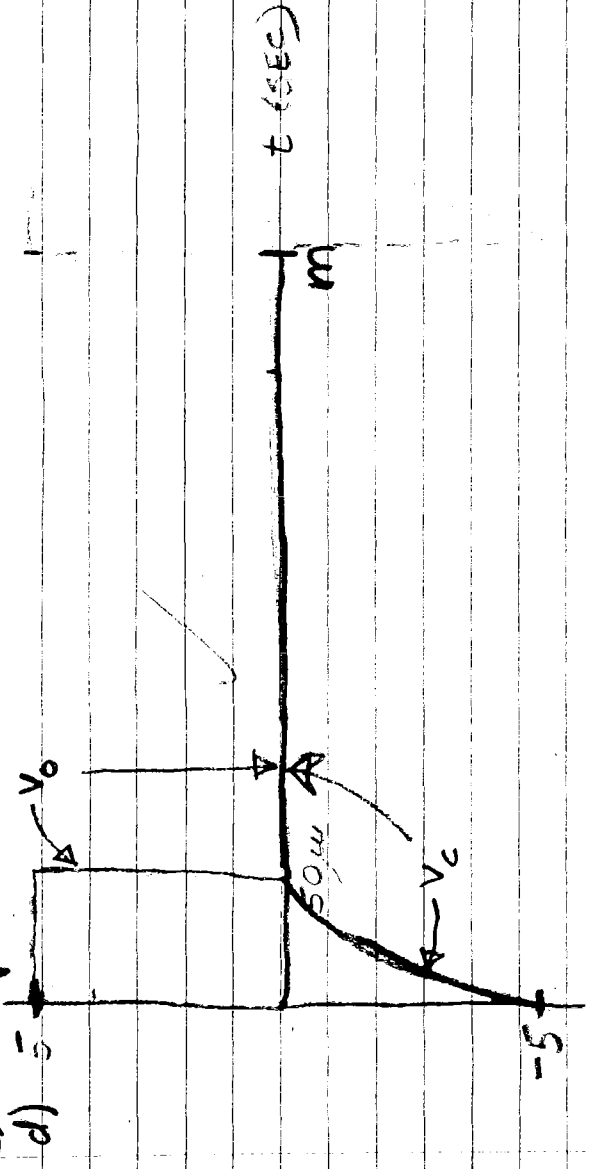
$5 = 10e^{-t/\tau}$

$\ln 0.5 = \frac{-50 \times 10^{-6}}{50 \times 10^3} C \Rightarrow C = 10^{-9} \text{ / } \ln 2$
 $= 1.44 \times 10^{-9} \text{ F} = 1440 \text{ pF}$

DIRECTLY AFTER SQUARE WAVE GOES TO 0



c) NO ✓



(4/4)



a) $P = VI \Rightarrow I_D = P_D / V_D = \frac{250}{10} = 25 \text{ mA}$ ✓

b) $V = 25, I_L = 0$

$V_D = 15 \text{ V}; P = V_D I_D = 15 \cdot 0.25 = 3.75 \text{ W}$ ✓

c) $I_R = I_L + I_D; I_D = 1 \text{ mA}$

$V_D = 10 \text{ V} \Rightarrow I_R = \frac{P_D}{V_D} = \frac{200}{10} = 20 \text{ mA}$ ✓

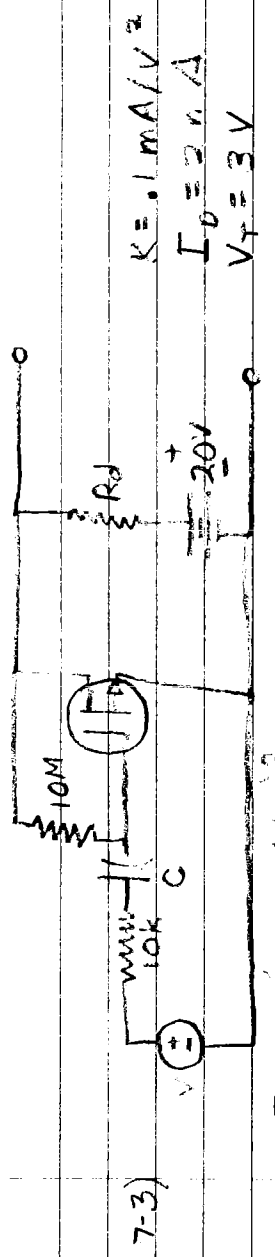
$\Rightarrow I_L = 15.7 \text{ mA}$

5-2) $20 < V < 25; I_D > 1 \text{ mA}; I_L = 30$

a) $I_R = 21 \text{ mA}; V_D = 10 \text{ V}$
 $R = \frac{10}{0.021} = 476 \Omega$ ✓

b) $I_L = 0 \Rightarrow I_R = \frac{15}{322} = 46.5 \text{ mA} \Rightarrow P = I_R V_D = 0.0465 \cdot 10 = 0.465 \text{ W}$ ✓

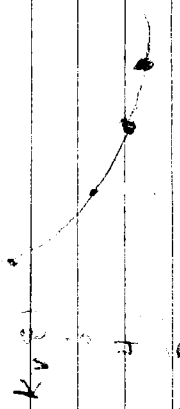
6.5
8



- 1; $I_D = K(V_{GS} - V_T)^2$
- 1; $I_D = 0.1(V_{GS} - 3)^2 \Rightarrow V_{GS} = V_{DS} = 6.16$
- $\Rightarrow R_D = \frac{V_{DD} - V_{GS}}{I_D} = 13.84 K$
- 2; $V_{GS} = 3 = V_{DS} = 1.46 \Rightarrow V_{GS} = V_{DS} = 7.4$
- $\Rightarrow R_D = 6.27 K$
- 3; $V_{GS} = 8.46, R_D = 3.25 K$
- 4; $V_{GS} = 9.22, R_D = 2.67$

$I_D = 1 \Rightarrow K_V = 2.81 (V_{GS} - V_T)$
 $= (2.81)(3.16) = 8.75 V$

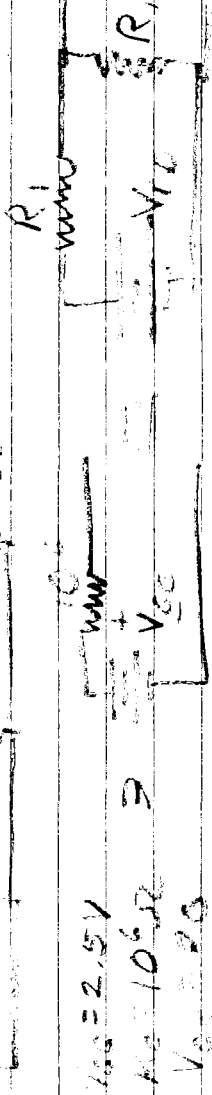
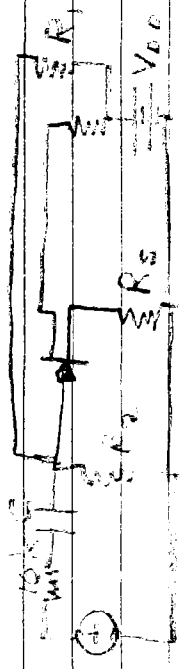
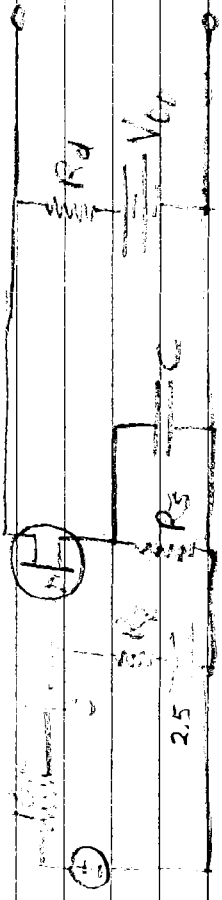
$I_D = 2 \Rightarrow K_V = 4.46 (4.46) = 5.6 V$
 $I_D = 3 \Rightarrow K_V = 4.21 V$
 $I_D = 4 \Rightarrow K_V = 3.37 V$



$I_D = 1 \Rightarrow 4 I_D (mA)$

b) THE BIAS POINT MUST BE IN THE SATURATION REGION. MUST THUS REACH COMPROMISE IN DESIGN

7-5)

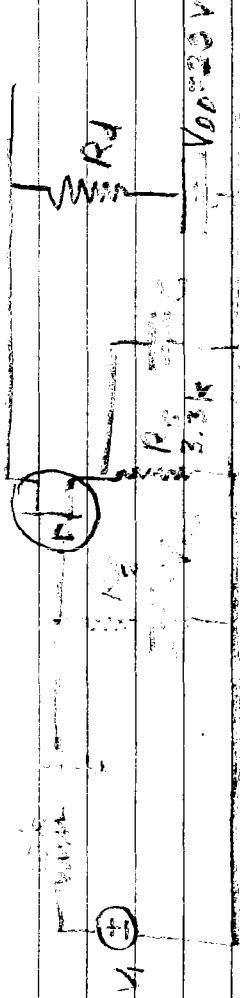


$V_{cc} = 2.5V$
 $R_1 = 10^4 \Omega$
 $V_{cc} = 2.0$

$\frac{R_1 R_2}{R_1 + R_2} = 10^4 \text{ ANL}$
 $\Rightarrow 7R_2 = 10^4$

$\frac{7R_2^2}{8R_2} = 10^6 \Rightarrow R_2 = 1.14M$
 $R_1 = 8M$

7-6)



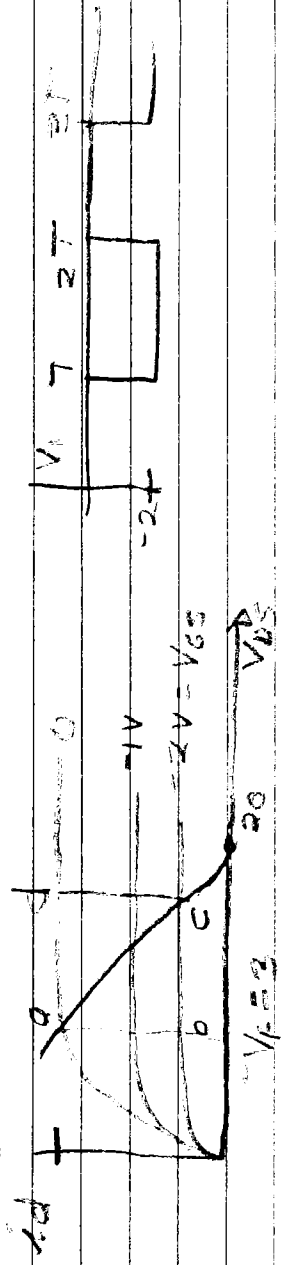
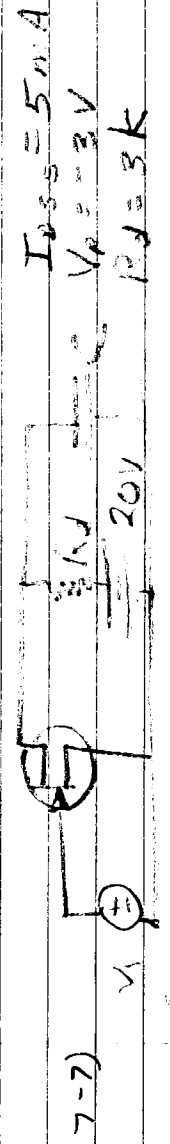
$I_{DSS} = 6 \text{ mA} ; V_P = 4 \text{ V} ; I_D = 1.5 \text{ mA} ; V_{GS} = 6$

$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_P}\right)^2 \Rightarrow 1.5 = 6 \left(1 - \frac{V_{GS}}{4}\right)^2 \Rightarrow V_{GS} = -2 \text{ V}$

$V_{GS} = -V_S + V_{GS} ; V_S = I_D R_S = 4.0 \text{ mV}$
 $V_S = 4.0 \text{ mV} ; V_{GS} = 2.9 \text{ mV}$

$V_{DS} = V_{DD} - (R_D + R_S) I_D \Rightarrow 6 - 20 = (R_D + 3.3 \text{ k}) (1.5)$
 $\Rightarrow R_D = 6 \text{ k}$

b) $K_V = \frac{-2 R_D I_{DSS} \left(1 - \frac{V_{GS}}{V_P}\right)}{\left(2 \frac{V_{GS}}{V_P}\right) \left(1 - \frac{V_{GS}}{V_P}\right)} \Rightarrow V_{GS} = V_G + V_{GS} = -2 \text{ V}$
 $= \frac{-2 \cdot 6 \text{ k} \cdot 6 \text{ mA} \cdot \left(1 - \frac{-2}{4}\right)}{\left(2 \cdot \frac{-2}{4}\right) \cdot \left(1 - \frac{-2}{4}\right)} = 9$



- a) $i_d = (5 \text{ mA}) \left(1 - \frac{V_{DS}}{V_P}\right)^2 = 5 \text{ mA}$
 b) $i_d = (5 \text{ mA}) \left(1 - \frac{15}{-3}\right)^2 = 1.67 \text{ mA}$
 c) $V_{GS} = V_{DS} = 15 \text{ V}$
 d) $V_{GS} = V_{DS} = 15 \text{ V}$

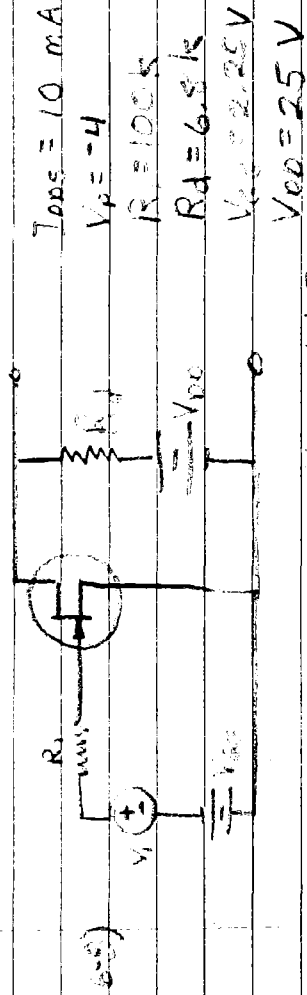
b) $P = V_{GS} i_d = (15)(1.67) = 25 \text{ mW}$

- Ⓐ **Ⓒ** .55 mA 5 V.
- Ⓑ **Ⓒ** .55 mA 18.3 V
- Ⓒ **Ⓒ** 5 mA 18.3 V

-1/2

PT **Ⓓ** $S(18.3) = 91.5 \text{ mW}$

$\frac{9.5}{18}$

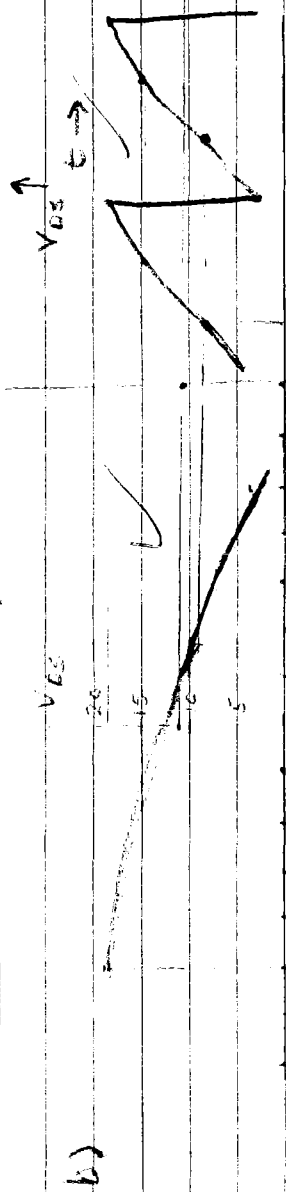


$$V_{GS} = V_{DD} - R_D I_{DQ} (1 - \frac{V_{GS} - V_{th}}{V_{DD} - V_{th}})^2$$

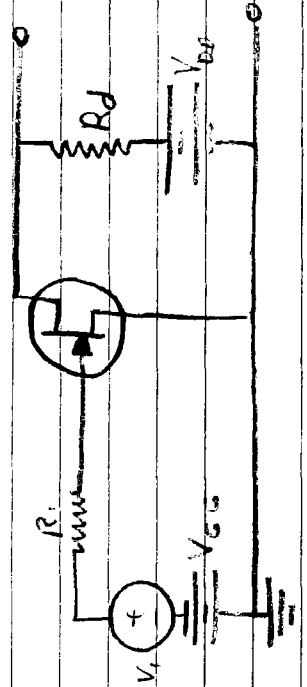
$$= 25 - (6.8 \times 10) (1 - \frac{2.25 - V_{th}}{25 - V_{th}})^2$$

$$= 25 - 68 (0.438 - \frac{V_{th}}{4})^2 = 25 - 17 (0.76 - V_{th})^2$$

V_{GS}	V_{DS}	I_D
0	12	2.5
-0.5	18.5	3.7
-1.5	24.7	2.5
-2	24.7	2.5



$I_{DSS} = 10 \text{ mA}$
 $V_p = 4 \text{ V}$
 $V_{GS} = 2.25 \text{ V}$
 $V_{DS} = 2 \text{ V}$
 $R_s = 1 \text{ k}$
 $R_d = 6.8 \text{ k}$



6.13)

$V_i = V_{GS} + I_D R_s$
 a) $70 \text{ D} = 100 \text{ } \frac{V_i}{V_o}$
 $V_i = \frac{V_{GS} - V_T}{2.5} = \frac{2.25 - 4}{2.5} \times 4 = 1.4 \text{ V}$
 b) $A_v = \frac{R_d}{R_s} = \frac{6.8 \text{ k}}{1 \text{ k}} = 6.8$

c)

(-1)

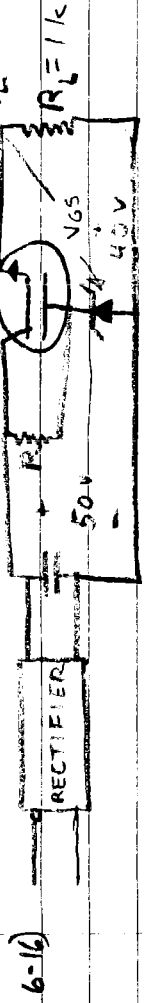
d)

6-13 USING 1.5 POWER ? (-2)

6-14) $i = a_0 + a_1 V + a_2 V^2 + a_3 V^3$
 $= a_0 + a_1 V \cos 6.28 \times 10^3 t + a_2 V^2 \cos^2 6.28 \times 10^3 t + a_3 V^3 \cos^3 6.28 \times 10^3 t$
 $\cos^2 \theta = \frac{1 + \cos 2\theta}{2}$
 $\Rightarrow V^2 \cos^2 6.28 \times 10^3 t = V^2 \left(\frac{1 + \cos 12.56 \times 10^3 t}{2} \right)$
 $\cos^3 \theta = \frac{3}{4} \cos \theta + \frac{1}{4} \cos 3\theta$
 $\Rightarrow i = a_0 + \frac{a_2}{2} + \left(a_1 + \frac{3a_2}{4} \right) \cos \omega t + \frac{a_2}{2} \cos 2\omega t + \frac{a_3}{4} \cos 3\omega t$

∴ FREQUENCIES OF INPUTS

- $\omega = 1 \text{ kHz}$
- $2\omega = 2 \text{ kHz}$
- $3\omega = 3 \text{ kHz}$



$K = .7 \text{ mA/V}^2 \quad V_T = 3 \text{ V}$

a) $V_{GS} = 40 - V_L$

$i_d = \frac{V_L}{R_L}$

$i_d = K(V_{GS} - V_T)^2 \Rightarrow V_L = .7(40 - V_L - 3)^2$

$V_L^2 - 75.43 V_L + 1369 = 0$

$\Rightarrow V_L = \frac{75.43 \pm \sqrt{184}}{2}$

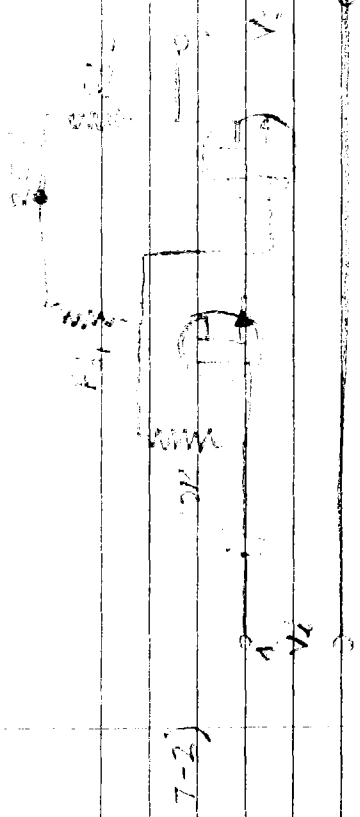
$V_L = 30.5 \text{ V} \quad \text{OR} \quad V_L = 44.5 \text{ V}$

$V_{GS} < V_T \Rightarrow V_L = 30.5 \text{ V}$

b)

(-)

c)



100 ohm resistor I_1

$$I_1 = I_2 = I_3 = I$$

$$I = \frac{V}{R} = \frac{25 - 3}{100 + 10} = \frac{22}{110} = 0.2 \text{ A}$$

$$I_1 = 0.2 \text{ A}$$

$$I_2 = 0.2 \text{ A}$$

$$I_3 = 0.2 \text{ A}$$

10 ohm resistor I_2

$$I_2 = 0.2 \text{ A}$$

3V source I_3

$$I_3 = 0.2 \text{ A}$$

$$I_1 = 0.2 \text{ A}$$

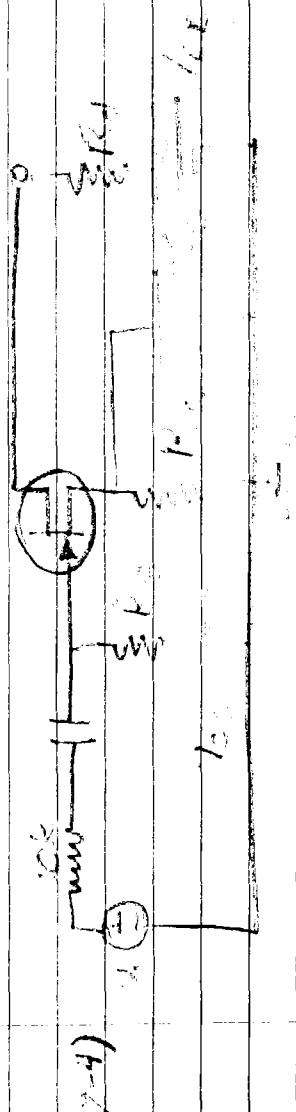
$$I_2 = 0.2 \text{ A}$$

$$I_3 = 0.2 \text{ A}$$

$$I_1 = 0.2 \text{ A}$$

$$I_2 = 0.2 \text{ A}$$

$$I_3 = 0.2 \text{ A}$$



$V_{oc} = 8 \text{ V}$

$V_{oc} = 0$

$V_{oc} = 4$

$V_{oc} = 8$

$R_s = 1 \text{ M}$

2. Let $V_{oc} = 8 \text{ V}$
 $V_{oc} = 0$
 $V_{oc} = 4$
 $V_{oc} = 8$

$\Rightarrow V_{oc} = 8 \text{ V}$
 $(V_{oc} = 8 \text{ V})$

$V_{oc} = 8 \text{ V}$

$V_{oc} = 8 \text{ V}$

$R_s = 1 \text{ M}$

$R_L = 1 \text{ M}$

b)

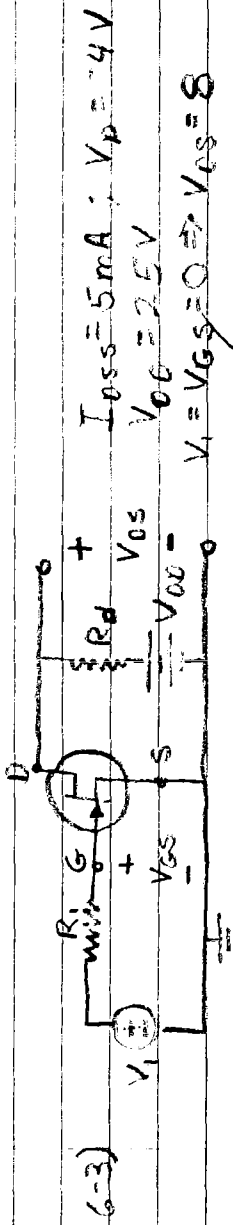
$\Rightarrow 1/2$

c)

$\Rightarrow 2$

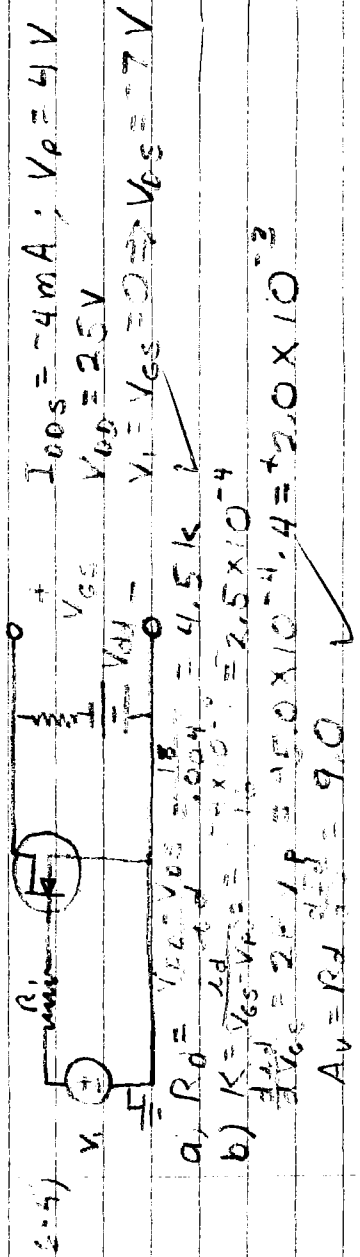
$\Rightarrow 11$

7.5/8



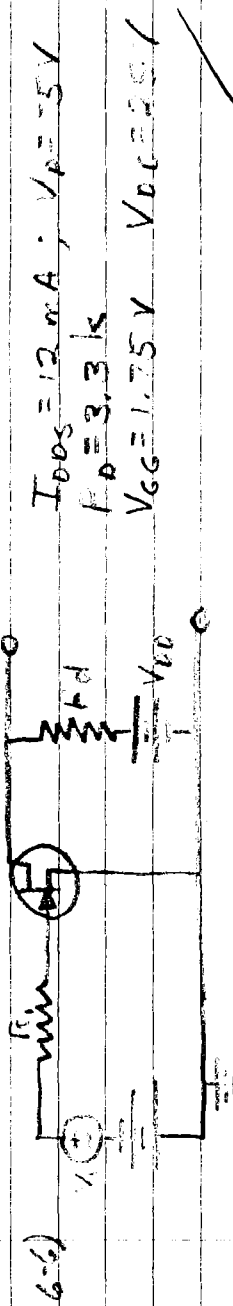
6-3) $I_{DSS} = 5 \text{ mA}; V_P = -4 \text{ V}$
 $V_{GS} = 2.5 \text{ V}$
 $V_1 = V_{GS} = 0 \Rightarrow V_{GS} = 8$

a) $R_d = \frac{V_{DD} - V_{DS}}{I_D} = \frac{17}{0.05} \Omega = 34 \text{ k}$
 b) $K = \frac{I_D}{V_{GS} - V_P} = \frac{0.05}{(16)} = 3.14 \times 10^{-4}$
 $A = R_d \frac{dI_D}{dV_{GS}} = 3.4 \times 10^3 (2.51 \times 10^{-3}) = 8.53 \text{ V}$



6-4) $I_{DSS} = 4 \text{ mA}; V_P = -4 \text{ V}$
 $V_{GS} = 2.5 \text{ V}$
 $V_1 = V_{GS} = 0 \Rightarrow V_{GS} = 7 \text{ V}$

a) $R_d = \frac{V_{DD} - V_{DS}}{I_D} = \frac{18}{0.04} = 4.5 \text{ k}$
 b) $K = \frac{I_D}{V_{GS} - V_P} = \frac{0.04}{16} = 2.5 \times 10^{-4}$
 $A = R_d \frac{dI_D}{dV_{GS}} = 4.5 \times 10^3 (2.0 \times 10^{-3}) = 9.0$



6-6) $I_{DSS} = 12 \text{ mA}; V_P = -5 \text{ V}$
 $R_P = 3.3 \text{ k}$
 $V_{GS} = 1.75 \text{ V}$
 $V_{DD} = 2.5 \text{ V}$

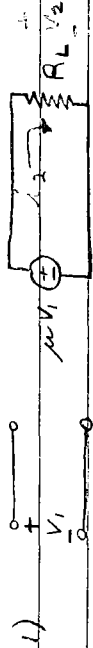
a) $I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_P}\right)^2 = 12 \times 10^{-3} \left(1 - \frac{1.75}{5}\right)^2 = 5.1 \text{ mA}$
 $V_{DS} = V_{DD} - R_D I_D = 2.5 - (3.3)(5.1) = 8.3 \text{ V}$
 b) $K = I_{DSS} / V_P^2 = 12 \times 10^{-3} / 25 = 4.8 \times 10^{-3}$
 $A = R_D 2K (V_{GS} - V_P)$
 $= 3.30 \times 10^3 (2)(12 \times 10^{-3}) (5.25 - 2.5) = 10.3$

6-7) $I_{DSS} = 10^{-3} \text{ A}; V_P = -4 \text{ V}; V_{DD} = 2.5 \text{ V}$
 a) $R_D = \frac{2.5}{10^{-3}} = 1.8 \text{ k}$
 b) $A_V = \frac{2 R_D}{25 \times 10^{-3}} = 0.85 / V_P = -3.6 \times 10^3 \times 10 \times 10^{-3} = 9$
 c) $R_{GS} = \frac{1.8}{2.5 \times 10^{-3}} = 720 \Omega; V_{GS} - V_P = \sqrt{\frac{I_D}{K}} = 2.5 \text{ V}$
 $\Rightarrow V_{GS} = 4 + 2.5 = 6.5 \text{ V}$
 d) $A = \frac{0.85}{2.5 \times 10^{-3}} = 14 \text{ X}$
 e) ~~TRIST~~

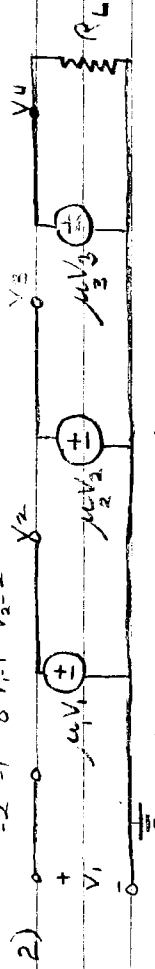
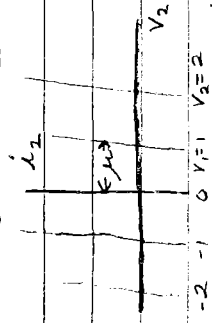
-1/2

I) IDEAL AMPLIFIERS

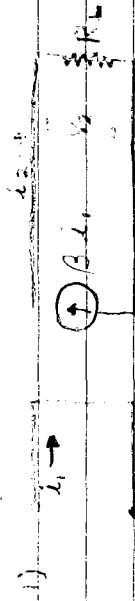
A) IDEAL VOLTAGE AMPLIFIERS



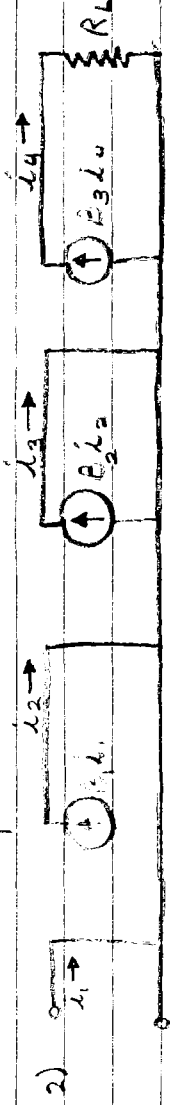
$$P = \frac{(2\mu V_1)^2}{R_L}$$



B) IDEAL CURRENT AMPLIFIERS



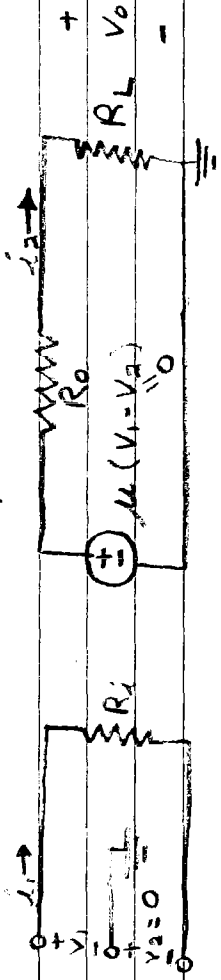
$$P = (\beta i_1)^2 R_L$$



$$i_4 = \beta_1 \beta_2 \beta_3 i_1$$

$$P = (\beta_1 \beta_2 \beta_3 i_1)^2 R_L$$

C) PRACTICAL TRANSISTOR MICROAMPLIFIER



$$A_v = \frac{R_L}{R_o + R_L} \mu$$

$$A_c = \frac{V_o}{V_i} \cdot \frac{R_i}{R_i} = \frac{R_i}{R_i} A_v$$

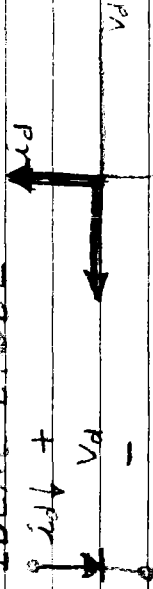
$$A_p = \frac{V_o^2 R_L}{V_i^2 R_i} = A_v A_c$$

D) GAIN IN DECIBELS

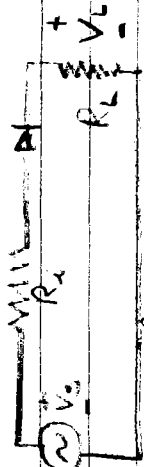
$$G_p = 10 \log_{10} \frac{P_o}{P_i}$$

$$A_v = 20 \log_{10} \frac{V_o}{V_i}$$

II) THE IDEAL DIODE

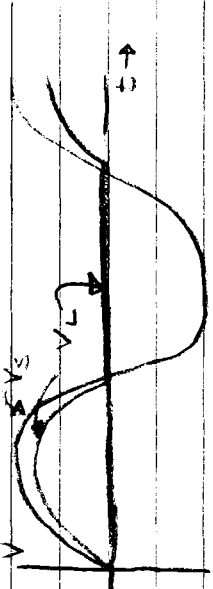


A) THE HALF WAVE RECTIFIER

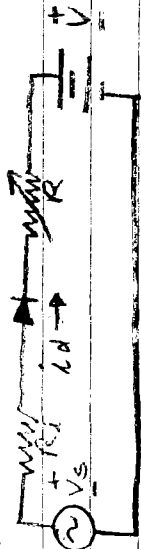


$$V_L = \frac{R_s}{R_s + R_L} V_s ; V_s > 0$$

$$= 0 ; V_s < 0$$

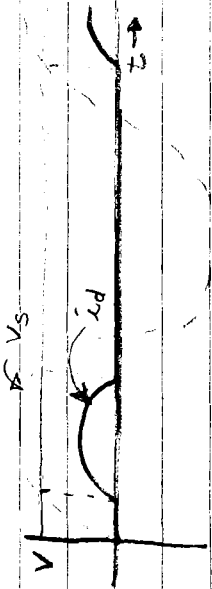


B) BATTERY CHARGER

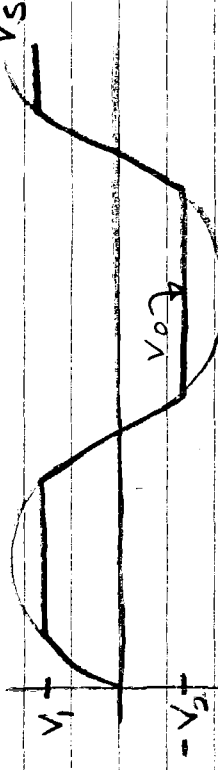
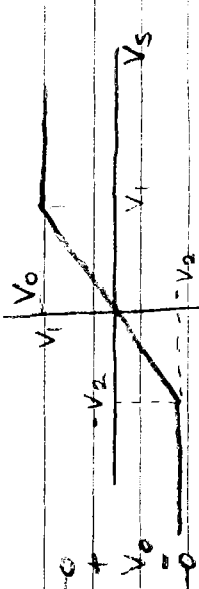
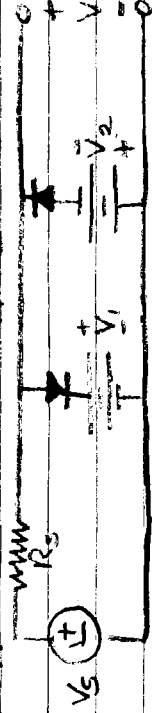


$$i_d = \frac{V_s - V_b}{R_s} ; V_s > V_b$$

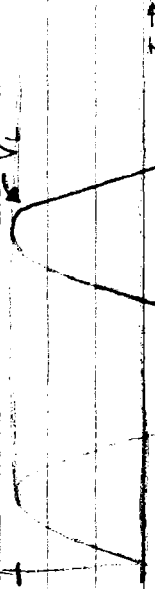
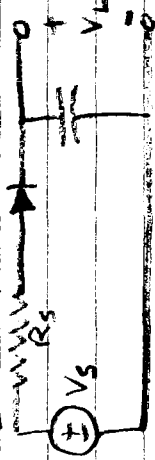
$$= 0 ; V_s < V_b$$



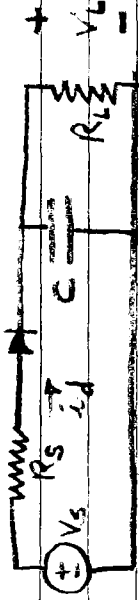
C) THE DIODE LIMITER



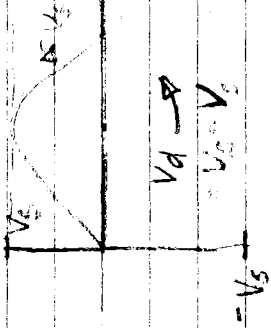
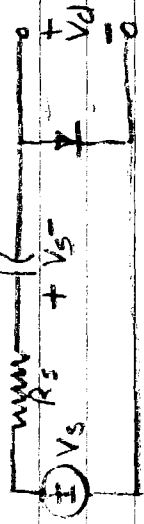
D) THE PEAK RECTIFIER



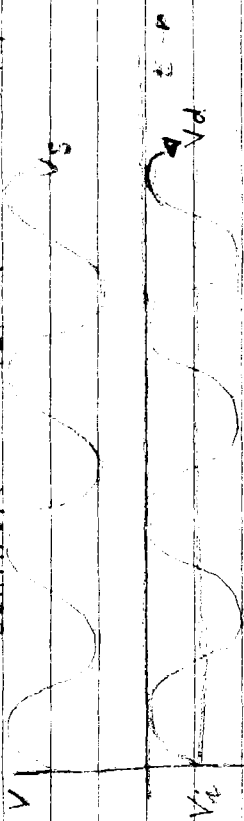
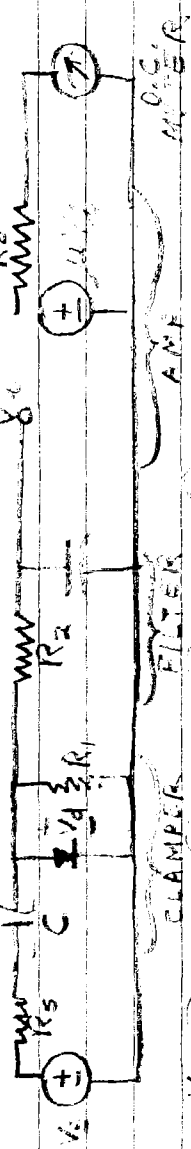
E) PEAK RECTIFIER WITH RESISTIVE LOAD



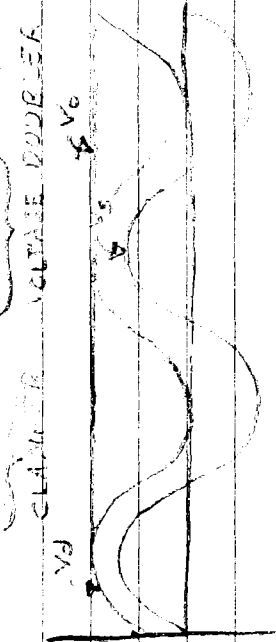
F) THE DIODE CLAMPER



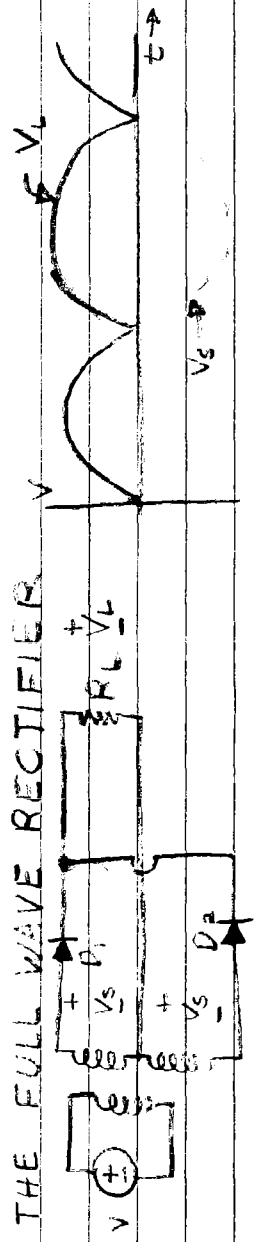
G) A.C. VOLTMETER



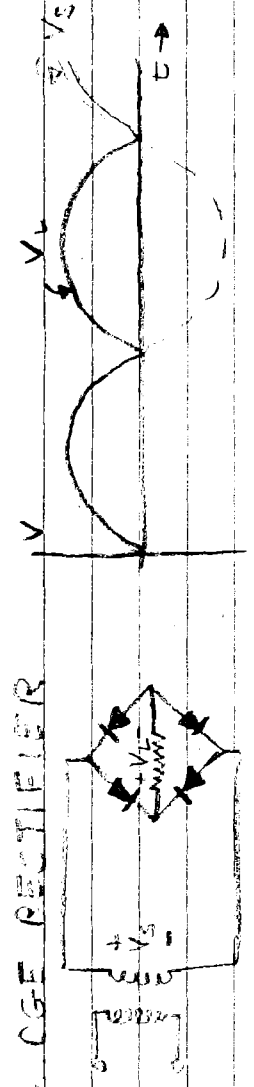
H) THE VOLTAGE DOUBLER



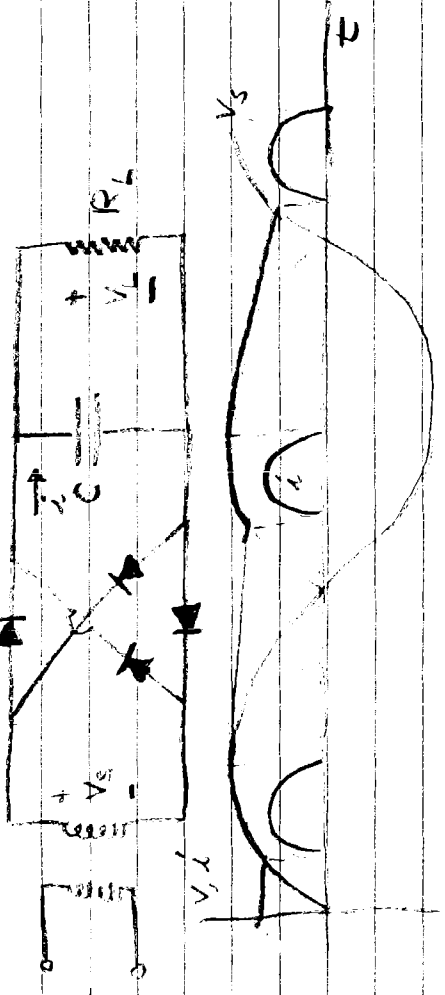
I) THE FULL WAVE RECTIFIER



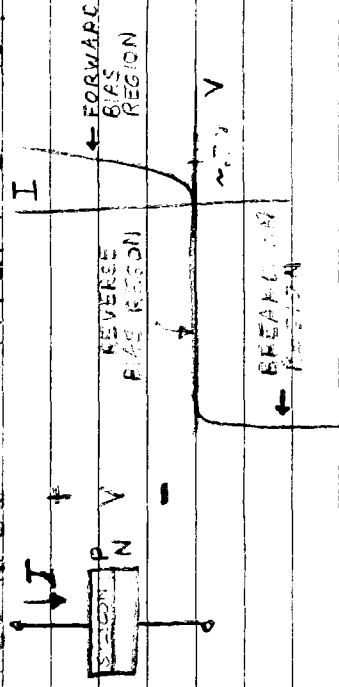
J) BRIDGE RECTIFIER



K) BRIDGE RECTIFIER WITH CAPACITOR FILTER



III) SEMICONDUCTION MATERIALS AND THE P-N JUNCTION



IV) THE PN JUNCTION WITH REVERSE BIAS

A) THE ZENER DIODE (USED AS VOLTAGE LIMITER)
 (V-I CURVE IS REV. BIAS BREAKDOWN)



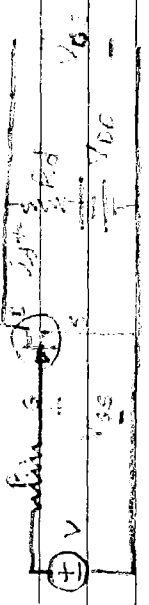
B) VOLTAGE CONTROLLED CAPACITANCE

$$\text{PLUG: } C_j = \frac{K}{(\psi_0 + V)^n}$$

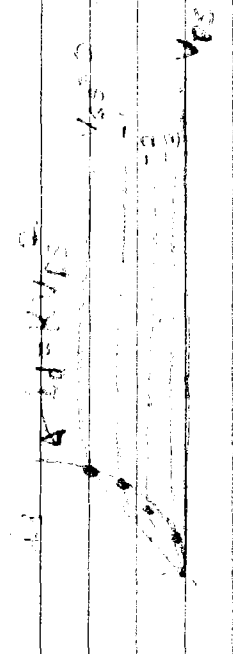
ψ_0 = CONTACT POTENTIAL ACROSS JUNCTION

K = CONSTANT n = CONSTANT

THE SET UP FOR THE MEASUREMENT



MEASUREMENT OF THE DRAIN CURRENT

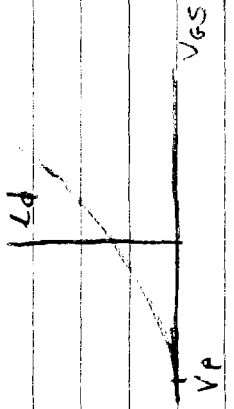


$V_p < 0$ FOR N CHANNELS

$V_p > 0$ FOR P CHANNELS

AT PINCH-OFF THE CHANNEL $V_{gs} - V_{ps} = V_p < 0$

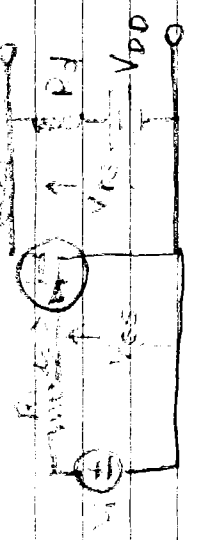
$0.5 V_{gs} - V_p < V_{ps} \Rightarrow I_d = k(V_{gs} - V_p)^2$



$I_d = I_{dss} (1 - \frac{V_{gs}}{V_p})^2$

I_{dss} IS DRAIN CURRENT AT $V_{gs} = 0$ AFTER PINCHOFF

THE BASIC PUT AMP



$V_{gs} - V_{ce} = V_{dd}$
 $= V_{dd} - R_E I_{dss} (1 - \frac{V_{gs}}{V_p})^2$
 $\Rightarrow V_{gs} - R_E I_{dss} (1 - \frac{V_{gs}}{V_p})^2 = V_{dd}$

$\Rightarrow R_E I_{dss} \Rightarrow V_{dd} = V_{dd} - R_E I_{dss} (1 - \frac{V_{gs}}{V_p})^2$

NOTATION

CAPITAL LETTERS: $V, I \Rightarrow$ D.C. VALUES

LOWER CASE LETTERS: $v, i \Rightarrow$ TIME VARYING

CAPITAL SUBSCRIPTS: TOTAL V OR CURRENT

LOWER CASE SUBSCRIPTS: SIGNAL COMPONENTS

$V_{DS} \Rightarrow$ QUIESCENT OPERATING COND. IN

AT QUIESCENCE: $i_d = I_{DSS}$

$V_{DS} = V_{DD}$, $i_d = I_{DSS}$ \Rightarrow $P = V_{DS} I_{DSS} \Rightarrow V_{DS} = V_{DD} - R_D I_{DSS}$



EST. AMP WITH GATE BIAS VOLTAGE



$V_{GS} = V_{GS} + V_i$

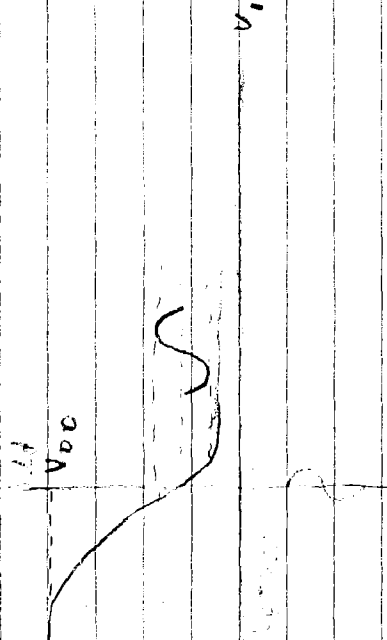
$V_{GS} = V_{GS} + V_i \Rightarrow V_{GS} = -V_{GS} - V_i$

$V_{GS} = V_{DD} - R_D I_{DSS} - V_i - \frac{V_{GS} - V_i}{\mu}$

$= V_{DD} - R_D I_{DSS} - V_i - \frac{V_{GS} - V_i}{\mu}$

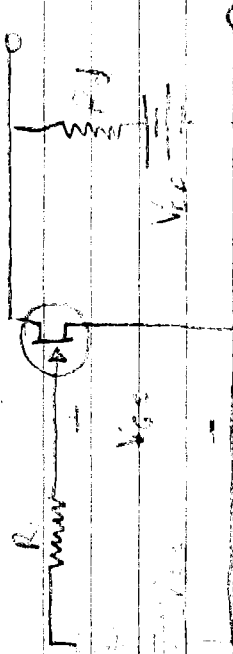
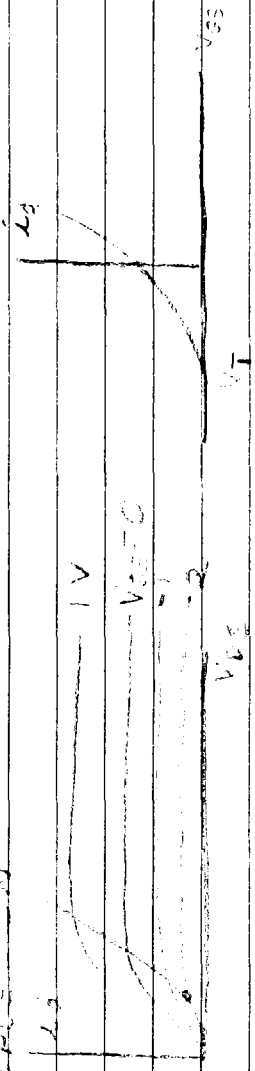
$K_V = \frac{2 R_D I_{DSS}}{\mu} (1 - \frac{V_{GS} - V_i}{V_{GS} - V_i})$

DISC. OTHER CIRCUIT PROPERTIES



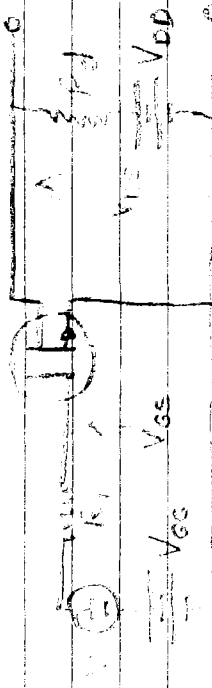
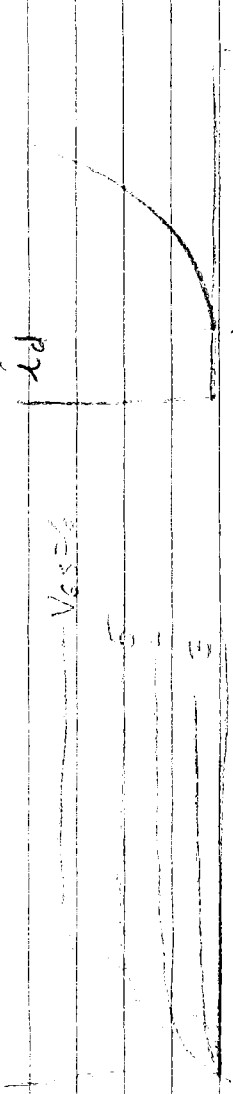
THE MOST

CHARACTERISTICS



CHARACTERISTICS MOST

$$I_D = K(V_{GS} - V_T)^2$$



$$V_{GS} = V_{DD} - R_D I_D = V_{DD} - K R_D (V_{GS} - V_T)^2$$

$$= V_{GS} - K R_D [(V_{GS} - V_T) + V_T]^2$$

$$= V_{GS} - 2K R_D (V_{GS} - V_T) V_T + K R_D V_T^2$$

$$= V_{GS} - V_{DD} - K R_D (V_{GS} - V_T)^2$$

DISTORTION (PERCENTAGE)

$$V_{GS} = \frac{V_{DD} + V_{GS} + V_T}{2} \pm \sqrt{\frac{K R_D (V_{DD} - V_{GS} - V_T)^2}{2}}$$

$$V_A = \frac{V_{DD} + V_{GS} + V_T}{2} \pm \sqrt{\frac{K R_D (V_{DD} - V_{GS} - V_T)^2}{2}}$$

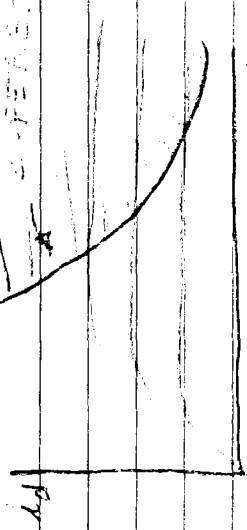
$$D = \frac{V_{DD} - V_{GS} - V_T}{V_{DD} - V_{GS} - V_T}$$

POWER RELATIONS IN ELECTRONIC CIRCUITS

Power

Power

$$P_{\text{max}} = I_0^2 R; P_{\text{max}} = R I_0^2 + R I_0^2$$



CHARACTERISTICS OF COMMERCIAL DIODES
MOSFET DIODES

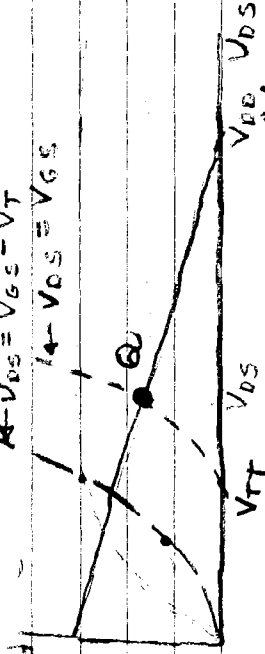
V_{DS}

VII) PRACTICAL FET AMPLIFIER AND SIGNAL MODEL



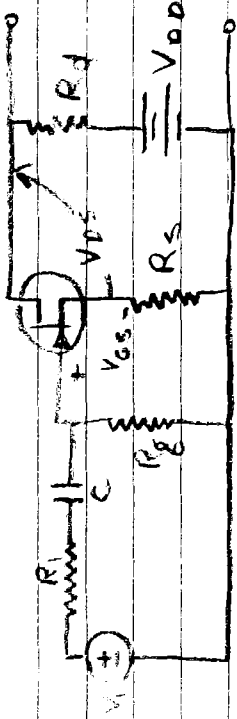
AT QUIESCENCE $V_{GS} = V_{GS}$

$V_{GS} > V_{GS} \Rightarrow I_D > 0$; $V_{GS} = V_{GS} - V_{GS}$
 $V_{GS} = V_{GS} - V_{GS}$
 $I_D = I_{DSS} (1 - \frac{V_{GS}}{V_p})^2$



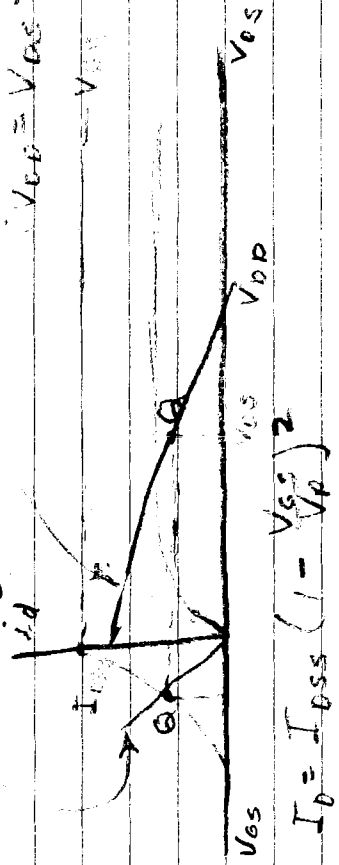
$V_{GS} = V_{DD} - I_D R_D$; $I_D = \frac{V_{GS} - V_{GS}}{R_D} - \frac{V_{GS}}{R_D}$
 $I_D = K (V_{GS} - V_{GS})^2$

B) FET WITH SELF BIAS

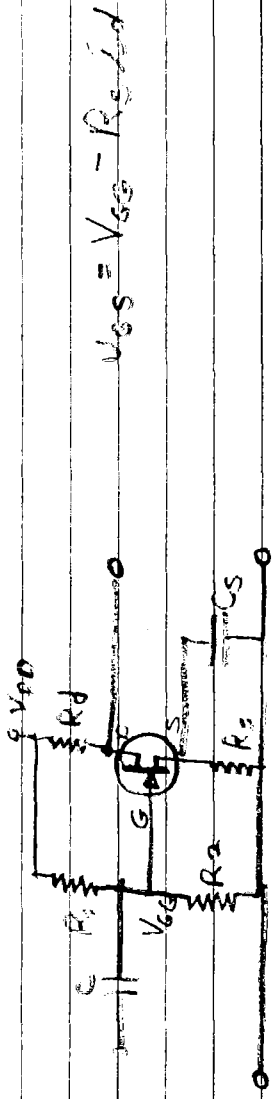


AT QUIESCENCE

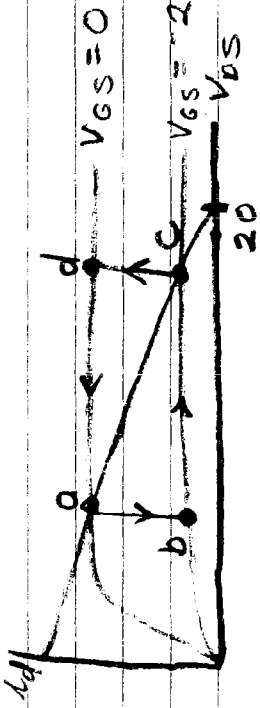
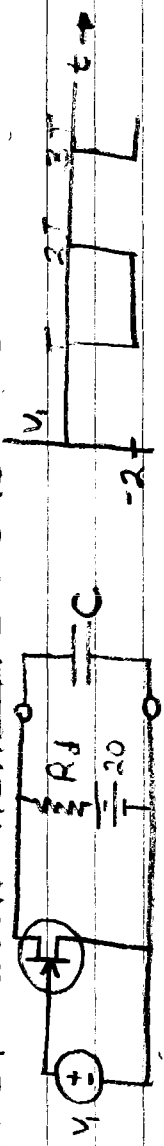
$V_{GS} = -R_S I_D$; $I_{DQ} = \frac{V_{DD}}{R_D + R_S} - \frac{V_{DD}}{R_D + R_S} - V_{GS}$
 $V_{GS} = V_{GS} - (R_D + R_S) I_{DQ}$



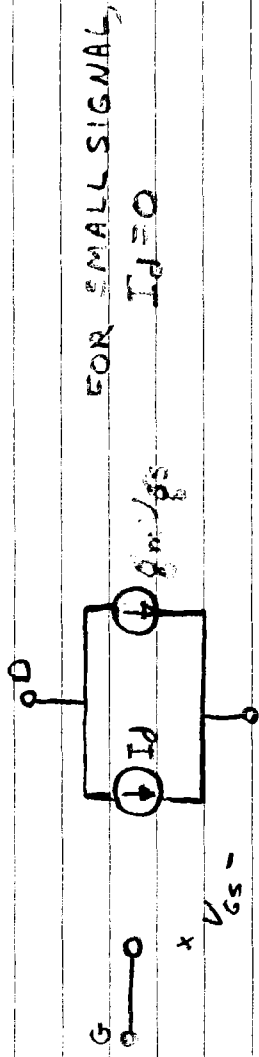
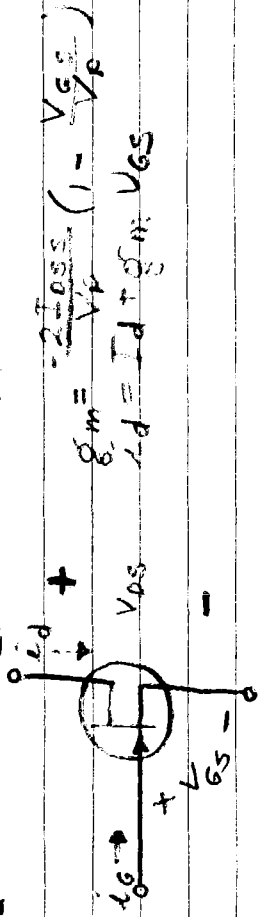
$I_{DQ} = I_{DSS} (1 - \frac{V_{GS}}{V_p})^2$



C) JFET WITH REACTIVE LOAD

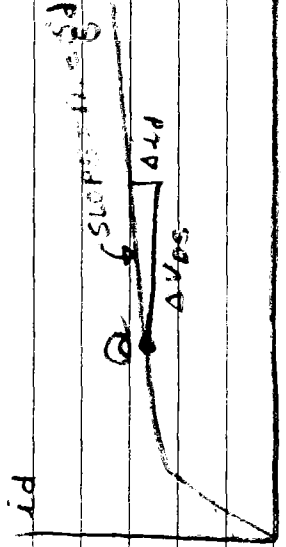


D) SMALL-SIGNAL LINEAR MODELS FOR FET'S



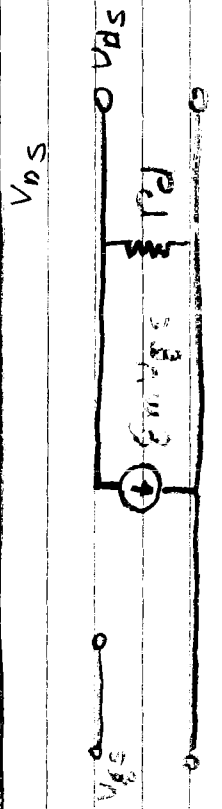
$K_V \approx g_m R_D ; \frac{dI_d}{dV_{GS}} = g_m ; K_V = g_m R_D \frac{R_L}{R_L + R_D}$
 $\Rightarrow R_C \gg R_L$
 $g_m = g_{m0} (1 - V_{GS}/V_P) = \sqrt{I_D/I_{DSS}}$

e) SECOND-ORDER EFFECTS IN FETs

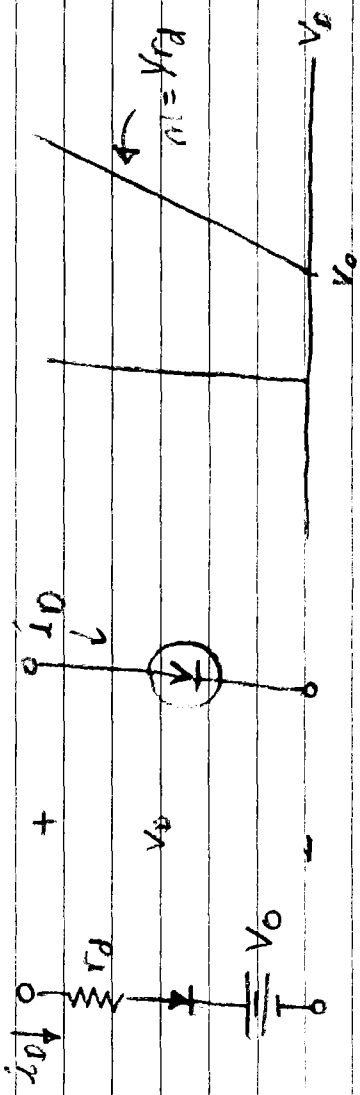


$$P_{D1} = P_{D2} = \frac{SVA_{TP}}{2TP}$$

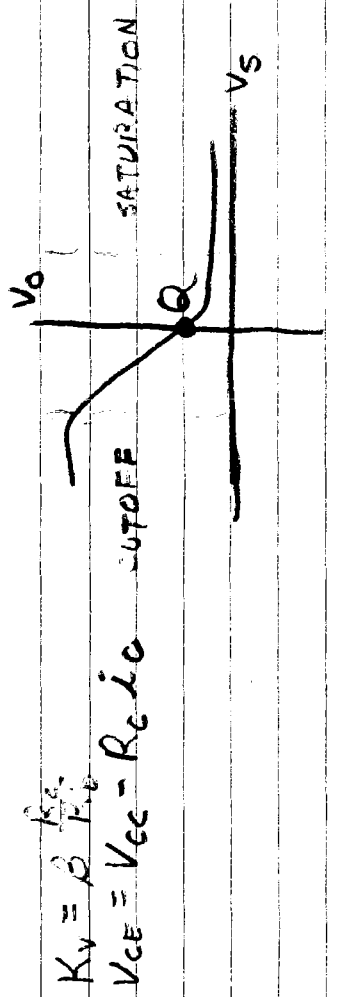
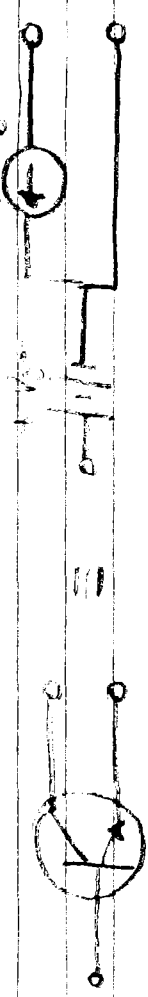
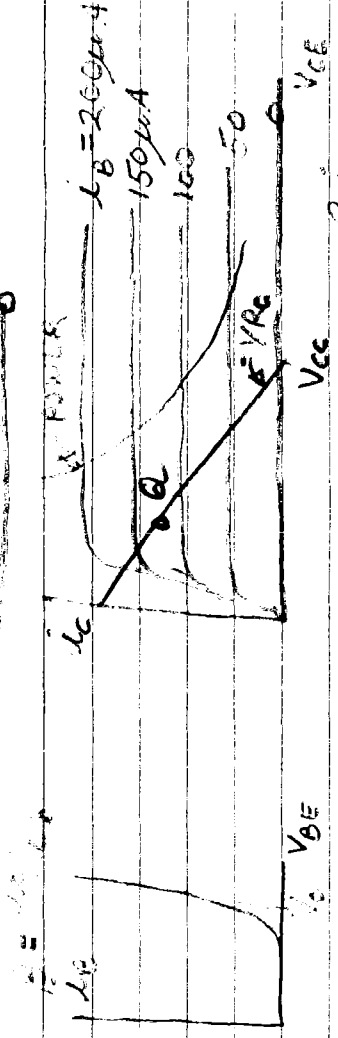
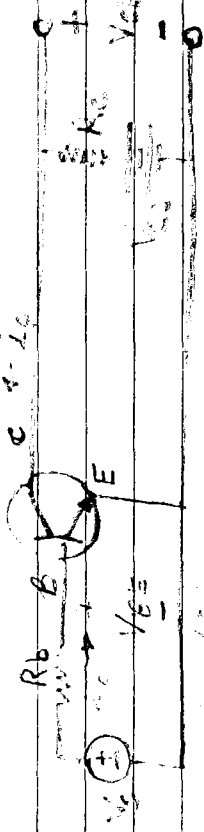
$$SPR_{D1} = \frac{P_{D1}}{P_T} = \frac{SVA_{TP}}{2TP}$$



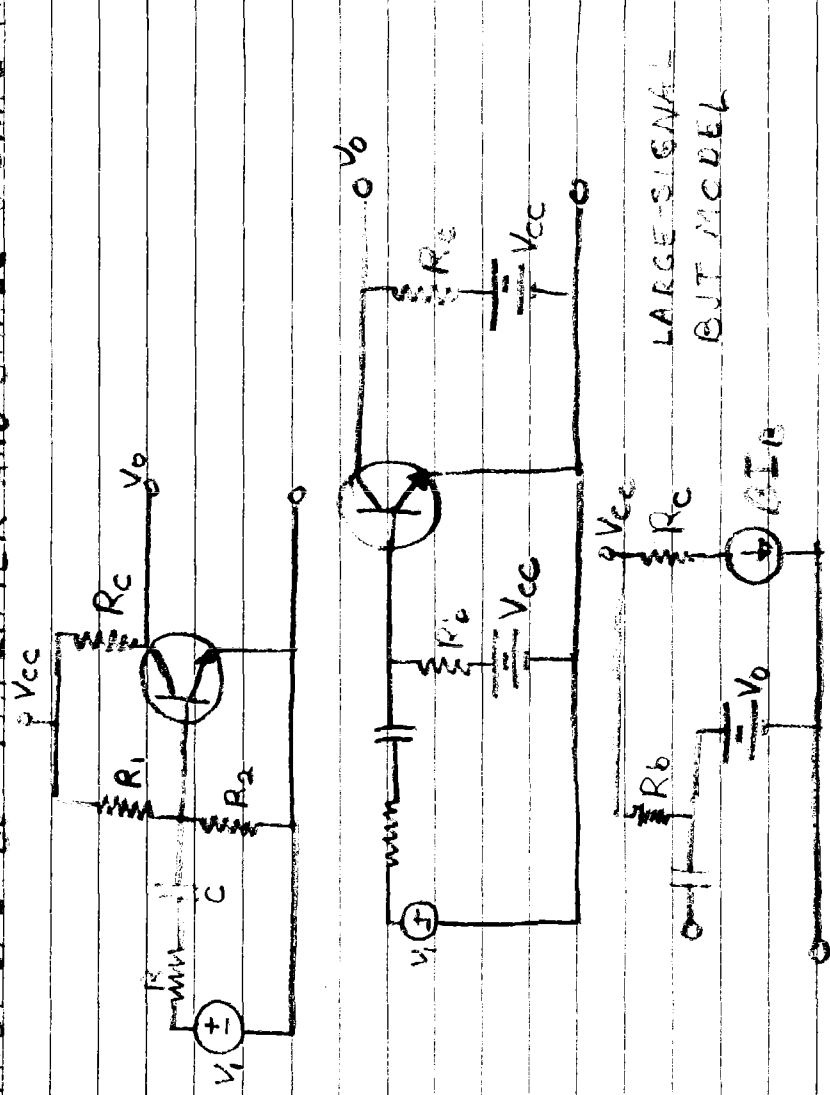
VIII THE p-n JUNCTION WITH FORWARD BIAS



IX) THE BUT AS AN AMPLIFIER



*) PRACTICAL BUT AMPLIFIER AND SMALL-SIGNAL MODELS



LARGE SIGNAL BUT MODEL

$$V_{BB} = V_{cc} / (1 + R_1/R_2)$$

$$R_B V_{cc} \approx R_1 V_{BB}$$

COMMON SOURCE AMPLIFIER

$C_g = \frac{C_{gs} + C_{gd}}{1 - \frac{v_{gs}}{v_p}}$

$I_d = I_{DSS} (1 - \frac{V_{GS}}{V_p})^2$

$V_{GS} = V_{DS} = R_d I_d$

$V_{GS} = -2 I_d R_{SS} / V_p$

$C = \frac{25}{V_p} V_T$

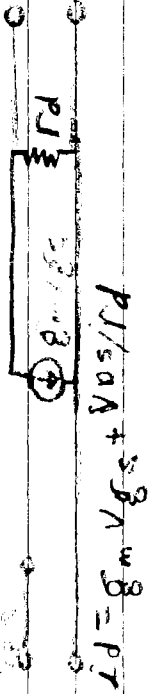
MOST

$V_{GS} = V_{DS} = I_d R_d ; I_d = \frac{V_{GS}}{2 R_{SS} / V_p}$

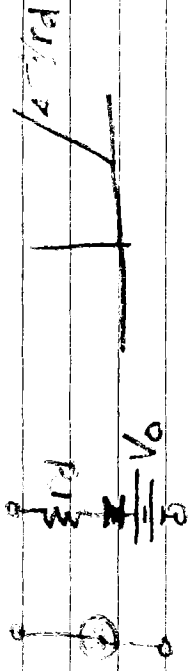


$R_{th} = \frac{R_1 R_2}{R_1 + R_2} ; V_{GS} = V_{DD} / F_{DSS} \text{ @ } I_{DQ}$

2ND ORDER EFFECTS



$I_d = g_m V_{gs} + I_{DSS} / V_p$



BUT'S AS AMPLIFIERS V_o



$S_{e2} = \frac{A_{v2}}{A_{v1}} ; R_e = 1 - S_{e2}$
 $S_{e2} = \frac{I_{DQ}}{I_{DSS}} ; R_b = S_{e2} (1 + \beta) - 1$
 $R_b V_{CC} = R_1 V_{DD} ; V_{CC} (1 - \beta_1 / \beta_2) = V_{CC}$

The image shows a grid of 20 columns and 10 rows. A horizontal line is drawn across the bottom of the grid, and a vertical line is drawn on the left side, creating a header row and a left margin. The grid is mostly empty, with a few small marks and faint characters.

(

(

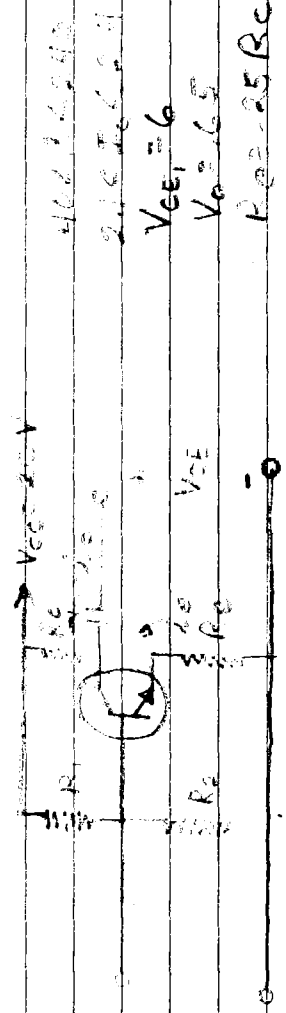
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$\frac{18.5}{32}$

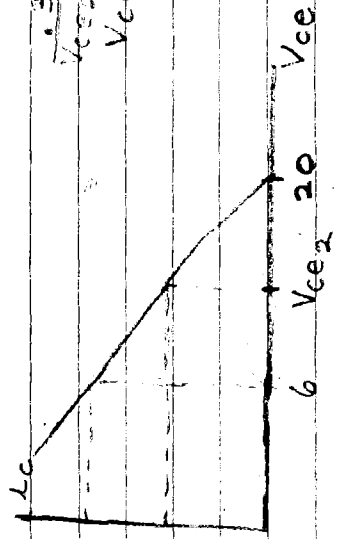
-13.5



$$\frac{V_{ce}}{V_{cc}} = \frac{2.4}{12} = 0.2$$

$$V_{ce} = 0.2 \times 12 = 2.4 \text{ V}$$

$$\Rightarrow V_{ce} = 7.75 \text{ V}$$



$$R_{th} = \frac{R_1 R_2}{R_1 + R_2} = \frac{30 \times 7.33}{30 + 7.33} = 5.833 \text{ k}\Omega$$

$$\Rightarrow R_{th} = 7.33 / 1.25 = 5.87 \text{ k}\Omega$$

$$I_{CQ} = \frac{\Delta I_C}{\Delta I_B} = \frac{48}{200} = 0.24 \text{ mA}$$

$$R_E = 166 \text{ }\Omega$$

$$\frac{R_E}{R_B} = \frac{1 - \beta_{dc}}{\beta_{dc} (1 + \beta_{dc}) - 1} = \frac{97}{(0.026)(201) - 1} = 1.86 = 5.22$$

$$\Rightarrow R_B = 1.66 / 5.22 = 3.18 \text{ k}\Omega$$

$$V_{BE} = V_{CC} + I_{C1} [R_B + (1 + \beta) R_E]$$

$$= 0.65 + 2.1 [3.18 + (41)(1.66)] = 14.5 \text{ V}$$

$$= 0.65 + 2.1 [1.78] = 4.39 \text{ V}$$

$$I_{C1} = \frac{V_{CC} - V_{BE}}{R_B + (1 + \beta) R_E} = \frac{12 - 0.65}{3.18 + 41(1.66)} = 0.065 \text{ mA}$$

$$I_{C2} = \frac{V_{CC} - V_{CE}}{R_C} = \frac{12 - 6}{2.5} = 2.4 \text{ mA}$$

$$I_C = I_{C1} + I_{C2} = 0.065 + 2.4 = 2.465 \text{ mA}$$

$$V_{CE} = V_{CC} - I_C R_C = 12 - 2.465 \times 2.5 = 5.83 \text{ V}$$

$$V_{CE} = 6.5 \text{ V}$$

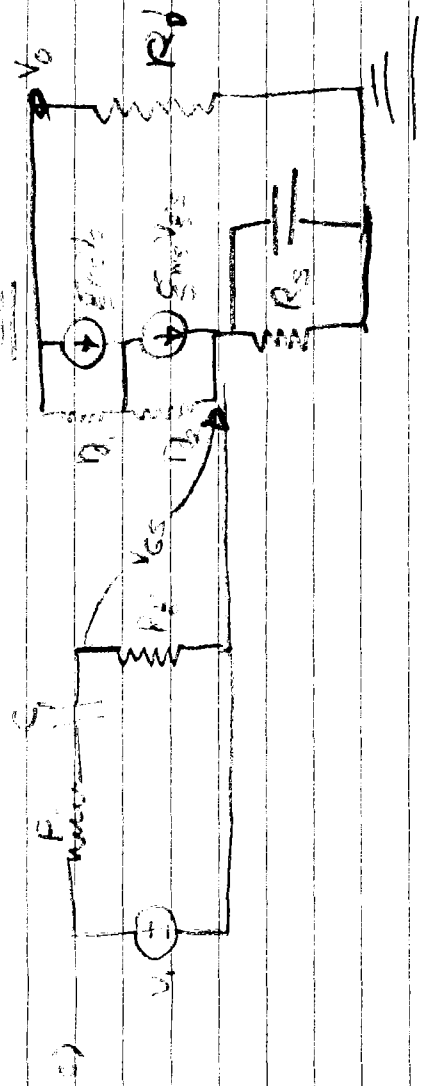
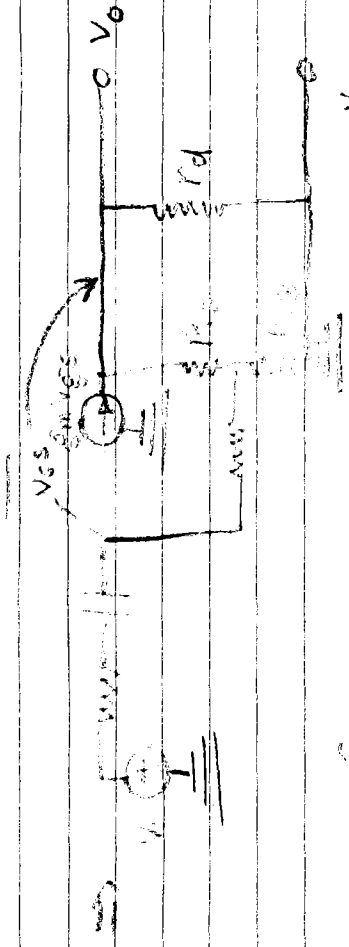
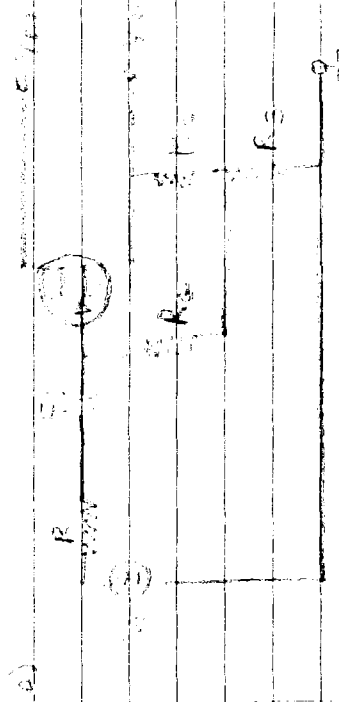
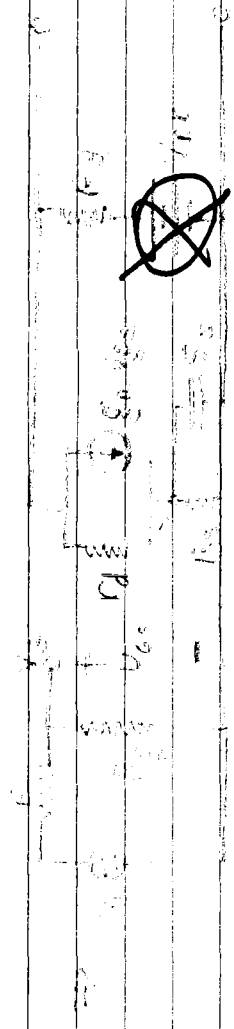
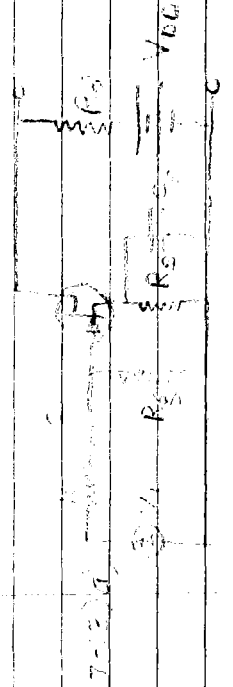
$$I_{C1} = \frac{V_{CC} - V_{CE}}{R_B + (1 + \beta) R_E} = \frac{12 - 6.5}{3.18 + 41(1.66)} = 0.065 \text{ mA}$$

$$I_{C2} = \frac{V_{CC} - V_{CE}}{R_C} = \frac{12 - 6.5}{2.5} = 2.2 \text{ mA}$$

$$I_C = 0.065 + 2.2 = 2.265 \text{ mA}$$

(-1)

Marking



Marka

1. $u = 1000 \text{ m/s}$
2. $u = 1000 \text{ m/s}$

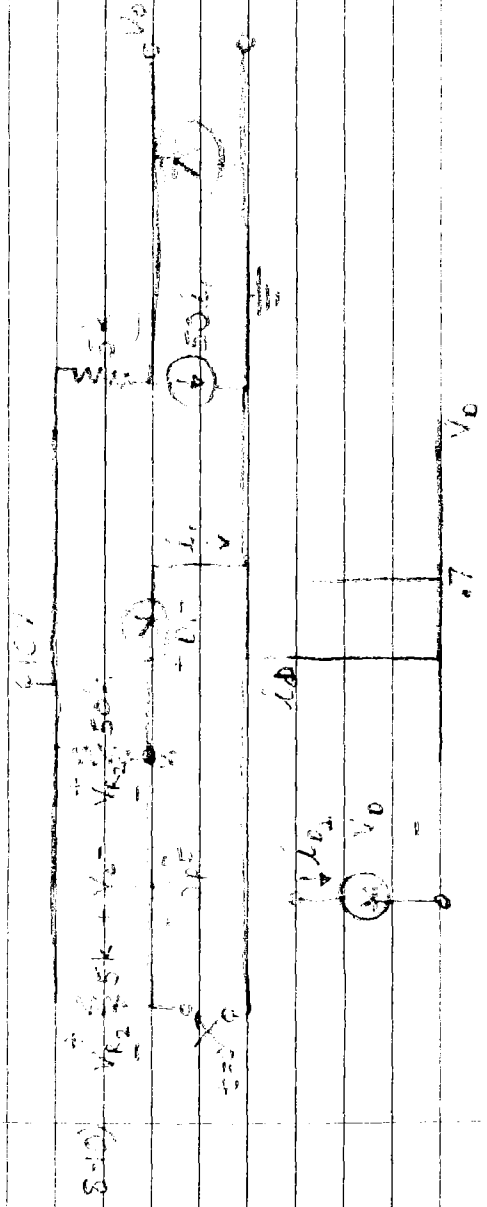
$u = 1000 \text{ m/s}$
 $u = 1000 \text{ m/s}$

a) $v_1 = 1000 \text{ m/s}$ (3000) $u = 1000 \text{ m/s}$ (3000) $v_2 = 1000 \text{ m/s}$
 $v_0 = 8000 \text{ m/s}$ (3000) $u = 1000 \text{ m/s}$ (3000)

$u = 1000 \text{ m/s}$
b) $v_1 = 1000 \text{ m/s}$ 47 10 m/s ✓
c) $v_1 = 1000 \text{ m/s}$ 12.9 ✓
 $v_2 = 1000 \text{ m/s}$ 2.79 ✓

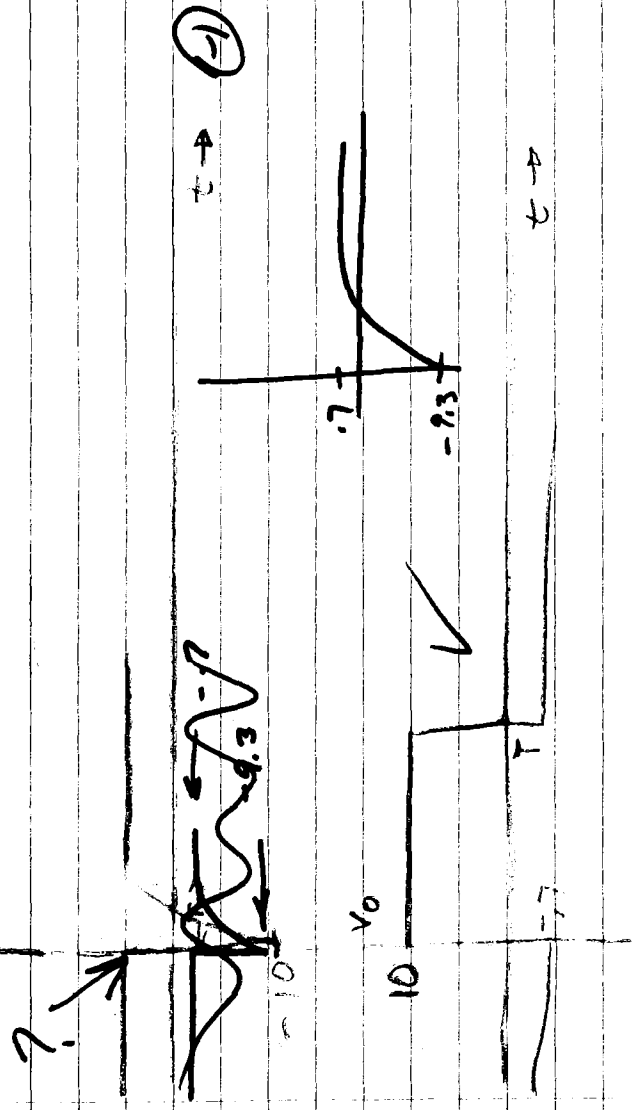
(1/2)

MARKS



At t=0
 $V_0 = V_{R_2} = 2.3V$ (V.P.T.V)

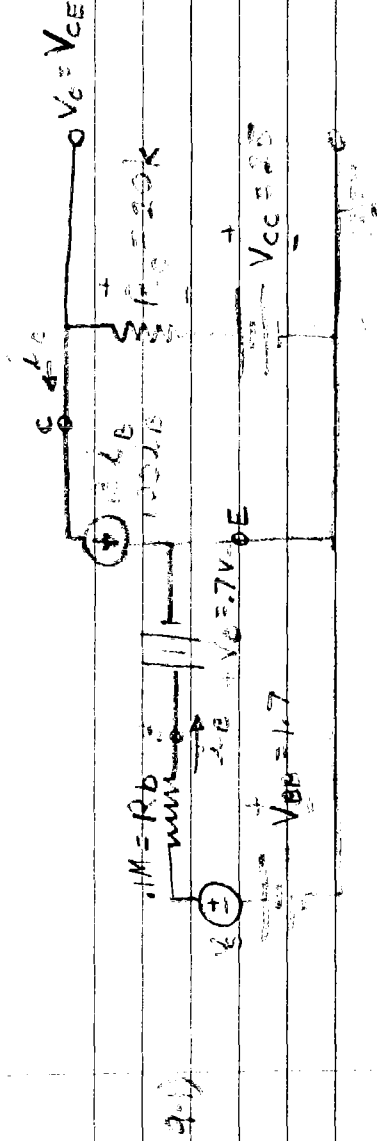
At t=∞
 $V_0(\infty) = 2.3V$ (D.C. SOURCE NG D.C.)
 $\Rightarrow V_0(t) = 2.3(1 - e^{-t/\tau})$
 $\tau = RC = 10^{-3} \times (5 \times 10^3) = 5 \times 10^{-3} s$
 $\tau = 5 \times 10^{-3} s = 5 \times 10^{-7} s = 0.5 \mu s$



8.2 -2

8.6 -2

M.A. B. 13



Q.1) Calculate I_C and V_{CE}

$$I_C = \frac{V_{CC} - V_{BE}}{R_B + R_E} = \frac{25 - 0.7}{100 + 100} = 10^{-3}A \quad \checkmark$$

$$I_E = \beta I_B = 10^{-3}A \quad \checkmark$$

$$V_{CE} = V_{CC} - R_E I_E = 25 - (20)(10^{-3}) = 24.8V$$

$$V_{CE} = V_{CC} - R_E I_E$$

$$= V_{CC} - R_E \beta I_B = 25 - (20)(10^{-3}) = 24.8V$$

$$= V_{CC} - R_E \beta I_B = 25 - (20)(10^{-3}) = 24.8V$$

$$V_{CE} = 24.8V$$

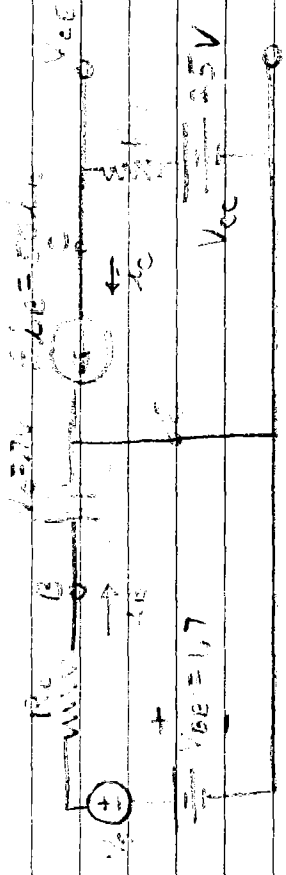
$$V_{CE} = 24.8V$$

$$V_{CE} = 24.8V$$

$\frac{1}{2}$

MARKS

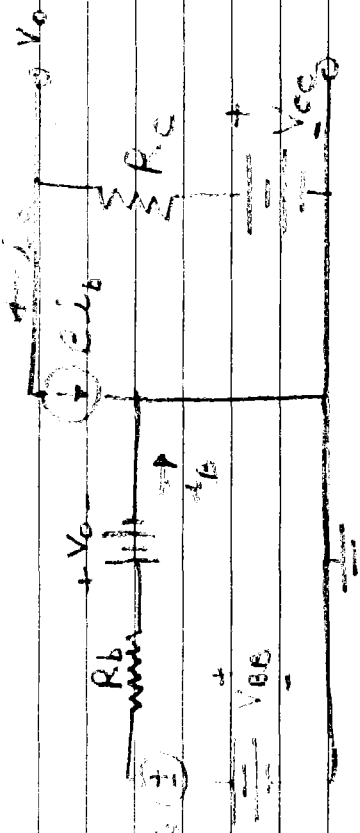
2.3)



$I_e = 2 \text{ mA}$ ✓

a) $I_e = \frac{I}{\beta + 1} \Rightarrow I_{eB} = I \cdot \frac{\beta}{\beta + 1} = 50 \cdot \frac{20}{20 + 1} = 2 \text{ mA} \Rightarrow R_{eB} = 25 \text{ k} \checkmark$
 $V_{eE} = 5 - I_e R_E = 5 - 2 \text{ mA} \cdot 200 = 2 \text{ mA} R_{eC} \Rightarrow R_{eC} = 10 \text{ k}$

b) $K_V = \beta \frac{R_C}{R_E} = 50 \cdot \frac{10}{20} = 20 \checkmark$



$$K = \beta \frac{R_C}{R_B}$$

$$V_{CE} = V_{CC} - I_C R_C$$

$$V_{CC} - V_{CE} = \beta I_B R_C$$

$$I_B = \frac{V_{CC} - V_{CE}}{\beta R_C} = \frac{15 - 10.5}{15 \times 15} = 20 \mu A$$

$$I_C = \beta I_B = 15 \times 20 \mu A = 300 \mu A = 0.3 \text{ mA}$$

$$V_{CE} = V_{CC} - I_C R_C = 15 - 0.3 \times 15 = 10.5 \text{ V}$$

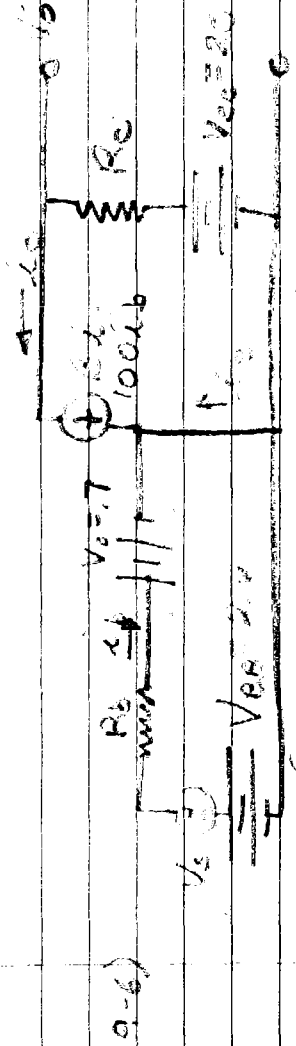
$$V_{CE} = 10.5 \text{ V}$$

$$K = \beta \frac{R_C}{R_B} = 15 \times \frac{15}{R_B} = 15.5 \Rightarrow R_B = 14.5 \text{ k}\Omega$$

$$K = \frac{V_{CE} - V_{CE(sat)}}{V_{CE(sat)}} = \frac{10.5 - 0.7}{0.7} = 15 \Rightarrow R_B = 15 \text{ k}\Omega$$

$$R_B = 15 \text{ k}\Omega \Rightarrow R_B = 15 \text{ k}\Omega \checkmark$$

$$V_{BB} = ? \quad \left(-\frac{1}{2} \right)$$



$(I_C V_{CE})_{max} = 360 \text{ mW}$ ✓
 a) $V_{CE} = 5 \text{ V}$ $I_C = 1 \text{ mA}$ ✓
 $V_{CE} = V_{CC} - R_C I_C \Rightarrow R_C = \frac{V_{CC} - V_{CE}}{I_C} = \frac{5 - 1.5}{1} = 3.5 \text{ k}$ ✓
 $I_C = 1 \text{ mA} \Rightarrow I_B = 0.1 \text{ mA}$ ✓
 $1.3 = R_B (0.1) \Rightarrow R_B = 13 \text{ k}$ ✓

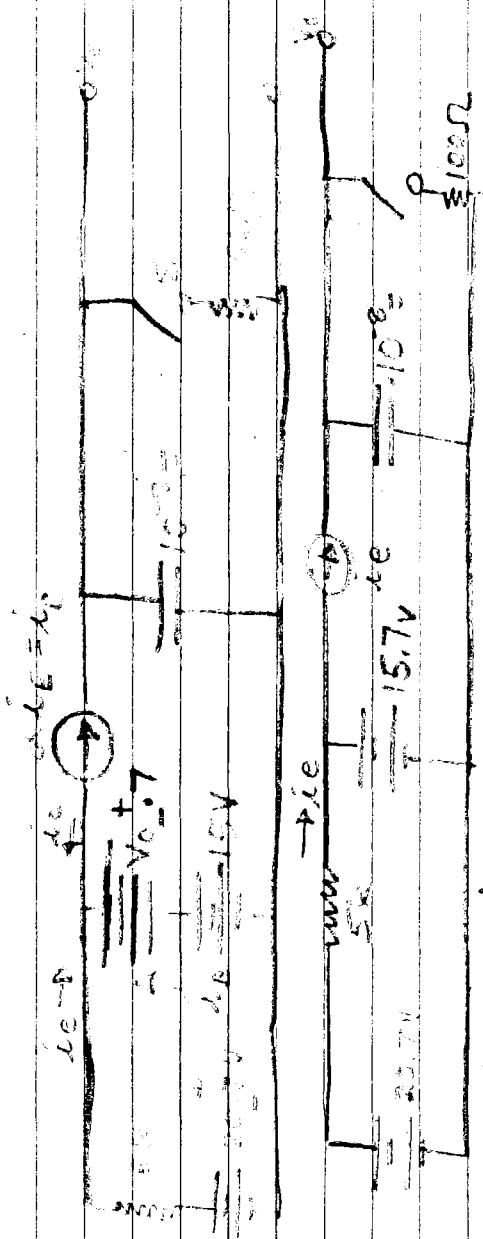
b) $P = I_C V_{CE} = (1)(3.5) = 3.5 \text{ mW}$ ✓
 c) $K_V = \beta \frac{R_C}{R_B} = (100) \frac{3.5}{13} = 26.9$ ✓

d) $V_{CE} = V_{CC} - R_C I_C = 5 - 100 \times 1 = -5 \text{ V}$ ✓
 $\Rightarrow I_C = R_C = 1.23 = \frac{V_{CE}}{R_C}$ ✓

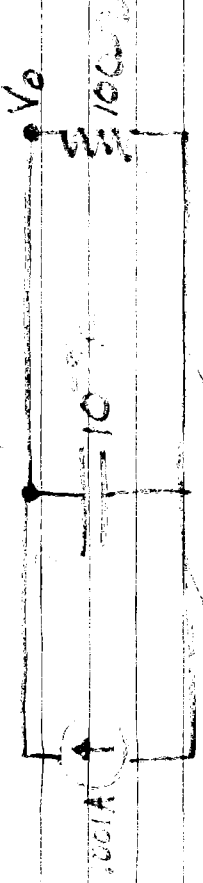
(4+)
 $100 \times 1 = 100 \text{ V}$ ✓
 $\Rightarrow \text{ANA NANA } 5 \text{ V}$ ✓



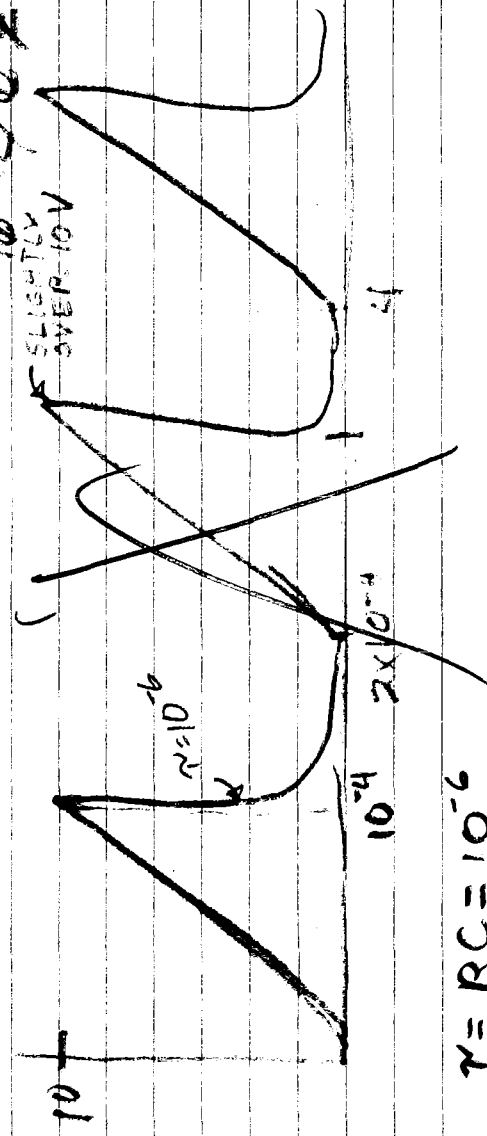
5	10	15	20	$V_{CE} \text{ (V)}$
---	----	----	----	----------------------



$i_e = 1 \text{ mA}$
 $i_e = \int_0^t 10^{-3} dt = 10^{-3} t$
 AFTER SOME TIME IS MODEL

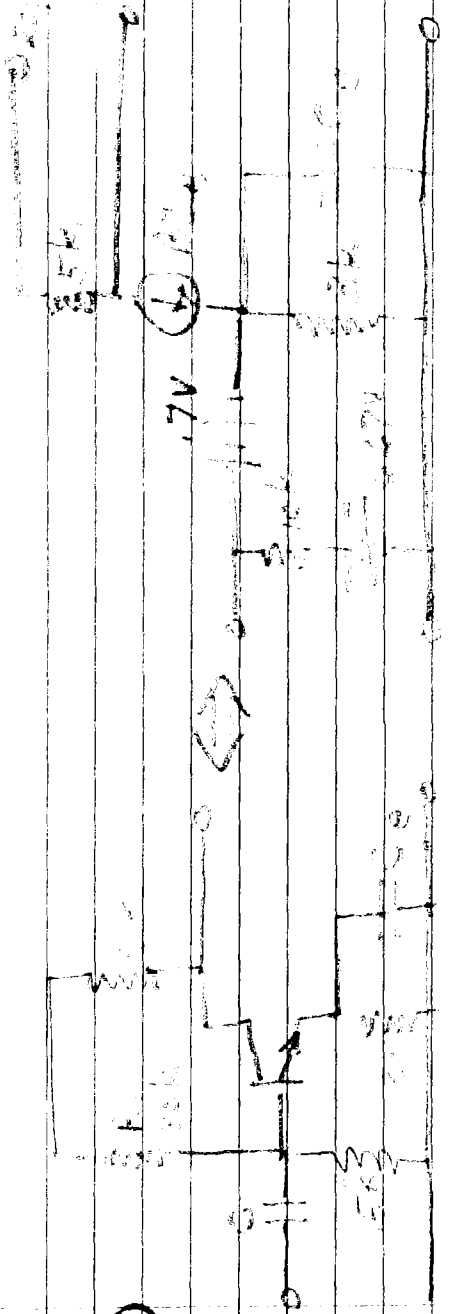


$0.01 + C \frac{dV_o}{dt} + \frac{V_o}{100} = 0$
 $V(10^{-3} - 10^{-2} s) = 10^{-7} - 10^{-2} V = 0$
 $V = \frac{10^{-7}}{s - 10^{-2}} = \frac{10^{-7}}{s - 10^{-2}} \Rightarrow V_o = 10^{-7} e^{10^{-2} t}$



$\tau = RC = 10^{-6}$

1.6)



$V_{BE} = 0.7V$

$R_{TH} = 10k\Omega$

$V_{TH} = 10V \cdot \frac{10k\Omega}{10k\Omega + 10k\Omega} = 5V$

$V_{BE} = 0.7V$

$V_{B} = 5V - 0.7V = 4.3V$

$I_{B} = \frac{4.3V - 0.7V}{10k\Omega + 10k\Omega} = 180\mu A$

$I_{E} = (1 + \beta) I_{B} = 101 \cdot 180\mu A = 18.18mA$

$V_{CE} = 10V - I_{E} R_{E} = 10V - 18.18mA \cdot 10k\Omega = 1.82V$

$V_{CE} = 1.82V$

$I_{C} = \beta I_{B} = 100 \cdot 180\mu A = 18mA$

$V_{CE} = 10V - I_{C} R_{C} = 10V - 18mA \cdot 10k\Omega = 1.82V$

$V_{CE} = 1.82V$

$V_{CE} = 1.82V$

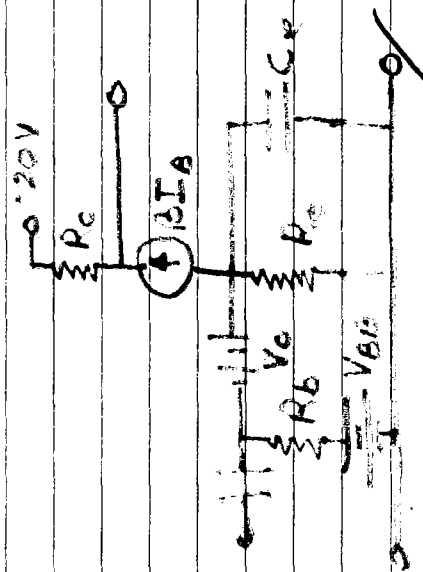
$V_{CE} = 1.82V$

$V_{CE} = 1.82V$

$V_{CE} = 1.82V$

10.11 -2

10.5 -2



(1.2)

$f = 100$

$V_{ce} = 7$
 $I_c = 1 \text{ mA}$

$V_{ce} = 4 \text{ V}$
 $V_{be} = 4 \text{ V}$

1) $P_{cc} = 4 \text{ V} \times 1 \text{ mA} = 4 \text{ mW}$ ✓

2) $T_c = \frac{V_{ce} - V_{be}}{R_c + R_e} = \frac{4 - 0.7}{10 \text{ k} + 1 \text{ k}} = 0.37 \text{ mA}$ ✓

3) $I_B = \frac{I_c}{\beta} = \frac{1 \text{ mA}}{100} = 10 \mu\text{A}$

$V_{be} = \frac{V_{BB} \cdot R_2}{R_1 + R_2} \Rightarrow R_1 = \frac{V_{BB} - V_{be}}{I_B} = \frac{9 - 0.7}{10 \mu\text{A}} = 830 \text{ k}\Omega$

$R_2 = \frac{V_{be} \cdot R_1}{V_{BB} - V_{be}} = \frac{0.7 \cdot 830 \text{ k}}{9 - 0.7} = 65 \text{ k}\Omega$

$I_c = \beta \cdot I_B = 100 \cdot 10 \mu\text{A} = 1 \text{ mA}$

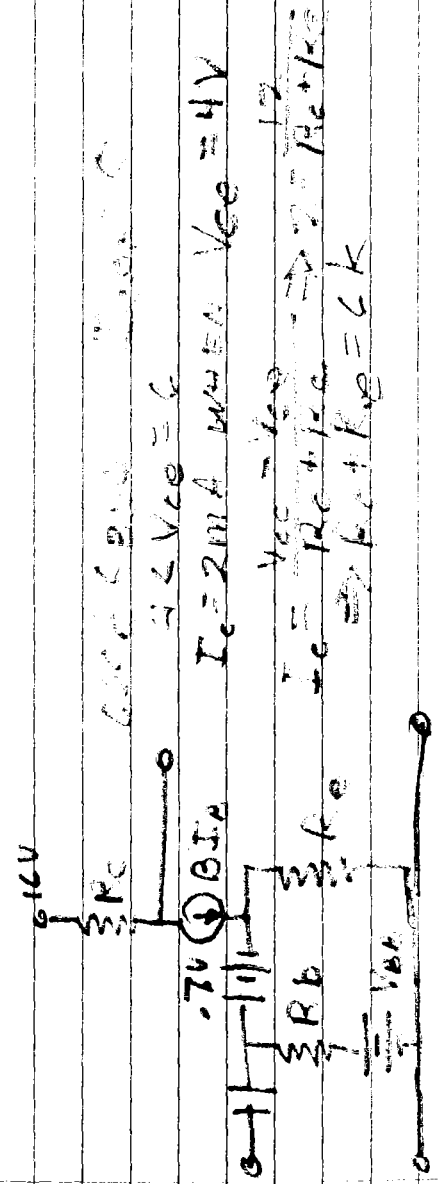
$S_c = \frac{V_{ce}}{I_c} = \frac{4}{1 \text{ mA}} = 4 \text{ k}\Omega$

$R_{in} = R_1 \parallel R_2 = \frac{830 \text{ k} \cdot 65 \text{ k}}{830 \text{ k} + 65 \text{ k}} = 58 \text{ k}\Omega$ ✓

4) $V_{BB} = \frac{R_2}{R_1 + R_2} \cdot V_{cc} \Rightarrow R_2 = \frac{V_{BB} \cdot R_1}{V_{cc} - V_{BB}}$

$\Rightarrow R_2 = \frac{0.7 \cdot 830 \text{ k}}{9 - 0.7} = 65 \text{ k}\Omega$ ✓

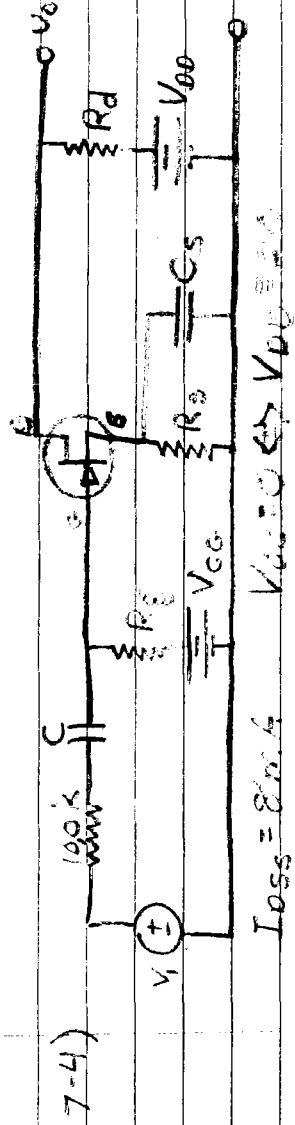
10.9)



$I_C = \frac{V_{CC} - V_{CE}}{R_C + R_E} = \frac{16V - 4V}{2k} = 6mA$

$V_{CE} = V_{CC} - I_C (R_C + R_E) = 16V - 6mA \cdot 2k = 4V$

$S_{mid} = \frac{V_{CE}}{V_{CC}} = \frac{4V}{16V} = 0.25$



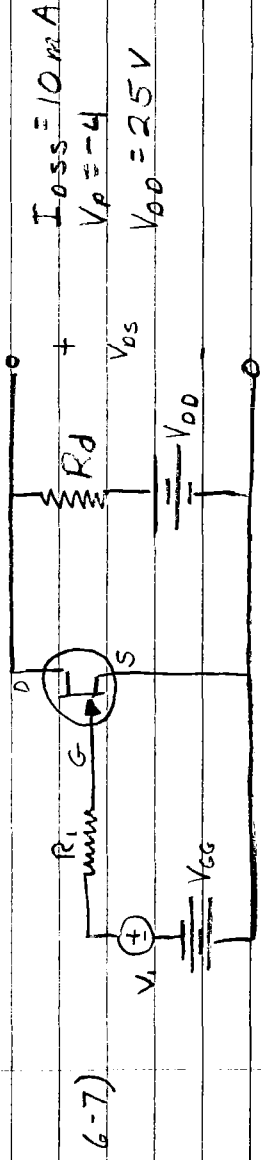
a) $V_{GS} = V_{DD} - (R_D + R_S) I_D = 0$
 $6 = 20 - (R_D + R_S) 2 \Rightarrow R_D + R_S = 7 \text{ k}$

$V_{GS} = V_{GS} - R_S I_D$
 $I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_p} \right)^2$

$\left(\frac{V_{GS}}{V_p} \right)^2 = 1 - \frac{R_S I_D}{V_{GS}}$
 $\Rightarrow V_{GS} = R_S I_D \left(\frac{V_{GS}}{V_p} \right)^2$

$R_S = \frac{V_{GS}}{I_D} \left(\frac{V_{GS}}{V_p} \right)^2 = 0.5 \left(\frac{1 - 1/2} \right) 4 = 1 \text{ k}$

$\therefore R_D = 6 \text{ k}$



a) $V_{DS} = V_{DD} - R_d I_D$

$\cdot 7 = 25 - R_d (10) \Rightarrow R_d = 1.8 \text{ k}$

b) $K_V = \frac{-2 R_d I_{DSS}}{V_P} = \frac{(3.6)(10)}{4} = 9$

c) $I_D = 2.5 \text{ mA}$

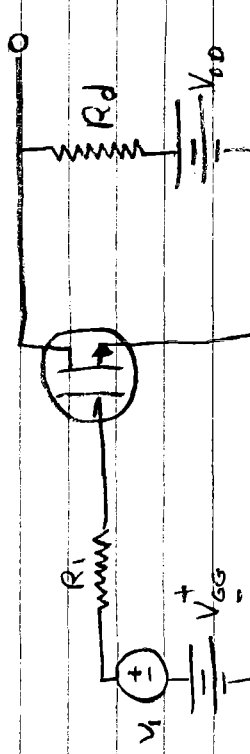
$I_D = I_{DSS} \left(1 + \frac{V_{GS}}{V_P}\right)^2 \Rightarrow \sqrt{\frac{I_D}{I_{DSS}}} = 1 + \frac{V_{GS}}{V_P}$
 $\Rightarrow V_{GS} = V_P \left(1 - \sqrt{\frac{I_D}{I_{DSS}}}\right)$

$= -4 \left(1 - \sqrt{\frac{1}{4}}\right) = -2 \text{ V}$

d) $K_V = \frac{-2 R_d I_{DSS}}{V_P} \left(1 - \frac{V_{GS}}{V_P}\right)$

$= 9 \left(1 + \frac{2}{4}\right) = \frac{3}{2} \cdot 9 = 13.5$

6-10)



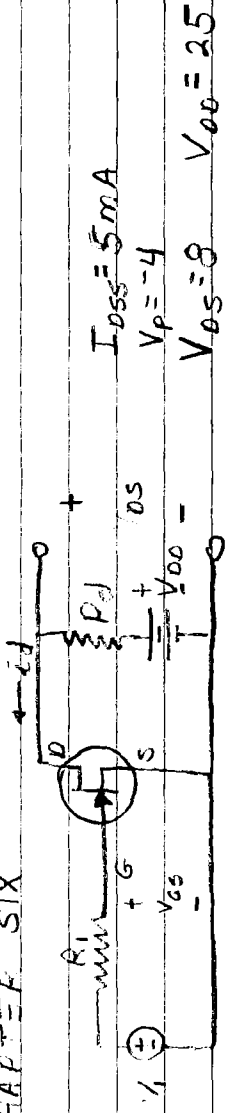
$V_{DS} = V_{DS} - 2 \text{ k} R_d (V_{GS} - V_T) \quad V_i = K R_d V_i^2$
 $= V_{DD} - K R_d [(V_{GS} - V_T) + V_i]^2$

a) $\frac{V_{DS}}{V_i} = \frac{V_{DD}}{V_i} - 2 \text{ k} R_d (V_{GS} - V_T) + K R_d V_i$

$\Rightarrow K_V = 2 \text{ k} R_d (V_{GS} - V_T)$

CHAPTER SIX

6-3)



a) $i_d = I_{DSS} \left(1 - \frac{V_{DS}}{V_p}\right)^2$

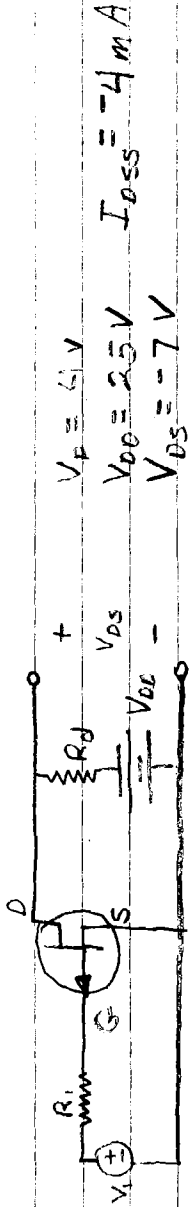
$V_{DS} = V_{DD} - I_d R_d$

$8 = 2.5 - 5 R_d \Rightarrow R_d = \frac{17}{5} = 3.4 \text{ k}$

b) $K_v = -\frac{2 R_d I_{DSS}}{V_p}$

$= \frac{6.8(5)}{4} = 8.5$

6-4)

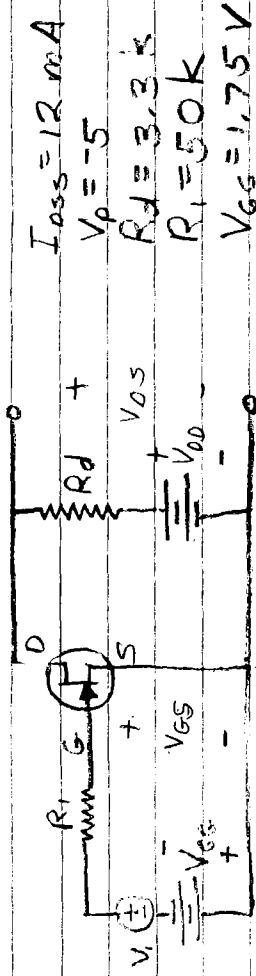


a) $V_{DS} = -V_{DD} - R_d I_{DSS}$

$-7 = -2.5 + R_d 4 \Rightarrow R_d = \frac{9.0}{4} = 2.25 \text{ k}$

b) $K_v = \frac{-2 R_d I_{DSS}}{V_p} = \frac{9.0(4)}{4} = 9.0$

6-6)



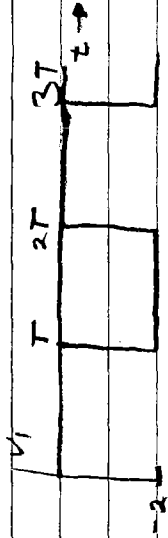
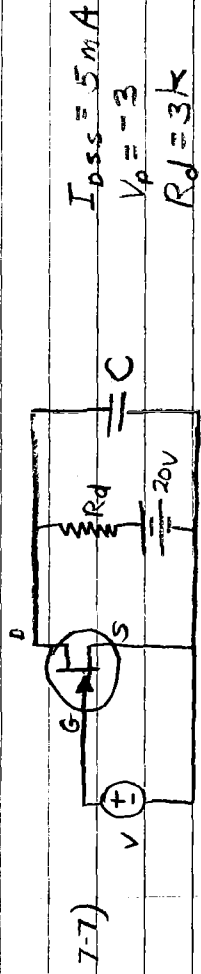
a) $i_d = I_{DSS} \left(1 - \frac{V_{DS}}{V_p}\right)^2$
 $= 12 \left(1 - \frac{2.5}{-5}\right)^2 = 12 (.65)^2 = 7.8 \text{ mA}$

$V_{DS} = V_{DD} - i_d R_d$

$= 2.5 - 7.8(3.3) = 2.5 - 25.4 = -22.9 \text{ V}$

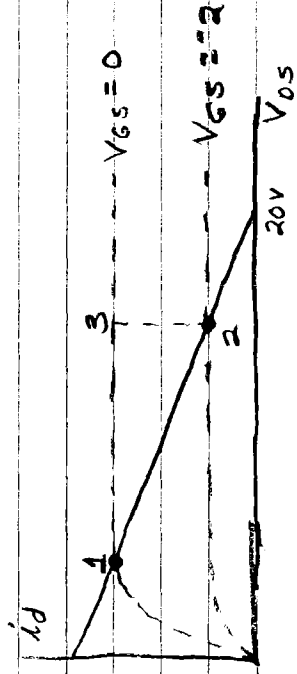
b) $K_v = -\frac{2 R_d I_{DSS}}{V_p} = \left(1 - \frac{V_{DS}}{V_p}\right)$

$= \frac{6.6(12)}{5} \left(1 - \frac{-22.9}{-5}\right) = 8.7$



$$V_{DS} = 20 - i_d (3)$$

$$i_d = \frac{1}{3} (20 - V_{DS})$$



a) $i_d = I_{DSS} \left(1 - \frac{V_{GS}}{V_P}\right)^2$

$i_{d1} = I_{DSS} = 5 \text{ mA} \Rightarrow V_{GS1} = 20 - 15 = 5 \text{ V}$

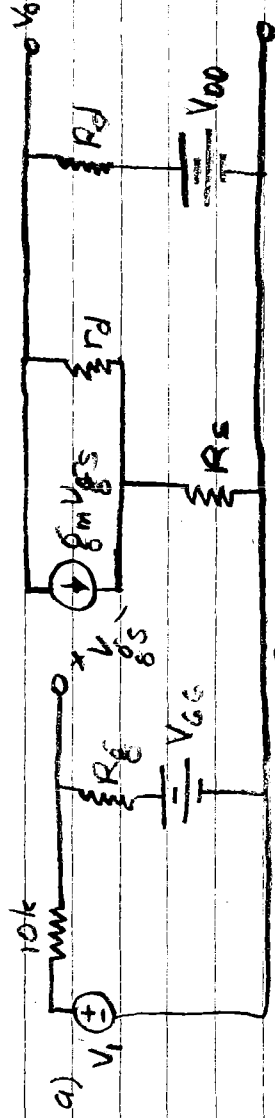
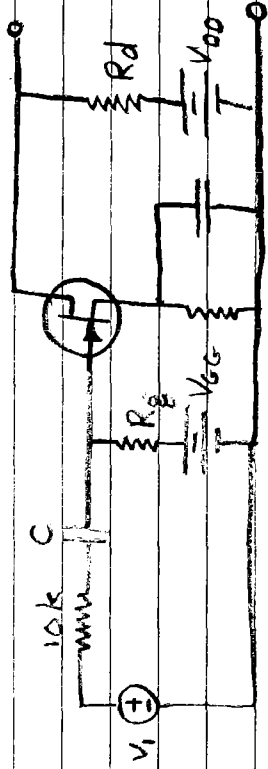
$i_{d2} = 5 \left(1 - \frac{-2}{-3}\right)^2 = 5/9 = 0.555 \text{ mA}$

$V_{DS2} = 20 - \frac{5}{9} (3) = 18.3 \text{ V}$

b) $i_{d \text{ MAX}} = 5 \text{ mA}$; $V_{DS \text{ MAX}} = 18.3$

$\Rightarrow P_{\text{MAX}} = (5)(18.3) = 91.5 \text{ mW}$

7-11)



$I_{DSS} = 2\text{mA}$ $R_d = 6.8\text{k}$

$g_{m0} = 4\text{mA/V}$ $R_G = 1\text{M}$

$r_D = 30\text{k}$ $I_D = 2\text{mA}$

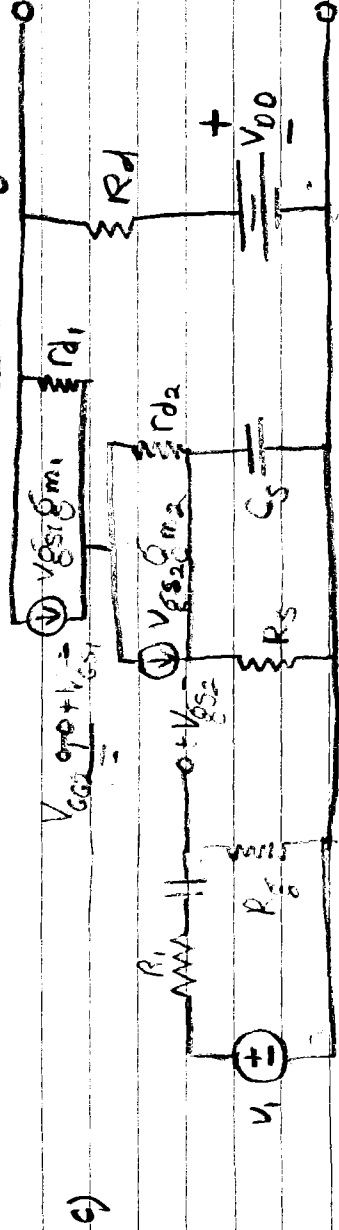
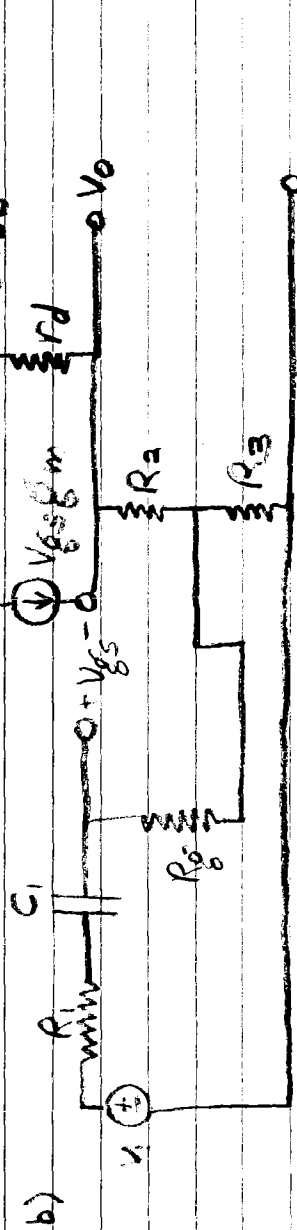
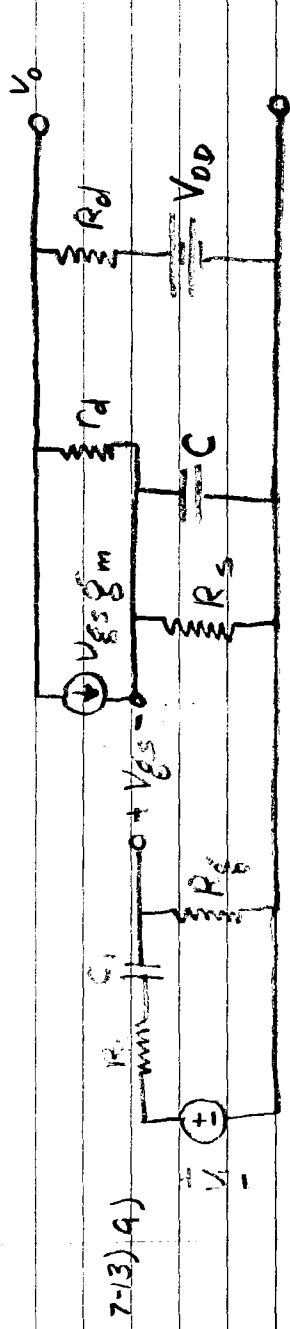
b) $g_m = g_{m0} \sqrt{I_D / I_{DSS}} = 4 \sqrt{2/8} = 2\text{mA/V}$

~~c) $K_v = g_m R_d = 13.6$~~

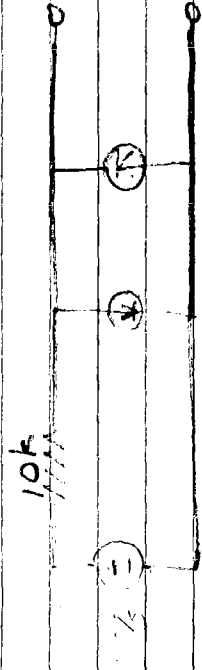
$R = R_d || r_D = \frac{194.0}{36.8} = 5.54$

$V_{GS} / V_i = R_G g_m = (5.54)(2) = 11.08$

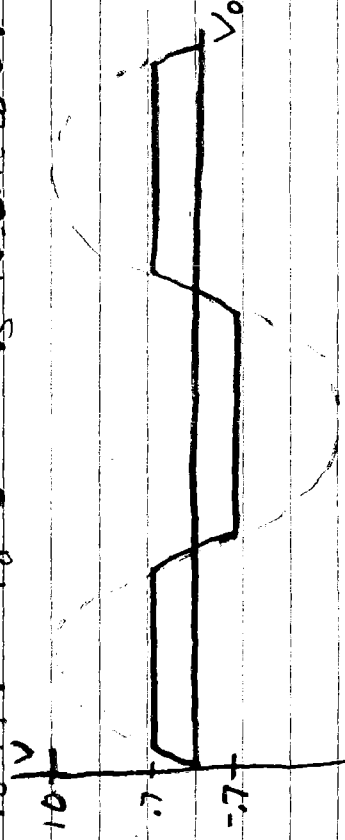
$V_i \approx \frac{10^9}{10^9} = 1 \Rightarrow K_v = 11.08$

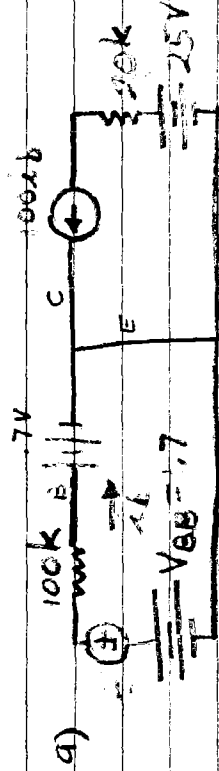
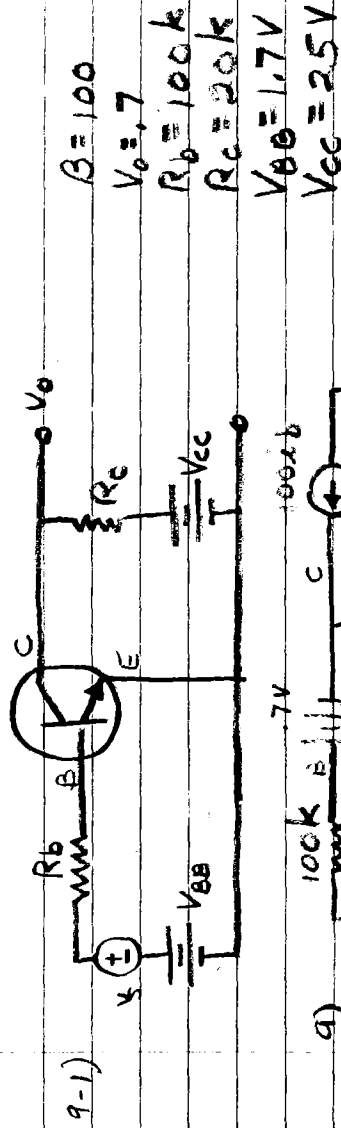


8-6)



$V_0 = 7V$ $R_D = 0$ $V_S = 10 \Delta \omega t V$





$$V_{CE} = 2.5 - 20 \times 100 I_b$$

$$I_b = \frac{7 - 1.7}{100k} = 0.067 \text{ mA}$$

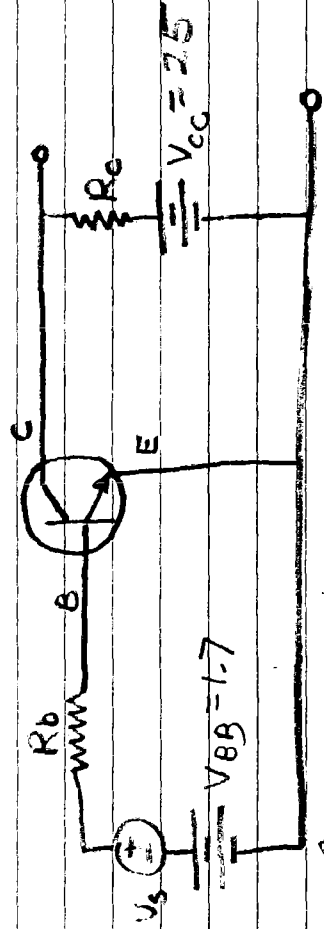
$$\Rightarrow V_{CE} = 2.5 - 20 \times 0.067 = 1.46 \text{ V} \neq 1.68 \text{ V}$$

$$I_b = 0.01 \text{ mA} \Rightarrow I_c = 1 \text{ mA}$$

$$V_{CE} = 2.5 - 20 = 5 \text{ V}$$

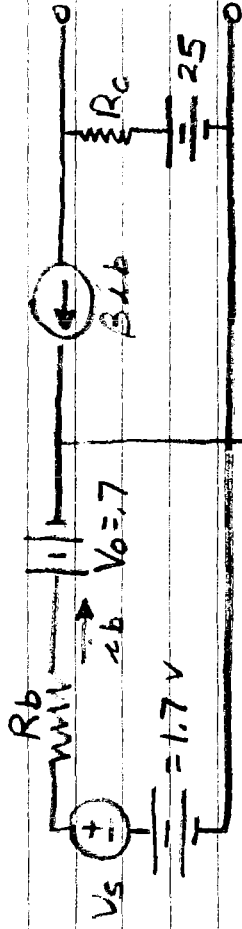
b) $K_V = \beta \frac{R_c}{R_b} = 100 \frac{20}{100} = 20$

c) $V_s = 0.1 \text{ mV}$
 $V_{CE} = 20 V_s = 2 \text{ mV}$



$$\beta = 50 \quad V_0 = 7.7V$$

$$a) I_c = 2mA \quad V_{CE} = 5V$$

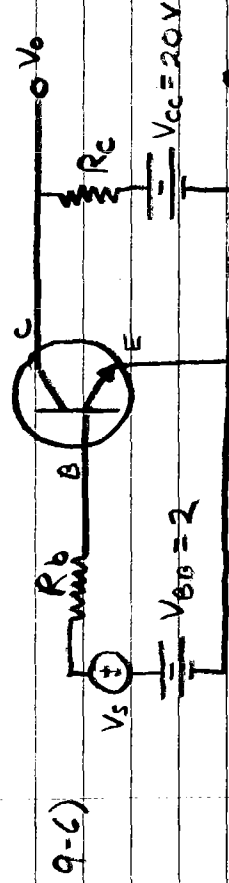


$$I_b = I_c / \beta \Rightarrow I_c = 50 I_b = \frac{50}{R_b} = 2 \Rightarrow R_b = 25k$$

$$V_{CE} = 25 - R_c(50) \frac{1}{25} = 5$$

$$\Rightarrow R_c = 10k$$

$$b) K_V = \frac{R_c}{R_b} \beta = \frac{10}{25} 50 = 20$$



$$\beta = 100; V_o = 7V; P_{MAX} = 360mW$$

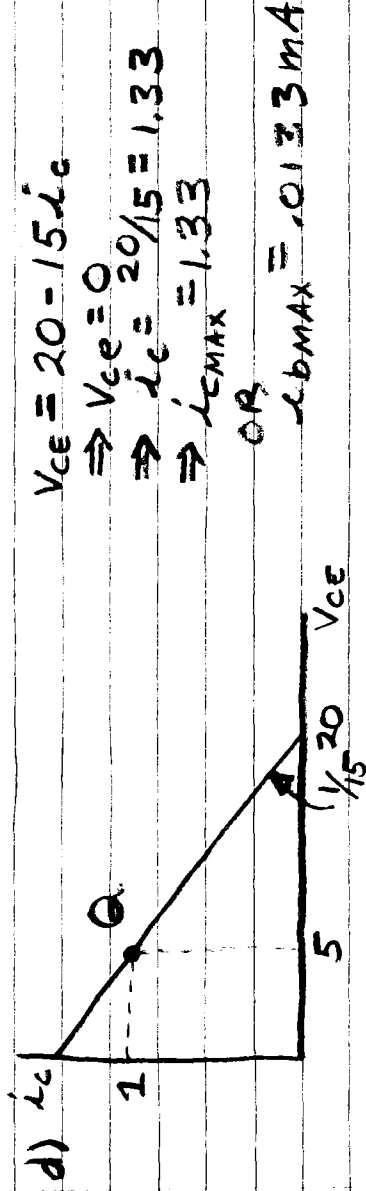
a) $V_{CE} = 5V; I_C = 1mA$

$$I_B = 1.3/R_b \Rightarrow I_C = 1(100)/(1.3)/R_b \Rightarrow R_b = 130k\Omega$$

$$V_{CE} = 5 = 20 - R_C \Rightarrow R_C = 15k$$

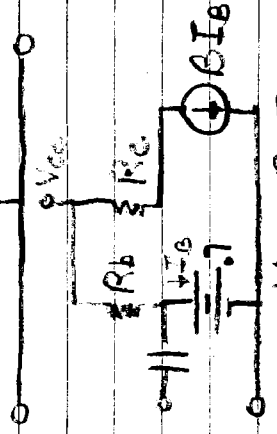
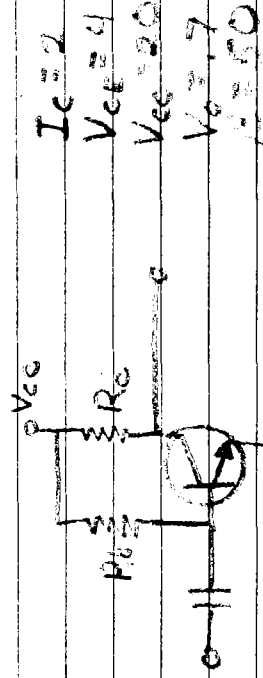
b) $P = I_C V_{CE} = 5mW$

c) $K_V = \frac{R_C}{R_b} \beta = \frac{15}{130}(100) = 11.6$



NOW, $V_{S_{MAX}} = 1.3 + (130)(1.013)$
 $V_{S_{MAX}} = 1.3 + 1.69 = 1.99V$

12.1)

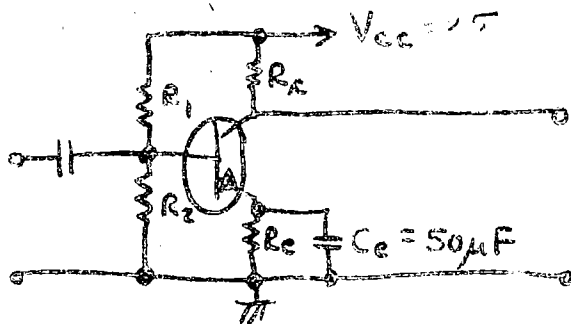


a) $I_b = \frac{19.3}{R_b} \Rightarrow I_c = \beta I_b = 2 = \frac{(50)(19.3)}{R_b} \Rightarrow R_b = 483; I_b = .04 \text{ mA}$
 $4 = 20 - R_c(2) \Rightarrow R_c = 16/2 = 8 \text{ k}$

b) $V_{ce} = 20 - (2)(8) = 4$

EE 262 -- Electronics I
Experiment No. _____
COMMON EMITTER AMPLIFIER

1. Measure V_{β} for your 2N718 transistor either on the curve tracer or otherwise.
2. Design a common emitter transistor using the circuit diagram below. The instructor will give you the quiescent point requirements for the circuit. The beta spread for this transistor is 40-120. Make your design based on these values.



3. Build the amplifier using substitution boxes and measure the quiescent operating conditions. Comment on their agreement with desired values. Experiment with the value of R_1 to see if you can make the quiescent operating conditions better.
4. Measure the voltage gain of the amplifier. Be sure to keep a 10% on the output voltage at all times.
5. Measure the frequency response by noting the upper and lower 3dB frequencies.
6. Increase the input voltage until distortion is noted. Record the value of v_{in} .
7. Display the voltage transfer characteristic.

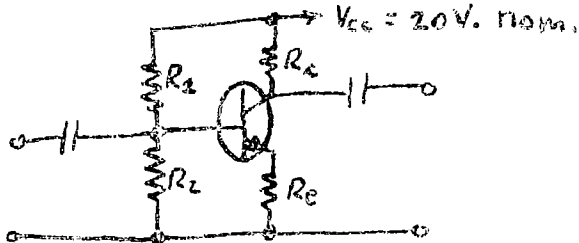
$$V_{BB} = I_{CQ} [R_b + (1 + \beta_1) R_e] \frac{1}{\beta_1}$$

$$\eta = \frac{V_{BB}}{V_C}$$

Electrical Engineering Dept.
Rose-Hulman Inst. of Tech.
Terre Haute, Indiana
May 17, 1971

EE262 - Electronics I
Homework problem

Design a transistor amplifier using the circuit shown below assuming that the beta spread of the transistor is 40-240. The maximum I_C is to be 2.4 mA and the minimum I_C is to be 2.1 mA. Assume a value of .65 V. for V_{BE} . You may neglect the effect of I_{CEO} . The minimum value of V_{CE} is to be 6 V. Partition $R_C + R_E$ such that $R_E = .25 R_C$.



After the amplifier is designed, compute the worst case quiescent conditions assuming the two values of beta and also assuming that V_{BE} varies between .59 and .72 V. Let us also assume for the purposes of this problem that V_{CEQ} may be expected to vary between 18.5 and 21.0 V. Assume that the actual values of resistors calculated in the design portion are available and that their values are exact and do not change.

SUBROUTINE LINEQA

SYSTEMS LIBRARY - CDC 6500 ONLY

PURPOSE

Solves the complex matrix equation $AX=B$ with NR right-hand sides.

Usage

CALL LINEQA(A,B,X,ND,N,NR,S)

Description of parameters

- A - (N x N) complex coefficient matrix.
- B - (N x NR) complex right-hand side array.
- X - (N x NR) complex array for return of solution vectors.
- ND - the number of rows for the arrays A, B, and X in the dimension statement in the user program.
- N - the number of equations to be solved.
- NR - the number of right-hand sides to be solved.
- S - integer variable returned non-zero only if matrix A is singular to machine accuracy.

Remarks

Arrays A and B are not destroyed.

At execution time, the field length of your program will be increased for temporary storage needed by this subroutine.

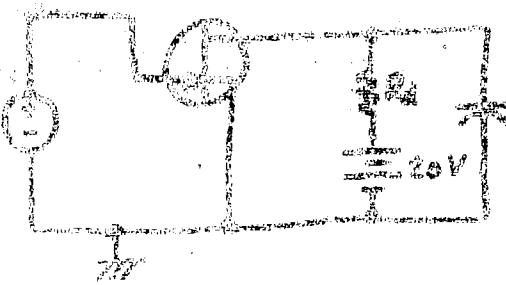
Method

The matrix A is factored into lower and upper triangular matrices L and U and then the equations $LZ=B$ and $UX=Z$ are solved in turn. Double precision accumulation of inner products and iterative refinement are used so solutions are very accurate whenever S is returned equal to zero.

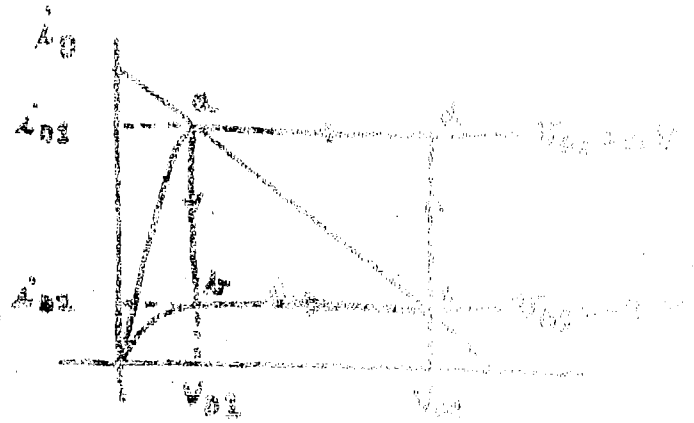
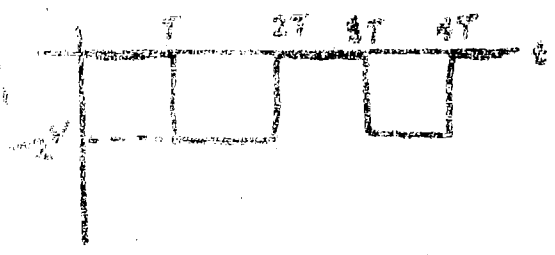
Ralston and Wilf Mathematical Methods for Digital Computers
Volume 2. Wiley 1967.

Written by David S. Dodson.

194.77 Angelo



$I_{max} = 5 \text{ mA}$
 $V_p = 10 \text{ V}$
 $R_A = 3 \text{ k}$



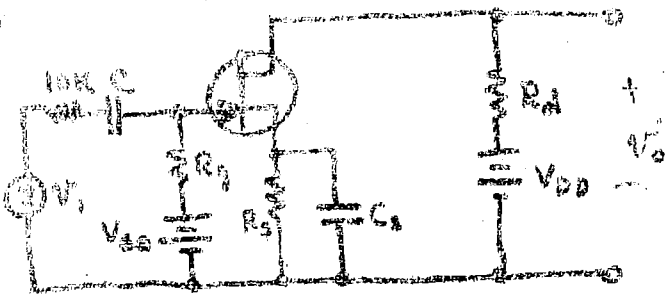
$I_{02} = I_{01} = 5 \text{ mA}$, $V_{01} = 20 - 5 \cdot 3 = 5 \text{ V}$

$I_{02} = 5 \left(1 - \frac{3}{9}\right)^2 = 5 \cdot \frac{4}{9} = \frac{20}{9} = 2.22 \text{ mA}$

$V_{02} = 20 - 3 \left(\frac{20}{9}\right) = 20 - \frac{40}{3} = \frac{20}{3} = 6.67 \text{ V}$

$P_0(max) = V_{02} \cdot I_{02} = 6.67 \cdot 2.22 = 14.8 \text{ mW}$

Problem 106.7.11 Angelo



$$I_{DSS} = 9 \text{ mA}$$

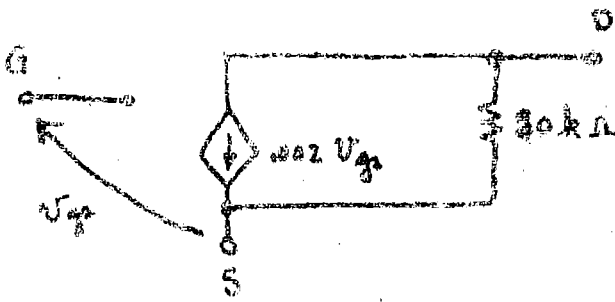
$$g_{m0} = 4 \times 10^{-3} \text{ S}$$

$$r_d = 30 \text{ k}\Omega$$

$$R_d = 6.8 \text{ k}\Omega \quad R_s = 3 \text{ k}\Omega$$

$$I_D = 2.0 \text{ mA}$$

$$(a) \quad g_m = g_{m0} \sqrt{\frac{I_D}{I_{DSS}}} = 4 \sqrt{\frac{2}{9}} = 4 \cdot \frac{1}{3} = \boxed{2 \text{ mS}} \quad (*)$$



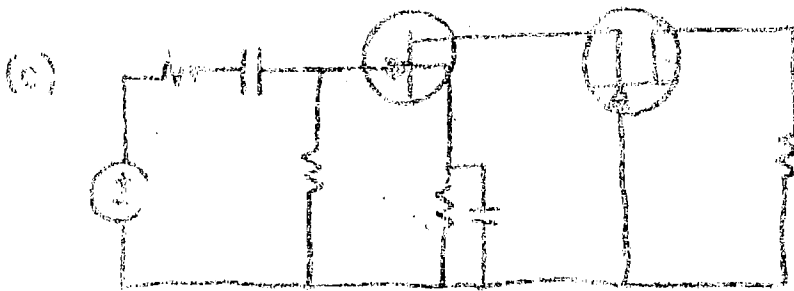
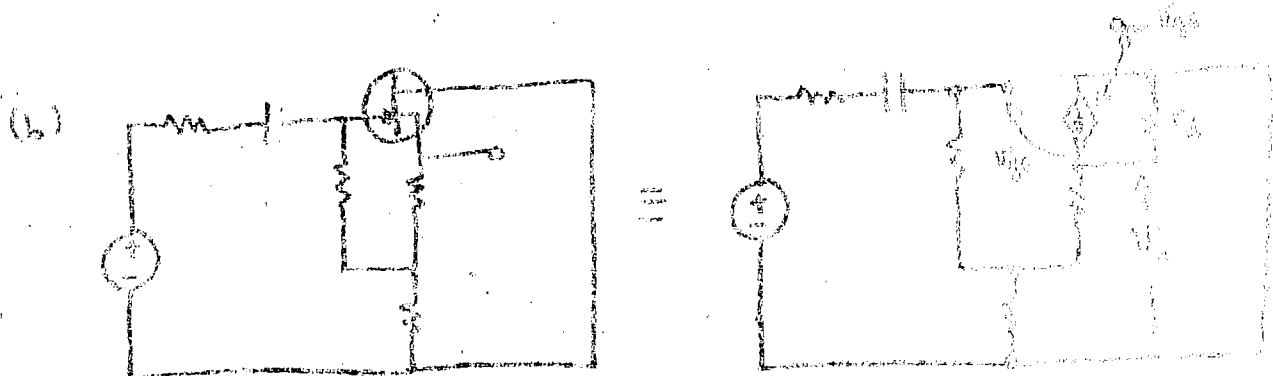
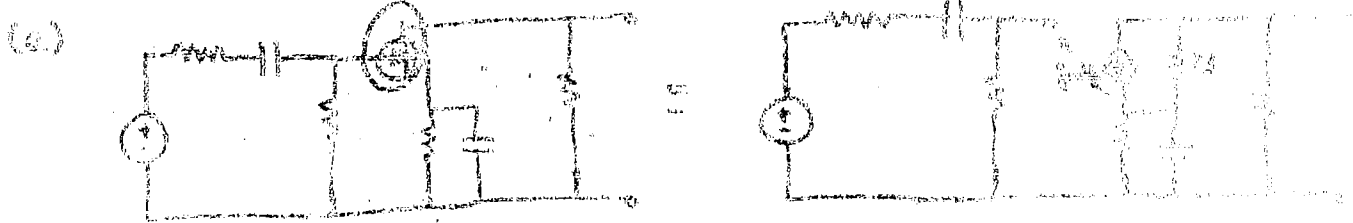
$$(c) \quad R_d \parallel r_d = 6.8 \parallel 30 = \frac{6.8 \times 30}{36.8} = 5.54 \text{ k}\Omega$$

$$\frac{V_o}{V_{gs}} = 0.002 \times 5540 = -11.08$$

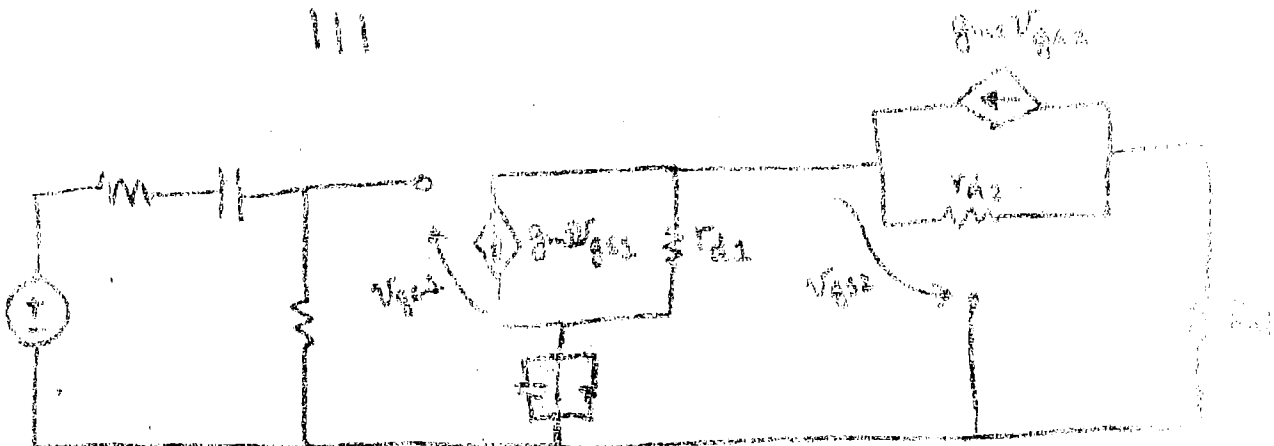
$$\frac{V_{gs}}{V_i} = \frac{10^6}{10^6 + 10^4} \approx 0.99$$

$$\frac{V_o}{V_i} = -11.08 \times 0.99 = \boxed{-10.95}$$

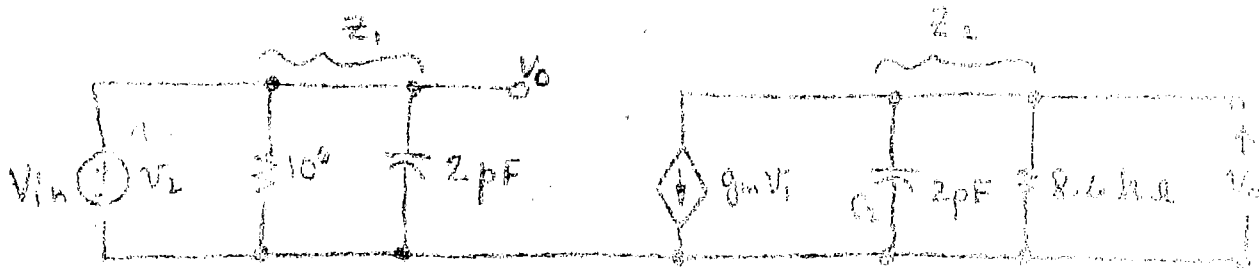
PROBLEM 18.7-13 ANGOLD



|||



Problem 187.7.14 Angelo



(a) $V_1 = 10 \text{ mV}$ $f = 1000 \text{ Hz}$

$$Z_2 = \frac{R_d}{1 + j R_d C_2 \omega}$$

$$Z_2(1000) = \frac{8600}{1 + j 10^3 \cdot 0.28 \times 8.6 \times 10^3 / 3.14 \times 10^3}$$

$$= \frac{8600}{1 + j 1.08 \times 10^{-4}} \approx 8600$$

$$V_o = -1.5 \times 10^{-3} \times 8.6 \times 10^3 = -12.9 \text{ V}_2$$

(b) $f = 10^7 \text{ Hz}$

$$Z_2(10^7 \text{ Hz}) = \frac{8600}{1 + j 1.08} = \frac{8600}{1.47 \angle 47.2^\circ}$$

$$= 5850 \angle -47.2^\circ$$

$$V_o = -1.5 \times 10^{-3} \times 5.85 \times 10^3 \angle -47.2^\circ \text{ V}_2 = 87.8 \angle -47.2^\circ \text{ V}_2$$

$$= 87.8 \angle 132.8^\circ \text{ V}_2$$

PROBLEM 208.02 ANGELO

$$i = I_s (e^{\lambda v} - 1) \quad \Rightarrow \quad I_s + i = I_s e^{\lambda v}$$

$$e^{\lambda v} = 1 + \frac{i}{I_s} \quad \rightarrow \quad \lambda v = \log_e \left(1 + \frac{i}{I_s} \right)$$

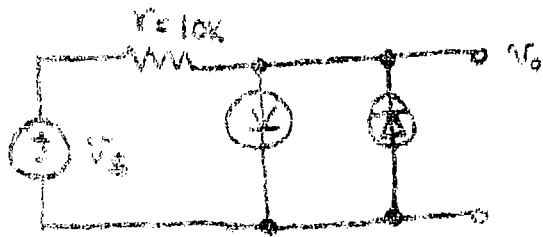
$$\frac{dv}{di} = r = \frac{1}{\lambda} \frac{1}{1 + \frac{i}{I_s}} \cdot \frac{1}{I_s}$$

$$r = \frac{1}{\lambda (I_s + i)} = I_s + i = \frac{1}{\lambda r} \quad \Rightarrow \quad i = \frac{1}{\lambda r} - I_s$$

$$r = 10: \quad i = \frac{1}{40 \times 10^{-5}} - 10^{-5} = \frac{1}{400} = \boxed{2.5 \mu\text{A}}$$

$$r = 10^5: \quad i = \frac{1}{40 \times 10^{-5}} - 10^{-5} = \boxed{2.5 \mu\text{A}}$$

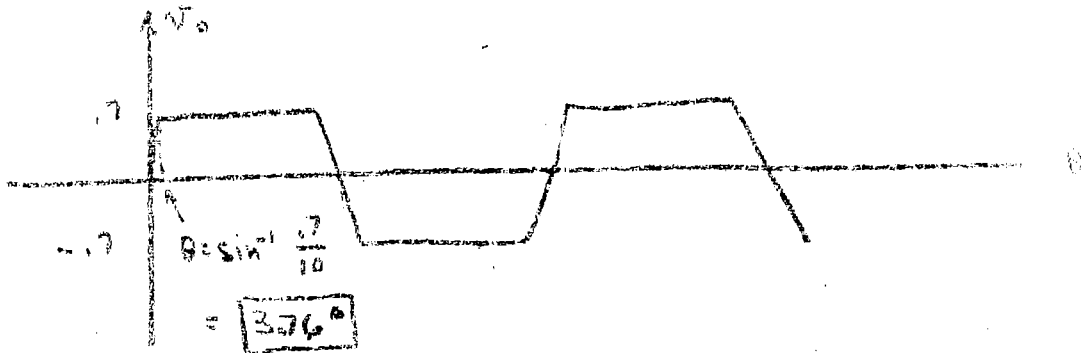
PROBLEM 210.8.6. ANGELO



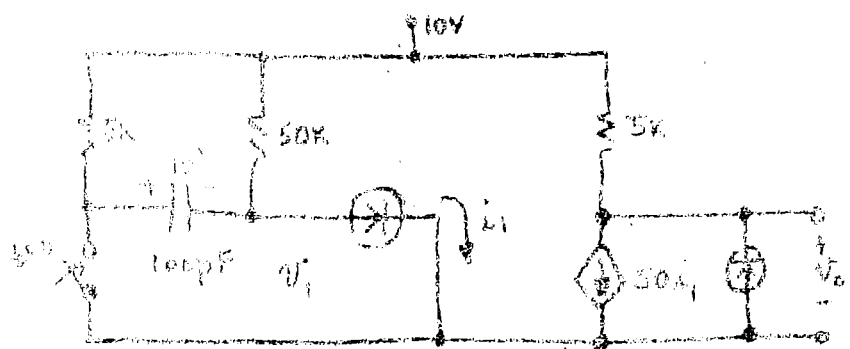
$V_o = 7V, V_L = 0$



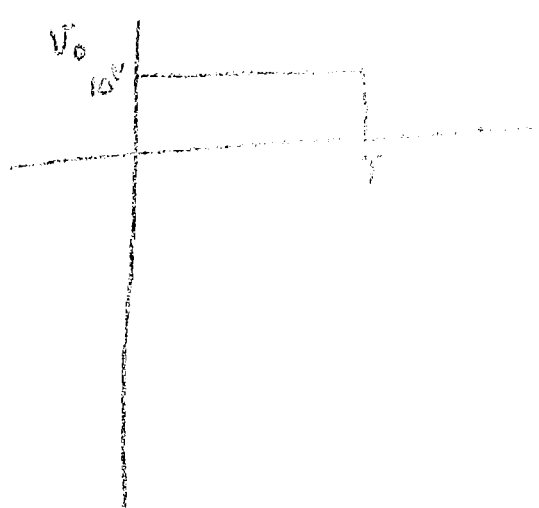
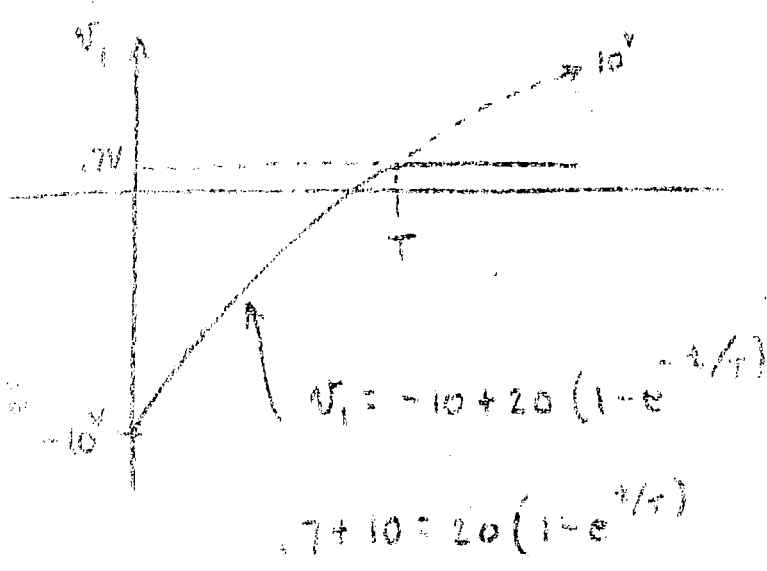
$V_s = 10 \sin \omega t V$



PROBLEM 212, 8.10 - Angelo



$V_0 = .7$ for $t = 10^{-7}$



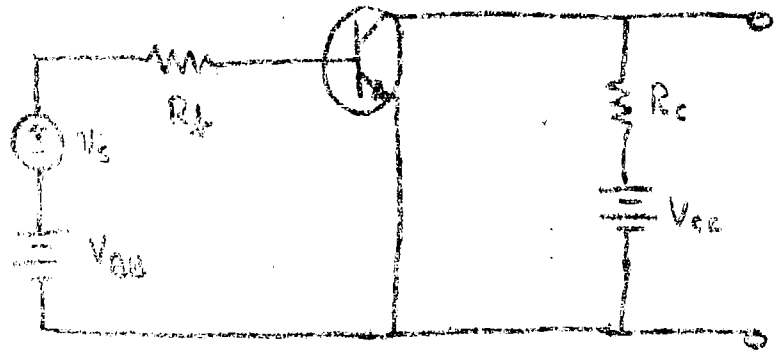
$$7 + 10 = 20(1 - e^{-t/T})$$

$$\frac{107}{20} = 1 - e^{-t/T} \quad e^{-t/T} = \frac{93}{20} = .465$$

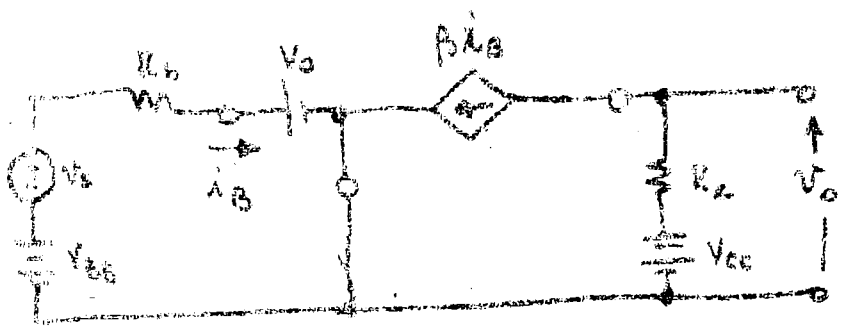
$$\frac{t}{T} = -.765$$

$$t = .765 T$$

PROBLEM 250.9.1 Angelo



- $\beta = 100$
- $V_s = 1.7V$
- $R_b = 100 \Omega$
- $R_c = 20 \text{ k}\Omega$
- $V_{cc} = 1.7V$
- $V_{cc} = 25V$



(a) $I_b = \frac{1.7 - 1.7}{1} = 10 \mu A$ $I_c = 1000 \mu A = 1.0 \text{ mA}$

$V_{ce} = 25 - 20 = 5.0 \text{ V}$

(b) $K_r = \beta \frac{R_c}{R_b} = 100 \cdot \frac{20}{100} = 20$

(c) $V_o = 101 \sin \omega t \text{ V} \Rightarrow V_o = 0.2 \sin \omega t \text{ V}$



PROBLEM 251, 9.3 Angelo

$$\beta = 50 \quad V_o = 0.7 \text{ V} \quad V_{BB} = 1.7 \text{ V} \quad V_{CC} = 25 \text{ V}$$

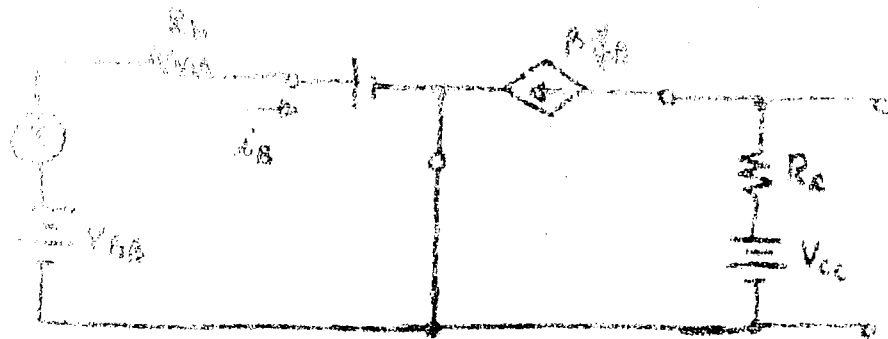
(a) $I_c = 2 \text{ mA}$ $V_{CE} = 5 \text{ V}$.

$$R_c = \frac{25 - 5}{2} = \boxed{10 \text{ k}\Omega}$$

$$I_B = \frac{2}{50} = 40 \mu\text{A} \rightarrow R_b = \frac{1}{40} = 0.025 \text{ M}\Omega = \boxed{25 \text{ k}\Omega}$$

(b) $K_v = 50 \times \frac{10}{25} = \boxed{20}$

Problem 25.9.4 Angelo



$$(a) \quad K_V = \beta \frac{R_C}{R_B} = \beta \frac{V_{CC} - V_{CE}}{I_C} = \frac{V_{CC} - V_{CE}}{\frac{V_{BB} - V_{BE}}{\beta}}$$

(b) $K_V = 15 \quad V_{CE} = 20V \quad I_C = 1mA \quad V_{BE} = 2V$

$$R_C = \frac{20 - 2}{1} = 18K \quad 15 = \frac{18}{V_{BB} - V_{BE}} \rightarrow$$

$$V_{BB} - V_{BE} = \frac{18}{15} = 1.2 \rightarrow V_{BB} = 1.9V$$

$$\frac{1.2}{R_B} = \frac{2}{\beta} \rightarrow R_B = 1.2 \beta$$

PROBLEM 257.9.6 ANSWER

$V_{CC} = 20V$ $V_{BB} = 2V$ $\beta = 100$ $V_o = 0.7V$

$P_o (\text{max}) = 360 \text{ mW}$

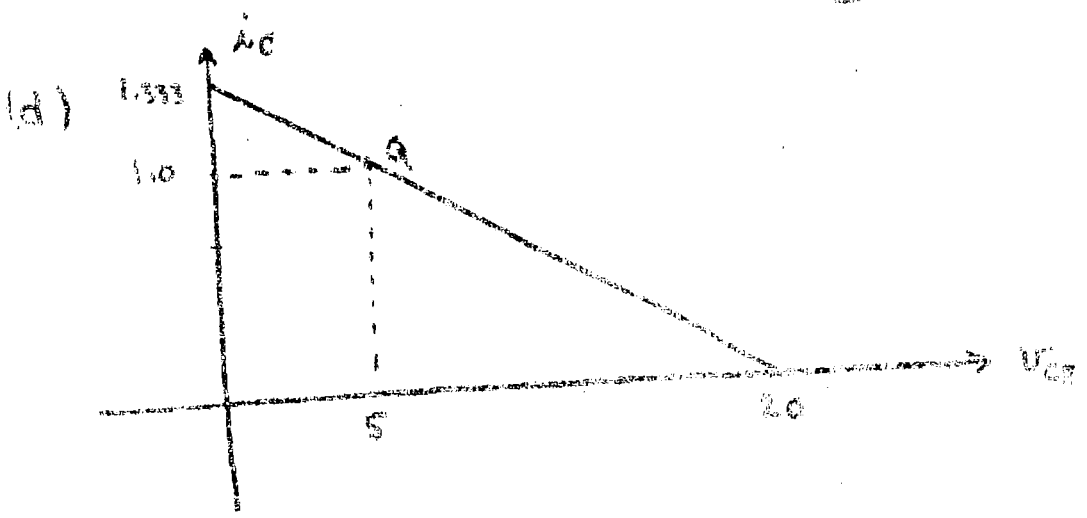
(a) $R_c = \frac{20 - 5}{1} = \boxed{15K}$

$I_B = \frac{1}{100} = 0.01 \text{ mA}$

$R_b = \frac{2 - 0.7}{0.01} = \frac{1.3}{0.01} = \boxed{130\Omega}$

(b) $P_o = V_{CE} \times I_c = 5 \times 1 = \boxed{5.0 \text{ mW}}$

(c) $K_v = \beta \cdot \frac{R_c}{R_b} = 100 \times \frac{15}{130} = \boxed{11.6}$ WITH 180° PHASE SHIFT

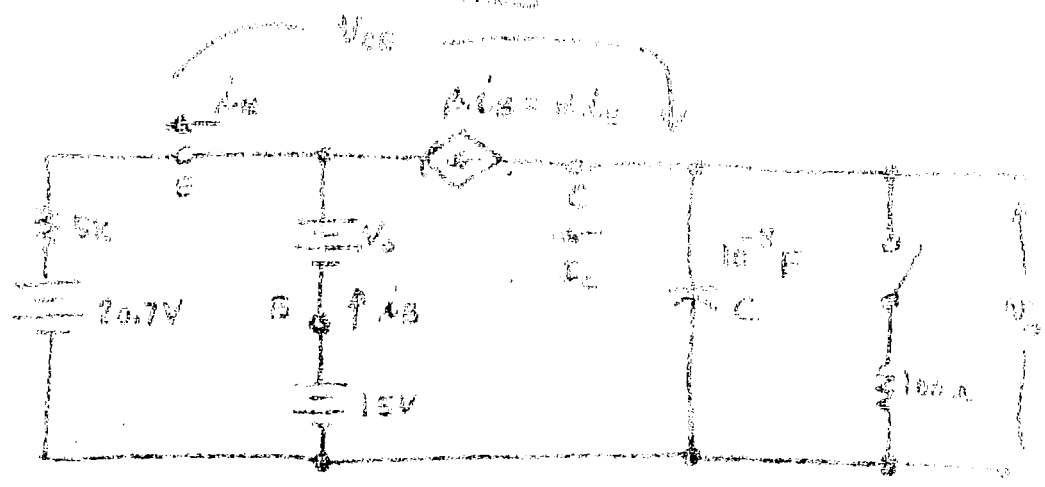


Saturation occurs at $I_c = 1.333 \text{ mA} \rightarrow I_B = 0.01333 \text{ mA}$

$\frac{V_B + V_{BB} - V_o}{R_b} = 0.01333$, $V_B = 0.01333 \times 130 - 2 + 0.7$
 $= 1.735 - 1.3 = \boxed{0.435V}$

Value of V_B must be positive

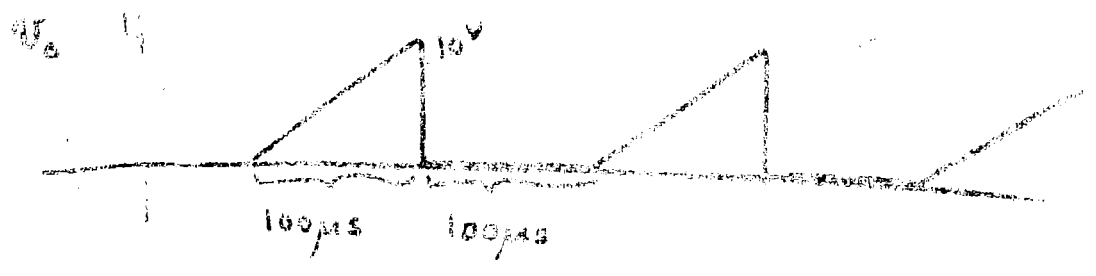
Problem 203, A.P. Angelo



SWITCH OPEN

$$I_E = -\frac{20.7 - 7 - 15}{5k} = -1.0 \mu A = I_C \quad V_C = \frac{-I_C t}{C} = \frac{10^{-8} t}{10^{-8}} = -t$$

SWITCH CLOSED: C DISCHARGES THROUGH 100 ohm



Check V_{CE} during this switch open.

$$V_{CE} = 5 - 20.7 + V_C = V_C - 15.7 \text{ V which is } < 0 \text{ all the time.}$$

PROBLEM 249.10, ANSWER

Q-POINT: $I_C = 2.0 \text{ mA}$
 $V_{CE} = 4 \text{ V}$

$V_{CC} = 20 \text{ V}$ $\beta = 50$
 $V_{BE} = 0.7 \text{ V}$ $I_{CBO} = 0$

(a) $R_C = \frac{V_{CC} - V_{CE}}{I_C} = \frac{20 - 4}{2} = \boxed{8 \text{ K}}$

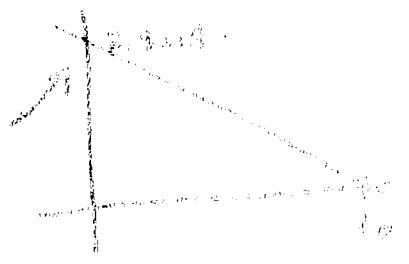
$I_B = \frac{I_C}{\beta}$
 $= \frac{2}{50} = 0.04 \text{ mA}$

$R_B = \frac{V_{CC} - V_{BE}}{I_B} = \frac{20 - 0.7}{0.04} = \boxed{493 \text{ K}}$

(b) $I_C = 0.04 \text{ mA}$ $I_C = 50 \times 0.04 = 2.0 \text{ mA}$

TRANSISTOR SATURATED.

$I_C = 2.0 \text{ mA}$
 $V_{CE} = 0 \text{ V}$



Problem 300, 10.5 Answer

$V_{BE} = 0.7V$

$\beta = 60 \rightarrow 300 \quad (100 + 10)$

$I_{BQ} = 0$

$V_{CC} = 20V$

Q-POINT: $I_C = 2mA, V_{CE} = 4V$ for $\beta = 100$

(a) $I_C = \frac{20 - 4}{2} = 8mA$

$R_C = \frac{20 - 4}{8} = 2.25k\Omega$

(b) $\beta = 60 \quad I_C = 60 \times 0.1 = 0.6mA$

$V_{CE} = 20 - 0.6 \times 8 = 20 - 4.8 = 15.2V$

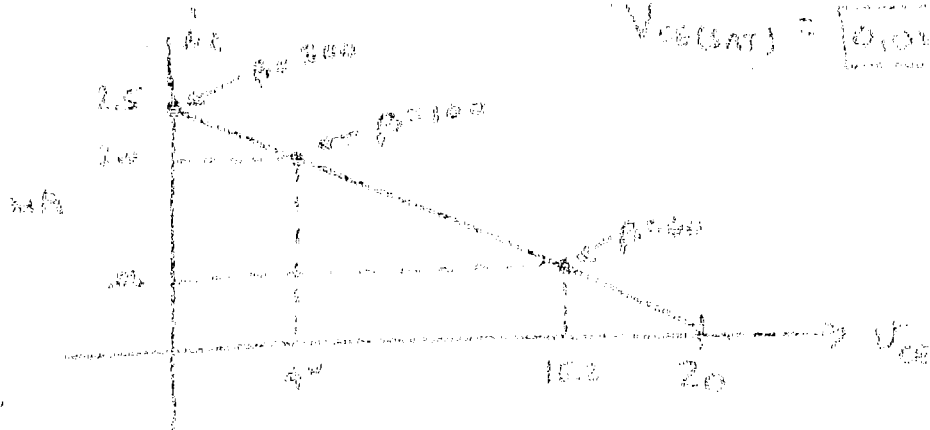
$\beta = 300 \quad I_C = 300 \times 0.01 = 3mA$

$V_{CE} = 20 - 3 \times 8 = -4V$

$I_C(100) = \frac{20}{4} = 2.5mA$

$V_{CE(100)} = 0.10V$

(c)



Problem 301.10.6 ANGELS

$V_0 = 0.7V$ $\beta = 60 - 300$

(a)
$$I_c = \frac{\beta(V_{BB} - V_0)}{R_b + (\beta + 1)R_e}$$

$V_{BB} = \frac{1}{3} \cdot 20V = 6.67V$

$R_b = \frac{30 \times 10^3}{30 + 110} = 100\Omega$

$\beta = 60$

$$I_c = \frac{60 \times 5.97}{10 + 61 \times 3} = \frac{60 \times 5.97}{193} = \boxed{1.855mA}$$

$V_{CE} = 20 - 8 \times 1.855 = 10.16V$

$\beta = 100$

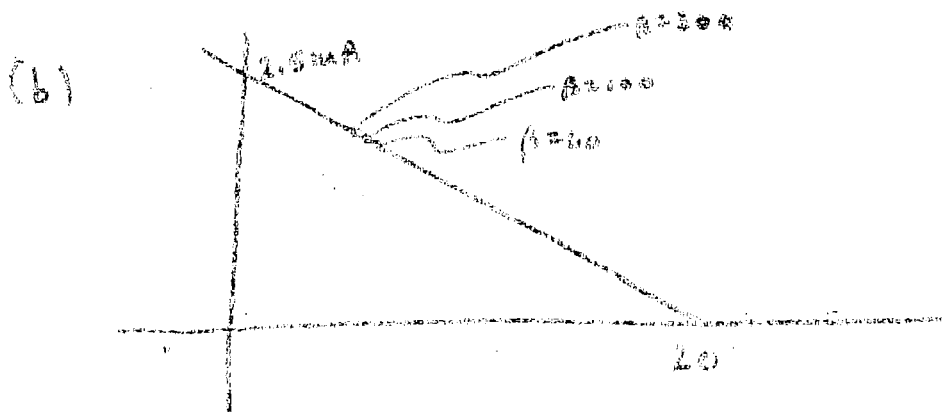
$$I_c = \frac{100 \times 5.97}{10 + 101 \times 3} = \boxed{1.41mA}$$

$V_{CE} = 20 - 8 \times 1.41 = 10.72V$

$\beta = 300$

$$I_c = \frac{300 \times 5.97}{10 + 301 \times 3} = \boxed{1.96mA}$$

$V_{CE} = 20 - 8 \times 1.96 = 8.32V$



(c)
$$I_c = \frac{V_{BB} - V_0}{R_e} = \frac{5.97}{3} = \boxed{1.99mA}$$

$\beta \rightarrow \infty$

Problem 10.10.1. Analysis

$V_{CC} = -20V$

$V_0 = -0.7V$

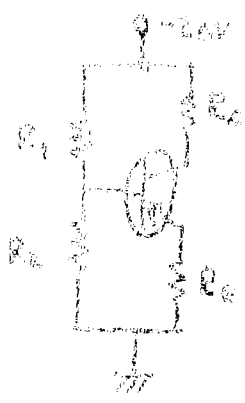
$\beta = 100$

$I_C = 1mA$

$V_{CE} = -4V$

$V_{BE} = 0.7V$

$R_2 = 10k$



$R_E = \frac{V_{CE}}{I_C} = \frac{4}{1} = 4k\Omega$

$V_{CE} = \frac{20 - (-0.7)}{1} = 20.7V$

$\frac{R_E}{R_1} = \frac{1 - \beta}{\beta(\beta + 1) - 1} = \frac{.95}{100 \times 101 - 1} = \frac{.95}{10100} = .0000094$

$R_1 = \frac{R_E}{.0000094} = 107k\Omega$

$I_B = \frac{I_C}{\beta} = \frac{1mA}{100} = .01mA$

$V_{BE} = (V_{CE} + V_0 + I_B R_1)$

$= 20.7 + .7 + .01 \times 107k$

$= 1287V$

$\frac{R_2}{R_1 + R_2} = \frac{1.7}{20} = .085$

$.085 R_1 = 17 \rightarrow R_1 = 200k\Omega$

$\frac{R_2}{R_1 + R_2} = .085$

$R_2 = .085(R_1 + R_2)$

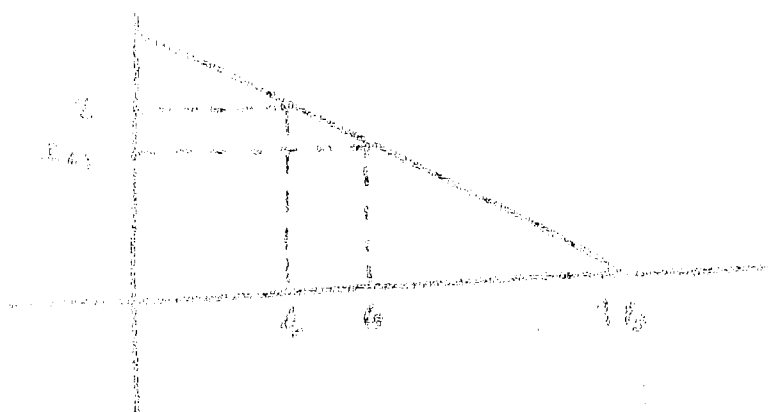
$R_2(1 - .085) = .085 \times 200k$

$R_2 = \frac{.085 \times 200k}{.915} = 18.5k\Omega$

Problema 201.50.4 Angulo

$V_{CC} = 10V$ $V_b = 7V$ $\beta = 60 \rightarrow 100$

$V_c = V_{CE} = 6V$ $I_{C1} = 2mA$ (ya $V_{CE} = 4V$)



$\frac{V_{C1}}{I_{C1}} = \frac{V_{C2}}{I_{C2}}$
 $\frac{6V}{2mA} = \frac{4V}{I_{C2}}$
 $I_{C2} = \frac{4V}{6V} \cdot 2mA = 1.33mA$

$I_{C2} = \frac{V_{C1}}{V_{C2}} \cdot I_{C1}$
 $I_{C2} = \frac{6V}{4V} \cdot 2mA = 3mA$

$\beta = \frac{I_C}{I_B}$
 $100 = \frac{3mA}{I_B}$
 $I_B = \frac{3mA}{100} = 30\mu A$

Spice Problem

Due 5.17.71

$$\beta = 40 - 240$$

$$I_{C1} = 2.1 \text{ mA}$$

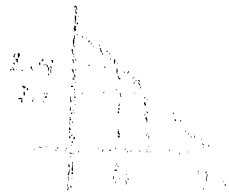
$$V_{CE1} = 6 \text{ V}$$

$$I_{C2} = 2.4 \text{ mA}$$

$$V_{CE2} = 6 \text{ V}$$

$$V_{CC} = 20 \text{ V}$$

$$R_C + R_E = \frac{20 - 6}{2.4} = \frac{14}{2.4} = 5830 \Omega$$



$$1.25 R_C = 5830$$

$$R_C = 4670 \Omega$$

$$R_E = 1165 \Omega$$

$$S_{ee} = \frac{\frac{1.2}{2.1}}{\frac{1.2}{2.1} + \frac{1}{40}} = \frac{1}{1.5} = .6666$$

$$\frac{R_1}{R_2} = \frac{1 - S_{ee}}{S_{ee}(\beta + 1) - 1} = \frac{.3333}{.0296 \times 241 - 1} = \frac{.3333}{6.9 - 1} = .5645$$

$$R_2 = \frac{1165}{.5645} = 2064 \Omega$$

$$V_{B2} = \frac{2.4}{240} [7070 + 241 \times 1165] = .01 (7.07 + 281) = 2.88 \text{ V}$$

$$\frac{R_1}{R_1 + R_2} = \frac{V_{B2}}{V_{CC}} = \frac{2.88}{20} = .144 \quad .144 R_1 = 7.09 \quad R_1 = 49.2 \text{ k}\Omega$$

$$R_2 = .144 (49.2 + R_2)$$

$$R_2 (1 - .144) = 49.2 \times .144$$

$$R_2 = \frac{49.2 \times .144}{.856} = 8.26 \text{ k}\Omega$$

(OVER)

$I_c(\text{max})$ occurs for $\beta_2, V_{ce}(\text{max}), V_{ce}(\text{min})$

$$I_{c\text{max}} = \frac{240 \left(\overset{2.77}{.144} \times 21 - .59 \right)}{7.09 + 241 \times 1.165} = \frac{240 \times 243}{288} = \boxed{210.25 \text{ mA}}$$

$$I_{c\text{min}} = \frac{40 \left(\overset{2.88}{.144} \times 18.5 - .72 \right)}{7.09 + 41 \times 1.165} = \frac{40 \times 177}{54.9} = \boxed{127 \text{ mA}}$$

EE-262 - Electronics I
 Laboratory - Diodes and Rectifiers
 Large Lecture Room
 May 23, 1991

EE 262 - Electronics I
 Test No. 2
 Closed books - 50 minutes.

(1) Show that an EBT amplifier. For this EBT you may assume

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_p} \right)^2 \quad \text{where } I_{DSS} = 2.5 \text{ mA and } V_p = 6.0 \text{ V.}$$

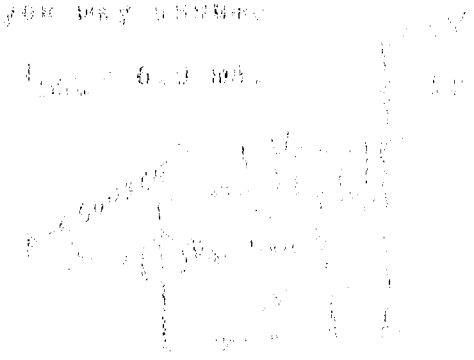
Second order effects may be neglected.

(a) Find I_D and V_{DS} , the quiescent operating point values.

(b) Find V_G .

(c) What instantaneous value of v_g will cause the transistor to be on the threshold of cutoff during one instant of the a-c cycle.

(d) What is the small signal voltage gain of the amplifier, A_v ?



SOLUTION

$$\begin{aligned}
 \text{(a)} \quad V_{GS} &= -1 \text{ V} & I_D &= 6 \left(1 - \frac{1}{2.5} \right)^2 = 6 (1 - .4)^2 = 6 \times .4^2 \\
 & & &= \boxed{2.16 \text{ mA}} & V_{DS} &= 20 - 1.8 \times 2.16 \\
 & & & & &= 20 - 3.89 \\
 & & & & &= \boxed{16.11 \text{ V}}
 \end{aligned}$$

$$\text{(b)} \quad V_G = \boxed{1 \text{ V}}$$

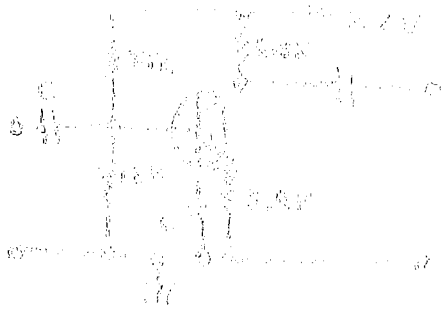
(c) cutoff is when $I_D = 0$

$$V_{GS} = -2.5 \text{ is cutoff}$$

$$-1 + v_g = -2.5 \quad v_g = \boxed{-1.5 \text{ V}}$$

$$\begin{aligned}
 \text{(d)} \quad g_m &= \frac{\partial I_D}{\partial V_{GS}} = \frac{2 I_{DSS}}{-V_p} \left(1 - \frac{V_{GS}}{V_p} \right) = \frac{2 \times 6}{2.5} \left(1 - \frac{1}{2.5} \right) = \frac{2 \times 6 \times .4}{2.5} \\
 &= 2.88 \times 10^{-3} \text{ S} & R_v &= 2.88 \times 1.8 = \boxed{5.18}
 \end{aligned}$$

Find V_{BB} and V_{CE} for the circuit shown. Also find I_C and S_e .



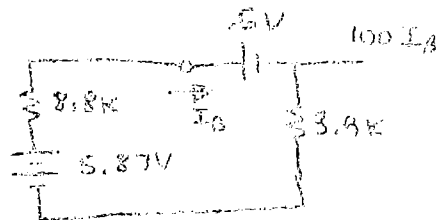
- Find V_{BB} .
- Find V_{CE} .
- Find the ratio of V_{BB}/V_{CE} .
- S_e .

SOLUTION:

$$(a) \quad V_{BB} = \frac{12}{45} \times 12 = 5.87V$$

$$R_b = \frac{12 \times 33}{45} = 8.8k\Omega$$

base circuit



$$5.87 - 8.8 I_B - 0.6 - 101 \times 3.9 I_B$$

$$5.87 - 0.6 = (8.8 + 101 \times 3.9) I_B$$

$$I_B = \frac{5.27}{3977.1k\Omega}$$

$$= 1.325 \mu A$$

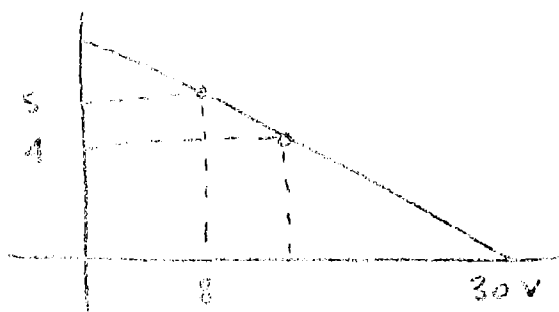
$$I_C = 100 \times 1.325 \mu A = \boxed{1.31mA}$$

$$V_{CE} = 22 - 1017 \times 1.31 = 22 - 14 = \boxed{8V}$$

$$(c) \quad \eta = \frac{5.87}{0.6} = \boxed{9.79}$$

$$(d) \quad S_e = \frac{R_b + R_e}{R_b + (1+\beta)R_e} = \frac{8.8 + 3.9}{8.8 + 394} = \frac{12.7}{403} = \boxed{0.0315}$$

2. A designer expects to be an amplifier with to be stabilizing the quiescent operating point with respect to variations in β . The data sheet is known to be 70-200, and V_{BE} is 0.7V. If the DC supply voltage is 5V, select values of R_1 , R_2 , R_c , and R_e such that I_C is guaranteed to lie between 4 and 5 mA and V_{CEQ} is 1.5V when $\beta = 50$.



$$R_c + R_e = \frac{2.2}{5} = 4.4 \text{ k}\Omega$$

$$1.25 R_c = 4.4$$

$$R_c = \boxed{3.52 \text{ k}\Omega} \quad \star$$

$$R_e = \boxed{880 \Omega} \quad \star$$

$$S_{\beta 2} = \frac{\frac{1}{\beta}}{\frac{130}{70}} = \frac{70}{520} = \boxed{.135}$$

$$S_{\beta 2} = \frac{1 + \frac{R_e}{R_b}}{1 + (1 + \beta_2) \frac{R_e}{R_b}} \quad .135 = \frac{1 + X}{1 + 201X}$$

$$.135(1 + 201X) = 1 + X$$

$$.135 - 1 = X - .135 \cdot 201X$$

$$X = \frac{.865}{26} = .0332 = \frac{R_e}{R_b} \quad R_b = \frac{880}{.0332} = 26.5 \text{ k}\Omega$$

$$\frac{R_2}{R_1 + R_2} = \frac{V_{BE}}{V_{CC}}$$

$$5 = \frac{200(V_{BE} - .7)}{26.5 + 201 \cdot .88}$$

$$V_{BE} = \frac{5 \times 203}{200} = 5.075 \text{ V}$$

$$\frac{R_2}{R_1 + R_2} = \frac{5.075}{9} = .564$$

$$.564 R_1 = 26.5$$

$$R_1 = \boxed{47 \text{ k}\Omega} \quad \star$$

$$\frac{R_2}{47 + R_2} = .564 \rightarrow R_2 = .564(47 + R_2)$$

$$R_2(1 - .564) = 26.5$$

$$R_2 = \frac{26.5}{.436} = \boxed{60.8 \text{ k}\Omega} \quad \star$$



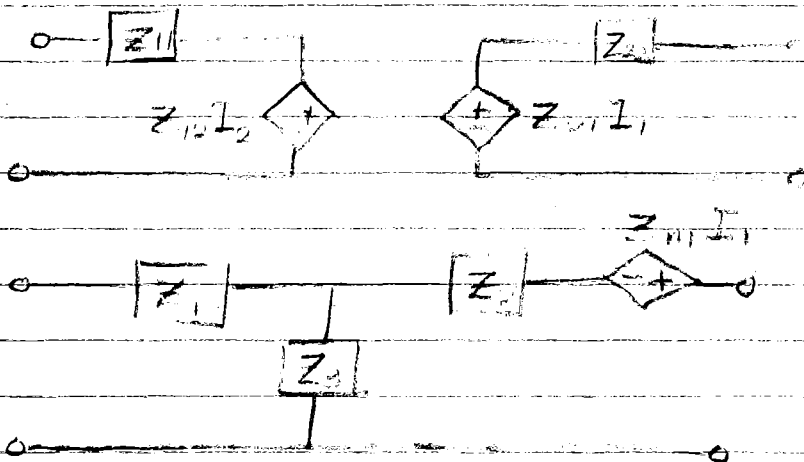
EE LAB

3-22-72 (WED)

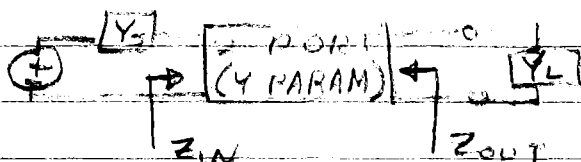
$YZ\phi RZY (Y_{11}, Y_{12}, Y_{21}, Y_{22}, Z_{11}, Z_{12}, Z_{21}, Z_{22})$

INPUT

RETURNED



AMPPOP



2-29-72 (WED)

COMPLEX FUNCTION POL(\hat{z})

POLAR2(N, Z1, Z2, ..., ZN)

OUR FORDE IS PURDUE'S FØRKYU

#

#41031 STUDENT, T10, P10, CM 43000,

MAP(PART)

FUN(S)

PEILES(GET, EE215)

REWIND(EE215)

FUN(G, EE215)

7/8/9

Electrical Engineering Department
 Rose-Hulman Institute of Technology
 Terre Haute, Indiana
 March 15, 1972

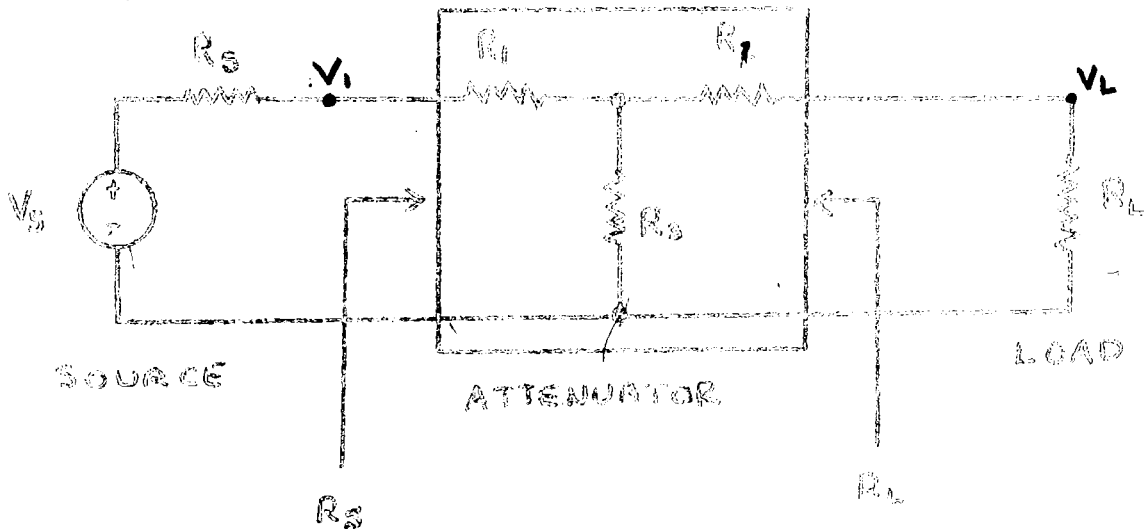
EE215
 First computer assignment
 Due Thursday, March 23, 1972

DESIGN OF A "T" ATTENUATOR (FORTRAN)

The purpose of this computer program is to design a "T" type attenuator circuit. Given R_s and R_L and $|V_2/V_1|$, the computer will calculate values of R_1 , R_2 , and R_3 . (For this problem we will assume that $R_L = R_s$, thus making $R_1 = R_2$.)

Write the program in FORTRAN to run on the IBM 1130. You will read in a card with R_s , R_L and $|V_2/V_1|$ on it and the computer will then print out R_1 , R_2 , and R_3 .

$|V_2/V_1|$ is between 0 and one noninclusive.



The load should see its resistance of R_L and the source should see a resistance of R_s . Thus both are "matched" to their respective resistances.

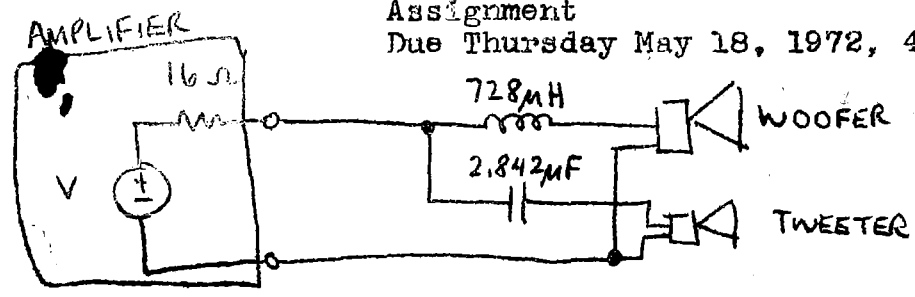
Test your program by putting in $R_L = R_s = 50$ Ohms and $V_2/V_1 = .0001, .001, .1, .3, .707, .95, .9999$.

Prepare a convolution program which will convolve two functions that are stored as arrays of 100 values. You are to assume that the sampling increments are equal for the two arrays and that sampling is uniform. Use the stored integration subroutine INTEGR, which is explained on another handout. Assume the sampling interval is 1/100 second and that both functions are time limited. F_1 is of 2 seconds duration and begins at $t = 0$. F_2 is of 3 seconds duration and begins at $t = 1$. Plot both functions and $f_1 * f_2$ on the same graph paper.

The arrays for f_1 and f_2 may be gotten by calling subroutine ^{CSJD/}ARNDN (N, SD, R, seed) where N and R are the array number and seed is the random number generator.

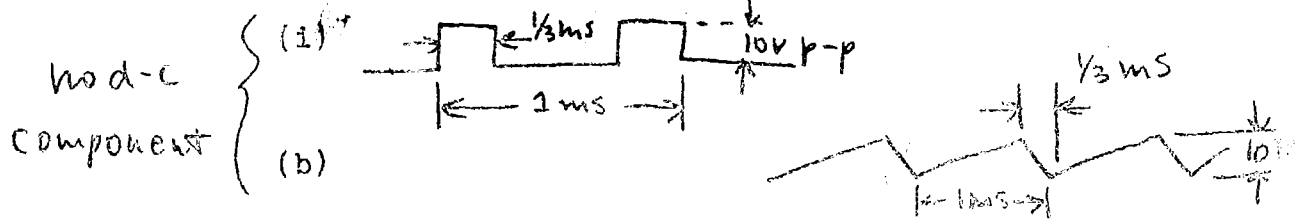
Electrical Engineering Department
 Rose-Hulman Institute of Technology
 Terre Haute, Indiana
 May 4, 1972

EE215
 Assignment
 Due Thursday May 18, 1972, 4:00 PM FIRM.



Let us analyze the hi-fi speaker system shown to see if it truly reproduces the sound put into it. Assume that the audible sound out of each speaker is Ki , where i is the current through the speaker. Assume that each speaker has an impedance of $16 \angle j 0$ Ohms at all frequencies. (A rather radical, but simplifying assumption.) For each signal from the amplifier compute and plot the combined sound from both speakers on a sheet of graph paper on which is also plotted the original function. Assume that the ear successfully performs a non-weighted addition of the sound output of the two speakers. Our assumption is that the waveforms we're interested in are all non-sinusoidal, periodic functions of time.

Three waveforms are to be analyzed. They are:



(c) A 1000 Hz waveform from any musical instrument from the following list.

- piano (sustained note), clarinet, violin, oboe, flute,
- accordion, saxophone, human female voice (soprano)

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Terre Haute, Indiana

SUBROUTINE FØRDE computes Fourier series coefficients for a periodic function of time defined by an array of sampled values. Usage is as follows:

CALL FØRDE(F,NF,TDEL,START,PERØD,WØ,A,B,NW,DC)

where F is the array of points defining the function in the time domain; NF is the number of values in the array NF; TDEL is the sampling increment in the time domain; START is the time corresponding to the first point in F; PERØD is the period of the function described by F; WØ is returned and is $2\pi / \text{PERØD}$; A and B are arrays of cosine and sine coefficients respectively. NW is the number of coefficients you want computed; and DC is the zero frequency or "d-c value" of the Fourier series. A and B must be dimensioned at least NW. Presently $NW \leq 200$. The method used is brute force.

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SUBROUTINE INTEG finds the area under a curve defined by an array of sample values. Usage is as follows:

CALL INTEG(FUNC,N,AREA,XINC)

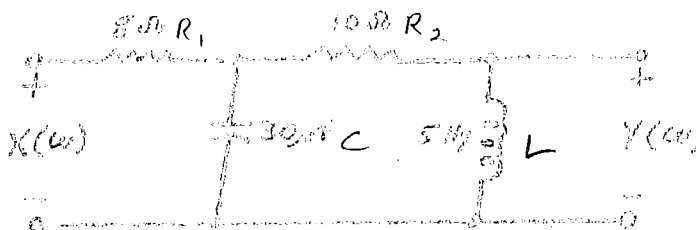
where FUNC is the array of points defining the curve in question, N is the number of values in array FUNC, AREA is the area found, and XINC is the sampling increment on the abscissa axis. The method used is Simpson's one-third rule.

JHD
4.12.72

SYSTEM ANALYSIS IN THE FREQUENCY DOMAIN

PURPOSE: To pass a signal through a system by performing the transform of convolution in the frequency domain. In the frequency domain, convolution is replaced by multiplication.

PROBLEM: Given the same function you used in the Fourier series assignment, let it be your time-limited signal. Obtain the Fourier transform of this signal. Then obtain the Fourier transform of the impulse response of the system. This is called the system function. Then obtain the Fourier transform of the output signal $Y(\omega)$ by multiplication. The system is shown below.



USE OF SUBROUTINE DEFOR:

A subroutine named DEFOR is available on the IBM 1130 which computes $\text{Re}\{F(\omega)\}$ and $\text{Im}\{F(\omega)\}$ in the form of arrays. Its usage is as follows.

CALL DEFOR (N, NF, TI, R, X, RW, BW, WDEL, TDEL)

where:

N is the array defining the function to be transformed
 NF is the number of sample values in the array NF
 TI is the time when the time function begins

$\left. \begin{matrix} R \\ X \end{matrix} \right\}$ are the returned arrays of $\text{Re}\{F(\omega)\}$ and $\text{Im}\{F(\omega)\}$ respectively.

NW is the number of values computed in the R and X arrays
 BW is the bandwidth in rad/sec over which you want the Fourier transform computed.

$\left. \begin{matrix} WDEL \\ TDEL \end{matrix} \right\}$ are the sampling increment in the frequency and time domain respectively.

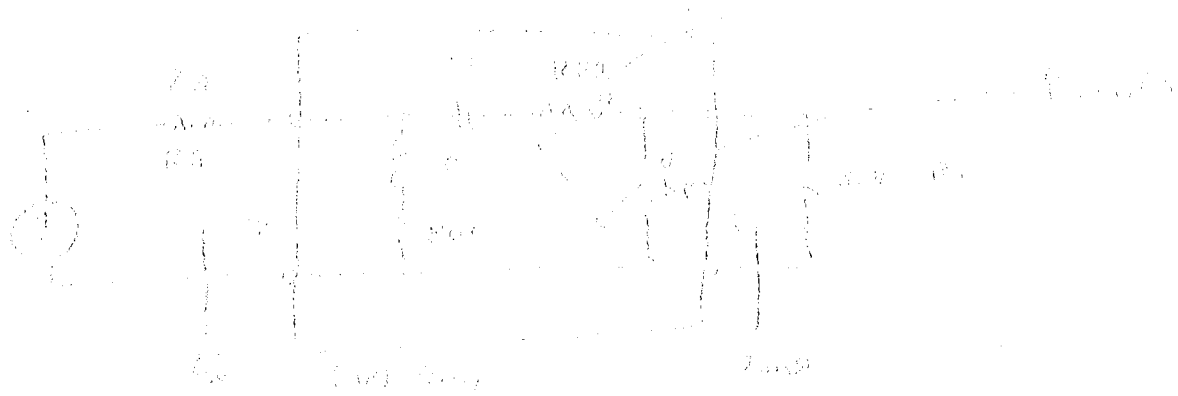
At the present time **NF** is limited to a value of 201.

$$F(\omega) = R(\omega) + j X(\omega)$$

Obtain $g(t)$ from $Y(\omega)$.

WRITE

CIRCUIT
 INPUT &
 OUTPUT SIGNALS



V_{i1} and V_{i2} are the other available voltages from the first and second stages, the other parameters.

What do we get? We input amplitude V_{i1} or V_{i2} amplitude V_{i1} as a function of V_{i1} or V_{i2} .

V_{i1} is a function of V_{i1} or V_{i2} .

Parameters: $R_s, R_1, R_2, R_3, R_4, R_C, R_E, \beta, \alpha, \omega, \omega_c, \omega_{c1}, \omega_{c2}, \omega_{c3}, \omega_{c4}, \omega_{c5}, \omega_{c6}, \omega_{c7}, \omega_{c8}, \omega_{c9}, \omega_{c10}$

Some: $R_s, R_1, R_2, R_3, R_4, R_C, R_E, \beta, \alpha, \omega, \omega_c, \omega_{c1}, \omega_{c2}, \omega_{c3}, \omega_{c4}, \omega_{c5}, \omega_{c6}, \omega_{c7}, \omega_{c8}, \omega_{c9}, \omega_{c10}$

Some: $R_s, R_1, R_2, R_3, R_4, R_C, R_E, \beta, \alpha, \omega, \omega_c, \omega_{c1}, \omega_{c2}, \omega_{c3}, \omega_{c4}, \omega_{c5}, \omega_{c6}, \omega_{c7}, \omega_{c8}, \omega_{c9}, \omega_{c10}$

$V_{i1} = V_{i1}/V_{i1}$

$V_{i2} = V_{i2}/V_{i2}$

$V_{i3} = V_{i3}/V_{i3}$

Prepare a compilation program which will consist of two functions that are stored as arrays of sample values. You are to assume that the sampling increments are equal for the two arrays and that sampling is uniform. Use the stored integration subroutine INTEG, which is explained on another handout. Assume the sampling interval is 0.1 second and that both functions are true sinusoids. F1 is of 2 seconds duration and begins at t=0. F2 is of 3 seconds duration and begins at t=0.

Plot both functions and f_1 & f_2 on the same graph paper.

```
CALL INTEG(FUNC, N, AREA, XINC)
      ↑ ARRAY   ↑ VALUES ↑ AREA ↑ XINC.
```

The arrays for f_1 and f_2 may be gotten by calling subroutine **GSJD1** ARRAY (A, NA, Q, NR) where A and B are the arrays and NA and NR are the points in each array respectively.

QUESTIONS A & B
Convolution Computer Program

Given two functions stored in the subroutines library of the IBM 1130, you are to develop a computer program which will convolve these two functions.

The functions are

FUN1(T)

and

FUN2(T)

where

$$\text{FUN1}(T) = 0.0 \text{ for } T < 0.0 \text{ \& } T > 2.0.$$

$$\text{FUN2}(T) = 0.0 \text{ for } T < 0.0 \text{ \& } T > 3.0.$$

Use 25 points in a "Trapezoidal" integration scheme to obtain the desired result. Your program need only output the result of the convolution but for your own peace of mind you may wish to tabulate the functions.

Make your program general enough that different functions, limits, and numbers of points may be easily run.

10.10.19

3.7.2.1.1

10.10.19.1

10.10.19.2 (10.10.19.1/10.10.19.2)

10.10.19.3

10.10.19.4 (10.10.19.4)

10.10.19.5 (10.10.19.5)

10.10.19.6 (10.10.19.6)

10.10.19.7

10.10.19.8 (10.10.19.8)

10.10.19.9

10.10.19.10

10.10.19.11

10.10.19.12

10.10.19.13

10.10.19.14

10.10.19.15

10.10.19.16

10.10.19.17 (10.10.19.17, 10.10.19.18, 10.10.19.19, 10.10.19.20, 10.10.19.21, 10.10.19.22, 10.10.19.23, 10.10.19.24, 10.10.19.25, 10.10.19.26, 10.10.19.27, 10.10.19.28, 10.10.19.29, 10.10.19.30, 10.10.19.31)

10.10.19.32 (10.10.19.32)

10.10.19.33 (10.10.19.33)

10.10.19.34 (10.10.19.34)

10.10.19.35 (10.10.19.35, 10.10.19.36, 10.10.19.37, 10.10.19.38, 10.10.19.39, 10.10.19.40, 10.10.19.41, 10.10.19.42, 10.10.19.43, 10.10.19.44, 10.10.19.45, 10.10.19.46, 10.10.19.47, 10.10.19.48, 10.10.19.49, 10.10.19.50, 10.10.19.51, 10.10.19.52, 10.10.19.53, 10.10.19.54, 10.10.19.55, 10.10.19.56, 10.10.19.57, 10.10.19.58, 10.10.19.59, 10.10.19.60, 10.10.19.61, 10.10.19.62, 10.10.19.63, 10.10.19.64, 10.10.19.65, 10.10.19.66, 10.10.19.67, 10.10.19.68, 10.10.19.69, 10.10.19.70, 10.10.19.71, 10.10.19.72, 10.10.19.73, 10.10.19.74, 10.10.19.75, 10.10.19.76, 10.10.19.77, 10.10.19.78, 10.10.19.79, 10.10.19.80, 10.10.19.81, 10.10.19.82, 10.10.19.83, 10.10.19.84, 10.10.19.85, 10.10.19.86, 10.10.19.87, 10.10.19.88, 10.10.19.89, 10.10.19.90, 10.10.19.91, 10.10.19.92, 10.10.19.93, 10.10.19.94, 10.10.19.95, 10.10.19.96, 10.10.19.97, 10.10.19.98, 10.10.19.99, 10.10.19.100)

10.10.19.101

10.10.19.102

PØLAR

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBRØUTINE PØLAR(RECT,PØLMAG,ANGLE)

Inputs:

RECT - A complex FORTRAN variable

Computed values:

PØLMAG - the magnitude of RECT

ANGLE - the angle of RECT

This subroutine converts a complex number from
rectangular to polar form.

JHD
10.4.71

AMPRØP

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subroutine

SUBRØUTINE AMPRØP(Y11, Y12, Y21, Y22, YL, YS, ZIN, ZØUT,
AV, AI, AP, APA, API, APT)

Inputs:

Y11, Y12, Y21, Y22, the network y-parameters)
YL, YS - source and load admittances) Complex

Computed values:

ZIN, ZØUT, the input and output impedances)
AV, AI, voltage gain and current gain) Complex

AP Power gain)
APA Available power gain)
API Insertion power gain) Real
APT Transducer power gain)

This subroutine computes important properties of an
amplifier (two-port) given the y-parameters.

JHD
10.4.71

YZØRZY

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBRØUTINE YZØRZY(A11,A12,A21,A22,B11,B12,B21,B22)

Inputs: A11,A12,A21,A22 - Y or Z parameters (complex)

Computed values:

B11,B12,B21,B22 - Z or Y parameters (complex)

This subroutine converts from y-parameters to
z-parameters or vice-versa.

JHD
10.4.71

ZTØZT

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBROUTINE ZTØZT(Z11,Z12,Z21,Z22,Z1,Z2,Z3,ZM)

Inputs: Z11,Z12,Z21,Z22 (Complex)

Computed values: Z1,Z2,Z3,ZM (Complex)

This subroutine gives the elements in the T form
of the z-parameter two-port network.

JHD
10.4.71

Electrical Engineering Department
Rose-Hulman Institute of Technology
Terre Haute, Indiana
March 15, 1972

EE-215

Notes on Computer Assignments.

Feel free to hand in your computer assignments ahead of time. When you've begun obtaining output you may check with the instructor to see if your results are correct. Use as many significant figures as is required for the problem.

Hand in all programs still accordion-folded as they come from the computer center. Always include banner page and day file on CDC6500 jobs. If you do not own a computer center manual, obtain one for the course. They are available in the Bookstore for \$1.00. Any material you're handing in with your programs should be slipped inside of the folded computer output. Be sure to put your name on the front of your output.

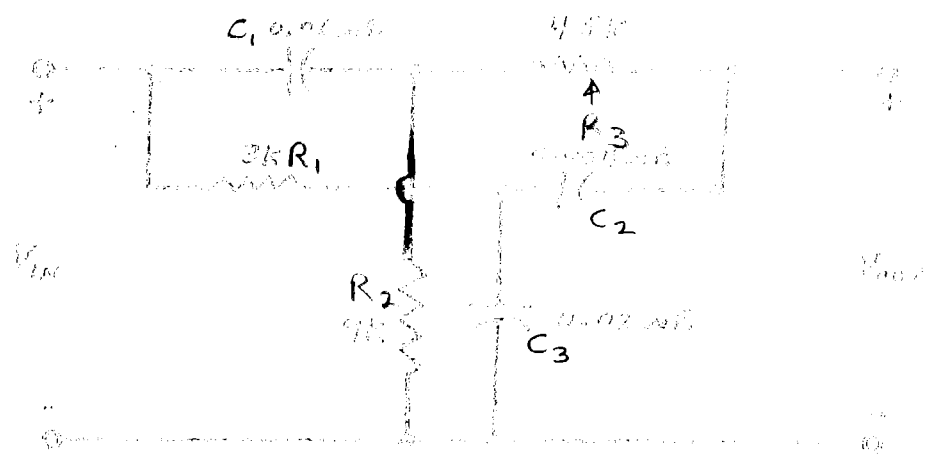
...
 ...
 ...

Handwritten title or header text.

The objective of this assignment is to design a transfer function which will ...

- 1. ...
- 2. ...
- 3. ...
- 4. ...
- 5. ...

Program should describe the construction and assembly from the above circuit.



The desired output should consist of the voltage gain and input and output impedances (in pole-zero form) for enough poles between 500 Hz and 50 kHz to allow correct design to be plotted. You see to plot the curves on ~~graph~~ **Bode** plots.

AND $\angle A_V \ll Z_{IN}, Z_{OUT}$ (SEMI-LOG)
 Now design each section of the following form

```

  NAME      NAME
  NAME, STUDENT, PID, YR, GRADE, ...
  FOR(S)
  PZFORM(ENT, SADI, T, A, G, B, H, M, N, O, P, Q, R, S, T, U, V, W, X, Y, Z)
  LG,
  7/3/9
  ... FORTRAN program ...
  7/3/9
  ...
  6/7/9/9
  
```




9-13-71 PCS

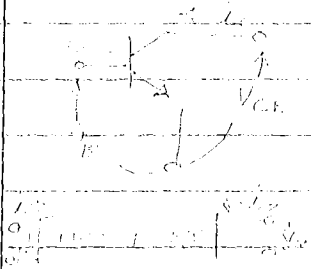
LEAD # 101-238

PROB. 10-13; USE h-PARAMETER MODEL

SIGNAL FLOW, GAIN, & PHASE

NOTES:

SIGNAL FLOW, GAIN, & PHASE



$v_{ce} = h_{re} i_b + h_{oe} v_{ce}$
 $i_c = h_{fe} i_b + h_{oe} v_{ce}$
 $i_e = i_b + i_c$
 $i_e = i_b + h_{fe} i_b + h_{oe} v_{ce}$
 $i_e = (1 + h_{fe}) i_b + h_{oe} v_{ce}$

IN JACK MODEL: $\Delta v_{ce} = h_{re} \Delta i_b + h_{oe} \Delta v_{ce}$

$\Delta i_c = h_{fe} \Delta i_b + h_{oe} \Delta v_{ce}$

now $i_e = i_b + i_c$

$i_e = i_b + h_{fe} i_b + h_{oe} v_{ce}$

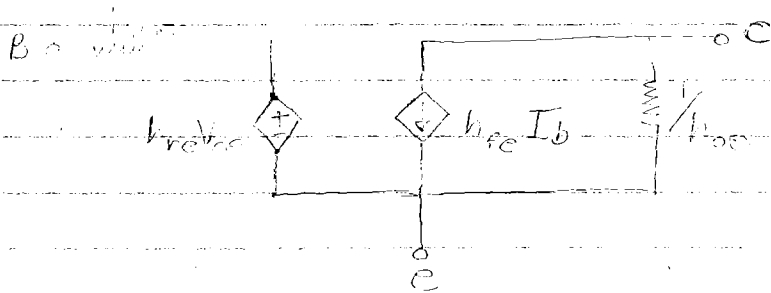
$i_e = (1 + h_{fe}) i_b + h_{oe} v_{ce}$

$i_e = (1 + h_{fe}) i_b + h_{oe} v_{ce}$

or $v_{ce} = h_{re} i_b + h_{oe} v_{ce}$ (REARRANGE)

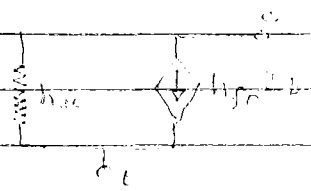
$i_e = (1 + h_{fe}) i_b + h_{oe} v_{ce}$

h-PARAMETER MODEL (SMALL SIGNAL)

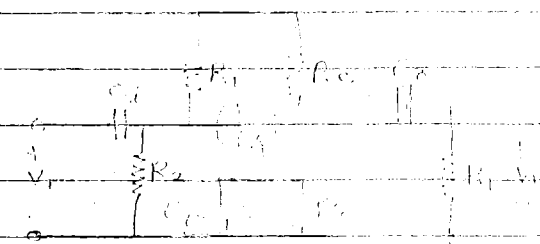
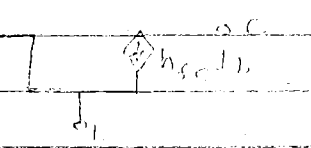


9-14-71

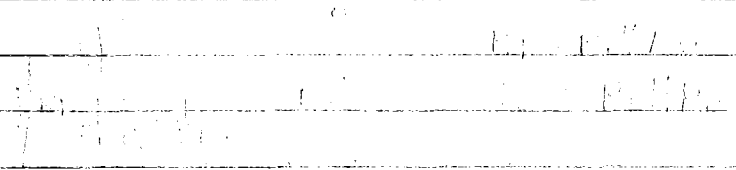
1) B₁



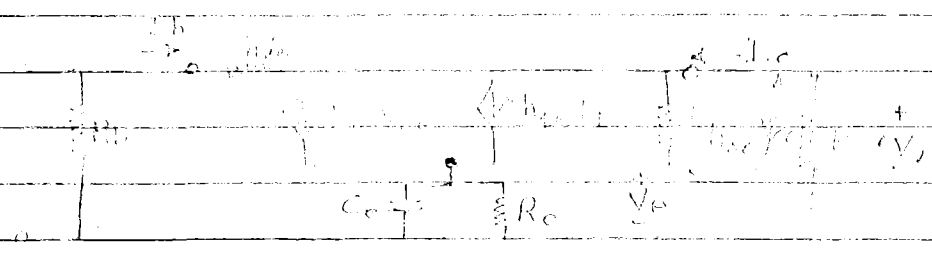
2) B₂



FOR SMALL SIGNAL ANALYSIS, THE SIGNAL SOURCE IS REFINED



CURRENT DIVISION IN THE FIRST STAGE



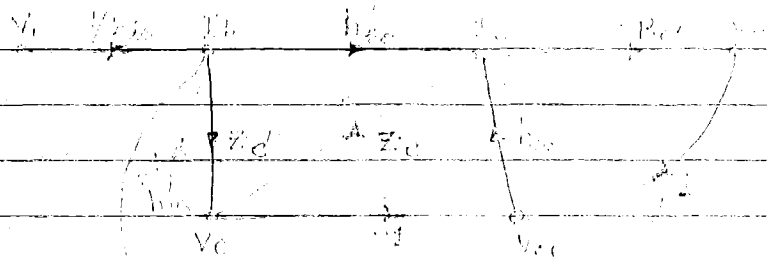
$$V_o = -R_C i_2$$

$$i_2 = h_{fe} i_1 + h_{ie} V_o$$

$$V_{cc} = V_o + V_e$$

$$V_e = V_o (1 + h_{fe})$$

$$I_B = I_{B1} (1 + h_{fe} + h_{fe}^2)$$



$-\frac{h_{ie}}{b_{ie}}$

ALL THE ...
 ...
 ...

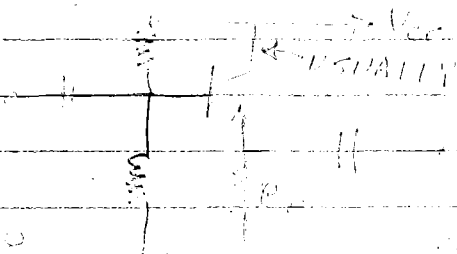
3:20:14

ONE ...

... AND ...

NOT ...

...
 ...

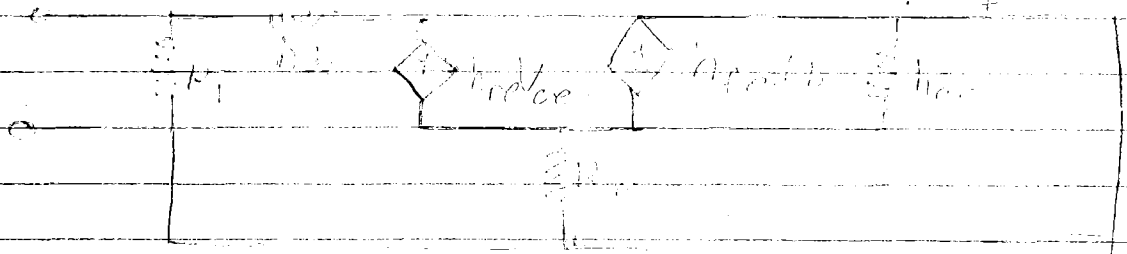


USUALLY 0

MAKING ...

...
 ...

...
 ...



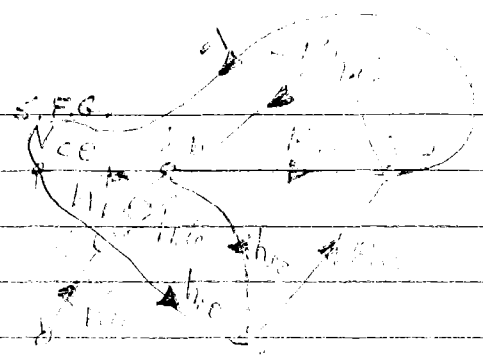
COMPUTE $V_{ce} = V_{cc} - I_c R_c$

$$V_{ce} = 10 - I_c (10k)$$

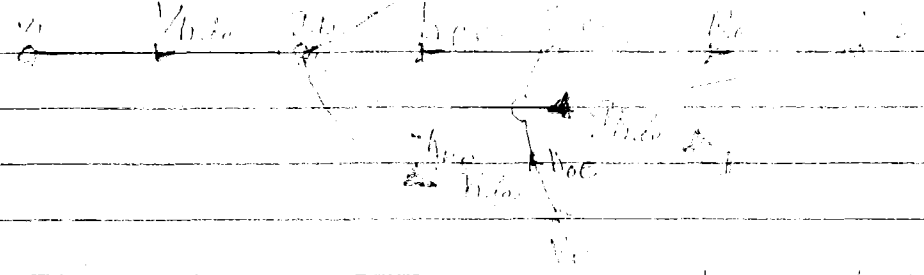
$$I_c = \frac{1}{h_{fe}} (I_b + h_{fe} I_{b1})$$

$$I_c = h_{fe} I_b + V_{ce} / R_c$$

$$V_{ce} = -V_c$$



SEK. REPAIRATION



$$A_v = \frac{I_c R_c}{I_b R_B} = \frac{h_{fe} R_c}{R_B + h_{fe} R_c} \approx \frac{h_{fe} R_c}{R_B}$$

$$G_v = \frac{h_{fe} R_c}{R_B + h_{fe} R_c}$$

$$G_v = \frac{R_c}{R_B/h_{fe} + R_c}$$

INPUT RESISTANCE

$$A_v = \frac{I_c R_c}{I_b R_B} = \frac{h_{fe} R_c}{R_B + h_{fe} R_c}$$

$$I_c = h_{fe} I_b$$

$$I_b = \frac{V_{in}}{R_B + (h_{fe} + 1) R_c}$$

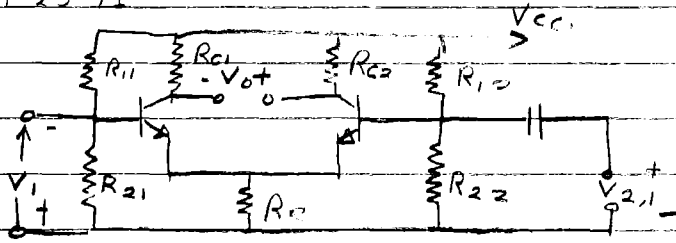
$$I_c = \frac{h_{fe} V_{in}}{R_B + (h_{fe} + 1) R_c}$$

$$V_{out} = I_c R_c$$

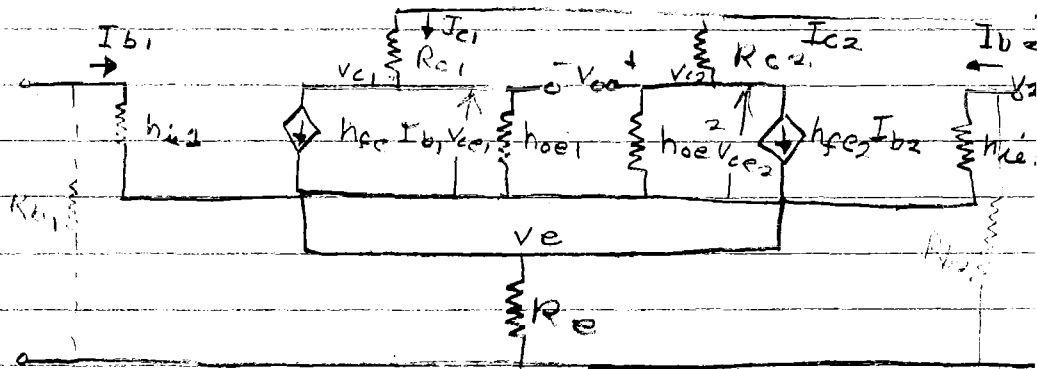
ASSUME $V_{in} = V_{cc} - I_c R_c$

$$Z_{in} = R_B \parallel R_c$$

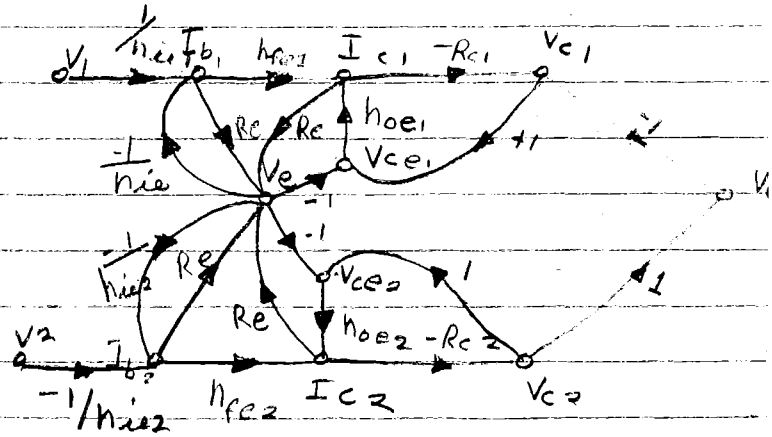
9-23-71



MODEL
 $\Rightarrow h_{re} = 0;$



$$\begin{aligned}
 V_o &= V_{c2} - V_{c1} \\
 V_{c1} &= -R_{c1} I_{c1} \\
 V_{c2} &= -R_{c2} I_{c2} \\
 I_{c1} &= h_{fe1} I_{b1} + h_{oe1} V_{ce1} \\
 I_{c2} &= h_{fe2} I_{b2} + h_{oe2} V_{ce2} \\
 V_{ce1} &= V_{c1} - V_e \\
 V_{ce2} &= V_{c2} - V_e \\
 V_e &= R_e (I_{b1} + I_{b2} + I_{c1} + I_{c2}) \\
 I_{b1} &= \frac{V_1 - V_e}{h_{ie1}} \\
 I_{b2} &= \frac{V_2 - V_e}{h_{ie2}}
 \end{aligned}$$



$$\begin{aligned}
 \Delta &= 1 + \frac{R_e}{h_{ie1}} + \frac{h_{fe1} R_e}{h_{ie1}} + h_{oe1} R_e + h_{oe1} R_{c1} \\
 &+ \frac{R_e}{h_{ie2}} + \frac{h_{fe2} R_e}{h_{ie2}} + h_{oe2} R_e + h_{oe2} R_{c2} \\
 &+ h_{oe1} R_{c1} \left(\frac{-R_e}{h_{ie1}} - \frac{R_e}{h_{ie2}} - \frac{h_{fe1} R_e}{h_{ie1}} - h_{oe2} R_e - h_{oe2} R_{c2} \right) \\
 &+ h_{oe2} R_e (-h_{oe2} R_{c2}) \\
 &+ \left(\frac{-h_{fe1} R_e}{h_{ie1}} \right) (-h_{oe2} R_{c2}) \\
 &- \frac{R_e}{h_{ie1}} (-h_{oe2} R_{c2}) - \frac{R_e}{h_{ie2}} (-h_{oe2} R_{c2}) \\
 &- \left[h_{oe1} R_{c1} \left(\frac{-R_e}{h_{ie1}} \right) (-h_{oe2} R_{c2}) + (-h_{oe1} R_{c1}) \left(\frac{-R_e}{h_{ie2}} \right) (-h_{oe2} R_{c2}) \right]
 \end{aligned}$$

$$\frac{V_o}{V_i}$$

$$G_1 = h_{fe} R_{c1} / h_{ie1}$$

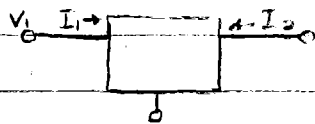
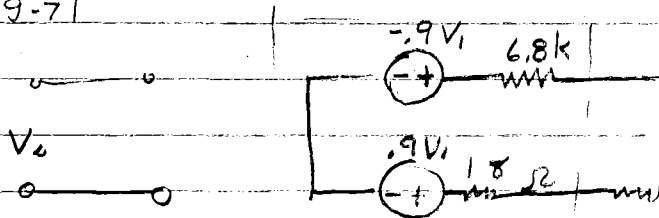
$$\Delta_1 = 1 + \frac{R_e}{h_{ie2}} + \frac{h_{fe} R_e}{h_{ie2}} + h_{oe2} (R_{c1} + R_e)$$

$$+ \frac{R_e}{h_{ie2}} (4 h_{oe2} R_{c2})$$

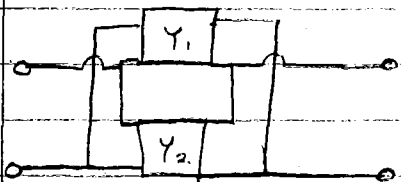
9-27-71

3-8

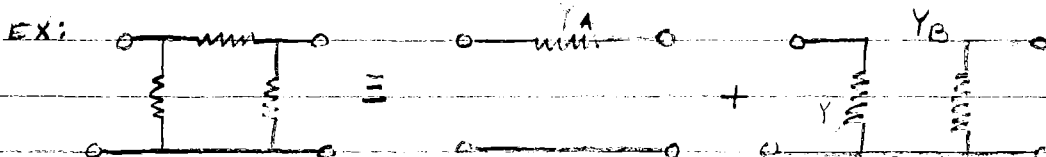
9-29-71



IN PARALLEL



$$[Y_{eq}] = [Y_1] + [Y_2]$$

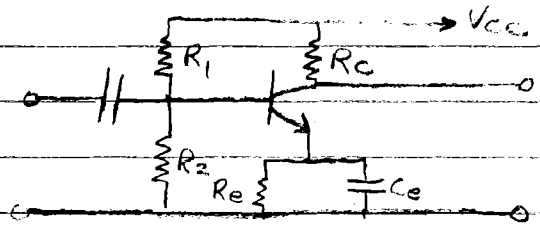


$$Y_{eq} = Y_1 + Y_2$$

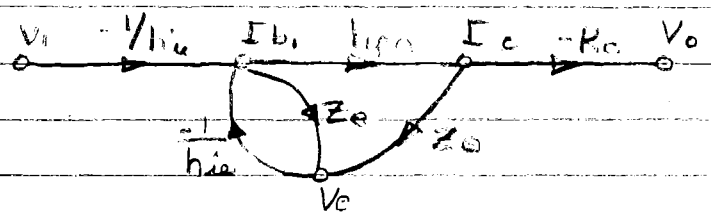
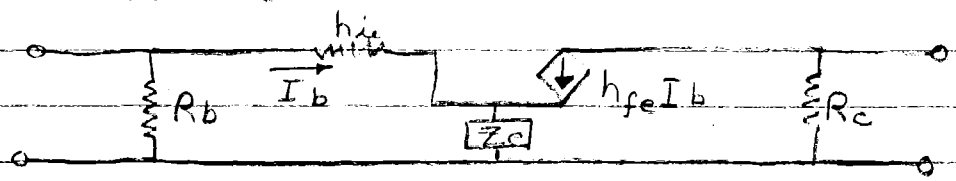
$$= \begin{bmatrix} Y_1 & -Y_1 \\ -Y_1 & Y_1 \end{bmatrix} + \begin{bmatrix} Y_2 & 0 \\ 0 & Y_2 \end{bmatrix} = \begin{bmatrix} Y_1 + Y_2 & -Y_1 \\ -Y_1 & Y_1 + Y_2 \end{bmatrix}$$

MAY ADD Z MATRICES FOR TWO TWO PORT NETWORKS IN SERIES

TRANSISTOR AMP (LOW FREQUENCY RESPONSE)



LET $h_{re} = h_{oe} = 0$



$$\frac{V_o}{V_i} = \frac{-h_{fe} R_c}{h_{ie} (1 + h_{fe}) Z_e}$$

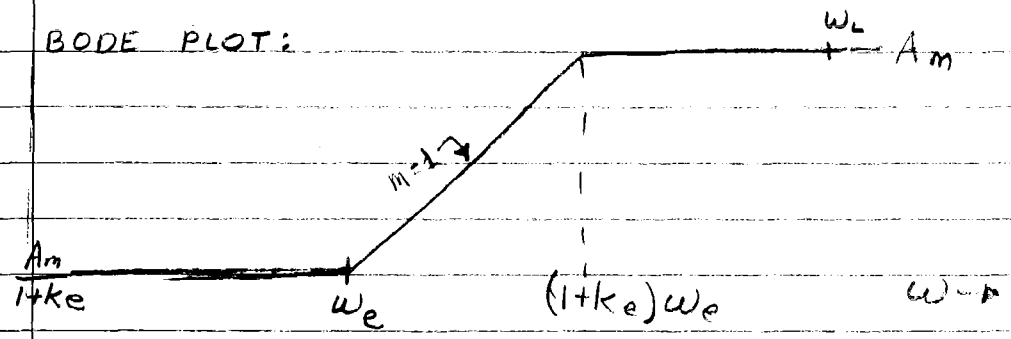
$$Z_e = R_e \parallel X_c = \frac{R_e}{1 + j\omega/\omega_c} \quad \omega_c = \frac{1}{R_e C_e}$$

DEFINE $A_m = \text{MID FREQ GAIN} \Rightarrow Z_e \approx 0$

$$A_m = \frac{-h_{fe} R_c}{h_{ie}}$$

$$\therefore A_v = 1 + \frac{h_{fe} R_c}{h_{ie}} \frac{1 + j\omega/\omega_c}{1 + j\omega/[(1+h_{fe})\omega_c]} = \frac{A_m}{1 + \frac{\omega}{(1+h_{fe})\omega_c}}$$

BODE PLOT:



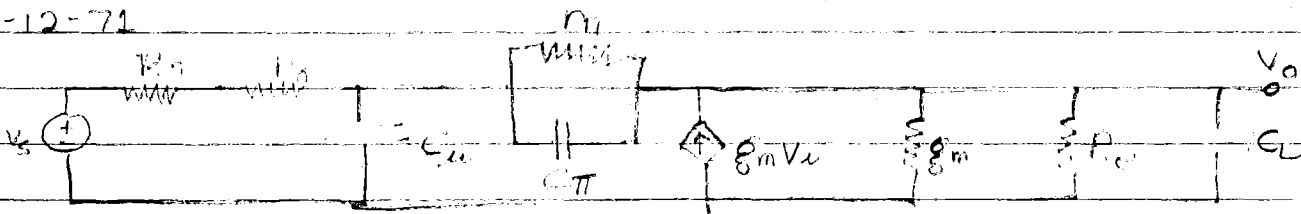
LOW FREQ. DESIGN

WANT AMP. "FLAT" TO ω_L

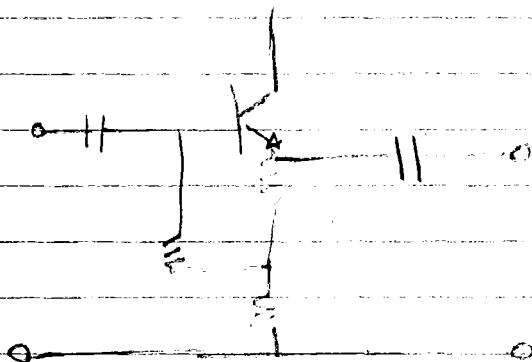
"FLAT" $\Rightarrow \omega_L = 10(1+k_e)\omega_c = \frac{10(1+k_e)}{R_e C_e}$

$\therefore C_e = \frac{10(1+k_e)}{R_e 2\pi f_L} \sim \frac{2h_{fe}}{h_{ie} f_L}$

10-12-71



EMITTER FOLLOWER



FROM MODEL, NODE LOCATION YIELDS:

$$V_o [g_{\pi} + g_m + G_o + j\omega(C_{\pi} + C_L)] - V_i (g_{\pi} + j\omega C_{\pi}) = g_m V_i$$

$$\Rightarrow \frac{V_o}{V_i} = \frac{g_m + j\omega C_{\pi}}{g_{\pi} + g_m + G_o + j\omega(C_{\pi} + C_L)} \approx \frac{g_m + j\omega C_{\pi}}{g_m + G_o + j\omega(C_{\pi} + C_L)}$$

NEED V_i AS FUNCTION OF V_s

IN THE USEFUL RANGE OF FREQ., THE
INPUT IMPEDANCE OF C.F. (C.S.F.)
IS MUCH HIGHER THAN $R_s + 1/k$
 $V_i \approx V_s$

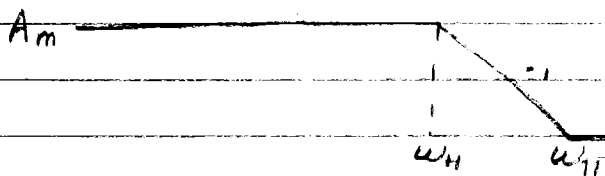
$$\frac{V_o}{V_s} = \frac{g_m}{g_m + G_s} = \frac{1 + j\omega C_u/g_m}{1 + j\omega(C_u + C_L)/g_m + G_s/g_m}$$

$$= A_m \frac{1 + j\omega/\omega_H}{1 + j\omega/\omega_H}$$

$$\omega_H = g_m / C_{\pi} \approx \omega_T$$

$$\omega_H \approx \frac{g_m + G_s}{C_{\pi} + C_L} = \frac{g_m}{C_{\pi}} \frac{1 + G_s/g_m}{1 + C_L/C_{\pi}} \approx \omega_T \frac{1 + G_s/g_m}{1 + C_L/C_{\pi}}$$

BODE PLOT:



INPUT IMPEDANCE

$A_v \approx A_m \frac{1 + \omega/\omega_H}{1 + \omega/\omega_H'}$ OVER USEFUL FREQ. RANGE

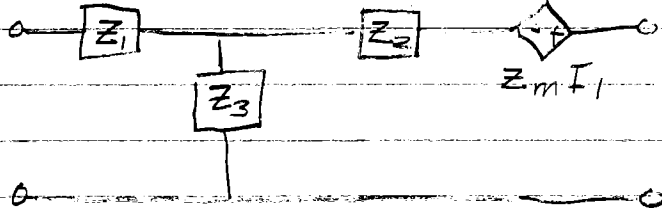
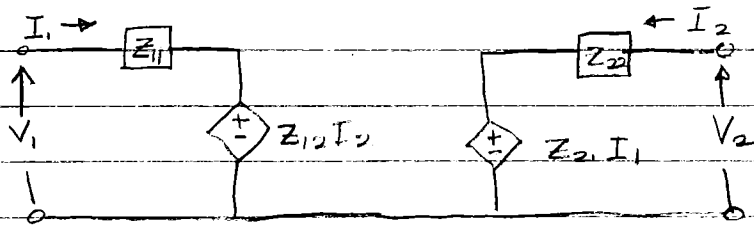
~~$$I = g_m V_i + V_o (g_m + G_s) +$$~~

$$I = (V_i - V_o)(g_m + j\omega C_{\pi})$$

$$Y = \frac{I}{V_i} = (g_m + j\omega C_{\pi}) \left(1 - \frac{A_m}{1 + j\omega/\omega_H} \right)$$

$$\frac{1 - A_m \frac{1 + j\omega/\omega_H}{1 + j\omega/\omega_H}}{1 + j\omega/\omega_H}$$

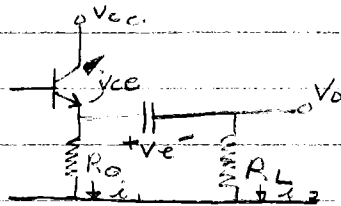
10-71



T FORM

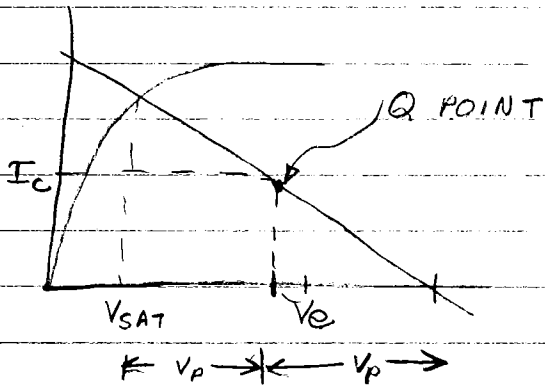
WON'T WORK: CALL $Y=Z$ OR $Z=Y$ (A, B, C, D, A, B, C, D)

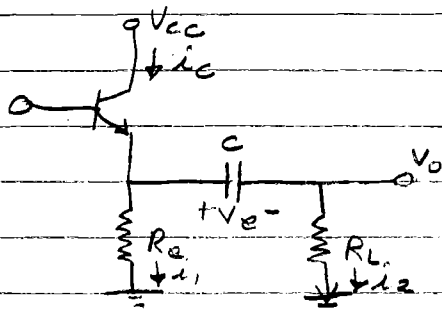
EMITTER FOLLOWER



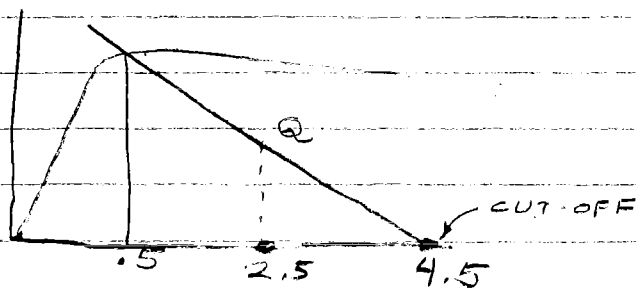
WANT TO DESIGN FOR A CERTAIN OUTPUT VOLTAGE (PEAK) ACROSS A GIVEN LOAD, R_L . LET $V_p =$ PEAK OUTPUT VOLTAGE

AT CUTOFF, $V_o = -V_p$
 AT SATURATION, $V_o = +V_p$
 QUIESCENT $V_o = 0$





LET $R_L = 50$ AND $V_p = 2V$ ($V_{CE(SAT)} = .5V$)



AT CUT-OFF, $V_{out} = -V_p = -2V$; $i_c = 0$, $i_1 = -i_2$

$$\therefore \frac{V_o + V_e}{R_e} = -(-V_p/R_L)$$

$$\Rightarrow \frac{-2 + V_e}{R_e} = +.04 \Rightarrow V_e = 2 + .04R_e$$

$$\therefore V_e = \left(1 + \frac{R_p}{R_L}\right) V_p$$

AT SATURATION

$$V_o = V_p = 2V; \quad \frac{V_{cc} - .5}{R_e} + .04 = \frac{2V_e}{R_e}$$

$$\Rightarrow V_{cc} = 2V_e - .04R_e + .05$$

$$\therefore V_{cc} = 2V_e - \frac{V_p}{R_L} R_e + V_{CE(SAT)}$$

WANT $V_p = 2V$, $R_L = 50\Omega$, $V_{CE(SAT)} = .5V$

1) LET $R_e = 1k$

$$\Rightarrow V_o = (1 + 20) 2 = 42V$$

$$I_c = \frac{42}{1k} = 42mA$$

$$V_{cc} = 84 - 2 \cdot 20 \cdot .5 = 44.5V \Rightarrow V_{CE} = 2.5$$

2) LET $R_e = 500\Omega$

$$\Rightarrow V_o = 22V$$

$$V_{cc} = 24.5V$$

$$V_{CE} = V_p + V_{CE(SAT)}$$

SLOPE OF DOP = $-\frac{1}{R_c'} \Rightarrow R_c' = \text{AC RESISTANCE (EQ)}$

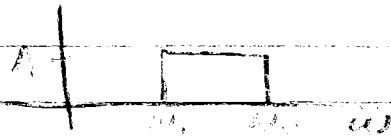
$R_c' = \text{PARALLEL EQUIVALENT OF } R_L \text{ AND AMP OUTPUT IMPEDANCE}$

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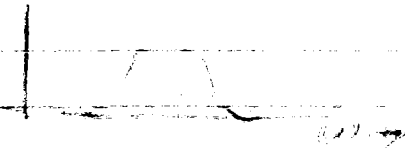
TUNED AMPLIFIERS

BAND PASS FILTERS

IDEAL BAND PASS:



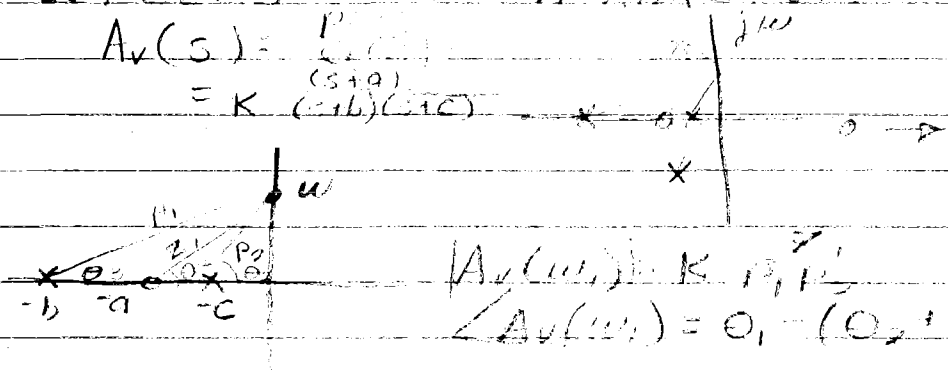
REALLY



POLL. ZERO PATTERN ANALYSIS

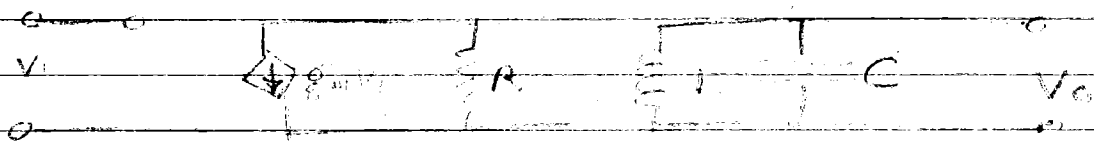
$$A_v(s) = \frac{P}{(s+a)(s+c)}$$

$$= K \frac{(s+a)}{(s+b)(s+c)}$$



$$|A_v(j\omega)| = K \frac{P_1 P_2}{Z_1 Z_2}$$

$$\angle A_v(j\omega) = \theta_1 - (\theta_2 + \theta_4)$$



$$V_o = -g_m v_i \left(R + sC + 1/sC \right)$$

$$A_v(s) = \frac{-g_m}{C} \frac{s}{s^2 + \frac{1}{RC}s + \frac{1}{C^2}}$$

$$= \frac{-g_m}{C} \frac{s}{s^2 + 2\zeta\omega_0 s + \omega_0^2}$$

$$A_v(s) = \frac{-g_m}{C} \frac{s}{s^2 + 2\zeta\omega_0 s + \omega_0^2} = \frac{-g_m}{C} \frac{s}{(s + \zeta\omega_0)^2 + \omega_0^2(1 - \zeta^2)}$$

$$= \frac{-g_m}{C} (s + \zeta\omega_0) \frac{1}{B^2}$$

$$= \frac{-g_m}{C} (s + \zeta\omega_0) \frac{1}{\omega_0^2(1 - \zeta^2)}$$

B MAY BE REAL, IMAGINARY OR COMPLEX

B REAL $\Rightarrow \omega_0 \zeta > 1$

B ZERO $\Rightarrow \omega_0 \zeta = 1$

B IMAG $\Rightarrow \omega_0 \zeta < 1$

CONSIDER B REAL & COMPLEX CASES

SPECIAL CASES

$$\omega = \omega_0$$

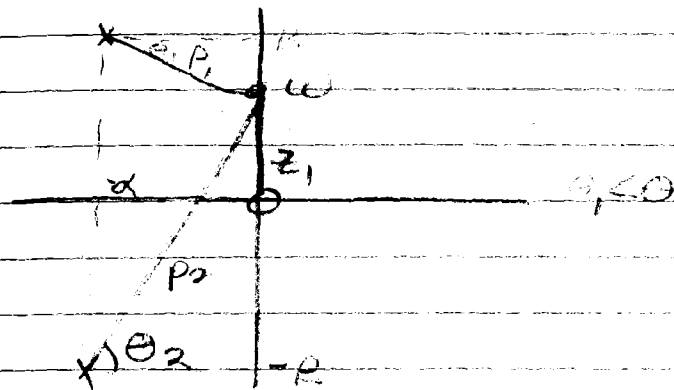
$$A_{v_0} = A_v(j\omega_0) = \frac{-g_m}{C} \frac{j\omega_0}{\omega_0^2 + 2\zeta j\omega_0 + \omega_0^2} = \frac{-g_m}{C} \frac{j\omega_0}{2\zeta j\omega_0} = -\frac{g_m}{2\zeta C} R$$

SPECIAL CASE

MAX(A_v) 1) WHAT IS IT?

2) WHEN DOES IT OCCUR?

POLE-ZERO PATTERN



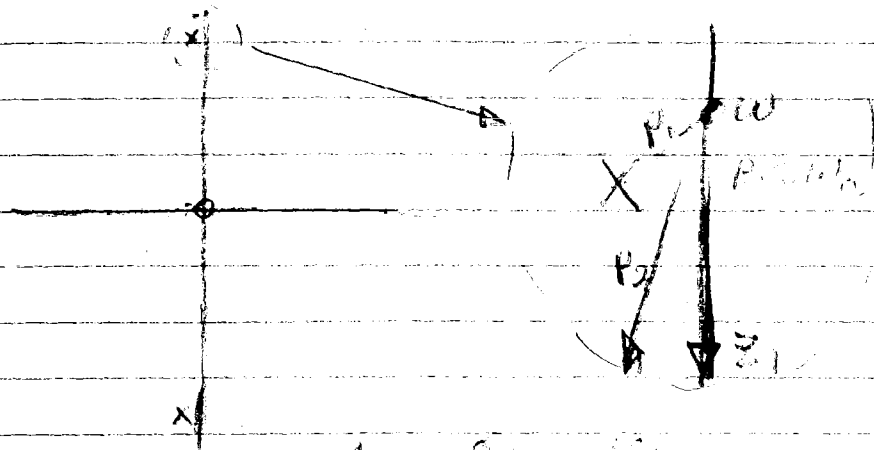
$$A_v(j\omega) = -\frac{\epsilon_m}{R} \frac{z_1}{(p_1)(p_2)}$$

$$|A_v| = \frac{\epsilon_m}{R} \frac{z_1}{|p_1 p_2|}; \angle A_v = 90^\circ - (\theta_1 + \theta_2) + 180^\circ$$

SPECIAL CASE - "NARROW BAND APPROXIMATION"

$$\omega_0 \gg \omega$$

ONLY INTERESTED IN ω NEAR ω_0



$$A_v = \frac{\epsilon_m}{R} \frac{z_1}{p_1 p_2}$$

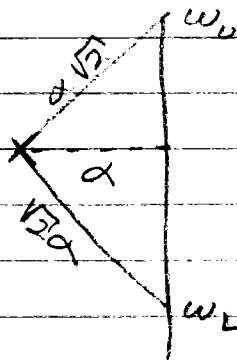
$$z_1 = \omega; p_2 = 2\omega; \omega \approx \omega_0 \Rightarrow A_v \approx \frac{\epsilon_m}{R} \frac{\omega}{\omega^2}$$

$$|A_v| = \frac{\epsilon_m}{2R\omega}$$

$$\text{MAXIMUM } |A_v| = \frac{\epsilon_m}{2\omega_0} = \epsilon_m R$$

FREQ WHERE $|A_v|$ IS MAX = $\omega_M = \omega_0$

BANDWIDTH



$$\omega_0 = \omega_0 + \alpha$$

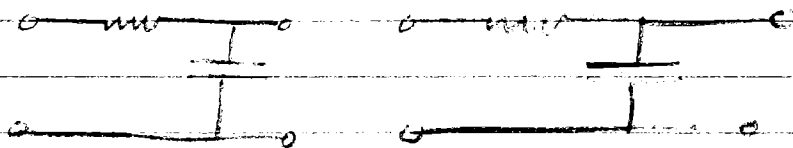
$$\omega_L = \omega_0 - \beta$$

$$BW = \omega_0 - \omega_L = 2\alpha = \frac{1}{RC}$$

$$Q = \frac{\omega_0}{B.W.} = \frac{\omega_0}{1/RC} = \sqrt{\frac{RC}{L}} \sqrt{\frac{\omega_0^2 C}{\omega_0^2 C}} = \omega_0 RC = R / \sqrt{L/C} = R / X_C$$

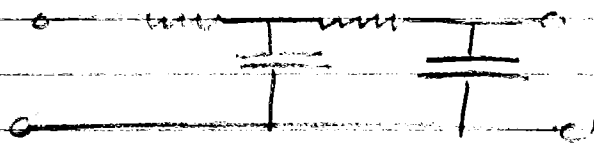
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FOURTH HOME WORK PROBLEM



$$H_1(f) = \frac{1}{1 + j \frac{f}{318.3}} = H_2(f)$$

$$\Rightarrow H(f) = \left(\frac{1}{1 + j \frac{f}{318.3}} \right)^2$$



$$\frac{V_3}{V_1}: \quad V_2(G_1 + G_2 + sC_1) - V_3G_2 = G_1V_1$$

$$-V_2G_2 + V_3(G_2 + sC_2) = 0$$

$$= \frac{1}{2.5 \times 10^{-3}s^2 + 1.05 \times 10^{-3}s + 1}$$

$$= \frac{1}{\left(1 + j \frac{\omega}{2140}\right) \left(1 + j \frac{\omega}{1460}\right)}$$

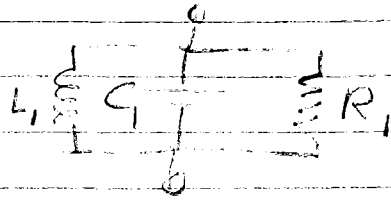
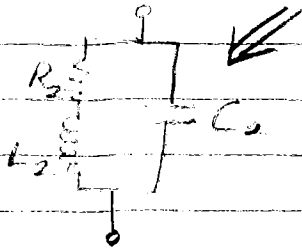
$$= \frac{1}{\left(1 + j \frac{f}{232.3}\right) \left(1 + j \frac{f}{436.1}\right)}$$

REDUCE; $R_1 = R_2 = 1k$

$$C_1 = C_2 = .5 \mu F$$

1, 2, 3, 4 W CHAPT 15 (TUE 10/11)

PRACTICAL ANTI-RESONANT CIRCUIT



$$Z = \frac{1}{\frac{1}{C_1} + \frac{1}{R_1 + j\omega L_1} + \frac{1}{C_2}} = \frac{1}{\frac{1}{C_1} + \frac{1}{R_1 + j\omega L_1} + \frac{1}{C_2}}$$

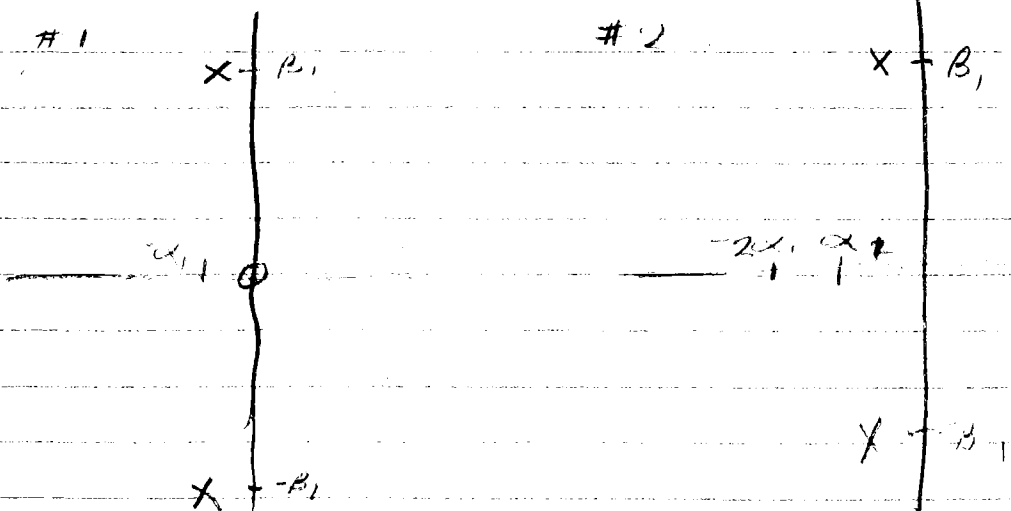
$$Z_{HA} = \frac{\frac{1}{C_1} (R_1 + j\omega L_1)}{\frac{1}{C_1} + \frac{1}{R_1 + j\omega L_1} + \frac{1}{C_2}}$$

$$= \frac{R_1 + j\omega L_1}{1 + R_1 C_1 (s + j\omega)}$$

$$\frac{1}{C_1} \frac{s + R_1/L_1}{s^2 + 2\alpha s + \omega_0^2}$$

$$= \frac{1}{C_1} \frac{s + R_1/L_1}{s^2 + 2\alpha s + \omega_0^2}$$

POLE ZEROS



IF $\omega_0 \gg \alpha_1, \omega_0 \gg \alpha_2$ (NARROW BAND APPROXIMATIONS IN LEFT LC (CONSIDERING VALUES OF ω_0))

FOR EQUIVALENTS:

$$C_1 = C_2; \omega_0 = \omega_0 \Rightarrow L_1 = L_2; R_1, R_2 \approx 2R_1C_1 = \frac{R_2}{L_1}$$

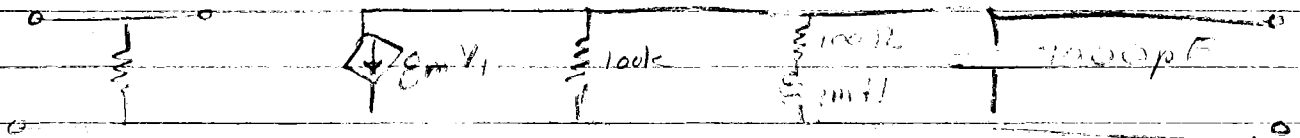
$$\omega_0 \gg \alpha_1$$

$$\omega_0 \gg R_0/L_0$$

$$\omega_0 L_2 \gg R_2$$

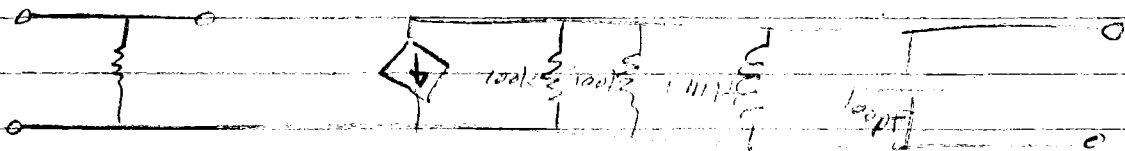
$$\omega_0 L_1 \gg R_1$$

$$\Rightarrow Q \gg 1$$

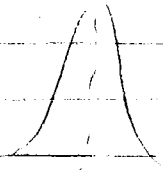


$$\omega_0 = \sqrt{1/LC} = 5000 \text{ KHz}$$

$$\alpha = R/2L = \frac{200}{2 \times 100 \times 10^{-9}} = 50,000 / \text{sec}$$



$|A(\omega)|$



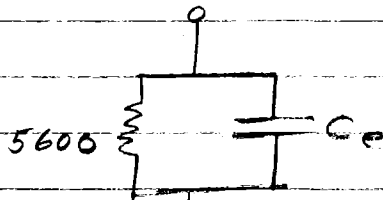
ω_0

\int

11-71

$20 \text{ Hz } C \approx 169 \mu\text{F} \quad (100)$

$200 \text{ Hz } C \approx 60,80$



$f = 20 \text{ Hz}$

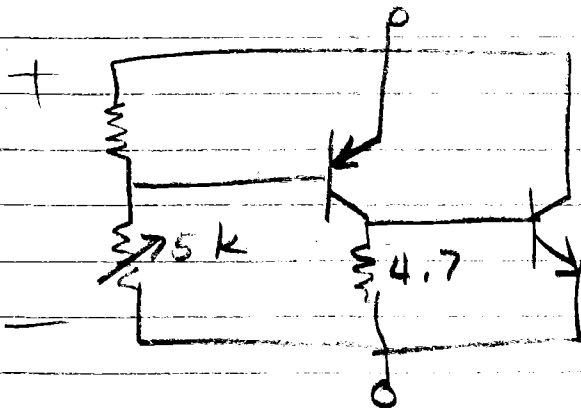
RULE OF THUMB; MAX $X_{C_e} \approx 105 R_e$ (VERY SMALL COMP W R_e)

$\Rightarrow C_e = \frac{1}{40\pi(280)} = 28,3 \mu\text{F}$

FIND MAX PWR. GAIN IN PROB. #3

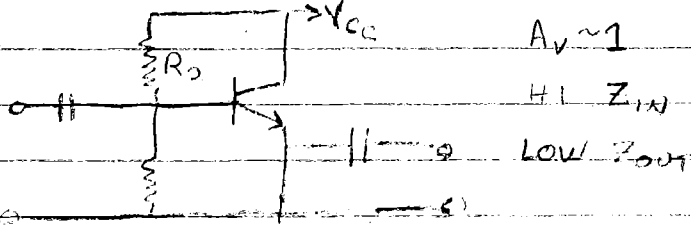
(Pg 516)

VARIABLE ZENON DIODE



AMP TYPES

EMITTER FOLLOWER

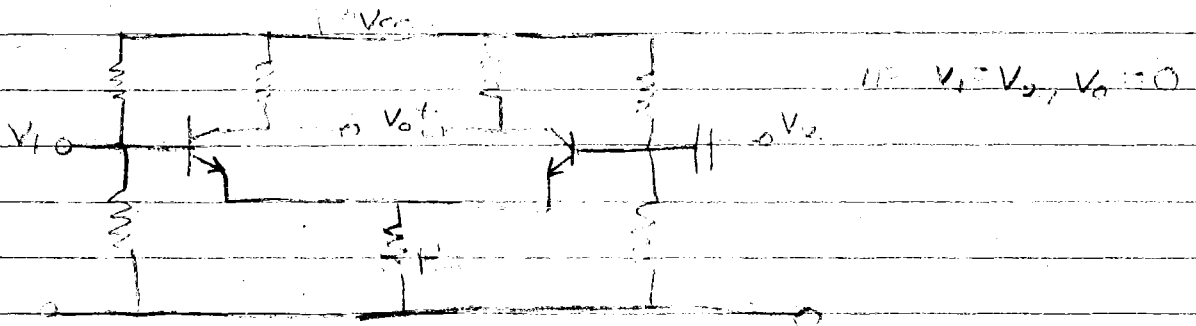


$A_v \sim 1$

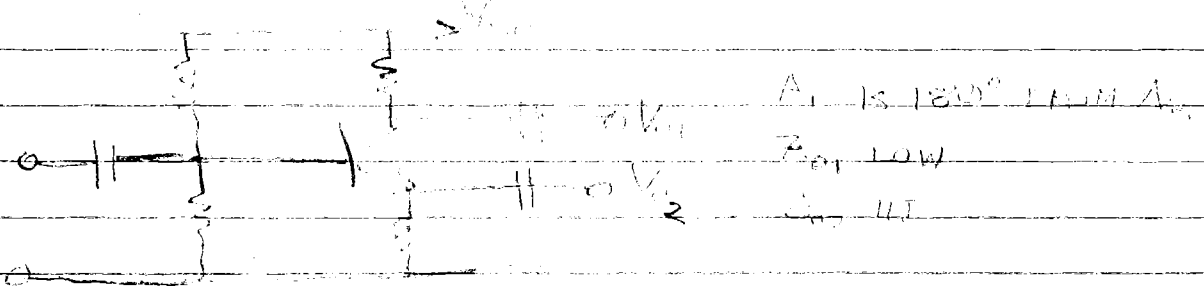
HI Z_{in}

LOW Z_{out}

DIFFERENTIAL AMPLIFIER



PARAPHASE



A_v is 180° phase A_v

Z_{out} LOW

Z_{in} HI

Electrical Engineering Department
 and Institute of Technology
 Purdue Univ., Indiana

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EE 558A - Electronic Circuits
 Test no. 2
 Closed book, 50 minutes

1. Evaluate the gain of the signal flow graph shown, X_o/X_i .



$$\Delta = 1 - [BH + CI + GIH + DJ + EK] + [BHDJ + BHEK + CIEK + GIHEK]$$

$$G_1 = ABCDEF \quad \Delta_1 = 1$$

$$G_2 = AGDEF \quad \Delta_2 = 2$$

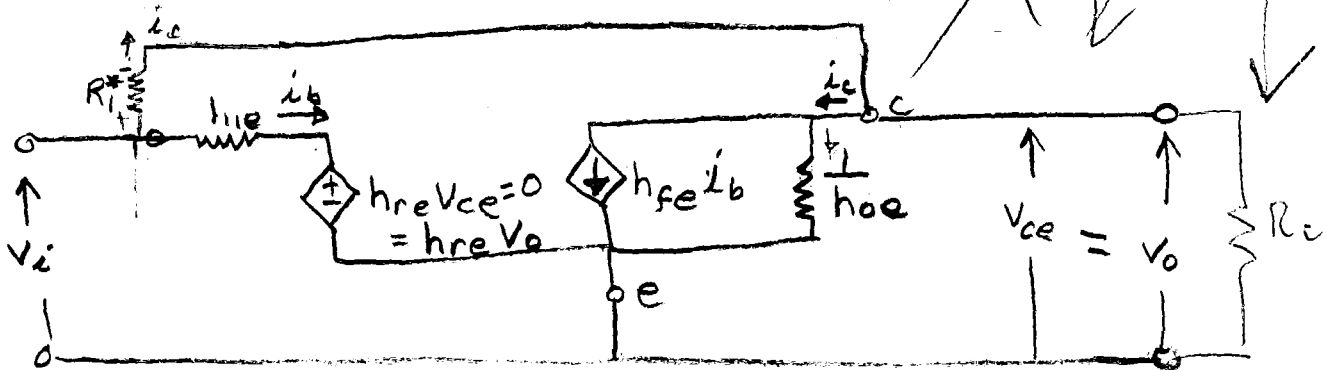
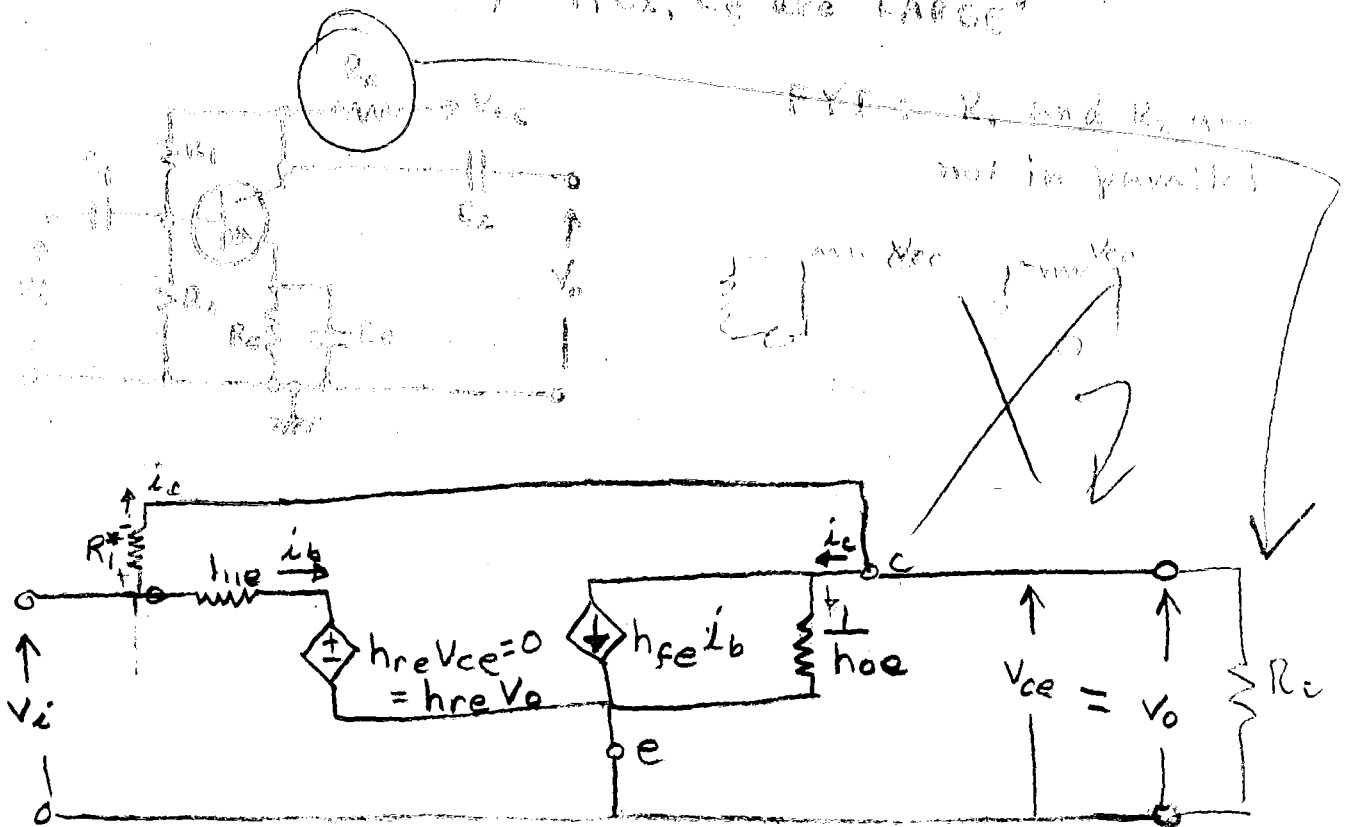
$$\Rightarrow \frac{X_o}{X_i} = \frac{ABCDEF + AGDEF}{\Delta}$$

$$\frac{X_o}{X_i} = \frac{ABCDEF + AGDEF}{1 - [BH + CI + GIH + DJ + EK] + [BHDJ + BHEK + CIEK + GIHEK]}$$

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2. Draw the signal flow graph for the circuit above.
Do not ~~evaluate~~ evaluate the gain.

Assume $h_{re} = 0$, C_1, C_2, C_3 are "LARGE"



$$V_o = (i_c - h_{fe} i_b) \frac{1}{h_{oe}}$$

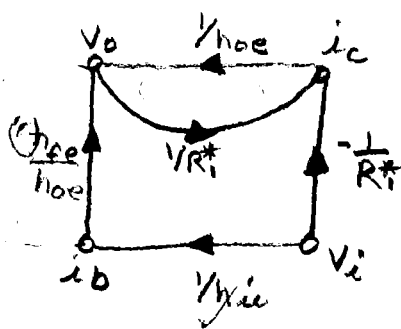
$$i_b = (V_i - V_o) \frac{1}{h_{ie}}$$

$$i_c = \frac{V_o - V_i}{R_1} - \frac{V_o}{R_c}$$

$$\Delta = 1 - \left(\frac{1}{R_1 h_{oe}} + \frac{h_{fe} h_{re}}{h_{ie} h_{oe}} \right)$$

$$G_1 = \frac{-h_{fe}}{h_{oe} h_{ie}} \quad \Delta_1 = 1$$

$$G_2 = \frac{1}{R_1 h_{oe}} \quad \Delta_2 = 0$$



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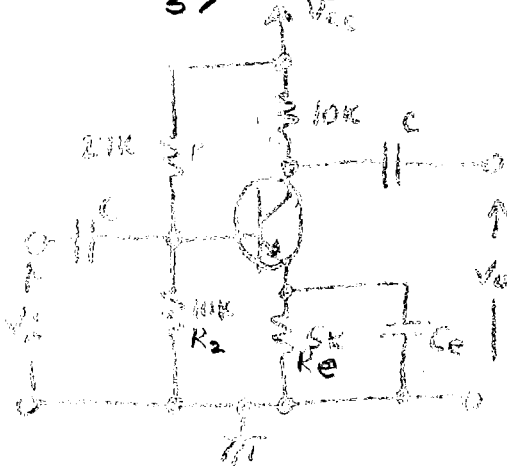
3. Given in the equation for the gain of a common emitter transistor amplifier. Use this equation to find the gain of the amplifier shown below. For the transistor assume $h_{fe} = 99$, $h_{re} = 0$, $h_{oe} = 1/100k \Omega = 10^{-5} = 10^{-2} mS$

In particular find two gains for the amplifier at two different frequencies: (a) at a high frequency where the emitter bypass capacitor is effectively bypassing, and (b) at a low frequency where the emitter bypass capacitor can be considered an open circuit. NOTE: give the gain both as a voltage ratio and in dB. $h_r = 2200 \Omega$

$$A_v = \frac{h_{oe} R_c Z_e - h_{re} R_c}{h_{ie} [1 + h_{oe} (Z_e + R_c)] + (1 + h_{oe}) Z_e - (1 + h_{oe}) h_{re} R_c}$$

$$R_c = 27 \parallel 10$$

$$= \frac{270}{37} = 7.3$$



$$A_v = 306$$

$$A_v \text{ db} = 20 \log_{10} A_v$$

$$= (20 \times 2) (4.86) = 19.5 \text{ db (w } 180^\circ \text{ PHASE SHIFT)}$$

← (BACK OF SECOND SHEET)

7

$$+ \frac{h_{oe} R_c Z_e - h_{re} R_c}{h_{ie}}$$

NOTE: C's are "large"

AT HIGH FREQ, $Z_{ce} = \frac{1}{j2\pi C} \rightarrow 0$
 $\Rightarrow Z_e = Z_{ce} \parallel R_e = 0$

$$\therefore A_v = \frac{-h_{fe} R_c}{h_{ie} [1 + h_{oe} R_c]}$$

$$= \frac{-(99)(7.3)}{(2.2)[1 + 7.3 \times 10^{-2}]}$$

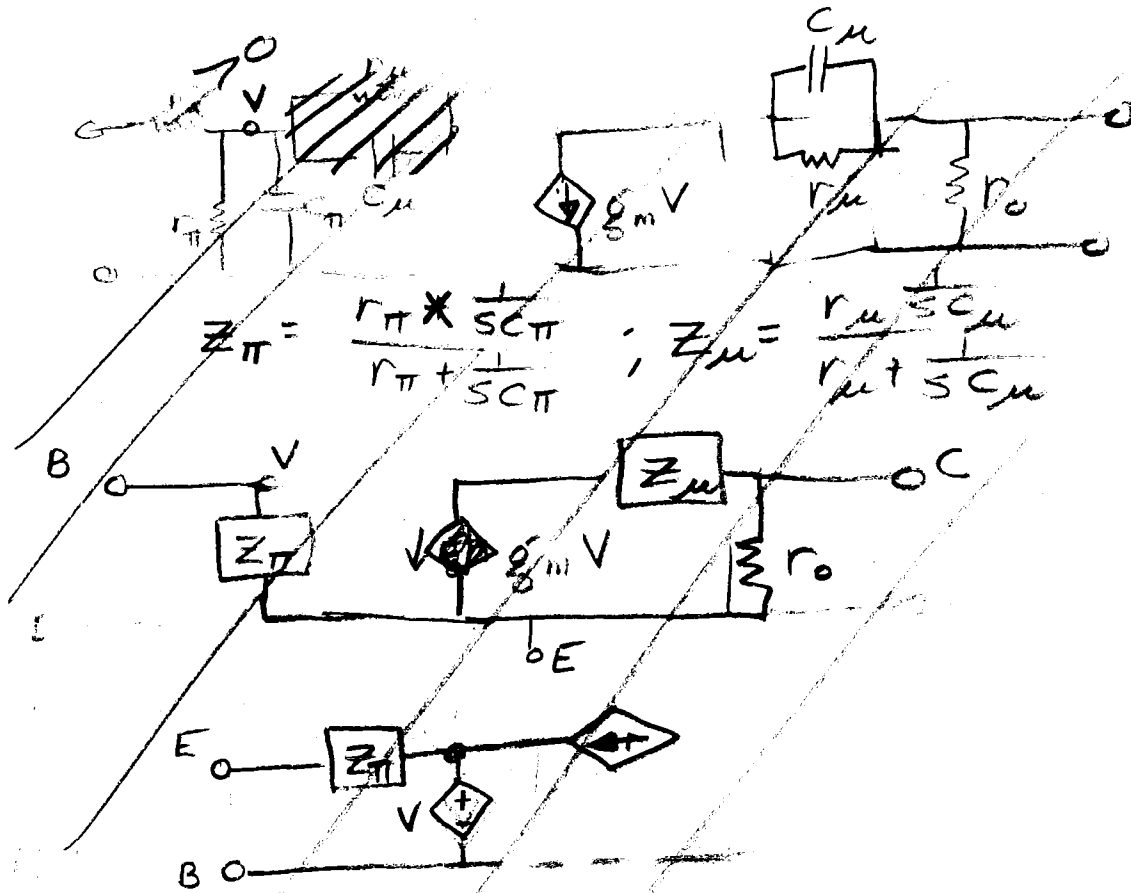
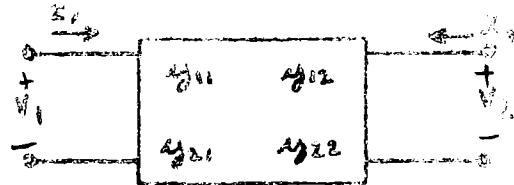
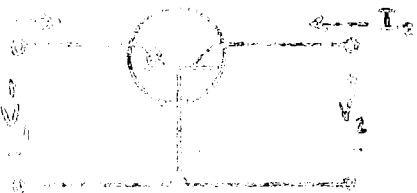
$$= \frac{-722}{(2.2)(1.07)} = -306$$

Dept. of Eng. & Tech. Education
 Reno-Gaines Institute of Tech.
 Terre Haute, Indiana
 November 11, 1971

EE 368 - Electronics Circuits
 Test No. 2
 Closed books, 50 minutes

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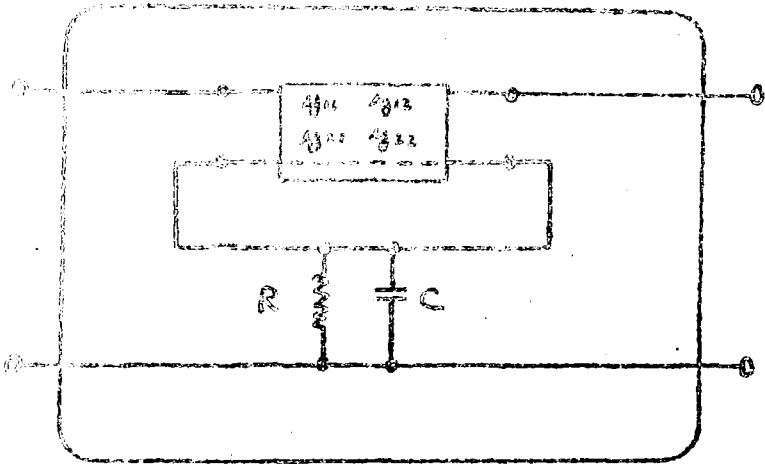
1. Compute the common base Y-matrix for a transistor in terms of the hybrid- π parameters. Let $r_x = 0$ for this problem.



COER

1

For the 2 port shown. Assume that the y-parameters for the two-port in the box are already computed as Y11, Y12, Y21, Y22. Let the radian frequency be W.



$$Z_o = R \parallel \frac{1}{sC}$$

$$= \frac{R \frac{1}{sC}}{R + \frac{1}{sC}}$$

$$= \frac{R}{sCR + 1}$$

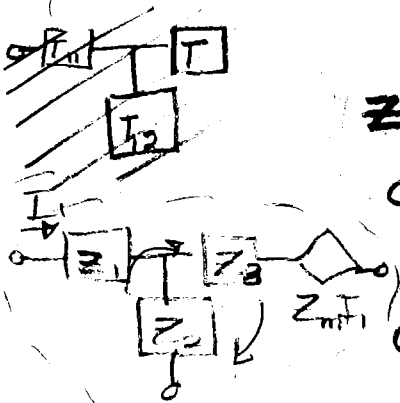
```
S = CMPLX(0, W)
CALL YZPRZY (Y(1,1), Y(1,2), Y(2,1), Y(2,2),
             Z(1,1), Z(1,2), Z(2,1), Z(2,2))
CALL ZTPTZT (Z(1,1), Z(1,2), Z(2,1), Z(2,2),
             Z1, Z2, Z3, ZM)
```

$$Z(2) = Z(2) + R / (S * C * R + 1)$$

```
CALL ZTPTZT (Z1, Z2, Z3, ZM,
             Z(1,1), Z(1,2), Z(2,1), Z(2,2))
```

```
CALL YZPRZY (Z(1,1), Z(1,2), Z(2,1), Z(2,2),
             Y(1,1), Y(1,2), Y(2,1), Y(2,2))
```

(Z(2,2), Y(2,2), Z1, Z2, Z3 CMPLX)



9.5

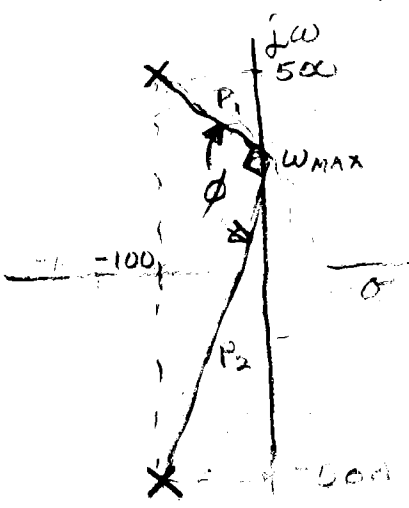
$$A_v(s) = \frac{10^9}{(s+100+j500)(s+100-j500)} = \frac{10^9}{(s+100)^2 + (500)^2}$$

$$\alpha = 10^2$$

$$\beta = 500$$

Find:

- a) A_{max}
- b) ω_{max} , the frequency where A_{max} occurs.
- c) Bandwidth.
- d) The gain at d-c, A_0 .
- e) Sketch $|A_v|$ vs. frequency.



a) A_{MAX} OCCURS WHEN $P_1 \perp P_2$

$$|A_{j\omega}| = \frac{10^9}{P_1 P_2}$$

$$\text{AREA OF } \Delta = \frac{1}{2} P_1 P_2 \sin \phi = \beta \alpha = 5 \times 10^4$$

$$\text{@ } \phi = 90^\circ; \sin \phi = 1$$

$$\Rightarrow \frac{1}{2} P_1 P_2 = 10^5 \Rightarrow |A_{MAX}| = 10^4$$

$$b) \omega_{MAX}^2 = \beta^2 - \alpha^2$$

$$= (24 \times 10^4) \Rightarrow \omega_{MAX} = 4.9 \times 10^2 \frac{\text{RAD}}{\text{SEC}}$$

$$c) \omega_U^2 = \omega_{MAX}^2 + 2\alpha\beta$$

$$= 24 \times 10^4 + 50 \times 10^4 = 34 \times 10^4 \Rightarrow \omega_U = 5.83 \times 10^2 \frac{\text{RAD}}{\text{SEC}}$$

$$\omega_L^2 = 14 \times 10^4 \Rightarrow \omega_L = 3.74 \times 10^2 \frac{\text{RAD}}{\text{SEC}}$$

$$\text{B.W.} = \omega_U - \omega_L = (5.83 - 3.74) \times 10^2$$

$$= 2.09 \frac{\text{RAD}}{\text{SEC}}$$

$$d) A_0 = A_v(0) = \frac{10^9}{(\sqrt{26}) \times 10^2}$$

$$= \frac{10^7}{5.1} = .196 \times 10^7$$

part (e)

6

- (A) High Q in a tuned amplifier means the complex conjugate poles are close to the $j\omega$ -axis.
False or true.
- (B) A good differential voltage amplifier will have zero output voltage if both inputs are the same.
False or true.
- (C) Since an emitter follower amplifier has a voltage gain less than unity, you can't use it to make an oscillator.
False or true.
- (D) The power gain of an amplifier is at half its maximum value at a frequency where the voltage gain is 0.707 times its maximum value.
False or true.
- (E) Cascading of identical non-interacting amplifiers results in a gain higher than that of one stage and a bandwidth lower than that of one stage.
False or true.

BW: $1/\sqrt{2} \approx 0.707$
 $1/\sqrt{2} \approx 0.707$

ST. 10

EXERCISES

PROBLEMS ON PAGE 101

1. $h_{00} R' Z_0 - h_{00} R' Z_0$

2. $h_{00} R'$

$$h_{00} [(1 + h_{00} R' Z_0 + h_{00}^2 R'^2 Z_0^2)] + (h_{00} R' Z_0) (1 - h_{00} R' Z_0)$$

$$+ h_{00} R' Z_0 + h_{00}^2 R'^2 Z_0^2$$

3. $h_{00} R' Z_0$

$$Z_0 = \frac{R_0}{1 + h_{00} R' Z_0} \quad \frac{4700}{1 + 15.9 / 10000}$$

$$= \frac{4700}{1 + 15.9} = \frac{4700}{16.9} = 278.17$$

$$= 278.17$$

$$h_{00} = \frac{2 \times 10^5 \times 10^3 \times 15.9 / 10000 - 70 \times 10^6}{10000}$$

$$Z_0 = \frac{10000 \left[2 \times 10^5 (10^3 + 15.9 / 10000) \right] + 70 \times 10^6 / 10000 + 2 \times 10^5 \times 10^3 \times 15.9 / 10000}{10000}$$

$$2.13 \times 10^7 - 70 \times 10^6$$

$$21300 + 15.9 / 10000 + 31.8 / 10000 + 70$$

$$2.13 \times 10^7$$

$$2.13 \times 10^7$$

$$2.13 \times 10^7$$

$$21300 - 31.8 - 31.8 + 70$$

$$21300 - 31.8$$

$$21300 - 31.8$$

$$\frac{21300 - 31.8}{10000}$$

$$21268.2$$

$$D_1 f = 60 \text{ Hz}$$

$$Z_e = \frac{4700}{17.2 \angle 27.46^\circ + j4000 \times 10^{-5}} \quad \frac{4700}{10 \angle 90^\circ}$$

$$= \frac{4700}{70.9 \angle 89.2^\circ} = 66.31 \angle -89.2^\circ$$

$$A_v = \frac{2 \times 10^5 \times 10^4 \times 66.31 \angle -89.2^\circ - 70 \times 10^4}{2000 \left[1 + 2 \times 10^5 (10^4 + 66.31 \angle -89.2^\circ) \right] + 71 \times 66.31 \angle -89.2^\circ + 2 \times 10^5 \times 10^4 \times 66.31 \angle -89.2^\circ - 70 \times 10^4}$$

$$= \frac{2400 + 4708 \angle -89.2^\circ + 13.26 \angle -89.2^\circ - 70}{2400 - 70 + 65.9 - j4720} = \frac{-70 \times 10^4}{2400 - 70 + 65.9 - j4720} = \frac{-70 \times 10^4}{2369 - j4720} = \frac{-70 \times 10^4}{5375 \angle -63.6^\circ}$$

$$= \frac{2400 + 4708 \angle -89.2^\circ + 13.26 \angle -89.2^\circ - 70}{-70 \times 10^4}$$

$$= \frac{-70 \times 10^4}{2400 - 70 + 65.9 - j4720}$$

$$= \frac{-70 \times 10^4}{2369 - j4720}$$

$$= \frac{-70 \times 10^4}{5375 \angle -63.6^\circ}$$

$$= \frac{-70 \times 10^4}{2400 - 70 + 65.9 - j4720}$$

$$= \frac{-70 \times 10^4}{2369 - j4720}$$

$$= \frac{-70 \times 10^4}{5375 \angle -63.6^\circ}$$

$$= \boxed{133.7 \angle 244.4^\circ}$$

$$2.5 \times 10^6$$

$$h_{fe}(1 + h_{oe}R_L) + R_e(1 + h_{fe}(1 + h_{oe}R_L))$$

$$10^4(2.5)$$

$$2.5 \times 10^6 (1 + 10^{-3} \times 2 \times 10^3) + 10^4(2.5)$$

$\frac{G_{R1} \text{ TO } V_2}{G_{R1} \text{ TO } I_{sc}}$

$$2.5 \times 10^6$$

$$2.5 \times 10^6 + 2.5 \times 10^6$$

$$\boxed{0.5}$$

$$\frac{1 + h_{oe}R_L}{1 + h_{oe}R_L + R_e}$$

$$h_{fe}(1 + h_{oe}R_L) + R_e(1 + h_{oe}R_L)$$

$$2.5 \times 10^6$$

$$A_{v_{mid}} = (100 \times 10^3)(0.5)(1200) = 1.25 \times 10^8 \parallel 1.3 \times 10^7 = 1.1 \times 10^8$$

$$\frac{100 \times 10^3 \times 1200}{2.5 \times 10^6} = \frac{2 \times 10^7}{2.5 \times 10^6} = \frac{20}{2.5} = 8$$

Source load connected

$$A_{v_{mid}}$$

$R_L = 1300 \Omega$ 1300Ω \leftarrow load for the two equations

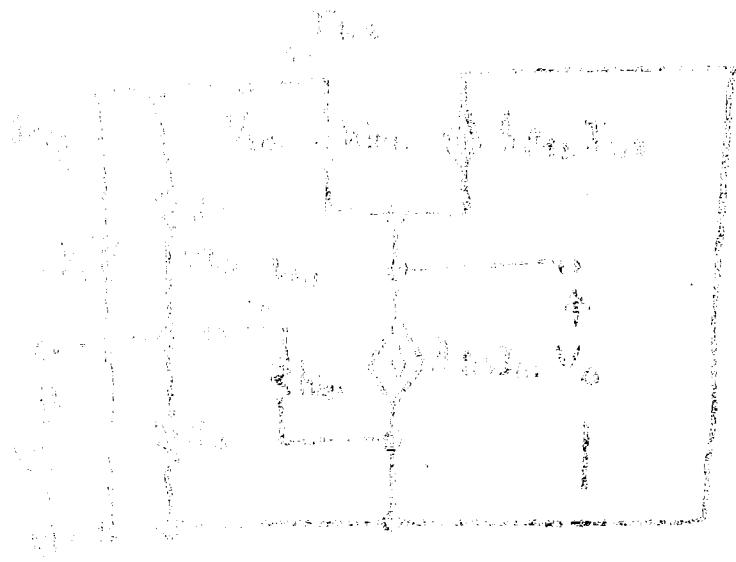
$$A_{v_{mid}} = 1.1 \times 10^8$$

$$A_{v_{mid}} = 1.1 \times 10^8$$

$$A_{v_{mid}} = 1.1 \times 10^8$$

$$100 \times 10^3 \times 1200 = 1.2 \times 10^8$$

$$A_{v_{mid}} = 1.1 \times 10^8 \times 0.5 = \boxed{5.5 \times 10^7}$$



$$V_0 = V_{oc} - I_0 R_L$$

$$V_{oc} = V_1 - I_0 R_1$$

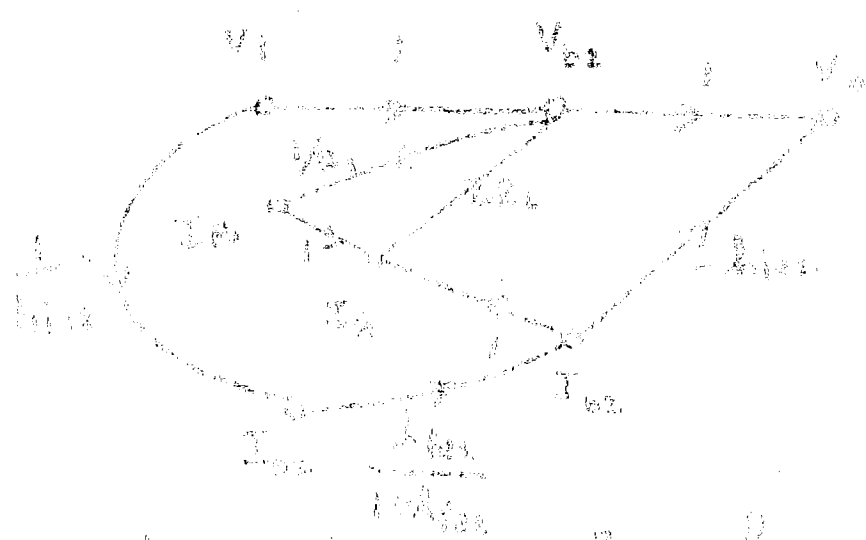
$$I_1 = I_0 + I_{R1}$$

$$I_0 = \frac{V_0}{R_L}$$

$$I_{R1} = \frac{V_1 - V_0}{R_1}$$

$$I_{R1} = V_1 / R_1$$

After some algebra...



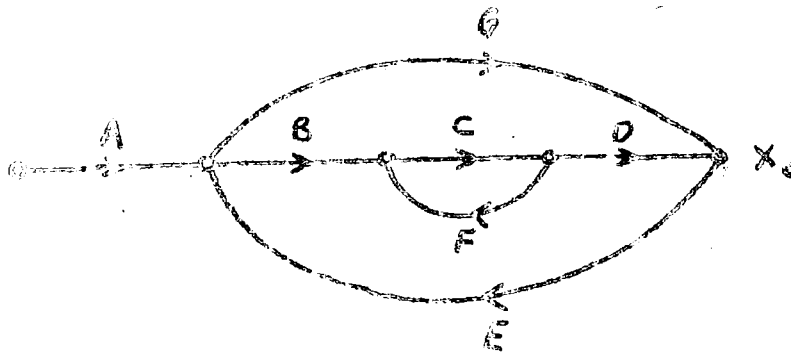
$$V_0 = V_{oc} \frac{R_L}{R_1 + R_L}$$

$$I_0 = \frac{V_1}{R_1 + R_L} \frac{R_1}{R_1 + R_L}$$

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana
September 27, 1971

EE363A - Electronic Circuits
Quiz 3" no. 2
Close books, 10 minutes.

Evaluate the gain expression for the path from X_1 to X_0
for the signal flow graph shown.



$$\Delta = 1 - [CF + BCDE + GE] + GE CF$$

$$G_1 = AG \quad \Delta_1 = 1 - CF$$

$$G_2 = ABCD \quad \Delta_2 = 1$$

$$\Rightarrow \frac{X_0}{X_1} = \frac{AG(1-CF) + ABCD}{1 - [CF + BCDE + GE] + GE CF}$$

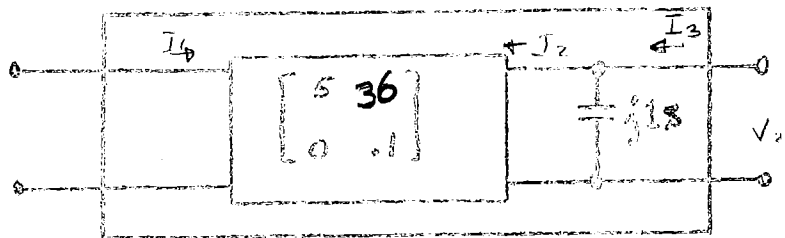
100

Electrical Engineering Dept.
 Rose-Hulman Inst. of Tech.
 Terre Haute, Ind.
 October 11, 1971

25

EE 363A - Electronic Circuits
 Quiz No. 3
 Closed books, 10 minutes.

The y-parameters for the two-port shown are
 $y_{11} = 5S$ $y_{21} = 36S$ $y_{12} = 0$ $y_{22} = .10S$.
 Give the y-parameters for the complete 2-port
 including the capacitor.



$$I_3 = I_2 + jS V_2$$

$$= I_2 + jS V_2$$

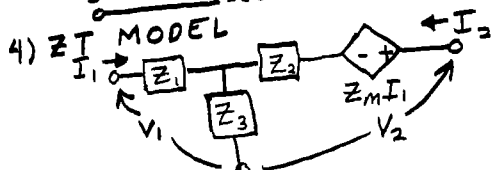
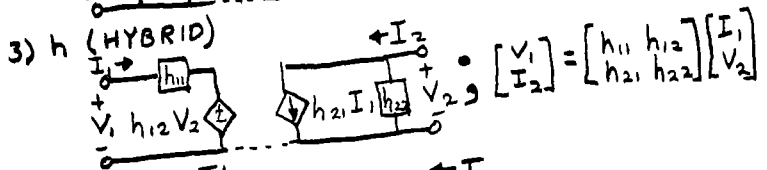
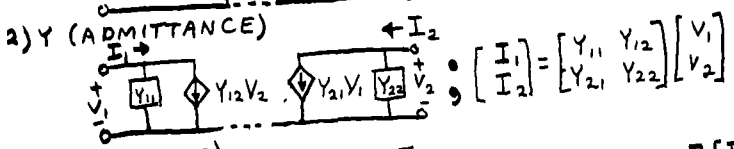
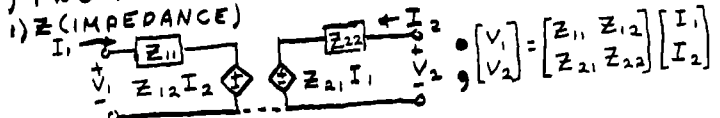
want y-parameters for this.

$$\begin{bmatrix} I_1 \\ I_2 \end{bmatrix} = \begin{bmatrix} 5 & 36 \\ 0 & .1 \end{bmatrix} \begin{bmatrix} V_1 \\ V_2 \end{bmatrix} + \begin{bmatrix} 7 \\ 1 \end{bmatrix} =$$

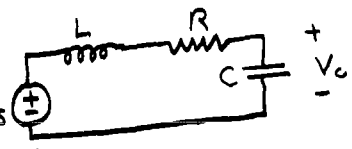
$$\begin{bmatrix} I_1 \\ I_3 \end{bmatrix} = \begin{bmatrix} 5 & 7 & 36 \\ & & .1 \end{bmatrix} \begin{bmatrix} V_1 \\ V_2 \\ V_3 \end{bmatrix}$$

ECCTS: TEST 2 PLUG SHEET

I) TWO PORT NETWORKS



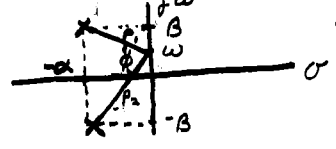
II) ANTIRESONANT CIRCUIT: V_s



$Q_0 = \frac{\omega_{MAX}}{BW} = \frac{\omega_0 RC}{\omega_0^2}$
 $A(s) = \frac{\omega_0^2}{(s+\alpha)^2 + \beta^2}$
 $\omega_0^2 = 1/LC$
 $\alpha = R/2L$
 $\beta^2 = \omega_0^2 - \alpha^2$



POLE-ZERO PLOT:



$|A(j\omega)| = \frac{\omega_0^2 / P_1 P_2}{|A(j\omega)|_{MAX} = \frac{\omega_0^2}{2\alpha\beta}; \omega_{MAX}^2 = \beta^2 - \alpha^2 (\text{@ } \phi = 90^\circ)$
 $\frac{1}{2} \text{ PWR } \omega; \phi = 45^\circ, 135^\circ$
 $A(j\omega) = A(s) = \frac{\omega_0^2 \sin \phi}{(\omega_0^2 - \omega^2 + j2\alpha\omega)}$
 $\Rightarrow |\omega_0^2 - \omega^2 + j2\alpha\omega|^2 = 2(2\alpha\beta)^2 \text{ @ } \frac{1}{2} \text{ PWR}$
 $\therefore \omega_0^2 = \omega_{MAX}^2 + 2\alpha\beta; \omega_L^2 = \omega_{MAX}^2 - 2\alpha\beta$

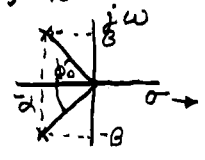
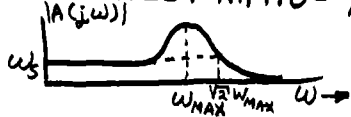
FOR HI Q_0 ; $\beta \gg \alpha$; $\omega_0 \sim \beta \sim \omega_{MAX} \Rightarrow BW \approx R/L$

III) MAXIMALLY FLAT GAIN (ANTIRESONANT CIRCUIT) $MAYBE$

$A_p = \text{PEAK GAIN} = \omega_0^2 / 2\alpha\beta$ (FROM $A(j\omega) = \frac{\omega_0^2}{2\alpha\beta} \sin \phi$)
 $A_0 = \text{VALLEY GAIN} = |A(s)|_{s=0}$

PEAK TO VALLEY RATIO = $\frac{A_p}{A_v} = \frac{1}{\sin \phi_0}$; $\phi_0 = 2 \text{ atan } \beta/\alpha$

FOR $\phi_0 > 90^\circ$:



FOR $\phi_0 < 90^\circ$, THERE WILL BE NO PEAK (PTVR=1)

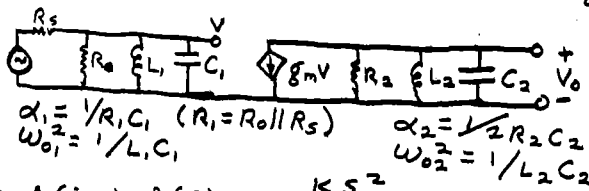
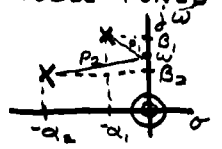
FOR $\phi_0 = 90^\circ$, AMPLIFIER IS MAXIMALLY FLAT

$\alpha = \beta \Rightarrow \phi_0 = 90^\circ$
 $\omega_0^2 - \alpha^2 = \alpha^2 \Rightarrow L = \frac{1}{2} R^2 C$



IV) TUNED STAGES

1) DOUBLE TUNED



FOR FIRST STAGE
 FOR SECOND STAGE
 $A_v = \frac{g_m}{C} \frac{s}{s^2 + R_2 s + 1/LC}$

$K = g_m / R_2 C_1 C_2 \Rightarrow A(j\omega) = A(s) = \frac{K s^2}{(s^2 + 2\alpha_1 s + \omega_{01}^2)(s^2 + 2\alpha_2 s + \omega_{02}^2)}$

FOR $\beta_2 \gg \alpha_2$; $\beta_1 \gg \alpha_1$; $|A(j\omega)| = \frac{K}{4} \frac{1}{P_1 P_2}$

IF THE TWO POLES COINCIDE, AMP IS "SYNCHRONOUSLY TUNED"
 (CONTINUED)

n SYNCHRONOUSLY TUNED STAGES

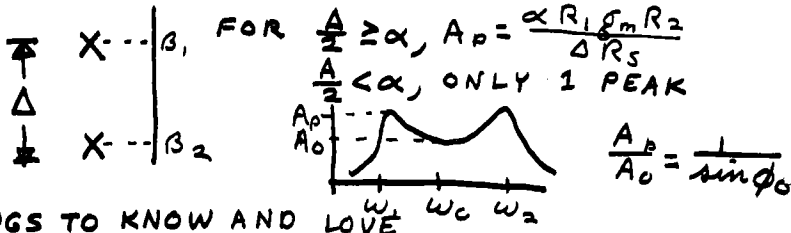
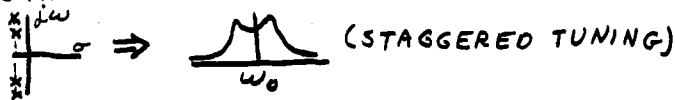
$$BW_n = B_0 \sqrt{2^n - 1} \Rightarrow B_0 = 2\alpha$$

$$A_p = \frac{K/4}{\alpha^n}$$

FOR $\frac{1}{2}$ PWR. FREQ.

$$p^2 = 2^n \alpha^2; p^2 = \alpha^2 + (\Delta\omega)^2$$

NON-SYNCHRONOUSLY TUNED AMPLIFIERS



VI) PLUGS TO KNOW AND LOVE

$$Q_0 = \frac{\omega_{MAX}}{BW} = \omega_0 RC \text{ (R/L/R (TANK))}$$

$$A(s) = \frac{\omega_0^2}{(s+\alpha)^2 + \beta^2} \text{ (TANK)}$$

$$\omega_0^2 = 1/LC$$

$$\alpha = R/2L \text{ (SERIES)} = \frac{1}{2RC} \text{ (SHUNT)}$$

$$\beta^2 = \omega_0^2 - \alpha^2$$

$$\omega_{MAX}^2 = \beta^2 - \alpha^2$$

$$\omega_0^2 = \omega_{MAX}^2 + 2\alpha\beta$$

$$\omega_L^2 = \omega_{MAX}^2 - 2\alpha\beta$$

$$HI Q \Rightarrow BW = R/L$$

$$A_p = \omega_0^2 / 2\alpha\beta$$

$$A_0 = A(s)|_{s=0}$$

$$PTVR = A_p/A_0 = \frac{1}{\sin \phi_0}$$

$$\phi_0 = 2 \arctan \beta/\alpha \text{ (}\phi_0 > 90^\circ \Rightarrow \text{PEAK)}$$

$$\text{FOR FLAT } L = \frac{1}{2} R^2 C$$

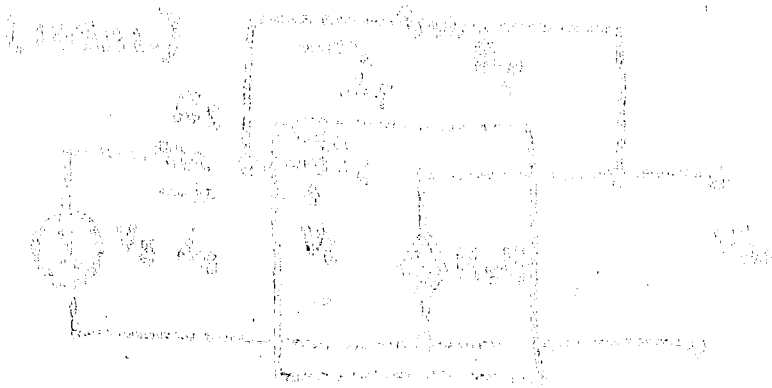
$$BW_n = 2\alpha \sqrt{2^n - 1} \text{ (FOR HI Q)}$$

$$K = g_m / R_2 C_1 C_2$$

$$A_p = K/4\alpha^n$$

$$p^2 = 2^n \alpha^2; p^2 = \alpha^2 + (\Delta\omega)^2$$

Equivalent circuit



$$V_o = V_s \frac{R_L}{R_s + R_L}$$

$$\lim_{R_L \rightarrow \infty} V_o = V_s$$

$$\lim_{R_L \rightarrow 0} V_o = 0$$

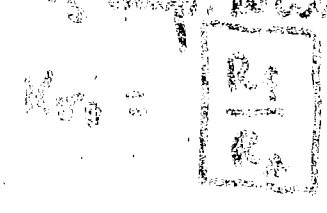
$$\lim_{R_L \rightarrow 0} I_o = \frac{V_s}{R_s}$$

$$A_v = \frac{V_o - V_i}{V_i} = \frac{V_o}{V_i} - 1$$

$$A_v = \frac{V_o - V_i}{V_i} = \frac{V_o}{V_i} - 1$$

$$A_v = \frac{V_o}{V_i} = \frac{R_L}{R_s + R_L}$$

View of Amp. with feedback



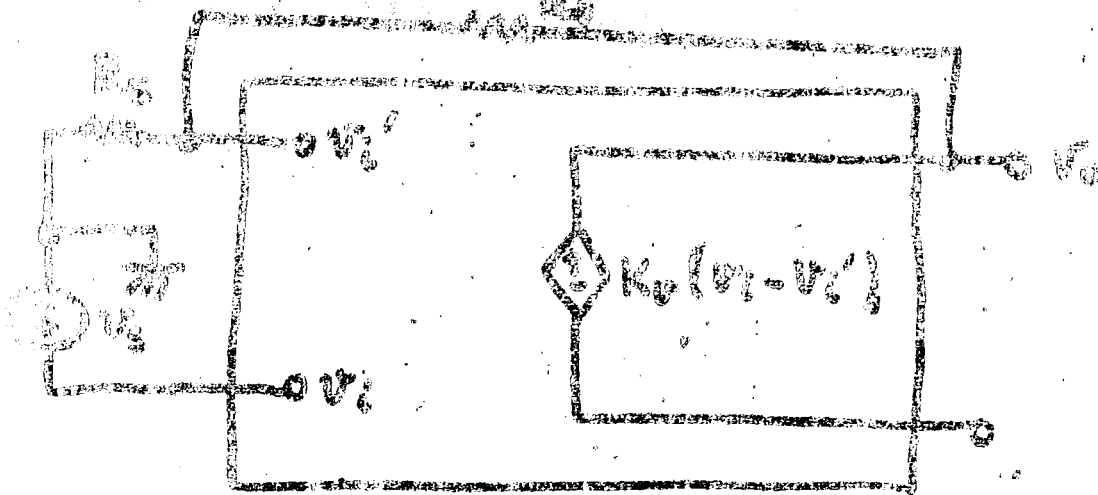
Source "into" output impedance of the device.

The node where V_i appears is called a summing node.

$$R_i = \infty \quad R_o = 0 \quad R_{in} = \infty$$

Q. 1.8.7.2

NON-INVERTING OPERATIONAL AMPLIFIER



Now

$$v_i - v_i' \approx 0$$

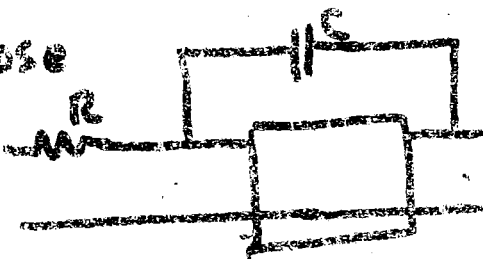
$$v_i \approx v_i'$$

$$v_i' = \frac{R_s}{R_s + R_f} \cdot v_o = v_o$$

$$\frac{v_o}{v_i} = 1 + \frac{R_f}{R_s}$$

DIFFERENTIAL AMPLIFIER

Suppose



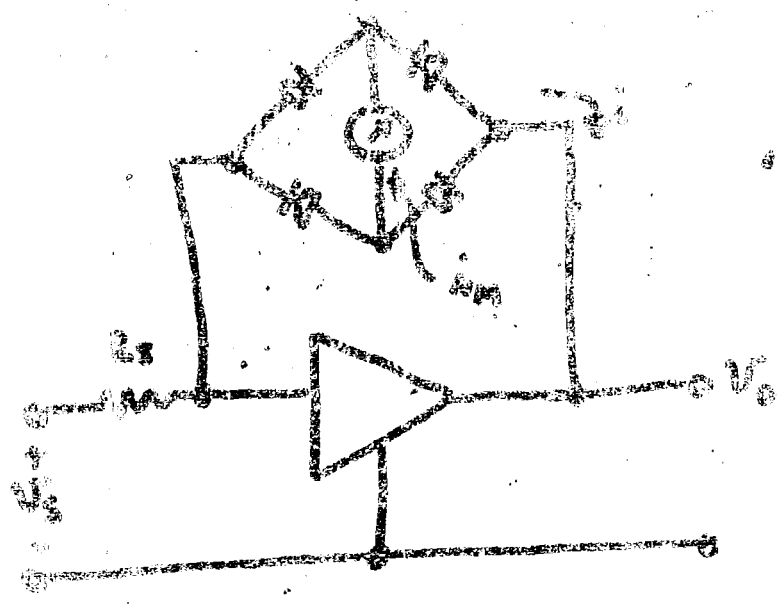
$$\frac{v_o(s)}{v_i(s)} = \frac{1}{sC + R}$$

$$= \frac{1}{R} \cdot \frac{1}{1 + sRC}$$

THIS CIRCUIT IS NOT

DATE: / /

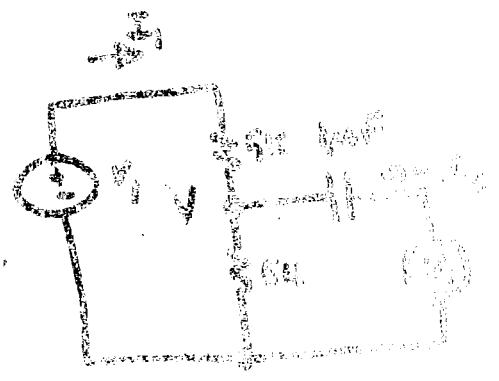
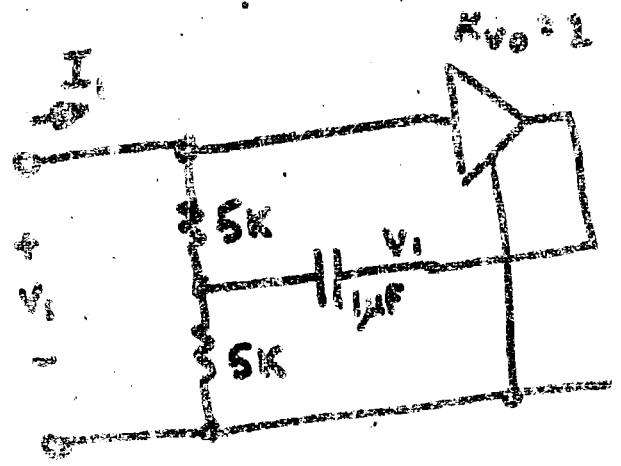
ANALYSIS OF THE CIRCUIT OF THE



$$A_v = \frac{V_o}{V_i}$$

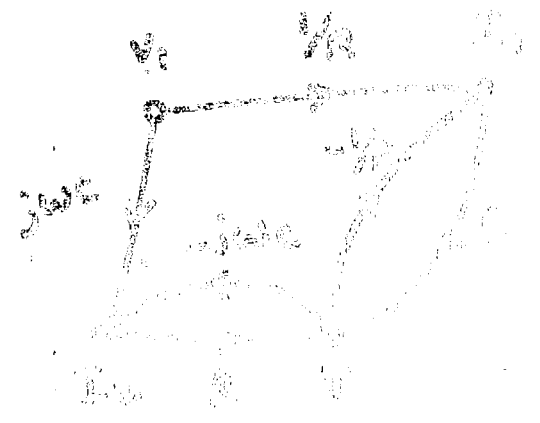
$$A_{v_{mid}} = \left| \frac{V_o}{V_i} \right|$$

NOTE: \$A_v\$ IS NOT DEPENDENT ON THE VALUE OF THE DIODES.



$$I_1 = \frac{V_i}{R} \quad V = R(I_1 + I_2)$$

$$I_2 = j\omega C(V_i - V)$$



$$Z_{in} = (2R + j\omega RC) + (4R + j\omega RC)$$

$$Z_{in} = 1 - (2R - j\omega RC) = 2 + j\omega RC$$

$$= \frac{1}{R} + j\omega C$$

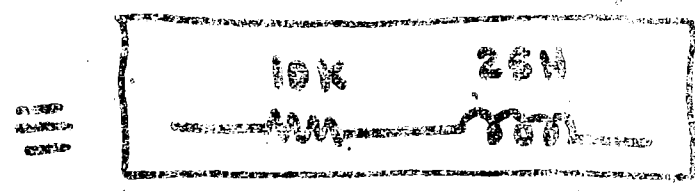
$$2 + j\omega RC$$

$$\frac{V_1}{I_1} = Z_{in} = 2R + j\omega RC$$

C = 1μF, R = 5k

$$Z_{in} = 10k + j\omega(5 \times 10^3) \times 10^{-6}$$

$$= 10,000 + j\omega 25$$



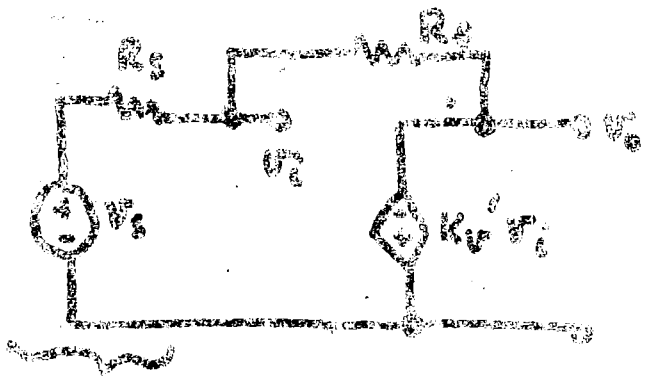
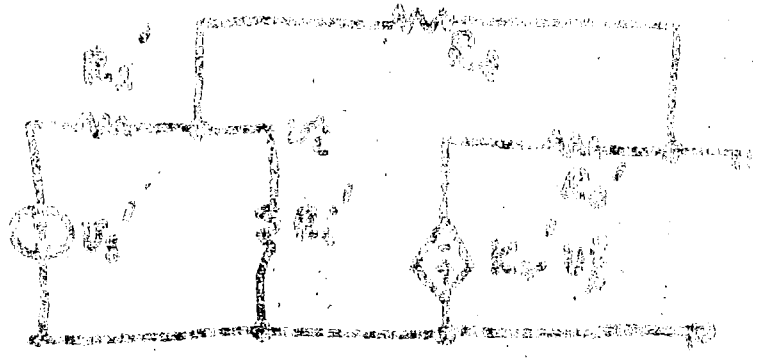
$$Q @ 1000 Hz = \frac{25 \times 1000 \times 25}{10^4} = 15.625$$

THIS CIRCUIT
 IMPEDANCE
 IS INDUCTIVE
 15.625

Ex 2.4

11.12.16

EFFECTS OF NEGATIVE FEEDBACK



T.T.

$$V_2 = K_f V_1$$

$$V_2 = \frac{R_4}{R_3 + R_4} V_1$$

$$\frac{R_4}{R_3 + R_4} = \frac{R_4}{R_3 + R_4}$$

$$V_i = V_1 - K_f V_2$$

usually $\beta > 1$

$$V_0 = \frac{K_f V_1}{1 + K_f} = \frac{K_f V_1}{1 + K_f}$$

$V_0 = \frac{K_f V_1}{1 + K_f}$

1/25/73

TERMINOLOGY:

K_0' = OPEN LOOP GAIN (no feedback)

β = FEED BACK FACTOR

$A_{K_0}' = K_0'$ = LOOP GAIN

$1 + \beta K_0'$ = F = RETURN DIFFERENCE

K_0 = CLOSED LOOP GAIN

* Amount of voltage fed back to input from V_o .

$K_0 \neq K_0'$ - This is the price you pay, resulting in gain.

SELF-CALIBRATION

MAKING K_0 RELATIVELY INDEPENDENT OF K_0'

$$K_0' \gg 1 \Rightarrow K_0 \approx \frac{1}{\beta}$$

$$K_0 = \frac{a(K_0')}{1 + \beta K_0'} \quad \text{As } K_0' \rightarrow K_0' + a(K_0')$$

$$K_0 \approx \frac{a(K_0' + a(K_0'))}{1 + \beta(K_0' + a(K_0'))}$$

100 100
100 100

$$\frac{\Delta K_m}{K_m} = \frac{\Delta K_m'}{K_m'} \cdot \frac{1}{\beta + \beta^2} \quad \frac{\Delta K_m'}{K_m'} = \frac{1}{\beta + \beta^2} \cdot \frac{\Delta K_m}{K_m}$$

IF THERE IS SOME CHANGE IN β IS EQUAL TO

$$\frac{\Delta K_m}{K_m} \approx \frac{\Delta K_m'}{K_m'}$$

$$K_m = K_m' (1 + \beta)$$

$$K_m = \frac{\alpha K_m'}{1 + \beta K_m'}$$

as $K_m' \rightarrow \infty$ $K_m \rightarrow \frac{\alpha}{\beta}$

$$\Delta K_m = \frac{\alpha}{\beta} - K_m$$

$$\Delta K_m = \frac{\alpha}{\beta} - \frac{\alpha K_m'}{1 + \beta K_m'}$$

K_m'
$\Delta K_m'$

$$\left\{ \frac{\Delta K_m}{K_m} \right\} = \frac{1}{\beta K_m'}$$

1. The first part of the document discusses the importance of maintaining accurate records of all transactions. This is essential for ensuring the integrity of the financial statements and for providing a clear audit trail.

2. The second part of the document outlines the various methods used to collect and analyze data. These methods include interviews, surveys, and focus groups, each of which has its own strengths and limitations.

3. The third part of the document describes the process of data analysis. This involves identifying patterns and trends in the data, and then using statistical techniques to test hypotheses and draw conclusions.

4. The fourth part of the document discusses the importance of reporting the results of the research. This involves writing a clear and concise report that summarizes the findings and provides recommendations for future action.

5. The fifth part of the document discusses the importance of ethical considerations in research. This involves ensuring that the research is conducted in a fair and honest manner, and that the rights of participants are protected.

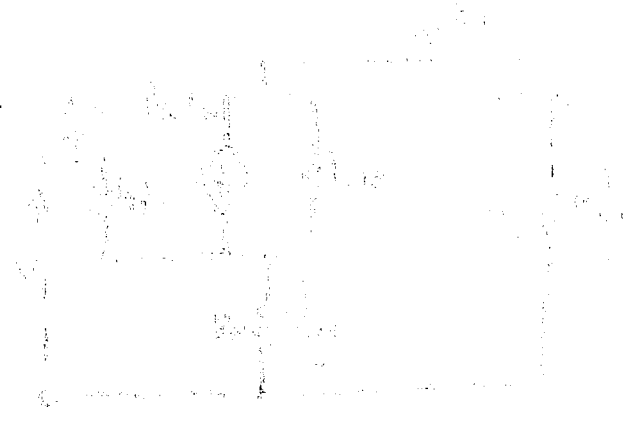
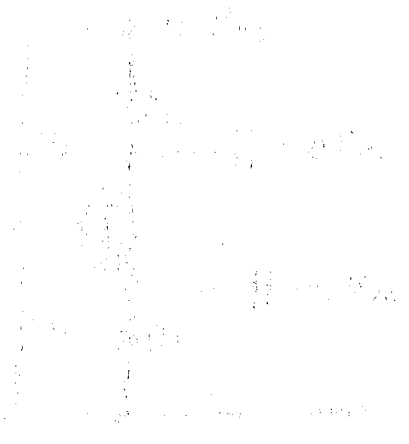
6. The sixth part of the document discusses the importance of ongoing evaluation and improvement of the research process. This involves regularly reviewing the research methods and results, and making adjustments as needed to ensure the highest quality of research.

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1944

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and is not to be used as evidence.

Witness my hand and seal
this 1st day of June 1944.

Attest: [Signature]

[Signature]

Witness my hand and seal this 1st day of June 1944.

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Witness my hand and seal this 1st day of June 1944.

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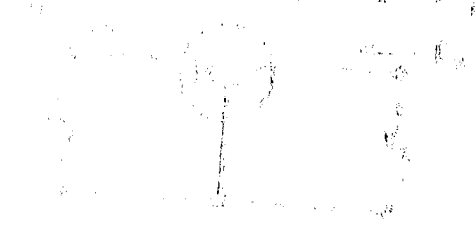
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Department of Electrical Engineering
 IIT Bombay, Mumbai
 November 12, 2022

EE 363 - Electronic Circuits
 Test No. 2
 Closed book, 30 minutes

Find the admittance Y matrix for a resistor network using the hybrid parameters. Let $r_o = 0$ for this problem.



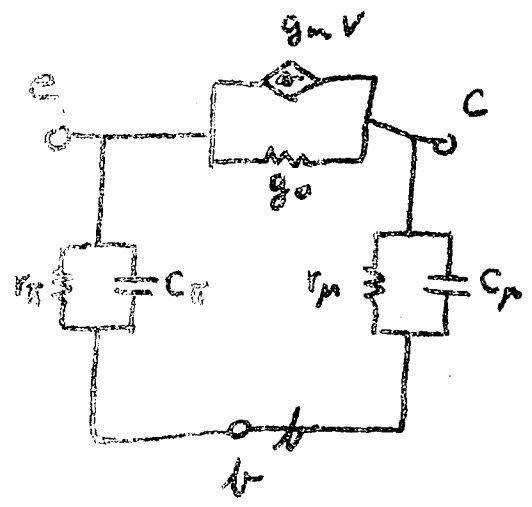
y_{11}	y_{12}	y_{21}	y_{22}
y_{21}	y_{12}	y_{22}	y_{11}

Solution

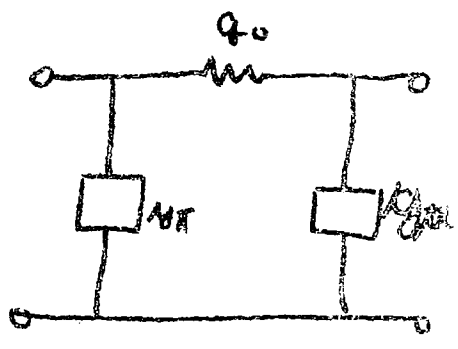
$$g_o = \frac{1}{r_o}$$

$$y_{\pi} = \frac{1}{r_{\pi}} + j\omega C_{\pi}$$

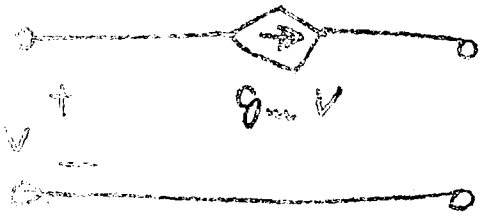
$$y_{\mu} = \frac{1}{r_{\mu}} + j\omega C_{\mu}$$



=



$$\begin{bmatrix} y_{\pi} + g_o & -g_o \\ -g_o & y_{\mu} + g_o \end{bmatrix}$$

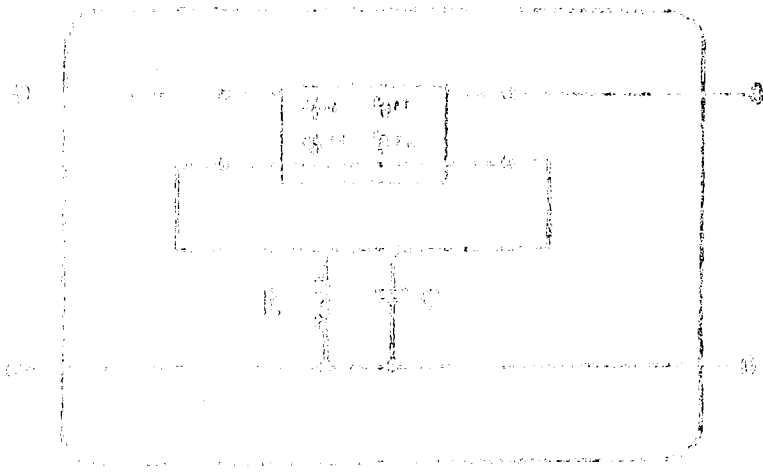


$$\begin{bmatrix} g_m & 0 \\ -g_m & 0 \end{bmatrix}$$

adding gives

$$Y = \begin{bmatrix} y_{\pi} + g_o + g_m & -g_o \\ -g_o - g_m & y_{\mu} + g_o \end{bmatrix}$$

... is the admittance matrix with elements y_{ij} as shown in the circuit shown. Assume that the parameters R, L, C are input to the box are already computed as $Y_{11}, Y_{12}, Y_{21}, Y_{22}$. Let the radian frequency be ω .



SOLUTION

CALL YZPRZY (Y11, Y12, Y21, Y22, Z11, Z12, Z21, Z22)

CALL ZTZRZT (Z11, Z12, Z21, Z22, Z1, Z2, Z3, ZM)

Z3 = Z3 + 1/CMPLX(1.0/R, W * C)

CALL ZTTZR (Z1, Z2, Z3, ZM, Z11, Z12, Z21, Z22)

~~CALL YZPRZY (Y11, Y12, Y21, Y22, Z~~

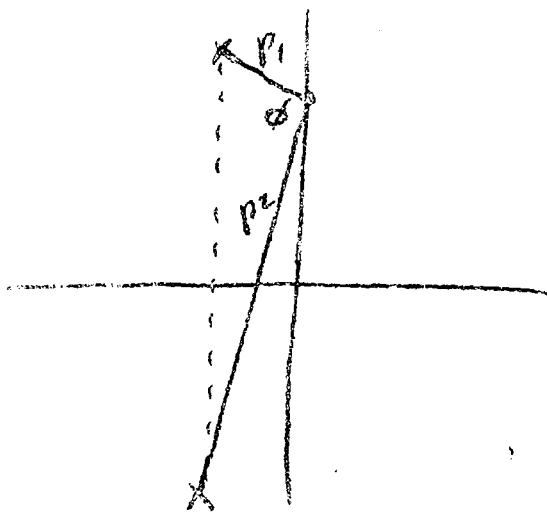
CALL YZPRZY (Z11, Z12, Z21, Z22, Y11, Y12, Y21, Y22)

here they are

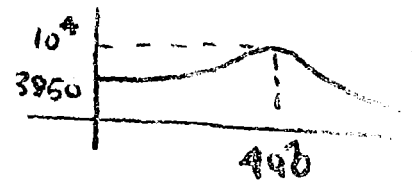
Find:

- A_{max}
- When the frequency where A_{max} occurs.
- Bandwidth.
- The gain at $\omega = \omega_0$.
- Sketch $|A_v|$ vs. frequency.

SOLUTION



$$|A_v| = \frac{10^9}{p_1 p_2}$$



$$\frac{1}{2} p_1 p_2 \sin \phi = \alpha \beta$$

$$A_v = \frac{10^9}{2 \alpha \beta} \sin \phi$$

$$|A_v|_{max} = A_{max} = \frac{10^9}{2 \cdot 100 \cdot 500} = \frac{10^9}{10^5} = \boxed{10^4}$$

$$\begin{aligned} (b) \quad \omega_{max} &= \sqrt{\beta^2 - \alpha^2} = \sqrt{500^2 - 100^2} = 100 \sqrt{24} \\ &= 200 \sqrt{6} = 200 \times 2.45 = \boxed{490 \frac{\text{rad}}{\text{sec}}} \end{aligned}$$

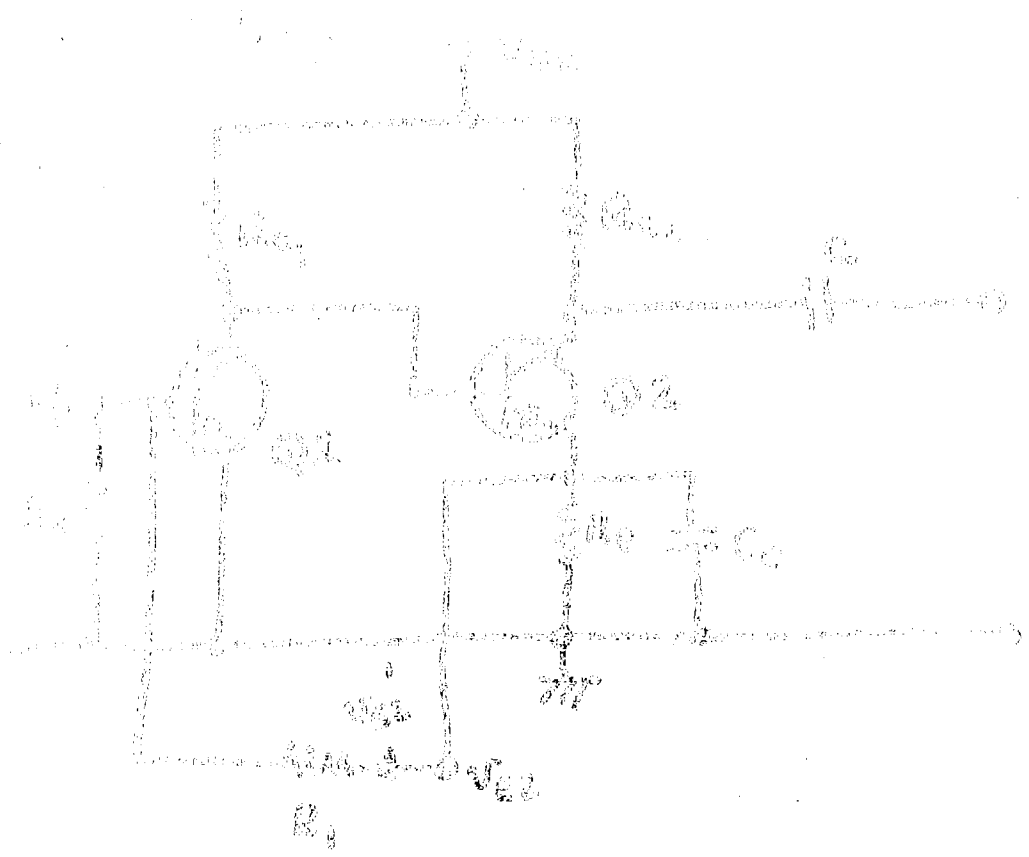
$$(c) \quad BW = 2\alpha = \boxed{200 \frac{\text{rad}}{\text{sec}}}$$

$$(d) \quad A_0 = \frac{10^9}{100^2 + 500^2} = \frac{10^9}{10^4(1+25)} = \frac{10^5}{26} = \boxed{3850}$$

... of the ...
... of the ...
... of the ...

- (A) A good differential voltage amplifier will have some common mode rejection if both inputs are the same.
True or False.
- (B) Some an emitter follower amplifier has a voltage gain less than unity. You don't use it to make an excellent buffer or true.
True or False.
- (C) The power gain of an amplifier is at least 100 maximum when at a frequency where the voltage gain is 0.1dB times the maximum value.
True or False.
- (D) Stacking of identical non-interacting amplifiers results in a gain higher than that of one stage and a bandwidth lower than that of one stage.
True or False.

- (A) TRUE
- (B) TRUE
- (C) FALSE
- (D) FALSE
- (E) TRUE



CIRCUIT FOR BASE OF Q1



$$V_{BE} = V_0 + \frac{R_1}{1 + \beta_1/h_{FE}} I_{B1}$$

$$V_{BE} = V_0 \left(1 + \frac{R_1}{R_2}\right) + R_1 I_{B1}$$

V_{BE} is well stabilized if $\left(1 + \frac{R_1}{R_2}\right) V_0 \gg R_1 I_{B1}$

Q. 3.3
11.4.21.3

$$V_{CE1} = V_{CE2} + V_o$$

$$V_{CE2} = V_{CC} - R_{C2} i_{C2} - V_{CE2}$$

$i_{C2} \approx \frac{V_{CE2}}{R_{C2}}$ so these quantities are related.

Find i_{C1}

$$V_{CC} = V_{CE1} + V_o + R_{C1} i_{C1}$$

$$= V_o \left(1 + \frac{R_{C1}}{R_{C2}}\right) + R_{C1} i_{C1} + V_o + R_{C1} i_{C1}$$

$$V_{CC} = \left(2 + \frac{R_{C1}}{R_{C2}}\right) V_o + \left(\frac{R_{C1}}{R_{C2}} + 1\right) R_{C1} i_{C1}$$

$$i_{C1} = \frac{V_{CC} - \left(2 + \frac{R_{C1}}{R_{C2}}\right) V_o}{R_{C1} + \frac{R_{C1}}{\beta_1}}$$

$$\text{if } R_{C2} \gg \frac{R_{C1}}{\beta_1}$$

$$i_{C1} \approx \frac{1}{R_{C1}} \left[V_{CC} - \left(2 + \frac{R_{C1}}{R_{C2}}\right) V_o \right]$$

THU-11
11.4.21.3
Q. 3.3

10/10/2019

Find the output voltage V_o of the circuit in the figure below.

Given: $V_{in} = 4V$
 $R_1 = 10k\Omega$

Find: V_o

Solution:

Step 1: Find V_{in}

Step 2: Find V_o

Step 3: Find V_o

Step 4: Find V_o

Step 5: Find V_o

Step 6: Find V_o

Step 7: Find V_o

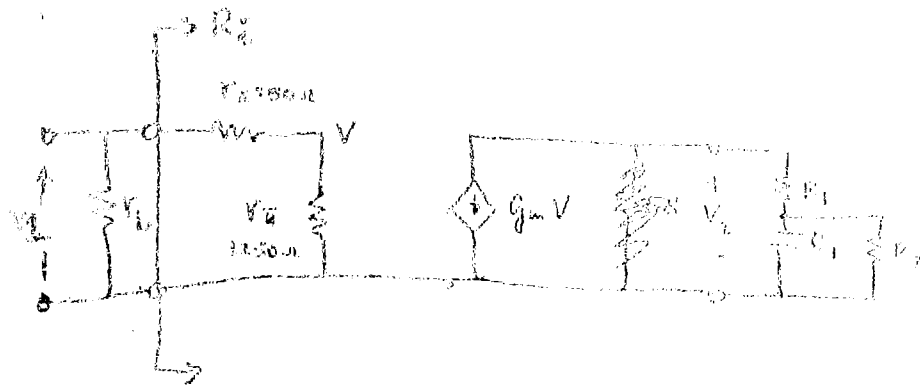
Step 8: Find V_o

Step 9: Find V_o

Step 10: Find V_o

Angelo
15.11.12

$$r_{\pi} = \frac{\beta}{40 I_c} = \frac{50}{40} = 1.25 \text{ k}\Omega$$



$$R_L = R_2 + R_{\pi} = 1250 + 50 = \boxed{1300 \Omega}$$

$$V_2 = -g_m V \left(R_1 + \frac{1}{\frac{1}{R_2} + sC_1} \right), \quad V = \frac{1250}{1300} V_1$$

$$\frac{V_2}{V_1} = K \left(R_1 + \frac{1}{\frac{1}{R_2} + sC_1} \right) = K \left(R_1 + \right.$$

$$= K \frac{R_1 \left(\frac{1}{R_2} + sC_1 \right) + 1}{\frac{1}{R_2} + sC_1} = K \frac{\frac{R_1}{R_2} + sC_1 R_1 + 1}{\frac{1}{R_2} + sC_1}$$

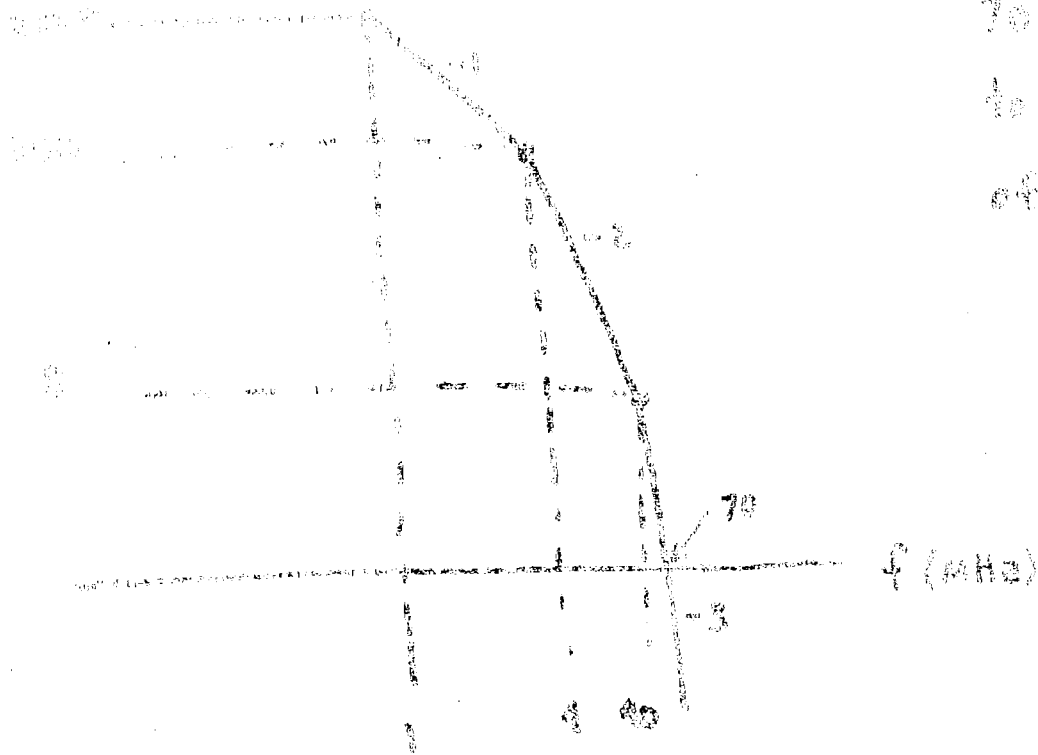
$$= K \frac{1 + \frac{R_1}{R_2}}{\frac{1}{R_2}} \cdot \frac{1 + \frac{sC_1 R_1}{1 + R_1/R_2}}{1 + sC_1 R_2} = K \frac{1 + \frac{R_1}{R_2}}{1 + sC_1 R_2} \cdot \frac{1 + \frac{sC_1 R_1}{1 + R_1/R_2}}{1 + sC_1 R_2}$$

$$\omega_{p1} = \frac{1 + R_1/R_2}{R_1 C_1}$$

$$\omega_{p2} = \frac{1}{R_2 C_1}$$

Example
 (10/11/11)

Convert to Bode-polar form, of Bode



To be converted
 to voltage gain
 of 1000

$$A(f) = -1000 \left(1 + j\frac{f}{10}\right) \left(1 + j\frac{f}{100}\right) \left(1 + j\frac{f}{1000}\right)$$

Plot at

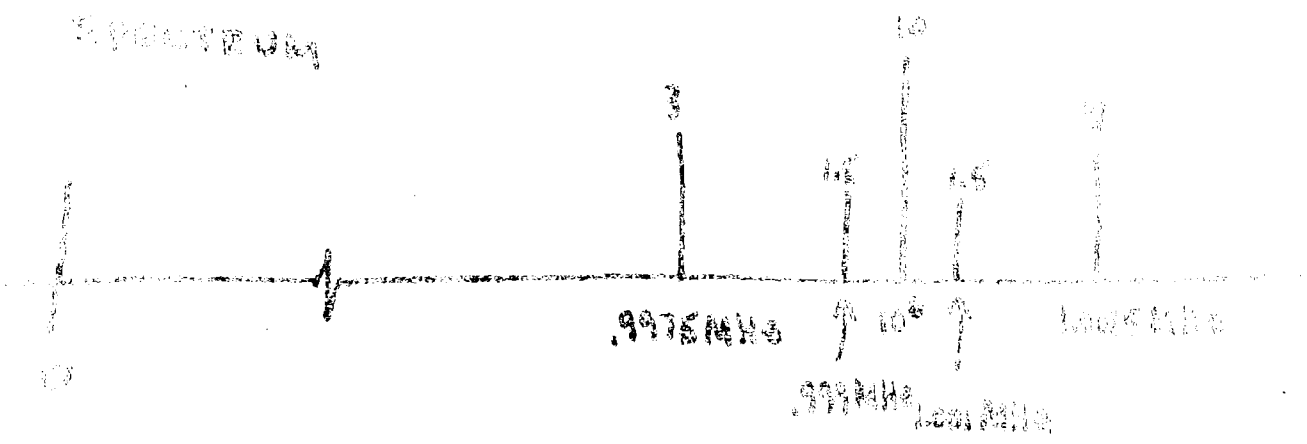
$\omega = 10$ rad/sec	Mid Freq
$\omega = 100$ rad/sec	Mid Freq
$\omega = 1000$ rad/sec	Mid Freq

$\frac{1}{2} \cos 2\pi(10^6)t$
 $\frac{1}{2} \cos 2\pi(10^6)t$

$u(t) = \left[10 + 3 \cos 2\pi(10^6)t + 6 \cos 2\pi(10^6)t \right] \cos 2\pi(10^6)t$

$= 10 \cos 2\pi(10^6)t + 3 \cos 2\pi(10^6)t \cos 2\pi(10^6)t + 6 \cos 2\pi(10^6)t \cos 2\pi(10^6)t$

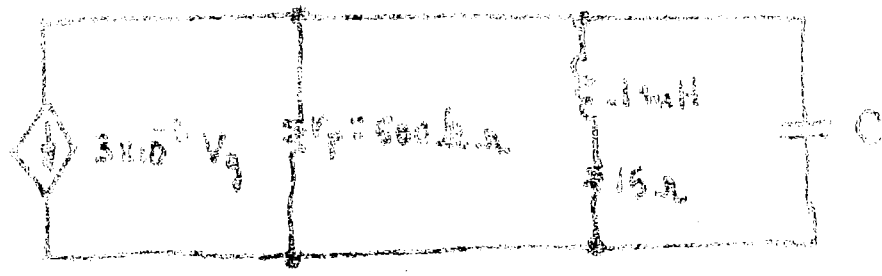
$= 10 \cos 2\pi(10^6)t + 1.5 \cos 2\pi(10^6 + 10^6)t + 1.5 \cos 2\pi(10^6 - 10^6)t$
 $+ 3 \cos 2\pi(10^6 + 10^6)t + 3 \cos 2\pi(10^6 - 10^6)t$



Example
Answer

High and radio frequency waves having same
length as to as the wave) in 10 Hz. This is
roughly double of the lower wave and 1000 Hz,
but is double of upper wave at the same frequency.

Example
2.1.10

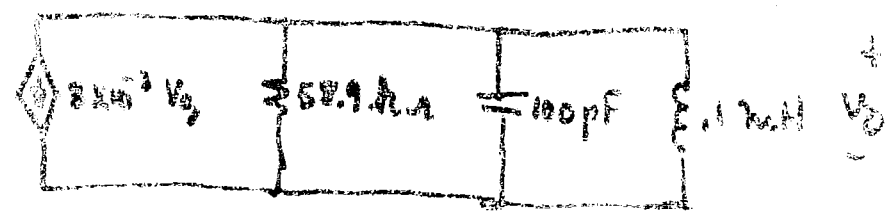


$$(A) \quad \frac{1}{LC} = \omega_0^2 = 10^{10} \quad C = \frac{1}{10^{10} \cdot L} = \frac{1}{10^{10} \cdot 10^{-4}} = 10^{-14} \text{ F} = 100 \text{ pF}$$

$$(B) \quad R_p = \frac{L}{CR_s} = \frac{10^{-4}}{10^{10} \cdot 15} = \frac{10^6}{15} = 66.67 \times 10^3 = 66.7 \text{ k}$$

$$r_p \parallel R_p = \frac{500 \times 10^3}{566.7} = 58.9 \text{ k}\Omega$$

Equivalent ckt.



$$\alpha = \frac{1}{2RC} = 25 \times 10^8$$

$$\alpha^2 = 72.2 \times 10^8$$

$$\omega_0^2 >> \alpha^2$$

CHECK THIS

A_0 = gain at resonance

$$\frac{V_o}{V_{in}} = A_0 = -3 \times 10^{-3} \times 58.9 \times 10^3 = -176.7$$

$$3 \times 10^3 \cdot \frac{1}{R_s} = \frac{1}{58.9 \times 10^3 \times 10^{-10}} = \frac{100}{58.9} \times 10^6 = 1.7 \times 10^6 \frac{\text{rad}}{\text{sec}}$$

$$\omega = 1.7 \times 10^6 \text{ rad/sec}$$

$\omega = \frac{1}{RC} = \frac{6.6}{2 \times 10^{-6}} = 3.3 \times 10^6 \text{ rad/s}$
 $\omega_1 = \frac{1}{RC} = 1.0716 \times 10^7$, $\omega_2 = 2.5003 \times 10^6$

$\omega = 3.3 \times 10^6 \text{ rad/s}$

$$\beta = \sqrt{\omega_2^2 - \omega^2} = 9.99997 \times 10^6 \text{ s}^{-1}$$

$$\text{max } |A_v| = \frac{\omega_1^2}{2\beta} = \boxed{50.006}$$

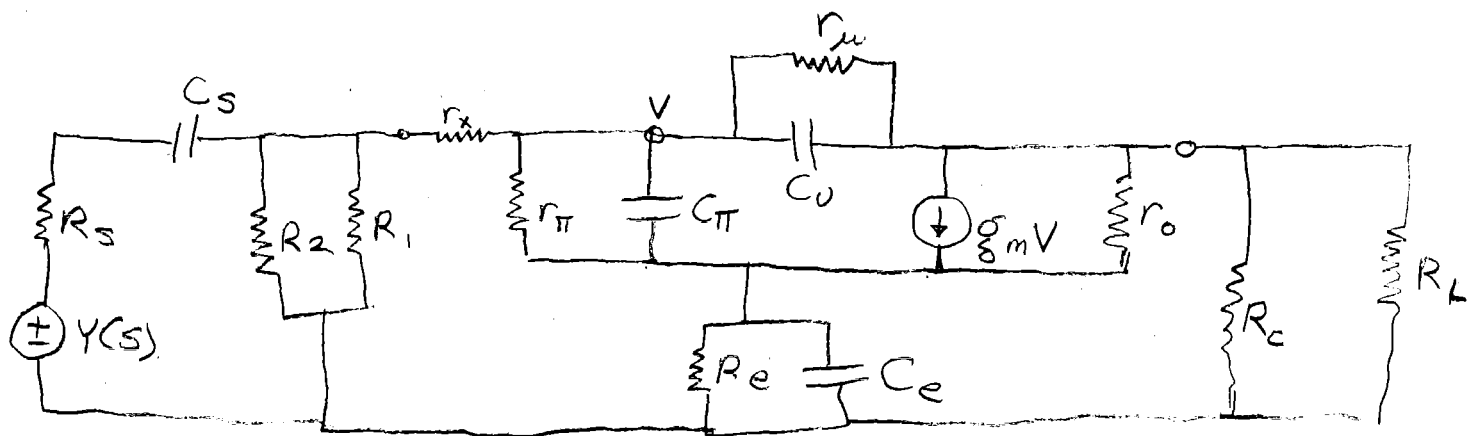
$$\text{min } |A_v| = \frac{\omega_2^2}{2\beta} = 52.5424 \text{ dB}$$

$$Q_0 = \frac{\omega_0 L}{R} = \boxed{50.0037}$$

$$\omega_1 = \sqrt{\omega_{max}^2 - 2\alpha\beta} = \omega_c \quad f_c = \boxed{51.5495 \text{ kHz}}$$

$$\omega_2 = \sqrt{\omega_{max}^2 + 2\alpha\beta} = \omega_c \quad f_0 = \boxed{50.004478 \text{ kHz}}$$

$$A_0 = \frac{1/\omega_0 C}{R} = \frac{1}{\omega_0 RC} = Q_0 = \boxed{50.0037}$$

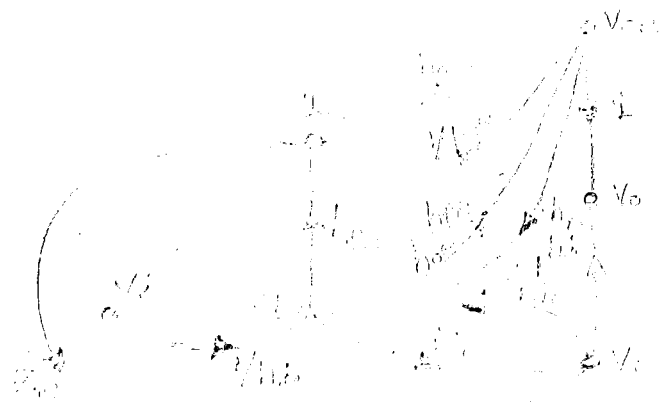


2.5/6

9-27-71

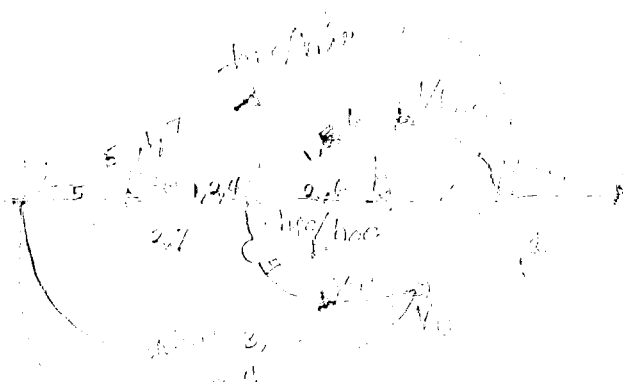


- $V_b = V_{cc} + V_c$
- $V_c = I_{c1} R_{c1} + I_{c2} R_{c2}$
- $V_{ce} = V_{cc} - (I_{c1} + I_{c2}) R_{c1}$
- $V_{ce} = V_{cc} - (I_{c1} + I_{c2}) R_{c2}$
- $I_{c1} = I_{c2} (V_{ce} - V_{ce1}) / (V_{ce} - V_{ce2})$



9-27-71

1-1)



$$\Delta_{11} = \frac{h_{fe} h_{oe}}{h_{ie} h_{ie}} + \dots - \frac{h_{fe} h_{ie}}{h_{ie} h_{ie}}$$

$$\Delta_{12} = \frac{h_{fe}}{h_{ie} h_{ie}} + \dots$$

$$\Delta_{13} = \frac{h_{fe}}{h_{ie} h_{ie}} + \dots$$

$$\Delta_{14} = \frac{h_{fe}}{h_{ie} h_{ie}} + \dots$$

$$\Delta_{15} = \frac{h_{fe} h_{ie} + \dots}{h_{ie} h_{ie}} + \dots$$

$$\Delta_{16} = \frac{h_{fe} h_{ie} (h_{oe} - 1) + \dots}{h_{ie} h_{ie}} = 45.49$$

- $h_{fe} = 2k$
- $h_{ie} = 10^4$
- $h_{oe} = 70$
- $h_{oe} = 2.00ms$
- $R_1 = 27k$
- $R_2 = 10k$
- $R_3 = 10k$

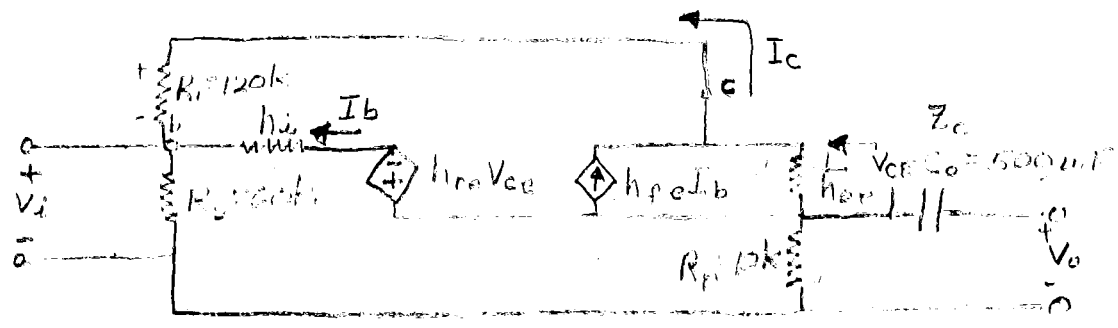
$$Z_{c1} = 2.00ms$$

$$X_c = \frac{1}{100\pi \times 10^{-3}} = \frac{1}{100\pi \times 10^{-3}} \text{ } \Omega$$

$$Z_{c1} = X_c \parallel R_3 = \frac{(1/100\pi)(4.7)}{4.7 - 100\pi} = \frac{0.0099 \angle -90^\circ}{4.7 \angle 0^\circ} = .00198 \Omega$$

9-27-71

1-2)

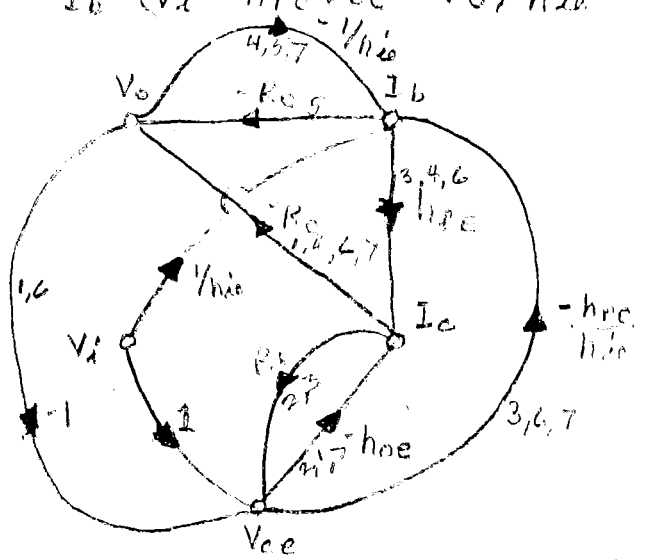


$$V_o = -R_e(I_b + I_c)$$

$$V_{ce} = R_c I_c + V_i - V_o$$

$$I_c = h_{fe} I_b - h_{oe} V_{ce}$$

$$I_b = \frac{V_i - h_{re} V_{ce}}{h_{ie}}$$



$$\Delta = 1 + \left[\frac{h_{ie} R_c + h_{oe} R_L + h_{re} h_{fe} R_L + h_{oe} R_L}{h_{ie}} - \frac{h_{re} R_L}{h_{ie}} + \frac{h_{fe} R_c h_{re} h_{fe} R_L}{h_{ie}^2} \right]$$

$$G_1 = \frac{R_c}{h_{ie}}, \Delta_1 = 1 + h_{oe} R_L$$

$$G_2 = -h_{ie} R_c, \Delta_2 = 1$$

$$G_3 = \frac{R_c h_{re}}{h_{ie}}, \Delta_3 = 1$$

$$A_v = \frac{V_o}{V_i} = \frac{-R_c + h_{ie} (1 + h_{oe} R_L) + h_{re} h_{fe} R_L + R_c h_{ie}}{h_{ie} (1 + h_{oe} (R_c + R_L)) + h_{re} h_{fe} R_L - h_{oe} R_L - R_c + h_{oe} R_c h_{re}}$$

9.27.71

$$G_1 = \frac{h_{1c}}{h_{1e}} \quad \Delta_1 = 1$$

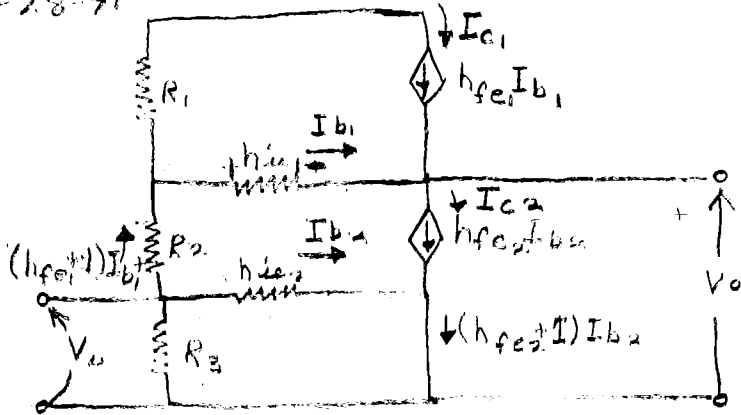
$$G_2 = \frac{h_{2c}}{h_{2e}} \quad \Delta_2 = 1 + h_{oc} R_1$$

$$G_{eq} = \frac{h_{1c} (1 + h_{oc} (R_1 + R_2)) + h_{1e} h_{oc} R_1 - h_{2c} R_1 - R_1 + h_{oc} R_1 h_{re} - h_{1c} R_1 h_{ob}}{h_{1e} - h_{oc} R_1}$$

(2)

9-28-71

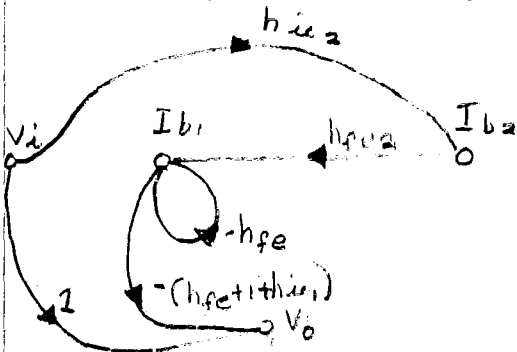
1-3)



$$I_{b1} = h_{fe2} I_{b2} + h_{fe1} I_{b1} \Rightarrow I_{b1} (1 + h_{fe1}) = h_{fe2} I_{b2}$$

$$V_o = -(h_{fe1} + 1) R_2 I_{b1} - h_{fe2} I_{b2} + V_i$$

$$I_{b2} = V_i / h_{ie2}$$



$$\Delta = 1 + h_{fe}$$

$$G_1 = 1, \quad \Delta_1 = 1 + h_{fe}$$

$$G_2 = h_{ie2} h_{fe2} (h_{fe1} + h_{ie1} + 1); \quad \Delta_2 = 1$$

$$A_v = \frac{V_o}{V_i} = \frac{(1 + h_{fe2}) - h_{ie2} h_{fe2} (h_{fe1} + h_{ie1} + 1)}{(1 + h_{fe1})}$$

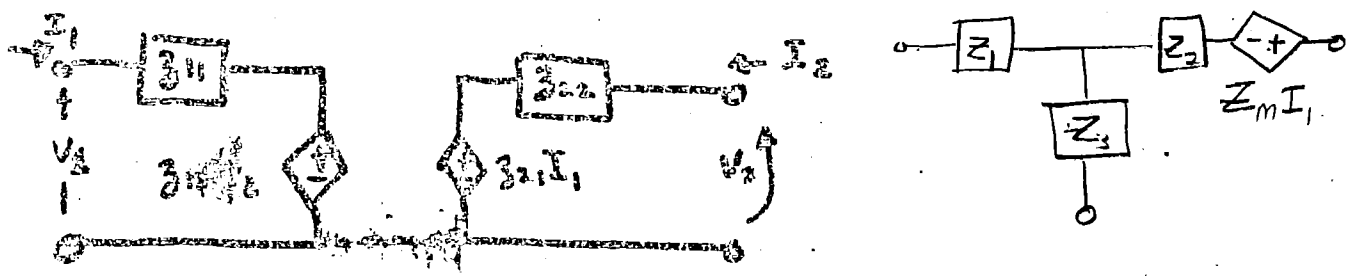
Table 8-9 Two-port Matrices

<p>1. Impedance matrix [Z] $\Delta_z = z_{11}z_{22} - z_{12}z_{21}$</p>	$\begin{bmatrix} V_1 \\ V_2 \end{bmatrix} = \begin{bmatrix} z_{11} & z_{12} \\ z_{21} & z_{22} \end{bmatrix} \begin{bmatrix} I_1 \\ I_2 \end{bmatrix}$ <p>For reciprocal circuits $z_{12} = z_{21}$</p>
<p>2. Admittance matrix [Y] $\Delta_y = y_{11}y_{22} - y_{12}y_{21}$</p>	$\begin{bmatrix} I_1 \\ I_2 \end{bmatrix} = \begin{bmatrix} y_{11} & y_{12} \\ y_{21} & y_{22} \end{bmatrix} \begin{bmatrix} V_1 \\ V_2 \end{bmatrix}$ <p>For reciprocal circuits $y_{12} = y_{21}$</p>
<p>3. Hybrid matrix [h] $\Delta_h = h_{11}h_{22} - h_{12}h_{21}$</p>	$\begin{bmatrix} V_2 \\ I_1 \end{bmatrix} = \begin{bmatrix} h_{11} & h_{12} \\ h_{21} & h_{22} \end{bmatrix} \begin{bmatrix} I_2 \\ V_1 \end{bmatrix}$ <p>For reciprocal circuits $h_{12} = -h_{21}$</p>
<p>4. Hybrid matrix [g] $\Delta_g = g_{11}g_{22} - g_{12}g_{21}$</p>	$\begin{bmatrix} I_2 \\ V_1 \end{bmatrix} = \begin{bmatrix} g_{11} & g_{12} \\ g_{21} & g_{22} \end{bmatrix} \begin{bmatrix} V_2 \\ I_1 \end{bmatrix}$ <p>For reciprocal circuits $g_{12} = -g_{21}$</p>
<p>5. (ABCD) matrix $\Delta_A = AD - BC$</p>	$\begin{bmatrix} V_1 \\ I_1 \end{bmatrix} = \begin{bmatrix} A & B \\ C & D \end{bmatrix} \begin{bmatrix} V_2 \\ -I_2 \end{bmatrix}$ <p>For reciprocal circuits $\Delta_A = 1$</p>
<p>6. (DCGD) matrix $\Delta_D = dD - cC$</p>	$\begin{bmatrix} V_2 \\ I_2 \end{bmatrix} = \begin{bmatrix} d & c \\ c & D \end{bmatrix} \begin{bmatrix} V_1 \\ -I_1 \end{bmatrix}$ <p>For reciprocal circuits $dD = 1$</p>
<p>7. Scattering matrix [S] $\Delta_S = S_{11}S_{22} - S_{12}S_{21}$</p>	$\begin{bmatrix} b_1 \\ b_2 \end{bmatrix} = \begin{bmatrix} S_{11} & S_{12} \\ S_{21} & S_{22} \end{bmatrix} \begin{bmatrix} a_1 \\ a_2 \end{bmatrix}$ <p>For reciprocal circuits $S_{12} = S_{21}$</p>
<p>8. Transmission scattering matrix [T] $\Delta_T = T_{11}T_{22} - T_{12}T_{21}$</p>	$\begin{bmatrix} b_1 \\ a_2 \end{bmatrix} = \begin{bmatrix} T_{11} & T_{12} \\ T_{21} & T_{22} \end{bmatrix} \begin{bmatrix} a_1 \\ b_2 \end{bmatrix}$ <p>For reciprocal circuits $\Delta_T = 1$ (for $R_1 = R_2$)</p>

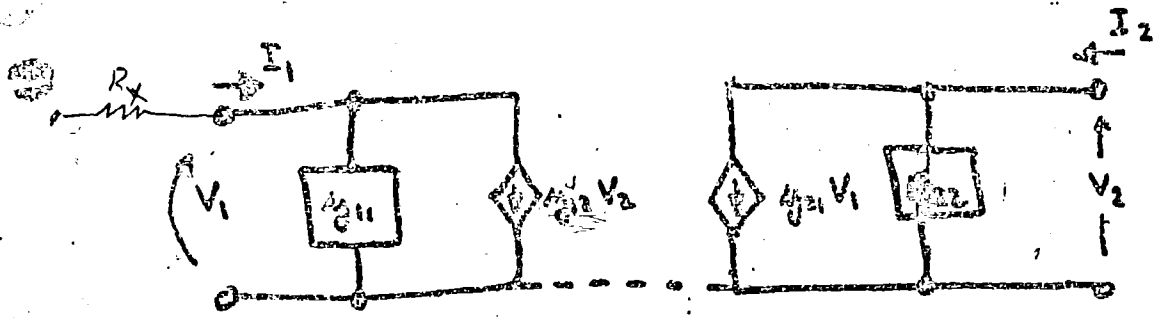
10.4.7.13
EE 363

EQUIVALENT CIRCUITS

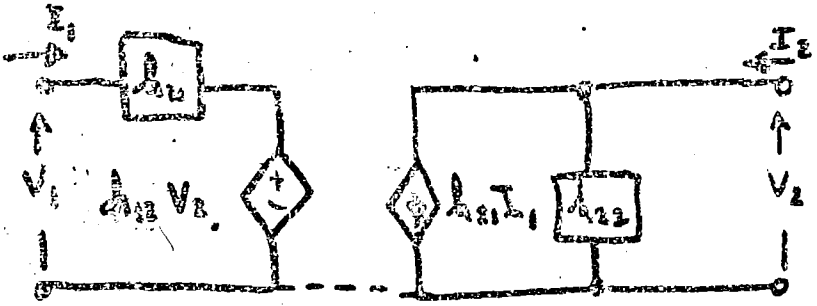
z-parameters



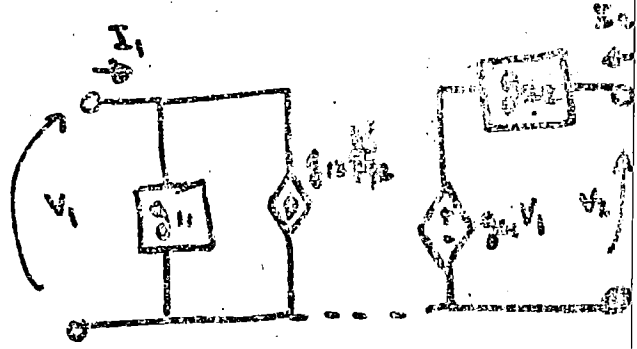
y-parameters



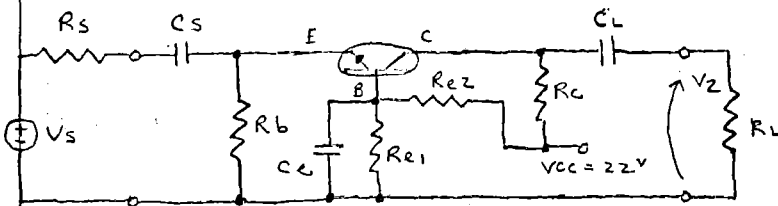
h-parameters



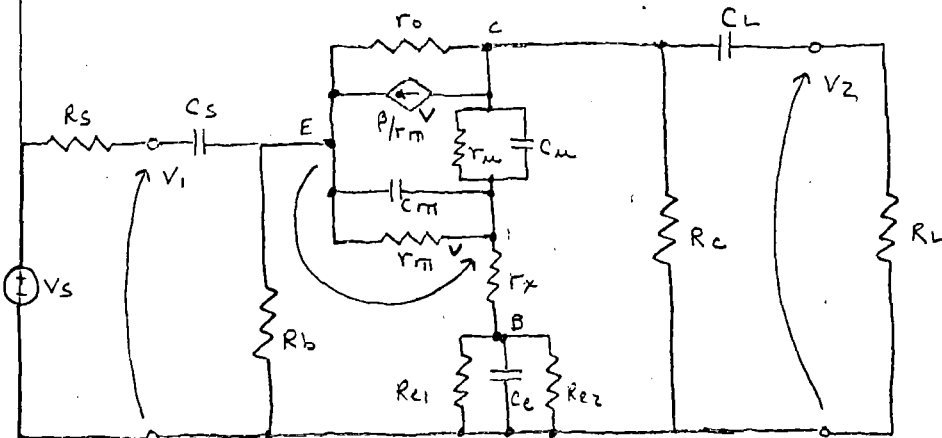
g-parameters



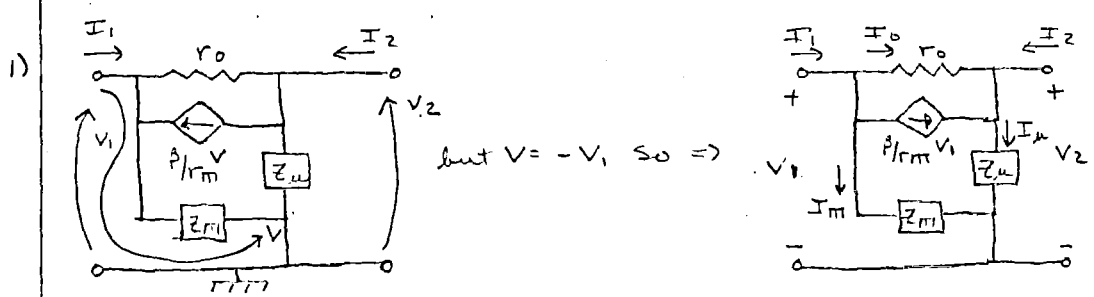
NO EQUIVALENT CIRCUIT EXISTS FOR ABCD AND A'B'C'D,



Small signal - high frequency model



Let $Z_{\mu} = r_{\mu} || C_{\mu}$
 $Z_{\pi} = r_{\pi} || C_{\pi}$



then $\Rightarrow V_2 = I_{\mu} Z_{\mu} \mid V_1 = V_2 + I_o r_o \mid V_1 = I_{\pi} Z_{\pi}$
 $\therefore I_{\mu} = V_2 / Z_{\mu} \mid I_o = \frac{V_1 - V_2}{r_o} \mid I_{\pi} = V_1 / Z_{\pi}$
 and $I_1 = I_o + \beta / r_m V_1 + I_{\pi} \mid I_2 = I_{\mu} - I_o - \beta / r_m V_1$
 $\therefore I_1 = \frac{V_1 - V_2}{r_o} + \beta / r_m V_1 + V_1 / Z_{\pi} \mid I_2 = V_2 / Z_{\mu} + \frac{V_2 - V_1}{r_o} - \beta / r_m V_1$

so \Rightarrow
 $I_1 = V_1 (g_o + \beta g_m + Y_{\pi}) + V_2 (-g_o)$
 $I_2 = V_1 (-g_o - \beta g_m) + V_2 (Y_{\mu} + g_o)$

These are the 2:port network Y parameters for this part

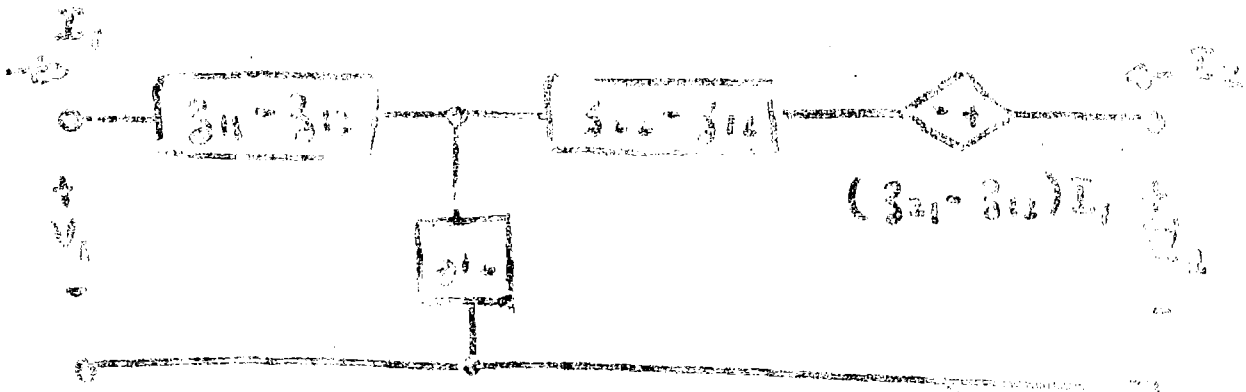
$\gamma \rightarrow Y = \begin{bmatrix} g_o + \beta g_m + Y_{\pi} & -g_o \\ -g_o - \beta g_m & Y_{\mu} + g_o \end{bmatrix} \begin{bmatrix} I_1 \\ I_2 \end{bmatrix} = \begin{bmatrix} Y_{11} & Y_{12} \\ Y_{21} & Y_{22} \end{bmatrix} \begin{bmatrix} V_1 \\ V_2 \end{bmatrix}$

1) $Y \rightarrow Z \rightarrow Z_T$
 $Z_3 = Z_3 + Y_x + Z_C$
 $Z_T \rightarrow Z \rightarrow Y$
 $Y_{11} = Y_{11} + G_B$
 $Y_{22} = Y_{22} + G_C$

$Y \rightarrow Z$
 $Z_{11} = Z_{11} + C_S$
 $Z_{22} = Z_{22} + C_L$
 that's it.

11.11.11

ALTERNATE (T-) FORM OF Z-PARAMETERS



$$V_1 = (Z_{11} - Z_{12}) I_1 + Z_{12} (I_1 + I_2)$$

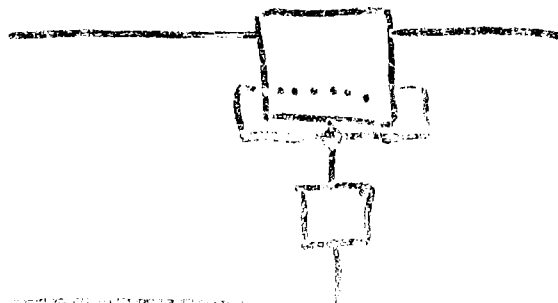
$$V_2 = (Z_{21} - Z_{12}) I_1 + (Z_{22} - Z_{12}) I_2 + Z_{12} (I_1 + I_2)$$

$$V_1 = Z_{11} I_1 + Z_{12} I_2$$

$$V_2 = Z_{21} I_1 + Z_{22} I_2$$

THE USUAL
Z-PARAMETERS
EQUATION.

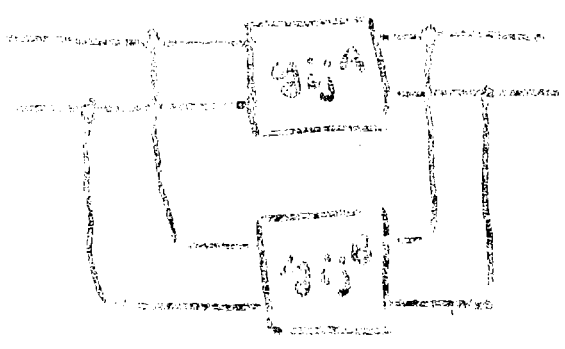
THIS FORM IS USED IF YOU HAVE AN AMPLIFIER
LIKE THIS



EE 303
10.6.21.2

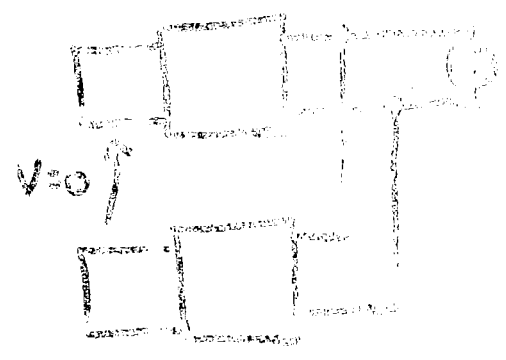
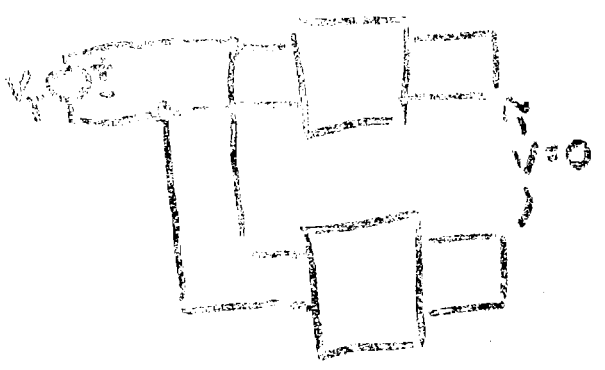
INTERCONNECTIONS OF TWO-PORTS:

Shunt-shunt configuration



$$g_2^T = g_1^A + g_2^A$$

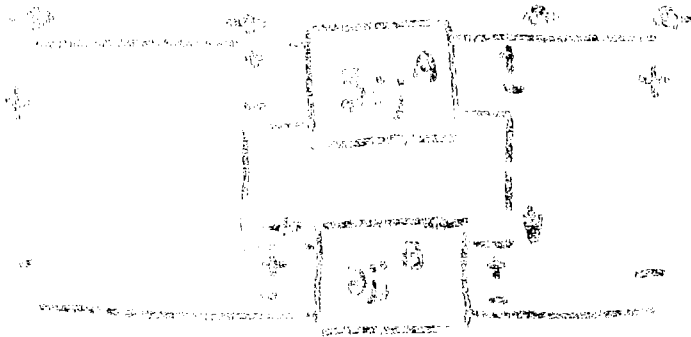
VALIDITY TEST FOR SHUNT-SHUNT CONNECTION



NOTE: IF THE 2 TWO-PORTS HAD COMMON OUTPUT TERMINAL BETWEEN INPUT & OUTPUT, THE TESTS ARE NOT.

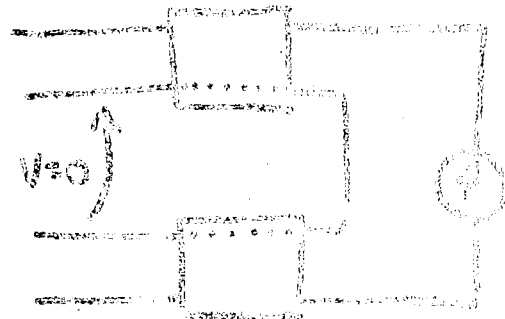
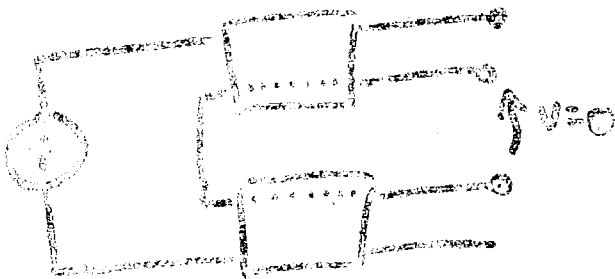
FE 313
 NO. 571.3

Series-series configuration



$$\delta_{ij}^T = \delta_{ij}^A + \delta_{ij}^B$$

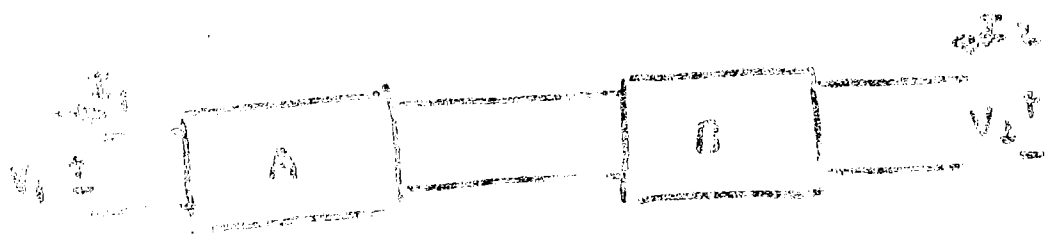
VALIDITY TESTS



COMMON GROUNDS AS SHOWN IN DOTTED LINES
 WILL INSURE TESTS ARE MET.

10.3.1.4

CASCADE CONNECTION



$$[ABCD] = \begin{bmatrix} A^A & B^A \\ C^A & D^A \end{bmatrix} \begin{bmatrix} A^B & B^B \\ C^B & D^B \end{bmatrix}$$

DEFINITIONS OF POWER GAINS

$$A_p = \text{power gain} = \frac{P_o}{P_{in}} = \frac{|V_2|^2 R_{o2}}{|V_1|^2 R_{o1}}$$

Transducer power gain

$$A_{pt} = \frac{P_o}{\text{Power available from source}} = \frac{P_o}{\frac{|V_1|^2}{4 R_{o1}}}$$

Available power gain

$$A_{av} = \frac{\text{Power available from 2-port}}{\text{Power available from source}} = \frac{\frac{|V_1|^2}{4 R_{o1}}}{\frac{|V_1|^2}{4 R_{o1}}}$$

To, \$Y_{in}\$ ARE NORTON'S EQUIVALENT LOADS OF OUTPUT PORT.

EE361
HW1.5

INSERTION POWER GAIN

$$A_{pg} = \frac{P_o}{P_o'}$$

P_o' = power into load without
2-port being used.

$$P_o' = \left| \frac{V_s}{z_s + z_L} \right|^2 \operatorname{Re} \{ z_L \}$$

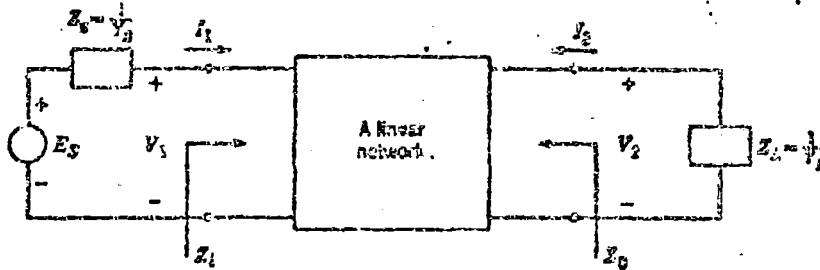


Fig. 3-13

Table 3-5 Gain and Impedance Relations

	$[z_{ij}]$	$[y_{ij}]$	$[z_{ij}]$	$[h_{ij}]$	$\begin{bmatrix} A & B \\ C & D \end{bmatrix}$	$\begin{bmatrix} a & b \\ c & d \end{bmatrix}$
Z_i	$\frac{\Delta_o + z_{22}Z_L}{z_{11} + Z_L}$	$\frac{y_{11} + Y_L}{\Delta_o + y_{11}Y_L}$	$\frac{z_{11} + Z_L}{\Delta_o + y_{11}Z_L}$	$\frac{\Delta_o + h_{11}Y_L}{h_{21} + Y_L}$	$\frac{AZ_L + B}{CZ_L + D}$	$\frac{DZ_L + b}{cZ_L + d}$
Z_o	$\frac{\Delta_o + z_{22}Z_L}{z_{11} + Z_L}$	$\frac{y_{11} + Y_L}{\Delta_o + y_{11}Y_L}$	$\frac{\Delta_o + y_{22}Y_L}{y_{11} + Y_L}$	$\frac{h_{11} + Z_L}{\Delta_o + h_{11}Z_L}$	$\frac{DZ_L + B}{CZ_L + A}$	$\frac{aZ_L + b}{cZ_L + d}$
$A_i = -\frac{I_2}{I_1}$	$\frac{z_{21}}{z_{11} + Z_L}$	$\frac{-y_{21}Y_L}{\Delta_o + y_{11}Y_L}$	$\frac{y_{21}}{\Delta_o + y_{11}Z_L}$	$\frac{-h_{21}Y_L}{h_{21} + Y_L}$	$\frac{1}{D + CZ_L}$	$\frac{c}{c + dZ_L}$
$A_v = \frac{V_2}{V_1}$	$\frac{z_{21}Z_L}{\Delta_o + z_{11}Z_L}$	$\frac{-y_{21}}{y_{11} + Y_L}$	$\frac{y_{21}Z_L}{z_{11} + Z_L}$	$\frac{-h_{21}}{\Delta_o + h_{11}Y_L}$	$\frac{Z_L}{B + AZ_L}$	$\frac{d}{b + dZ_L}$

THIS TABLE GIVES FORMULAS FOR CALCULATING INPUT AND OUT PUT IMPEDANCE AND CURRENT AND VOLTAGE GAINS.

POWER GAIN MAY BE OBTAINED:

$$P_o = |I_2|^2 \operatorname{Re}\{Z_L\}$$

$$P_{in} = |I_1|^2 \operatorname{Re}\{Z_i\}$$

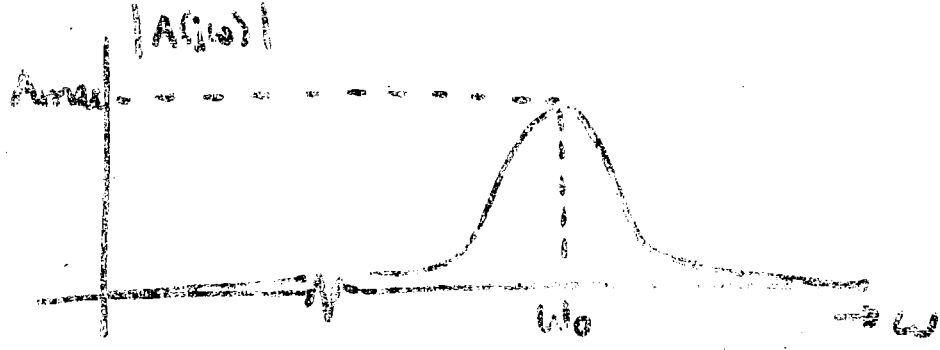
$$A_p = \frac{P_o}{P_{in}} = \frac{|I_2|^2 \operatorname{Re}\{Z_L\}}{|I_1|^2 \operatorname{Re}\{Z_i\}} = |A|^2 \operatorname{Re}\{Z_L\} / \operatorname{Re}\{Z_i\}$$

11.1.11.1

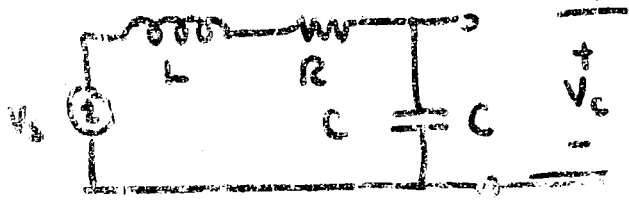
$$\frac{A_{max}}{BW} = \frac{\omega_0}{\sqrt{RC}}$$

$$= \omega_0 RC = Q_0 \text{ OF ANTI-RESONANT Ckt.}$$

The frequency response



Consider: Very practical



$$\frac{V_c}{V_s} = \frac{\frac{1}{sC}}{\frac{1}{sC} + R + sL} = \frac{1}{s^2 LC + RCs + 1}$$

$$= \frac{1}{L^2 C} \frac{1}{s^2 + \frac{R}{L}s + \frac{1}{LC}}$$

EE 221
11.1, 11.2

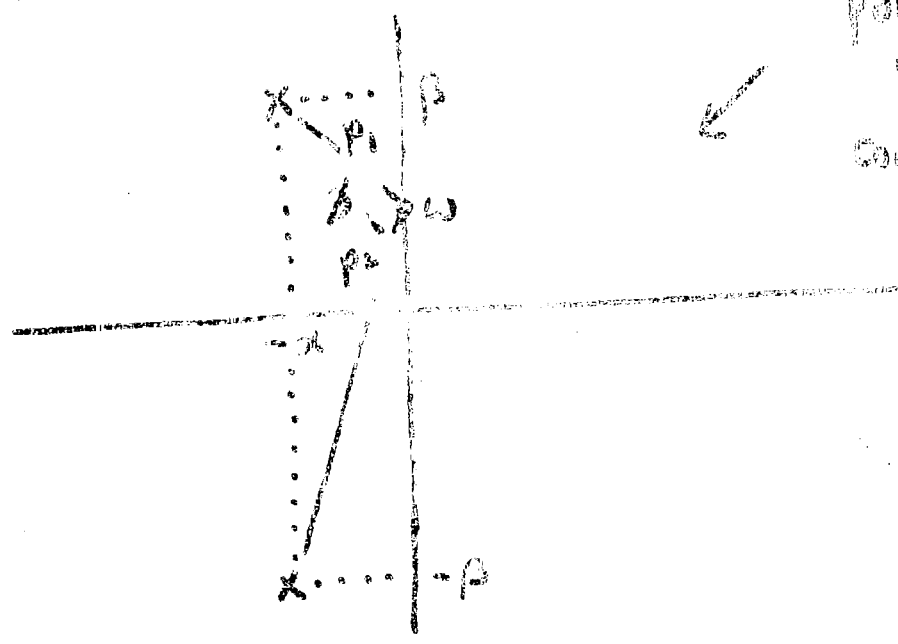
$$A(s) = \omega_0^2$$

$$\frac{1}{s^2 + \frac{R}{L}s + \left(\frac{R}{2L}\right)^2 + \omega_0^2 - \left(\frac{R}{2L}\right)^2}$$

\uparrow
 α

$\beta^2 = \omega_0^2 - \left(\frac{R}{2L}\right)^2$

$$= \omega_0^2 \frac{1}{(s + \alpha)^2 + \beta^2}$$



pole-zero
pattern in
complex conj.
case. i.e.,
 $\omega_0^2 > \left(\frac{R}{2L}\right)^2$

$$|A(j\omega)| = \omega_0^2 \frac{1}{(\rho_1 \rho_2)}$$

The triangle has area = $\frac{1}{2} \rho_1 \rho_2 \sin \phi$
 $= \alpha \beta$

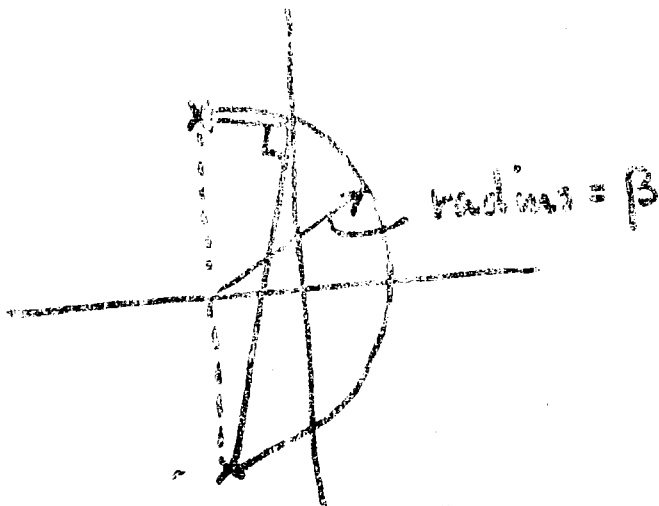
$$\therefore \frac{1}{\rho_1 \rho_2} = \frac{\sin \phi}{2\alpha\beta}$$

108373
11/11/3

$$|A(j\omega)| = \omega_0^2 \frac{\sin \phi}{2\alpha\beta}$$

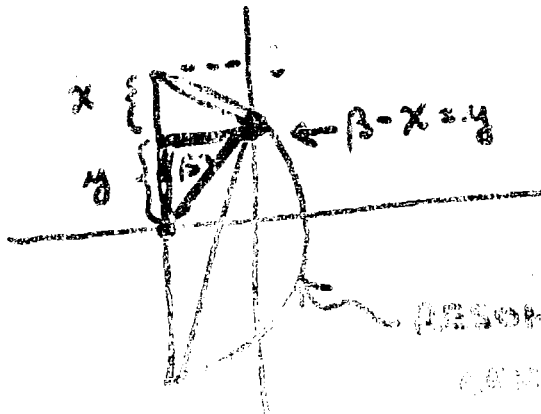
There are many maxima $|A|$ by maximizing $\sin \phi$

$(\sin \phi)_{\max}$ occurs when $\phi = 90^\circ$



$$|A(j\omega)|_{\max} = \boxed{\frac{\omega_0^2}{2\alpha\beta}} \stackrel{?}{=} Q_0 \quad \leftarrow \text{CHECK THIS}$$

Where does this occur?

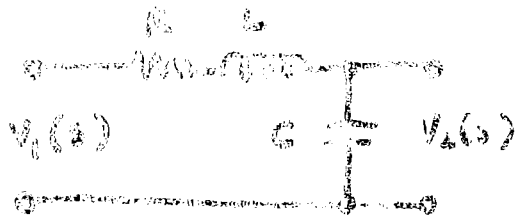


$$\omega_{\max} = \beta - x = y$$

$$\boxed{\omega_{\max} = \sqrt{\beta^2 - \alpha^2}} \\ = \sqrt{\omega_0^2 - 2\alpha^2}$$

RESONANT PEAKING CIRCLE
CENTER AT ω_0
RADIUS = β

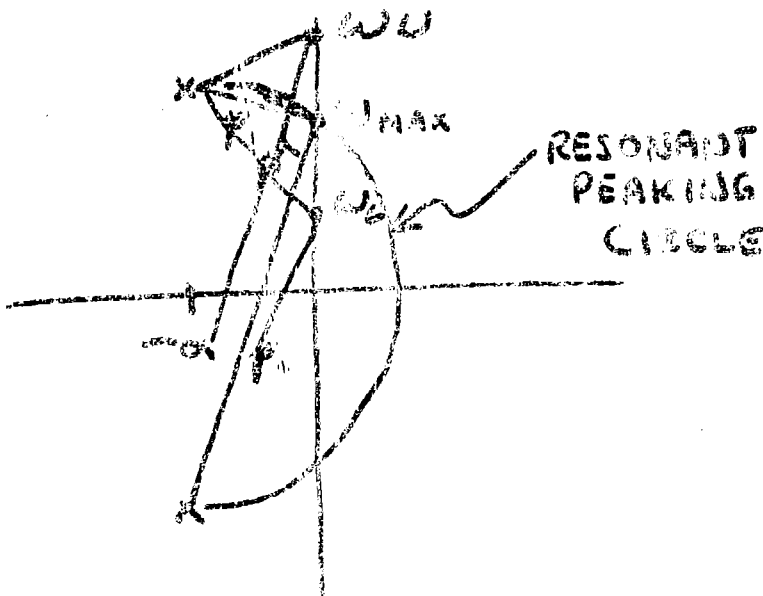
11.1.71.8



$$\frac{V_2(s)}{V_1(s)} = H(s) =$$

$$\frac{\omega_0^2}{(s\alpha)^2 + \beta^2}$$

$$\alpha = \frac{R}{2L} \quad \beta = \sqrt{\omega_0^2 - \alpha^2}$$



$$\omega_{max} = \sqrt{\omega_0^2 - 2\alpha^2}$$

ω_p

START HERE

FIND 1/2 POWER FREQUENCIES.

$$|A(j\omega)| = \frac{\omega_0^2}{2\alpha\beta} \sin \phi$$

ω_0 OCCURS WHEN $\phi = \frac{135^\circ}{170^\circ} \leftarrow$

ω_L " " $\phi = \frac{45^\circ}{30^\circ} \leftarrow$

Example
11.17.15

$$H(s) = \frac{\omega_0^2}{(s+\alpha)^2 + \beta^2} = \frac{\omega_0^2}{s^2 + 2\alpha s + \omega_0^2}$$

$$H(j\omega) = \frac{\omega_0^2}{\omega_0^2 - \omega^2 + j2\alpha\omega}$$

AT THE HALF POWER FREQUENCIES

$$|\omega_0^2 - \omega^2 + j2\alpha\omega|^2 = 2(2\alpha\beta)^2$$

$$(\omega_0^2 - \omega^2)^2 + 4\alpha^2\omega^2 = 8\alpha^2\beta^2$$

$$\omega^4 - 2\omega_0^2\omega^2 + \omega_0^4 + 4\alpha^2\omega^2 - 8\alpha^2\beta^2 = 0$$

$$x = \omega^2$$

$$x^2 + x(4\alpha^2 - 2\omega_0^2) + \omega_0^4 - 8\alpha^2\beta^2 = 0$$

\uparrow
 $\omega_0^2 - \alpha^2$

$$x^2 - 2(\omega_0^2 - 2\alpha^2)x + \omega_0^4 - 8\alpha^2(\omega_0^2 - \alpha^2) = 0$$

$$x^2 - 2(\omega_0^2 - 2\alpha^2)x + \omega_0^4 - 8\alpha^2\omega_0^2 + 8\alpha^4 = 0$$

$$x^2 - 2(\omega_0^2 - 2\alpha^2)x + \omega_0^4 - 4\alpha^2\omega_0^2 + 4\alpha^4 - 4\alpha^2(\omega_0^2 - \alpha^2) = 0$$

$$[x - (\omega_0^2 - 2\alpha^2)]^2 - 4\alpha^2\beta^2 = 0$$

AC
10, 1, 11, 16

$$\omega_0^2 = \omega_{max}^2$$

$$[\omega - \omega_{max}^2] - (2\alpha\beta)^2 = 0$$

$$(\omega^2 - \omega_0^2 = (\omega - \omega_0)(\omega + \omega_0))$$

$$[\omega - \omega_{max}^2 - 2\alpha\beta] \cdot [\omega - \omega_{max}^2 + 2\alpha\beta] = 0$$

∴

$$\omega = \omega_{max}^2 + 2\alpha\beta$$

$$\omega = \omega_{max}^2 - 2\alpha\beta$$

$$\omega_H^2 = \omega_{max}^2 + 2\alpha\beta$$

$$\omega_L^2 = \omega_{max}^2 - 2\alpha\beta$$

SPECIAL CASE, $\beta \gg \alpha$

$$\omega_0 \approx \beta \omega_{max}$$

$$\omega_H^2 \approx \omega_0^2 + 2\alpha\omega_0$$

$$\omega_H \approx \omega_0 \sqrt{1 + \frac{2\alpha}{\omega_0}}$$

$$\omega_L \approx \omega_0 \sqrt{1 - \frac{2\alpha}{\omega_0}}$$

$$\approx \omega_0 \left(1 + \frac{\alpha}{\omega_0}\right) = \omega_0 + \alpha$$

$$\approx \omega_0 \left(1 - \frac{\alpha}{\omega_0}\right) = \omega_0 - \alpha$$

$$BW \approx 2\alpha = 2 \left(\frac{R}{2L}\right) = \boxed{\frac{R}{L}} \text{ - APPROXIMATION}$$

GOOD IN "HIGH Q"
CASE.

Ch. 11.7

Ch. 11.7

Special case of two comp. conj. poles...

called the MAXIMALLY FLAT gain characteristic

$$|A(j\omega)| = \frac{\omega_0^2 \sin\phi}{2\alpha\beta} = A_p \sin\phi$$

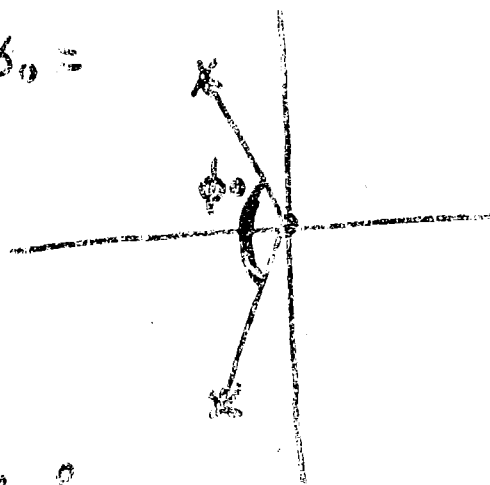
↑ peak gain value

Peak-to-Valley RATIO:

$$\frac{A_p}{A_0} = \frac{1}{\sin\phi_0}$$

$$A_0 = |A(s=0)| \text{ gain at DC}$$

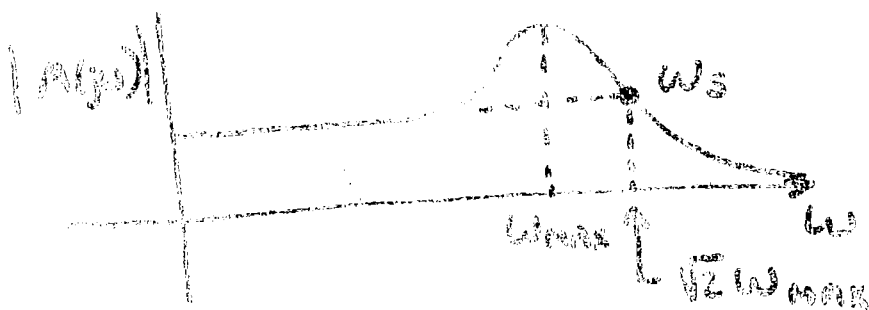
$$\phi_0 =$$



$$\tan \frac{\phi_0}{2} = \frac{\beta}{\alpha}$$

Peak occurs only if

$$\phi_0 > 90^\circ$$



PROB
11.11.9

THESE WILL BE NO RESONANCE, I.E., $\frac{A_2}{A_1} = 1$ IF

$\phi_0 \ll 90^\circ$

$\phi_0 = 90^\circ$

UNDER THESE CONDITIONS, THE AMPLITUDE IS SAID TO BE MAXIMALLY FLAT. (BUTTERWORTH)

$\alpha = \beta$

$\omega_0^2 - \alpha^2 = \alpha^2$

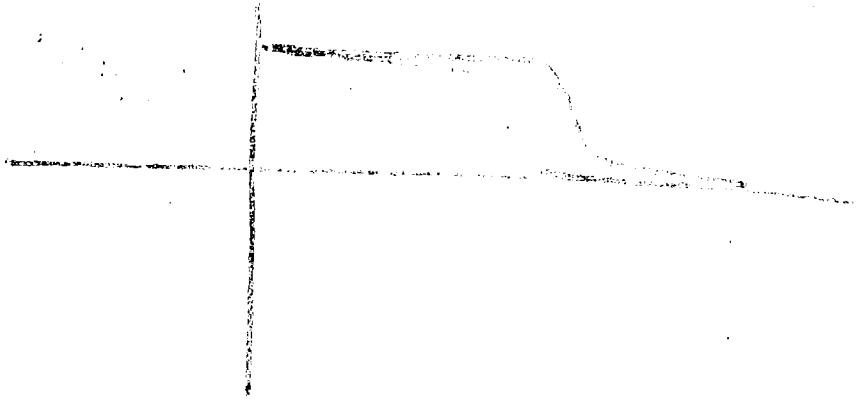
$\omega_0^2 = 2\alpha^2$

$\frac{1}{LC} = 2 \left(\frac{R}{L}\right)^2$

$\frac{1}{LC} = \frac{R^2}{2L^2}$

$L = \frac{1}{2} RC^2$

CONDITIONS FOR MAXIMUM FLAT RESPONSE,



1. The first part of the document discusses the importance of maintaining accurate records of all transactions. This is essential for ensuring the integrity of the financial statements and for providing a clear audit trail. The records should be kept up-to-date and should be easily accessible to all relevant parties.

2. The second part of the document outlines the various methods used to collect and analyze data. These methods include interviews, surveys, and focus groups. Each method has its own strengths and weaknesses, and it is important to choose the most appropriate method for the specific research objectives.

3. The third part of the document describes the process of data analysis. This involves identifying patterns and trends in the data, and then interpreting these findings in the context of the research objectives. It is important to be objective and to avoid drawing conclusions that are not supported by the data.

4. The fourth part of the document discusses the importance of reporting the results of the research. This involves writing a clear and concise report that summarizes the findings and provides recommendations for future action. The report should be written in a way that is easy to understand and that is accessible to all relevant parties.

5. The fifth part of the document discusses the importance of ethical considerations in research. This involves ensuring that the research is conducted in a way that is respectful of the rights and privacy of all participants. It is important to obtain informed consent from all participants and to ensure that the data is kept secure and confidential.

1. The first part of the document is a list of names and addresses.

2. The second part of the document is a list of names and addresses.

3. The third part of the document is a list of names and addresses.

4. The fourth part of the document is a list of names and addresses.

5. The fifth part of the document is a list of names and addresses.

6. The sixth part of the document is a list of names and addresses.

7. The seventh part of the document is a list of names and addresses.

8. The eighth part of the document is a list of names and addresses.

the asymptotically dominant terms

$$|G(j\omega)| \approx \frac{1}{\sqrt{1 + \omega^2}} \approx \frac{1}{\omega} \quad \text{Bandwidth}$$

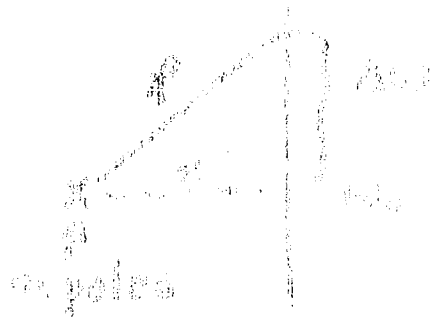
$$\text{Phase} \approx -\tan^{-1}(\omega) \approx -\frac{\pi}{2} \quad \text{Bandwidth}$$

at the corner freq

$$|G(j\omega)| = \frac{1}{\sqrt{2}}$$

$$\phi = -\frac{\pi}{4}$$

$$\omega = 1 \text{ rad/s}$$



at high ω (fast) (any frequency)

at low ω (slow) (any frequency)

(low ω at high ω)

(low ω at high ω)

Bandwidth is defined as

Bandwidth is defined as

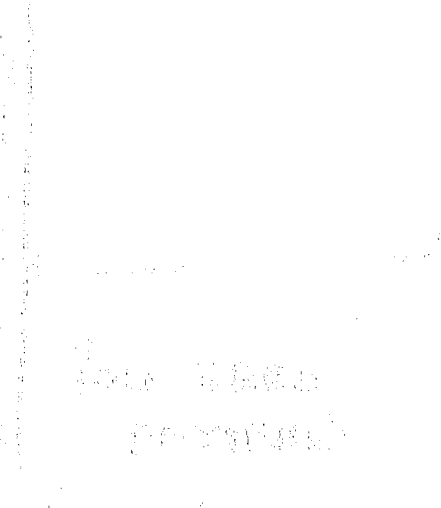
(1) $\frac{1}{2} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$
 $\times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$

(2) $\frac{1}{2} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$
 $\times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$

1	100
2	100
3	100
4	100
5	100
6	100
7	100
8	100
9	100
10	100

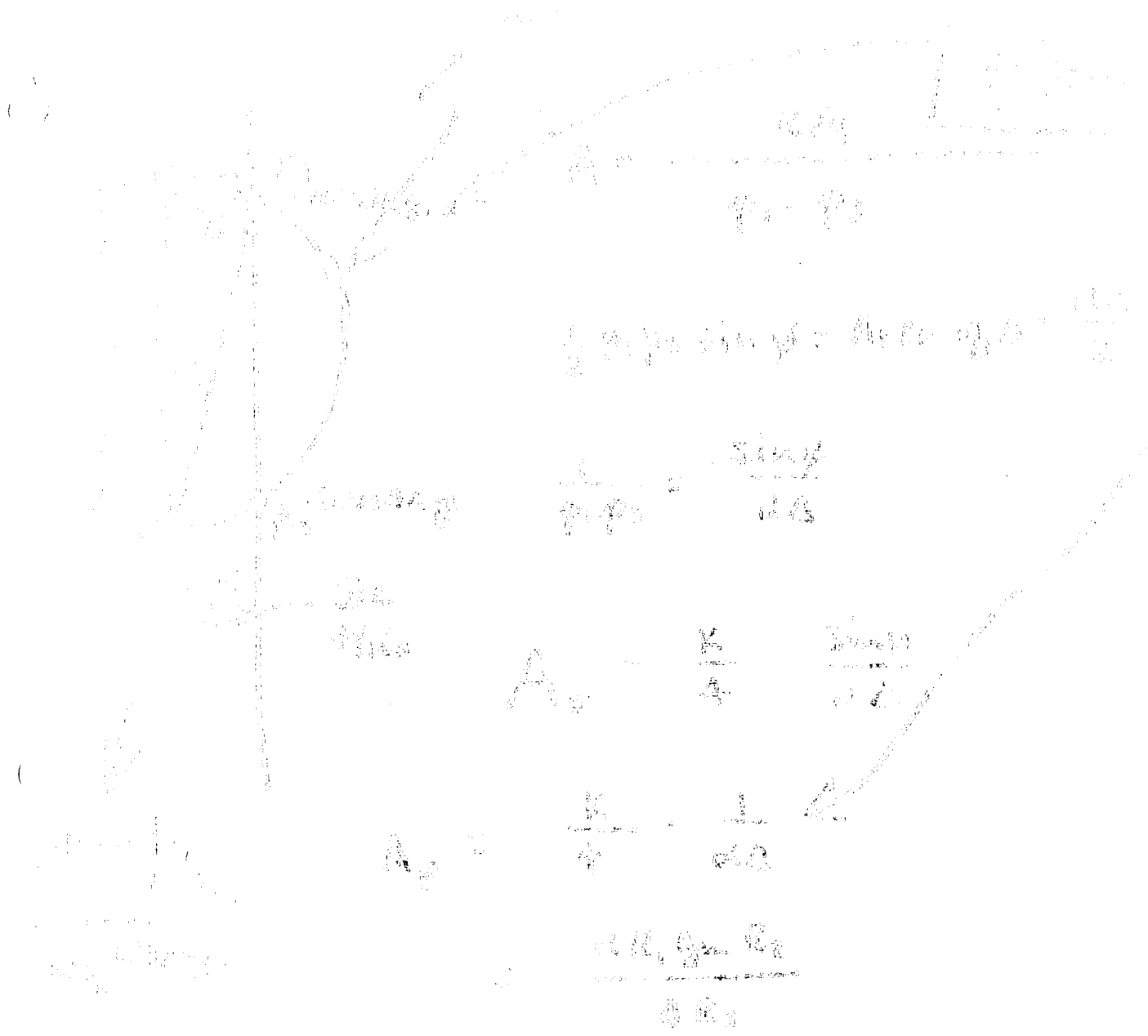


(3) $\frac{1}{2} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$
 $\times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$



(4) $\frac{1}{2} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$
 $\times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$

(5) $\frac{1}{2} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$
 $\times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m} \times 10^{-10} \text{ m}$



The diagram shows a curved structure with various labels and mathematical expressions. The labels include A , A_0 , A_1 , A_2 , A_3 , A_4 , A_5 , A_6 , A_7 , A_8 , A_9 , A_{10} , A_{11} , A_{12} , A_{13} , A_{14} , A_{15} , A_{16} , A_{17} , A_{18} , A_{19} , A_{20} , A_{21} , A_{22} , A_{23} , A_{24} , A_{25} , A_{26} , A_{27} , A_{28} , A_{29} , A_{30} , A_{31} , A_{32} , A_{33} , A_{34} , A_{35} , A_{36} , A_{37} , A_{38} , A_{39} , A_{40} , A_{41} , A_{42} , A_{43} , A_{44} , A_{45} , A_{46} , A_{47} , A_{48} , A_{49} , A_{50} . The mathematical expressions include $p_1 - p_0$, $p_2 - p_1$, $p_3 - p_2$, $p_4 - p_3$, $p_5 - p_4$, $p_6 - p_5$, $p_7 - p_6$, $p_8 - p_7$, $p_9 - p_8$, $p_{10} - p_9$, $p_{11} - p_{10}$, $p_{12} - p_{11}$, $p_{13} - p_{12}$, $p_{14} - p_{13}$, $p_{15} - p_{14}$, $p_{16} - p_{15}$, $p_{17} - p_{16}$, $p_{18} - p_{17}$, $p_{19} - p_{18}$, $p_{20} - p_{19}$, $p_{21} - p_{20}$, $p_{22} - p_{21}$, $p_{23} - p_{22}$, $p_{24} - p_{23}$, $p_{25} - p_{24}$, $p_{26} - p_{25}$, $p_{27} - p_{26}$, $p_{28} - p_{27}$, $p_{29} - p_{28}$, $p_{30} - p_{29}$, $p_{31} - p_{30}$, $p_{32} - p_{31}$, $p_{33} - p_{32}$, $p_{34} - p_{33}$, $p_{35} - p_{34}$, $p_{36} - p_{35}$, $p_{37} - p_{36}$, $p_{38} - p_{37}$, $p_{39} - p_{38}$, $p_{40} - p_{39}$, $p_{41} - p_{40}$, $p_{42} - p_{41}$, $p_{43} - p_{42}$, $p_{44} - p_{43}$, $p_{45} - p_{44}$, $p_{46} - p_{45}$, $p_{47} - p_{46}$, $p_{48} - p_{47}$, $p_{49} - p_{48}$, $p_{50} - p_{49}$. There are also some other mathematical expressions like K/A , $1/A$, dA/dt , dA/ds , dA/dx , dA/dy , dA/dz , dA/dw , dA/dv .



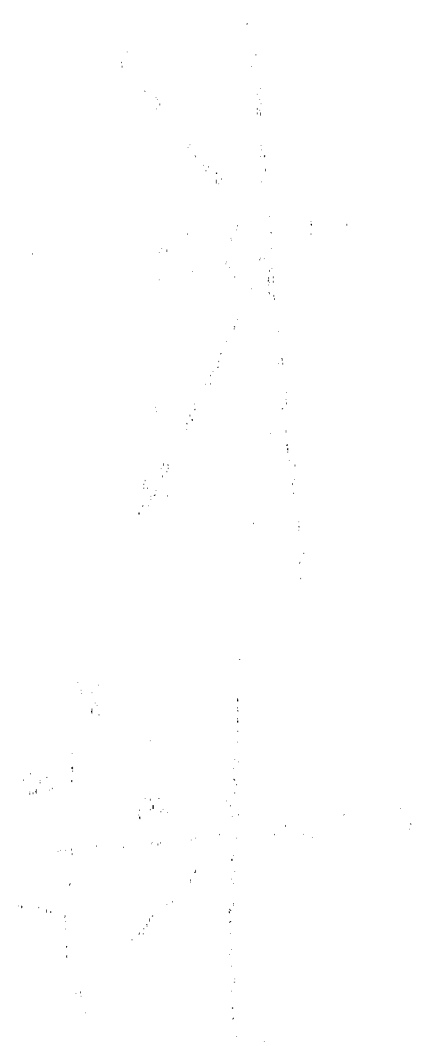
Area of Triangle = $\frac{1}{2} \times \text{base} \times \text{height}$

Area of Triangle = $\frac{1}{2} \times a \times h_a$

Area of Triangle = $\frac{1}{2} \times b \times h_b$

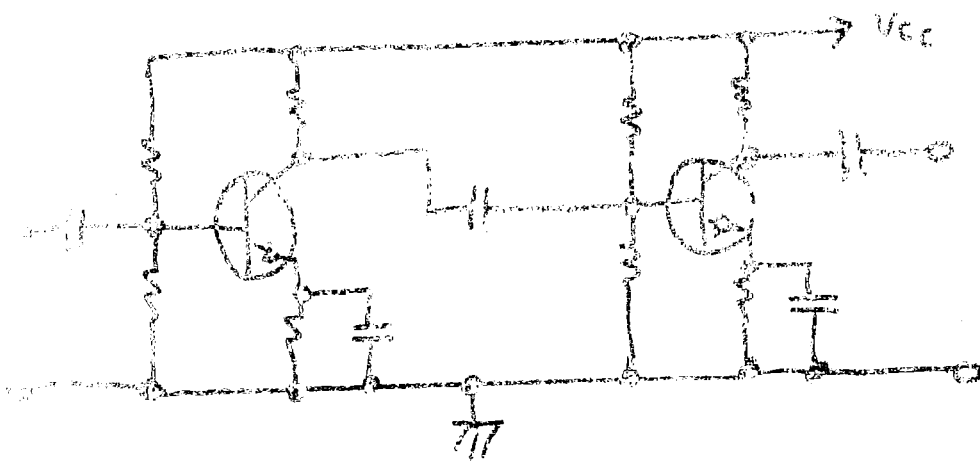
Area of Triangle = $\frac{1}{2} \times c \times h_c$

Area of Triangle = $\frac{1}{2} \times a \times b \times \sin C$



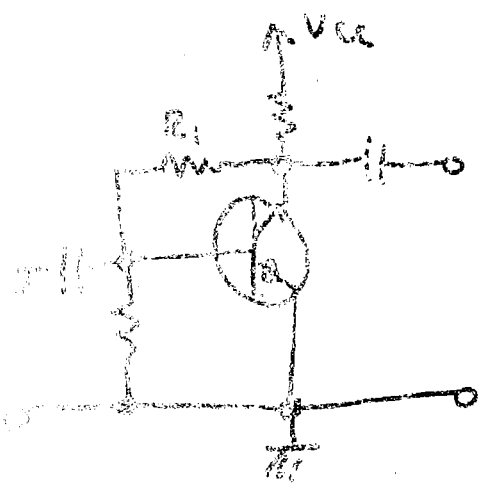
ME 303
11.9.71.1

TWO-STAGE BJT AMPLIFIER, R-C COUPLED

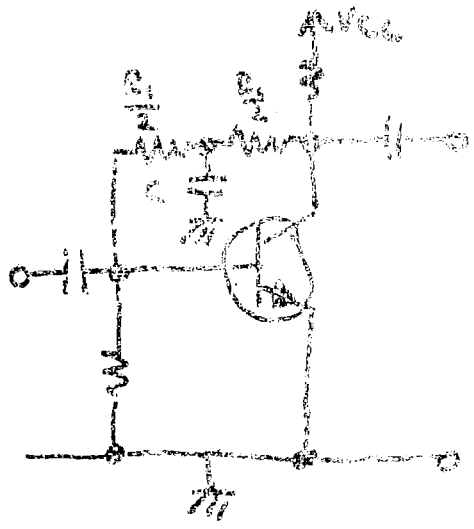


3 COMPONENTS

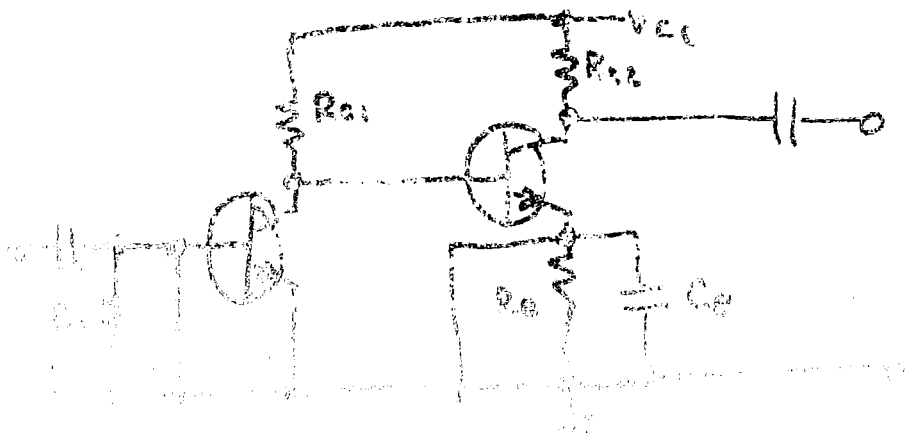
A STAGE MAY BE STABILIZED LIKE THIS



=>



DIRECT COUPLED

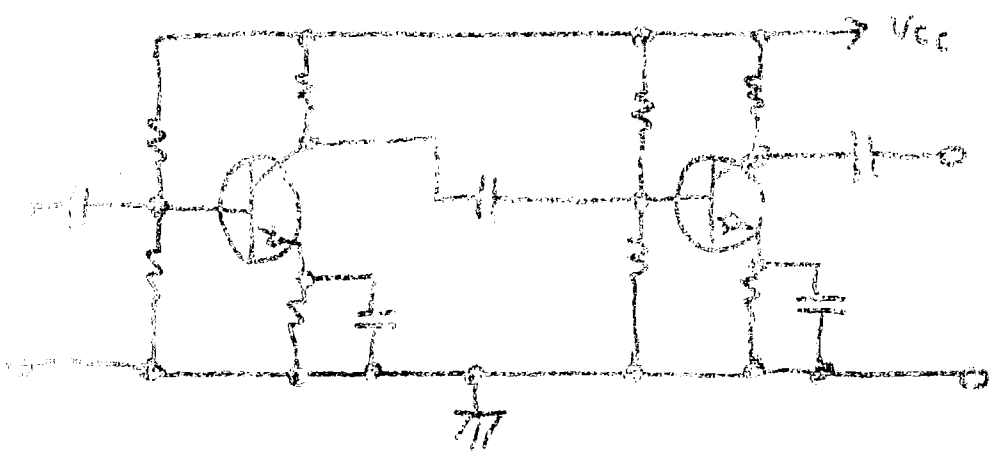


3 COMPONENTS

R_1 may be
variable

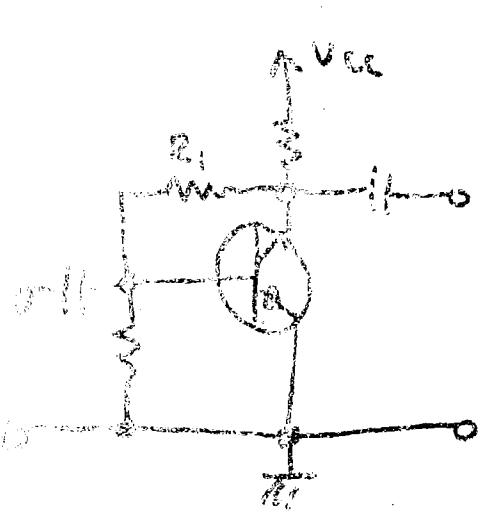
EE 303
11.9.71.1

TWO-STAGE BJT AMPLIFIER, R-C COUPLED

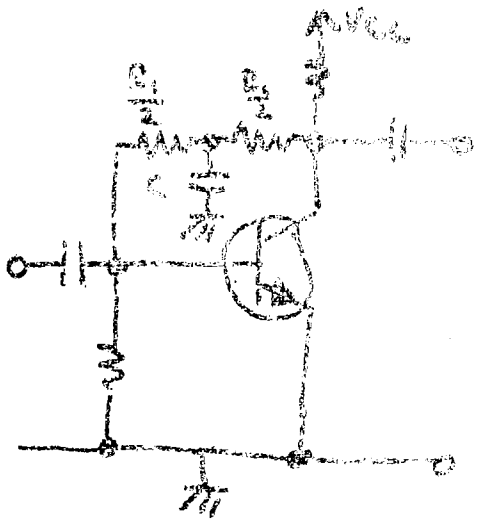


3 COMPONENTS

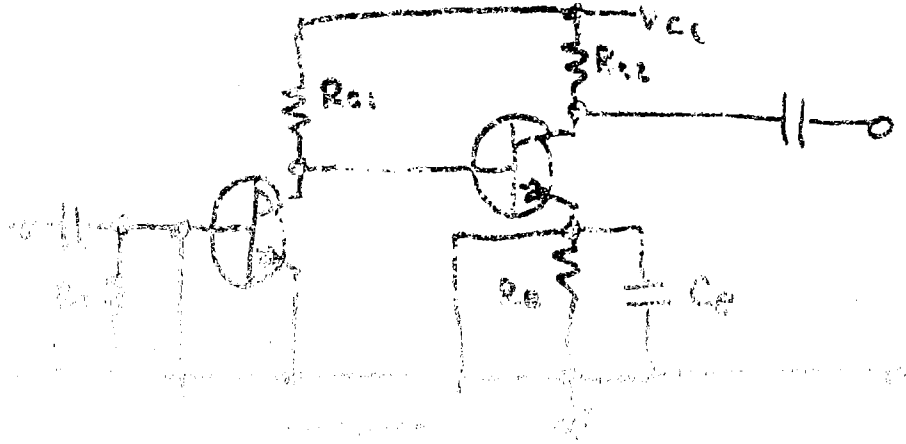
A STAGE MAY BE STABILIZED LIKE THIS



=>



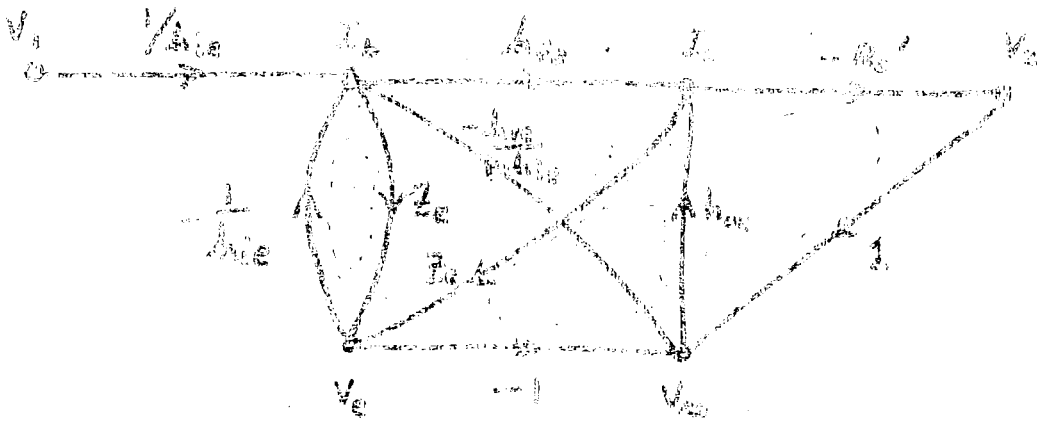
DIRECT COUPLED



3 COMPONENTS

R_1 must be
smaller than

EP303
9.15.71



$$\Delta = 1 + h_{oe} R_c' + \frac{z_e}{h_{ie}} + h_{oe} z_e + \frac{h_{ce} z_e}{h_{ie}} - \frac{h_{ce} h_{re} h_{rc}}{h_{ie}} - \frac{h_{re} h_{rc}}{h_{ie}}$$

$$- \frac{h_{re} z_e}{h_{ie}} + \left(\frac{-z_e}{h_{ie}} \right) \left(\frac{-h_{oe} R_c'}{1} \right)$$

$$\frac{V_1}{V_2} = \frac{1}{\Delta} \left[\frac{-h_{ce} R_c'}{h_{ie}} + \frac{h_{oe} R_c' z_e}{h_{ie}} \right]$$

$$A_v = \frac{h_{oe} R_c' z_e - h_{re} R_c'}{h_{ie} [1 + h_{oe} (z_e + R_c')] + (1 + h_{oe}) z_e - (1 + h_{re}) h_{re} z_e + h_{oe} R_c' z_e - h_{re} R_c' h_{rc}}$$

EE363
9.15.12

Approx. Frequency Response for $\beta_{ac} \gg \beta_{dc}$

$$A_v \approx \frac{-\beta_{ac} R_c}{h_{ie} + (1 + \beta_{ac}) R_e}$$

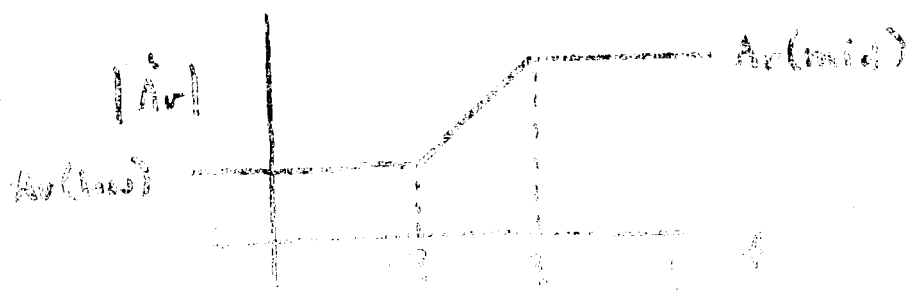
Low Frequency Approx. Gain $\beta_{ac} \gg \beta_{dc}$

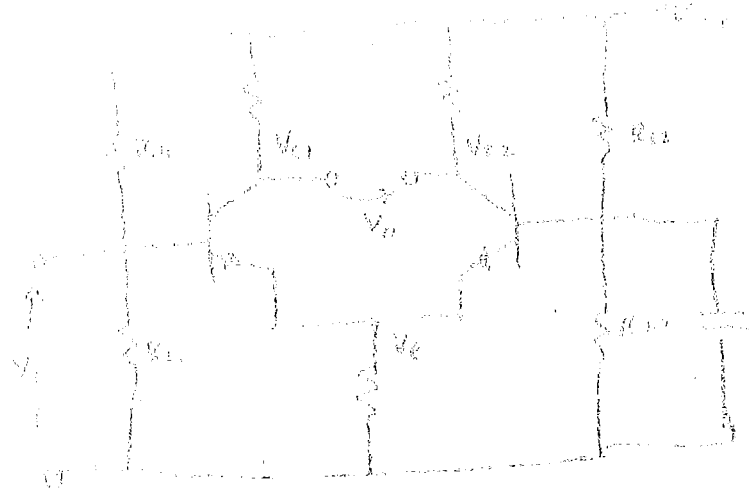
$$A_v(\text{low}) \approx \frac{-\beta_{ac} R_c}{h_{ie} + (1 + \beta_{ac}) R_e}$$

Mid. Freq. Approx. Gain $\beta_{ac} \approx \beta_{dc}$

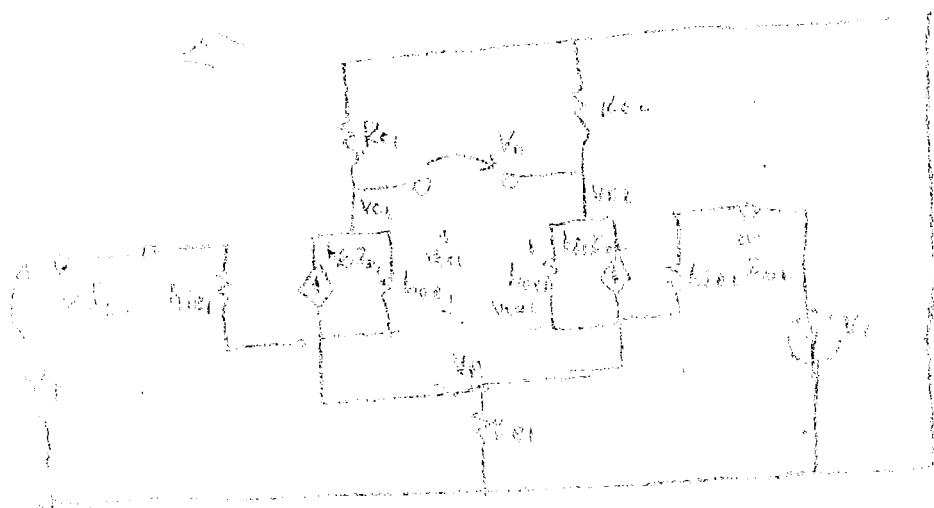
$$A_v(\text{mid}) = \frac{-\beta_{ac} R_c}{h_{ie}}$$

FREQUENCY RESPONSE





Equivalent circuit $I_{sc} = 0$



$$V_{11} = V_{10} - V_1$$

$$V_{12} = V_6 - V_1 - V_2$$

$$V_{13} = V_6 - V_1 - V_3$$

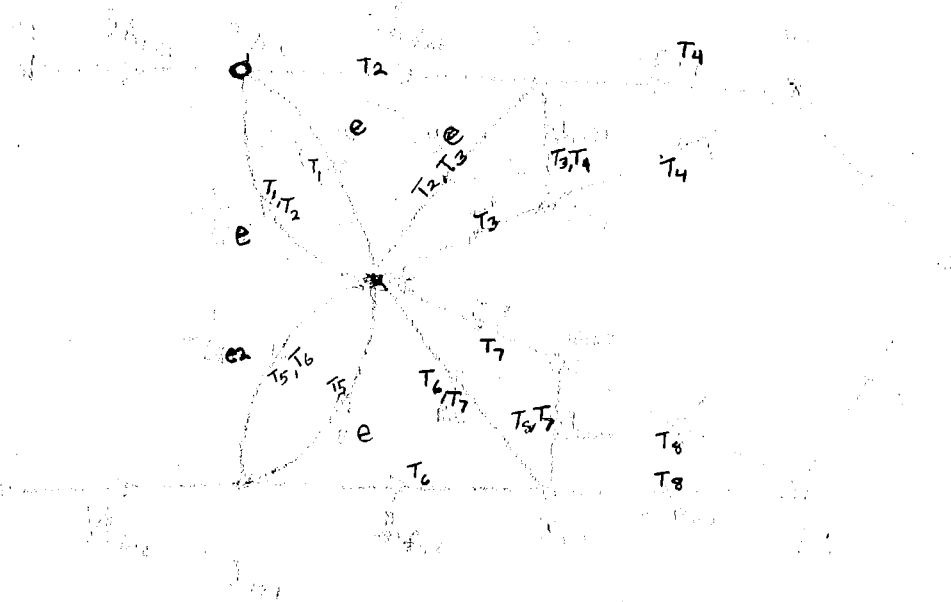
$$V_{14} = V_6 - V_1 - V_4 - V_5 - V_6 - V_7$$

$$V_{15} = V_6 - V_1 - V_4 - V_5 - V_6 - V_7$$

$$I_{11} = \frac{V_{11}}{R_{11}} \quad I_{12} = \frac{V_{12}}{R_{12}}$$

$$I_{sc} = I_{11} + I_{12} + I_{13} + I_{14} + I_{15}$$

$$G(V_1 - V_{cl}) \quad G(V_2)$$



T₁

T₂

T₃

T₄

$$\begin{aligned} V_{cl} &= K & V_{cl} &= A V_1 - B V_2 \\ V_1 & & & A = M' - K \\ V_2 &= M & & B = M \cdot K' \\ V_{cl} &= M' \\ V_1 & & & \\ V_2 & & & \\ V_{cl} &= M' \\ V_1 & & & \end{aligned}$$

T₅

T₆

[Faint handwritten notes and diagrams, including a small schematic with a star and arrows]

[Faint handwritten notes and diagrams at the bottom of the page]

Find from V_2 to V_1

$$G_1 = \left(\frac{1}{h_{12}}\right)(e_1) \left(\frac{1}{h_{21}}\right)(h_{21})(+e_2) \quad \text{at } V_1 \text{ look } V_2$$

$$G_2 = \left(\frac{1}{h_{12}}\right)(e_2)(+)(h_{21})(+e_1) \quad \text{at } V_1 \text{ look } V_2$$

$$G_3 = \left(\frac{1}{h_{21}}\right)(h_{21})(e_1) \left(\frac{1}{h_{12}}\right)(h_{12})(+e_2) \quad \text{at } V_2$$

$$G_4 = \left(\frac{1}{h_{21}}\right)(h_{21})(e_2)(+)(h_{12})(+e_1) \quad \text{at } V_2$$

$$V_{C1} = \frac{\begin{bmatrix} G_1 & G_2 \\ G_3 & G_4 \end{bmatrix} V_1 + \frac{G_3 A_1 + G_4 A_2 + G_1 A_3 + G_2 A_4}{\Delta}}{\Delta}$$

$$V_{C1} = \frac{\frac{h_{21} R_{e1}}{h_{12}} \left[\frac{(h_{21} R_{e2})}{h_{12}} + h_{21} R_{e1} \left(\frac{R_{e1}}{h_{12}} \right) + h_{21} R_{e2} \right] + \frac{h_{21} R_{e1} h_{12}}{h_{12}}}{\Delta}$$

$$\frac{h_{21} R_{e1}}{h_{12}} (1 + h_{21} R_{e1}) + \frac{h_{21} R_{e1} h_{12}}{h_{12}} \left(\frac{h_{21} R_{e2}}{h_{12}} + h_{21} R_{e1} \right) + \frac{h_{21} R_{e1} h_{12}}{h_{12}}$$

$$V_{C1} = T_1 V_1 + T_2 V_2$$

BOB MARKS
(ORIGINAL)

MACE
OPERATING SYSTEM
VERSION 4.1
JOB ORIGIN - EXPORT/IMPORT

X	X	RRRRRRRRRR	RRRRRRRRRR	JJ	MM	MM	99999999	000000							
XX	XX	RRRRRRRRRR	RRRRRRRRRR	JJ	MMM	MMM	9999999999	00000000							
XX	XX	RR	RR	RR	RR	RR	JJ	MMMM	MMMM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	MM	MM	99	99	00	00
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MMMM	MM	99	99	00	00	
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	MM	99	99	00	00	
XXXX		RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX		RRRRRRRRRR	RRRRRRRRRR	JJ	MM	MM	9999999999	00	00						
XX		RRRRRRRRRR	RRRRRRRRRR	JJ	MM	MM	9999999999	00	00						
XXXX		RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
XX	XX	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		
X	X	RR	RR	RR	RR	RR	JJ	MM	MM	99	99	00	00		

=====

Tally
1/14 ✓

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PROGRAM TRAMP(INPUT,OUTPUT,TAPE2=INPUT,TAPE5=OUTPUT)
000002 DIMENSION SAM(2,7)
000002 WRITE (5,30)
000006 READ(2,10)VO,B1,B2,VCCEMIN,XIC1,XIC2,XK,VCC
C SAM (MIN) B1,VCC1,VO1,R11,R21,RE1,RC1
C (MAX) B2,VCC2,VO2,R12,R22,RE2,RC2
000032 READ(2,11)((SAM(I,J),I=1,2),J=1,3)
C WILL READ ALL NON-RESISTIVE VALUES INTO SAM
000045 CALL DESIGN(VCC,B1,B2,VCCEMIN,XIC1,XIC2,VO,XK,R1,R2,RC,RE,SE1,SE2,
2XN,RE)
C DESIGN COMPUTES VALUES OF THE FOUR BIAS RESISTORS IN A COMMON-EMITTER
C TRANSISTOR AMPLIFIER

```

$AAA = XIC1$
 $BBB = XIC2$
 $XIC1 = 2.09$
 $XIC2 = 3.1$

$XIC1 = AAA$
 $XIC2 = BBB$

```

000065 WRITE(5,90) R1,R2,RC,RE
C FILLING IN THE REST OF SAM
C STDVAL COMPUTES CLOSEST STANDARD 10 PER CENT RESISTOR
000101 SAM(1,4)=STDVAL(R1)*0.9
000104 SAM(1,5)=STDVAL(R2)*0.9
000107 SAM(1,6)=STDVAL(RE)*0.9
000112 SAM(1,7)=STDVAL(RC)*0.9
000115 SAM(2,4)=STDVAL(R1)*1.1
000120 SAM(2,5)=STDVAL(R2)*1.1
000123 SAM(2,6)=STDVAL(RE)*1.1
000126 SAM(2,7)=STDVAL(RC)*1.1
000131 XICEO=0.0
C DO LOOPS COMBINE SAM INTO 128 SETS OF INPUT PARAMETERS FOR ANALYZ

```

$NOUT = 0$
 $ICMX = 0$
 $ICMN = 0$
 $NVCE = 0$

```

000133 DO 12 I1=1,2
000134 B=SAM(I1,1)
000136 DO 12 I2=1,2
000137 VCC=SAM(I2,2)
000141 DO 12 I3=1,2
000142 VO=SAM(I3,3)
000144 DO 12 I4=1,2
000145 RI=SAM(I4,4)
000147 DO 12 I5=1,2
000150 R2=SAM(I5,5)
000152 DO 12 I6=1,2
000153 RE=SAM(I6,6)
000155 DO 12 I7=1,2
000156 RC=SAM(I7,7)
C ANALYZ CALCULATES QUIESCENT OPERATING POINT FOR COMMON EMITTER
C TRANSISTOR AMPLIFIER

```

$IF(XIC - XIC1) 400, 300, 301$
 $301 IF(XIC - XIC2) 300, 300, 302$
 $300 IF(VCE - VCCEMIN) 303, 303, 12, 12$

```

000160 CALL ANALYZ(VCC,B,R1,R2,RC,RE,VO,XICEO,XIC,VCE,RE,XN,SE,VBB)
000175 WRITE(5,99)I1,I2,I3,I4,I5,I6,I7,XIC,VCE,XN,SE
000227 12 CONTINUE
000245 10 FORMAT(8F7.3)
000245 11 FORMAT(6F10.4)
000245 30 FORMAT(' ROBERT J. MARKS II--EE363=1',/,/)
000245 90 FORMAT(2X,'R1=',F10.4,2X,'R2=',F10.4,2X,'RC=',F10.4,2X,'RE=',F10.4,
2,/)
000245 99 FORMAT(' B',I1,X,'VCC',I1,X,'VO',I1,X,'R1',I1,X,'R2',I1,X,'RE',I
M1,X,'RC',I1,4X,'IC=',F10.7,4X,'VCE=',F10.7,4X,'N=',F10.7,
Y4X,'SE=',F10.7)
000245 STOP
000247 END

```

$400 ICMN = ICMN + 1$
 $GO TO 401$
 $302 ICMX = ICMX + 1$
 $GO TO 401$
 $303 NVCE = NVCE + 1$
 $401 NOUT = NOUT + 1$

PROGRAM LENGTH INCLUDING I/O BUFFERS
002477

WRITE(5,100) NOUT, ICMX, ICMN, NVCE

100 Format(///, ' AMPLIFIER,
OUT, OF, TOLERANCE, IN, I3,
CASES, CAUSED, BV'

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'AFC₁MAX', I3, 'TIMES'
'AFC₁MIN', I3, 'TIMES'
'AVCE₁MIN', I3, 'TIMES'/'1')

LOAD MAP. 09/23/71. 11.32.00. PAGE 1

FL REQUIRED TO LOAD 16700
FL REQUIRED TO RUN 11100
INITIAL TRANSFER TO TRAMP - 103

BLOCK ASSIGNMENTS.

BLOCK	ADDRESS	LENGTH	FILE
TRAMP	102	2477	LGO
STDVAL	2601	173	LGO
ANALYZ	2774	103	LGO
DESIGN	3077	112	LGO
ALNLOG	3211	67	SYSLIB
INPUTC	3300	102	SYSLIB
KODER	3402	1247	SYSLIB
KRAKER	4651	1174	SYSLIB
/SCOPE2/	6045	0	
SYSTEM	6045	1076	SYSLIB
SIO\$	7143	1425	SYSLIB
OUTPTC	10570	72	SYSLIB
RBAIEX	10662	41	SYSLIB
SQRT	10723	43	SYSLIB
GETBA	10766	17	SYSLIB

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B2 VCC2 VO2 R11 R22 RE2 RC1	IC= 3.4179144	VCE= 6.0080169	N= 8.2819098	SE= .1149012
B2 VCC2 VO2 R11 R22 RE2 RC2	IC= 3.4179144	VCE= 2.7951773	N= 8.2819098	SE= .1149012
B2 VCC2 VO2 R12 R21 RE1 RC1	IC= 3.4678577	VCE= 6.5669490	N= 7.0743813	SE= .1191845
B2 VCC2 VO2 R12 R21 RE1 RC2	IC= 3.4678577	VCE= 3.3071628	N= 7.0743813	SE= .1191845
B2 VCC2 VO2 R12 R21 RE2 RC1	-IC= 2.8978131	VCE= 8.8980117	N= 7.0743813	SE= .1004108
B2 VCC2 VO2 R12 R21 RE2 RC2	-IC= 2.8978131	VCE= 6.1740674	N= 7.0743813	SE= .1004108
B2 VCC2 VO2 R12 R22 RE1 RC1	IC= 4.0773514	VCE= 3.3272466	N= 8.2819098	SE= .1361098
B2 VCC2 VO2 R12 R22 RE1 RC2	IC= 4.0773514	VCE= -.5054637	N= 8.2819098	SE= .1361098
B2 VCC2 VO2 R12 R22 RE2 RC1	IC= 3.4179144	VCE= 6.0080169	N= 8.2819098	SE= .1149012
B2 VCC2 VO2 R12 R22 RE2 RC2	IC= 3.4179144	VCE= 2.7951773	N= 8.2819098	SE= .1149012

XRRJM90. 09/23/71.PURDUE MACE 71/09/12.

11.31.54.XRRJM, 41031,STUDENT,P10,T10,CM70000.
 11.31.54.COMMENT. \$RJM 8069 ROBERT J. MARKS II PU
 11.31.54.RDUE
 11.31.54.MAP(PART)
 11.31.54.FUN(S)
 11.31.55. CTIME 000.469 SEC. FUN MOD LEVEL 60F
 11.31.55.PFILES(GET,SADIST)
 11.31.57. DONE
 11.31.57.REWIND(SADIST)
 11.31.57.FUN(,,,SADIST)
 11.31.59. CTIME 000.539 SEC. FUN MOD LEVEL 60F
 11.31.59.LGO
 11.31.59.LGO.
 11.32.00.CX 1.834 SEC., NL 11100 WORDS
 11.32.02.STOP
 11.32.02.CP 2.742 SEC., IO 449 UNITS.
 11.32.02.LINES 224
 11.32.02.CM 2.761 MWD-SEC., FL 11100 WORDS

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$V_0 = 1$
 $\beta_1 = 25$
 $\beta_2 = 500$
 $V_{CEMIN} = 6$
 $X_{IC1} = 2.7$
 $X_{IC2} = 3.3$
 $X_K = .5$
 $V_{CC} = 25$

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PROGRAM TRAMP(INPUT,OUTPUT,TAPE2=INPUT,TAPE5=OUTPUT)

000002 DIMENSION SAM(2,7)

000002 WRITE (5,30)

000006 READ(2,10)VO,B1,B2,VCEMIN,XIC1,XIC2,XK,VCC

C SAM (MIN) B1,VCC1,VO1,R11,R21,RE1,RC1

C (MAX) B2,VCC2,VO2,R12,R22,RE2,RC2

000032 READ(2,11)((SAM(I,J),I=1,2),J=1,3)

C WILL READ ALL NON-RESISTIVE VALUES INTO SAM

000045 AAA=XIC1

000046 BBB=XIC2

000050 XIC1=2.9

000051 XIC2=3.1

000052 CALL DESIGN(VCC,B1,B2,VCEMIN,XIC1,XIC2,VO,XK,R1,R2,RC,RE,SE1,SE2,

2XN,RB)

C DESIGN COMPUTES VALUES OF THE FOUR BIAS RESISTORS IN A COMMON-EMITTER

C TRANSISTOR AMPLIFIER

000072 XIC1=AAA

000073 XIC2=BBB

000075 WRITE(5,90) R1,R2,RC,RE

C FILLING IN THE REST OF SAM

C STDVAL COMPUTES CLOSEST STANDARD 10 PER CENT RESISTOR

000111 SAM(1,4)=STDVAL(R1)*0.9

000114 SAM(1,5)=STDVAL(R2)*0.9

000117 SAM(1,6)=STDVAL(RE)*0.9

000122 SAM(1,7)=STDVAL(RC)*0.9

000125 SAM(2,4)=STDVAL(R1)*1.1

000130 SAM(2,5)=STDVAL(R2)*1.1

000133 SAM(2,6)=STDVAL(RE)*1.1

000136 SAM(2,7)=STDVAL(RC)*1.1

000142 XICE0=0.0

000142 NOUT=0

000143 ICMN=0

000144 ICMN=0

000144 NVCE=0

C DO LOOPS COMBINE SAM INTO 128 SETS OF INPUT PARAMETERS FOR ANALYZ

000145 DO 12 I1=1,2

000147 B=SAM(I1,1)

000151 DO 12 I2=1,2

000152 VCC=SAM(I2,2)

000154 DO 12 I3=1,2

000155 VO=SAM(I3,3)

000157 DO 12 I4=1,2

000160 RI=SAM(I4,4)

000162 DO 12 I5=1,2

000163 R2=SAM(I5,5)

000165 DO 12 I6=1,2

000166 RE=SAM(I6,6)

000170 DO 12 I7=1,2

000171 RC=SAM(I7,7)

C ANALYZ CALCULATES QUIESCENT OPERATING POINT FOR COMMON EMITTER

C TRANSISTOR AMPLIFIER

12 000173 CALL ANALYZ(VCC,B,R1,R2,RC,RE,VO,XICE0,XIC,VCE,RB,XN,SE,VBB)

11 000210 IF(XIC-XIC1)400,300,301

10 000213 301 IF(XIC-XIC2)300,300,302

9 000216 300 IF (VCE-VCEMIN)303,12,12

000221 400 ICMN=ICMN+1

7 000223 GO TO 401

6 000223 302 ICMX=ICMX+1

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B1	VCC2	VO1	R12	R21	RE2	RC2	IC= 2.3560083	VCE=10.1759959	N= 5.2527315	SE= .0624635
B1	VCC2	VO1	R12	R22	RE1	RC1	IC= 3.4735931	VCE= 7.1179427	N= 6.2309028	SE= .0805430
B1	VCC2	VO1	R12	R22	RE1	RC2	IC= 3.4735931	VCE= 3.8527652	N= 6.2309028	SE= .0805430
B1	VCC2	VO2	R11	R21	RE2	RC1	IC= 2.3133930	VCE=12.6187208	N= 4.8775364	SE= .0624635
B1	VCC2	VO2	R11	R21	RE2	RC2	IC= 2.3133930	VCE=10.4441314	N= 4.8775364	SE= .0624635
B1	VCC2	VO2	R11	R22	RE1	RC1	IC= 3.4225121	VCE= 7.3809075	N= 5.7858383	SE= .0805430
B1	VCC2	VO2	R11	R22	RE1	RC2	IC= 3.4225121	VCE= 4.1637460	N= 5.7858383	SE= .0805430
B1	VCC2	VO2	R12	R21	RE2	RC1	IC= 2.3133930	VCE=12.6187208	N= 4.8775364	SE= .0624635
B1	VCC2	VO2	R12	R21	RE2	RC2	IC= 2.3133930	VCE=10.4441314	N= 4.8775364	SE= .0624635
B1	VCC2	VO2	R12	R22	RE1	RC1	IC= 3.4225121	VCE= 7.3809075	N= 5.7858383	SE= .0805430
B1	VCC2	VO2	R12	R22	RE1	RC2	IC= 3.4225121	VCE= 4.1637460	N= 5.7858383	SE= .0805430
B2	VCC1	VO1	R11	R21	RE2	RC1	IC= 2.3730120	VCE=11.3466254	N= 5.0426223	SE= .0066184
B2	VCC1	VO1	R11	R21	RE2	RC2	IC= 2.3730120	VCE= 9.1159941	N= 5.0426223	SE= .0066184
B2	VCC1	VO1	R11	R22	RE1	RC1	IC= 3.5666273	VCE= 5.6967820	N= 5.9816667	SE= .0086838
B2	VCC1	VO1	R11	R22	RE1	RC2	IC= 3.5666273	VCE= 2.3441523	N= 5.9816667	SE= .0086838
B2	VCC1	VO1	R11	R22	RE2	RC2	IC= 2.9217094	VCE= 5.6744543	N= 5.9816667	SE= .0074745
B2	VCC1	VO1	R12	R21	RE2	RC1	IC= 2.3730120	VCE=11.3466254	N= 5.0426223	SE= .0066184
B2	VCC1	VO1	R12	R21	RE2	RC2	IC= 2.3730120	VCE= 9.1159941	N= 5.0426223	SE= .0066184
B2	VCC1	VO1	R12	R22	RE1	RC1	IC= 3.5666273	VCE= 5.6967820	N= 5.9816667	SE= .0086838
B2	VCC1	VO1	R12	R22	RE1	RC2	IC= 3.5666273	VCE= 2.3441523	N= 5.9816667	SE= .0086838
B2	VCC1	VO1	R12	R22	RE2	RC2	IC= 2.9217094	VCE= 5.6744543	N= 5.9816667	SE= .0074745
B2	VCC1	VO2	R11	R21	RE2	RC1	IC= 2.3278583	VCE=11.5873940	N= 4.6824350	SE= .0066184
B2	VCC1	VO2	R11	R21	RE2	RC2	IC= 2.3278583	VCE= 9.3992071	N= 4.6824350	SE= .0066184
B2	VCC1	VO2	R11	R22	RE1	RC1	IC= 3.5115542	VCE= 5.9794062	N= 5.5544048	SE= .0086838
B2	VCC1	VO2	R11	R22	RE1	RC2	IC= 3.5115542	VCE= 2.6785453	N= 5.5544048	SE= .0086838
B2	VCC1	VO2	R11	R22	RE2	RC2	IC= 2.8765946	VCE= 5.9574234	N= 5.5544048	SE= .0074745
B2	VCC1	VO2	R12	R21	RE2	RC1	IC= 2.3278583	VCE=11.5873940	N= 4.6824350	SE= .0066184
B2	VCC1	VO2	R12	R21	RE2	RC2	IC= 2.3278583	VCE= 9.3992071	N= 4.6824350	SE= .0066184
B2	VCC1	VO2	R12	R22	RE1	RC1	IC= 3.5115542	VCE= 5.9794062	N= 5.5544048	SE= .0086838
B2	VCC1	VO2	R12	R22	RE1	RC2	IC= 3.5115542	VCE= 2.6785453	N= 5.5544048	SE= .0086838
B2	VCC1	VO2	R12	R22	RE2	RC2	IC= 2.8765946	VCE= 5.9574234	N= 5.5544048	SE= .0074745
B2	VCC2	VO1	R11	R21	RE2	RC1	IC= 2.4963458	VCE=11.6889851	N= 5.2527315	SE= .0066184
B2	VCC2	VO1	R11	R21	RE2	RC2	IC= 2.4963458	VCE= 9.3424201	N= 5.2527315	SE= .0066184
B2	VCC2	VO1	R11	R22	RE1	RC1	IC= 3.7450681	VCE= 5.7810598	N= 6.2309028	SE= .0086838
B2	VCC2	VO1	R11	R22	RE1	RC2	IC= 3.7450681	VCE= 2.2606958	N= 6.2309028	SE= .0086838
B2	VCC2	VO1	R11	R22	RE2	RC2	IC= 3.0678845	VCE= 5.7576151	N= 6.2309028	SE= .0074745
B2	VCC2	VO1	R12	R21	RE2	RC1	IC= 2.4963458	VCE=11.6889851	N= 5.2527315	SE= .0066184
B2	VCC2	VO1	R12	R21	RE2	RC2	IC= 2.4963458	VCE= 9.3424201	N= 5.2527315	SE= .0066184
B2	VCC2	VO1	R12	R22	RE1	RC1	IC= 3.7450681	VCE= 5.7810598	N= 6.2309028	SE= .0086838
B2	VCC2	VO1	R12	R22	RE1	RC2	IC= 3.7450681	VCE= 2.2606958	N= 6.2309028	SE= .0086838
B2	VCC2	VO1	R12	R22	RE2	RC2	IC= 3.0678845	VCE= 5.7576151	N= 6.2309028	SE= .0074745
B2	VCC2	VO2	R11	R21	RE2	RC1	IC= 2.4511921	VCE=11.9297537	N= 4.8775364	SE= .0066184
B2	VCC2	VO2	R11	R21	RE2	RC2	IC= 2.4511921	VCE= 9.6256331	N= 4.8775364	SE= .0066184
B2	VCC2	VO2	R11	R22	RE1	RC1	IC= 3.6899949	VCE= 6.0636840	N= 5.7858383	SE= .0086838
B2	VCC2	VO2	R11	R22	RE1	RC2	IC= 3.6899949	VCE= 2.5950888	N= 5.7858383	SE= .0086838
B2	VCC2	VO2	R12	R21	RE2	RC1	IC= 2.4511921	VCE=11.9297537	N= 4.8775364	SE= .0066184
B2	VCC2	VO2	R12	R21	RE2	RC2	IC= 2.4511921	VCE= 9.6256331	N= 4.8775364	SE= .0066184
B2	VCC2	VO2	R12	R22	RE1	RC1	IC= 3.6899949	VCE= 6.0636840	N= 5.7858383	SE= .0086838
B2	VCC2	VO2	R12	R22	RE1	RC2	IC= 3.6899949	VCE= 2.5950888	N= 5.7858383	SE= .0086838

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AMPLIFIER OUT OF TOLERANCE IN 76CASES

AUSED BY

ICMAX 28 TIMES
ICMIN 40 TIMES
VCEMIN 36 TIMES

14.25.27.XRRJM, 41031,STUDENT,P10,T10,CM70000.
14.25.27.COMMENT. \$RJM 8069 ROBERT J. MARKS II PU
14.25.27.RDUE
14.25.27.FUN(S)
14.26.10. CTIME 000.643 SEC. FUN MOD LEVEL 60F
14.26.10.PFILES(GET,SADIST)
14.26.38. DONE
14.26.39.REWIND(SADIST)
14.26.39.FUN(,,SADIST)
14.26.48. CTIME 000.551 SEC. FUN MOD LEVEL 60F
14.26.48.LGO
14.26.49.LGO.
14.26.50.CX 1.947 SEC., NL 11200 WORDS
14.26.51.STOP
14.26.51.CP 2.524 SEC., IO 437 UNITS.
14.26.51.LINES 177
14.26.51.CM 5.002 MWD-SEC., FL 11200 WORDS

13113

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```

88888888 00000000 66666666 99999999
8888888888 0000000000 6666666666 9999999999
88 88 00 00 66 66 99 99
88 88 00 00 66 66 99 99
88 88 00 00 66 66 99 99
888888888 00 00 666666666 9999999999
888888888 00 00 6666666666 9999999999
88 88 00 00 66 66 99 99
88 88 00 00 66 66 99 99
88 88 00 00 66 66 99 99
8888888888 0000000000 6666666666 9999999999
888888888 00000000 66666666 99999999

```

```

*****
* JOB HISTORY *
* AT ENTRY TO SYSTEM, *
* PRIORITY-24 TIME-1533 *
* AT RUN TIME ON 10/6/71, *
* PRIORITY-27 TIME-1555 *
* 00029 JOBS RUN THIS ID SINCE *
* RPI MONITOR V2 M08 DISK ASSIGNMENT *
* LOGICAL DRIVE NO - 00 01 02 *
* PHYSICAL DRIVE NO - 00 01 *
* CARTRIDGE ID ---- 0001 0002 *
* CIB ON LOG 1 SYSTEM WS ON LOG 0 *
*****

```

```

// JOB T 08069 ROBERT J. MARKS II
// FOR

```

```

*LIST SOURCE PROGRAM
SUBROUTINE Y(RE,RC1,RC2,HFE1,HFE2,HOE1,HOE2,HIE1,HIE2,S51,S52,
1S61,S62)
DIMENSION S(7,2)
C S RC1 HFE1 HOE1 HIE1 (GAIN FROM V1 TO VC1) GAIN FROM V1 TO VC2)
C RC2 HFE2 HOE2 HIE2 (GAIN FROM V2 TO VC2) (GAIN FROM V2 TO VC1)
DEL=1.+RE/HIE1+HFE1*RE/HIE1+HOE1*RE+RC1*HOE1+RE/HIE2+HFE2*RE/HIE2
2+HOE2*RE+RC2*HOE2+(HOE1*RC2)*(RE/HIE1+RE/HIE2+HFE2*RE/HIE2+
2HOE2*RE+HOE2*RC2)+(HOE2*RC2)*(RE/HIE2+RC2/HIE1+HFE1*RE/HIE1+
3HOE1*RE)-HOE2*RC2*HOE1*RC1*(RE/HIE1+RE/HIE2)
S(1,1)=RC1
S(1,2)=RC2
S(2,1)=HFE1
S(2,2)=HFE2
S(3,1)=HOE1
S(3,2)=HOE2
S(4,1)=HIE1
S(4,2)=HIE2
DO 70 I=1,2
IF (I-1)14,15,14
15 J=2
GO TO 17
14 J=1
C GAINS AND DELS FROM VI TO VCI
17 G11=(-1)*S(2,1)*S(1,1)/S(4,1)
D11=1.+(1.+S(2,J))*RE/S(4,J)+S(3,J)*(RE+S(1,J))+S(3,J)*S(1,J)
2*RE/S(4,J)
G12=S(3,1)*S(1,1)*RE/S(4,1)
D12=1.+S(3,J)*S(1,J)
C GAINS AND DELS FROM VJ TO VCI.
G21=RE*S(1,1)*S(2,1)/(S(4,1)*S(4,J))
D21=1.+S(4,J)*S(1,J)
G22=S(1,1)*S(3,1)*RE/S(4,J)
D22=1.+S(3,J)*S(1,J)
G23=S(1,1)*S(2,1)*RE*S(2,J)/(S(4,1)*S(4,J))
D23=1.
G24=(-1.)*S(1,1)*S(3,1)*RE*S(2,J)/S(4,J)
D24=1.
12 C S(5,1)= GAIN FROM VI TO VCI
S(5,1)=(G11*D11+G12*D12)/DEL
11 C S(6,1)= GAIN FROM VJ TO VCI
S(6,1)=(G21*D21+G22*D22+G23*D23)/DEL
70 CONTINUE
S51=S(5,1)
S52=S(5,2)
S61=S(6,1)

```

13113

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All recorded up, fix and comments.

T

```
S62=S(6,2)
RETURN
END
```

```
CORE REQUIREMENTS FOR Y
COMMON      0  VARIABLES      114  PROGRAM      674
```

```
RELATIVE ENTRY POINT ADDRESS IS 0078 (HEX)
```

```
END OF COMPILATION
// DUP
```

```
*STORE      WS  UA  Y
CART ID 0001  DB ADDR 2340  DB CNT  0034
// FOR
*IOCS(1403 PRINTER,CARD)
*LIST SOURCE PROGRAM
DIMENSION X(2,4)
C  X  RC1  HFE1  HOE1  HIE1
C    RC2  HFE2  HOE2  HIE2
WRITE(5,5)
READ(2,10) RE,X(1,1),X(1,2)
DO 15 N=1,3
READ(2,20)X(1,2),X(2,2),X(1,3),X(2,3),X(1,4),X(2,4)
CALL Y(RE,X(1,1),X(2,1),X(1,2),X(2,2),X(1,3),X(2,3),X(1,4),X(2,4),
7S51,S52,S61,S62)
WRITE(5,25)N,S51,S52,S61,S62
15 CONTINUE
5 FORMAT(' ROBERT J. MARKS II-EE363',/,,' COMPUTER ASSIGNMENT =2',///
2)
10 FORMAT(3F10.4)
20 FORMAT(6F10.4)
25 FORMAT(' CASE',I2,/,4X,'GAIN FROM V1 TO VC1=',F10.4,/,4X,
1'GAIN FROM V2 TO VC2=',F10.4,/,4X,'GAIN FROM V2 TO VC1=',F10.4,
3/,4X,'GAIN FROM V1 TO VC2=',F10.4)
STOP
END
```

```
FEATURES SUPPORTED
```

```
IOCS
```

```
CORE REQUIREMENTS FOR
COMMON      0  VARIABLES      42  PROGRAM      278
```

```
END OF COMPILATION
// XEQ
```

```
ROBERT J. MARKS II-EE363
COMPUTER ASSIGNMENT =2
```

```
12
11 CASE 1
10 GAIN FROM V1 TO VC1= -32.8333
9  GAIN FROM V2 TO VC2= -0.0000
8  GAIN FROM V2 TO VC1= 32.2725
7  GAIN FROM V1 TO VC2= 0.0000
6  CASE 2
5  GAIN FROM V1 TO VC1= -79.9471
4
3
```

GAIN FROM V2 TO VC2= -0.0000

GAIN FROM V2 TO VC1= 79.4691

GAIN FROM V1 TO VC2= 0.0000

F007 MORE THAN ONE DECIMAL POINT ENCOUNTERED

EXECUTION TIME 0003

13113

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```

88888888 00000000 66666666 99999999
8888888888 0000000000 6666666666 9999999999
88 88 00 00 66 66 99 99
88 88 00 00 66 66 99 99
88 88 00 00 66 66 99 99
88888888 00 00 66666666 9999999999
88888888 00 00 6666666666 9999999999
88 88 00 00 66 66 99 99
88 88 00 00 66 66 99 99
88 88 00 00 66 66 99 99
8888888888 0000000000 6666666666 9999999999
88888888 00000000 66666666 99999999

```

```

*****
* JOB HISTORY *
* AT ENTRY TO SYSTEM, *
* PRIORITY-24 TIME-1600 *
* AT RUN TIME ON 10/13/71, *
* PRIORITY-24 TIME-1600 *
* 00014 JOBS RUN THIS ID SINCE 09/12/71 *
* RPI MONITOR V2 M08 DISK ASSIGNMENT *
* LOGICAL DRIVE NO - 00 01 02 *
* PHYSICAL DRIVE NO - 00 01 *
* CARTRIDGE ID ---- 0001 0002 *
* CIB ON LOG 1 SYSTEM WS ON LOG 0 *
*****

```

```

// JOB T 8069 ROBERT J. MARKS II
// NOTE PLEASE DO NOT FOLD OUTPUT- ROBERT J. MARKS II -8069
// FOR

```

```

*IOCS(1403 PRINTER,CARD)

```

```

*LIST SOURCE PROGRAM

```

```

WRITE(5,15)

```

```

DO 90 J=1,3

```

```

READ(2,55)HI1,HI2,RC1,RC2

```

```

READ(2,56)HF1,HF2,H01,H02,RE

```

```

C GAIN OF LOOPS TWO AT A TIME

```

```

T1=-RE/HI1

```

```

T2=-HF1*RE/HI1

```

```

T3=-H01*RE

```

```

T4=-RC1*H01

```

```

T5=-RE/HI2

```

```

T6=-HF2*RE/HI2

```

```

T7=-H02*RE

```

```

T8=-RC2*H02

```

```

C PRODUCT OF UNTOUCHING LOOPS TWO AT A TIME

```

```

T14=T1*T4

```

```

T18=T1*T8

```

```

T28=T2*T8

```

```

T38=T3*T8

```

```

T45=T4*T5

```

```

T46=T4*T6

```

```

T47=T4*T7

```

```

T48=T4*T8

```

```

T58=T5*T8

```

```

C PRODUCT OF UNTOUCHING LOOPS THREE AT A TIME

```

```

T148=T1*T4*T8

```

```

T458=T4*T5*T8

```

```

DEL=1.-(T1+T2+T3+T4+T5+T6+T7+T8)+(T14+T18+T28+T38+T45+T46+T47+T48
1+T58)-(T148+T458)

```

```

C EVALUATION FROM V1 TO VC1

```

```

G1=-HF1*RC1/HI1

```

```

DEL1=1.-(T5+T6+T7+T8)+T58

```

```

G2=RE*H01*RC1/HI1

```

```

DEL2=1.-T8

```

```

G1C1=(G1*DEL1+G2*DEL2)/DEL

```

```

C EVALUATION FROM V2 TO VC1

```

```

G1=RE*RC1*HF1/(HI1*HI2)

```

```

DEL1=1.-T8

```

```

G2=RE*H01*RC1/HI2

```

```

DEL2=1.-T8

```

```

G3=HF2*RE*HF1*RC1/(HI2*HI1)

```

```

G4=HF2*RE*H01*RC1/HI2

```

```

G2C1=(G1*DEL1+G2*DEL2+G3+G4)/DEL

```

13113

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Case II values
OPD

C EVALUATION FROM V2 TO VC2

```

G1=-HF2*RC2/HI2
DEL1=1.-(T1+T2+T3+T4)+T14
G2=RE*HO2*RC2/HI1
DEL2=1.-T4
G2C2=((G1*DEL1+G2*DEL2)/DEL)

```

C EVALUATION FROM V1 TO VC2

```

G1=RE*RC2*HF2/(HI1*HI2)
DEL1=1.-T4
G2=RE*HO2*RC2/HI1
DEL2=1.-T4
G3=HF1*RE*HF2*RC2/(HI1*HI2)
G4=HF1*RE*HO2*RC2/HI1
G1C2=(G1*DEL1+G2*DEL2+G3+G4)/DEL
A=G1C2-G1C1
B=G2C1-G2C2
WRITE(5,50)J,RE,HI1,HI2,HF1,HF2,HO1,HO2,RC1,RC2,G1C1,G1C2,G2C2,

```

```

1G2C1,A,B

```

```

90 CONTINUE

```

```

15 FORMAT('1',//,' ROBERT J. MARKS II',/, ' EE363, PROB 3',/,
1' DIFFERENTIAL AMPLIFIER',///)

```

```

50 FORMAT(3X,'CASE',I2,/,4X,'RE=',E9.2,4X,/, 'HIE1=',E9.2,5X,'HIE2=',
1E9.2,/,4X,'HFE1=',E9.2,5X,'HFE2=',E9.2,/,4X,'HOE1=',E9.2,
25X,'HOE2=',E9.2,/,4X,'RC1 =',E9.2,5X,'R 2 =',E9.2,/,/,
32X,'GAIN FROM V1 TO VC1=',E15.8,/,2X,'GAIN FROM V1 TO VC2=',E15.8,
4/,2X,'GAIN FROM V2 TO VC2=',E15.8,/,2X,'GAIN FROM V2 TO VC1=',E15.
58,/,4X,'V(OUT)=' ,E15.8,'*V1-',E15.8,'*V2')

```

```

55 FORMAT(4F10.4)

```

```

56 FORMAT(5F10.4)

```

```

STOP

```

```

END

```

FEATURES SUPPORTED

```

IOCS

```

CORE REQUIREMENTS FOR

```

COMMON      0  VARIABLES      88  PROGRAM      778

```

END OF COMPILATION

```

// LOAD

```

ROBERT J. MARKS II
EE363, PROB 3
DIFFERENTIAL AMPLIFIER

CASE 1

RE= 0.33E 04
IE1= 0.25E 04 HIE2= 0.25E 04
HFE1= 0.88E 02 HFE2= 0.88E 02
HOE1= 0.10E-04 HOE2= 0.10E-04
RC1 = 0.12E 05 R 2 = 0.12E 05

GAIN FROM V1 TO VC1=-0.18946395E 03
GAIN FROM V1 TO VC2= 0.18767898E 03
GAIN FROM V2 TO VC2=-0.18946395E 03
GAIN FROM V2 TO VC1= 0.18767898E 03

V(OUT)= 0.37714294E 03*V1- 0.37714294E 03*V2

CASE 2

RE= 0.33E 04
IE1= 0.25E 04 HIE2= 0.25E 04
HFE1= 0.88E 02 HFE2= 0.12E 03
HOE1= 0.10E-04 HOE2= 0.10E-04
RC1 = 0.12E 05 R 2 = 0.12E 05

GAIN FROM V1 TO VC1=-0.21790841E 03
GAIN FROM V1 TO VC2= 0.21712146E 03
GAIN FROM V2 TO VC2=-0.21920327E 03
GAIN FROM V2 TO VC1= 0.21641021E 03

V(OUT)= 0.43502984E 03*V1- 0.43561346E 03*V2

CASE 3

RE= 0.33E 04
IE1= 0.25E 04 HIE2= 0.20E 04
HFE1= 0.88E 02 HFE2= 0.10E 03
HOE1= 0.10E-04 HOE2= 0.20E-04
RC1 = 0.12E 05 R 2 = 0.12E 05

GAIN FROM V1 TO VC1=-0.21261215E 03
GAIN FROM V1 TO VC2= 0.21111602E 03
GAIN FROM V2 TO VC2=-0.21309893E 03
GAIN FROM V2 TO VC1= 0.21102334E 03

V(OUT)= 0.42372815E 03*V1- 0.42412225E 03*V2

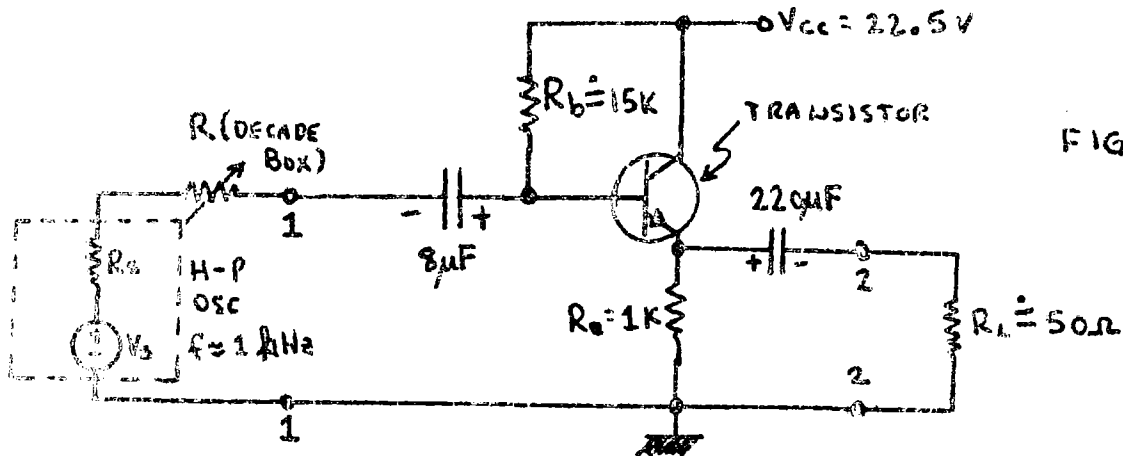
S 32 STOP 0000

EXECUTION TIME 0008

13113

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EE 363 - Electronic Circuits
 Experiment No. _____
 Emitter Follower Amplifier



1. Before connecting the circuit of Figure 1, connect the 50-Ohm resistor directly across the output terminals of the H.P. Oscillator after setting the open circuit voltage of the oscillator to 0.5 Volt, peak. Compare the measured voltage across the 50-Ohm resistor with the predicted value assuming that the internal resistance of the oscillator is 600 Ohms.
2. Connect the circuit shown in Figure 1. Change the value of R_b , if necessary, to obtain approximately 20 V. ϕ - ϕ , at the emitter of the transistor. With the open circuit voltage of the oscillator set to 0.5-Volt, peak, what is the peak voltage across the 50-Ohm resistor? Be sure to monitor output voltage on CRO at all times.
3. Increase the signal from the oscillator until the sine-wave voltage across the 50-Ohm resistor becomes distorted. Sketch this waveform. At what peak voltage does the distortion become obvious? What causes this distortion, cutoff or saturation?
4. Estimate the input impedance of the 1-1 terminals of the emitter-follower circuit by increasing R until the voltage across R_L is reduced to 1/2 of its original value. (Remember that the 600-Ohm internal resistance of the oscillator is in the circuit also.) Record the input impedance thus measured.

5. Determine the output voltage across the 200 ohm load of the circuit by removing R_L , noting the open-circuit voltage and then replacing R_L at a value (use a decade resistance) such that the voltage across R_L is 1/2 of the open-circuit voltage. (The output signal from the oscillator must be reduced to prevent distortion.)
6. Use the transistor curve tracer to obtain h_{fe} of the transistor at your quiescent operating point.
7. Assuming $h_{re} = 0$, estimate the value of h_{ie} using $z_{out} = \frac{h_{fe}}{h_{re}}$. Remember to include effect of R_b and 600 Ohm output impedance of the oscillator.
8. (a) What value of d-c emitter current would be required if the peak undistorted voltage across R_L must be 2V?

(b) DESIGN:

Determine the values of R_e , R_b , and V_{cc} which would be required to meet the specifications of part (a).

President Dwight D. Eisenhower
Washington, D. C.
Texas House, Inc.
October 18, 1954

RE: Texas House of Representatives
Houston, Texas

Dear Sir: On Monday, 10/11/54 at
Houston, Texas, the Texas House of Representatives
will have been organized and sessions begun for the
first time since 1845. The House will begin
its work on the 17th of October.

Electrical Engineering Dept.
Rose-Hulman Institute
Terre Haute, Indiana
September 28, 1971

EECE 333 - Resistive Circuits
Homework

EECE 333 - Resistive Circuits

Read in Friday, October 1, 1971, 4:00 PM
your final results on the problem. List
clearly the values of the four resistors.
Also list how many of the 128 cases of the
worst case analysis meet the specifications
of the required amplifier.

Turn in computer output with your name on the
front.

EECE 333 - Differential Amplifier

Calculate the gain of the differential amplifier
we have been analyzing in class. We are interested
in the following cases:

A. Both transistors identical.

$$h_{fe} = 2500 \text{ Ohms}$$

$$h_{fc} = 33$$

$$h_{oe} = 1/100 \text{ kOhms}$$

B. One transistor as above, (Q1)

The other with $h_{fe} = 33$

C. Q1 as in part A, Q2 with $h_{fe} = 5000$ Ohms

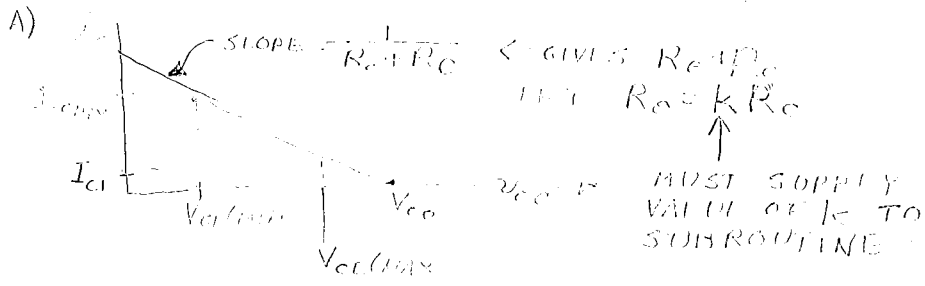
$$h_{oe} = 1/50 \text{ kOhms}, h_{fc} = 100$$

Electrical Engineering Report
Benn-Holman Institute of Tech.
Terre Haute, Indiana
May 20, 1972

EE365 - Electronic Circ. I
Assignment
Due when school resumes in
the Fall.

Do either or both of the following:

- (A) Write a Fortran subroutine subprogram to design a common emitter transistor amplifier of the "Standard Configuration". Input to the subroutine should be V_{CC} , β_{1} , β_{2} , V_{CE} , I_{CQ} , k , I_{C2} , $V_{CE(min)}$, I_{CEO} , the subroutine should return R_1 , R_2 , R_e , and R_c . It should compute S_{e1} and S_{e2} and n as well. $V_{BE} \approx 0.7V \Rightarrow n = V_{BE}/V_o$
- (B) Write a Fortran subroutine subprogram to analyze the standard configuration common emitter transistor amplifier. The input to the subroutine should be V_{CC} , β , R_1 , R_2 , R_e , R_c , I_{CEO} , and V_{CE} . The subroutine should compute and return the quiescent operating point information and S_e .



1. *[Faint handwritten text]*

2. *[Faint handwritten text]*

3. *[Faint handwritten text]*

4. *[Faint handwritten text]*

5. *[Faint handwritten text]*

6. *[Faint handwritten text]*

7. *[Faint handwritten text]*

8. *[Faint handwritten text]*

[Faint handwritten text]

[Faint handwritten text]

[Faint handwritten text]

[Faint handwritten text]

[Faint handwritten text]

[Faint handwritten text]

[Faint handwritten text]

[Faint handwritten text]

AMPLIFIER FREQUENCY RESPONSE
MAGNITUDE/ANGLE

FREQ(HZ)	ZIN		ZOUT		AV		AI		AP
10.00	7215.8	/ -29.6	11772	/ -1.6	46.862	/ -90.6	12.524	/-120.2	675.00
12.59	6784.7	/ -31.4	11740	/ -1.9	58.914	/ -94.3	14.804	/-125.7	1022.3
15.85	6267.3	/ -33.7	11693	/ -2.3	73.683	/ -98.2	17.104	/-131.8	1514.0
19.95	5678.5	/ -35.8	11625	/ -2.7	91.571	/-102.4	19.259	/-138.2	2173.9
25.12	5055.4	/ -37.4	11529	/ -3.2	112.83	/-107.1	21.127	/-144.5	2998.9
31.62	4446.3	/ -37.9	11402	/ -3.7	137.42	/-112.5	22.629	/-150.4	3943.2
39.81	3894.6	/ -37.3	11244	/ -4.0	164.73	/-118.4	23.760	/-155.7	4920.9
50.12	3428.1	/ -35.4	11065	/ -4.2	193.50	/-124.8	24.568	/-160.2	5833.7
63.10	3057.1	/ -32.5	10881	/ -4.2	221.87	/-131.6	25.122	/-164.1	6606.8
79.43	2777.2	/ -28.8	10711	/ -4.0	247.82	/-138.4	25.491	/-167.3	7209.8
100.00	2575.3	/ -24.8	10568	/ -3.6	269.79	/-145.0	25.733	/-169.8	7650.3
125.9	2435.0	/ -20.9	10458	/ -3.1	287.07	/-151.0	25.889	/-171.9	7957.1
158.5	2340.2	/ -17.3	10377	/ -2.7	299.84	/-156.3	25.989	/-173.6	8163.6
199.5	2277.6	/ -14.2	10321	/ -2.2	308.84	/-160.8	26.052	/-175.0	8299.6
251.2	2236.9	/ -11.6	10283	/ -1.8	314.95	/-164.5	26.093	/-176.1	8387.7
316.2	2210.7	/ -9.4	10259	/ -1.5	318.99	/-167.6	26.118	/-177.0	8444.2
398.1	2193.9	/ -7.6	10243	/ -1.3	321.63	/-170.1	26.134	/-177.7	8480.3
501.2	2183.2	/ -6.2	10232	/ -1.1	323.32	/-172.1	26.144	/-178.4	8503.3
631.0	2176.4	/ -5.2	10226	/ -.9	324.41	/-173.7	26.150	/-178.9	8517.8
794.3	2172.1	/ -4.3	10222	/ -.9	325.10	/-175.0	26.154	/-179.4	8527.0
1000.0	2169.3	/ -3.8	10219	/ -.8	325.54	/-176.0	26.155	/-179.8	8532.8
1259	2167.5	/ -3.4	10217	/ -.8	325.81	/-176.9	26.155	/ 179.8	8536.4
1585	2166.2	/ -3.1	10216	/ -.8	325.99	/-177.5	26.154	/ 179.3	8538.7
1995	2165.2	/ -3.1	10215	/ -.9	326.10	/-178.0	26.150	/ 178.9	8540.1
2512	2164.2	/ -3.2	10214	/ -1.1	326.17	/-178.5	26.144	/ 178.3	8540.9
3162	2163.1	/ -3.5	10213	/ -1.2	326.21	/-178.8	26.134	/ 177.7	8541.4
3981	2161.6	/ -4.0	10212	/ -1.5	326.24	/-179.1	26.118	/ 176.9	8541.5
5012	2159.3	/ -4.7	10210	/ -1.8	326.26	/-179.3	26.093	/ 176.0	8541.4
6310	2155.9	/ -5.6	10207	/ -2.2	326.27	/-179.5	26.052	/ 174.9	8541.0
7943	2150.6	/ -6.8	10203	/ -2.8	326.28	/-179.6	25.989	/ 173.5	8540.3
10000	2142.3	/ -8.4	10196	/ -3.5	326.28	/-179.8	25.889	/ 171.8	8539.0
1.2589E+04	2129.4	/ -10.4	10185	/ -4.4	326.28	/-179.9	25.733	/ 169.7	8536.9
1.5849E+04	2109.4	/ -12.9	10168	/ -5.5	326.28	/ 180.0	25.491	/ 167.1	8533.5
1.9953E+04	2078.8	/ -16.0	10140	/ -6.9	326.28	/ 179.9	25.121	/ 163.8	8528.1
2.5119E+04	2033.0	/ -19.8	10098	/ -8.6	326.28	/ 179.7	24.567	/ 159.9	8519.6
3.1623E+04	1966.2	/ -24.3	10031	/ -10.8	326.27	/ 179.6	23.760	/ 155.3	8506.1
3.9811E+04	1872.6	/ -29.5	9928.3	/ -13.5	326.27	/ 179.4	22.628	/ 149.9	8484.7
5.0119E+04	1748.3	/ -35.4	9771.6	/ -16.8	326.25	/ 179.2	21.125	/ 143.9	8451.2
6.3096E+04	1593.7	/ -41.6	9537.8	/ -20.8	326.23	/ 179.0	19.256	/ 137.4	8398.5
7.9433E+04	1415.4	/ -47.9	9199.3	/ -25.5	326.20	/ 178.7	17.100	/ 130.8	8316.4
1.0000E+05	1225.2	/ -53.9	8729.6	/ -31.0	326.14	/ 178.3	14.800	/ 124.4	8189.5
1.2589E+05	1036.6	/ -59.3	8113.3	/ -37.0	326.06	/ 177.9	12.519	/ 118.6	7996.0
1.5849E+05	860.92	/ -63.9	7357.9	/ -43.4	325.93	/ 177.3	10.393	/ 113.4	7707.5
1.9953E+05	705.13	/ -67.7	6500.1	/ -49.8	325.72	/ 176.6	8.5065	/ 109.0	7290.6
2.5119E+05	571.95	/ -70.5	5598.6	/ -56.0	325.39	/ 175.7	6.8927	/ 105.3	6715.0
3.1623E+05	460.99	/ -72.4	4716.4	/ -61.5	324.86	/ 174.6	5.5466	/ 102.2	5968.1
3.9811E+05	370.19	/ -73.5	3903.4	/ -66.3	324.04	/ 173.3	4.4428	/ 99.7	5073.7
5.0119E+05	296.82	/ -73.8	3188.1	/ -70.2	322.74	/ 171.5	3.5480	/ 97.7	4099.9
6.3096E+05	238.06	/ -73.2	2579.8	/ -73.4	320.72	/ 169.4	2.8279	/ 96.1	3143.7
7.9433E+05	191.37	/ -71.9	2074.5	/ -75.8	317.60	/ 166.7	2.2511	/ 94.8	2295.2
1.0000E+06	154.54	/ -69.6	1661.5	/ -77.5	312.83	/ 163.4	1.7906	/ 93.8	1607.6
1.2589E+06	125.73	/ -66.5	1327.5	/ -78.5	305.69	/ 159.4	1.4235	/ 93.0	1090.0
1.5849E+06	103.44	/ -62.4	1059.4	/ -79.0	295.31	/ 154.7	1.1314	/ 92.3	721.74
1.9953E+06	86.432	/ -57.5	845.16	/ -78.9	280.83	/ 149.3	.89899	/ 91.7	470.04
2.5119E+06	73.693	/ -51.9	674.71	/ -78.3	261.69	/ 143.1	.71425	/ 91.3	302.72
3.1623E+06	64.363	/ -45.7	539.54	/ -77.0	238.03	/ 136.6	.56742	/ 90.9	193.53

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AMPLIFIER FREQUENCY RESPONSE

DATA

RESISTIVE VALUES (IN OHMS)

R1 = 3.30000000E+04
R2 = 1.00000000E+04
R0 = 7.90000000E+04
RS = 8.80000000E+02
RC = 1.20000000E+04
RE = 5.60000000E+03
RL = 2.70000000E+04
RX = 2.20000000E+01
RPI = 3.20000000E+03
RU = 1.52000000E+07

CAPACITIVE PARAMETERS (IN FARADS)

C1 = 1.20000000E-05
C0 = 1.00000000E-05
CE = 1.00000000E-04
CPI = 1.09000000E-11
CU = 3.20000000E-12

DATA FOR 8 DECADES, WITH INITIAL FREQUENCY 1.00000000E+01 HERTZ

TRANSISTOR BETA= 1.40000000E+02

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FL REQUIRED TO LOAD 20100
FL REQUIRED TO RUN 12200
INITIAL TRANSFER TO TRAMP - 103

BLOCK ASSIGNMENTS.

BLOCK	ADDRESS	LENGTH	FILE
TRAMP	102	3015	LGO
HYORYH	3117	61	LGO
ZTOZT	3200	40	LGO
ZTTOZ	3240	37	LGO
AMPROP	3277	366	LGO
POLAR	3665	40	LGO
YZORZY	3725	77	LGO
ALNLOG	4024	67	SYSLIB
ATAN	4113	74	SYSLIB
ATAN2	4207	113	SYSLIB
CABS	4322	36	SYSLIB
EXP	4360	57	SYSLIB
INPUTC	4437	102	SYSLIB
KODER	4541	1247	SYSLIB
KRAKER	6010	1174	SYSLIB
/SCOPE2/	7204	0	
SYSTEM	7204	1076	SYSLIB
SID\$	10302	1425	SYSLIB
OUTPTC	11727	72	SYSLIB
GETBA	12021	17	SYSLIB
RBAREX	12040	57	SYSLIB

```

C ADDING IN RB AND RD
000272 Y1=Y1+1./RB
000301 Y4=Y4+1./RC
C BACK TO Z PARAMETERS
000307 CALL YZORZY(Y1,Y2,Y3,Y4,Z1,Z2,Z3,Z4)
C ADDING IN C1
000317 Z1=Z1+1./((S*C1)
C BACK TO Y MATRIX
000334 CALL YZORZY(Z1,Z2,Z3,Z4,Y1,Y2,Y3,Y4)
C COMPUTING GAINS AND THINGS
000344 CALL AMPROP(Y1,Y2,Y3,Y4,YL,YS,ZIN,ZOUT,AV,AI,AP,APA,API,APT)
C DIVIDING COMPLEX OUTPUT INTO MAGNITUDE AND PHASE
000362 CALL POLAR(ZIN,ZINM,ZINA)
000365 CALL POLAR(ZOUT,ZOUTM,ZOUTA)
000370 CALL POLAR(AV,AVM,AVA)
000373 CALL POLAR(AI,AIM,AIA)
000376 WRITE(5,51)F,ZINM,ZINA,ZOUTM,ZOUTA,AVM,AVA,AIM,AIA,AP
000426 F=F*(10.**((1./10.))
000435 92 CONTINUE
000437 50 FORMAT(F15.8)
000437 51 FORMAT(1X,G10.4,4(4X,G12.5,'/',F6.1),G15.5)
000437 52 FORMAT('7',31X,'AMPLIFIER FREQUENCY RESPONSE',////,' DATA',
1///,' RESISTIVE VALUES (IN OHMS)',/, ' R1 =',E15.8,/, ' R2 =',E15.
28,/, ' RD =',E15.8,/, ' RS =',E15.8,/, ' RC =',E15.8,/, ' RE =',
3E15.8,/, ' RL =',E15.8,/, ' RX =',E15.8,/, ' RPI=',E15.8,/,
4' RU =',E15.8,/, ' CAPACITIVE PARAMETERS (IN FARADS)',/,
5' C1 =',E15.8,/, ' CO =',E15.8,/, ' CE =',E15.8,/, ' CPI=',E15.8,
6/, ' CU =',E15.8,/, ' DATA FOR ',15,' DECADES, WITH INITIAL FREQUE
7NCY ',E15.8,' HERTZ',/, ' TRANSISTOR BETA=',E15.8,/, '7',31X,
8'AMPLIFIER FREQUENCY RESPONSE',/,53X,'MAGNITUDE/ANGLE',
9///,' FREQ(HZ) ',14X,'ZIN',20X,'ZOUT',19X,'AV',21X,'AI',17X,'AP'/)
C DATA (READ IN FLOATING POINT IN COLUMNS 1-15)
C R1,R2,RO,RS,RC,RE,RL,RX,RPI,RU,C1,CO,CE,CPI,CU,B,F,D
000437 STOP
000441 END

```

PROGRAM LENGTH INCLUDING I/O BUFFERS

003015

UNUSED COMPILER SPACE

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PROGRAM TRAMP(INPUT,OUTPUT,TAPE2=INPUT,TAPE5=OUTPUT)
000002 DIMENSION R(10),C(5)
000002 COMPLEX Y(4),Z(4),T(4),YS,YL,S,YE,YU,YPI,ZIN,ZOUT,AV,AI
+,Y1,Y2,Y3,Y4,Z1,Z2,Z3,Z4,T1,T2,T3,T4
000002 EQUIVALENCE (R(1),R1),(R(2),R2),(R(3),RO),(R(4),RS),(R(5),RC),
1(R(6),RE),(R(7),RL),(R(8),RX),(R(9),RPI),(R(10),RU)
000002 EQUIVALENCE(C(1),C1),(C(2),CO),(C(3),CE),(C(4),CPI),(C(5),CU)
000002 EQUIVALENCE(Y(1),Y1),(Y(2),Y2),(Y(3),Y3),(Y(4),Y4)
000002 EQUIVALENCE(Z(1),Z1),(Z(2),Z2),(Z(3),Z3),(Z(4),Z4)
000002 EQUIVALENCE(T(1),T1),(T(2),T2),(T(3),T3),(T(4),T4)
C READ IN ALL RESISTIVE VALUES IN KOHMS
C R(I)=R1,R2,RO,RS,RC,RE,RL,RX,RPI,RU
000002 DO 90 M=1,10
000004 READ(2,50) R(M)
000011 R(M)=R(M)*(10.**3.)
000017 90 CONTINUE
C READ IN ALL CAPACITIVE VALUES IN NANOFARADS
C C(I)=C1,CO,CE,CPI,CU
000020 DO 91 M=1,5
000022 READ (2,50)C(M)
000027 C(M)=C(M)*(10.**(-9.))
000035 91 CONTINUE
C B=TRANSISTOR BETA
000036 READ(2,50) B
C F=INITIAL FREQUENCY
000044 READ(2,50) F
C D=NUMBER OF DECADES (READ IN FLOATING POINT)
000052 READ(2,50)D
000060 ND=D
000062 WRITE(5,52)(R(M),M=1,10),(C(I),I=1,5),ND,F,B
000077 TPI=8.*ATAN(1.)
000103 ND=((10.*D)+1.)
000106 RB=R1*R2/(R1+R2)
000111 YS=CMPLX(1./RS,0.0)
000115 YL=CMPLX(1./RL,0.0)
C COMPUTING GAINS AT DIFFERENT FREQUENCIES
000120 DO 92 N=1,ND
000122 S=CMPLX(0.0,TPI*F)
000125 YU=1./RU+S*CU
000135 YPI=1./RPI+S*CPI
000144 YE=1./RE+CE*S
C FIRST Y MATRIX OF HYBRID PI MODEL W/O RX
000155 Y1=YU+YPI
000162 Y2=-YU
000164 Y3=B/RPI-YU
000173 Y4=YU+1./RO
C TRANSFORMING TO Z MATRIX
000201 CALL YZORZY(Y1,Y2,Y3,Y4,Z1,Z2,Z3,Z4)
C TRANSFORMING TO Z-T MATRIX
000211 CALL ZTOZT(Z1,Z2,Z3,Z4,T1,T2,T3,T4)
C ADDING IN ZE,RO,AND CO
000221 T1=T1+RX
000225 T2=T2+1./(S*CO)
000242 T3=T3+1./YE
C TO Z MATRIX
000253 CALL ZTTOZ(T1,T2,T3,T4,Z1,Z2,Z3,Z4)
C TO Y MATRIX
000262 CALL YZORZY(Z1,Z2,Z3,Z4,Y1,Y2,Y3,Y4)

```


3.9811E+06	57.702	/ -39.5	432.76	/ -75.1	210.92	/ 130.0	.45076	/ 90.5	123.14
5.0119E+06	53.070	/ -33.4	348.80	/ -72.5	182.17	/ 123.6	.35806	/ 90.2	78.111
6.3096E+06	49.925	/ -27.8	283.23	/ -69.2	153.82	/ 117.7	.28443	/ 89.9	49.451
7.9433E+06	47.834	/ -22.9	232.49	/ -65.0	127.53	/ 112.5	.22593	/ 89.6	31.268
1.0000E+07	46.465	/ -18.7	193.74	/ -60.1	104.28	/ 107.9	.17946	/ 89.3	19.755
1.2589E+07	45.579	/ -15.2	164.65	/ -54.5	84.437	/ 104.1	.14254	/ 88.9	12.474
1.5849E+07	45.009	/ -12.5	143.28	/ -48.5	67.914	/ 100.9	.11321	/ 88.4	7.8743
1.9953E+07	44.642	/ -10.3	127.97	/ -42.4	54.381	/ 98.2	8.99140E-02/	87.9	4.9693
2.5119E+07	44.403	/ -8.6	117.27	/ -36.5	43.418	/ 95.9	7.14037E-02/	87.3	3.1354
3.1623E+07	44.244	/ -7.4	109.96	/ -31.3	34.599	/ 93.9	5.66958E-02/	86.5	1.9779
3.9811E+07	44.129	/ -6.5	105.06	/ -26.8	27.537	/ 92.1	4.50072E-02/	85.6	1.2474
5.0119E+07	44.036	/ -6.0	101.78	/ -23.3	21.899	/ 90.3	3.57154E-02/	84.4	.78638
6.3096E+07	43.943	/ -5.8	99.572	/ -20.7	17.404	/ 88.6	2.83258E-02/	82.9	.49549
7.9433E+07	43.831	/ -5.8	98.006	/ -19.1	13.826	/ 86.9	2.24450E-02/	81.0	.31195
1.0000E+08	43.678	/ -6.2	96.777	/ -18.3	10.979	/ 84.9	1.77603E-02/	78.7	.19614
1.2589E+08	43.453	/ -6.9	95.636	/ -18.5	8.7132	/ 82.7	1.40227E-02/	75.8	.12308
1.5849E+08	43.114	/ -7.9	94.360	/ -19.6	6.9104	/ 80.2	1.10347E-02/	72.2	7.69917E-02
1.9953E+08	42.605	/ -9.3	92.715	/ -21.6	5.4751	/ 77.1	8.63959E-03/	67.8	4.79292E-02
2.5119E+08	41.854	/ -10.9	90.441	/ -24.6	4.3313	/ 73.3	6.71411E-03/	62.4	2.96187E-02
3.1623E+08	40.776	/ -12.9	87.250	/ -28.5	3.4186	/ 68.8	5.16297E-03/	55.9	1.81047E-02
3.9811E+08	39.303	/ -14.9	82.871	/ -33.3	2.6891	/ 63.2	3.91448E-03/	48.3	1.08948E-02
5.0119E+08	37.409	/ -16.9	77.133	/ -38.9	2.1050	/ 56.5	2.91645E-03/	39.6	6.41779E-03
6.3096E+08	35.156	/ -18.6	70.079	/ -45.0	1.6367	/ 48.5	2.13110E-03/	29.9	3.68021E-03
7.9433E+08	32.710	/ -19.6	62.028	/ -51.2	1.2617	/ 39.0	1.52856E-03/	19.4	2.04721E-03
1.0000E+09	30.294	/ -19.7	53.522	/ -57.3	.96334	/ 28.2	1.08086E-03/	8.5	1.10600E-03

XRRJM94. 11/10/71.PURDUE MACE 71/11/01.

10.01.30.XRRJM, 41031,STUDENT,P10,T10,CM60000.
10.01.30.COMMENT. \$RJM 8069 ROBERT J. MARKS II PU
10.01.30.RDUE
10.01.30.MAP(PART)
10.01.31.FUN(S)
10.01.36. CTIME 000.759 SEC. FUN MOD LEVEL 60F
10.01.36.PFILES(GET,SADIST,N=FACULTY,A=41029,X=LG
10.01.36.O)
10.02.10. DONE
10.02.10.LGO.
10.02.13.CX 1.903 SEC., NL 12200 WORDS
10.02.16.STOP
10.02.16.CP 2.983 SEC., ID 298 UNITS.
10.02.16.LINES 250
10.02.16.CM 5.238 MWD-SEC., FL 12200 WORDS

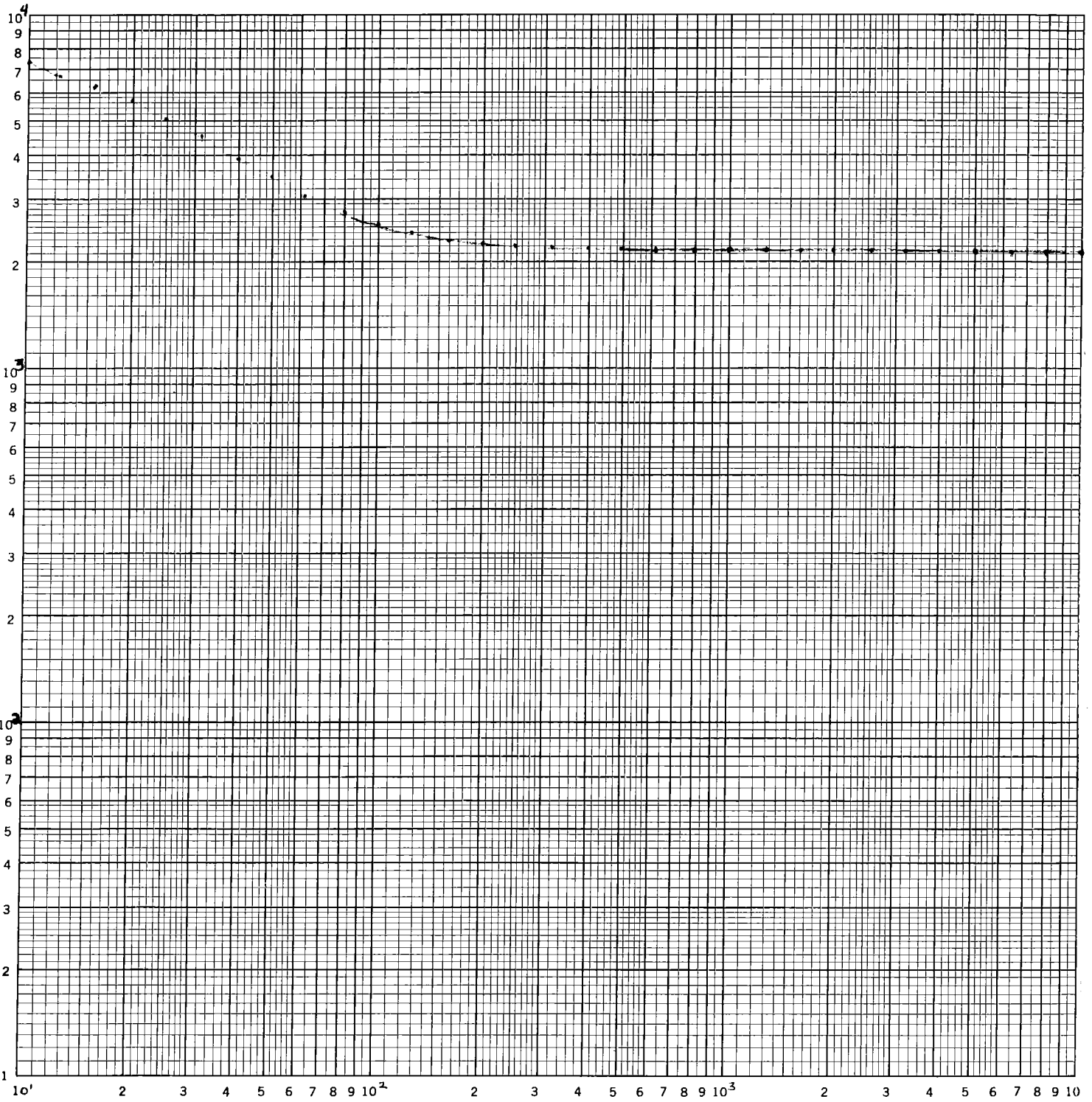
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Logarithmic
3 x 3 Cycles

R 2470-L-3
MADE IN U.S.A.

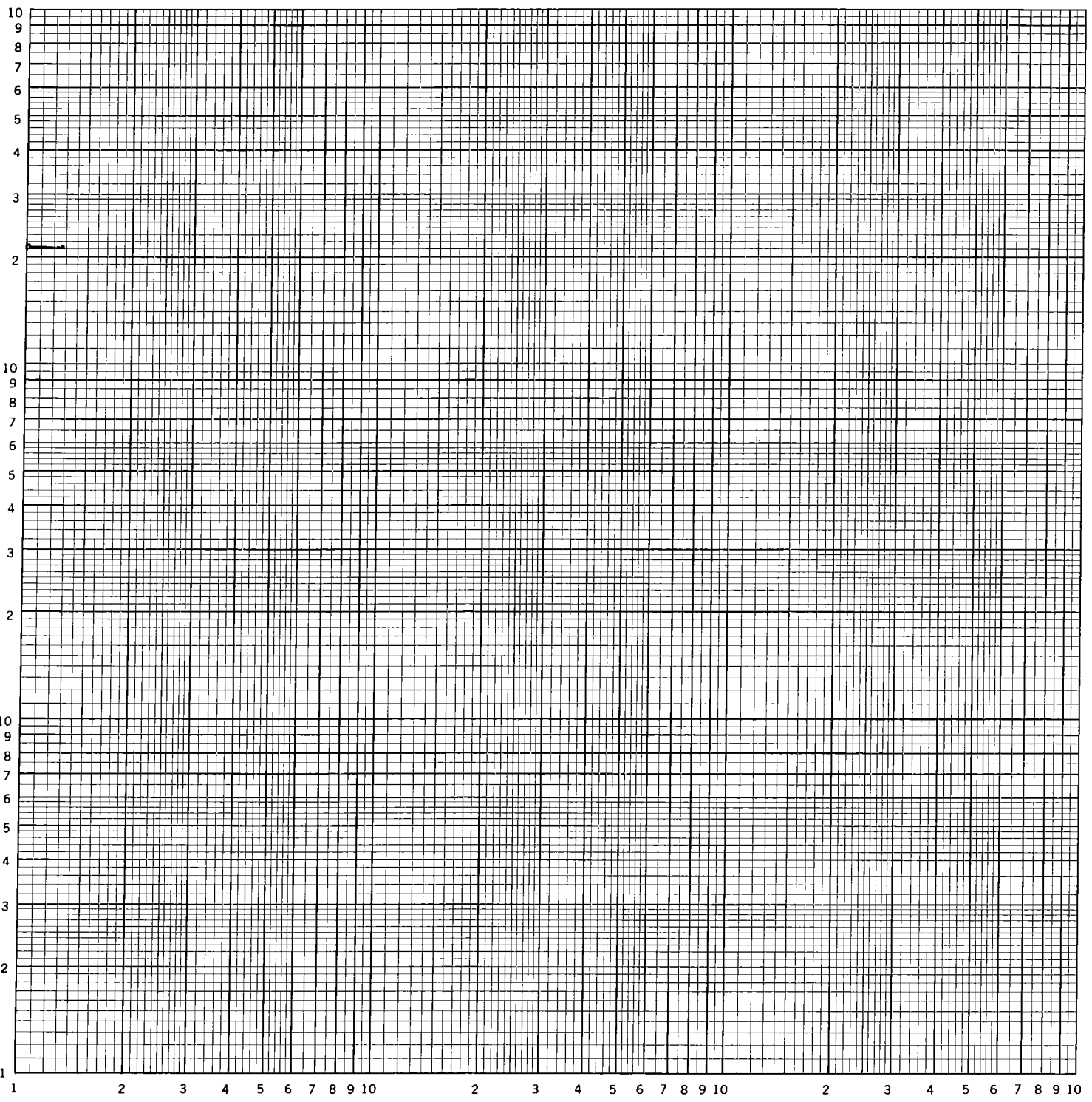
VERNON
LINE
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Logarithmic
3 x 3 Cycles

R 2470-L-3
MADE IN U.S.A.

VERNON DYALINE
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USE THE SUBROUTINES IN THE SARDIST SYSTEM TO PERFORM A FREQUENCY RESPONSE ANALYSIS ON THE AMPLIFIER SHOWN

$$\hat{A}_v = V_2 / V_1$$

PLOT ON LOG-LOG GRAPH PAPER THE MAGNITUDES OF A_v , A_i , A_p , Z_{in} , AND Z_{out} FOR THE AMPLIFIER. PLOT A SMOOTH CURVE WITH AT LEAST 10 POINTS PER DECADE.

$$r_x = 22 \Omega$$

$$\beta_{\pi} = 3200$$

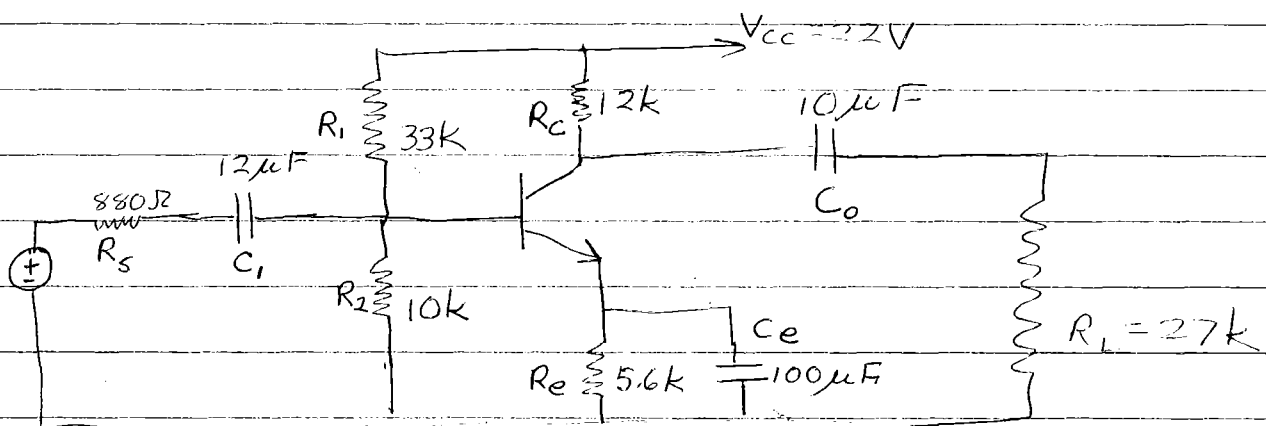
$$r_o = 79 \text{ k}\Omega$$

$$r_{\mu} = 15.2 \text{ M}\Omega$$

$$\beta = 140$$

$$C_u = 3.2 \text{ pF}$$

$$C_{\pi} = 10.9 \text{ pF}$$



EE 363

DECK SETUP TO USE

SADIST SYSTEM SUBROUTINES

PDC

15 1929

25 P.D. QUICK

← CENTRAL MEMORY ALLOCATION

← END WITH PERIOD

← # OF LINES OF OUTPUT

← TIME IN SEC.

← FORTTRAN COMPILER S

41031, STUDENT, T10, CM 60000, L

MAP(PART)

FUN(S)

PFILES(GET, SADIST)

REWIND(SADIST)

FUN(G, , SADIST)

7/4/73

PROGRAM, -----(INPUT, OUTPUT, TAPE 2 = INPUT, TAPE 5 = OUTPUT)

FORTTRAN DECK
WITH HEADER CARDS

INPUT AND OUTPUT PARAMETERS

CALL DESIGN (< , - , - , - , ...)

DESIGN

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

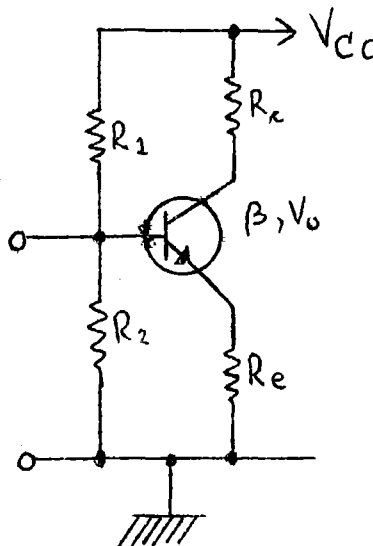
SUBROUTINE DESIGN(VCC,BETA1,BETA2,VCEMIN,IC1,IC2,V ϕ ,K,
R1,R2,RC,RE,SE1,SE2,N,RB)

Inputs: VCC,BETA1,BETA2,VCEMIN,IC1,IC2,VO,K

VCC Collector supply voltage.
BETA1 Minimum value of beta.
BETA2 Maximum value of beta.
VCEMIN Minimum quiescent collector-to-emitter voltage.
IC1 Minimum quiescent collector current.
IC2 Maximum quiescent collector current.
V ϕ Transistor base-to-emitter voltage.
K Ratio of RE to RC
R1,R2, }
RC,RE } Computed values of bias resistors
SE1,SE2 Stability factors corresponding to BETA1 and
 BETA2 respectively.
N Ratio of V_{BB} to V ϕ .
RB Parallel equivalent of R1 in parallel with R2.

NOTE: All variables are REAL as opposed to INTGER.

This subprogram calculates the values of the four bias resistors in the standard configuration common emitter transistor amplifier.



JHD
9.16.71

ANALYZ

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBROUTINE ANALYZ(VCC,BETA,R1,R2,RC,RE,V ϕ ,IC ϕ ,IC,VCE,RB
N,SE,VBB)

Inputs: VCC,BETA,R1,R2,RC,RE,V ϕ ,IC ϕ

VCC Collector supply voltage.
BETA Beta of the transistor.
R1,R2,
RC,RE Bias resistors values.
V ϕ Transistor base-to-emitter voltage.
IC ϕ Collector leakage current.

Computed values: IC,VCE,RB,N,SE,VBB

IC Quiescent collector current.
VCE Quiescent collector-to-emitter voltage.
RB R1 in parallel with R2.
N Ratio of VBB to V ϕ .
SE Stability factor.
VBB Thevenin's equivalent base supply voltage.

This program calculates the quiescent operating point information for the standard configuration common emitter transistor amplifier as well as other useful quantities.

NOTE: All variables are REAL as opposed to INTEGER.

JHD
9.16.71

STDVAL

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

FUNCTION STDVAL(RIN)

This function computes the closest standard ten percent value of resistor to RIN.

JHD
9.16.71

ZTØZT

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBROUTINE ZTØZT(Z11,Z12,Z21,Z22,Z1,Z2,Z3,ZM)

Inputs: Z11,Z12,Z21,Z22 (Complex)

Computed values: Z1,Z2,Z3,ZM (Complex)

This subroutine gives the elements in the T form
of the z-parameter two-port network.

JHD
10.4.71

PØLAR

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBROUTINE PØLAR(RECT,PØLMAG,ANGLE)

Inputs:

RECT - A complex FORTRAN variable

Computed values:

PØLMAG - the magnitude of RECT

ANGLE - the angle of RECT

This subroutine converts a complex number from
rectangular to polar form.

JHD
10.4.71

YTØABC

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBROUTINE YTØABC(Y11,Y12,Y21,Y22,A,B,C,D)

Inputs: Y11,Y12,Y21,Y22 (complex)

Computed values: A,B,C,D (Complex)

This subroutine computes the ABCD parameters of a two-port given the y parameters.

JHD
10.4.71

CASCADE

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

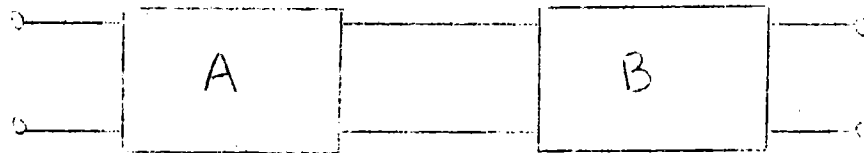
SADIST System subprogram

SUBROUTINE CASCADE(A1,B1,C1,D1,A2,B2,C2,D2,A3,B3,C3,D3)

Inputs: A1,B1,C1,...C2,D2 (Complex)

Computed values: A3,B3,C3,D3 (Complex)

This subroutine gives the ABCD parameters of the combination of two two-ports in cascade. The two two-ports are characterized by their ABCD matrices.



ABCTØY

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBRØUTINE ABCTØY(A,B,C,D,Y11,Y12,Y21,Y22)

Inputs: A,B,C,D {All complex}

Computed values: Y11,Y12,Y21,Y22 (Complex)

This subroutine computes the y parameters of a two-port
given the ABCD parameters.

JHD
10.4.71

ZTTØZ

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBROUTINE ZTTØZ(Z1,Z2,Z3,ZM,Z11,Z12,Z21,Z22)

Inputs: Z1,Z2,Z3,ZM (Complex)

Computed values: Z11,Z12,Z21,Z22 (Complex)

This subroutine converts from the T-form of the
z parameter network to the standard form.

JHD
10.4.71

YZØRZY

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBRØUTINE YZØRZY(A11,A12,A21,A22,B11,B12,B21,B22)

Inputs: A11,A12,A21,A22 - Y or Z parameters (complex)

Computed values:

B11,B12,B21,B22 - Z or Y parameters (complex)

This subroutine converts from y-parameters to
z-parameters or vice-versa.

JHD
10.4.71

HYØRYH

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana

SADIST System subprogram

SUBROUTINE HYØRYH(A11,A12,A21,A22,B11,B12,B21,B22)

Inputs:

A11,A12,A21,A22 - h-parameters or y-parameters (complex)

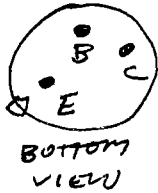
Computed values:

B11,B12,B21,B22 - y-parameters or h-parameters (complex)

This subroutine converts from h to y-parameters or
vice-versa.

JHD
10.4.71

2N404



Electrical Engineering Dept.
 Rice Institute, Bhubaneswar, India.
 Texas Instruments, Inc.
 October 7, 1977

$$\rho = \frac{|A+B|}{\frac{1}{2}(|A|+|B|)}$$

COMMON MODE REJECTION RATIO

EE 368 - ELECTRONIC CIRCUITS
 Experiment No. _____
 Differential Amplifier

- Build a two-transistor differential amplifier as shown. The approximate quiescent operating points for each transistor is to be $V_{CE} = -5V$ and $I_C = 1.0mA$. Select values of resistors so that $-V_{CE} > V_{CE} > -2V$. After the amplifier is designed and built, measure the quiescent conditions. Measure and record the beta values of your transistors.

BETA = 150



FIG. 1
 DIFFERENTIAL AMPLIFIER

X See part 2.

- Interchange the transistors and again measure the quiescent conditions including V_{CE} . Make sure the transistors are biased in their active regions. Record your measured values.
- Apply ^{AC} signals to V_{C1} or Input #1, then to Input #2 and measure the A values of voltage gain.

$$\frac{V_{C1}}{V_1}, \frac{V_{C2}}{V_1}, \frac{V_{C1}}{V_2} \text{ and } \frac{V_{C2}}{V_2}$$

Combine these gains in products A and B in the equation
 $V_o = AV_1 + BV_2$.

- Calculate V_o for $V_1 = V_2 =$ some appropriate value. From Part 3 and 4 calculate the common mode rejection ratio.

5. Apply input signals as in Part 4 and measure V_o . Compare results with predicted value from Part 4.
6. Measure the output impedance to ground of each of the two outputs, V_{o1} and V_{o2} .
7. Connect input #2 and short out (with a capacitor) R_{e1} and you have an emitter-coupled two-stage amplifier. Measure the gain of this amplifier.

BOB MARKS

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terre Haute, Indiana
Sept. 21, 1971

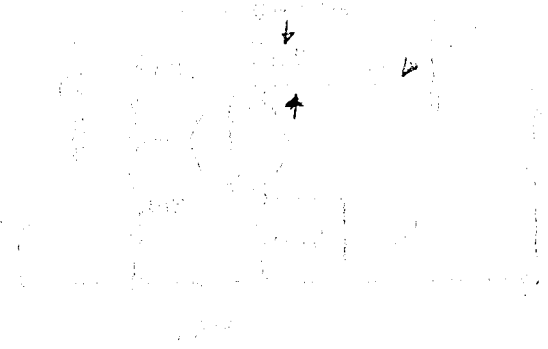
EE363 (Both)
Note on first computer
homework assignment.

Not later than ¹¹⁰⁰~~9:30~~ PM EST Friday, September 24, 1971
you are to turn in the first ~~attempt~~ attempt at this
problem ~~as posed originally on May 20, 1971~~. This
problem will subsequently be call^{ed} computer problem
number one. The problem asks you to compile and execute in
order to meet the requirements for credit on this
homework problem. Please turn in the computer print-
out as well as anything else that you feel is worthy
of notes; e. g., an explanation of how you are altering
your original design so that more of the cases considered
in your worst case analysis will meet the design specs
of the amplifier regarding quiescent operating point
stability.

1. Generalized Impedance $Z_{in}(s)$
 of a Two-Port Network N
 with Open-Circuit $Z_{oc}(s)$
 and Short-Circuit $Z_{sc}(s)$

Let $Z_{in}(s)$ be the input impedance
 of N with open-circuit
 and short-circuit $Z_{oc}(s)$ and $Z_{sc}(s)$

1. Find the input impedance $Z_{in}(s)$ of N with open-circuit $Z_{oc}(s)$ and short-circuit $Z_{sc}(s)$



2. Find the input impedance $Z_{in}(s)$ of N with open-circuit $Z_{oc}(s)$ and short-circuit $Z_{sc}(s)$



3. Find the input impedance $Z_{in}(s)$ of N with open-circuit $Z_{oc}(s)$ and short-circuit $Z_{sc}(s)$



1966

A test is made to see that Z does not converge to a previously found root. If $\text{ABS}(Z(1)) > 10^{-6}$ then Z is replaced by $Z(1,001)$.

In some situations it is necessary to use $\text{ABS}(Z(1)) > 10^{-6}$ if this quantity is not satisfied then $Z(1)$ is replaced by $0.1 * Z(1) / Z(1)$.

Miller, method in area.

For example,

Miller, R. "Elements of Numerical Analysis", Wiley 1966, pp. 198-200.

Miller, R. "Technique of Solving Algebraic Equations Using an Automatic Computer", Math. Theory and Aids to Computation 10 (1955), pp. 208-215.

LIBCOPY(CSCBIN, ~~LGØ~~ LGØ, MULLER)
 LGØ.

ROUTINE MULLER

OVERS USED
 SERIES

Purpose

To find the zeros of a complex valued function of a complex variable, $F(Z)$.

Usage

CALL MULLER(M,N,RTS,MAXIT,EP1,EP2,FM,FNREAL)

Parameter FM requires an external statement.

Description of Parameters

- KN - the number of previously computed roots, stored in RTS(1), ..., RTS(KN). *(known at time of call)*
- N - the number of roots to be found for this call of MULLER - will be stored in RTS(KN+1), ..., RTS(KN+N).
- RTS - complex (KN+N)-vector of roots. Initially, RTS(KN+1), ..., RTS(KN+N) should contain approximations to the N roots. (If approximations are not known set RTS(KN+1)=0.0, i=1, ..., N).
- MAXIT - the maximum number of iterations allowed. Usually MAXIT .LE. 100. If the number of iterations exceeds MAXIT, the last iterate is accepted as a root of $F(Z)=0$.
- EP1 - criterion for relative convergence test. Let $\{Z(i)\}$ be a sequence generated by Muller. *(10^{-9})*
 If $CABS((Z(N)-Z(N-1))/Z(N))$.LT. EP1 then $Z(N)$ is accepted as a root of $F(Z)=0$.
- EP2 - criterion for absolute convergence test. *(10^{-8})*
 Let $FP(Z)=F(Z)/P$ where $P=(Z-Z(1))*(Z-Z(2))*\dots*(Z-Z(K-1))$, and $Z(1), \dots, Z(K-1)$ are the previously found roots.
 If $((CABS(F(Z))$.LT. EP2) .AND. (CABS(FP(Z)) .LT. EP2)) then Z is accepted as a root of $F(Z)=0$.
- FM - a user supplied subroutine which evaluates $F(Z)$. Its calling sequence must be of the form CALL FM(Z,FZ) where $FZ=F(Z)$, both Z and FZ are complex. *(name in External Statement)*
- FNREAL - logical, if (FNREAL) then iterates will be restricted to real values. FNREAL is passed to Muller as .TRUE. or .FALSE.. This option may be used when F is defined for real values only. In that case use REAL(Z) in the function evaluation subroutine.

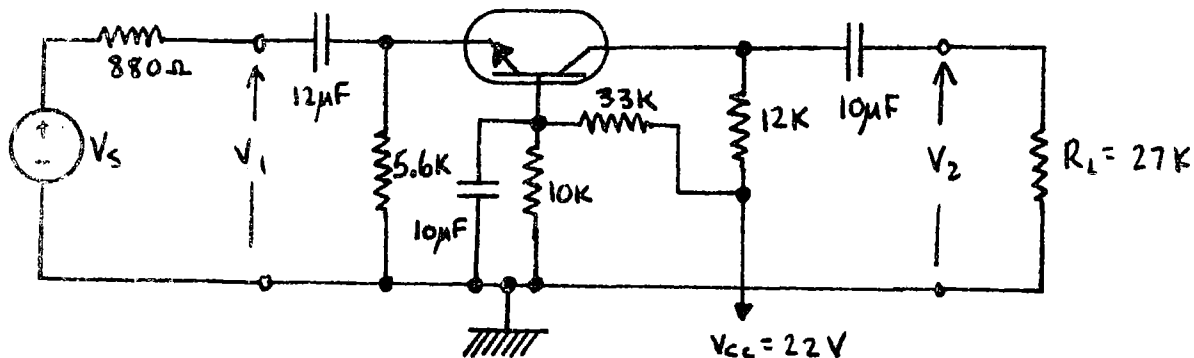
Electrical Engineering Dept.
 Rose-Hulman Institute of Tech.
 Terre Haute, Indiana
 November 3, 1971

EE363 - Electronics Circuits
 Computer problem no. 4
 Due at a later date.

Two possibilities=

I. Common base amplifier

Use the same transistor as in computer problem no. 3 and do a frequency response analysis on the common base amplifier shown. Assume the same source and load impedances. Plot the same curves. In addition compare the insertion power gains of the two amplifiers in the midband region.



II. Common emitter, design program

Use the amplifier of problem 3 and alter the program to use Muller's method to determine the correct value of emitter bypass capacitor such that the low frequency half power point is at (a) 20 Hz, (b) 200 Hz. Assume that the input and output capacitors are "large" for this calculation. You will not need to print out or plot frequency response for this problem. Use the power gain as the criterion for frequency response.

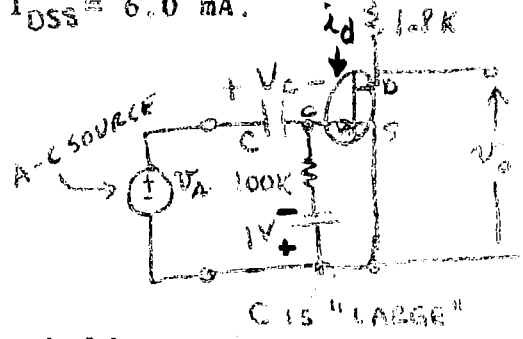
Electrical Engineering Dept.
Rose-Hulman Institute of Technology
Terre Haute, Indiana
May 25, 1971

EE 262 - Electronics I
Test No. 2
Closed books - 50 minutes.

44

1. Shown is an FET amplifier. For this FET you may assume $I_D = I_{DSS}(1 - v_{GS}/V_p)^2$ where $V_p = -2.5V$ and $I_{DSS} = 6.0 mA$. Second order effects may be neglected.

- 3 (a) Find I_D and V_{DS} , the quiescent operating point values.
- (b) Find v_o .
- (c) What instantaneous value of v_g will cause the transistor to be on the threshold of cutoff during one instant of the a-c cycle.
- (d) What is the small signal voltage gain of the amplifier, v_o/v_g ?



a) $V_p = -2.5$; $I_{DSS} = 6.0$
AT QUIESCENCE

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_p}\right)^2$$

$$\Rightarrow I_D = 6 \left(1 - \frac{1}{-2.5}\right)^2$$

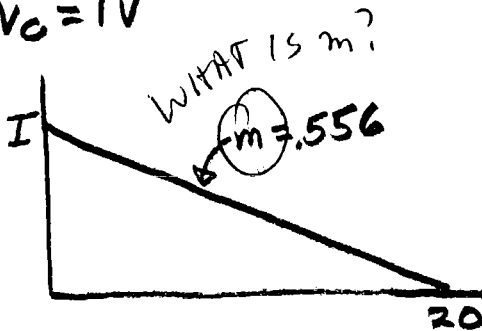
$$= 6(1 - 0.4)^2 = 3.6 \text{ mA}$$

$$V_{DS} = 20 - 1.8(3.6)$$

$$= 20 - 6.47 = 13.53 \text{ V}$$

b) $V_o = 1V$

c)



$$\frac{I_c}{20} = 0.566 \Rightarrow I_c = 11.3$$

$$V_{GS} = \left[\sqrt{I_D/I_{DSS}} - 1\right] V_p$$

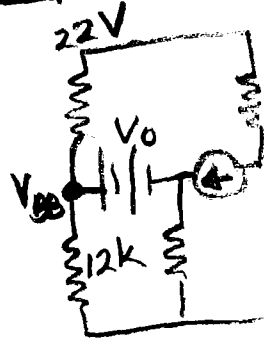
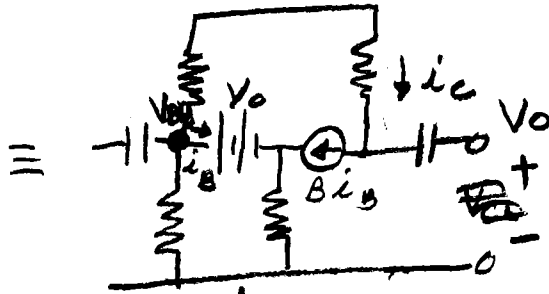
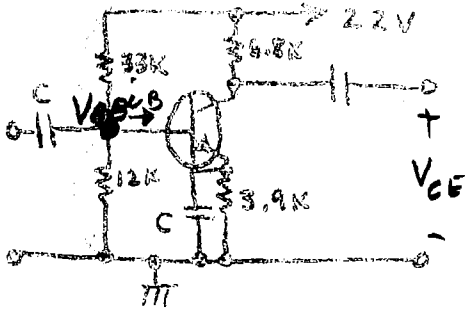
$$= (1 - 0.358) 2.5$$

$$= 0.642(2.5) = 1.6 \text{ V}$$

d) $K_v = \frac{-2R_d I_{DSS}}{V_p} = \frac{-2(1.8)(6)}{2.5} = -8.64$

6

2. Analyse the amplifier shown. Assume $\beta = 100$, $I_{CE0} = 0$, and $V_{BE} = 0.6V$ for the transistor.



- Find I_C .
- Find V_{CE} .
- Find the ratio of V_{BB}/V_o .
- Find S_e .

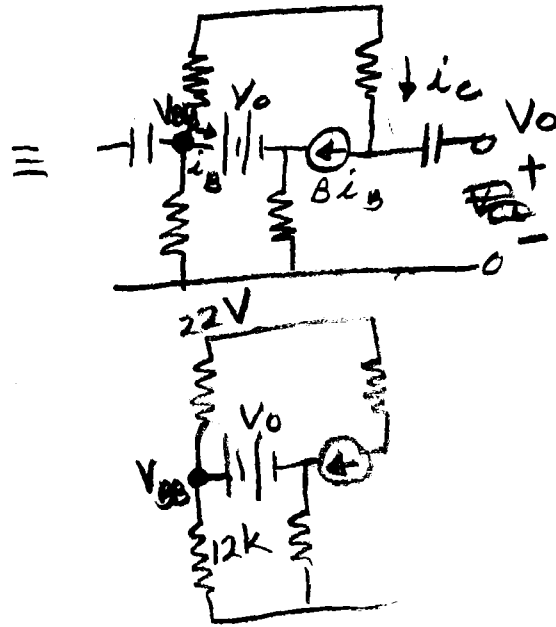
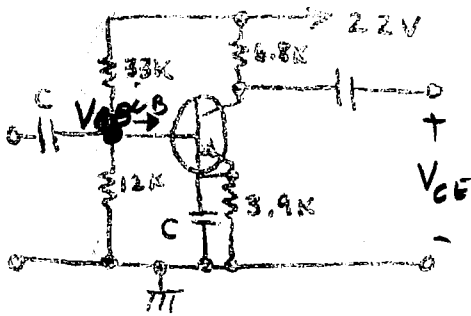
0 a) $I_C = \beta I_B$
 $I_B = \frac{V_o}{15.9} = \frac{.6}{15.9} = .0377 \text{ mA}$
 $\Rightarrow I_C = 3.77 \text{ mA}$ Where from?

✓ b) ~~$V_{CE} = 22 - (6.8)(3.77)$~~
 ~~$V_{CE} = 22 - (3.22)(3.77)$~~
 ~~$V_{CE} = 22 - 12.8 = 9.2 \text{ V}$~~

~~$V_o = 3.9 \parallel 12 = \frac{4.68}{15.9} = 2.94 \text{ k}$~~
 ~~$V_{CE} = 22 - (2.94)(3.77)$~~
 ~~$V_{CE} = 22 - 11 = 11 \text{ V}$~~

✓ c) ~~$V_o = 39.8 i_c$~~ $V_{BB} = 22 \frac{12}{45} = 5.87$
 $\frac{V_{BB}}{V_o} = \frac{5.87}{.6} = 9.79$

2. Analyse the amplifier shown. Assume $\beta = 100$, $I_{CEO} = 0$, and $V_o = .6V$ for the transistor.



- (a) Find I_c .
- (b) Find V_{CE} .
- (c) n , the ratio of V_{BB}/V_o .
- (d) S_e .

0 a) $I_c = \beta I_b$
 $I_b = \frac{V_o}{15.9} = \frac{.6}{15.9} = .0377 \text{ mA}$
 $\Rightarrow I_c = 3.77 \text{ mA}$ Where from?

✓ b) ~~$V_{CE} = 22 - (4.8)(3.77)$~~
 ~~$= 22 - 18.1$~~
 ~~$4.8 \parallel 33k = \frac{224}{69.8} = 3.22k$~~

~~$V_{CE} = 22 - (3.22)(3.77)$~~
 ~~$= 22 - 12.1 = 9.9V$~~

c) ~~$V_o = 3.9 \parallel 12 = \frac{4.68}{15.9} = 2.94k$~~

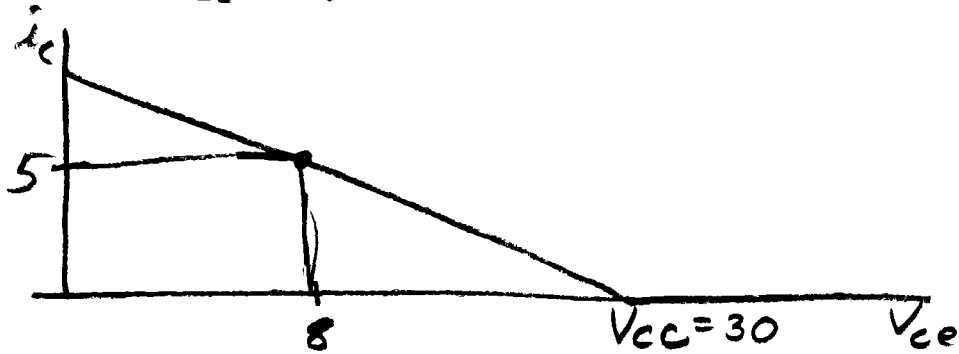
~~$V_{CE} = 22 - (2.94)(3.77)$~~
 ~~$= 22 - 11 = 11V$~~

✓ c) ~~$V_o = 3.9 \parallel 12$~~ $V_{BB} = 22 \frac{12}{45} = 5.87$

$\frac{V_{BB}}{V_o} = \frac{5.87}{.6} = 9.79$

3. A transistor amplifier is being designed with regard to stabilizing its quiescent operating point with respect to variations in β . The beta spread is known to be 70-200, and V_{be} is 0.7V. If the d-c supply voltage is 30V, select values of R_1 , R_2 , R_e , and R_c such that I_c is guaranteed to lie between 4 and 5 mA and V_{ce} is 8V when $I_c = 5.0$ mA.

$70 < \beta < 200$ $V_{be} = 0.7$ $V_{cc} = 30V$ $4 < I_c < 5$
 $V_{ce} = 8 ; I_c = 5$



$\frac{5}{8} = \frac{1}{R_c + R_e} \Rightarrow R_c + R_e = \frac{8}{5} k$
 $S_{e2} = \frac{1}{100} \cdot 4 = 0.004$ $\frac{(1)(70)}{(4)(130)} = .134$ $1.25 R_c = \frac{8}{5}$
 $\Rightarrow R_c = 2.13 k \Omega$
 $\therefore R_e = .52 k \Omega$

~~$V_{BB} = \frac{R_1}{R_1 + R_2} 30$
 $R_b = \frac{R_1 R_2}{R_1 + R_2} = R_1 V_{BB}$
 $\rightarrow 30 R_b = R_1 V_{BB}$
 $V_{BB} (1 - \frac{R_1}{R_2}) = 30$
 $\frac{30 V_{BB}}{30} = \frac{R_2}{R_1 + R_2} (1 - \frac{R_1}{R_2})$
 $900 R_2 = R_1$
 $\frac{R_1}{R_b} = \frac{S_{e2} (1 - \beta_1)}{(1 + \beta_1)}$
 $V_{BB} = 30 \frac{R_2}{R_1 + R_2}$
 $134 = S_{e2} \frac{R_c + R_e}{R_1 + (\beta + 1) R_e}$~~

TWO TIMES IT WAS ANNOUNCED IN CLASS THAT THIS PROBLEM WOULD BE ON THE TEST, BOO!

3

HEY, HEY, HEY!
IT'S
FREAKY
BOB!

Electrical Engineering Dept.
 Rose-Hulman Inst. of Tech.
 Terre Haute, Ind.
 Sept. 16, 1971

EE 363 - Electronic Circuits
 HOMEWORK ASSIGNMENT

To design, build, and analyze on the computer a single stage common emitter transistor amplifier utilizing a silicon transistor.

The amplifier is to be designed to have a quiescent collector current of $3.0 \text{ mA} \pm 10\%$ when transistors with a beta spread of 50 to 200 are used. Furthermore, collector-to-emitter quiescent voltage should not fall below 6.0 volts under any conditions. The power supply voltage is 25 volts nominally and V_0 for the transistor is 0.7 volts nominally.

Ignoring I_{CQD} , design the transistor amplifier and compute R_1 , R_2 , R_E , and R_C . After you have arrived at values of these resistors, you should select standard value resistors which are closest and analyze the resulting amplifier.

Perform a worst case analysis based on the following:

(a) $50 < \beta < 200$

(b) $.65 < V_0 < .7$

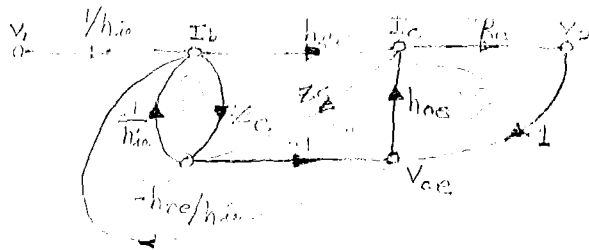
(c) $24 \text{ V} < V_{CC} < 25 \text{ V}$

(d) Resistors have specific tolerances.

Determine in how many of the possible cases the original design specifications are not met. Redesign the amplifier to improve upon this.

Use subroutines stored in permanent files of the CDC 6500 computer.

(4/4)



$$a) \Delta_a = 1 - \left[\frac{Z_e + h_{oe} Z_c + h_{fe} R_c h_{oe} - Z_c h_{oe} - R_c h_{oe}}{h_{ie}} + \frac{Z_c R_c V_{ce}}{h_{ie}} \right]$$

$$= 1 + \frac{Z_c}{h_{ie}} - \frac{h_{fe} Z_c}{h_{ie}} - \frac{h_{fe} R_c h_{oe}}{h_{ie}} + \frac{Z_c h_{oe}}{h_{ie}} + \frac{R_c h_{oe}}{h_{ie}} + \frac{Z_c R_c V_{ce}}{h_{ie}}$$

$$= 1 + \frac{Z_c}{h_{ie}} [1 - h_{fe} + R_c V_{ce}] - \frac{h_{fe} R_c h_{oe}}{h_{ie}} + h_{oe} (R_c + Z_c)$$

$$\Delta_{ia} = \frac{-R_c h_{oe}}{h_{ie}}$$

$$\Delta_{ib} = \frac{1}{1 + Z_e h_{oe} R_c / h_{ie}}$$

$$\Delta_{ia} = 1 - \frac{Z_c h_{oe} R_c - R_c h_{fe}}{h_{ie} + Z_c (1 + h_{fe} + R_c V_{ce}) - h_{fe} R_c h_{oe} + h_{oe} h_{ie} (R_c + Z_c)}$$

b) $\Delta_b = \Delta_a$

$$R_{ib} = 1/h_{ie}$$

$$\Delta_{ib} = 1 + h_{oe} Z_e + R_c h_{oe} = 1 + h_{oe} (Z_e + R_c)$$

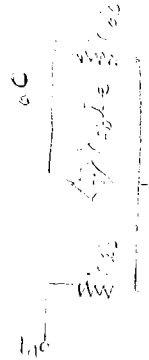
$$\frac{I_b}{V_1} = \frac{1 + h_{oe} (Z_e + R_c)}{h_{ie} + Z_c (1 + h_{fe} + R_c V_{ce}) - h_{fe} R_c h_{oe} + h_{oe} h_{ie} (R_c + Z_c)}$$

$$\Rightarrow \frac{V_2}{V_1} = \frac{V_2}{I_b} \cdot \frac{I_b}{V_1} = \frac{h_{fe} R_c h_{oe} + h_{oe} h_{ie} (R_c + Z_c)}{1 + h_{oe} (Z_e + R_c)}$$

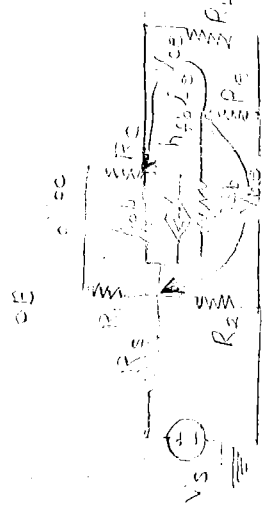
1. 2. 3. 4. 5. 6. 7. 8. 9. 10. 11. 12. 13. 14. 15. 16. 17. 18. 19. 20. 21. 22. 23. 24. 25. 26. 27. 28. 29. 30. 31. 32. 33. 34. 35. 36. 37. 38. 39. 40. 41. 42. 43. 44. 45. 46. 47. 48. 49. 50. 51. 52. 53. 54. 55. 56. 57. 58. 59. 60. 61. 62. 63. 64. 65. 66. 67. 68. 69. 70. 71. 72. 73. 74. 75. 76. 77. 78. 79. 80. 81. 82. 83. 84. 85. 86. 87. 88. 89. 90. 91. 92. 93. 94. 95. 96. 97. 98. 99. 100.

Q.1.1.1.1.1

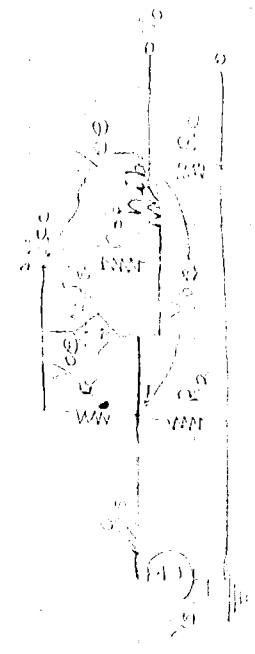
oC



1.1.1.1.1

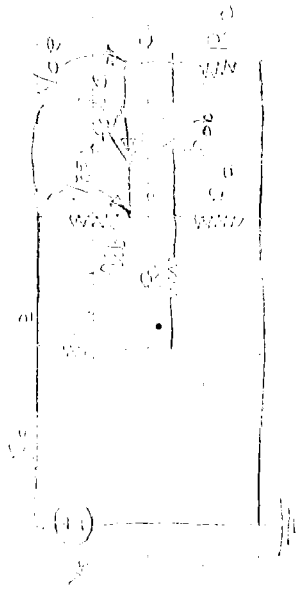


(a)

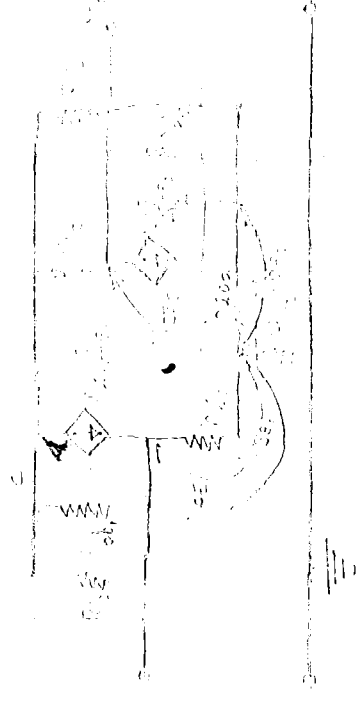


(b)

(c)



(d)



(1/8)

TOTAL

7.5/18

COMPLETE THE FOLLOWING PROBLEMS
 1. A car starts from rest and accelerates at 2 m/s^2 for 5 s .
 How fast is it moving at the end of 5 s ?
 How far has it traveled in this time?

(-1)

here

Electrical Engineering Dept.
Rose-Hulman Institute of Tech.
Terra Haute, Indiana

EE-311 and EE-368 Laboratory

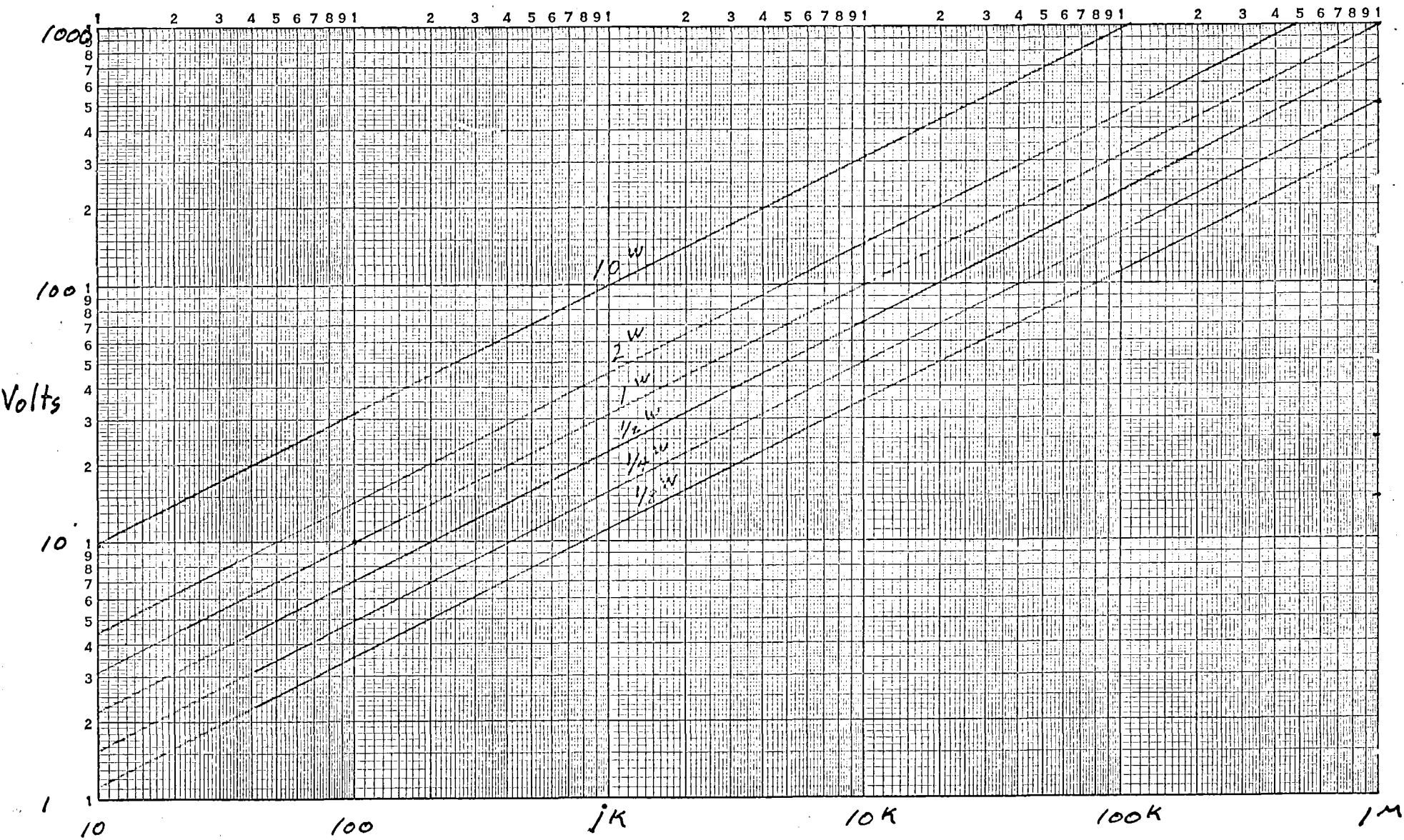
Helpful hints for happy lab books.

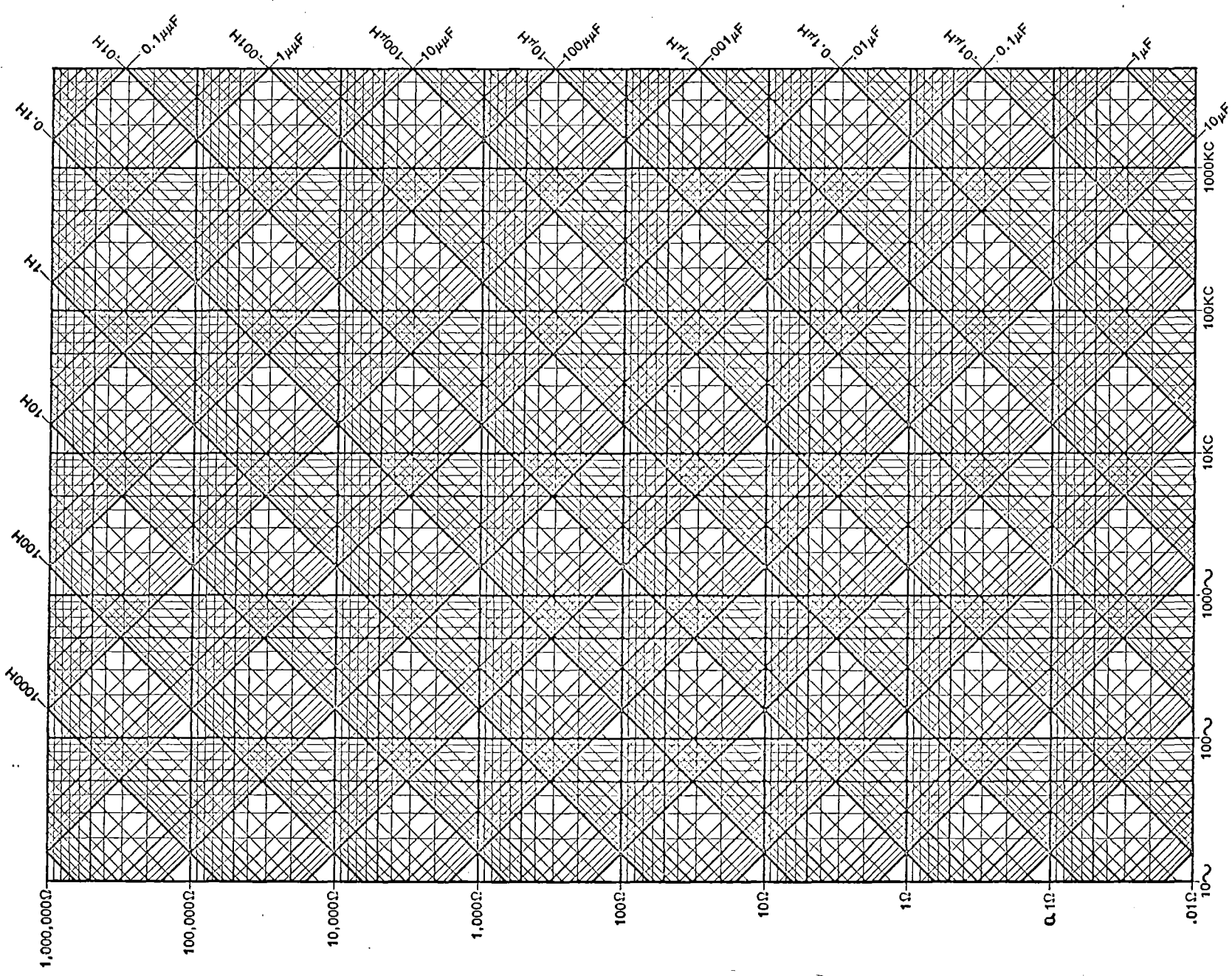
Always keep the notebook in ink.

no loose pages will be allowed.

Always keep all lab notes in the notebook as you are doing the experiment.

4. Keep accurate records which would enable you to repeat your experiment at a later date and get the same results.
5. Make sure a complete circuit diagram is included for all measurements.
6. Record instrument information and numbers. Same for components used in calculations.
7. All tables should have column headings and appropriate units.
8. Tell what it is that you are doing preferably in diary style. When in doubt write it down.
9. All graphs should be on appropriate graph paper permanently attached to the notebook. Each graph should have a title, labelled axes, and units. The preparer of the graph should put his name on the graph.
10. Always use straight edge or curves to draw the graphs.
11. In general put all writing in the lab notebook. It is much easier to keep track of all your notes this way.
12. The experiment instruction sheets are merely to act as a guide in most cases. Do not "Parrot" these instructions in your notebook.





| | | |
|-----------------------|--|-------------|
| NO. OF SHEETS PER SET | | SEE SHEET 1 |
| | | SHEET |

| | |
|-------|------|
| DR. | ENG. |
| CH. | |
| APPLS | |

| | |
|--|--|
| | |
|--|--|

PRINTED IN U.S.A.

ISSUE

In the serial adder since the carry result-
ing from an addition of two bits must be added
to the sum of the bits in the next higher phase,
hence the time delay for the carry pulses must
be the same as the period T for the signals
to be added.

In comparing the parallel and the serial
adders it becomes immediately obvious that
the parallel adder requires much more in the
way of full-adders and is a more expensive.
However parallel is faster than serial and
can produce a "stored" output without or
destroying the input.

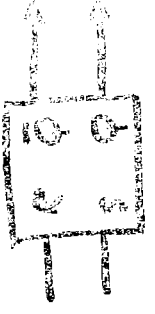
An example of parallel subtractors applied to
a problem is the determination of an unknown
frequency using SUTHERLAND'S, 4 bit odder/sub-
tractors, as shown in the handout (pp 105A)

Registers

Flip-Flop - retains info. indefinitely in
the level (state) of 2 outputs
each of which has two stable
states.

Since it possesses 2 stable states it may be
used to store one binary bit of info., hence
it is also called a "BINARY"

1. NOR-logic RS FF

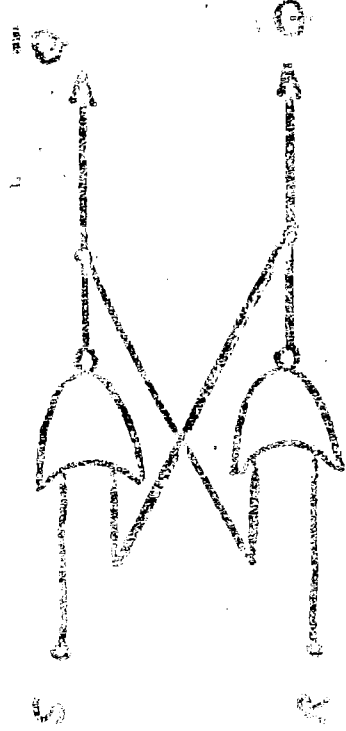


$S(\text{set}) = 1, "1"(Q) = 1, "0"(Q) = 0$

$R(\text{reset}) = 1, "0"(Q) = 1, "1"(Q) = 0$

The condition $R \cdot S = 1$ is constrained

1. NAND-logic RS FF



a "1" on R or S are conditionally controls

Asynchronous

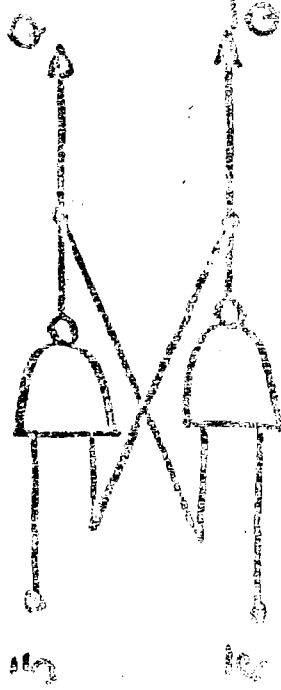
| R | S | S | Q |
|---|---|---|---|
| 1 | 0 | 0 | 1 |
| 0 | 1 | 1 | 0 |
| 1 | 1 | 0 | 0 |
| 0 | 0 | 0 | 0 |

PREVIOUS STATE

Many FF's require a logical zero to energize the inputs. The recommended symbol for this is



2. NAND-logic RS FF



In this ckt, the no. (or reset) levels for R & S are "1"

if, for the same FF, "0" is end, then depending either input will activate the FF. In this case $R.S = 0$ is constrained.

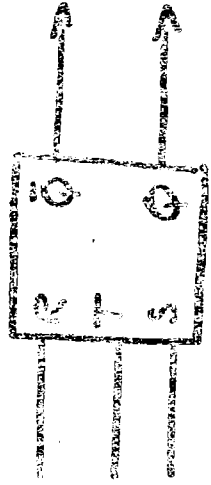
1. Type T FF (TOGGLE)

Triggered or complementing FF
 A pulse applied to T will change the state (EDGE)

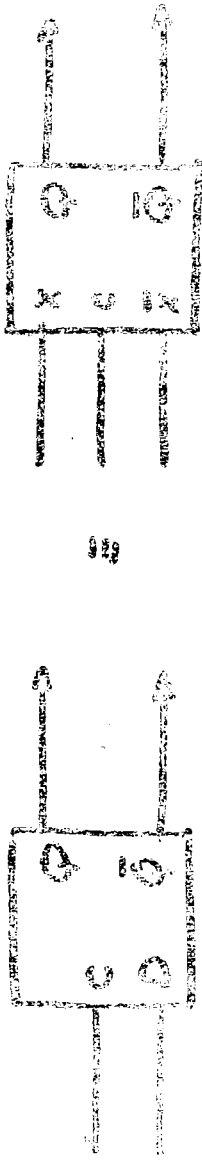


2. R S FF

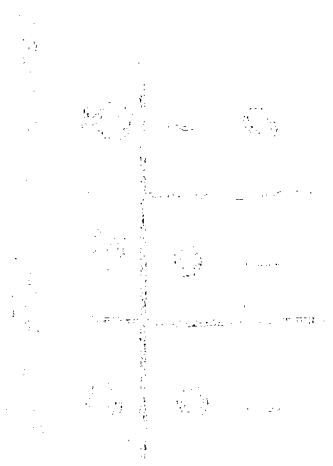
R S control operates independently of T



3. Type D FF



Type D FF will pass or transfer a bit but with a delay determined by the clock pulse.

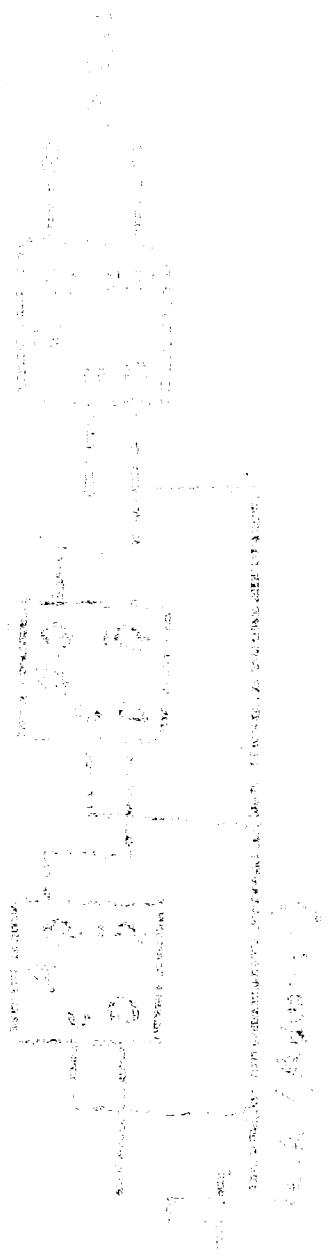


Two inputs, two outputs

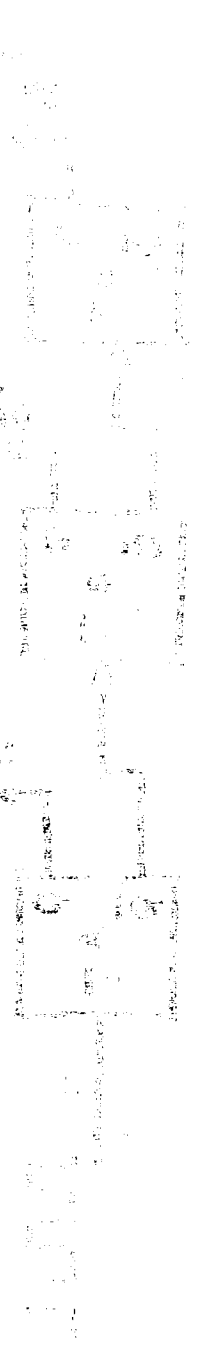
Two inputs, two outputs
 in a single circuit

Two inputs, two outputs
 in a single circuit

Two inputs, two outputs
 in a single circuit



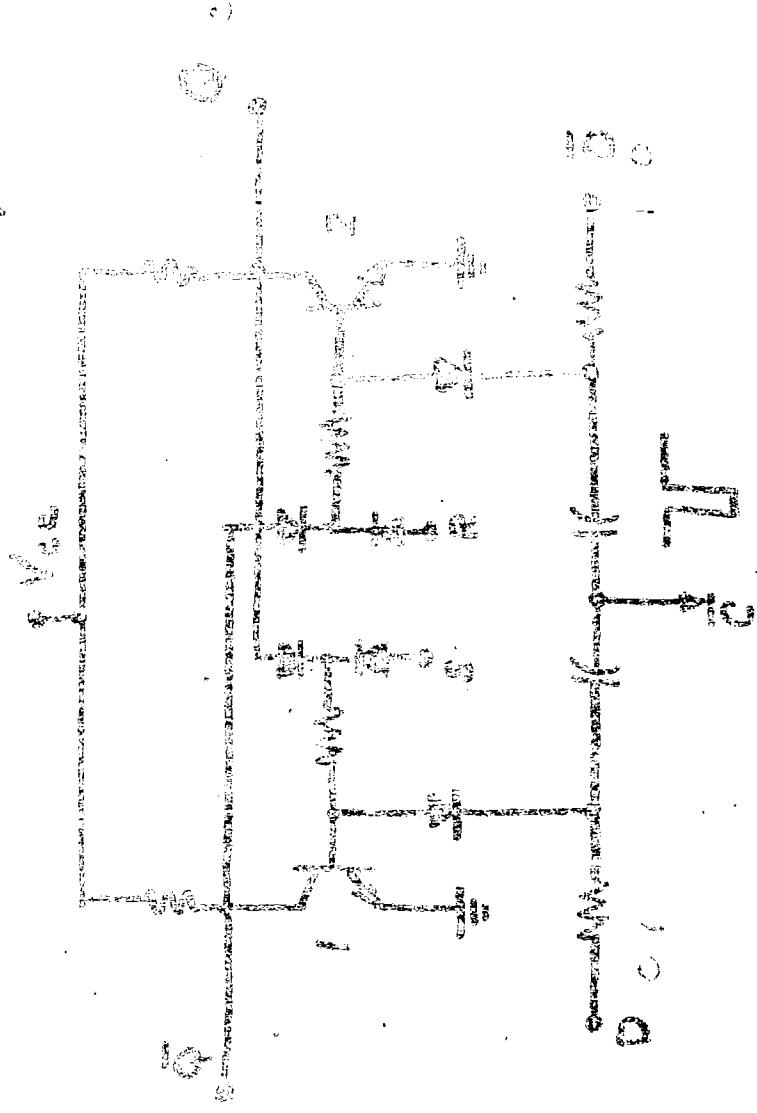
Two inputs, two outputs
 in a single circuit



Two inputs, two outputs
 in a single circuit

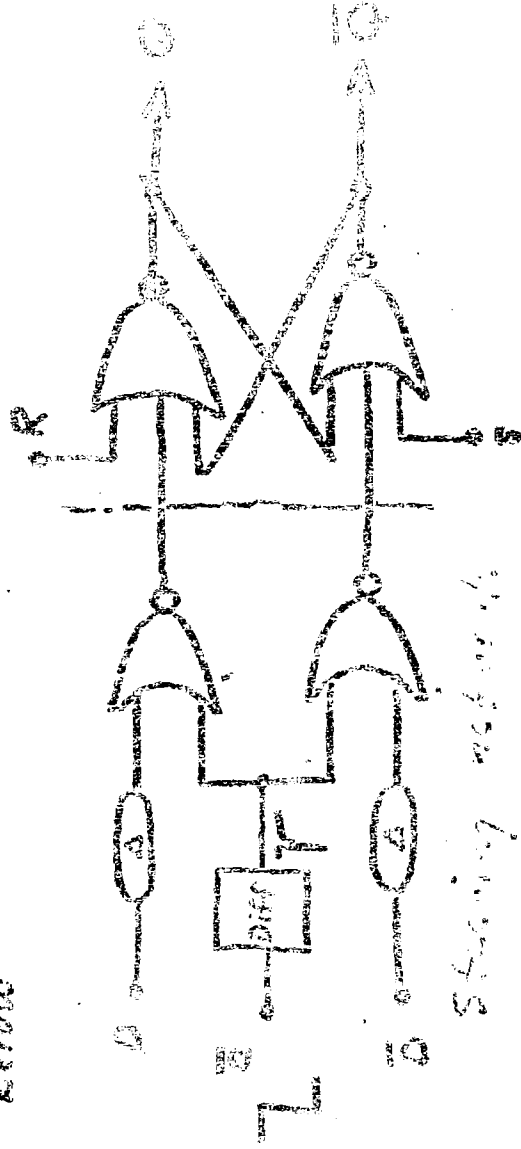
Two inputs, two outputs
 in a single circuit

How could we construct a D-type flip?





Discrete-Component D-type

We can redraw in basic logic form as shown below

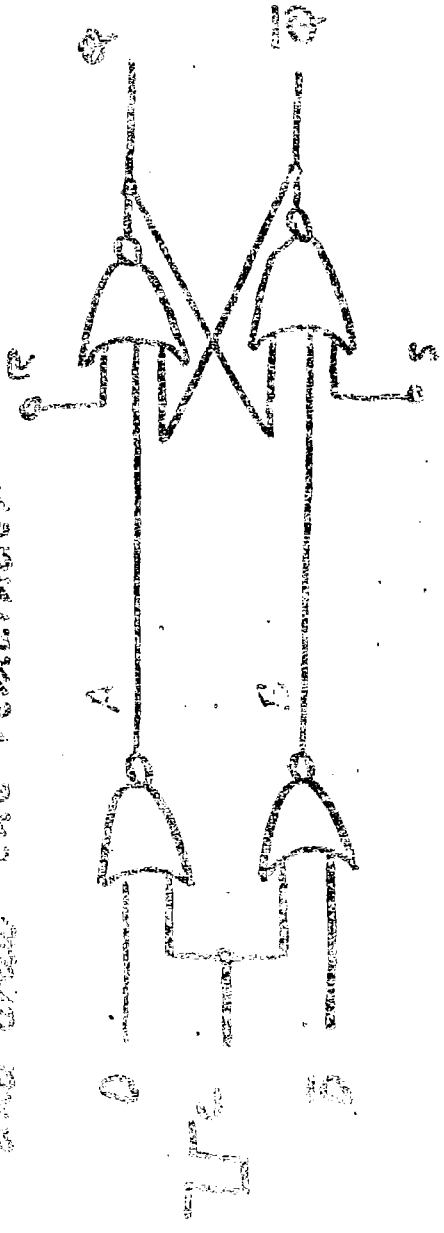


Stairing network

where  represent time delays and  is a differentiator.

See also...

assume no gate delay & delay of delays
and draw the remainder



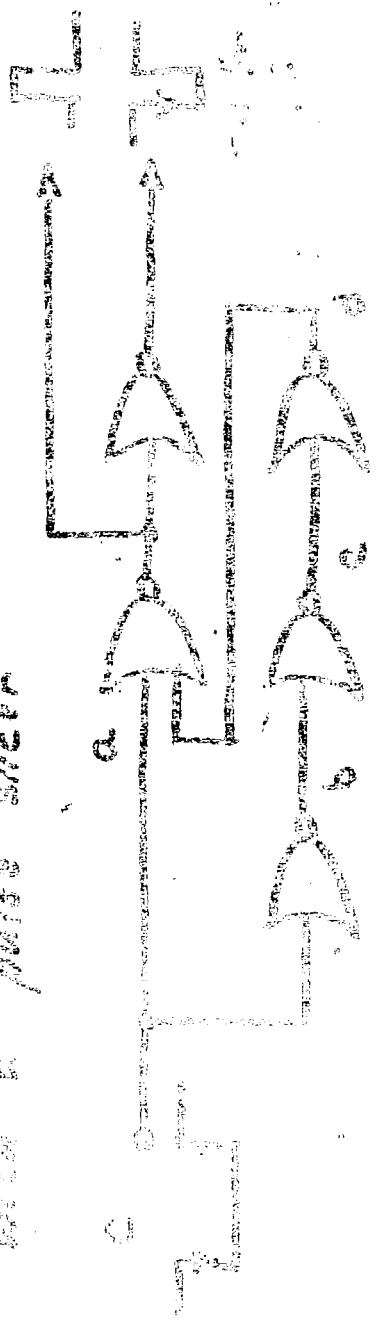
This results in a Half-Shift FF (what happens
w/o delay of r.o.s?)

For proper operation for a full-shift we will

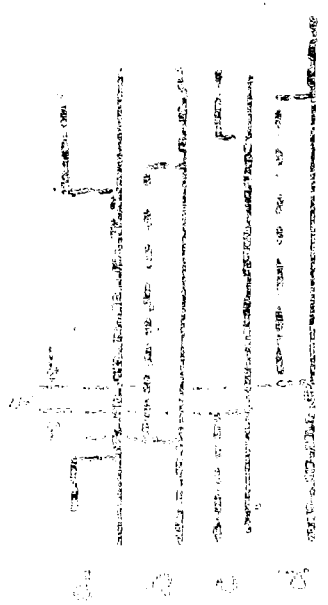
find that $\Delta > T_p > 2\delta$

where δ = Half-Pair Delay

We can reduce the pulse width of the clock
with a "pulse shaper"

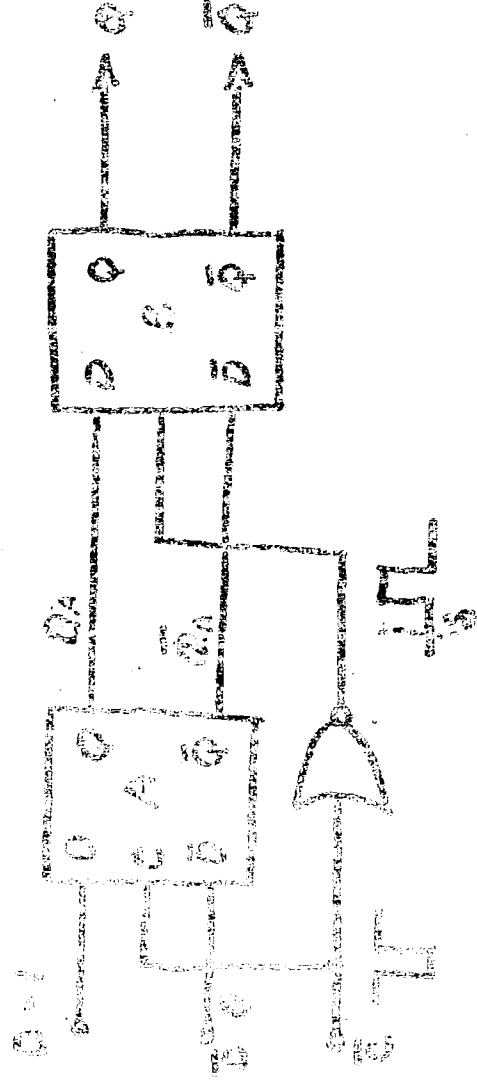


This configuration reduces
the clock to only 85% width



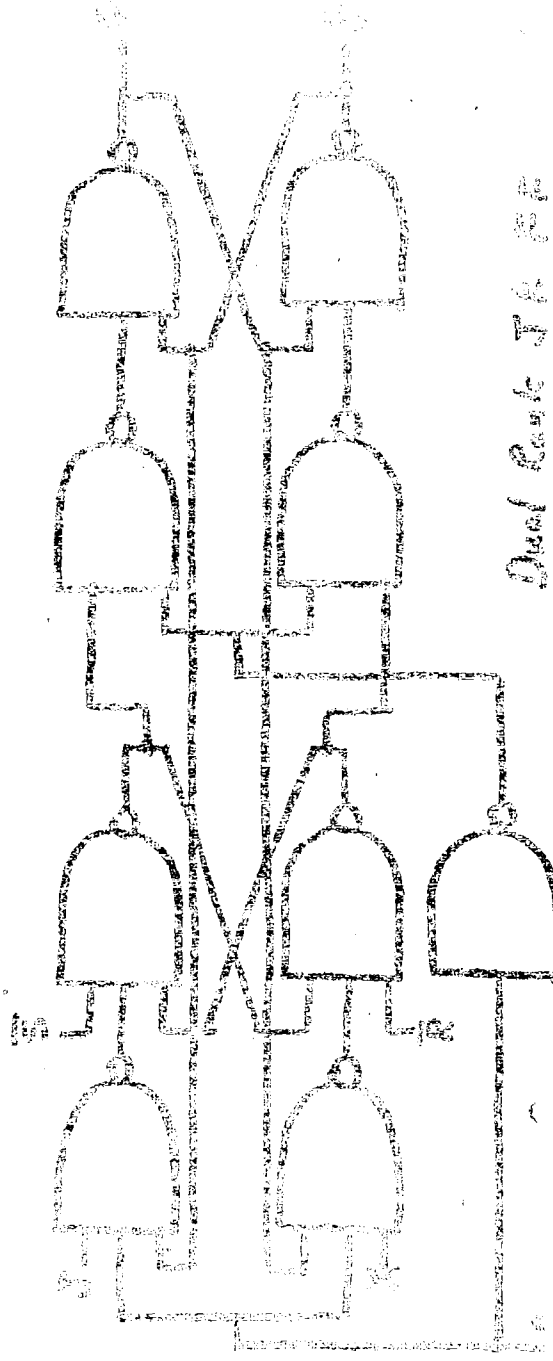
For a 20 clock width, we will need a
 minimum of 4 gates/per delay. Hence a
 min. no. of gates to replace the steering circuit
 directly is 13. Let us try one easier approach.

Suppose we cascade two Half-Shift FF's.



This technique still requires 5 additional gates to replace diff. but none for the delay action which is provided for by the uncliff. clock pulse width.

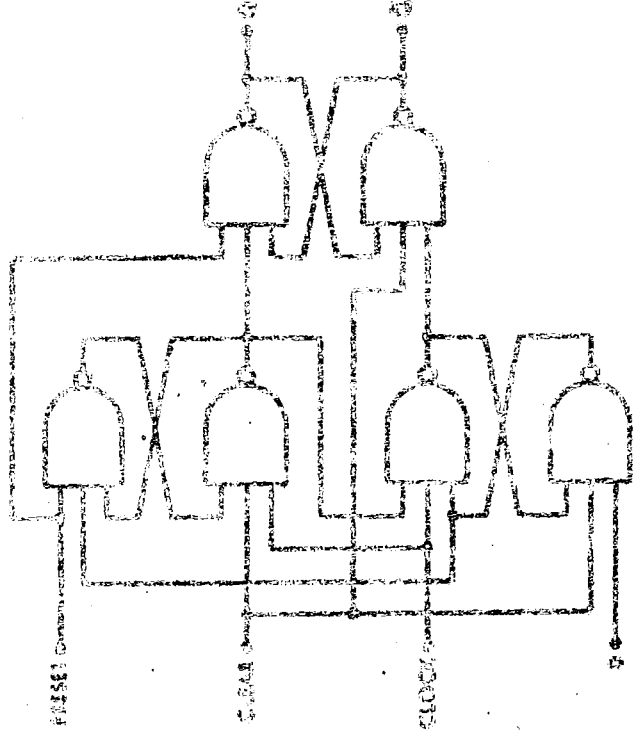
This very common application is called a clock and an master-slave FF (Note the change in name)



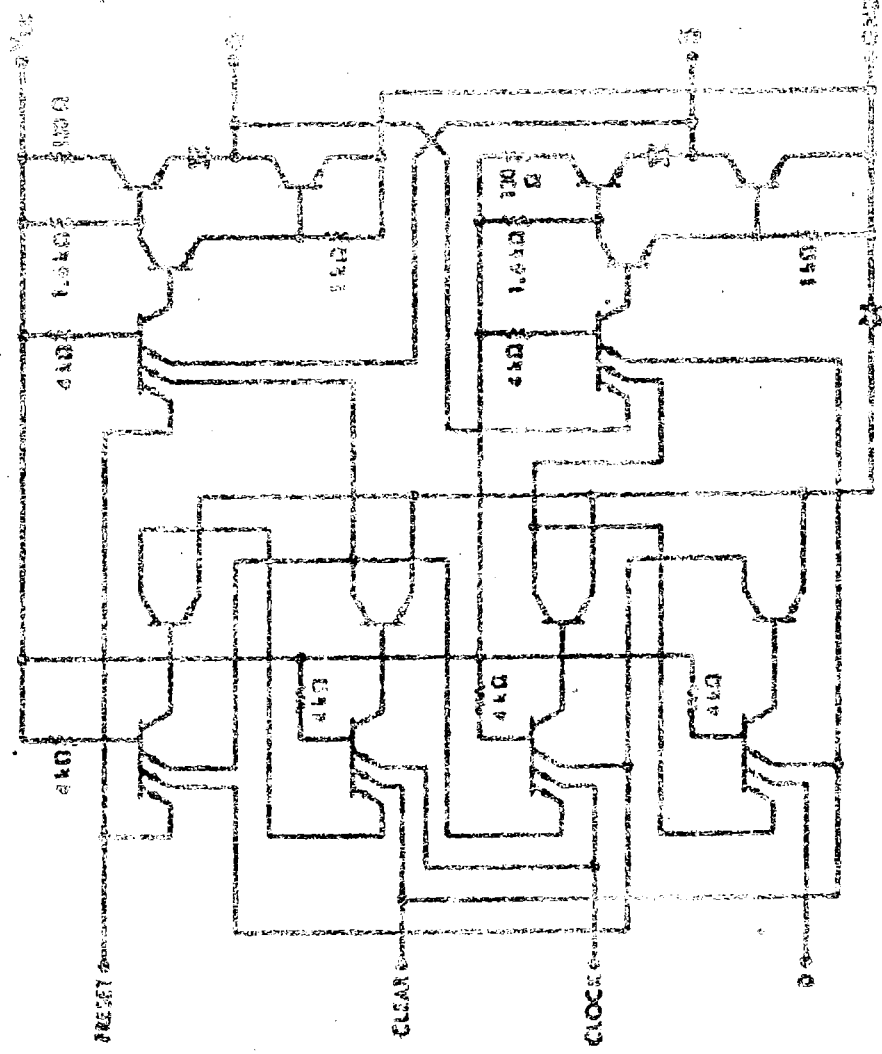
Dual Edge JK FF

100-100000-000000-000000

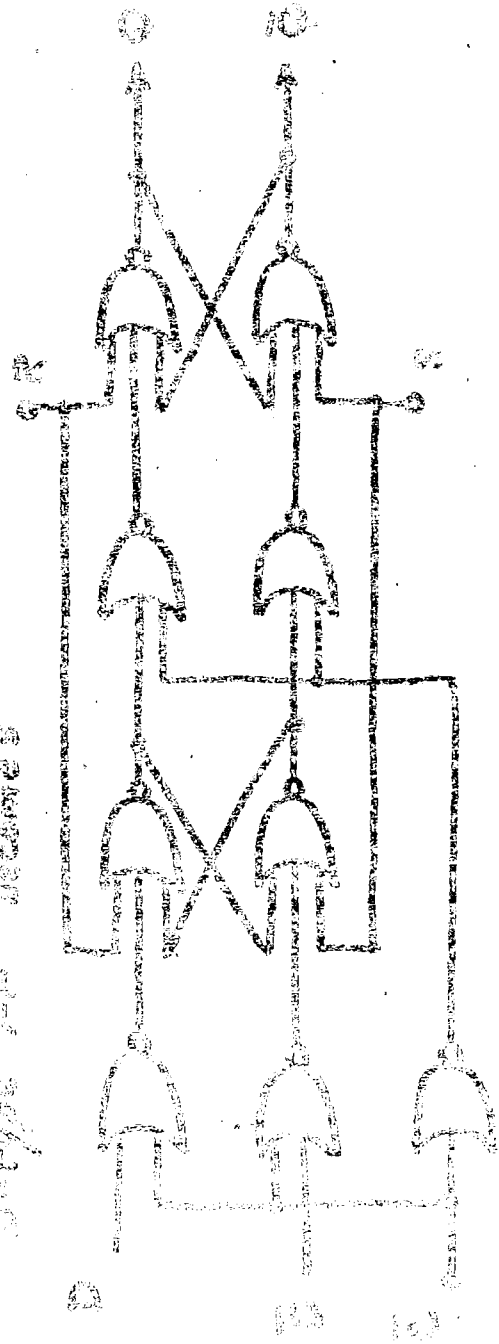
Automatic (wash stop) diagram



Automatic (wash stop)

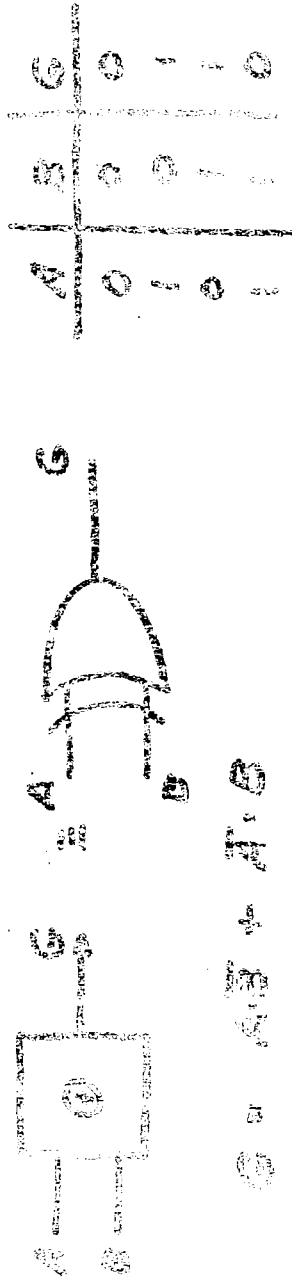


Output AB becomes



Verification of proper operation is left as an exercise for the student.

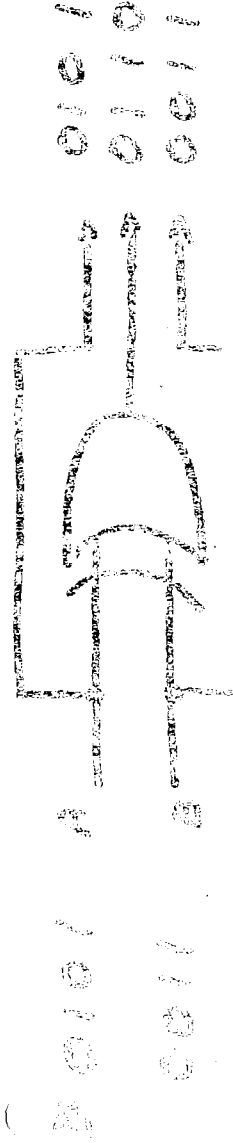
Review of Mod 2 Adder (Exclusive OR)



$$S = A \oplus B = A \cdot \bar{B} + \bar{A} \cdot B$$

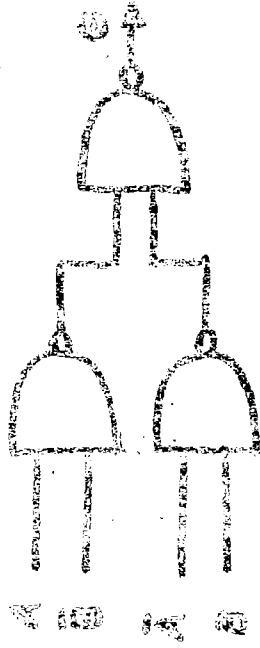
Functions called a "binary comparator" because it compares A & B, indicating a mismatch by an output of "1".

Used as a "parity" checker because it measures the no. of 1's at input in terms of even or oddness (OE is an even parity generator)

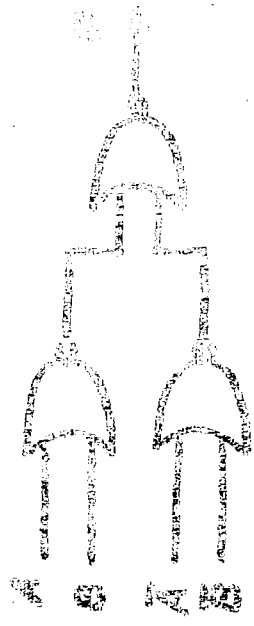


Implementation

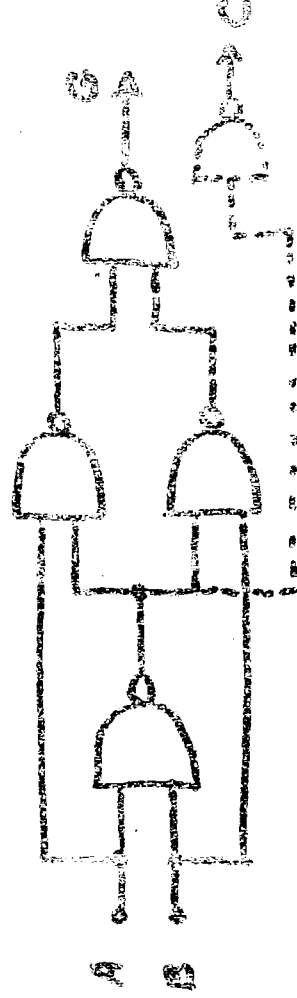
A. AND logic



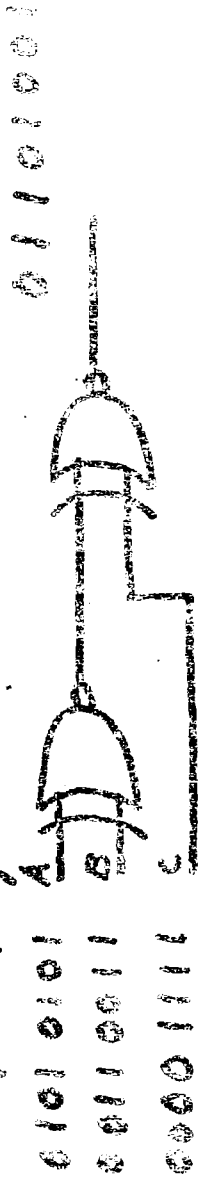
B. NOR logic



The above are not suited for T.C. applications because too many inputs are required as two inverters are necessary. By adding another gate as shown below the need for inverted inputs is abated.



Two NE's could be combined to produce a 2-input parity generator



01010101
 10100111
 00011111

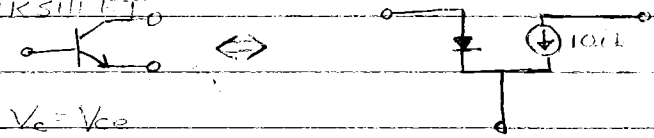
01101001

DIGITAL ELECTRONICS

Q. 10) V_{CE} = 10V
 P. 10) V_{CE} = 10V

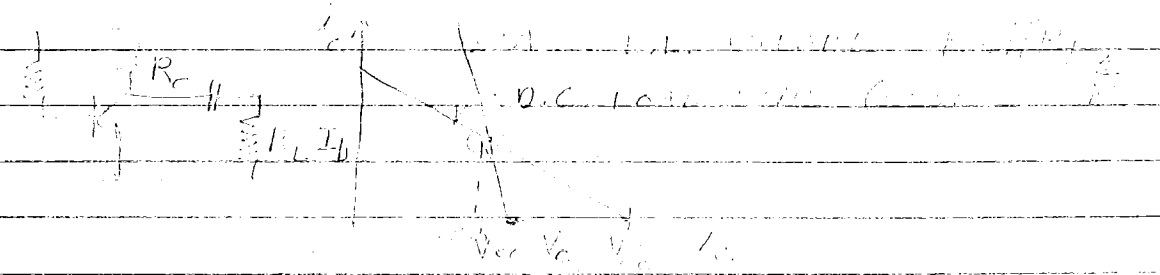
WORKSHEET

7)



$V_o = V_{ce}$

8) A.C. LOADLINE



10) WILL BE UNDESIRABLE BECAUSE, $V_{ce} < V_{ce}$ MUST NOT GO BELOW V_{ce} OR $I_c > I_c$ WILL BE IN THE REGION OF I_c CURVE

11) $\beta = 120$

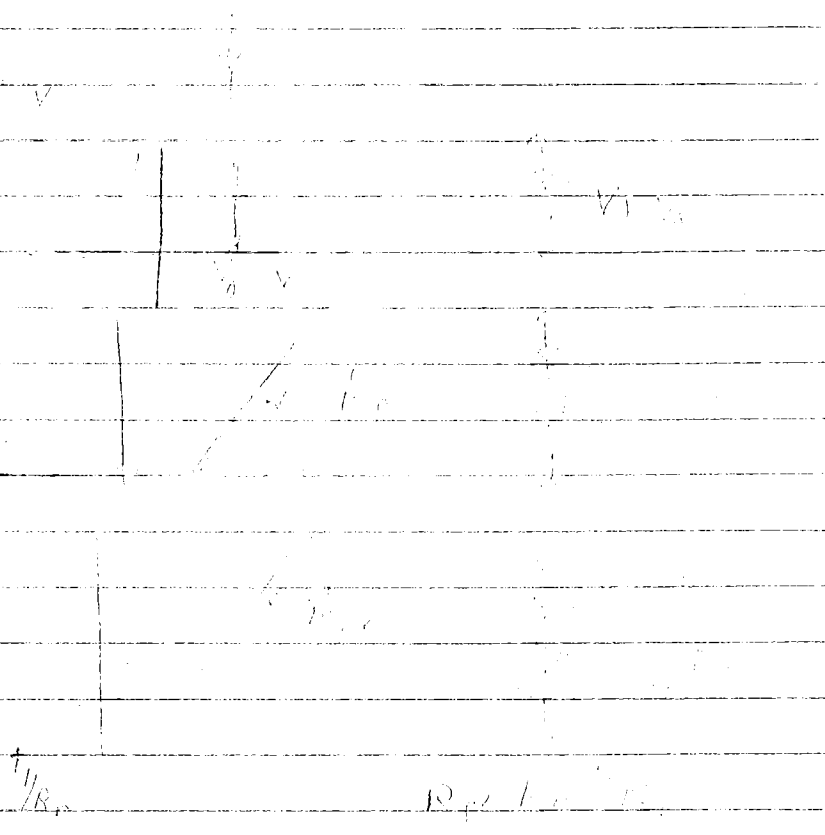
NOTE

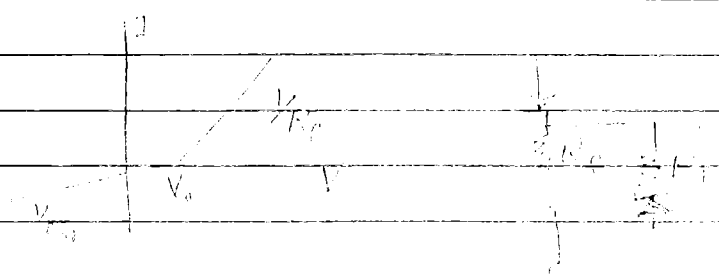
1) $V_{ce} = 10V$

2) $I_c = 10mA$ (APPROX)

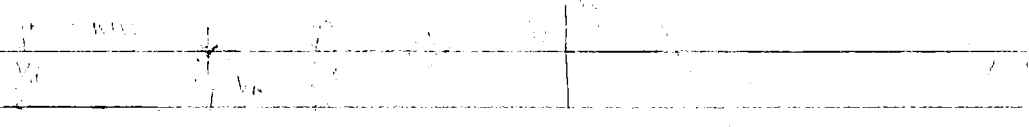
3) $V_{ce} = 10V$

4) $I_c = 10mA$

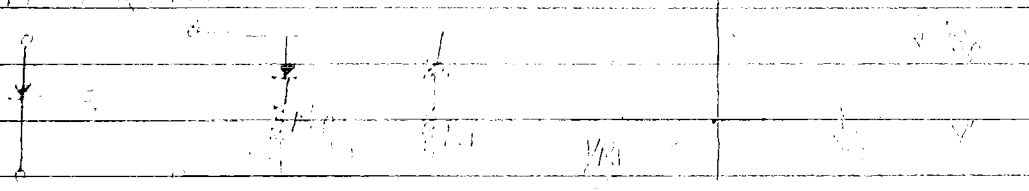




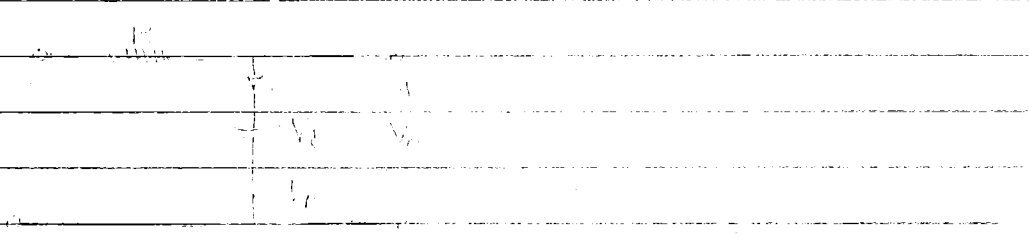
REVERSE CLIPPING



DIODE IN GATE



FORWARD BIASING



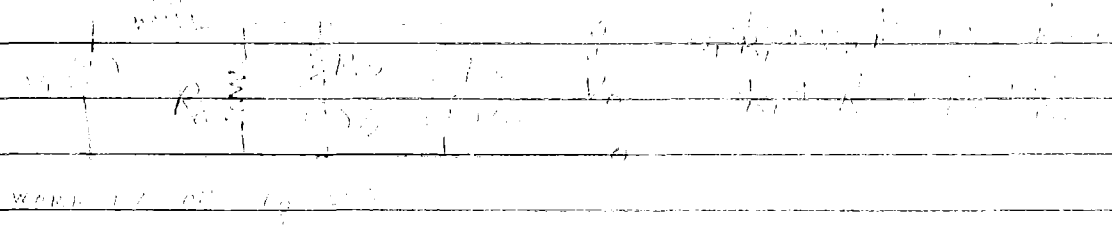
CLIPPING AT GROUND



ANTI-SATURATION

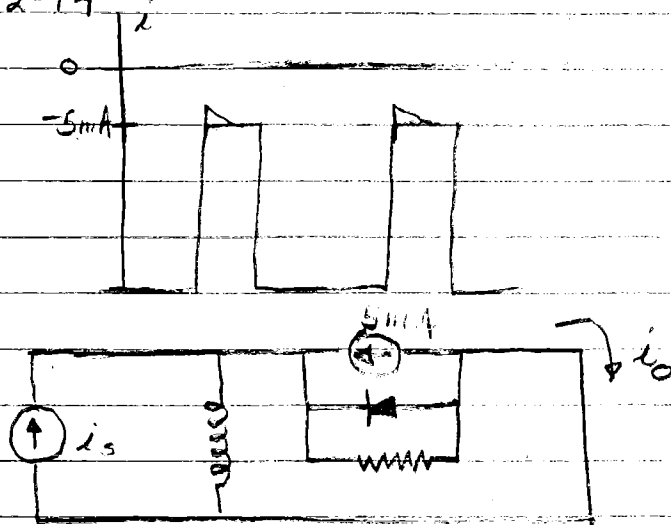
ANTI-SATURATION

9-21-71 MILITARY MODEL



9-28-71

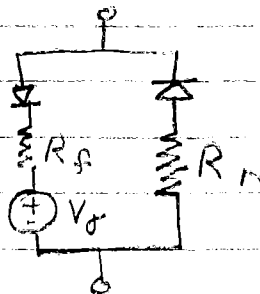
DO 2-14



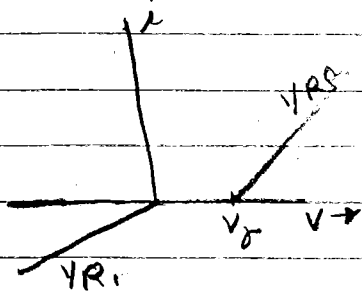
MODELS TO USE

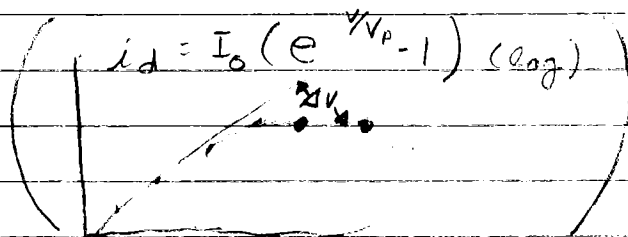


R_s, V_0
 E_1

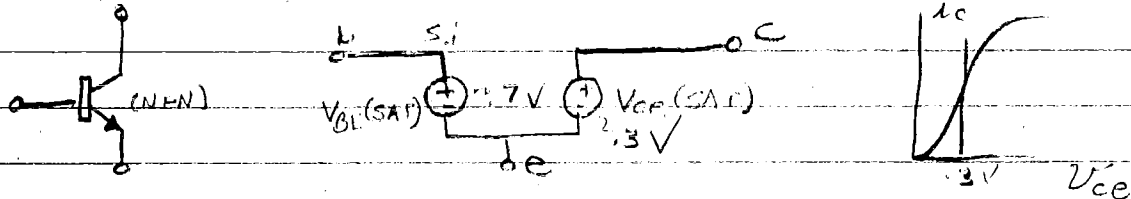


IDEAL DIODE

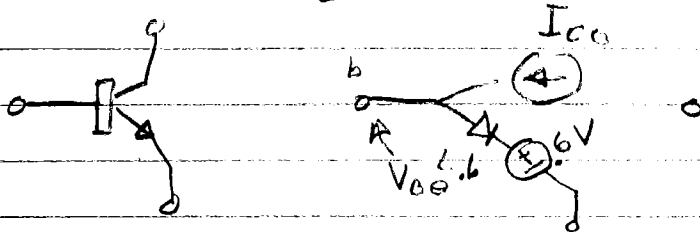




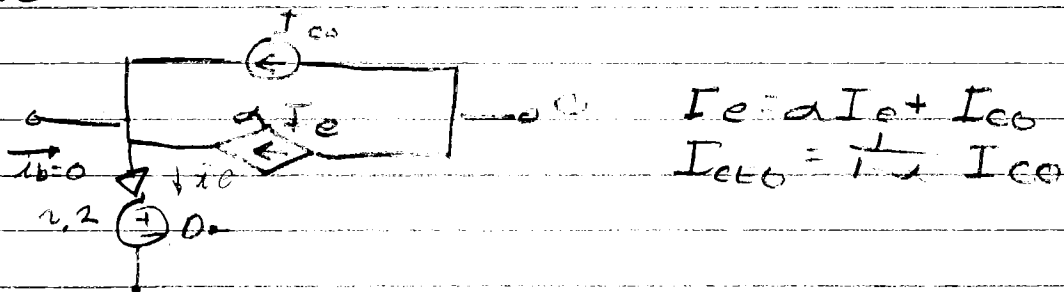
2) BJT MODEL (SATURATION)



3) CUT-OFF MODEL (BJT)



3) ACTIVE



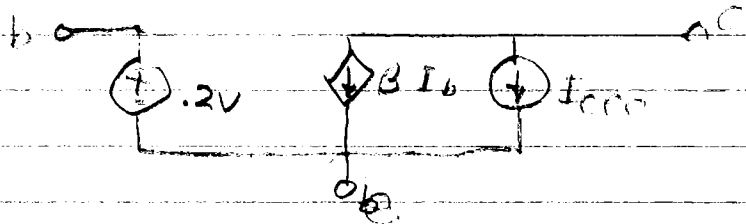
$$I_c = \alpha I_e + I_{co}$$

$$I_{ce0} = \frac{1}{1-\alpha} I_{co}$$

Pg 257 of ANGELO

ANGELO'S MODEL

$$R = \frac{V_{be}}{I_{be}}$$



3-8 p. 142

$$I_{co} = Q (S)$$

$$c) S_e = \frac{\delta I_c}{\delta T}$$

9-29-71 (CHARGE STORAGE)

$$\frac{dQ}{dt} + \frac{Q}{\tau} = i \quad (\text{MINORITY CHARGE CARRIERS})$$

FOR STEADY STATE; $\frac{dQ}{dt} = 0$

REFERENCE FOR STORAGE IN SEMICONDUCTORS

1.) DIODES

STRAUSS pp 85-87

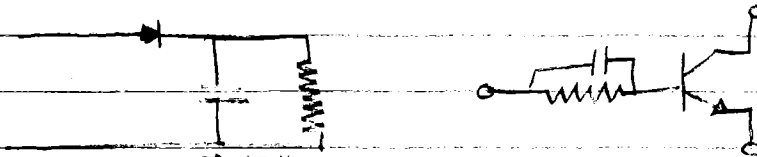
ANGELI pp 199-203

MILLMAN & TAUB pp 749-763

2.) BJTs

STRAUSS pp 124-131

MILLMAN & TAUB pp 765-771



PROBLEM 3-9(a); 3-21(a); 3-8; $I_{co} = 0$, SILICON TRAN.

FOR 3-8: $I_{co} = 0$; $\frac{\partial I_c}{\partial V_{be}} = S_e$

10-14-71

4-2, 4-8, 4-20

TOPICS IN EE 563

RC TRANSIENTS

RISE TIME $10\% \text{ to } 90\% \quad t_r = 2.2 RC$

TILT

COMPENSATED ATTENUATOR

CLIPPING CIRCUITS

DIODE MODELS

VOLTAGE CLIPPER

CURRENT CLIPPER

EMITTER COUPLED CLIPPER

CLAMPING CIRCUITS

TRANSISTOR MODELS

BJT CUT-OFF, ACTIVE, SATURATION

CHARGE STORAGE MODEL

LOGIC FAMILIES

RTL

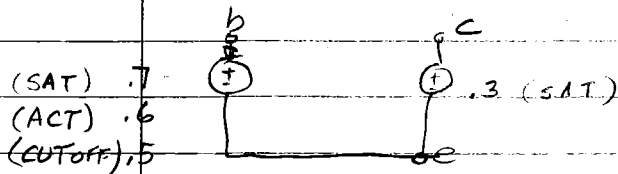
DTL

CML

ITL

MOS

(CONT.)



LOGIC

BOOLEAN ALGEBRA

DE MORGAN'S LAWS

KARNAUGH MAP

D.C. LOGIC LEVELS

FAN-OUT

NOISE IMMUNITY

SWITCHING TIME

PROPAGATION DELAY

OUTPUT DRIVE (BOTH AS SOURCE & SINK)

NOR, NAND CIRCUITS

EXCLUSIVE OR

HALF ADDER,

FULL ADDER

FLIP FLOPS (MEMORY)

R-S

TOGGLE

TYPE D

J-K

PROBLEMS

2 - 10, 12

3 - 8, 9, 21, 25

4 - 2, 8, 10, 20

TYPE D FF

5-18-23

APRIL 1964
 FALL 1971

COURSE OUTLINE - RE 563

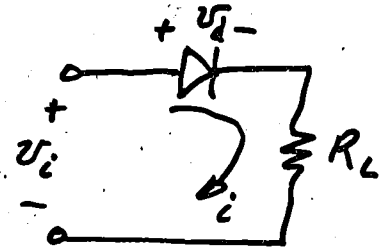
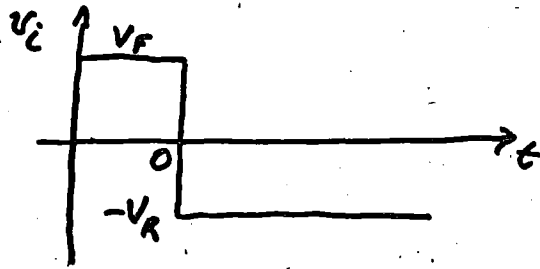
DIGITAL ELECTRONICS I

| DATE | SUBJECT | READING ASSIGNMENT | PROBLEM ASSIGNMENT |
|----------|-----------------------------|----------------------|--------------------|
| Sept. 14 | Compensated Attenuators | 3-26 (3, 4, 8) | |
| 15 | Clipping Circuits | 33-61 (4, 5) | |
| 16 | Clamping Circuits | 61-68 (6) | |
| 21 | Current Clipping & Clamping | 68-83 (7, 8, 9) | |
| 22 | Problem Review | All problems to date | |
| 26 | Transistor Models | 99-114 (2, 3) | |
| 28 | Transistor Switching | 114-121 (4, 7) | |
| 29 | I. C. Devices | 131-146 (6) | |
| 30 | Gates (AND, OR) | 147-159 (2) | |
| Oct. 5 | Gates (NAND, NOR) | 159-166 (3) | |
| 6 | ORL, DCML, RLL | 166-171 (5) | |
| 7 | TTL | 171 - 183 (7) | |
| 12 | SSI, Wired Logic | 183 - 193 (8, 9) | |
| 13 | WED-THUR EXAM DURING LAB | All material to date | |
| 14 | Sampling Gate | 193-197 (10) | |
| 18 | JFET, MOSFET | 203-215 (1, 2) | |
| 19 | NO CLASS MEETINGS | | |
| 20 | MOSFET Biasing | 215-224 (3, 4) | |
| 21 | MOSFET Resistor | 224-230 (5, 6) | |
| 26 | Transient Response | 234-245 (8) | |
| 27 | MOSFET Logic | 245-257 (9) | |
| 30 | Problem Review | All problems to date | |
| Nov. 3 | Bistable Multivibrator | 258-265 (10, 2) | |

| | | |
|--------|------------------|----------------------|
| Nov. 3 | Triggering of FF | 361-369 (3,4) |
| 4 | Monostable Multi | 369-390 (5) |
| 9 | FET Monc | 380-388 (6) |
| 10 | Astable Multi | 388-401 (7,8) |
| 11 | Hour Exam | All material to date |
| 16 | E-S FF, Clocking | 547-553 (1,2) |
| 17 | MOSFET R-S | 557-563 (3,4) |
| 18 | Review | |

- NOTE: 1. Text - Wave Generation & Shaping, Strauss, McGraw-Hill, 1970.
2. Numbers in parenthesis refer to sections of particular interest in the text.
3. Problem assignments to be made weekly.

Reverse Recovery Time for a diode



$$i(0^-) = \frac{V_F - V_T}{R_L + R_F} \approx \frac{V_F}{R_L} \equiv I_F$$

$$Q_0 \equiv I_F \tau$$

from $\frac{dQ}{dt} = I_F$

$$i(0^+) \approx -\frac{V_R}{R_L} \equiv -I_R$$

For $t > 0$ until $Q = 0$

$$\frac{dQ}{dt} + \frac{Q}{\tau} = -I_R$$

$$\frac{dQ}{Q + \tau I_R} = -\frac{dt}{\tau}$$

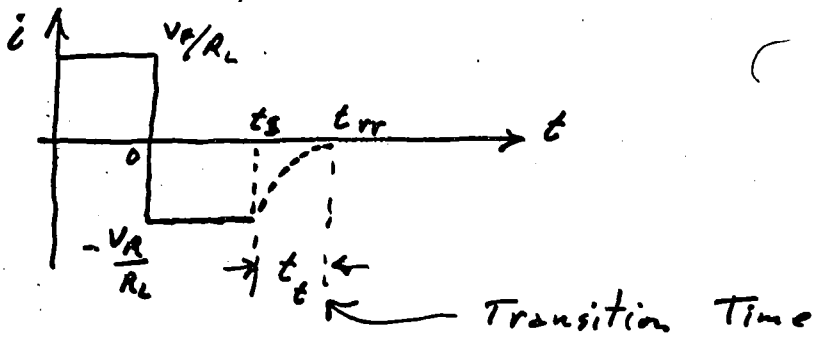
$$\int_{Q_0}^0 \frac{dQ}{Q + \tau I_R} = -\int_0^{t_s} \frac{dt}{\tau}$$

when $Q=0$

$$\ln(Q + \tau I_R) \Big|_{Q_0}^0 = -\frac{t}{\tau} \Big|_0^{t_s}$$

$$\ln \frac{\tau I_R}{\underbrace{Q_0 + \tau I_R}_{I_F \tau}} = -\frac{t_s}{\tau}$$

$$t_s = \tau \ln \frac{I_F + I_R}{I_R} \equiv \text{the "storage Time"}$$



$$t_{rr} = t_s + t_t$$

↑
Reverse recovery time

Computation of transition time

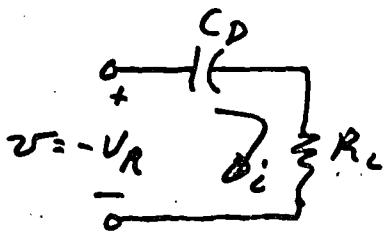
C_D \equiv the depletion-region capacitance
(when reverse voltage is present)

$$C_D = \frac{\text{constant}}{\sqrt{V_j - V_R}}, \text{ for abrupt junction}$$

↑
junction voltage

diode applied voltage

For a first-order analysis, take $C_D = \text{constant}$



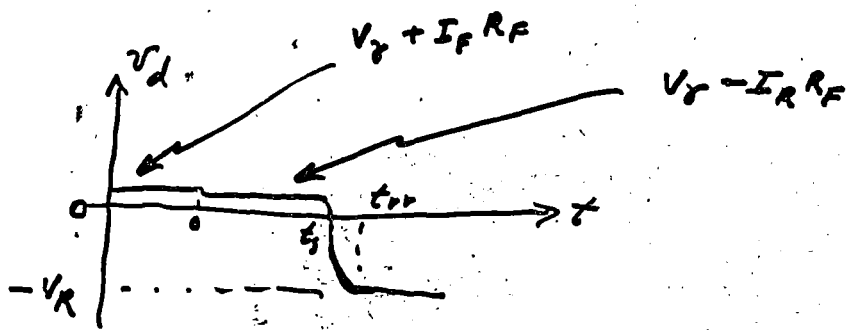
$$v_d(t_s) \approx 0$$

$$i(t_s) = -I_R = -\frac{V_R}{R_L}$$

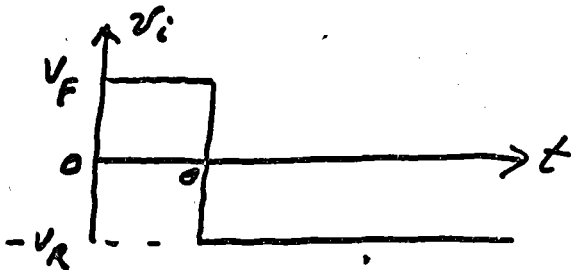
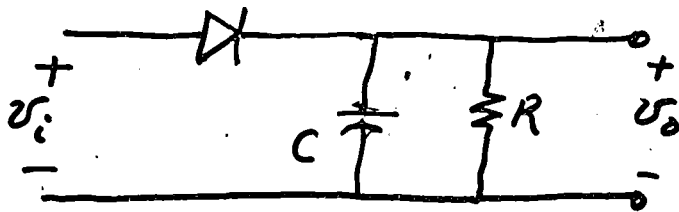
$$i = -I_R e^{-\frac{t-t_s}{R_L C_D}}, \quad t_s \leq t \leq t_{rr}$$

$$i(t_{rr}) \approx 0 \quad \text{when} \quad t_t = t_{rr} - t_s \approx \underline{\underline{3 R_L C_D}}$$

3 "time constants"



Charge Compensation Capacitor



$$Q_0 = \tau I_F \approx \tau \frac{V_F}{R}$$

when all charge is removed from the diode at $t=0$

$$\Delta v_o = -\frac{Q_0}{C} = -\frac{\tau V_F}{RC}$$

The max Δv_o is $V_F + V_R$. For this Δv_o to remove Q_0 from the diode,

$$C(V_F + V_R) = Q_0 = \frac{\tau V_F}{R}$$

$$\text{or } C_{\min} = \frac{\tau}{R} \frac{V_F}{V_F + V_R}$$

when $C > C_{\min}$ the Δv_o will be smaller.

20
30

PROBLEM 10

The system is shown in Figure 1 with $H_1 = 10$ and $H_2 = 100$. Values of H_1 and H_2 are given in the parentheses following units for the parameters in H_1 and H_2 are given in H_1 and H_2 .

$$H_1 = \dots$$

$$H_2 = \dots$$

- 1. The value of H_1 is determined if the value of H_2 is given.
- 2. The value of H_2 is determined if the value of H_1 is given.
- 3. The value of H_1 is determined if the value of H_2 is given.
- 4. The value of H_2 is determined if the value of H_1 is given.
- 5. The value of H_1 is determined if the value of H_2 is given.
- 6. The value of H_2 is determined if the value of H_1 is given.

In the circuit of Fig. 2 the parameters are given for a value of H_1 and the values of H_2 and H_3 are 10,000 and 1000 ohms, respectively. Determine the values of H_1 and H_2 in the "quiescent" operating point for the circuit for $H_1 = 10$ volts and $H_2 = 10$ milliamperes.

$$H_1 = \dots$$

$$H_2 = \dots$$

- 7. The value of H_1 is determined if the value of H_2 is given. The value of H_2 is determined if the value of H_1 is given. The value of H_3 is determined if the value of H_1 and H_2 are given.

16. The input signal to the system $H(s)$ is shown in Fig. 1. The output $y(t)$ is shown in Fig. 2.

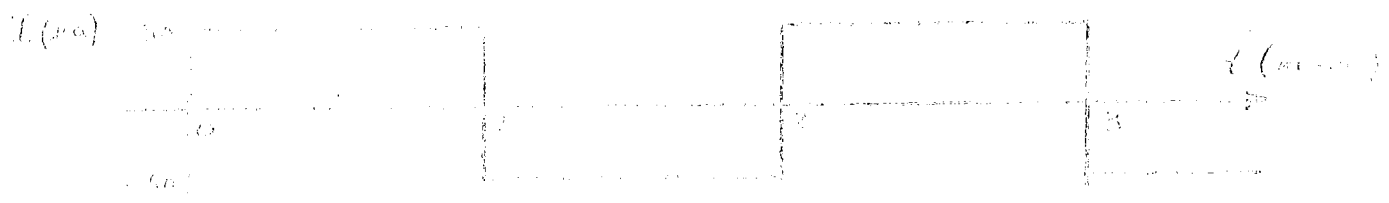
17. If the input signal to the system $H(s)$ is a step function, what are the approximate values of the peak-to-peak and the settling time?

$$H(s) = \frac{1}{s^2 + 2s + 2}$$

18. What is the approximate value of δ at the settling time of the response in problem 17?

$$H(s) = \frac{1}{s^2 + 2s + 2}$$

19. The input signal to the system $H(s)$ is shown in Fig. 3. The output $y(t)$ is shown in Fig. 4. The input signal is a square wave with a period of 100 msec and a peak-to-peak value of 100 mV. The output signal is a square wave with a period of 100 msec and a peak-to-peak value of 100 mV. The input signal is shown in Fig. 3 and the output signal is shown in Fig. 4.



1. The first step in the process of the...
of the...
at...

2. The... of...
of the...

$p(t)$

.....

.....

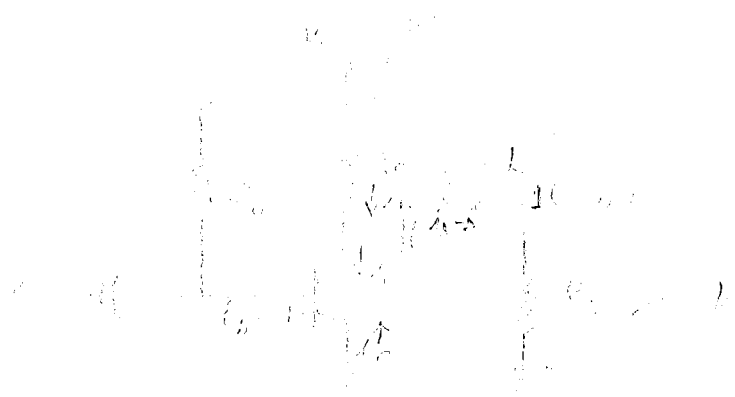
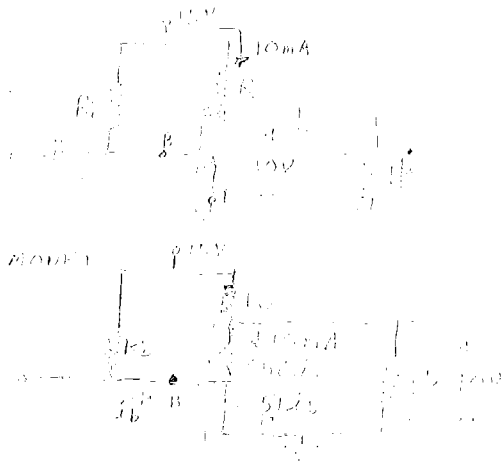


Fig. 1



Fig. 2

QUESTION 7A



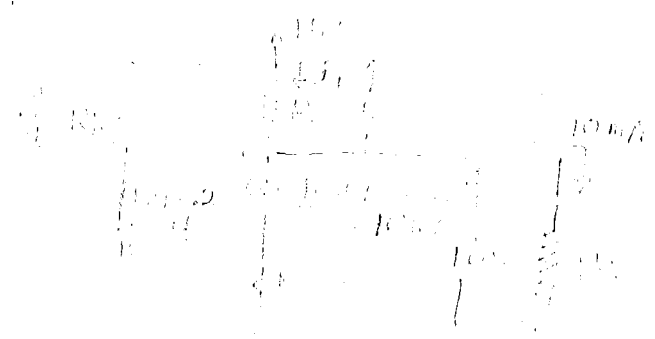
$$R_C = 10 \text{ k}\Omega$$

$$\beta = \frac{I_C}{I_B} = \frac{2 \text{ mA}}{0.2 \text{ mA}} = 10$$

$$R_E = \frac{15}{0.2} = 75 \text{ k}\Omega$$

- 2) REACTANCE WILL INCREASE, ATTENUATING AMPLIFIED SIGNAL, ESPECIALLY AT LOW FREQUENCIES
- 3) LARGE C CHARGE STRAY CAPAC. (ALSO BULKY CAPACITOR)
 - ↳ KILLS HF. RESPONSE WITH STRAY CAPAC.
- 4) R_3 IS USED TO STABILIZE GAIN OF CIRCUIT DUE TO CHANGES IN β AND I_C
- 5) TO PROVIDE A SHORT TO GROUND FOR I_C COMPONENT
- 6) R_1 AND R_2 PROVIDE A VOLTAGE DIVIDER BY WHICH TO BIAS BASE

Q.1) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .



$V_o = 10 \text{ mA} \times 10 \text{ k}\Omega + 0.5 i_x \times 10 \text{ k}\Omega$
 $V_o = 100 \text{ V} + 5000 i_x$
 $V_o = 100 \text{ V} + 5000 \left(\frac{V_o}{10 \text{ k}\Omega} \right)$

- Q.2) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .
- Q.3) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .
- Q.4) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .
- Q.5) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .
- Q.6) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .
- Q.7) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .
- Q.8) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .
- Q.9) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .
- Q.10) A circuit is shown in the figure below. Find the output voltage V_o across the load resistor R_L .

9-20-11

8) Let $f: \mathbb{R} \rightarrow \mathbb{R}$ be defined by $f(x) = x^2 + 1$.
(SEE GRAPH)

9) Let $f: \mathbb{R} \rightarrow \mathbb{R}$ be defined by $f(x) = x^2 + 1$.
Graph of f is shown below. f is not one-to-one.
Graph of f is shown below. f is not one-to-one. (SEE GRAPH)

10) Answer: $f(x) = x^2 + 1$

11) $f(x) = x^2 + 1$

4-28-71

$$\begin{aligned}
 1) \quad q &= C_2 \left(\frac{1}{R_1} + \frac{1}{R_2} \right) \\
 &= C_2 \frac{R_1 + R_2}{R_1 R_2} \\
 &= 10^{-6} \left(\frac{1}{10^4} + \frac{1}{10^4} \right)
 \end{aligned}$$

Time constant $\tau = RC$

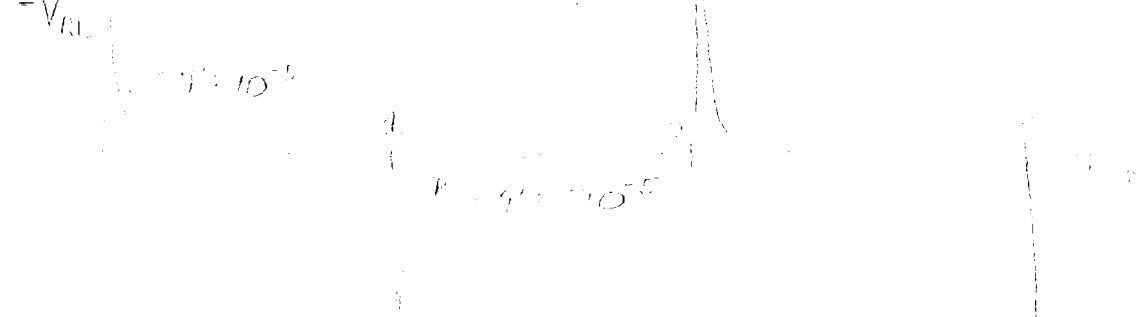
For a parallel combination of resistors, the equivalent resistance is $R_{eq} = \frac{R_1 R_2}{R_1 + R_2}$

So, $\tau = R_{eq} C = \frac{R_1 R_2}{R_1 + R_2} C$

So,



1200 μ s is the time constant. Approx. current is 10^{-6} A

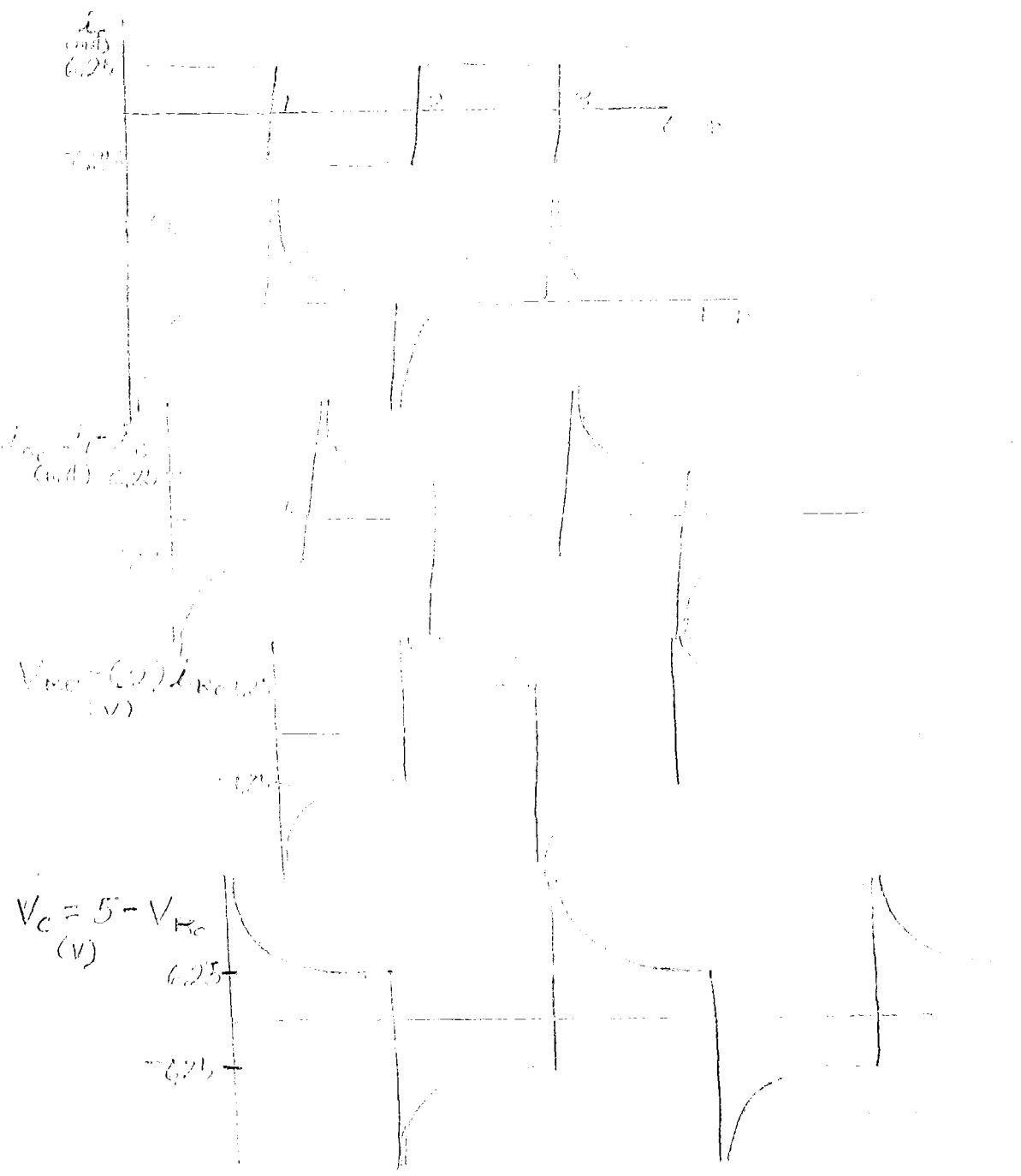


$t = 30 \mu$ sec \rightarrow peak value?
53

9-20-21

13) $I_c = 2.125 \text{ (mA)}$ in 2 pulses

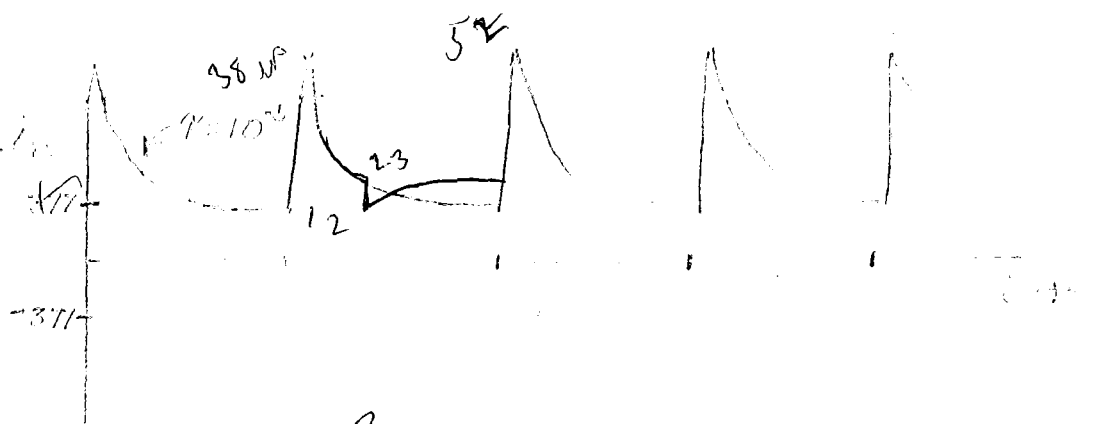
$I_c = 6.25 \text{ mA}$ $0.1 \mu\text{s} < t < 0.1 \mu\text{s}$
 $0.1 \mu\text{s} < t < 0.1 \mu\text{s}$



1-20-71

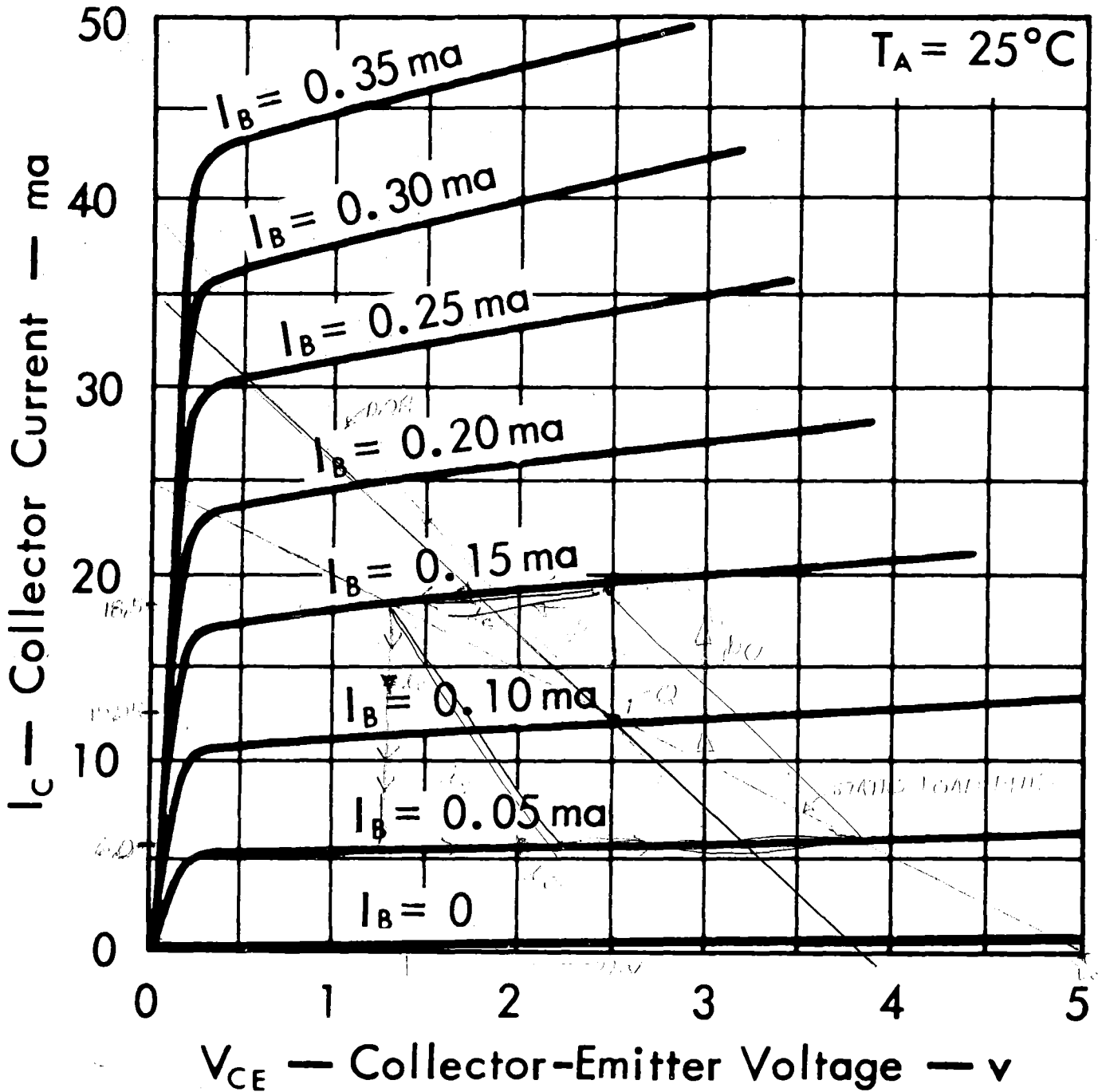
(11)

Pos. V. (mV)



, 3

2N1304



Correction to homework assignments

P85

Problem 4-2 O.K. as is.

Problem 4-8 Transistor Data should be

$$\beta = 50$$

$$V_D = V_{BE}(\text{active}) = 0.6 \text{ V}$$

$$V_{CE, \text{sat}} = 0.3 \text{ V}$$

$$V_{BE, \text{sat}} = 0.7 \text{ V}$$

$$V_{BE}(\text{cut-off}) = \del{0.6} 0.5 \text{ V}$$

$$r_{sc} = 0 \ \Omega$$

Problem 4-20

Transistor Data should be

$$\beta = 40$$

$$V_{BE} \text{ active} = 0.6 \text{ V}$$

$$V_{CE, \text{sat}} = 0.3 \text{ V}$$

$$V_{BE, \text{sat}} = 0.7 \text{ V}$$

$$V_{BE, \text{cut-off}} = 0.5 \text{ V}$$

$$r_{sc} = 0 \ \Omega$$

$$V_{REF} = -1.15 \text{ V.}$$

Homework Problems

5-18 p. 261 of Strauss

part (a) Assume $V_T = -4V$

$I_D = -5 \mu A$ at $V_{GS} = -5V$ for Q_A sat

$$\left(\frac{W}{L}\right)_A = 25 \left(\frac{W}{L}\right)_L$$

neglect $25M$ load resistance

part (b) Use 10% - 90% rise (or fall) time.

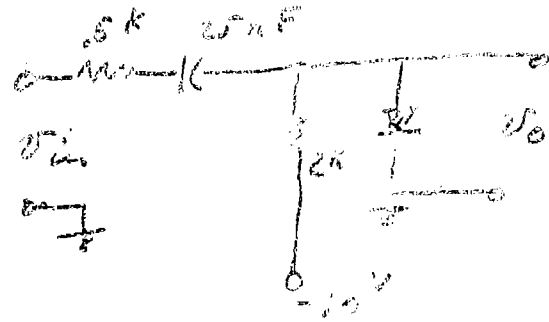
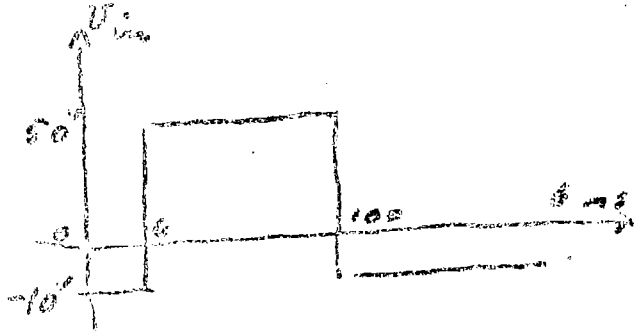
5-23

TTL Levels

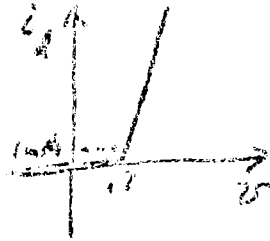
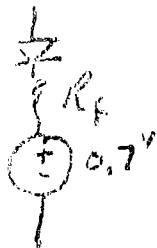
Logical "1" $> 3.5V$

Logical "0" $< 0.5V$

2-10

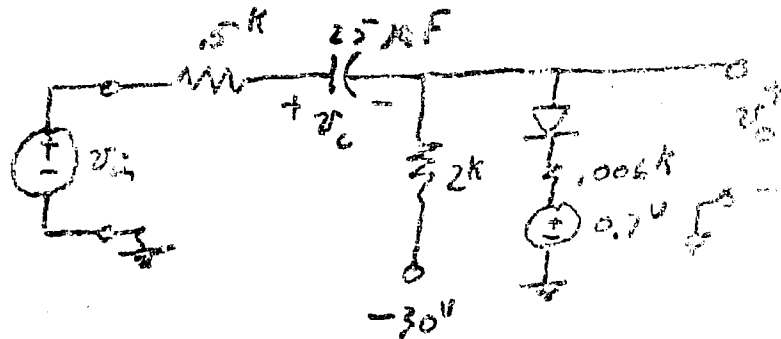


Dist Model



$R_f \approx \frac{60mV}{I_d} = \frac{60}{10} = 6\Omega$ for I_d average about $10mA$

Circuit Model



For $t < 0$

$v_o(0^-) = -30$

$v_o(0^+) = -10 - (-30) = 20V$

For $t > 0$ (assuming $v_o > 0.7$)

$$v_o(0^+) = \frac{(v_{in} - v_c) \frac{1}{15} - 30 \frac{1}{2} + 0.7 \frac{1}{1000}}{\frac{1}{15} + \frac{1}{2} + \frac{1}{1000}}$$

$$= \frac{60 - 15 + \frac{700}{6}}{6.0 + \frac{1000}{6}} = \frac{470 + 100}{15 + 1500} = \frac{570}{1515} = 0.377V$$

which is greater than $0.7V$ as assumed

2-10 cont

The voltage then decays from 0.957 V to 0.7 volts approaching the pseudo-final value

$$v_o(100) = \frac{-\frac{10}{2} + 0.7 \frac{1}{1000}}{\frac{1}{2} + \frac{1}{1000}} = \frac{-5 + 0.7}{1.5 + 0.001} = \frac{-4.3}{1.501} = 0.61^V$$

with a time constant

$$\tau_1 = (5 + 1000 \parallel 2) 25 \times 10^{-9} = 12.5 \mu\text{sec.}$$

v_o reaches 0.7 at time T_1 computed as follows:

$$v = V_{\text{Final}} - (V_{\text{Final}} - v_0) e^{-t/\tau}$$

$$0.7 = 0.61 - (0.61 - 0.957) e^{-T_1/12.5}$$

$$T_1 = 12.5 \ln \frac{0.957 - 0.61}{0.61 - 0.7} = 12.5 \ln \frac{0.347}{0.09} = 17 \mu\text{sec}$$

For $t > T_1$, the diode ceases to conduct and the

v_o decays toward -30 volts with a time constant

$$\tau_2 = (2k + 5k) 25 \mu\text{F} = 62.5 \mu\text{sec.}$$
 However, only

$100 - 17 = 83 \mu\text{sec}$ remain before v_o switches.

$$v = V_F - (V_F - v_0) e^{-t/\tau}$$

$$v_o(100) = -30 - (-30 - 0.7) e^{-\frac{83}{62.5}} = -30 + 30.7 \times 0.265 = -21.9^V$$

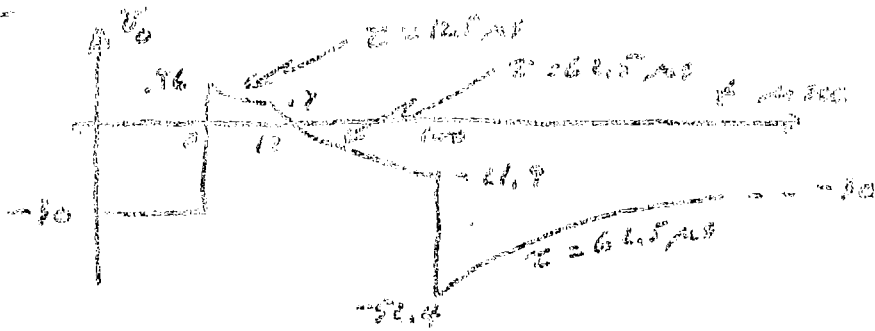
$$v_c(100) = 50 - 0.5k i_{2k} = 50 - 0.5 \frac{30 - 21.9}{2} = 48^V$$

For $t > 100 \mu\text{sec}$

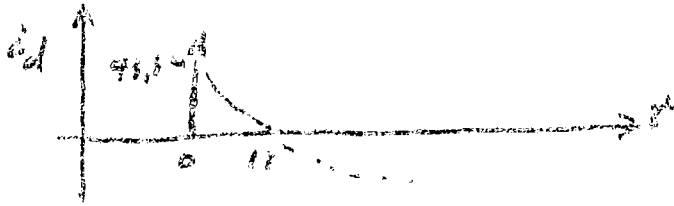
$$v_o(100) = \frac{(-10 \frac{48}{15} - 30 \frac{1}{2})}{\frac{1}{15} + \frac{1}{2}} = \frac{-32 - 15}{2.5} = -52.4^V$$

v_o decays from -52.4 to -30 volts with $\tau_2 = 62.5 \mu\text{sec.}$

2-10 cont



$$i_D(0^+) = \frac{0.96 \text{ V}}{2} = 48.8 \text{ mA}$$



(b) For $V_D = 0.96 \text{ V}$ $i_D = I_0 e^{\frac{V_D}{V_T}}$

where $I_0 = \frac{1 \text{ nA}}{e^{1000}}$

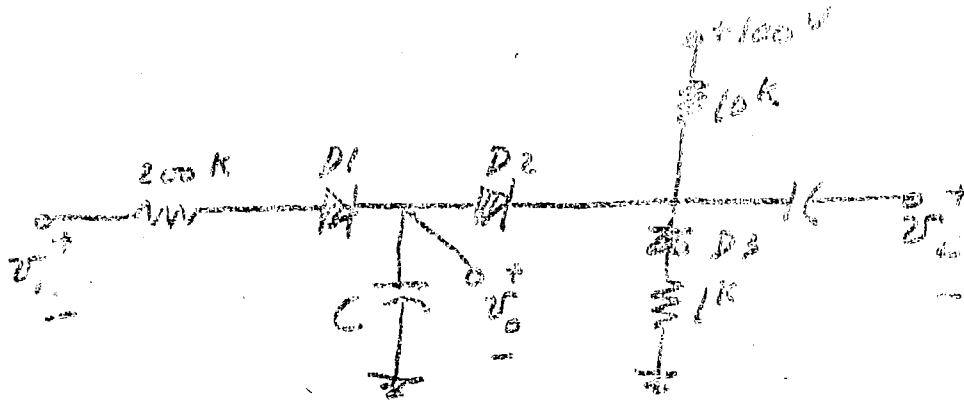
$$i_D = e^{\frac{0.96 \text{ V}}{0.026 \text{ V}}} \text{ nA}$$

$$= e^{37} \approx 20,000 \text{ nA}$$

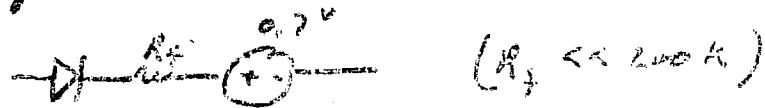
which is much too large. The value of R_f must be too large to be realistic. Of course this diode equation does not allow for the "ohmic" resistance of the diodes and its leads.

(c) A smaller value of R_f might give slightly better values.

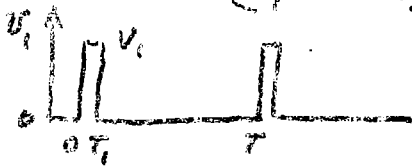
2-12



a) With no pulse on v_i , D_2 will not conduct until $v_o > 100$ volts. Thus, v_i pulses will charge C . If D_1 is modelled as



and $(v_i - 0.7) \gg v_o$ then each v_i pulse will increase the charge on C



by $\frac{V_i - 0.7}{200k} T_i = \Delta Q$ Coulombs. Thus v_o will increase by $\Delta v_o = \frac{1}{C} \Delta Q$ with each pulse.

A negative pulse on v_i will discharge C through D_2 . D_3 in combination with D_2 sets the basic level of v_o approximately at 0 volts.

b) For $\Delta v_o = 1$ volt, $V_i = 100$ Volt, $T_i = 4 \mu\text{sec}$

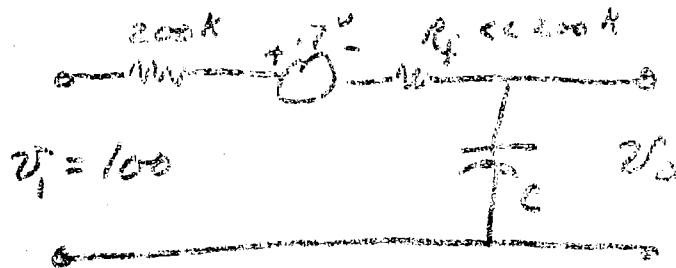
$$C = \frac{\Delta Q}{\Delta v_o} = \frac{(100 - 0.7) \cdot 2 \times 10^{-6}}{200} = 99.3 \times 10^{-6} \text{ F} = 99.3 \mu\text{F}$$

~~99.3 pF~~

Note: When $v_o = 10$ volts $C = \frac{100 - 10}{200} \cdot 2 \times 10^{-6} = 900 \text{ pF}$
 & corresponding value must be about 900 pF.

2-12 cont.

c) Since the source resistance of the diode is assumed to be ∞ , the time between pulses can be ignored in computing the actual v_o . Each pulse interval represents 1 input pulse.



$$\tau_1 = RC = 200 \times 1000 \text{ pF} = 200 \mu\text{s}$$

$$\tau_2 = RC = 200 \times 950 \text{ pF} = 190 \mu\text{s}$$

$$V_o = 99.3 (1 - e^{-t/\tau})$$

Menu Program

store $\tau = 200$ (or 190) in $b(1)$

Load program in θ

```

@      Halt
      ÷
      ↑(1)
      =
      ↓(0)
      e
      ax
      ↑(0)
      cl size
      =
      cl size
      +
      1
      x
      99.3
      =
  
```

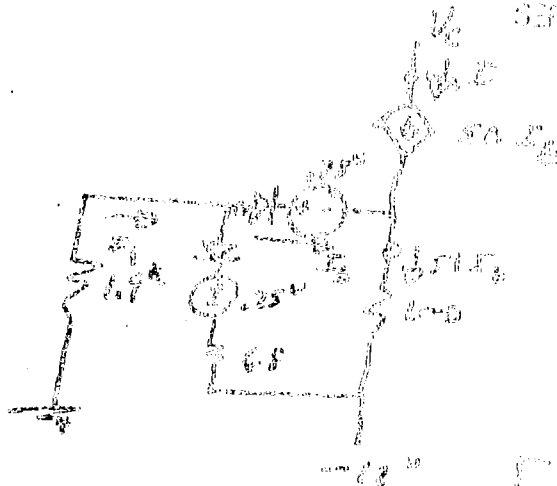
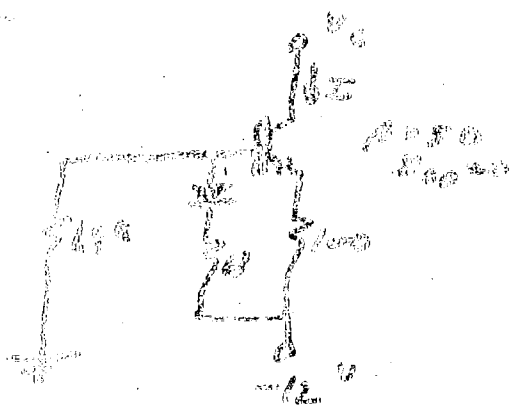
To(0)

Enter t in μsec

Results

| Pulses | $t, \mu\text{s}$ | $V_{1000 \text{ pF}}$ | $V_{950 \text{ pF}}$ |
|--------|------------------|-----------------------|----------------------|
| 1 | 2 | | 1.04 |
| 5 | 10 | 4.85 | 5.09 |
| 6 | 12 | 5.75 | |
| 10 | 20 | 9.55 | |
| 14 | 28 | 12.70 | |
| 17 | 34 | 15.70 | 17.0 |
| 16 | 32 | 14.25 | 16.7 |
| 17 | 34 | 15.52 | |

For $C = 1000 \text{ pF}$ For $C = 950 \text{ pF}$



a) $I = 50 I_1$

$I_1 (100 \text{ ohms} + 1.75 \text{ ohms}) = 12$

$I_1 = \frac{6F}{5168} I$

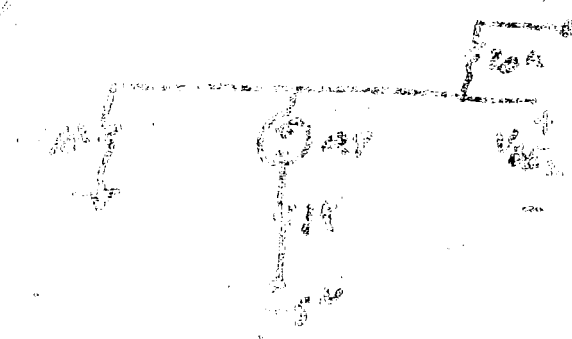
$\therefore I = 50 \frac{6F}{5168} \frac{12 \text{ V}}{1.75} = \underline{396 \mu\text{A}}$

b) $\frac{\partial I}{\partial T} = 50 \frac{6F}{5168} \left(\frac{\partial V_{oc}}{\partial T} \right) \frac{1}{1.75} = + \underline{0.876 \frac{\mu\text{A}}{^\circ\text{C}}}$

c) $\frac{\partial I}{\partial V_{oc}} = -50 \frac{6F}{5168} \frac{1}{1.75} = - \underline{0.00114}$



a) It requires that both the emitter and the collector of Q_1 are forward biased. Assuming $V_{CE} = 0$ for Q_1 and that Q_2 is cut-off ($I_{C2} = 0$)



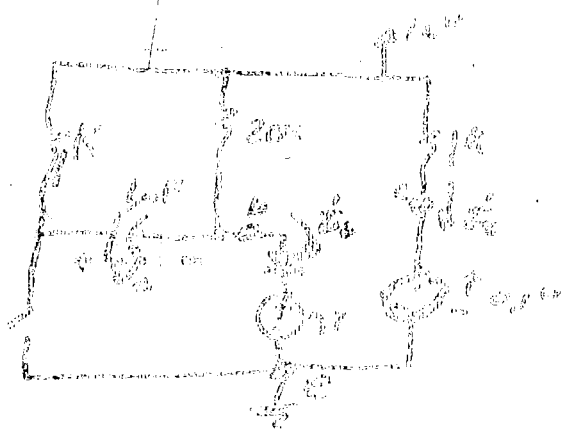
$$V_{CE} = \frac{(-0.07) \frac{1}{10} + \frac{10}{20}}{\frac{1}{10} + \frac{1}{10}} = \frac{-0.07 + 0.5}{0.2} = \frac{0.43}{0.2} = 2.15$$

$V_{CE} = 2.15V$ which verifies that Q_2 is cut-off.

Quiescent operating conditions

1. $V_{CE} = 2.15V$
 $I_{C1} = 0$
 $V_{CE2} = 10V$
 $I_{C2} = 0$

2. $V_{CE1} = -0.07V$
 $V_{CE2} = 0V$
 $I_{C1} = \frac{(10V)(10\Omega)}{10\Omega} = 10mA$
 $I_{C2} = \frac{(10V)(10\Omega)}{10\Omega} = 10mA$
 $I_{C3} = 0.5I_{C1} = 5mA$



$$i_1(0) = \frac{12V}{10k} = 1.2mA$$

$$v_{ce}(0) = \frac{12V}{2} = 6V$$

$$v_{ce}(0) = 0V$$

$$i_2(0) = \frac{12V}{20k} = 0.6mA$$

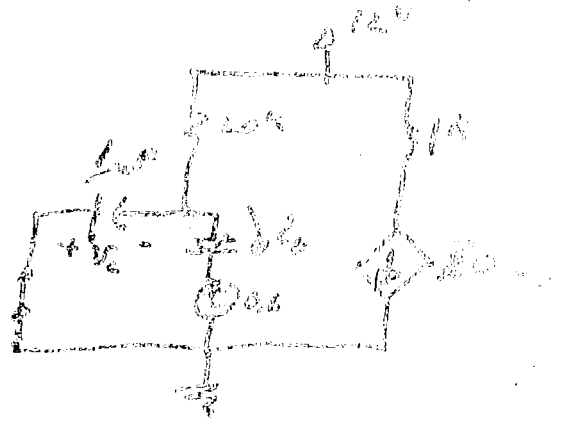
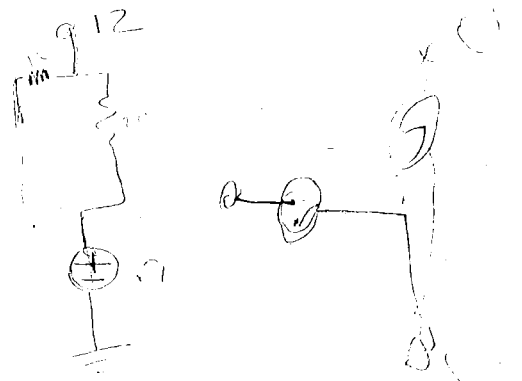
$$v_{ce}(0) = 12V - 0 = 12V$$

@ 100ms $v_{ce}(0) = 11.3V$

$$v_{ce}(2) = 11.3V$$

$$i_1(0) = 0$$

$$i_2(0) = 0$$



Then v_{ce} drops toward 0V with a time constant $\tau = 30ms$ until $v_{ce} = 0.6V$ at $t = T_1ms$

$$v_{ce}(T_1) = 0.6 = 12 - (12 + 0) e^{-T_1/\tau}$$

$$T_1 = 30 \ln \frac{12}{11.4} = 30 \ln \frac{23.7}{11.9} = 14.3ms$$

Then $i_1(T_1) = \frac{12-0.6}{20k} = 0.57mA$ and $i_2(T_1) = 0.30mA = 1.7mA$ which is too high as the transistor becomes saturated again.

It is not possible to have a single transistor in this configuration.



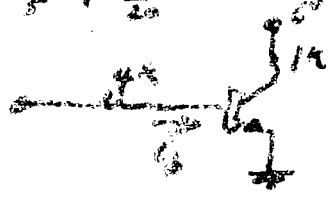
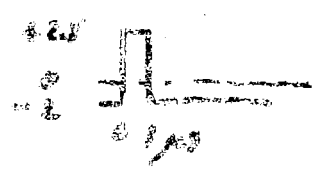
$R = 50$
 $V_{bc} = 0.7 \text{ (sat)}$
 $T_D = 10 \text{ ns}$
 $C_D = 10 \text{ pF}$

Then, equiv. of base driver

$$R = 5 \parallel 10 \parallel 25 = \frac{5 \cdot 10}{25} = 2 \text{ k}$$

$$V_{bc} = -10 \frac{5}{25} = -2 \text{ V}$$

$$V_{bc} = \frac{\frac{5}{1} - \frac{10}{25}}{\frac{1}{5} + \frac{1}{25}} = \frac{1.2 - 0.4}{0.25} = \frac{0.8}{0.25} = +3.2 \text{ V}$$



@ $t = 0^-$

$$v_{bc}(0^-) = -2 \text{ V}, \quad i_b(0^-) = 0, \quad i_c(0^-) = 0$$

$$v_o(0^-) = 6 \text{ V}$$

$0 \leq t \leq t_1$ $\tau_D = R^* C_D = 40 \text{ ns}$

~~$t_1 = t_2 = \tau_D$~~

$$v_{bc}(t) = 2.8 - (2.8 + 2) e^{-t/\tau_D}$$

@ t_1 , $v_{bc}(t_1) = 0.6 \text{ V}$ minimum time on

$$t_1 = \tau_D \ln \frac{2.8 + 2}{2.8 - 0.6} = 40 \ln \frac{4.8}{2.2} = 31.2 \text{ ns}$$

@ $t_2 \leq t < t_2$

The base current is $i_b(t)$ $i_c(t)$

The base current required for saturation is

$$I_{b, sat} = \beta \frac{I_{c, sat}}{\beta} = \frac{50 \cdot \frac{6 - 0.7}{50}}{1} = 1.06 \text{ mA}$$

base equiv. $R = 2$

$$t_{on} = \tau_D \ln \frac{V_{bc}}{V_{bc} - I_{b, sat} R} = 10 \ln \frac{0.7}{0.7 - 1.06 \cdot 2} = 2.1 \text{ ns}$$

$$I_1 + I_2 + I_3 = 235 \text{ A}$$

Summation

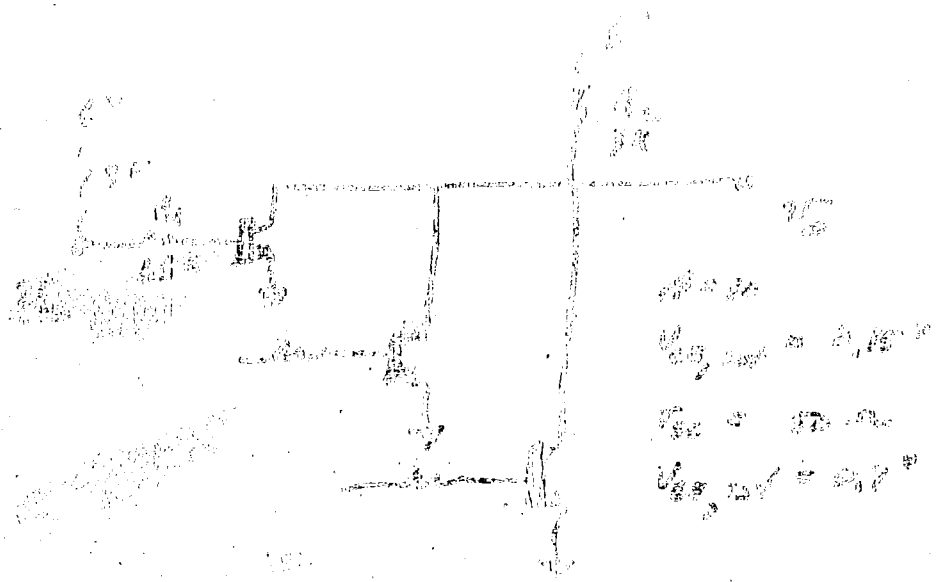
$$I_{22} = \frac{235 \times 100}{100} = 235 \text{ A}$$

$$I_2 = 235 \times \frac{I_{22} - I_{21}}{I_{22} - I_{20}} = 10 \text{ A}$$

$$I_{21} = 235 \times \frac{I_{22} - I_{20}}{I_{22} - I_{20}} = 10 \text{ A}$$

$$I_3 = I_1 + I_2 = 225 \text{ A}$$

$$I_1 = I_3 + I_2 = 235 \text{ A}$$



$V_{CE(sat)} = 0.15V$
 $V_{CE(Q)} = 0.7V$
 $V_{CE(max)} = 2.7V$

(i) No load transfer characteristics

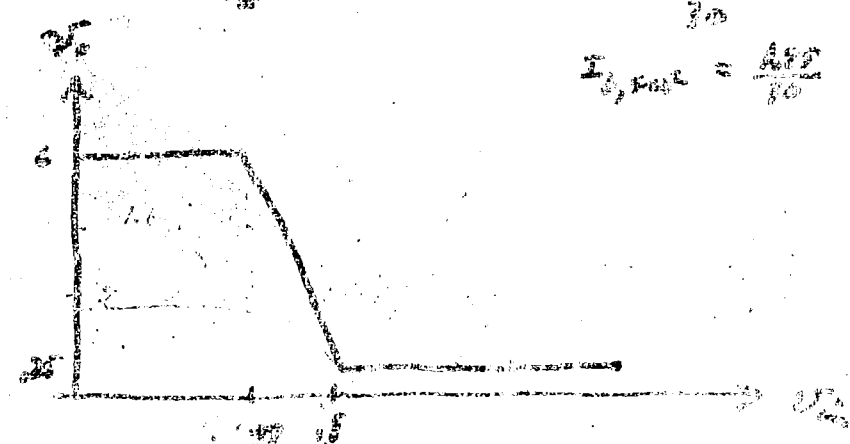
$V_{CE(Q)} = V_{CE} = 0.7V$

$V_{CE(max)} = V_{CC} + \frac{I_{B(Q)} R_1}{\beta}$

$I_{B(Q)} = \frac{V_{CE(Q)} - V_{BE}}{R_1} = \frac{0.7 - 0.7}{3.05} = 0.00023 \text{ mA}$

$V_{CE(max)} = 0.7 + \frac{1.5 \times 15}{30} = 0.7 + 0.75 = 1.45V$

$I_{C(Q)} = \frac{V_{CE(Q)}}{R_C} = \frac{0.7}{30} = 0.023 \text{ mA}$



(ii) loaded with \$R_L\$

$V_{CE(Q)} = 6 - \frac{6 \times 15}{3 + \frac{15}{10}} = 6 - \frac{5.8 \times 3}{3 + \frac{15}{10}}$

$V_{CE(Q)} = 6 \times \frac{10}{10} + \frac{10 \times 15}{10} = 6 + 1.5 = 7.5V$

1) $K = 10^{-10}$

transmittance $T = 0.1$

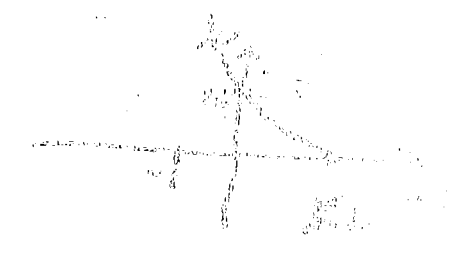
~~$A = \epsilon \cdot l \cdot c \cdot (10^{-10} - 10^{-10} - 10^{-10} - 10^{-10} - 10^{-10})$~~

~~$A = \epsilon \cdot l \cdot c \cdot (10^{-10} - 10^{-10} - 10^{-10} - 10^{-10} - 10^{-10})$~~

~~$A = \epsilon \cdot l \cdot c \cdot (10^{-10} - 10^{-10} - 10^{-10} - 10^{-10} - 10^{-10})$~~

~~$A = \epsilon \cdot l \cdot c \cdot (10^{-10} - 10^{-10} - 10^{-10} - 10^{-10} - 10^{-10})$~~

~~$A = \epsilon \cdot l \cdot c \cdot (10^{-10} - 10^{-10} - 10^{-10} - 10^{-10} - 10^{-10})$~~



For $n = 2$

$A = \epsilon \cdot l \cdot c \cdot (10^{-10} - 10^{-10}) = 10^{-10} - 10^{-10}$

$A = \frac{1 - 10^{-10}}{1 - 10^{-10}} = \frac{1 - 10^{-10}}{1 - 10^{-10}} = \frac{1 - 10^{-10}}{1 - 10^{-10}} = \frac{1 - 10^{-10}}{1 - 10^{-10}} = 10^{-10}$

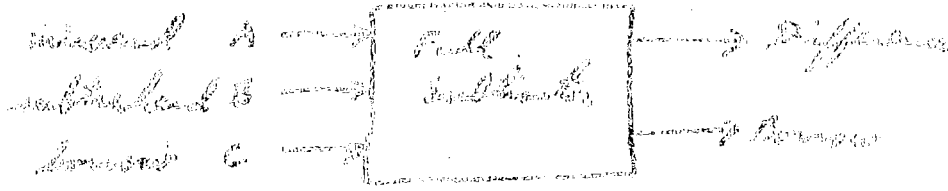
2) P_0 with $n = 2$

with all three inputs high

$P_0 = \frac{1}{2} \left(\frac{1 - 10^{-10}}{1 + 10^{-10}} \right) \left(\frac{1 - 10^{-10}}{1 + 10^{-10}} + 1 \right) + \frac{1 - 10^{-10}}{1 + 10^{-10}} \left(\frac{1 - 10^{-10}}{1 + 10^{-10}} \right)$

$= \frac{1}{2} \left(\frac{1 - 10^{-10}}{1 + 10^{-10}} \right) \left(\frac{1 - 10^{-10}}{1 + 10^{-10}} + 1 \right) + \frac{1 - 10^{-10}}{1 + 10^{-10}} \left(\frac{1 - 10^{-10}}{1 + 10^{-10}} \right)$

$= 10^{-10} + 10^{-10} = 2 \cdot 10^{-10}$



$$\text{Difference} = (A\bar{B} + A\bar{B})\bar{C} + (A\bar{B} + \bar{A}B)C$$

$$\text{Carry} = (AB + \bar{A}\bar{B})C + \bar{A}B$$

a)

| C | A | B | Difference | Carry |
|---|---|---|------------|-------|
| 0 | 0 | 0 | 0 | 0 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 0 | 1 | 1 | 0 |
| 0 | 1 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 | 1 |
| 1 | 1 | 0 | 0 | 1 |
| 1 | 0 | 1 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 |

From ~~the truth table above~~

| Difference | | | Carry | | |
|------------|---|---|-------|---|---|
| A | B | C | A | B | C |
| 1 | 0 | 0 | 1 | 0 | 0 |
| 1 | 0 | 1 | 1 | 0 | 1 |
| 0 | 1 | 0 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 1 | 1 |

b) Note that $D = A\bar{B} + \bar{A}B = \overline{(AB + \bar{A}\bar{B})}$

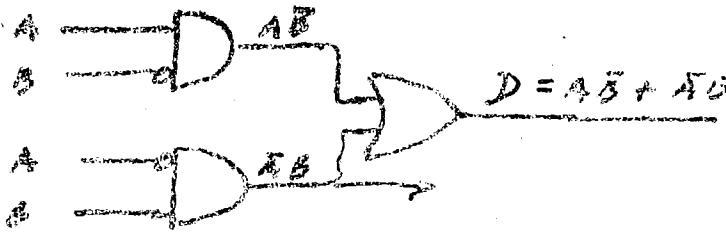
then

$$\text{Difference} = DC + \bar{D}\bar{C} = \overline{DC + \bar{D}\bar{C}}$$

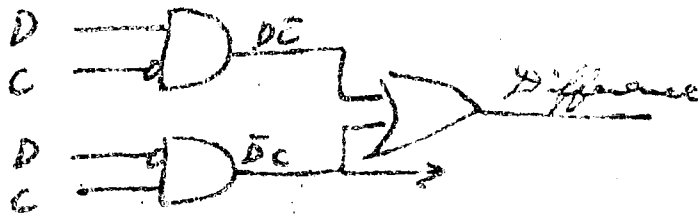
$$\text{Carry} = \overline{BC + \bar{B}\bar{C}}$$

Q.2 Continued

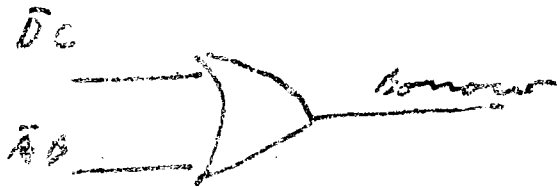
i) Basic Logic



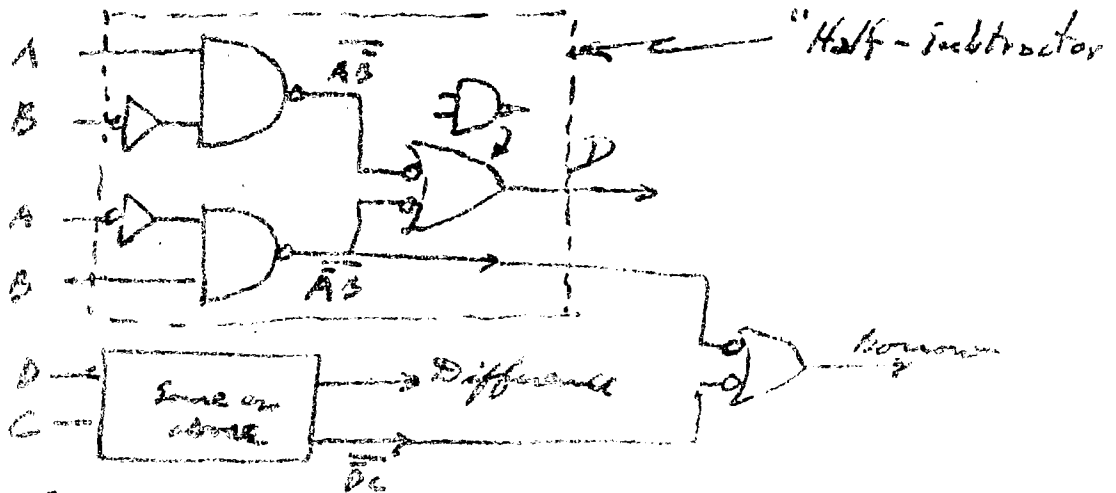
similarly for the Difference output



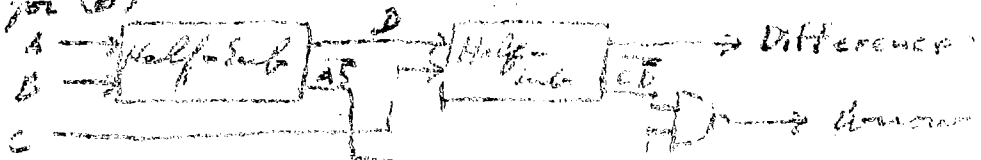
The borrow is obtained from the two above



ii) Conversion to NAND'S

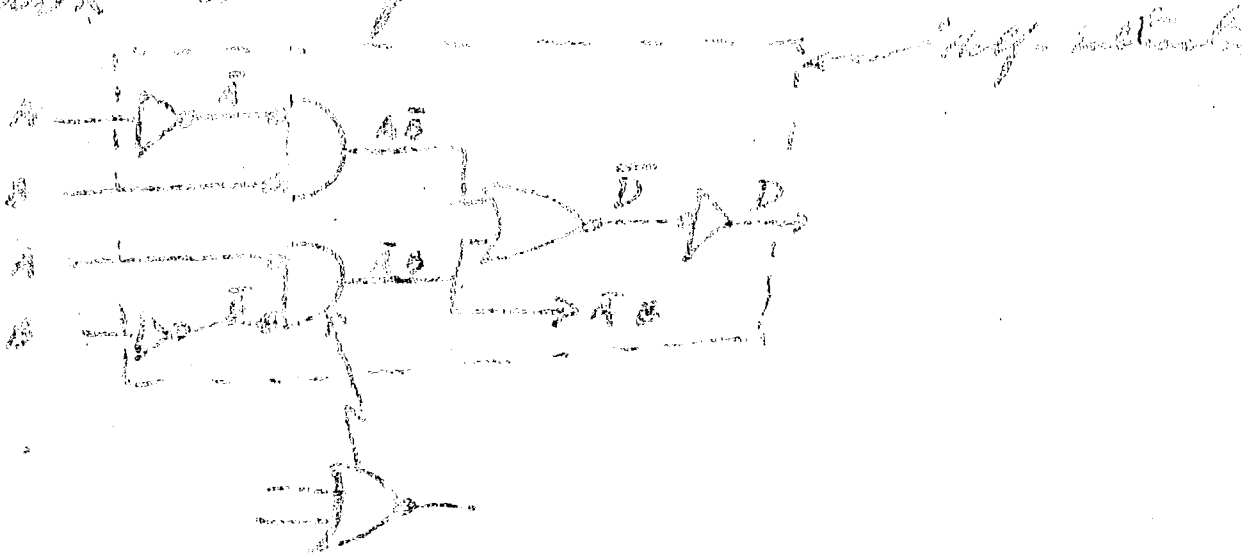


relation for (b)

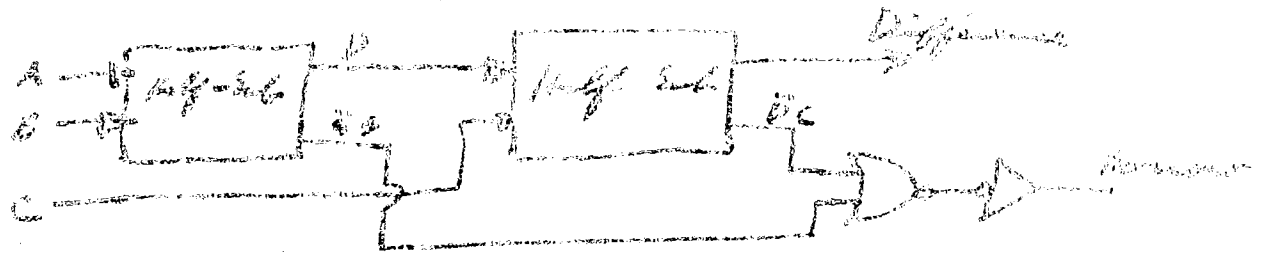



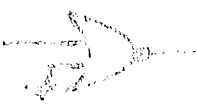
or continued

2) By moving the inverters and redrawing the circuit in a way the half subtractor becomes



The solution using NOR's is

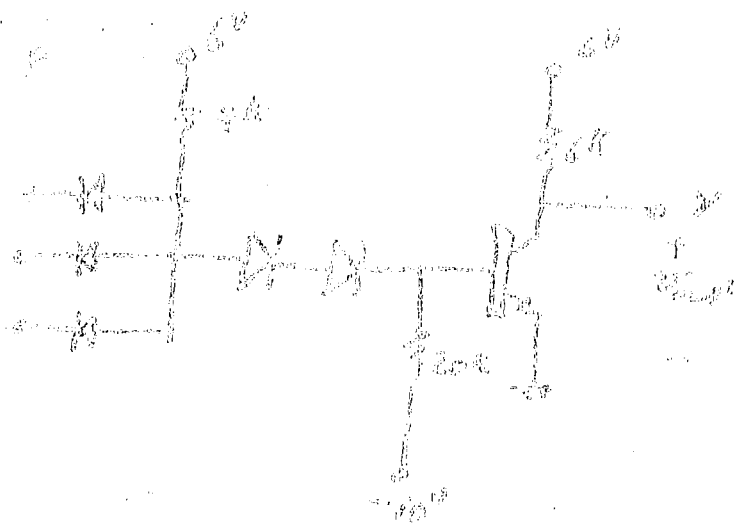


Note that in the solution for (b) the inverter is  while in the solution for (c) the inverter is 

High-Level (Positive) Logic has been used throughout.

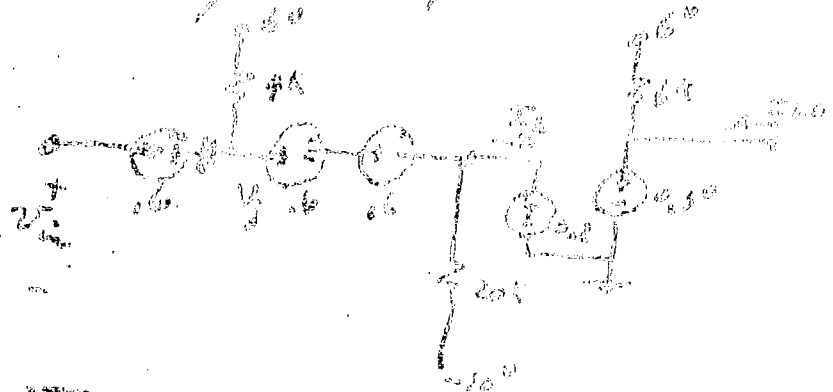
10 p. 119

- $V_0 = 0.6V$
- $V_{01} = 0.7V$
- $V_{02} = 0.6V$
- $V_{03} = 0.5V$
- $V_{04} = 0.3V$
- $V_{05} = 0$



4) Transfer characteristics

i) Model for 0 output (1 input)



$$\begin{aligned}
 \text{for } v_2 \geq V_{0,0} &= \frac{10}{20} + \frac{6}{4} + 2 \frac{6}{2} - \frac{10}{20} \\
 &= 0.5 + 1.5 + 6 - 0.5 = 7.5V
 \end{aligned}$$

~~for $v_2 < V_{0,0}$~~

$$I_{0,0} = \frac{6 - 1.2 - 0.7}{4 \Omega} = \frac{4.1}{4 \Omega}$$

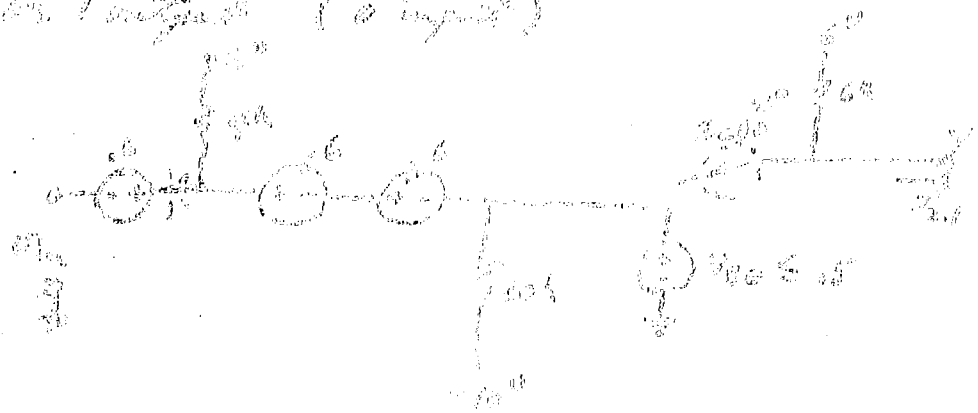
$$= \frac{4.1}{4 \Omega} = \frac{10.25}{10 \Omega} = 1.025 \text{ A} = 1.025 \text{ A}$$

$$\therefore P_{0,0} = I_{0,0}^2 R_0 = \frac{10.25^2}{10 \Omega} = 105.0625 \text{ W}$$

$$= 105.0625 \text{ W} = 105.0625 \text{ W}$$

part) with

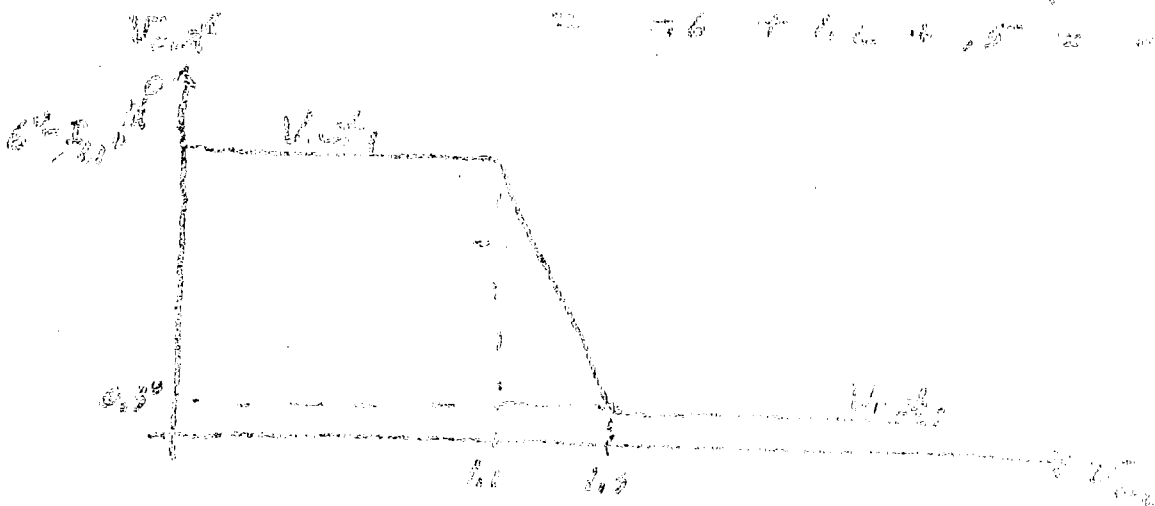
ii) null for output (0 input)



$$V_{out} \leq V_{in} = 10V + 20V + \frac{V_{100}}{R_3}$$

$$= 36 + 6.66 \cdot 0.5 = 40.33 \text{ V}$$

iii)



iv) For 1 volt noise immunity

i) This is not possible for our assumptions since

$$V_{in} - V_{out} = 1.1 - 0.3 = 0.8 \text{ V} < 1 \text{ V}$$

and it can't be improved by adding more resistors.

ii) For 1 volt noise immunity in the other direction

$$V_{out} - V_{in} = 0.33 - 1.1 = -0.77 > -1$$

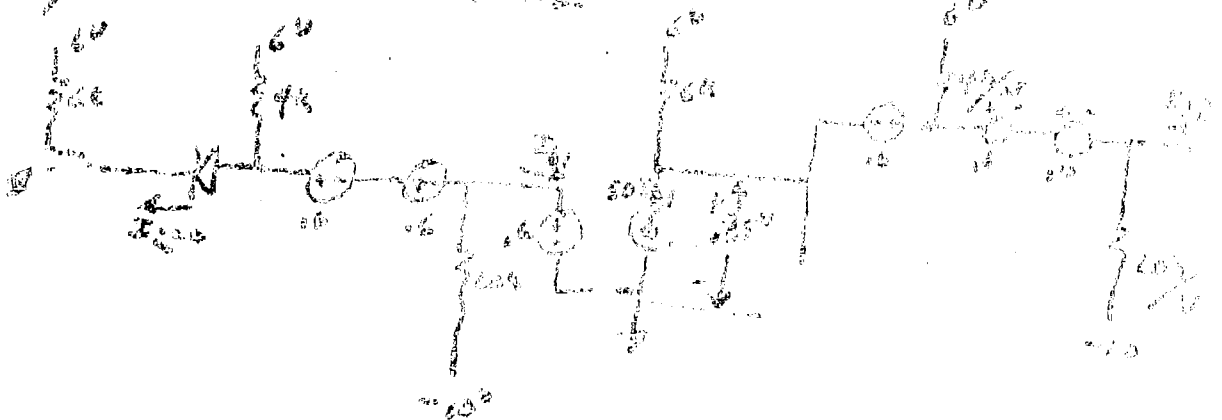
since $R_3 = 2$ ohms, the noise is 0.33V.

of V_{in} 250 mV noise immunity

This is current required to drive the inputs to a logical 0 will eventually pull the transistors out of saturation as the forward bias increases. However, the noise immunity will not increase to 1.5 volt until $V_{be0} = .85$ volt as that

$$V_{in0} - V_{be0} = 1.1 - .85 = .25 \text{ volt}$$

Thus, the model becomes



$$I_{b1} = \frac{6 - 1.8}{7 \Omega} = \frac{4.2}{200} = \frac{4.2}{7 \Omega} = .57 \text{ mA} = 1.05 \times 10^{-3} \text{ A}$$

$$50 I_{b1} = \frac{6 - 1.85}{6 \Omega} + \left(\frac{6 - 1.85}{4 \Omega} \parallel \frac{1.85}{200} \right)$$

$$50 \times .57 = \frac{4.15}{6} + \left(\frac{4.15}{4} - \frac{1.85}{20} \right)$$

$$28.5 = .692 + N(.625)$$

$$N = \frac{28.5 - .692}{.625} = \frac{27.808}{.625} = 44.5 \approx 45$$

c) The only change will be in the noise immunity

→ $100 \text{ mV} = 100 \times 10^{-3} \text{ V}$ as $V_{be} = \frac{V_{in}}{N}$ as $V_{be} = \frac{100 \times 10^{-3}}{45} = 2.22 \text{ mV}$

(1) (2) (3) (4) (5)

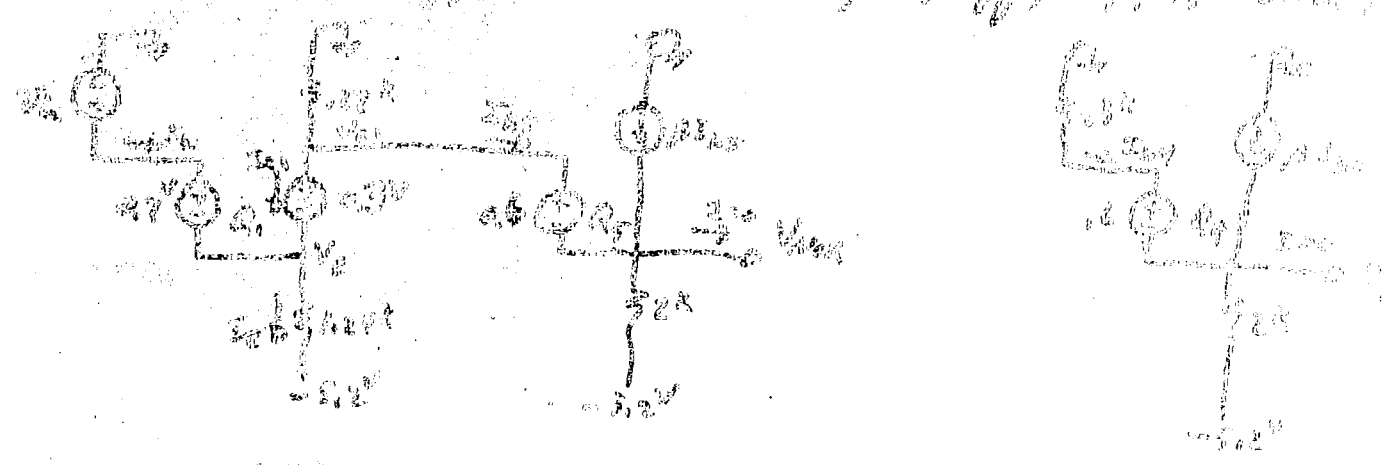
$V_{oc} = -1.5V$
 $R_{th} = 4\Omega$
 $V_{oc} = 0.3V$

$V_{oc, active} = 0.6V$
 $V_{oc, total} = 0.7V$
 $V_{oc, net} = 0.5V$

0.5V

a) Transfer characteristic (one input, no load on output)

1) model for output (R, voltage, i_1 off, i_2, i_3 active)



$i_1 = 0$
 $i_2 = 0$
 $i_3 = 0$

$$i_1 + i_2 + i_3 = 0$$

(1)

For this circuit with

$$i_1 + i_2 + i_3 = 0$$

$$i_1 = \frac{5.2 - 0.6}{3k + 4k} = \frac{4.6}{7k} = 0.657 \text{ mA}$$

(2)

$$V_{oc} = (0.657) 2k - 5.2 = 1.314 - 5.2 = -3.886V$$

$$V_{oc} = 2i_1 - 5.2 = 2i_1 - 5.2$$

$$0.657 i_1 = \frac{V_{oc} + 5.2}{2k} = \frac{2i_1 - 5.2 + 5.2}{2k} = \frac{2i_1}{2k}$$

$$i_1 = \frac{V_{oc} + 5.2}{2k} = \frac{2i_1 - 5.2 + 5.2}{2k}$$

$$V_{e1} = 2V_2 + 1.2 \text{ V} \quad \text{or} \quad V_{e1} = 4.9$$

$$I_{e1} = \frac{-V_{e1}}{1.2 \text{ k}\Omega} = -I_{b1}$$

$$= \frac{1.2 - 2V_2}{1.2 \text{ k}\Omega} = \frac{1.2 - 2V_2}{1.2 \text{ k}\Omega}$$

$$\beta I_{b1} \geq I_{e1} \quad \text{for saturation}$$

$$\beta (I_{e1} - I_{b1}) \geq I_{e1}$$

$$\beta I_{e1} \geq (\beta + 1) I_{b1}$$

$$\frac{2V_2 + 1.2}{1.2 \text{ k}\Omega} \geq \frac{(1.2 - 2V_2)}{1.2 \text{ k}\Omega} - \frac{1.2 - 2V_2}{2 \text{ k}\Omega}$$

$$V_2 \left(\frac{1}{1.2} + \frac{(1.2)}{2} \frac{1}{1.2} + \frac{1}{2} \right) \geq \frac{(1.2 - 2V_2)}{1.2} - \frac{1.2 - 2V_2}{2}$$

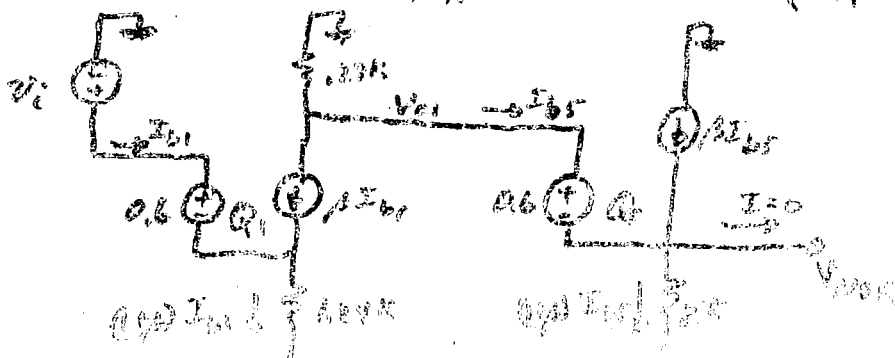
$$\text{for } \beta = 40$$

$$V_2 \geq \frac{\frac{1.2}{1.2} + \frac{1.2}{2} \frac{1}{1.2} + \frac{1}{2}}{\frac{1.2}{1.2} - \frac{1.2 - 2V_2}{1.2} - \frac{1.2 - 2V_2}{2}}$$

$$V_2 \geq \frac{1.24 + \frac{1.2}{3.8} + \frac{1}{20}}{2.16} = -0.47$$

i) As saturated for $-0.47 < V_2 < 0$

ii) Model for $V_2 < -0.47$ (A₁ active, B₁ off, C₁ active)



Some model
on page
for Q1

As in case of for $V_2 > -1.65$ but now V_{out} is different so that $V_2 = v_2 + 0.6$ and

4) $v_2 > -1.65 + 0.6 = -1.05$ V for the working of gate (4) replace Equation (1)!

To solve for $V_{out} = f(v_2)$

(1) $I_{D1} = 1.29k + 0.6 - v_2 - 5.2 = 0$

4 equations
3 unknowns

$$\Rightarrow I_{D1} = \frac{5.2 - 0.6 + v_2}{41.8 + 1.29k} = \frac{4.6 + v_2}{50.9k}$$

$$- \frac{V_{D1}}{0.27k} = I_{D1} = I_{D5}$$

(1+3) $I_{D5} = 2k = V_{out} + 5.2 \Rightarrow I_{D5} = \frac{V_{out} + 5.2}{41.82k}$

$$V_{D1} = V_{out} + 0.6$$

$$\left(\frac{V_{out} + 0.6}{0.27k} \right) - 40 \left(\frac{4.6 + v_2}{50.9k} \right) = \frac{V_{out} + 5.2}{41.82k}$$

$$V_{out} \left(-\frac{17}{129} - \frac{10130}{4182} \right) = \frac{40}{50.9} (4.6 + v_2) + \frac{5.2}{41.82} + \frac{2.22}{129}$$

$$-3.71 V_{out} = 3.86 + .787 v_2 + 2.28$$

$$V_{out} = \frac{6.14 + .787 v_2}{-3.71} = -1.66 - .212 v_2$$

© $v_2 = 1.47$ $V_{out} = -1.66 - .212(1.47) = -1.95$

© $v_2 = -1.05$
 $V_{out} = -1.66 - .212(-1.05) = -1.36$

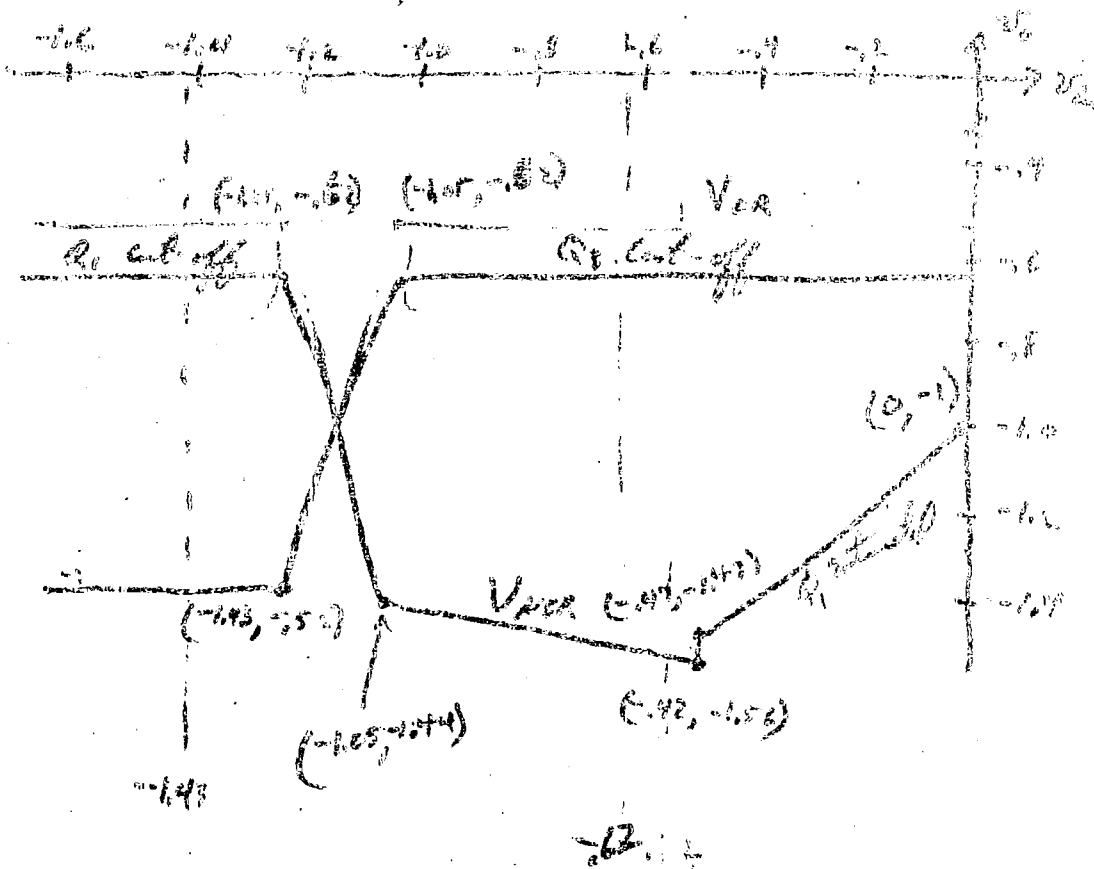
Calculated disagreement from simulation is negligible but the two values are slightly different.

V_{out} can be determined from Equation (1) as V_{out}

$$V_{out} = \frac{20 \times 6}{20 \times 6 + 80} = \frac{120}{100} = 1.2 \text{ V}$$

$$\therefore V_{out} = \underline{\underline{-1.2 \text{ V}}}$$

Thus, the transfer function is



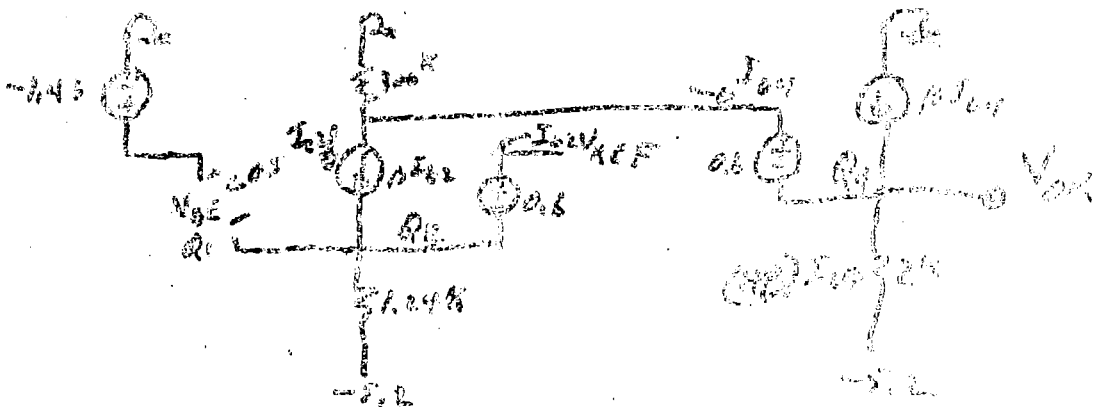
b) Threshold for noise-immunity of $0.5V$

From the transfer characteristics the usual threshold is $1.47V$ and the usual high-level is $1.82V$ when a gate is driven from a similar gate. The noise-immunity for a logical 0 ($-1.47V$) input is $|-1.47 - (-1.05)| = 0.42V$ while the NI for logical 0 ($-1.05V$) input is $|-1.05 - (-1.05)| = 0V$

A noise immunity of $0.5V$ is not possible!

c) Saturation caused by V_{EE} variation.

d) For logical 0 input ($v_2 = -1.47V$) the output



by cannot be saturated. Q_2 will saturate if V_{EE} is high (toward positive) enough. Then $V_{EE} = 0V$ and $V_{EE} = 0.5V$ which Q_2 will saturate. For the actual condition:

$$V_{CE} = V_{CEQ} - I_{CQ} R_{C1} - I_{CQ} R_{C2} = V_{CEQ} - I_{CQ} R_{C}$$

$$\begin{cases} I_{BQ} = \frac{V_{CE} + V_{BE}}{(1+\beta) R_{B1}} = \frac{V_{CE} - 0.7}{(1+\beta) R_{B1}} \\ I_{CQ} = \frac{V_{CE} - V_{BE}}{(1+\beta) R_{B1}} \\ I_{CQ} = \frac{V_{CE} - V_{BE}}{R_{B1}} - I_{BQ} = \frac{V_{CE} - 0.7}{R_{B1}} - I_{BQ} \end{cases}$$

$$I_{CQ} = I_{BQ} = \frac{V_{CE} - 0.7}{R_{B1}} - \frac{V_{CE} + 0.7}{(1+\beta) R_{B1}}$$

$$\frac{V_{CE} - 0.7}{R_{B1}} = \frac{V_{CE} + 0.7}{(1+\beta) R_{B1}}$$

$$V_{CE} \left(\frac{1}{100} + \frac{1}{100} + \frac{1}{100} \right) = \frac{0.7 - 0.7}{100} + \frac{1}{100} = \frac{0.7}{100}$$

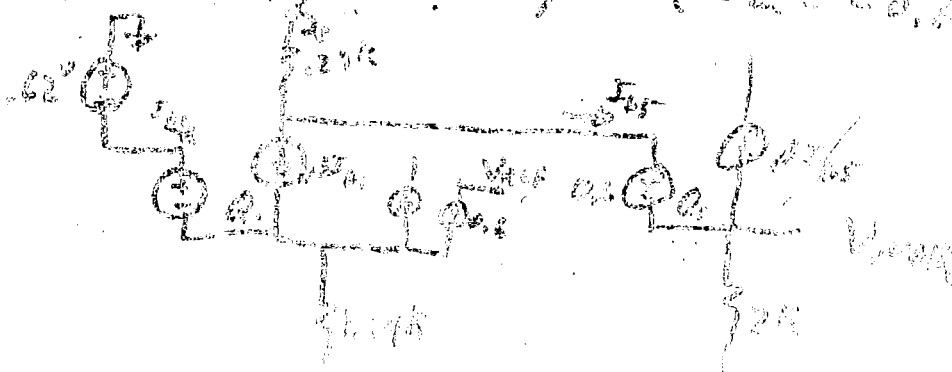
current
→
etc

$$V_{CE} (0.03) = -0.7$$

$$V_{CE} = -\frac{0.7}{0.03} = -23.33$$

for saturation of Q_3

ii) For input 1 input (v_{in} = 0.000V) the circuit is



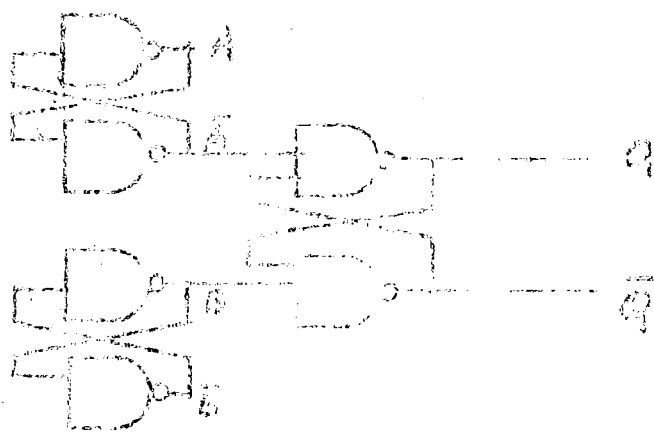
As $V_{in} = 0$ the
negative half cycle
is not present
so the output is
zero.

202021 Digital Electronics II
 Assignment Problem

Q) Construct the Truth Table for the D-type edge-triggered flip-flop as per page 313 of the notes. Use high-level logic ("H" = "1", "L" = "0")

Q) Discuss the operation of the "preset" and "clear" inputs. A truth table would suffice.

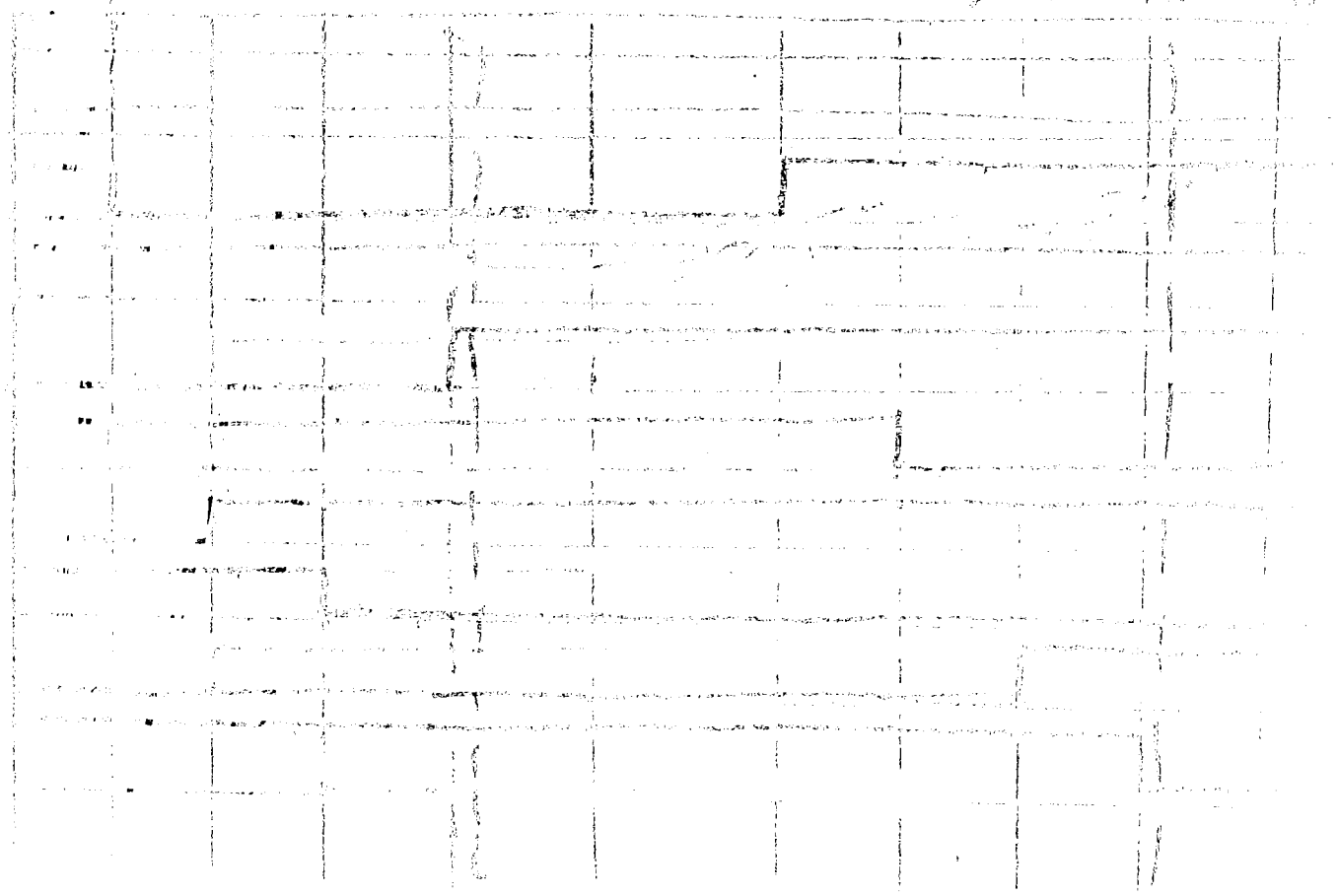
Q) Are there any restrictions on the length of the clock pulse?



| CLK | A | B | Q |
|-----|---|---|---|
| | | | |
| | | | |
| | | | |
| | | | |
| | | | |
| | | | |
| | | | |
| | | | |
| | | | |
| | | | |

Q) Discuss the operation of the "clear" and "preset" when a "clock pulse" is present.

The circuit of the D.T. has been cleared and is
 ready in the cell $A=0, C=1, B=0, F=1, Q=0, R=1$
 with the rest of cell $U=1$. Assume that the
 clock pulse rate in the 1 state normally but is
 2 for longer than 1/8 of a cycle. Refer
 to the front edge of the clock pulse and CT on
 the leading edge of the clock pulse. The following
 two diagrams describe the operation of the circuit
 and also show the output of the circuit.



Handwritten legend or key for the diagram, defining the signals and their states.

$A = \text{clock}$ $C = \text{front edge}$ $Q = \text{front edge}$
 $B = \text{back edge}$ $D = \text{back edge}$ $R = \text{back edge}$

Example 4: D-type Radio Frequency Filter

11
18

coupled equations:

$$\dot{A} = B\omega - C \cdot F \quad \dot{B} = \dots \quad \dot{C} = \dots$$

$$\dot{D} = \dots \quad \dot{E} = \dots \quad \dot{F} = \dots$$

initial conditions:

$$A = 0 \quad B = 0 \quad C = 0 \quad \text{class} = 1 \quad \dots$$

$$D = 1 \quad E = 1 \quad F = 1 \quad \dots$$

| | 0 | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 | 0.9 | 1.0 |
|-------|---|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| class | | | | | | | | | | | |
| port | | | | | | | | | | | |
| class | | | | | | | | | | | |
| D | | | | | | | | | | | |
| A | | | | | | | | | | | |
| (A) C | | | | | | | | | | | |
| B | | | | | | | | | | | |
| (B) F | | | | | | | | | | | |
| E | | | | | | | | | | | |
| F | | | | | | | | | | | |

Final conditions:

$$A = 0 \quad B = 0 \quad C = 0$$

$$D = 1 \quad E = 1 \quad F = 1$$

Initial Conditions and Diagonal Plot

11
100

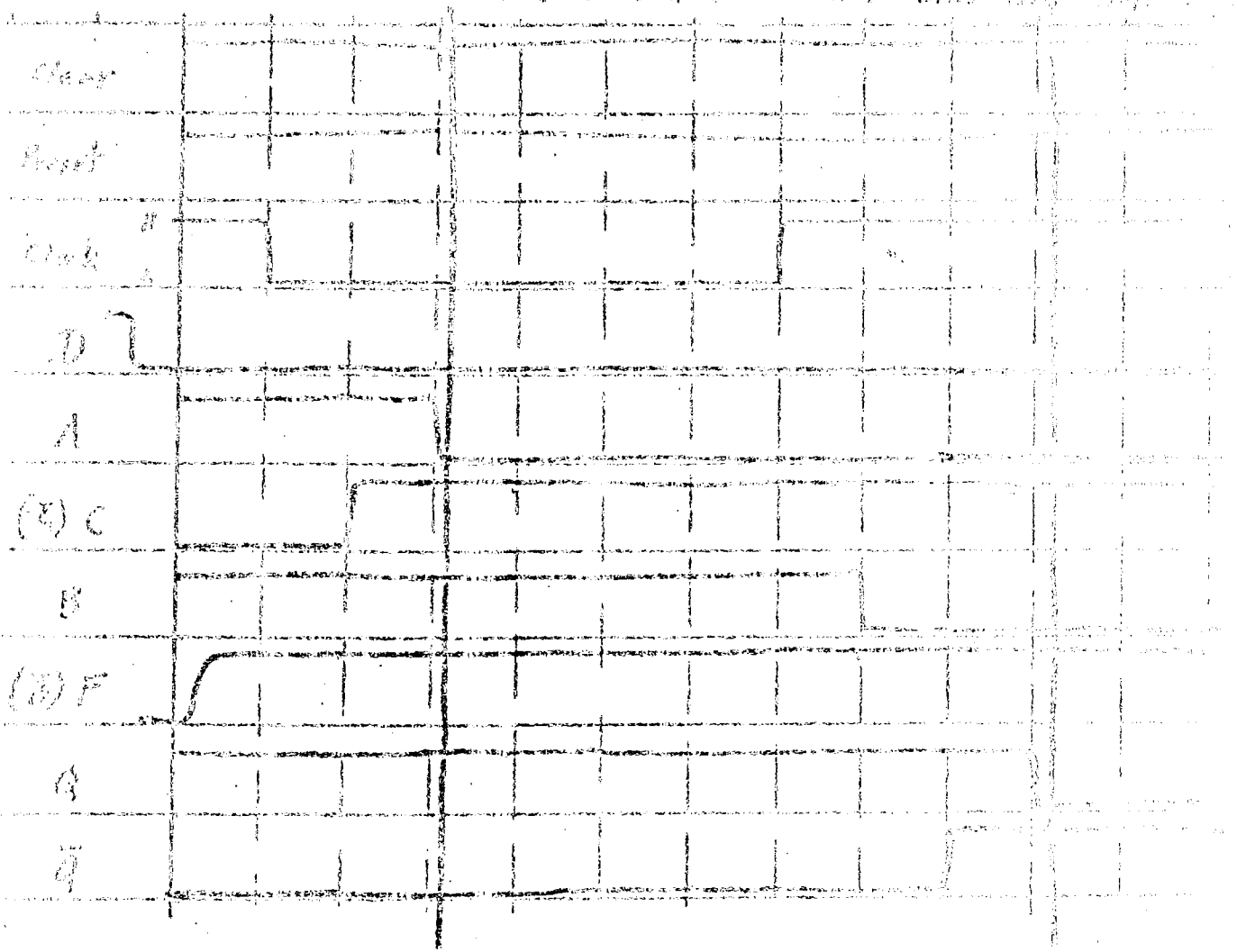
Initial Equations:

$$\begin{aligned}
 A &= 10e^{-C \cdot t} & B &= & C &= \\
 C &= & F &= & G &=
 \end{aligned}$$

Initial Conditions:

$$\begin{aligned}
 A &= 1 & B &= 1 & C &= 1 & \text{clear} &= 1 & D &= 0 \\
 C &= 0 & F &= 0 & G &= 0 & \text{fluid} &= 1
 \end{aligned}$$

e 20 40 60 80 100 120 140 160 180 200



Final Conditions:

$$\begin{aligned}
 A &= 0 & B &= 1 & C &= 1 \\
 D &= 1 & F &= 1 & G &= 1
 \end{aligned}$$

| Q_1 | Q_2 | Q_3 | D | A_1 | A_2 | A_3 |
|-------|-------|-------|-----|-------|-------|-------|
| 0 | 10 | 0 | 1 | 1 | 1 | 1 |
| 1 | 1 | 1 | 0 | 0 | 1 | 1 |
| 1 | 1 | 1 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |

Inspection of the diagram indicates that the value of D at time $(CT-25)$ determines the resulting state.

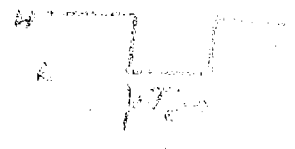
b) Reset and Clear (operate from the forward)

| <u>Clear</u> | <u>Reset</u> | <u>Clear</u> | <u>Q_1</u> | <u>A_1</u> | <u>Q_2</u> | <u>C</u> | <u>F</u> | <u>D</u> |
|--------------|--------------|--------------|-------------------------|-------------------------|-------------------------|-----------------------|-----------------------|-----------------------|
| 1 | 1 | 1 | Q_1 | A_1 | Q_2 | A_2 | B_1 | 1 |
| 1 | 1 | 0 | 0 | 0 | 0 | 1 | 1 | 1 |
| 1 | 0 | 1 | 1 | 1 | 1 | 0 | 0 | 0 |
| 1 | 0 | 0 | 1 | 1 | 0 | 1 | 1 | 0 |

↑
This should not be allowed

to occur since Q_1 and Q_2 both become 1

1) The clock pulse must be longer than 35, also
 all "clock pulses" in a low level signal.



2) The table for part (b) on page 5 can be
 entered in the presence of a clock pulse to
 determine the solution of part (c) when with a
 clock pulse

| clock | input | output | D | Q | A | B | C | F | \bar{D} |
|-------|-------|--------|---|---|---|---|---|---|-----------|
| 0 | 1 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 |
| | | | 1 | 0 | 1 | 1 | 1 | 0 | 1 |
| 1 | 1 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 1 |
| | | | 1 | 1 | 1 | 1 | 1 | 1 | 0 |
| 0 | 0 | 1 | 0 | 1 | 1 | 1 | 1 | 1 | 0 |
| | | | 1 | 1 | 1 | 1 | 1 | 0 | 0 |

3) (0) (0) (1) (1) 1 1 1 1 (1)
 clock pulse

the final left column table procedure over the
 D and clock signal. If the clock returns to 0
 the 0s will remain in the next (or later) state.

If ρ (constant) returns to 1 before the shock, $\rho = 1$
with the $\rho = 0$ and $\rho = 0$ $\rho = 0$

with $\rho = 1$ and $\rho = 0$ $\rho = 1$

with $\rho = 0$ and looking at the line diagram
can be investigated to determine the stability
(Case i).

with $\rho = 1$ and $\rho = 0$ the line diagram
can be investigated to determine the stability
(Case ii).

EE 558 Digital Electronics
 Die-Exam Exam
 Three Problems

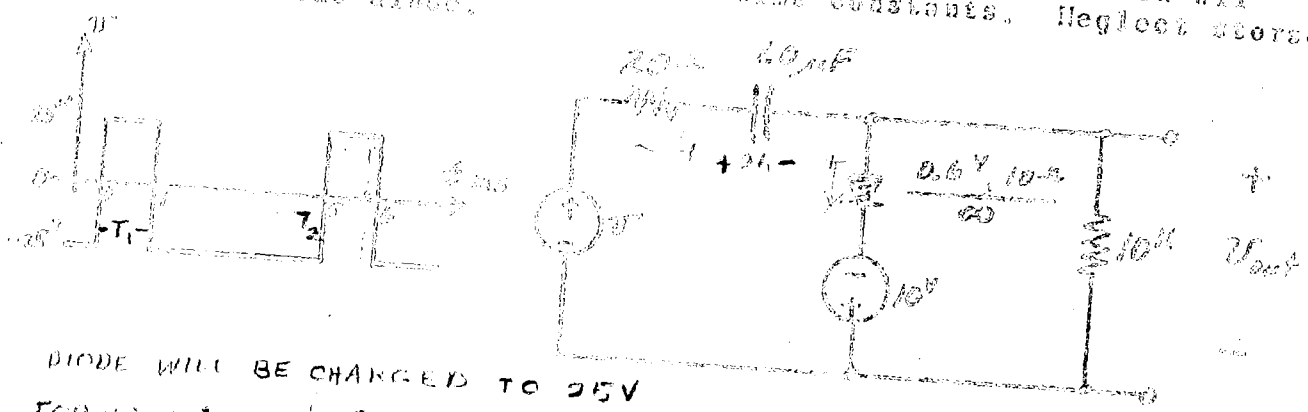
October 12, 1973
 3 Periods

7/10

OPEN BOOKS & NOTES

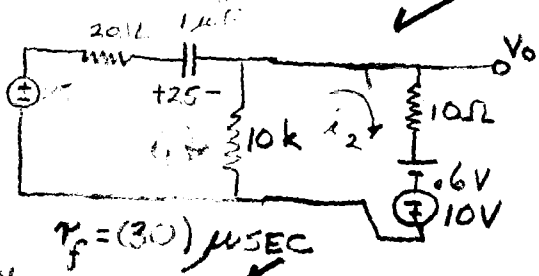
30

1. For the circuit shown, determine the output voltage waveform over one 5-millisecond interval. The input is a repetitive waveform which has been present for a long time. Show all significant voltage points and time constants. Neglect storage time in the diode.



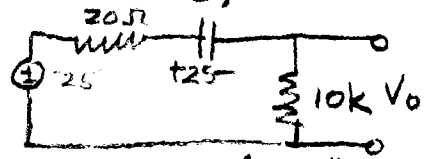
DIODE WILL BE CHARGED TO 25V

FORWARD:

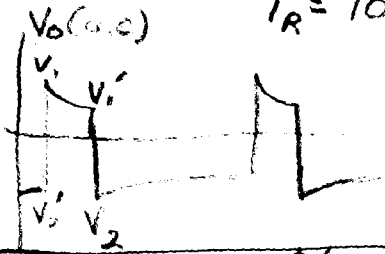
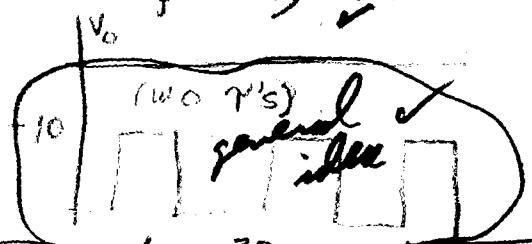


$\tau_f = (30) \mu\text{SEC}$

REVERSE:



$\tau_R = 10^{-6} \times 10^4 = 10^4 \mu\text{SEC}$



These equations were derived without the 10V and Vr!

EQ $\rightarrow \begin{cases} V = \frac{30}{10} V_1 - V_2 \Rightarrow V = 3V_1 - V_2 & 0 < t < 1 \\ V = 3V_1' - V_2 \Rightarrow V = 50 & 1 < t < 5 \end{cases}$

$V_{01} = V_1 e^{-t/\tau_f}$
 $V_{02} = V_2 e^{-t/\tau_R}$

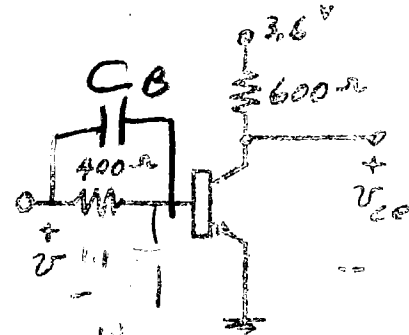
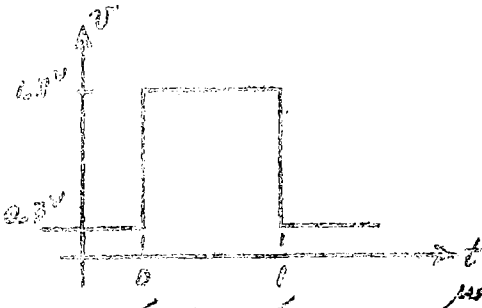
EQ 2 $\begin{cases} V_1' = \frac{50}{3} + \frac{1}{3} V_2 = V_1 (1 - e^{-1/\tau_f}) & V_1' = V_1 (1 - e^{-1/\tau_f}) \\ V_2' = 3V_1 + 50 = V_2 (e^{-1/\tau_R} - e^{-5/\tau_R}) & V_2' = V_2 (e^{-1/\tau_R} - e^{-5/\tau_R}) \end{cases}$

SOLVE FOR V_1 AND V_2 , THEN USE FOR V_1' AND V_2'

Equation ?? $V_0(t) = V_0(t+6) = \begin{cases} V_1 e^{-t/\tau_f} - 35 & 0 < t < 1 \text{ ms} \\ V_2 e^{-t/\tau_R} - 35 & 1 < t < 5 \text{ ms} \end{cases}$

2. The storage-time response of the RTL gate is to be investigated.

- a) For the input voltage wave shown and the transistor parameters as indicated, determine the numerical values of t_p , t_{ON} , t_s and t_{OFF} as defined in Section 3-7 of Strauss.
- b) What minimum value of speed-up capacitor across the 400-ohm resistor would improve the response of this circuit? (NORMALLY)



a) $\tau_0 = R_B C_{BE} = 4 \times 10^2 (10^{-10}) = 4 \times 10^{-8} = 40 \text{ nSEC}$

$0.7 = V_b(t) = 1.5 + 2.1 e^{-t/\tau_0}$

$0.7 - 1.5 = 2.1 e^{-t/40}$

$t_0 = (40 \ln \frac{2.1}{2.1 - 0.2}) = 40 \ln \frac{2.1}{1.9} = 52 \text{ nSEC}$

$t_{ON} = \tau_0 \ln \frac{I_{B1}}{I_{B1} - I_{CSAT}} = 40 \ln \frac{2.75}{2.75 - 0.6} = 102 \text{ nSEC}$

a) $V_b(t) = 1.8 + 5.7 e^{-t/\tau}$

$\tau_0 = 4 \times 10^2 \times 10^{-10} = 4 \times 10^{-8} = 40 \text{ nSEC}$

$0.7 = 1.8 + 5.7 e^{-t/40}$

$-40 \ln \frac{5.7}{5.7 - 0.9} = t_0 = 6.57 \text{ nSEC}$

$I_{B1} = \frac{1.8 - 0.7}{4 \times 10^2} = \frac{1.1}{4} = 2.75 \text{ mA}$; $I_{CSAT} = \frac{3.6 - 0.6}{600} = 6 \text{ mA}$; $I_{B2} = \frac{I_{CS}}{\beta} = \frac{5.7}{10} = 0.57 \text{ mA}$

$\Rightarrow t_{ON} = 10^2 \ln \frac{2.75}{2.75 - 0.6} = 24.6 \text{ nSEC}$

$I_{B2} = \frac{-1.5 + 0.7}{.4} = 6.25 \text{ mA}$

$t_s = 10^2 \ln \frac{-6.25 - 2.75}{-6.25 - 0.6} = 10^2 \ln \frac{8.9}{6.85} = 26.2 \text{ nSEC}$

$t_{OFF} = \tau_0 \ln \frac{I_{B2} - I_{B1}}{I_{B2}} = \tau_0 \ln \frac{I_{B2} - I_{B1}}{I_{B2}}$

$= 10^2 \ln \frac{-6.25 - 0.6}{-6.25} = 10^2 \ln \frac{6.85}{6} = 31.4 \text{ nSEC (MAYBE!)}$

b) $R_B C_B = \tau_0 = 10^{-7}$

$C_B = \frac{1}{4 \times 10^2} \times 10^{-7} = .25 \times 10^{-9} = 250 \text{ pF}$

$V_{CE, sat} = 0.3 \text{ V}$

$V_{BE, sat} = 0.7 \text{ V}$

$\tau_0 = 100 \text{ nSEC}$

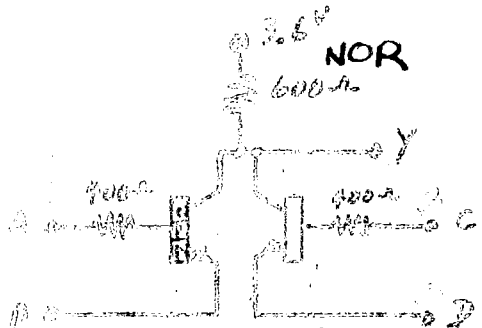
$\beta = 10$

$C_{BE} = 100 \text{ pF} = C_D$

$V_{CE} = 0$

Three identical networks as shown in Figure 1 are connected to external sources and to each other as shown in Figure 2.

- What is the numerical value of $V_{Y1} = V_{B2}$?
- What is the numerical value of $V_{Y2} = V_{C3}$ if R is very large?
- What is the numerical value of V_{Y3} if R is very large?
- As R is reduced in value, at what value of R will the answer to part (b) start to change?
- As R is reduced in value, at what value of R will the answer to part (c) start to change?



$\bar{Y} = \bar{B} \cdot A + C \bar{D}$

Figure 1 $Y =$

Silicon

- $V_{BE, sat} = 0.7V$
- $V_{CE, sat} = 0.3V$
- $V_{CE} = 0$
- $\beta = 10$

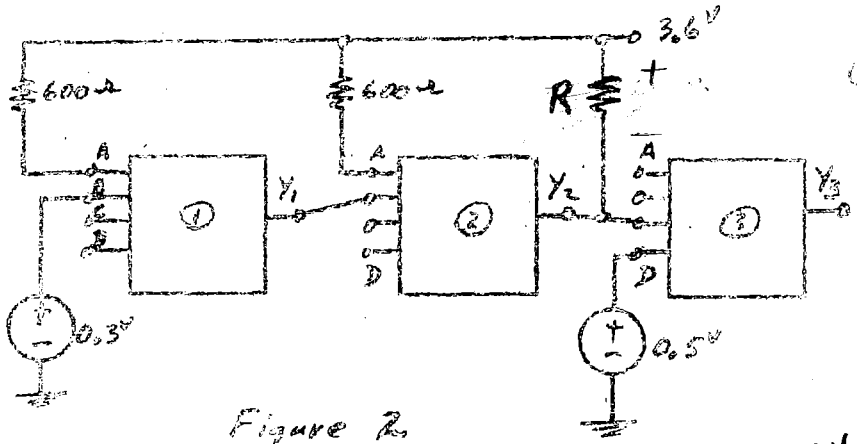
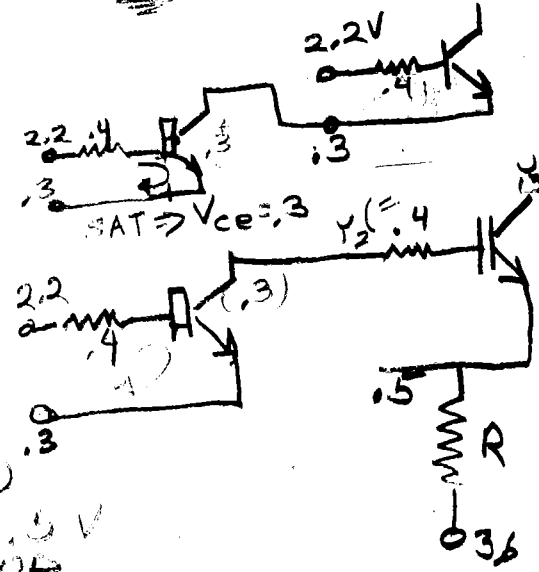


Figure 2

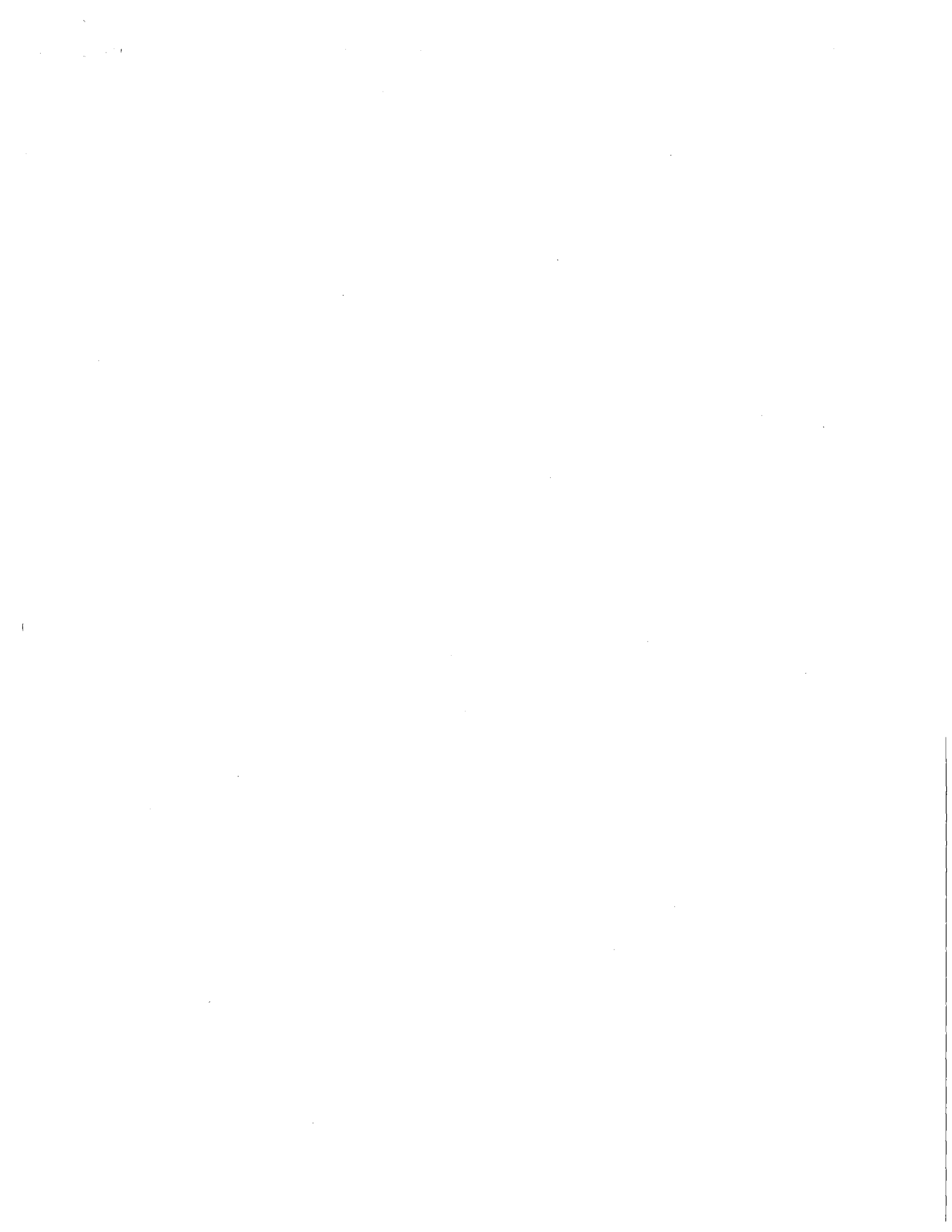
- $V_{BE, cut-off} = 0.5V$
- a) $V_A = (0.6)(3.6) = 2.16V$
- $\bar{Y} = \bar{B} \cdot A + C \bar{D}$
- $A \cdot B \Rightarrow \bar{Y} \Rightarrow V_{Y1} = .3V$
- b) $V_{Y2} = .7$
- c) $V_{Y3} = .5$



- e) R SHOULD BE REDUCED
- $\Rightarrow V_{CE} > V_{BE, cut-off} = 0.5V$
- FOR CHANGE TO OCCUR

$.5 = \left(\frac{0.4}{1+R}\right) 3.6$

$4.5R = (0.4)(3.6) - .4 = 2.46K$



11.11.2018

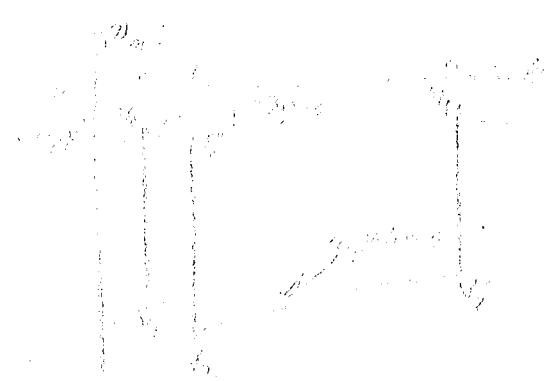
1. The circuit shown in the figure is a balanced three-phase system. The line voltage is 400 V and the line current is 10 A. The power factor is 0.8 lagging. Calculate the real power, reactive power and complex power in the system.



- 1) $P = 3 V_L I_L \cos \phi = 3 \times 400 \times 10 \times 0.8 = 9600 \text{ W}$
- 2) $Q = 3 V_L I_L \sin \phi = 3 \times 400 \times 10 \times 0.6 = 7200 \text{ var}$
- 3) $S = 3 V_L I_L = 12000 \text{ VA}$

- 1) Model for non-conducting tube
- 2) $V_{ph}(0) = 0$
- 3) $Z_p = 10 \angle 30^\circ \text{ ohms}$
- 4) $V_{ph}(0) = -25 \text{ V}$

Given $Z_p = 10 \angle 30^\circ \text{ ohms}$, $V_p = 25 \text{ V}$



at $t = 0^-$ (forward diode)

$$v_o(0^-) = v_c(0^-) = 39.7 \text{ V}$$

at $t = 0^+$ (reverse diode)

$$v_o(0^+) = v_c(0^+) = 39.7 \text{ V}$$

$$i = \frac{-25 - v_c(0^+)}{10.02 \text{ k}} = -\frac{59.7}{10.02 \text{ k}} = -5.93 \text{ mA}$$

$$V_o = i \cdot 10^4 = -59.3 \text{ V}$$

$$V_o' = V_o e^{-\frac{t}{\tau}} = -59.3 e^{-\frac{t}{10}} = -39.7 \text{ V}$$

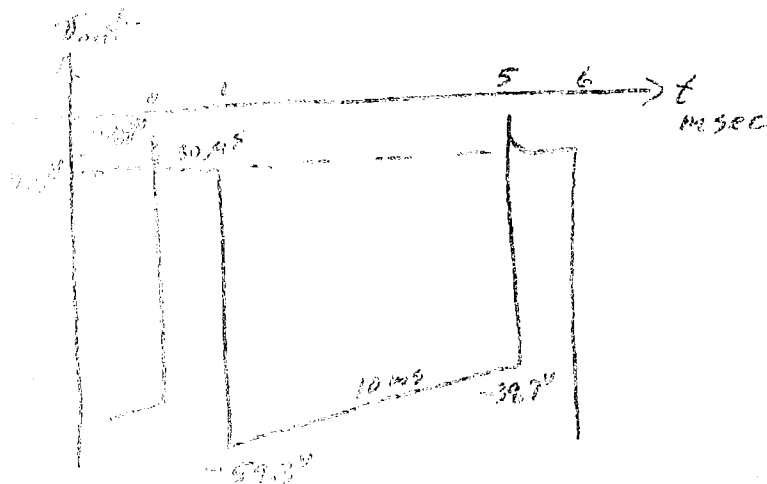
at $t = 5^-$ (or 0^-) (reverse diode)

$$\begin{aligned} v_c(5^-) = v_c(0^-) &= -25 - 20i - V_2' \\ &= -25 - \frac{V_2'}{10^4} \cdot 20 - V_2' \\ &= -(25 + [1+0.002]V_2') \\ &= -(25 + 1.002(-39.7)) = \underline{\underline{14.8 \text{ V}}} \end{aligned}$$

at $t = 5^+$ (or 0^+) (forward diode)

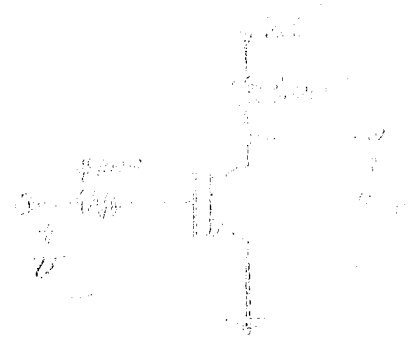
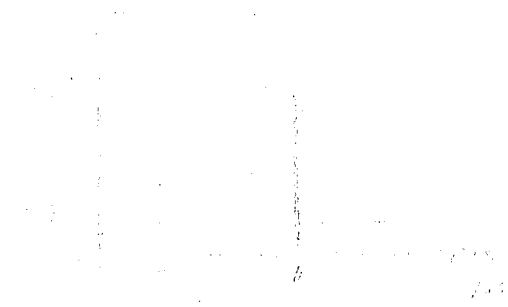
$$v_o(0^+) = v_c(5^+) = v_c(5^-) = 14.8 \text{ V}$$

$$\begin{aligned} v_o(5^+) = V_1 &= \frac{(25 - 14.8) \frac{1}{20} - 9.4 \frac{1}{10}}{\frac{1}{20} + \frac{1}{10} + \frac{1}{10 \text{ k}}} \\ &= \frac{10.2 - 9.4 \text{ k} \cdot 2}{1 + 2 + \frac{20}{10 \text{ k}}} = \underline{\underline{-2.9 \text{ V}}} \end{aligned}$$



... with values of τ_{10} and τ_{20} (the time constants) and the (nominal) values of τ_{10} and τ_{20} as given in Section 3-7 of Stumm.

... values of τ_{10} and τ_{20} across the diode ...



$$C = 100 \text{ pF} = 100 \times 10^{-12} \text{ F} = 100 \text{ nsec}$$

$$V_{diode}(t) = 1.8 - (-3 + 1.8) e^{-t/\tau_{10}} \quad (\text{part 3-58})$$

at $t = 0$

solving for t_{10}

$$t_{10} = \tau_{10} \ln \frac{1.8 - 1.8}{1.8 - 1.8} = 100 \ln \frac{1.8}{1.8} = \underline{\underline{12.3 \text{ nsec}}}$$

$$V_{diode}(t) = 1.8 - (-3 + 1.8) e^{-t/\tau_{10}}$$

$$V_{diode}(t) = 1.8 - (-3 + 1.8) e^{-t/\tau_{10}}$$

$$V_{diode}(t) = 1.8 - (-3 + 1.8) e^{-t/\tau_{10}}$$

$$V_{diode}(t) = 1.8 - (-3 + 1.8) e^{-t/\tau_{10}}$$

$$V_{diode}(t) = 1.8 - (-3 + 1.8) e^{-t/\tau_{10}}$$

$$I_{diode} = \frac{V_{diode}}{R} = \frac{1.8}{100} = 18 \text{ mA}$$

$$I_{diode} = \frac{1}{10} \left(\frac{1.8}{10} - \frac{1.8}{10} \right) = 0.55 \text{ mA}$$

$$t_{10} = \tau_{10} \ln \frac{I_{diode}}{I_{diode} - I_{diode}} = 100 \ln \frac{1.8}{1.8 - 1.8} = \underline{\underline{22.3 \text{ nsec}}} \quad (\text{part 3-59})$$

$$I_{diode} = \frac{V_{diode}}{R} = -1 \text{ mA}$$

$$V_{diode}(t) = 1.8 - (-3 + 1.8) e^{-t/\tau_{10}} = I_{diode} \tau_{10} - (I_{diode} \tau_{10} - I_{diode} \tau_{10}) e^{-t/\tau_{10}} \quad (\text{part 3-60})$$

solving for t_{10}

$$t_{10} = \tau_{10} \ln \frac{1.8 - 1.8}{1.8 - 1.8} = 100 \ln \frac{1.8}{1.8} = 100 \ln \frac{1.8}{1.8} = \underline{\underline{85 \text{ nsec}}}$$

partly

$$t_{10} = \tau_{10} \ln \frac{1.8 - 1.8}{1.8 - 1.8} = 100 \ln \frac{1.8}{1.8} = \underline{\underline{85 \text{ nsec}}}$$

To reduce the storage time t_{10} set $R_C = 100 \text{ } \Omega$

$$C = \frac{100 \text{ nsec}}{100} = 250 \text{ pF}$$

... of the circuit is shown in Figure 2.

- (a) Find the numerical value of $V_{B1} - V_{B2}$.
- (b) Find the numerical value of $V_{B1} - V_{B2}$ if β is very large.
- (c) Find the numerical value of V_{B1} if β is very large.
- (d) As β is reduced to unity, at what value of β will the difference in $V_{B1} - V_{B2}$ be 10% change?
- (e) As β is reduced to unity, at what value of β will the numerical value of V_{B1} be 10% change?

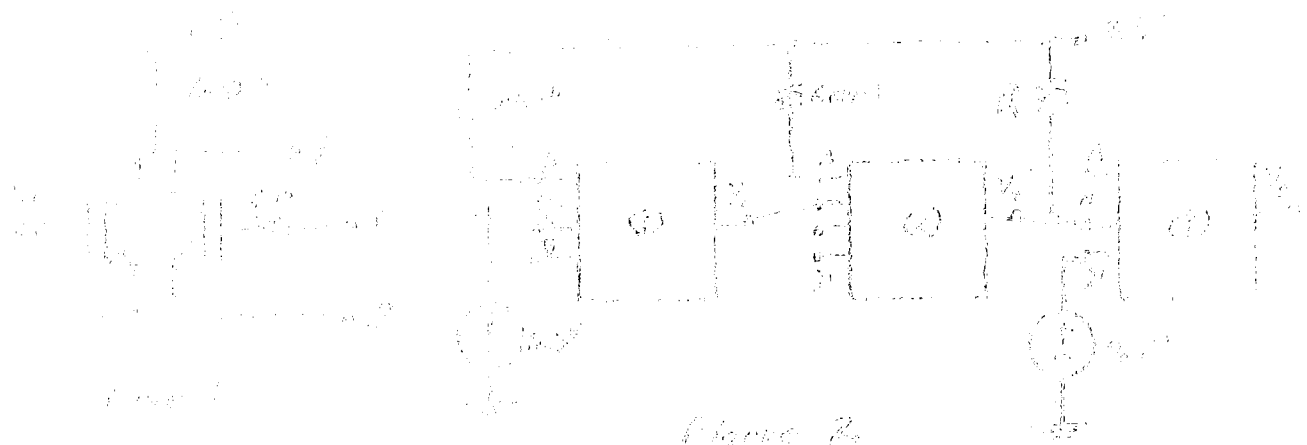
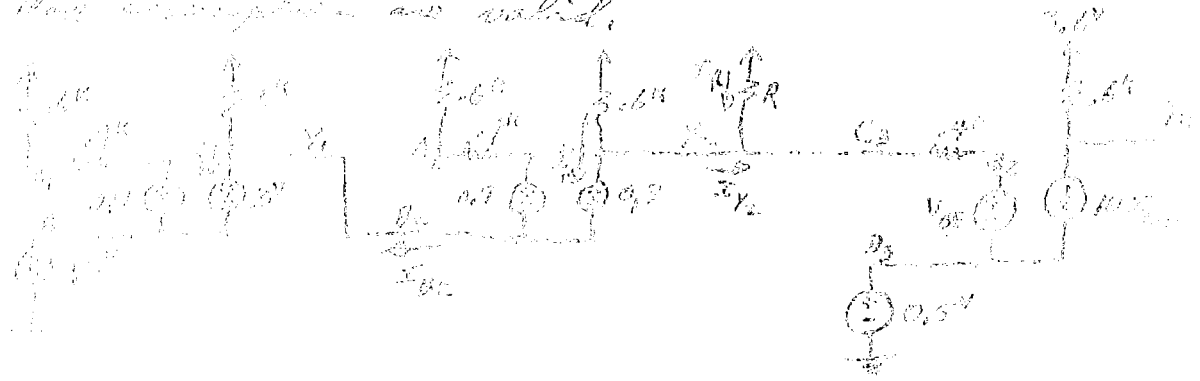


Figure 2

...
 $V_{B1} - V_{B2} = 0.5V$
 $V_{B1} = 0.5V$
 $V_{B2} = 0$

...
 ...

From inputs on bases of stages 1 and 2, assume that the circuit can be considered as a differential amplifier. For β very large assume stage 3 is cut off. From the circuit model below it is seen that these assumptions are valid.



verification of assumption: For $I_{Y2} = 0$, the collector current in stage ② is

$$I_{C2} = \frac{3.6 - 0.7 - 0.3 - 0.3}{.6k} = \frac{2.7}{.6k} = 4.5 \mu A$$

$$I_{A2} = \frac{3.6 - 0.7 - 0.3 - 0.3}{.6k + .4k} = \frac{2.3}{1k} = 2.3 \mu A$$

and $I_{C2} < \beta I_{A2} = 10 \times 2.3 = 23 \mu A$ is satisfied.

$$I_{B2} = I_{C2} + I_{A2} = 6.8 \mu A$$

$$I_1 = \frac{3.6 - 0.3 - 0.3}{.6k} + I_{B2} = \frac{3}{.6k} + 6.8 = 11.8 \mu A$$

$$I_{A1} = \frac{3.6 - 0.7 - 0.3}{.6k + .4k} = \frac{2.6}{1k} = 2.6 \mu A$$

and $I_1 < \beta I_{A1} = 10 \times 2.6 = 26 \mu A$ is satisfied.

$$\text{Thus, a) } V_{Y1} = 0.3 + 0.3 = \underline{0.6 \text{ V}}$$

$$\text{b) } V_{Y2} = 0.6 + 0.3 = \underline{0.9 \text{ V}}$$

The voltage between C_3 and D_3 is

$$V_{C03} = V_{Y2} - 0.5 = .9 - .5 = 0.4 < V_{BE}(\text{cut-off}) = 0.5$$

so that the stage ③ is cut-off and

$$\text{c) } V_{Y3} = \underline{3.6 \text{ V}}$$

To answer part (d) V_{Y2} will start to change if either stage ③ or stage ① comes out of cut-off. ~~consider the~~ ~~voltage~~ From equations (7) & (5), above,

$$I_{B2} \leq 26 - 5 = 21 \mu A$$

From equations (3) & (1) ~~and~~ with the inclusion of the current I_R

$$I_R \leq 23 - 4.5 = 18.5 \mu A$$

$$I_{B1} = I_{A2} + I_{2A} = 2.3 + 4.5 + I_{R2}$$

$$= 6.8 + I_{R2}$$

and from equation (12)

$$I_{R2} \leq 21 - 6.8 = 14.2 \text{ mA}$$

Substituting the smaller of equations (15) and (17) yields $I_{R2} \leq 14.2 \text{ mA}$ from which

$$(d) R = \frac{3.6 - 0.9}{14.2 \text{ mA}} = \frac{2.7 \text{ k}}{14.2} = \underline{\underline{190 \Omega}}$$

The third stage will come out of cut-off when

$$V_{CE3} \geq 0.5 \text{ V} \quad \text{or when } V_{Y2} = 0.5 + 0.5 = 1.0 \text{ V}$$

From the previous analysis both stage 1 and stage 2 will be in the active regions with $V_{BE} = 0.6 \text{ V}$ and collector currents equal to β times the base currents.

$$I_{A1} = \frac{3.6 - 0.6 - 0.3}{1 \text{ k}} = 2.7 \text{ mA}$$

$$10 I_{R1} = 27 \text{ mA} = \frac{3.6 - V_{Y1}}{0.6 \text{ k}} + (1 + \beta) I_{A2}$$

$$= \frac{3.6 - V_{Y1}}{0.6 \text{ k}} + 11 \frac{3.6 - 0.6 - V_{Y1}}{1 \text{ k}}$$

Solving for V_{Y1}

$$27 = 0 - \frac{V_{Y1}}{0.6} + 33 - V_{Y1} 11$$

$$V_{Y1} = \frac{39 - 27}{11 + \frac{1}{0.6}} = 0.95 \text{ V}$$

From which

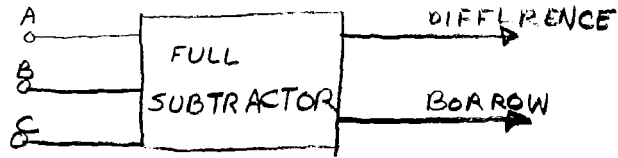
$$I_{A2} = \frac{3 - V_{Y1}}{1 \text{ k}} = 2.05 \text{ mA}$$

$$I_{R2} = 10 I_{A2} = \frac{3.6 - 1}{0.6 \text{ k}} = 20.5 - 4.33 = 16.17 \text{ mA}$$

$$(e) R = \frac{3.6 - 1}{16.2} = \frac{2.6 \text{ k}}{16.2} = \underline{\underline{161 \Omega}}$$

18
10

4-2)



A - MINUEND; B - SUBTRAHEND; C = BORROW

| A | B | C | D | B ₀ |
|---|---|---|---|----------------|
| 0 | 0 | 0 | 0 | 0 |
| 1 | 0 | 0 | 1 | 0 |
| 0 | 1 | 0 | 1 | 1 |
| 1 | 1 | 0 | 0 | 0 |
| 0 | 0 | 1 | 1 | 1 |
| 1 | 0 | 1 | 0 | 0 |
| 0 | 1 | 1 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 |

DIFFERENCE = D_i

BORROW = B₀

| A | B | D _i |
|---|---|----------------|
| 1 | 0 | 1 |
| 0 | 1 | 0 |

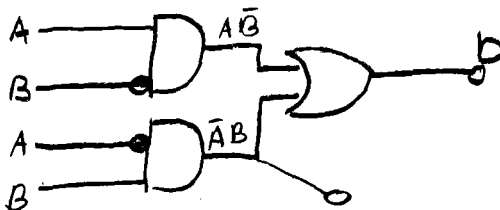
| A | B | B ₀ |
|---|---|----------------|
| 1 | 0 | 1 |
| 0 | 0 | 0 |

$$D = A\bar{B} + \bar{A}B = \overline{AB + \bar{A}\bar{B}}$$

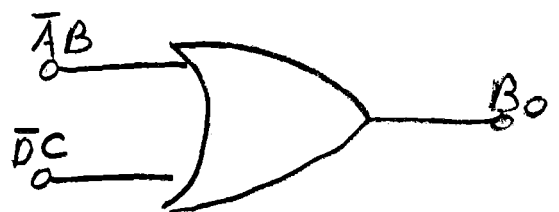
$$D_i = D\bar{C} + \bar{D}C = \overline{DC + \bar{D}\bar{C}}$$

$$B_0 = \bar{D}C + \bar{A}B$$

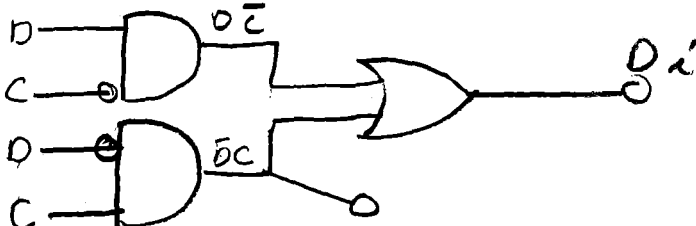
FOR D



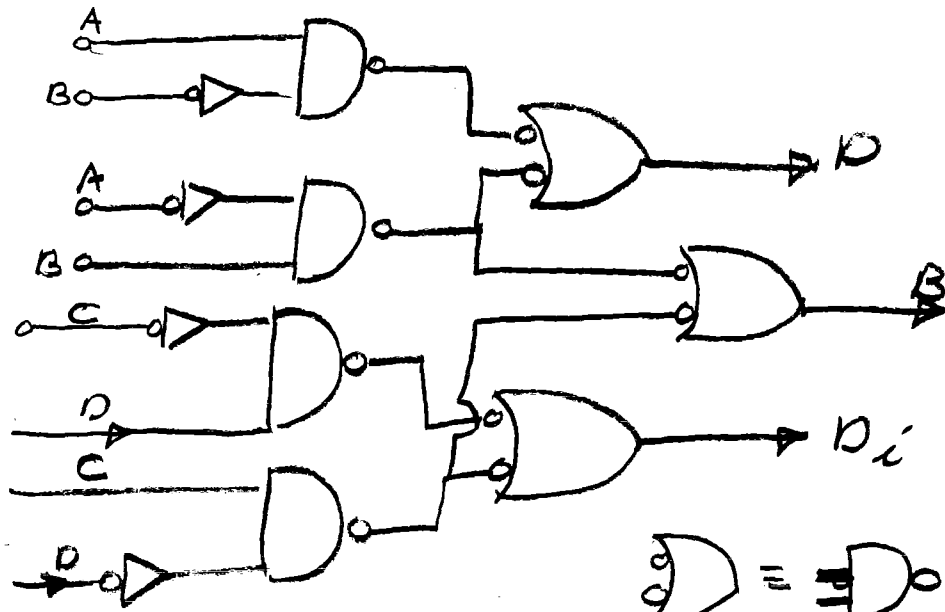
FOR B₀



FOR D_i

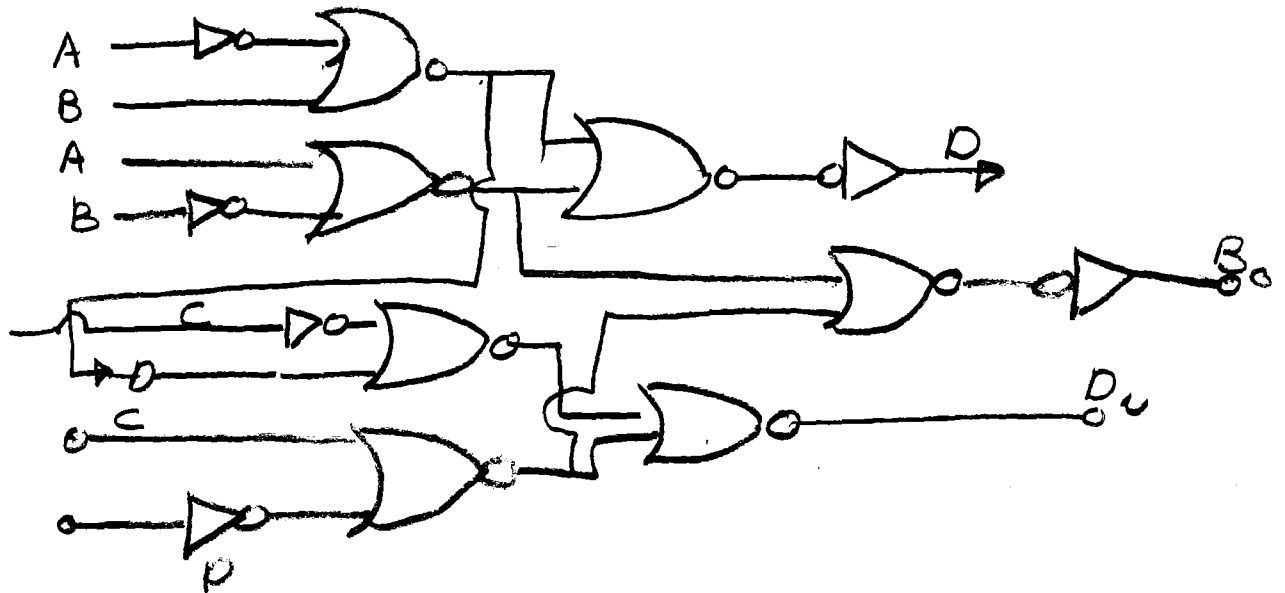


CONVERTING TO NAND



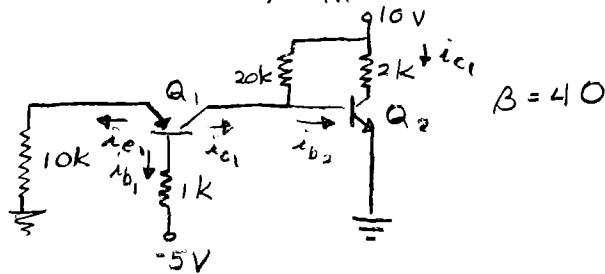
$\overline{A \cdot B} \equiv \overline{A} \cdot \overline{B}$ FOR ALL NAND

FOR NOR



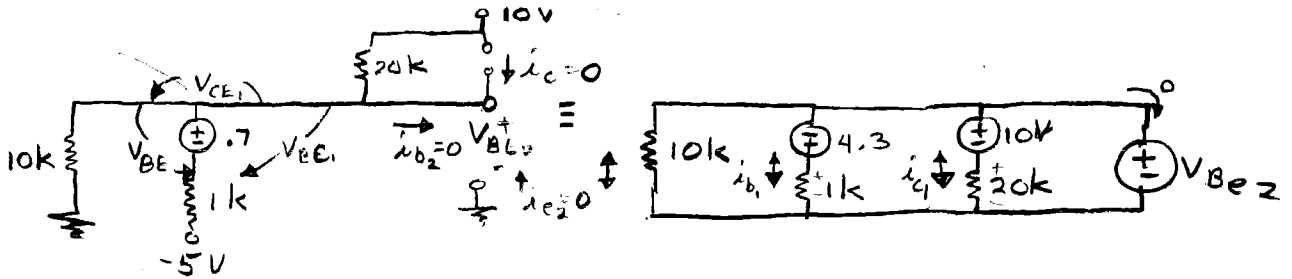
✓

3-9) a) @ QUIESCENCE, $i_{in} = 0$ (ARO



10
10

EMITTER-BASE AND COLLECTOR-BASE JUNCTIONS FORWARD BIASED, Q2 IS CUT-OFF



$$\frac{V_{BE}}{10} + \frac{V_{BE} - 4.3}{1} + \frac{V_{BE} + 10}{20} = 0$$

$$V_{BE} (.1 + 1 + .05) = 4.3 + .5 \Rightarrow V_{BE} = -3.3 \text{ V}$$

$$i_{b1} = \frac{-V_{BE2} - 4.3}{1} = \frac{+3.3 - 4.3}{1} = -1.0 \text{ mA}$$

$$i_{c1} = \frac{10 - V_{BE2}}{20} = \frac{10 + 3.3}{20} = .667 \text{ mA}$$

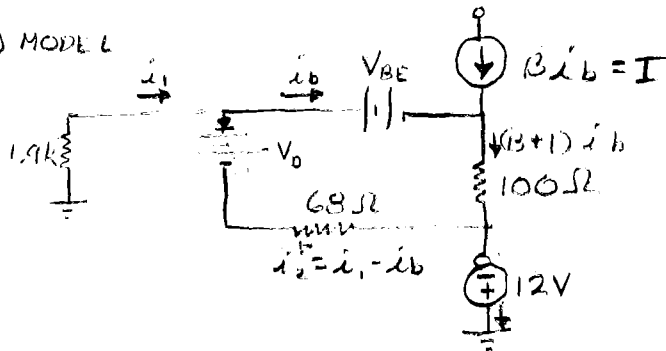
$$i_{e1} = i_{b1} + i_{c1} = .333 \text{ mA}$$

QUIESCENT CONDITIONS

$$\left. \begin{aligned} i_{e2} = i_{c2} = i_{b2} = 0 \\ V_{BE1} = .7 \text{ V} \quad V_{CE1} = 0 \end{aligned} \right\} Q_1$$

$$\left. \begin{aligned} i_{b1} = -1 \text{ mA} \\ i_{c1} = .667 \text{ mA} \\ i_{e1} = .333 \text{ mA} \\ V_{BE2} = -3.3 \text{ V} \\ V_{CE2} = 10 \text{ V} \end{aligned} \right\} Q_2$$

5.8) a) MODEL



$$\beta = 50$$

$$V_{BE} = V_D = 0.75$$

4
10

$$12 = 1.9k i_1 + V_{BE} + (\beta + 1) i_b \Rightarrow i_1 = (11.25 - 51 \times 10^2 i_b) / 1.9k$$

$$12 = 1.9k i_1 + V_{BE} + 68 i_1 - 68 i_b$$

$$11.25 = (1.9k + 68) i_1 - 68 i_b \Rightarrow i_1 = (11.25 + 68 i_b) / 1.968k$$

$$\therefore \frac{11.25}{1.9k} - \frac{51 \times 10^2}{1.9k} i_b = \frac{11.25}{1968} + \frac{68}{1968} i_b$$

$$i_b \left(\frac{68}{1968} + \frac{51k}{1.9k} \right) = \frac{11.25}{1968} - \frac{11.25}{1.9k}$$

$$i_b (3.42 \times 10^{-3} + 2.68) = .573 \times 10^{-4} - .593 \times 10^{-4}$$

$$i_b = \frac{20 \times 10^{-6}}{2.68} = 4.46 \mu A$$

$$\therefore I = \beta i_b$$

$$= 50(4.46) = 2.30 mA$$

b) FROM ABOVE:

$$i_1 = (12 - V_{BE} + 68 i_b) / 1968$$

$$i_1 = (12 - V_{BE} - 51 \times 10^2 i_b) / 1.9k$$

$$(12 - V_{BE} + 68 i_b)(1.9k) = (12 - V_{BE} - 51 \times 10^2 i_b)(1968)$$

$$(68)(1.9k) i_b + 1.9k(12 - V_{BE}) = (51 \times 10^2)(1968) i_b + (1968)(12 - V_{BE})$$

$$i_b ((68)(1.9k) + (51 \times 10^2)(1968)) = 68(12 - V_{BE})$$

$$\Rightarrow i_b = \frac{68(12 - V_{BE})}{((68)(1.9k) + (51 \times 10^3)(1968))} \approx \frac{68(12 - V_{BE})}{(10.1 \times 10^6)}$$

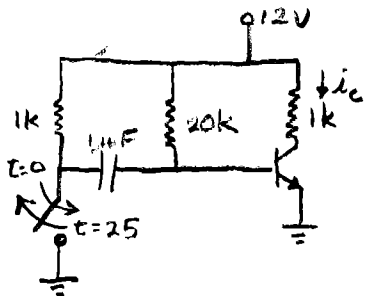
$$\frac{\partial I}{\partial V_{BE}} = \frac{810 - 68 V_{BE}}{10^7} = 810 \times 10^{-7} - 68 V_{BE} \times 10^{-7}$$

FOR 100°C DROPS ABOVE & BELOW $V_{BE} = .75V$, @ $\Delta V_{BE} = 2.5 mV/^\circ C$
 $742 < i_b < 776$ (PRETTY STABLE)

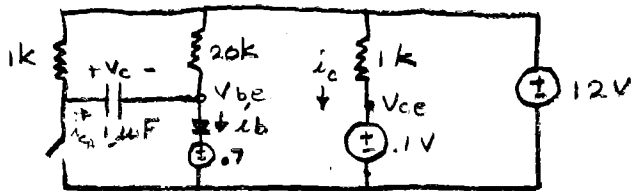
$$c) S_e = \frac{dI}{dV_{BE}} = \frac{d(\beta i_b)}{dV_{BE}} = 3.400 \times 10^{-3}$$

✓

3-21)



$V_{BE} = .7V ; \beta = 30 ; I_e = 1mA, V_{CE SAT} = 100mV$



10
/ 10

$i_c(0^-) = \frac{12 - .1}{1} = 11.9mA$

$V_{ce}(0^-) = .1V$

$V_{be}(0^-) = .7V$

$i_b(0^-) = \frac{12 - .7}{20} = \frac{11.4}{20} = .57mA$

$V_c(0^-) = 11.3 \quad (i_c = 0)$

$V_c(0^+) = 11.3V \Rightarrow V_{be}^{(0^+)} = -11.3V \Rightarrow i_b(0^+) = 0 ; i_c(0^+) = 0 (= \beta i_b(0^+))$

$V_{be}(\infty) = 12V \quad (w/o \text{ DIODE})$

$\tau = RC = 20k \cdot 1\mu F = 20ms$

$\Rightarrow V_{be}(t) = 12 - 23.3 e^{-t/20} \quad \text{UNTIL } V_{be} = .6V$

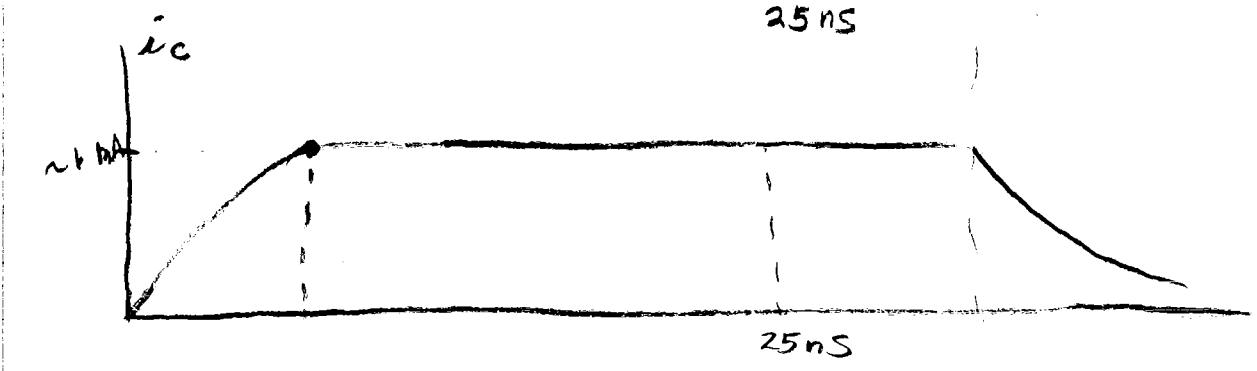
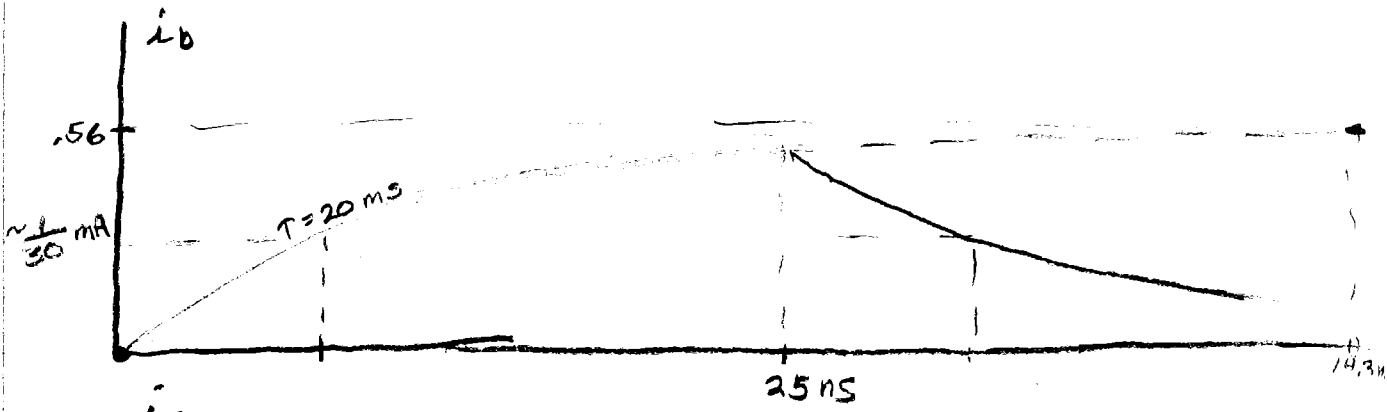
@ $t = t_1, V_{BE}(t) = .6 \Rightarrow t_1 = 20 \ln \frac{23.3}{11.4} = 14.3ms$

AT WHICH POINT DIODE WILL BE FORWARD BIASED

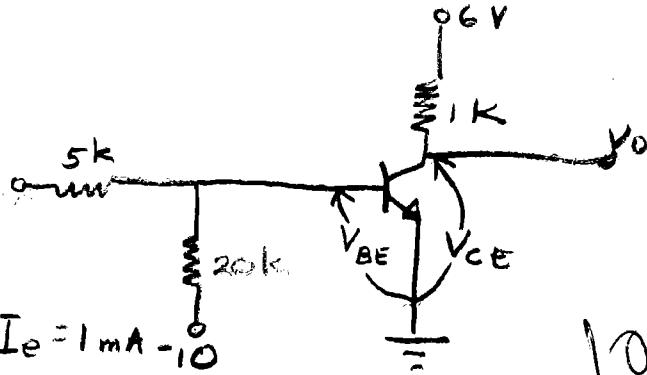
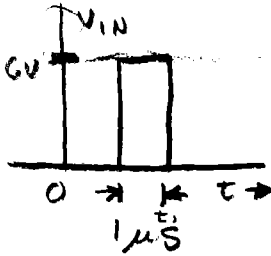
$i_b(t_1^+) = \frac{12 - .7}{20k} = .56mA$

$i_c(t_1^+) = \beta i_b(t_1^+) = 17mA \checkmark$

HOWEVER, TRANSISTOR BECOMES SATURATED @ $i_c \sim 1mA$



3-25)

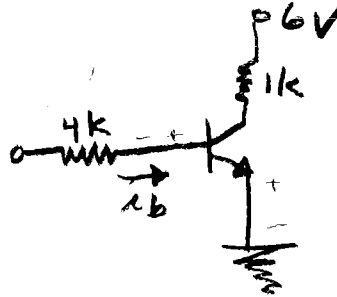
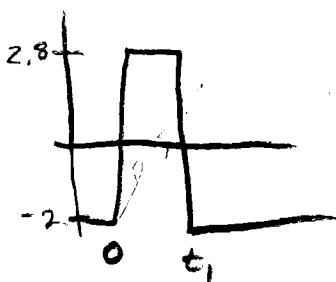


$\beta = 50, V_{BE} = .7V; @ I_e = 1mA - 10$
 $\tau_B = 10ns, C_D = 10pF @ V_{BE} = -1V$

$$5k \parallel 20k = \frac{100}{25} = 4k$$

$$V(0^-) = \frac{5}{25}(-10) = -2V = V(t, +)$$

$$V(0^+ < t < t_1^-) = \frac{6/5 + 10/20}{4/5 + 1/20} = 2.8V$$



$V_{be}(0^-) = -2V, I_b(0^-) = 0$ (BE REVERSE BIASED)

FOR $0 < t < t_1, \tau_0 = 4k C_D = 40ns$

$$V_{be}(0^+) = -2, V_{be}(\infty) = 2.8$$

$$\Rightarrow V_{be} = 2.8 - (2.8 + 2)e^{-t/40}$$

WILL FORWARD BIAS @ $V_{be} = .6V @ t_1$

$$t_1 = 20 \ln 2.2 = 31.2ns$$

$$t_1 = 31.2ns$$

$$I_{b1} = \frac{2.2}{4k} = .55mA$$

$$I_{BSAT} = \frac{I_{CSAT}}{\beta} = \frac{5.7}{50} = .114mA$$

$$t_{ON} = \tau_0 \ln \frac{I_{b1}}{I_{b1} - I_{BSAT}} = 10 \ln 1.26 = 2.1ns$$

$$t_2 = t_1 + t_{ON} = 33.5ns$$

$$t_3 = \tau_0 \ln \frac{(I_{b2} - I_{b1})}{(I_{b2} - I_{BSAT})}$$

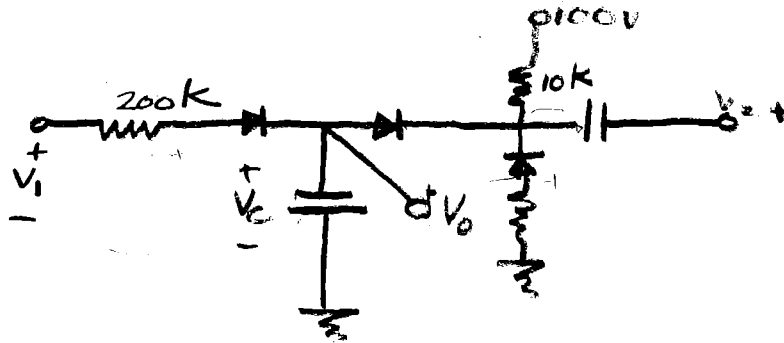
$$I_{b2} = \frac{-2.6}{4k} = -.65mA \Rightarrow t_3 = \tau_0 \ln 1.575 = 4.5ns$$

$$t_{OFF} = \tau_0 \ln \frac{I_{b2} - I_{BSAT}}{I_{b2}} = 10 \ln 1.17 = 1.6\mu s$$

$$t_3 = 1\mu s + t_3 = 1\mu s$$

$$t_1 = t_3 + t_{OFF} = 6.1\mu s$$

7-12)

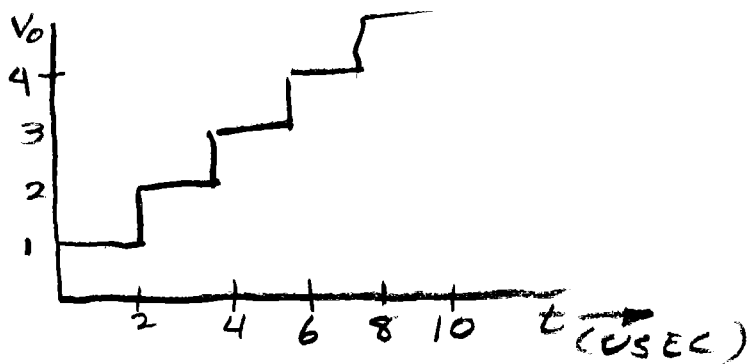


$$V_c = V_o$$

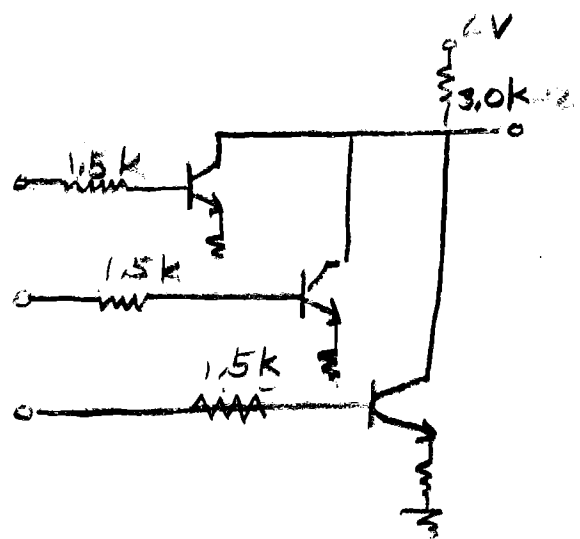
V_o WILL CHARGE IN PROPORTION TO NUMBER OF PULSES BECAUSE ~~VOLTAGE~~ POSITIVE VOLTAGE CHARGES ON THE CAPACITOR ARE KEPT FROM DRAINING AWAY 'CAUSE OF THE DIODE BIAS. A NEGATIVE PULSE OF SUFFICIENT AMPLITUDE @ V_2 WILL FORWARD BIAS DIODES, ALLOWING A PATH OVER WHICH THE DIODE MAY DRAIN.

b) FOR $\Delta V_o = 1V$, $V_1 = 100V$, $T = 2\mu\text{SEC}$

$$C = \frac{\Delta Q}{\Delta V_c} = \left(\frac{99.3}{2}\right) (2 \times 10^{-6}) = 993 \text{ pF}$$



4-10



$\beta = 30$
 $V_{CE,SAT} = 150 \text{ mV}$
 $r_{sc} = 50 \Omega$
 $V_{BE} = .7 \text{ V}$

5
 10

a) WITH NO LOAD

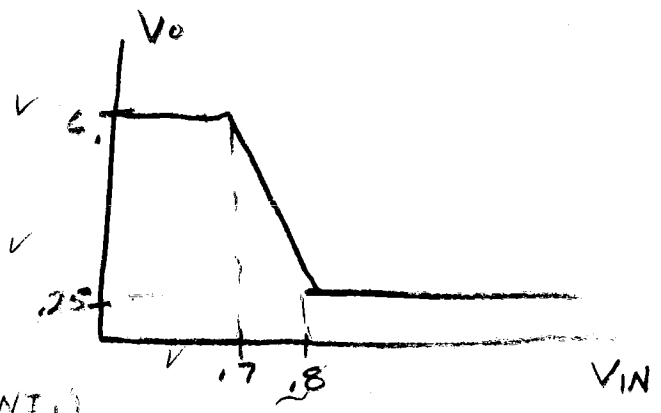
$$V_{IN,L} = V_{BE} = .7 \text{ V}$$

$$I_{C,SAT} = \frac{6 - .7}{3.05 \text{ k}} = 1.9 \text{ mA}$$

$$V_{IN,H} = V_{BE} + \frac{I_{C,SAT} R_1}{\beta}$$

$$= .7 + \frac{1.75 \times 1.5}{30} = .8 \text{ V}$$

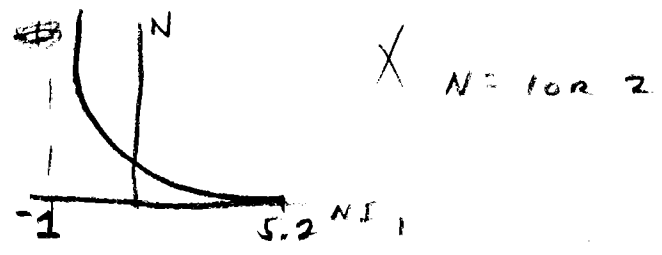
$$I_{B,SAT} = \frac{1.9}{30} = 65 \mu \text{ A}$$



b) $N = \frac{R_1 (V_{CC} - V_{BE} - R_1 I_{C,SAT} - N I_1)}{R_2 (R_1 I_{B,SAT} + N I_1)}$

$$= \frac{6 - .7 - 1.5 \times 1.9}{3 + .1 + N}$$

$$= \frac{5.2 - N I_1}{.1 + N I_1}$$

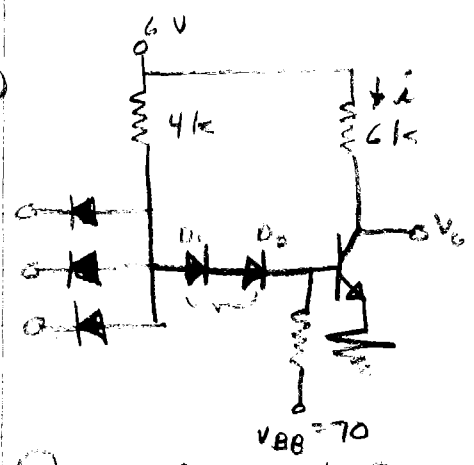


c) WITH ALL 3 INPUTS

$$P_o = 3 \left(\frac{6 - .7}{3 + 1.5} \right) \left(\frac{6 - .7}{3 + 1.5} + .7 \right) + 5.85 \times 2 = 26.5 \text{ mW}$$

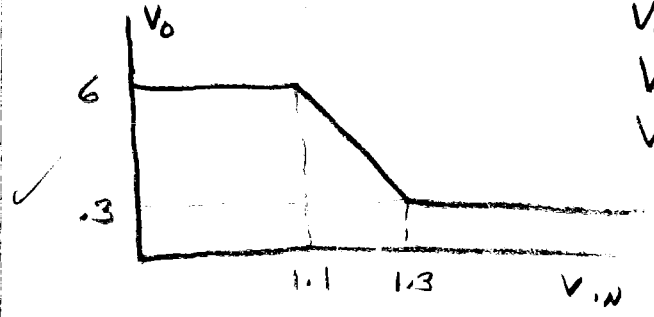
X

4.8)



$\beta = 50, V_D = .6, V_{BE} = .7$
 $V_{BEA} = .6, V_{BEC} = .5$
 $V_{CES} = .5, V_{CESAT} = .3$

a) $V_{IN} = 0, D_1 \text{ \& } D_2 \text{ REVERSE BIASED} \Rightarrow I \approx 0 \Rightarrow V_O = V_{CC} = 6V$



$V_{INL} = 2V_D - V_D + V_{BEC} = 1.1$
 $V_{INH} = 2V_D - V_D + V_{BE} = 1.3$
 $V_{O_{LOW}} = V_{CESAT} = .3V$

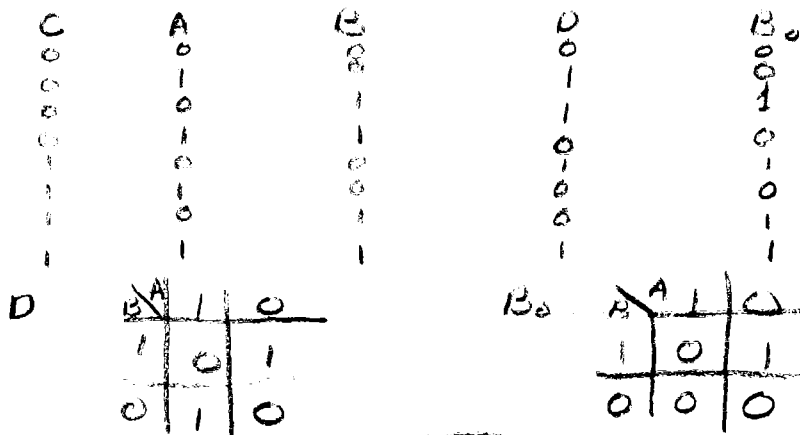
b) (ARG!)
X

4-2)



(HI LEVEL LOGIC)

$$DIFFER = (A\bar{B} + \bar{A}B)\bar{C} + (AB + \bar{A}\bar{B})C$$



$$D = D\bar{C} + \bar{D}C = DC + \bar{D}\bar{C}$$

$$B_0 = \bar{D}C + \bar{A}B$$

(4L)

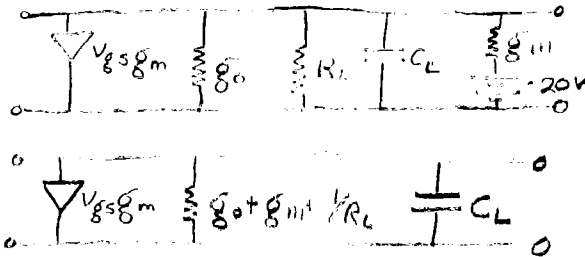
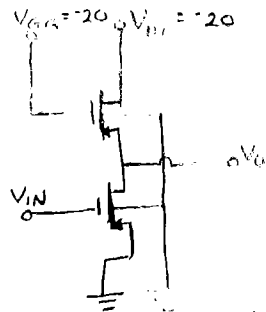
21/50

EE 468 Digital Electronics
Final Examination

4 Hours

Nov. 22, 1971
Open books and notes

1. In problem 5-18 it was found that the response time was too slow.
- Which aspect ratio (load or driver) must be changed to significantly improve the response and by how much should it be changed to speed up the response by a factor of 10?
 - Should the aspect ratio of the other transistor be changed also? Why or why not?



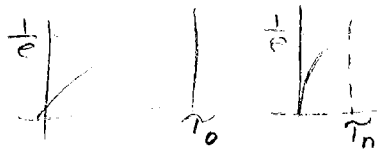
$C_L = 10\text{pF}$
 $R_L = 25\text{M}\Omega$

TYPICALLY $r_O = 20\text{k}\Omega$; $g_m = 5\text{mA/V}$
 $A = \frac{-g_m}{g_{mL}}$

$\tau = \frac{C}{K_L(V_{DD} - V_T)}$ \Rightarrow INCREASING K_L (LOAD ASPECT RATIO), DECREASES τ YIELDING QUICKER SWITCHING TIME.

NOW: $V_O("0") = \frac{(V_{DD} - V_T)^2}{2K_n^2(V_{DD} - 2V_T)} \Rightarrow K_n = \sqrt{K_A/K_L}$, SO INCREASING K_L DECREASES STAGE GAIN, AND THUS INCREASES $V_O("0")$. K_A SHOULD ALSO BE INCREASED TO BRING LOGIC LEVEL BACK ~~UP~~ down.

$\tau_n = 10\tau_0$



\therefore TO INCREASE RESPONSE TIME BY 10, THE LOAD ASPECT RATIO SHOULD BE ~~DECREASED~~ BY A FACTOR OF 10 *instead!*

8

In problem 4-2 a half-subtractor was determined to be a combinational circuit. The equation of the half-subtractor is

$$\text{Difference} = A\bar{B} + \bar{A}B$$

$$\text{Borrow} = \bar{A}B$$

- Show the schematic of a MOS with MOS load (saturated) circuit for realizing the half-subtractor function. Use p-channel symbols with the substrate connected to ground. Assume that the A and the B inputs are available.
- If an aspect ratio of 2 is used for the MOS load transistors, what equivalent aspect ratios should be used for the active (or driver) transistors in order that the effective voltage gain of each gate section is 3?
- Show the proper aspect ratios of all of the active transistors in your circuit so that the effective aspect ratio determined in part b is obtained in each case (under worst-case conditions).

a) DIFFERENCE

| | | |
|---|---|---|
| A | 1 | 0 |
| B | 0 | 1 |
| | 0 | 1 |
| | 0 | 0 |

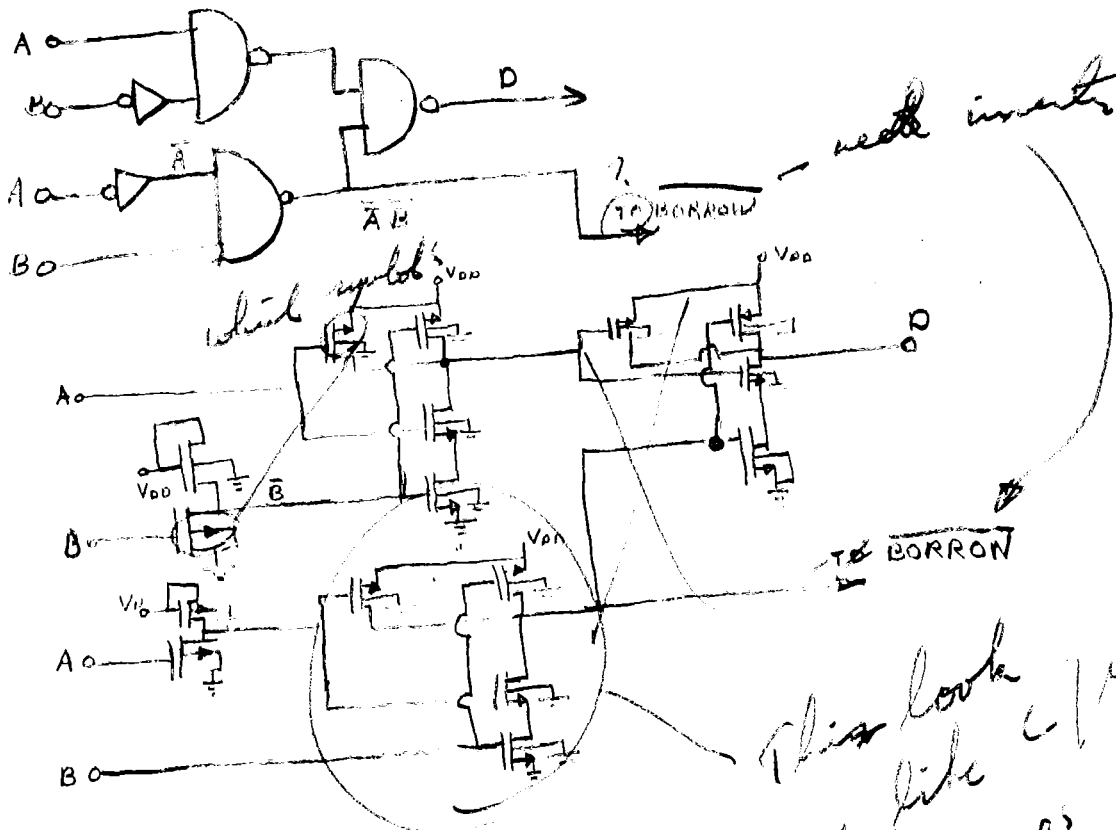
BORROW

| | | |
|---|---|---|
| A | 1 | 0 |
| B | 1 | 0 |
| | 0 | 1 |
| | 0 | 0 |

$$b) K_A^2 = \sqrt{K_L/K_r}$$

$$q = \sqrt{2/K_r}$$

$$K_r = 2^2/81 = .0405$$



2

This looks more like CMOS or CMOS

12. In problem 4-B a half-subtractor was determined to be a combinational device. The equation of the half-subtractor is

$$\text{Difference} = A\bar{B} + \bar{A}B$$

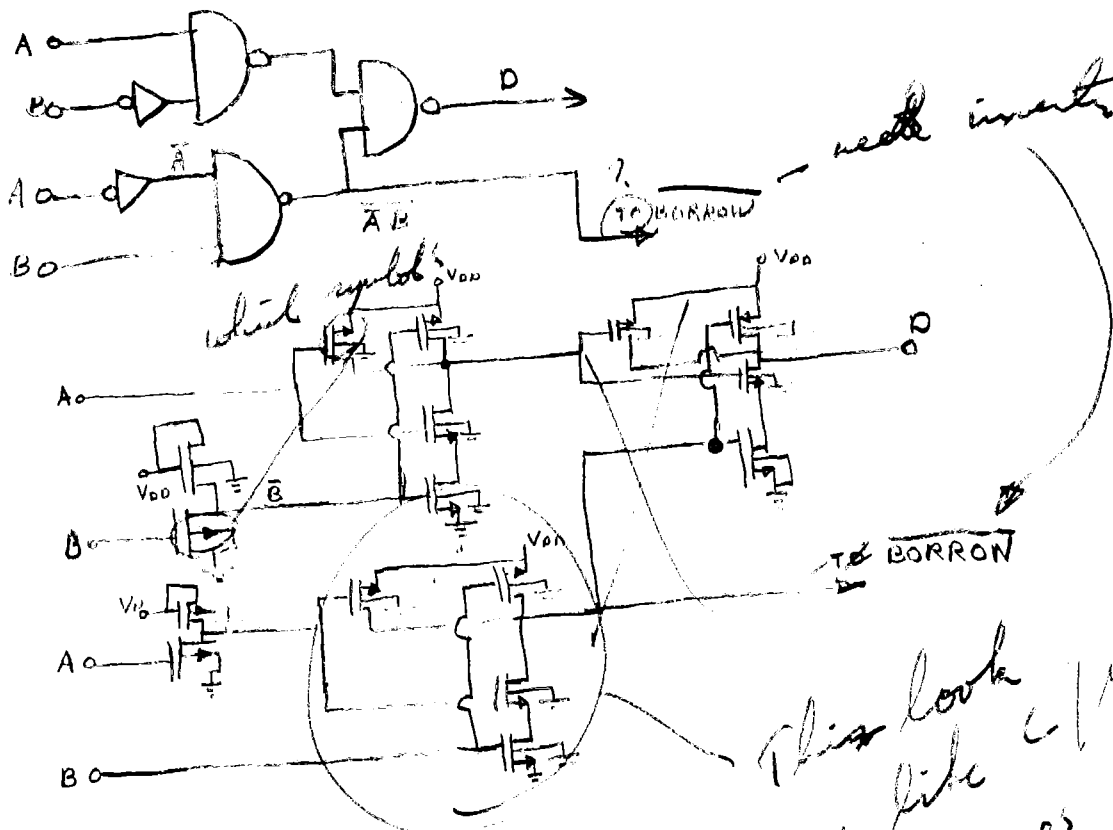
$$\text{Borrow} = \bar{A}B$$

- Show the schematic of a CMOS with CMOS load (saturated) circuit for realizing the half-subtractor function. Use peckannel symbols with the substrate connected to ground. Assume that the A and the B inputs are available.
- If an aspect ratio of 2 is used for the CMOS load transistors, what equivalent aspect ratios should be used for the active (or driver) transistors in order that the effective voltage gain of each gate section is 3?
- Show the proper aspect ratios of all of the active transistors in your circuit so that the effective aspect ratio determined in part b is obtained in each case (under worst-case conditions).

a)

| DIFFERENCE | | BORROW | |
|------------|---|--------|---|
| A | B | A | B |
| 1 | 0 | 1 | 0 |
| 0 | 1 | 0 | 1 |
| 0 | 0 | 0 | 0 |

b) $K_A^2 = \sqrt{K_L/K_r}$
 $g = \sqrt{2/K_r} = 2/K_r$
 $K_r = 2^2/81 = 0.0405$

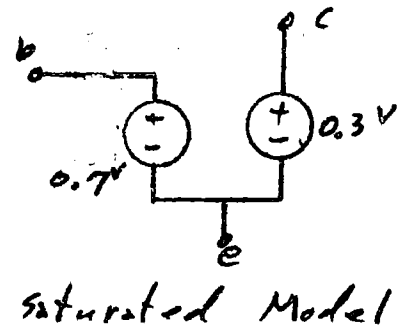
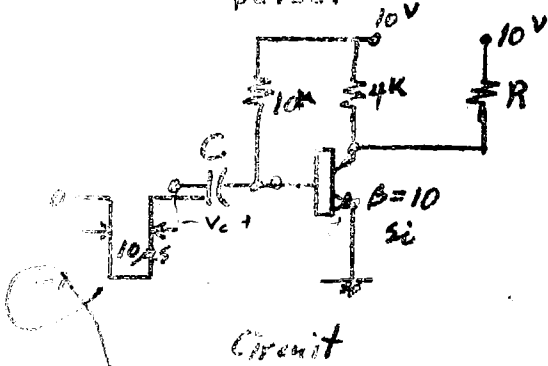


This look more like CMOS or CMOS

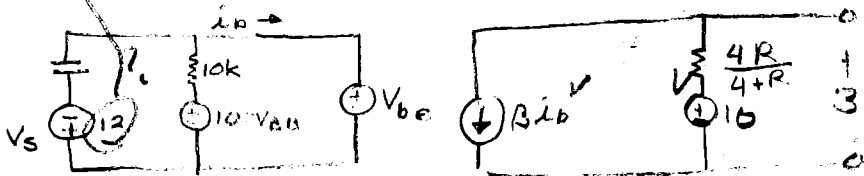
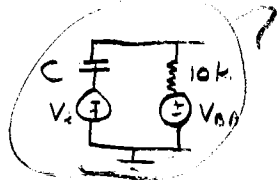
2

9. In the circuit shown below the transistor is to be saturated in the normal state and turned off during the 10-microsecond negative pulse. A saturated model for the transistor is shown, also.

- What is the minimum value of R such that the transistor will be saturated?
- If the input pulse is supplied by a pulse generator with an internal resistance of 0 ohms, what is the minimum value of C so that the transistor will remain in cut-off ($V_{be, \text{cut-off}} = 0.5$) for the full 10 microseconds of the pulse?



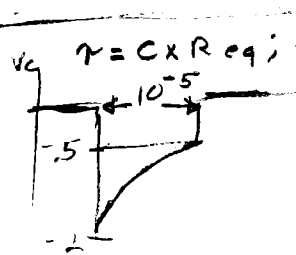
IN SATURATION $V_{CE} = 0.3V$ or $I_e > 0$
 $V_{CC} = V_{4k} + V_{CE}$
 $10 = I_c \cdot 4k + 0.3 \Rightarrow I_c = \frac{9.7}{4} = 2.425 \text{ mA}$



WILL SATURATE FOR V_{be} POSITIVE, WHEN $V_s = 0$, IF $V_s < 0$ STARTS GOING ACTIVE

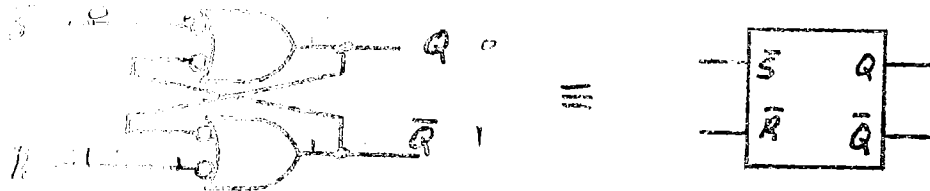
$V_{be} = R_b I_b + V_{be}$
 $10 = 10 I_b + 0.7 \Rightarrow I_b = \frac{9.3}{10} = 0.93 \text{ mA} \Rightarrow I_c = 10 I_b = 9.3 \text{ mA}$

NOW $10 - \left(\frac{4R}{4+R}\right) I_c = 0.3 \Rightarrow \frac{4R}{4+R} = \frac{9.7}{9.3} = 1.04$
 $4R = 4(1.04) + 1.04R$
 $R(4 - 1.04) = 4.16 \Rightarrow R = \frac{4.16}{2.96} = 1.4 \text{ k}$



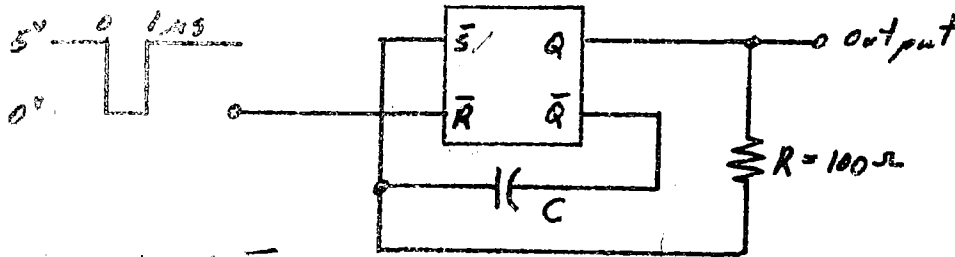
$\tau = C \times R_{eq}$; $R_{eq} = 10 \parallel 4 + 1.92 = 2.86 + 1.92 = 4.78 \text{ k}$
 $V_c(t) = -2e^{-t/\tau}$
 (a) $t = 10^{-5}$, $V_c = -0.5 \Rightarrow 0.5 = 2e^{-t/\tau}$
 $\ln 0.25 = -t/\tau \Rightarrow \tau = \frac{-t}{\ln 0.25} = t \cdot \ln 4 = (10^{-5}) \times 1.38$
 $\therefore (4.78 \times 10^3) C = 1.38 \times 10^{-5}$
 $\Rightarrow C = \frac{1.38}{4.78} \times 10^{-9} = 2.9 \text{ nF}$

3. Two identical positive NANDs as shown on page 160 of Strauss are used to form an R-S Flip-Flop as shown. (drawn as low-level NANDs).



The circuit shown below might be called a "pulse stretcher". Note that a low level input on \bar{R} causes \bar{Q} to become high.

- Explain the approximate operation of the circuit.
- What value of C should be used if the output pulse length is to be 10 microseconds. (To simplify, assume switching occurs at 1.35 Volts on the curve of page 160, that $V_{ce,sat} = 0.3$ Volt, and that $V_{diode} = 0.6$ Volt.)
- What is the maximum value of R which will allow the circuit to work properly?



2

| \bar{R} | \bar{S} | R | S | Q | \bar{Q} |
|-----------|-----------|---|---|---|-----------|
| 1 | 0 | 1 | 0 | 1 | 0 |
| 1 | 0 | 0 | 1 | 0 | 1 |
| 0 | 0 | 1 | 0 | 1 | 0 |
| 0 | 0 | 0 | 1 | 0 | 1 |
| 1 | 1 | 0 | 0 | x | x |

(LOW HIGH \bar{R} (ASSUMED LOW \bar{S}) \Rightarrow HI \bar{Q}
 \bar{Q} FED THRU RC NETWORK TO OUTPUT,
 AND YIELDS HI LEVEL \bar{S} , IF \bar{R} HAS
 BECOME LOW, \bar{Q} THUS BECOMES,
 AND STAYS HIGH, FEEDING \bar{S} THRU \bar{R} ,
 (??)